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### **OUR COMPANY**

Forecasts is an analytics consultancy firm specializing in tourism data analysis and forecast as well as investigating variables associated with variability in tourism patterns and providing high quality recommendations to improve tourism.



# **Our Team**



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# **Executive Summary**

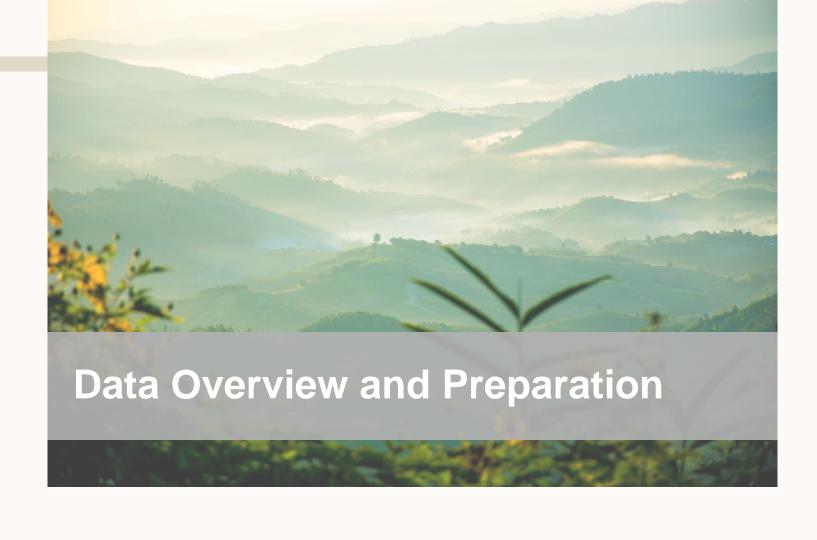


Thai government is interested in investigating the trends and factors associated with tourism in Thailand.

As a proof of concept, forecast is asked to consider the data on tourists arriving from the United States between the Years of 2010 and 2016.

Amongst others, forecasts will investigate seasonal and economic variables associated with the number of tourists arriving from the U.S.A. overtime.

FORECASTS will ,thereafter, explore various models to forecast tourism trends from U.S.A to Thailand and provide recommendations regarding ideal time windows during which the Thai government need focus its resources on accommodating tourists from the U.S.A.



# **Data Overview and Preparation**



#### **Data Overview**



Thailand Tourism Data source: data.world



Currency Data source: exchangerates.org.uk



Temperature Data source: aws-observations.climate

### **Data Preparation**

### Original Data:

- Structured csv file.
- Data is recorded monthly.
- 4452 rows, 5 columns.

#### **Processed Thailand Tourism Data:**

- Only tourism data for the United States are used.
- Jan 2010 to Dec 2015 (Train).
- Jan 2016 to Dec 2016 (Test / Forecast Horizon).

### Processed Currency & Temperature Data

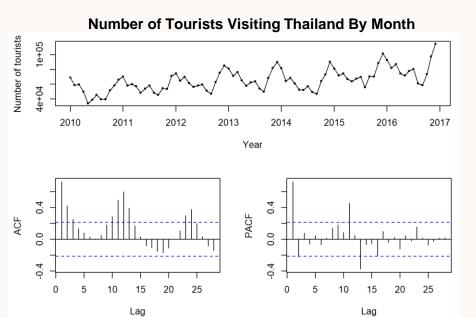
- Monthly average exchange rate of 1 USD vs. Thai Baht is used.
- Monthly average temperature in Bangkok is used.
- Jan 2010 to Dec 2015 (Train).
- Jan 2016 to Dec 2016 (Test / Forecast Horizon).

