You are given a rooted tree of N nodes. Each node i contains a value  $a_i$ . Initially, all values of the node are 0, your task is to process Q queries of the following two types:

- 0 v x for every node u in a subtree of v if  $a_u < Y$  add x to  $a_u$
- 1 v print the value  $a_u$

The tree is rooted at 1.

## Input format

Each test contains multiple test cases.

- The first line contains t denoting the number of test cases.
- The first line of each test case contains two integers  $N,\,Q$ , and Y. These integers describe the size of the tree, the number of the queries, and the integer described in the statement respectively.
- The  $i^{th}$  of the next n-1 lines contains two integers  $u_i$  and  $v_i$  ( $1 \le u_i, v_i \le n$ ,  $u_i \ne v_i$ ) which means that there is an edge between nodes  $u_i$  and  $v_i$ .
- ullet Each of the next Q lines contains a query of the following two types:
  - $\circ 0 v x$
  - o 1 v

#### Note

- It is guaranteed that the given graph is a tree.
- It is guaranteed that the sum of N+Q over all test cases doesn't exceed  $6\cdot 10^5$  .

## Output format

For each query of type 1v, print  $a_v$ .

#### Constraints

$$(1 \le t \le 5 \cdot 10^5)$$

$$(1 \le Q, N \le 10^5)$$

$$(0 \le Y \le 100)$$

$$(1 \le v \le N)$$

$$(1 \le x \le 10^5)$$

#### Test

1			1
3	2	10	
1	2		
1	3		
0	1	1	
1	2		

#### Task 2:

You are given an undirected weighted tree, in which 1 is the root node. Control value of each node denoted by  $c_i$ .

Let's take two nodes (V, U) such that V is the ancestor of U. V controls U if the distance between U and V is less than or equal to the control value of U

Find the number of vertices controlled by each node.

#### Task:

Print N integers — the i-th of these numbers should be equal to the number of vertices that the i-th vertex controls.

#### Note

· Assume 1-based indexing.

#### Example:

Assumptions

- N = 3
- $c = \{2,7,5\}$
- $p = \{1,1\}$
- $W = \{5,4\}$

#### Approach

- Node 1 controls 2 because distance between 1 and 2 is 5 which less than control value of 2, which is 7
- Node 1 controls 3 because distance between 1 and 3 is 4 which is less than control value of 3, which is 5

Thus, answer is  $\{2,0,0\}$ 

## Function Description:

Complete the *solve* function provided in the editor. This function takes the following *4* parameters and returns the required answer:-

- N: Integer denoting the number of nodes
- c: Integer array denoting control values of each node
- p: Parent array, where  $p_i$  denotes the parent of the (i+1)-th node in the tree
- w: Integer array, where  $w_i$  denotes weight of the edge between  $p_i$  and (i+1)

The function must return -

• array of *N* integers — the *i*-th integer equal to number of nodes that the *i*-th node controls.

### Input format

**Note**: This is the input format that you must use to provide custom input (available above the **Compile and Test** button).

- The first line contains single integer N
- The second line contains N integers  $c_i$  the control value of i-th node.
- The third line contains (N-1) integers.  $p_i$  the parent of the (i+1)-th node in the tree
- The fourth line contains (N-1) integers.  $w_i$  weight of the edge between pi and (i+1)

#### Output format

• Print *N* integers — the *i*-th of these integers equal to the number of nodes that the *i*-th node controls.

#### Constraints

$$1 \leq N \leq 2*10^5$$

$$1 \le c_i \le 10^9$$

$$1 \le p_i \le N$$

$$1 < w_i < 10^9$$

# **Explication**

## Given

- N = 3
- *c* = {1,6,1}
- $p = \{1,2\}$
- $W = \{2,2\}$

## Approach

• Node 1 controls 2 because distance from 1 to 2 is 2 which is less than control value of 2, which is 6.

Thus, answer is {1,0,0}