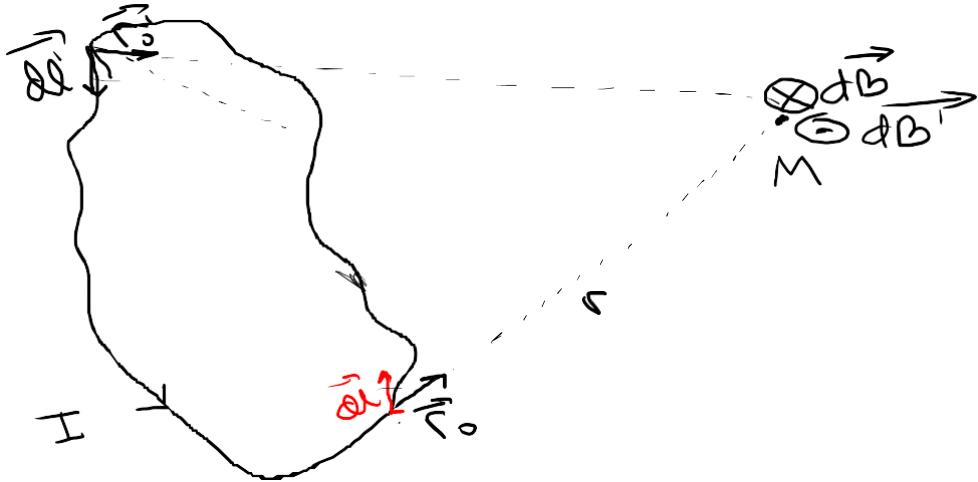


# Стално магнетско поље у вакууму (Био-Саваров закон. Флукс)

Основи електротехнике 2  
Предавање: 2. блок

# МАГНЕТИЧНА УДАРНА ДІЯ КОМПАНАДНОГО СУСТЕМА



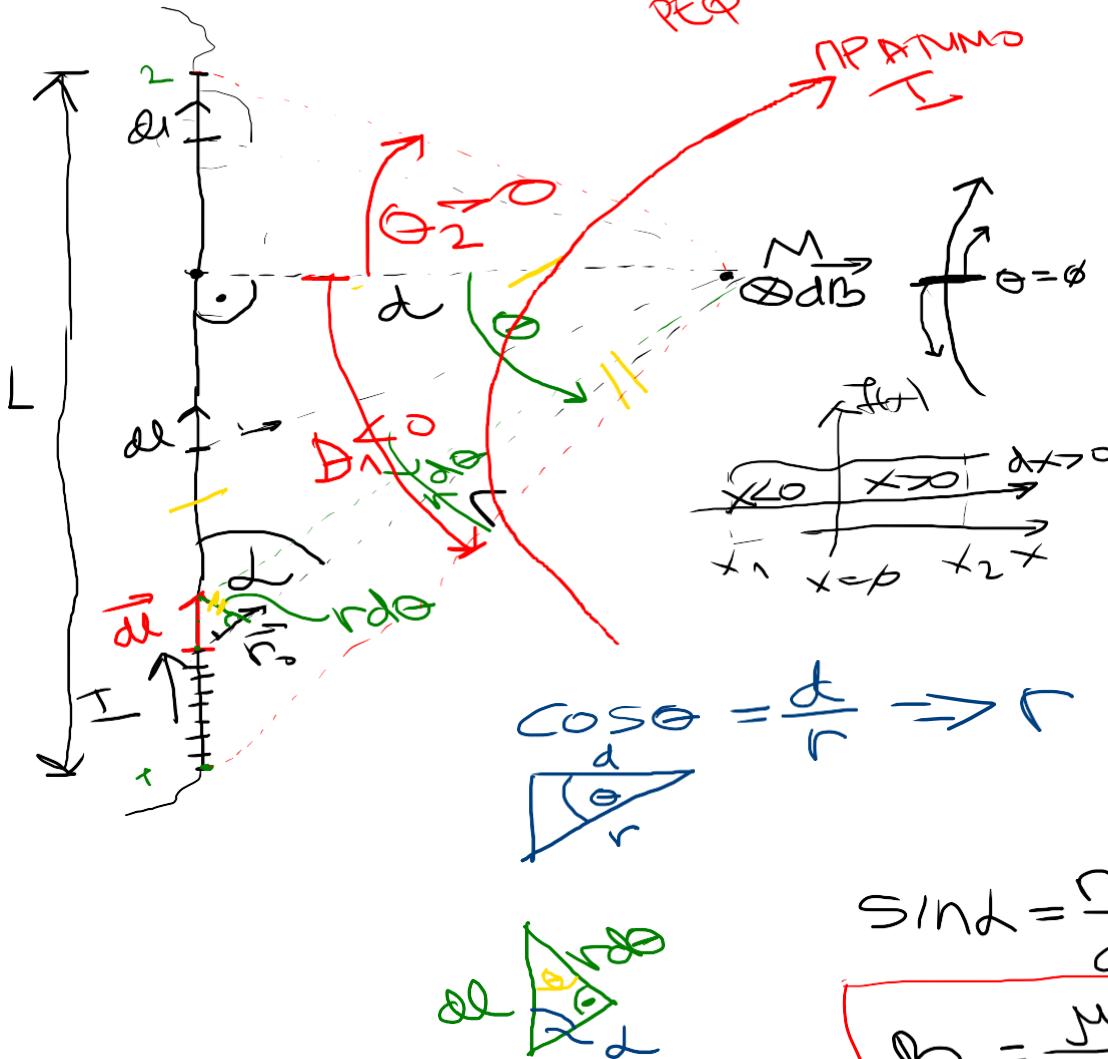
$$d\vec{B} = \frac{\mu_0}{4\pi} \frac{I d\ell \times \vec{r}_0}{r^2}$$