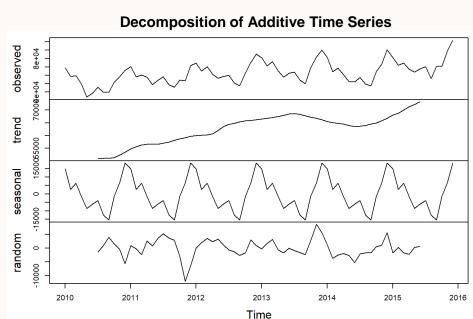


### **Characteristics of the Main Data**



- Clear upward trend
- Annual seasonality
- Inconsistent variance over time
- KPSS test: Data is nonstationary

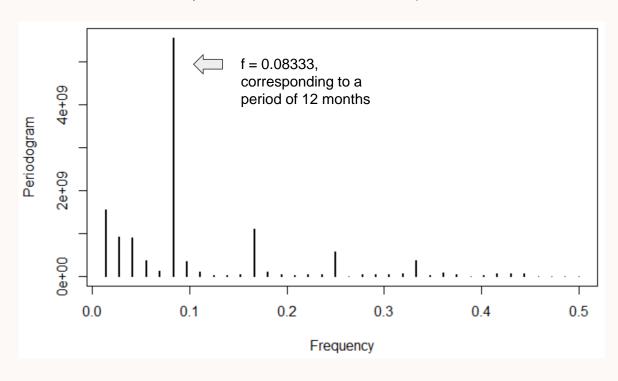




### **Characteristics of the Main Data**



Periodogram shows annual seasonality is the dominant seasonal component

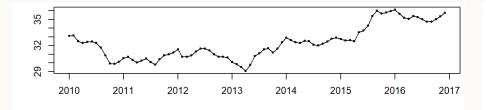


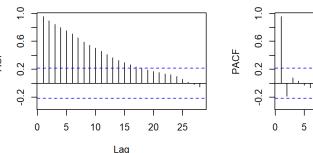
### **Characteristics of the Additional Data**

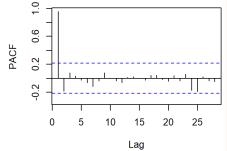


### Monthly Average Exchange Rate - USD vs. Thai Bhat:

- Clear upward trend
- No clear seasonal pattern
- KPSS test: Data is nonstationary
- ACF decreases slowly

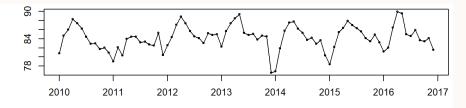


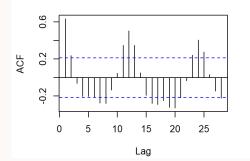


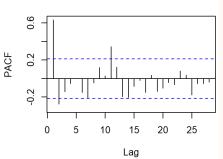


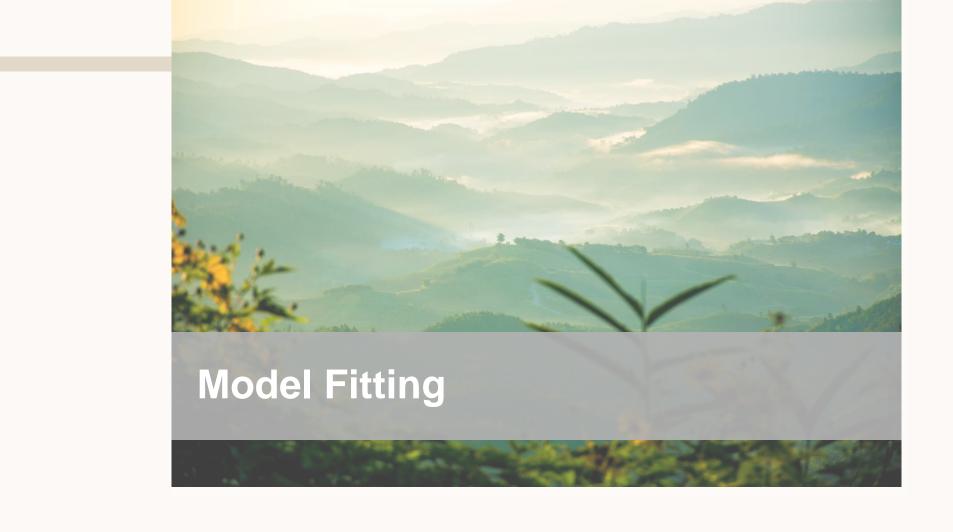
### **Monthly Average Temperature in Thailand (Bangkok)**

- No clear trend
- Annually seasonal pattern
- KPSS test: Data is stationary







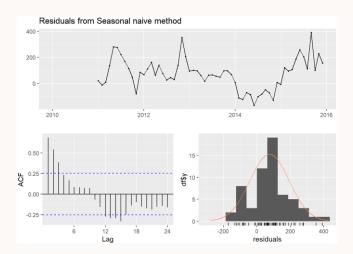


### **Seasonal Naive**



### **Model Phrase Outline**

 Since the dominant seasonal component is annual seasonality, snaive model is applied and used as the baseline model.

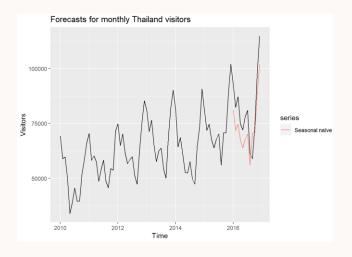


Ljung-Box Test: Residuals are not independent (p-value: 1.602e-12)

#### **Results on Test Data**

Model: Seasonal Naive

RMSE: 9841.895 MAE: 9394.833



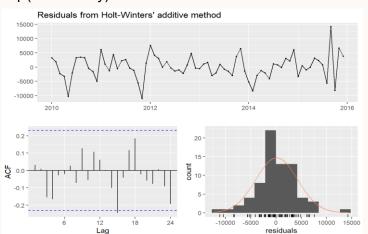
### **Holt-Winters**



### **Model Phrase Outline**

- Seasonality was modeled as Additive after observing that Multiplicative yielded a higher AICc
- The resulting smoothing parameters are:

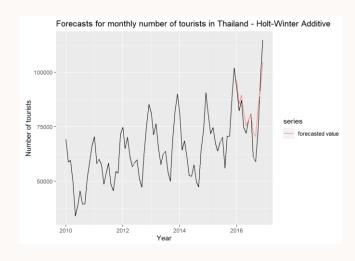
$$\alpha$$
 (level) = 0.6036  $\beta$  (trend) = 0.0001  $\gamma$  (seasonality) = 0.0001



#### **Results on Test Data**

Model: Holt-Winters with Additive

RMSE: 7077.21 MAE: 5762.498



Ljung-Box Test: Residuals are not independent (p-value: 0.000265)

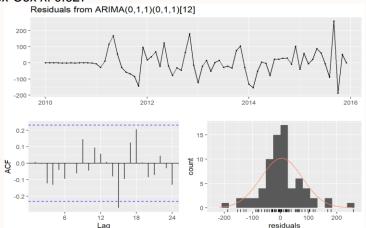
## **SARIMA**



### **Model Phrase Outline**

Model	AICc	BIC
ARIMA(1,0,0)(2,1,0)[12] with drift	706.1	715.46
ARIMA(0,1,1)(0,1,1)[12]	696.77	702.57

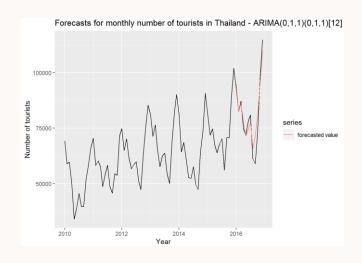
#### Box-Cox λ: 0.627



### **Results on Test Data**

Model: ARIMA(0,1,1)(0,1,1)[12]