$$dB = \frac{\mu_0}{4\pi} \frac{I d\ell \sin \alpha d\ell \vec{r}_0}{r^2}$$

$$\times (\vec{d\ell}, \vec{r}_0) = d$$

$$dB = \frac{\mu_0 I d\ell}{4\pi r^2} \sin \alpha$$

# PRVIMI SEP:



$$\vec{dB} = \frac{\mu_0}{4\pi} \frac{Idl \times \hat{r}}{r^2}$$

$$dB = \frac{\mu_0}{4\pi} \frac{Idl}{r^2} \sin\theta$$

da  $dB$  moga učeti da je  $\vec{B}$   $\otimes$

$$B = \int dB \text{ uga je } \vec{B} \otimes$$

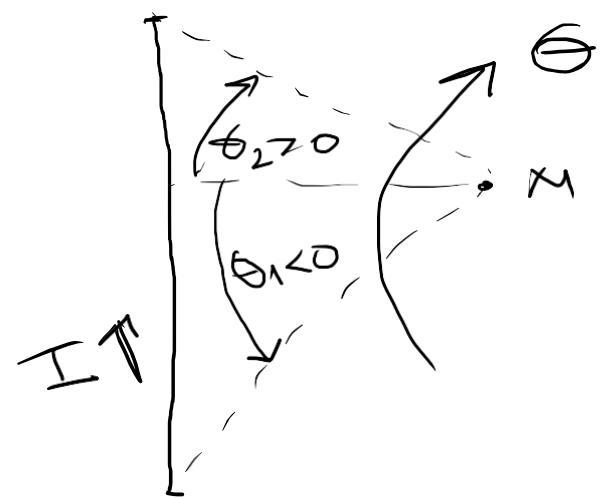
$$B = \int dB = \int \frac{\mu_0}{4\pi} \frac{Idl}{r^2} \sin\theta$$

dve segmenta

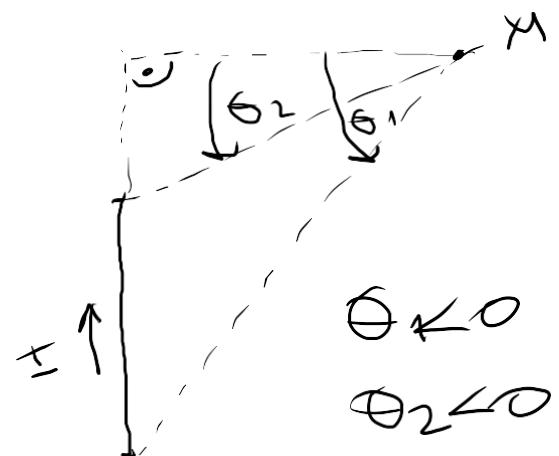
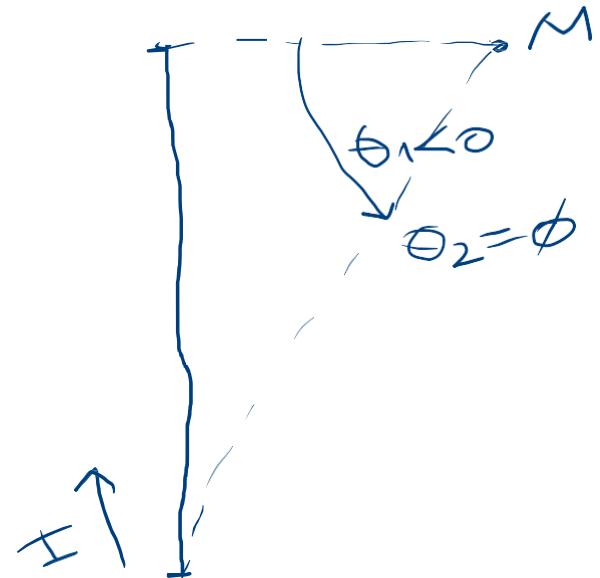
$$B = \frac{\mu_0 I}{4\pi} \int \frac{dl}{r^2} \cdot \frac{r d\theta}{dl}$$

$$B = \frac{\mu_0 I}{4\pi} \int \frac{d\theta}{\frac{dl}{\cos\theta}} = \frac{\mu_0 I}{4\pi d} \int \cos\theta d\theta$$