RMSE: 4995.538 MAE: 3749.619



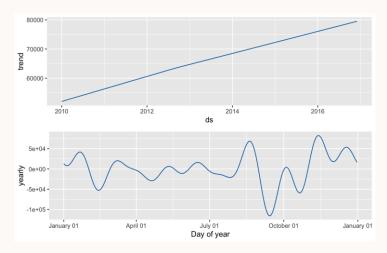
Ljung-Box Test: Residuals are independent (p-value: 0.8406)

# **Prophet**



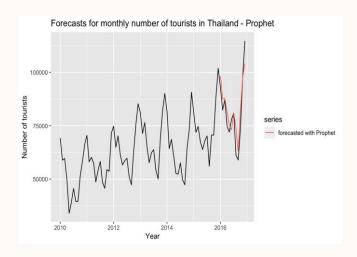
### **Model Phrase Outline**

- Annual seasonality was modeled
- Our data is monthly so we are unable to model using holidays



### **Results on Test Data**

Model: Prophet RMSE: 6458.374 MAE: 5280.61



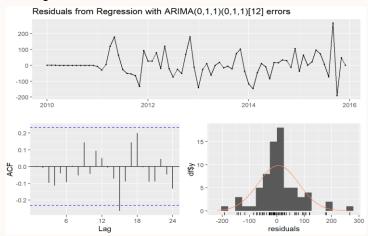
# Regression w/ ARIMA errors



### **Model Phrase Outline**

	ma1	sma1	Avg. exchange rate	Avg. temp.	
Coeff.	-0.36**	-0.46**	-11.26	-2.61	

\*\*: 0.05 significant level Box-Cox lambda: 0.627

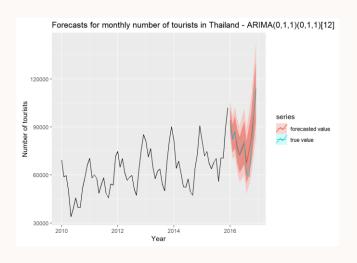


### Ljung-Box Tes: Residuals are independent (p-value: 0.8022)

#### **Results on Test Data**

Model: Regression with ARIMA(0,1,1)(0,1,1)[12] errors

RMSE: 5814.869 MAE: 3595.783



# **Vector Autoregression Model (VAR)**



### **Model Phrase Outline (1/3)**

- Apply first order differencing (d = 1, D = 1) and Box-Cox transformation to stablize the variance and convert the data to stationary time series.
- Use VARselect to choose P orders:

```
AIC(n) HQ(n) SC(n) FPE(n) 10 	 1 	 1 	 2
```

 First, we fit VAR(1) and run a serial.test. We find that there is no autocorrelation in the residuals of VAR(1)

```
VAR(1)

Portmanteau Test (asymptotic)

data: Residuals of VAR object var.fit.1
Chi-squared = 76.657, df = 81, p-value = 0.616
```

So, we choose VAR(1) to conduct further diagnosis

### 1. Coefficients of VAR(1)

# \$tourists tourists.I1 average.exchange.rate.I1 average.temperature.I1 const 0.642264\*\*\* -0.066997 0.062205 0.002347\*

# \$average.exchange.rate tourists.l1 average.exchange.rate.l1 average.temperature.l1 const 0.1791822 0.9447248\*\*\* -0.1161593 0.0006439

\$average.tem	iperature		
tourists.l1	average.exchange.rate.l1	average.temperature.l1	const
0.1815577	0.0613772	0.5631571***	-0.000876

# **Vector Autoregression Model (VAR)**



### **Model Phrase Outline (2/3)**

### 2. Diagnosis of VAR(1)

#### Serial.test

```
Portmanteau Test (asymptotic)

data: Residuals of VAR object var.fit.1

Chi-squared = 76.657, df = 81, p-value = 0.616

There is no autocorrelation in the residuals
```

#### Arch.test

```
ARCH (multivariate)

data: Residuals of VAR object var.fit.1

Chi-squared = 282, df = 432, p-value = 1
```

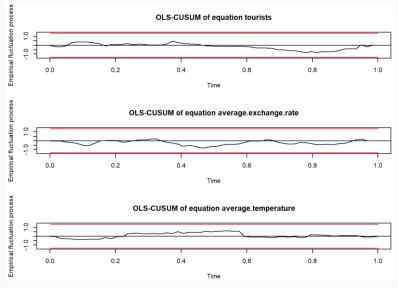
There is no heteroscedasticity in the residuals.