$$\vec{B} = \frac{\mu_0 I}{4\pi d} (\sin\theta_2 - \sin\theta_1)$$



$\theta_1 < 0 \wedge \theta_2 > 0$   
Hence there are two  $\theta$



\*  $L \rightarrow \infty$

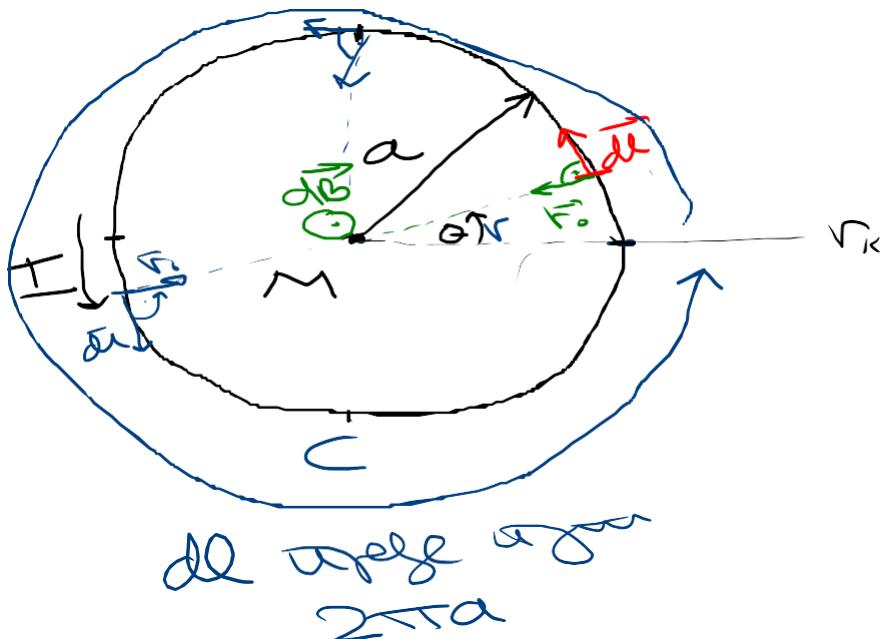
$$\left\{ \begin{array}{l} \theta_2 \\ \theta_1 \end{array} \right. \quad \begin{array}{l} \text{at } \theta_1 = -\frac{\pi}{2} \\ \theta_2 = \frac{\pi}{2} \end{array}$$

$\theta_1 = -\frac{\pi}{2}$     $\theta_2 = \frac{\pi}{2}$

$\theta_1 \approx -\frac{\pi}{2}$     $\theta_2 \approx \frac{\pi}{2}$

$B = \frac{\cot}{2\pi d}$

ПРИМЕР: Математика для физики 7 класс Круглые колеса



$$d\vec{B} = \frac{\mu_0 I d\vec{l} \times \vec{r}}{4\pi r^2}$$

$d\vec{l}$  вдоль окружности

$$dB = \frac{\mu_0 I dl}{4\pi a^2} \sin(\angle \vec{dl} \vec{r}) \quad \text{или}$$

$$dB = \frac{\mu_0 I dl}{4\pi a^2}$$

$$B = \int d\vec{B}$$

$$\vec{B} \circ$$

$$B = \int_C \frac{\mu_0 I dl}{4\pi a^2} = \frac{\mu_0 I}{4\pi a^2} 2\pi a$$

$$B = \frac{\mu_0 I}{2a}$$

$$B = \frac{\mu_0 I}{4\pi a^2} \int_C dl$$

$$dl = a \cdot d\theta$$

$$B = \frac{\mu_0 I}{4\pi a^2} 2\pi = \frac{\mu_0 I}{2a}$$

СУЛА У МОМЕНТАТ ГИДРОДИНАМИЧКИХ КОМПОНОВ У МАТ. МОДЕЛЯ

$$d\vec{F}_{12} = \frac{M_0}{4\pi} \frac{I_2 d\vec{l}_2 \times (I_1 d\vec{l}_1 \times \vec{r}_{012})}{r^2}$$

$$d\vec{F}_{12} = I_2 d\vec{l}_2 \times \left( \frac{M_0}{4\pi} \frac{I_1 d\vec{l}_1 \times \vec{r}_{012}}{r^2} \right) = I_2 d\vec{l}_2 \times \vec{B}_1$$

$$\boxed{d\vec{F}_m = I d\vec{l} \times \vec{B}}$$

$$\vec{F}_m = \int d\vec{F}_m = \int I d\vec{l} \times \vec{B}$$

дукт котура

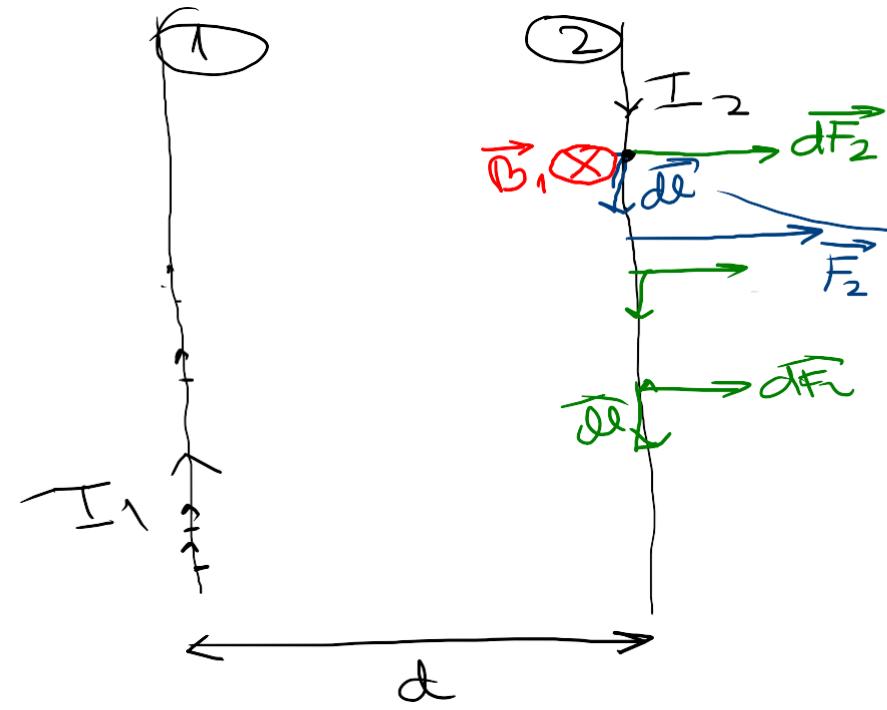
ампера  
мод. сила

$$\vec{F}_m = I \int d\vec{l} \times \vec{B}$$

ако се  $I$  вр инже

$$F_m = \int I d\vec{l} B \sin \alpha (\vec{d\vec{l}}, \vec{B})$$

~~+~~   
 *зашема инже*   
 *вр инже*



$$d\vec{F}_2 = I_2 dl \times \vec{B}_1$$

$B_1$  je og afledt fra  $I_1$  og  
med en  $R$  afstanden  $I_2 dl$ .

$$B_1 = \frac{\mu_0 I_1}{2\pi d}$$

$$\vec{F}_2 = \int d\vec{F}_2$$

$$F_2 = I_2 \cdot l_2 \cdot B_1$$

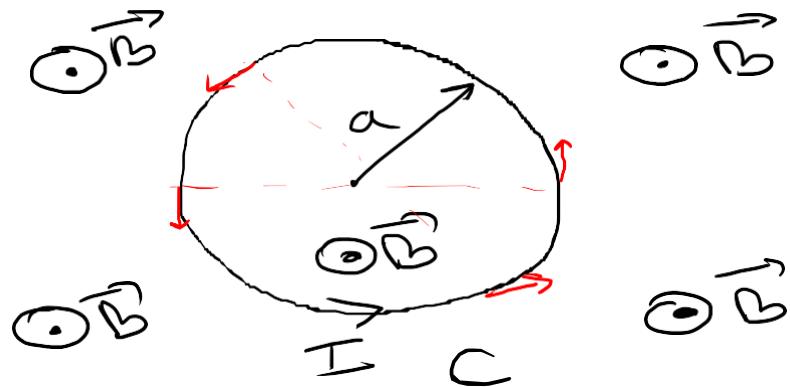
$$F_2 = \int dF_2$$

$\vec{F}_2$  kan nu  
vurderes

graves afledt ②

$$F'_2 = \frac{F_2}{l_2} = \frac{\mu_0 I_1 I_2}{2\pi d} \quad \boxed{\frac{N}{m}}$$