#### Normality.test

- JB Test: p-value < 2.2e-16
- Skewness: p-value = 3.481e-05
- Kurtosis: p-value < 2.2e-16

Residuals are not normally distributed

#### Structural break test



No structural break in the residuals

# **Vector Autoregression Model (VAR)**

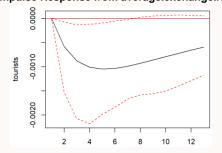


### **Model Phrase Outline (3/3)**

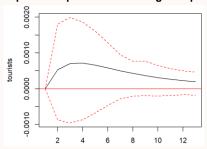
• Impulse response test

### 

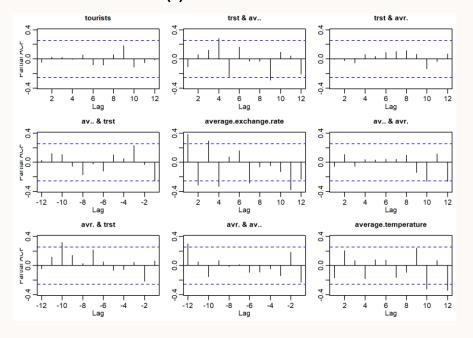
Impulse Response from average.exchange.rate



Impulse Response from average.temperature



### 3. Residuals of VAR(1)

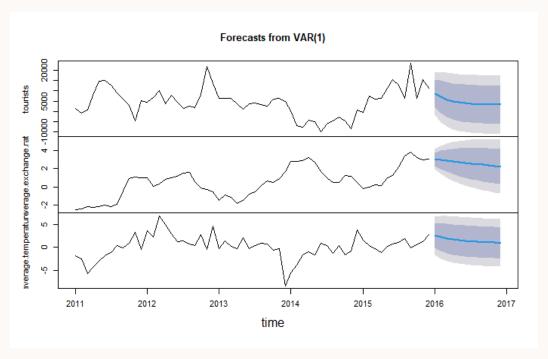


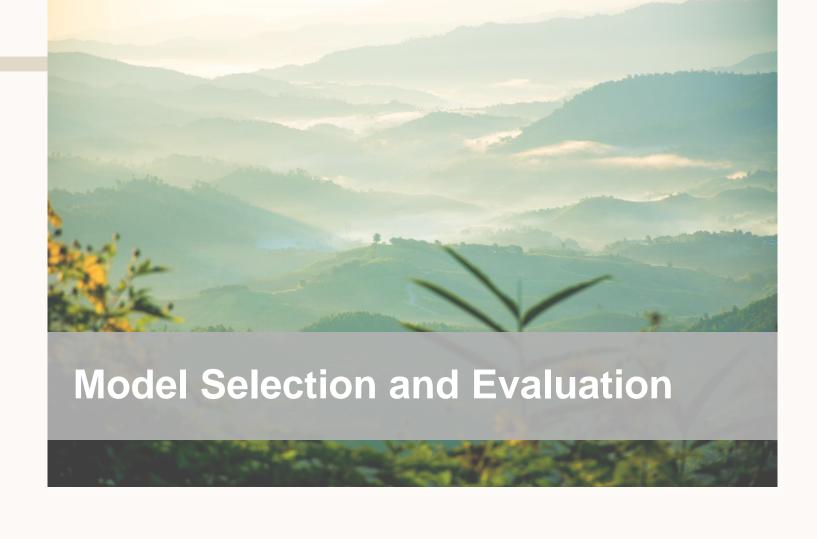




### **Results on Test Data**

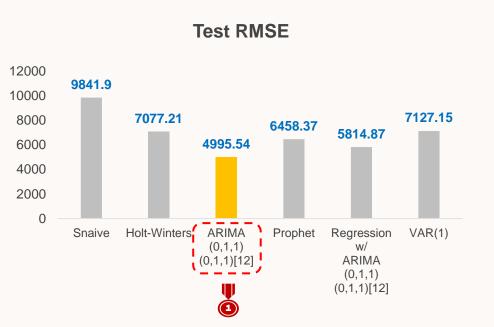
Model: VAR(1) RMSE: 7127.135 MAE: 8121.93





### **Model Selection**

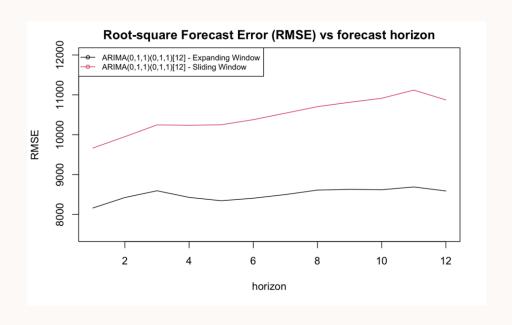




- Since no outliers exists in our dataset, RMSE is selected as the metric to evaluate model performance.
- Surprisingly, ARIMA(0,1,1)(0,1,1)[12] is the best model.
- According to results of Regression w/
  ARIMA(0,1,1)(0,1,1)[12] and VAR(1), it's clear that
  average exchange rate and average temperature
  data are not good features to forecast the tourism
  data.
  - Granger causality test verifies this conclusion

### **Chosen Model Evaluation**





- Apply cross-validation on the train dataset
- Chosen model is pretty stable
- The expanding window performs better with lower RMSE



### **Conclusion and Future Work**



### Conclusion

- Trends of U.S. tourists to Thailand exhibit seasonality; while spikes exits in most quarters, the fourth quarter of the year sees the highest counts typically followed by a down-trend for the first three quarters of the following year.
- We recommend an increase in resource availability and targeted feature attractions (catered for tourists from the U.S.) during the fourth quarter of each year