$$d\vec{F}_m = I d\vec{l} \times \vec{B}$$



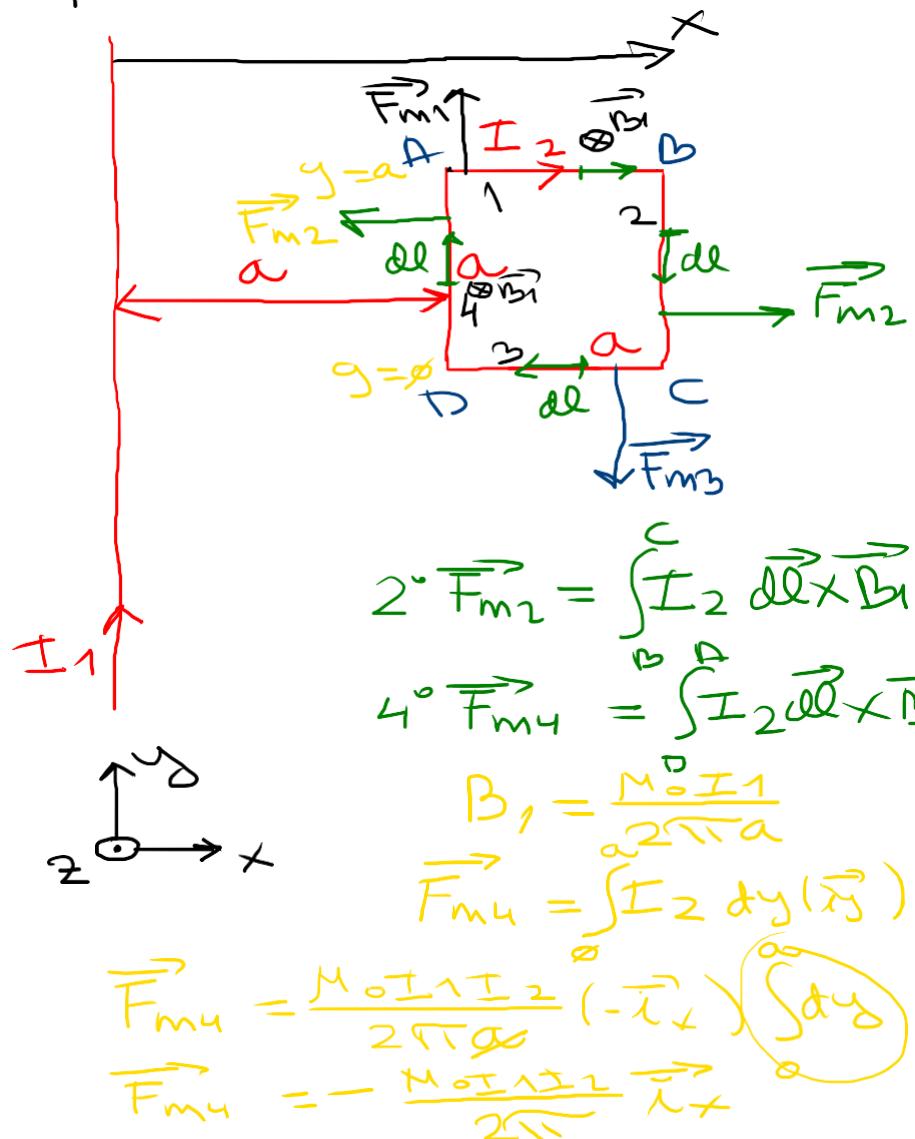
Xenodochus mod. essere vey.  $\vec{B}$

$$\vec{F}_m = \oint_C I d\vec{l} \times \vec{B}$$

$$\vec{F}_m = I \left( \oint_C d\vec{l} \right) \times \vec{B} = \phi$$

$\boxed{\vec{F}_m = \phi \text{ y Xenodochus mod. essere}}$

$\pi_{\text{primary}}$ :



$$2^{\circ} \vec{F}_{m2} = \int_A^C I_2 d\vec{l} \times \vec{B}_1$$

$$4^{\circ} \vec{F}_{m4} = \int_D^B I_2 d\vec{l} \times \vec{B}_1$$

$$\vec{B}_1 = \frac{\mu_0 I_1}{2\pi a}$$

$$\vec{F}_{m4} = \int_0^\infty I_2 dy (\vec{i}_y) \times \frac{\mu_0 I_1}{2\pi a} (-\vec{i}_z)$$

$$\vec{F}_{m4} = \frac{\mu_0 I_1 I_2}{2\pi a} (-\vec{i}_x) \quad \text{(says)}$$

$$\vec{F}_{m4} = -\frac{\mu_0 I_1 I_2}{2\pi} \vec{i}_x$$

$$\vec{F}_{m2} = \oint I_2 d\vec{l} \times \vec{B}_1 = ?$$

$$1^{\circ} \vec{F}_{m1} = \int_A^B I_2 d\vec{l} \times \vec{B}_1$$

$$\vec{B}_1 = \frac{\mu_0 I_1}{2\pi x} (-\vec{i}_z)$$

$$d\vec{l} = dx \cdot \vec{i}_x$$

$$\vec{F}_{m1} = \int_A^{2a} I_2 \cdot dx \cdot \vec{B}_1 (\vec{i}_y)$$

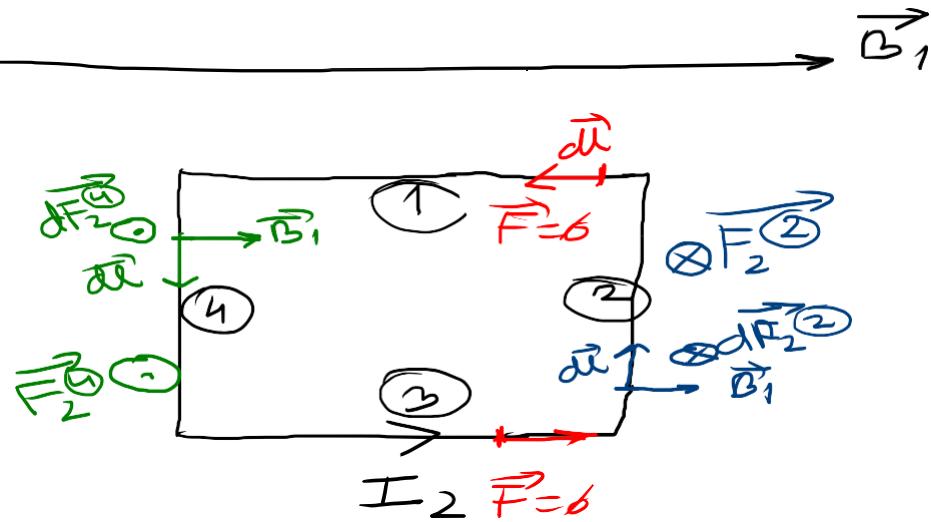
$$F_{m1} = \int_A^{2a} I_2 dx \frac{\mu_0 I_1}{2\pi x} - \frac{\mu_0 I_1 I_2}{2\pi} \ln 2$$

$$\vec{F}_{m1} = \frac{\mu_0 I_1 I_2}{2\pi} \ln 2 (\vec{i}_y)$$

$$3^{\circ} \vec{F}_{m3} = \int_C^D I_2 d\vec{l} \times \vec{B}_1$$

$$\vec{F}_{m3} = -\frac{\mu_0 I_1 I_2}{2\pi} \ln 2 (\vec{i}_y)$$

$$\vec{F}_{m2} = \frac{\mu_0 I_1 I_2}{2\pi} \vec{i}_x$$



$$\vec{F}_2 = \oint_{C_2} I_2 d\vec{l} \times \vec{B}_1$$

①

$$d\vec{F}_2^{(1)} = I_2 d\vec{l} \times \vec{B}_1$$

$$\times (\vec{dL}, \vec{B}_1) = \phi$$

$$\vec{F}_2^{(1)} = \phi$$

③

$$\times (\vec{dL}, \vec{B}_1) = \phi \quad \vec{F}_2^{(3)} = \phi$$

②

$$d\vec{F}_2^{(2)} = I_2 d\vec{l} \times \vec{B}_1$$

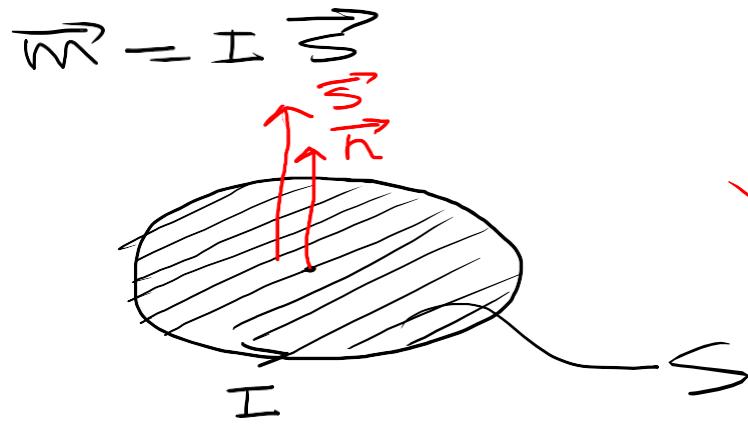
④

$$d\vec{F}_2^{(4)} = I_2 d\vec{l} \times \vec{B}_1$$

Jordan'scher Satz:  $\vec{F}_2^{(2)} \cup \vec{F}_2^{(4)}$  weise ge nötig konträr

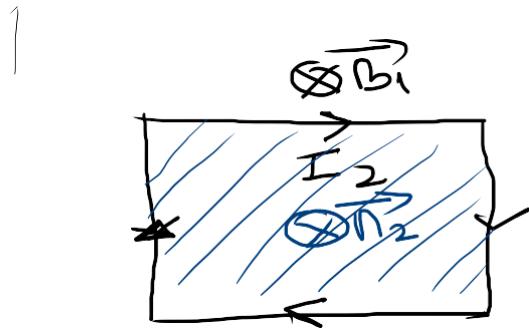
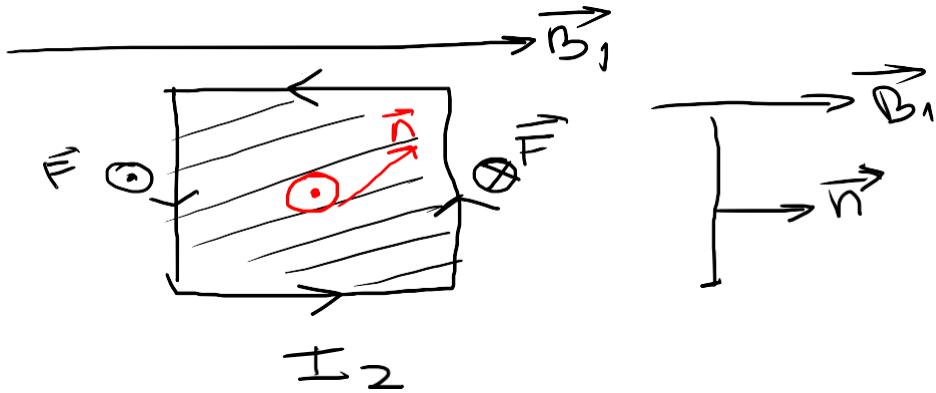
$$\vec{M} = \vec{m} \times \vec{B}$$