### **Future Work**

- Augment original tourism data with more data to further model stability
- Investigate additional data sets that may be used to develop more accurate models
- Investigate advanced time series models:
  - TBATS model
  - Prophet for multivariate analysis
  - Long-Short Term Memory model
- Follow up on the effect of suggested interventions and their effect on the number of U.S. tourists during and off peak season

# Thank You



# Q & A

Welcome for any question and feedback:)

### Reference

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- https://medium.com/@swetha994r/time-series-forecasting-using-vector-auto-regressive-var-model-1ecd4a564ee0;
- https://medium.com/@cdabakoglu/time-series-forecasting-arima-lstm-prophet-with-python-e73a750a9887
- https://www.machinelearningplus.com/time-series/vector-autoregression-examples-python/
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- https://stats.stackexchange.com/questions/261876/var-for-non-stationary-series-using-r
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- <a href="https://towardsdatascience.com/granger-causality-and-vector-auto-regressive-model-for-time-series-forecasting-3226a64889a6">https://towardsdatascience.com/granger-causality-and-vector-auto-regressive-model-for-time-series-forecasting-3226a64889a6</a>
- https://towardsdatascience.com/vector-autoregressions-vector-error-correction-multivariate-model-a69daf6ab618
- https://davegiles.blogspot.com/2011/04/testing-for-granger-causality.html

# **Project Work Distribution**

- Our Company & Executive Summary Ali
- Data Sources and Data Preparation Xiaoqin/Jenny
- Characteristics of the Time Series Jenny/Ali
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- Prophet Jane
- Regression with ARIMA errors Ali
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- Conclusions and Future Work Xiaoqin