Mot. Moment konträr  $\vec{m} = I \cdot \vec{s}$

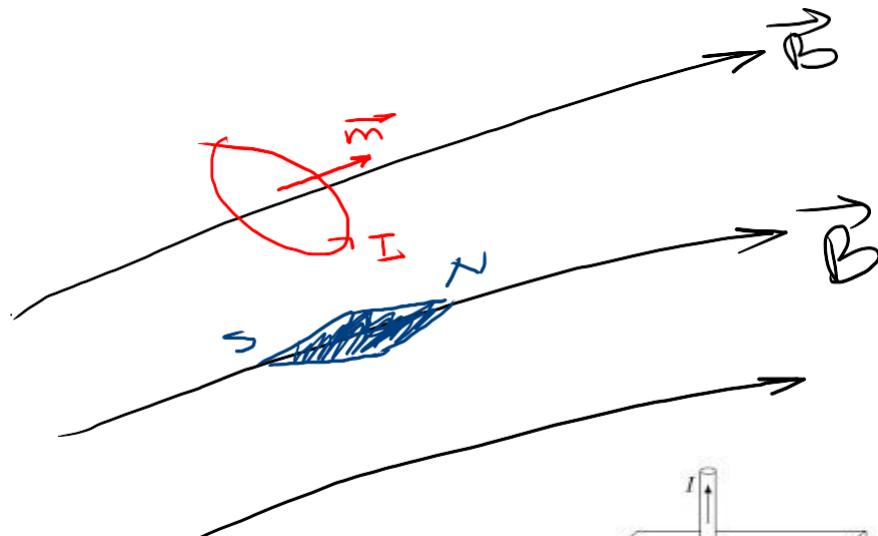


mod. Момент коваже

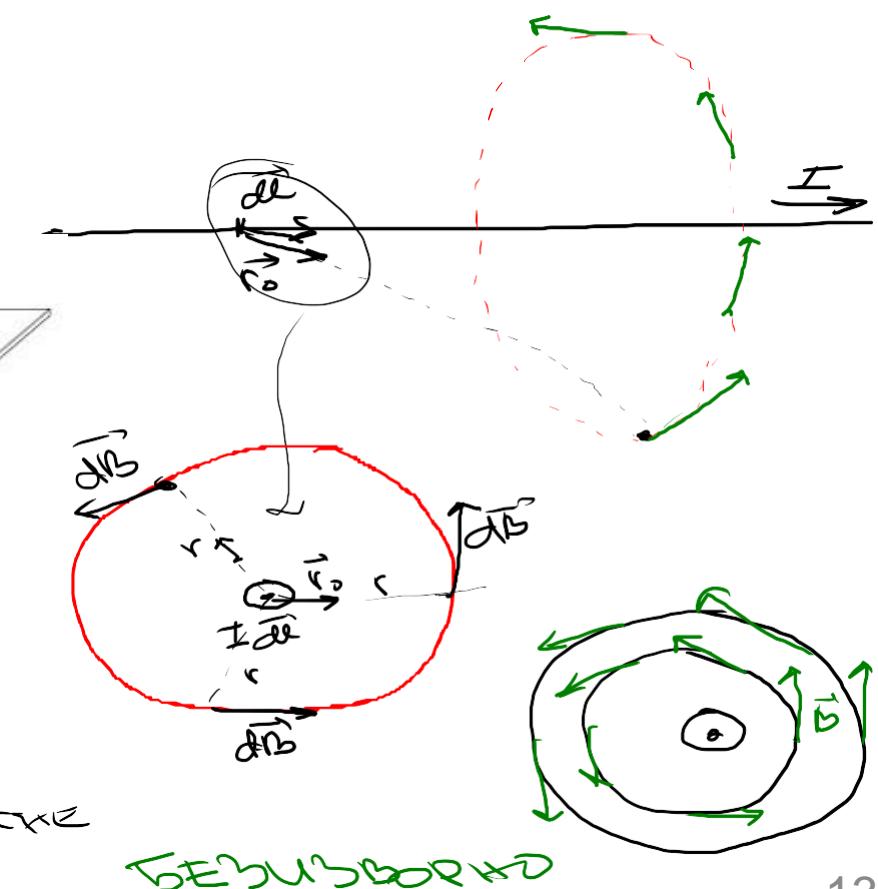
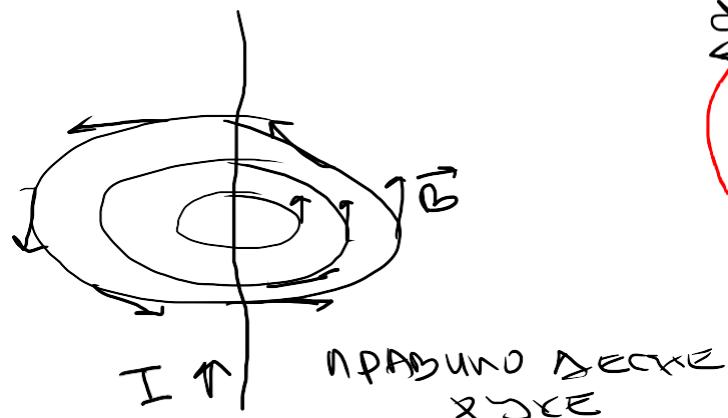
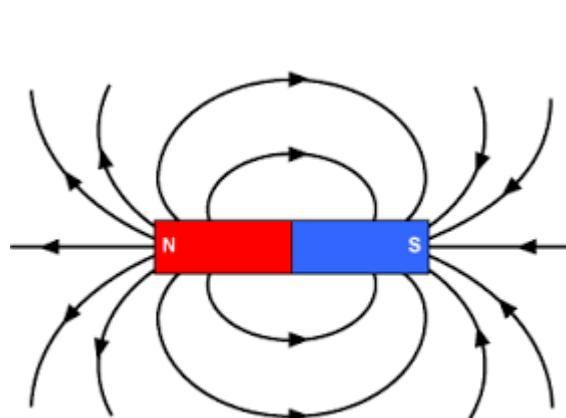
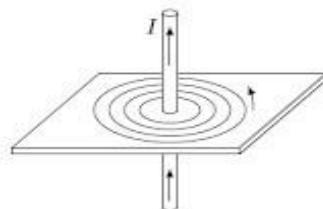
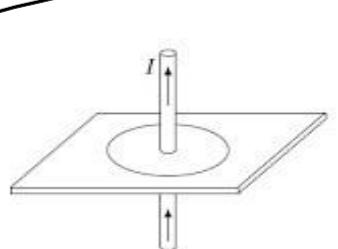
$\vec{r}$ -направа за који се врти осовину за коважу. Одржавају је општи закон ротације: општи однос  $I$  и коважу коваже  $m$  је  $\vec{s}$ :

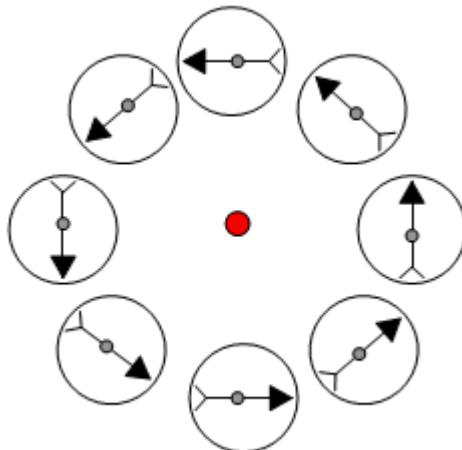
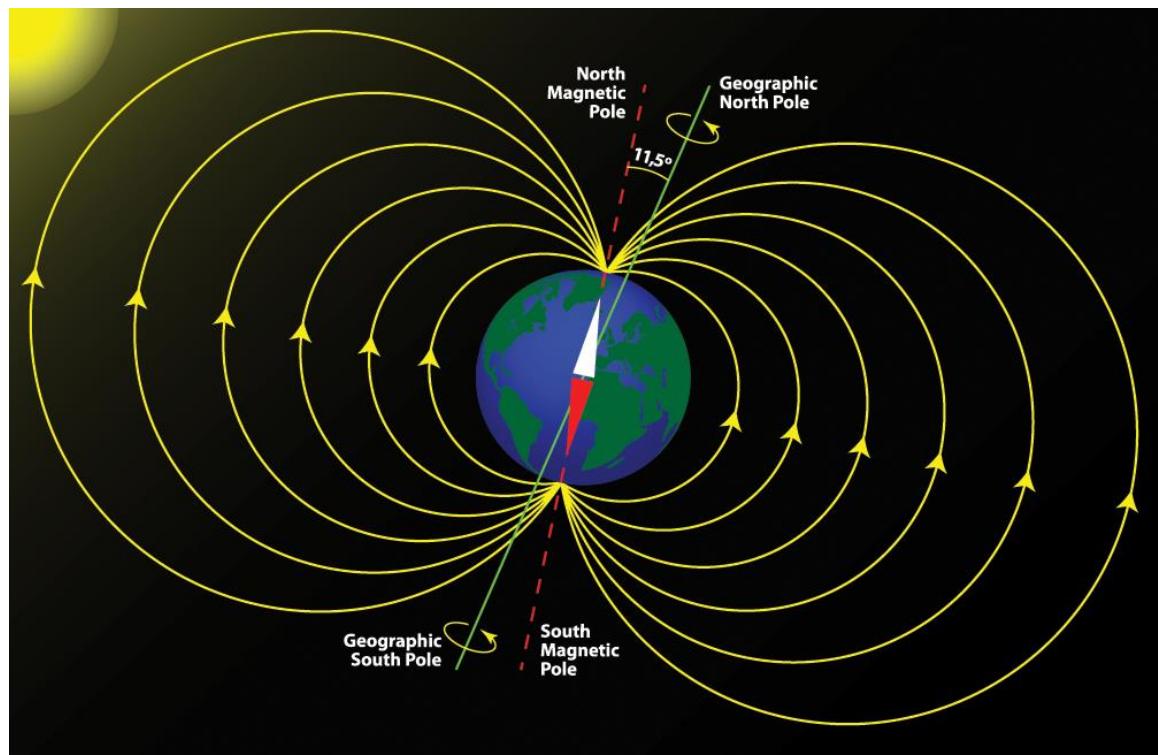
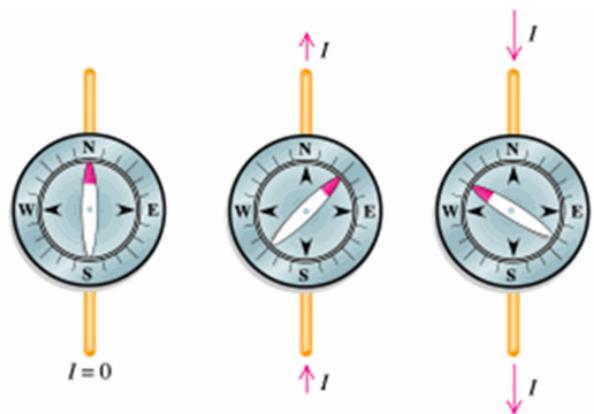
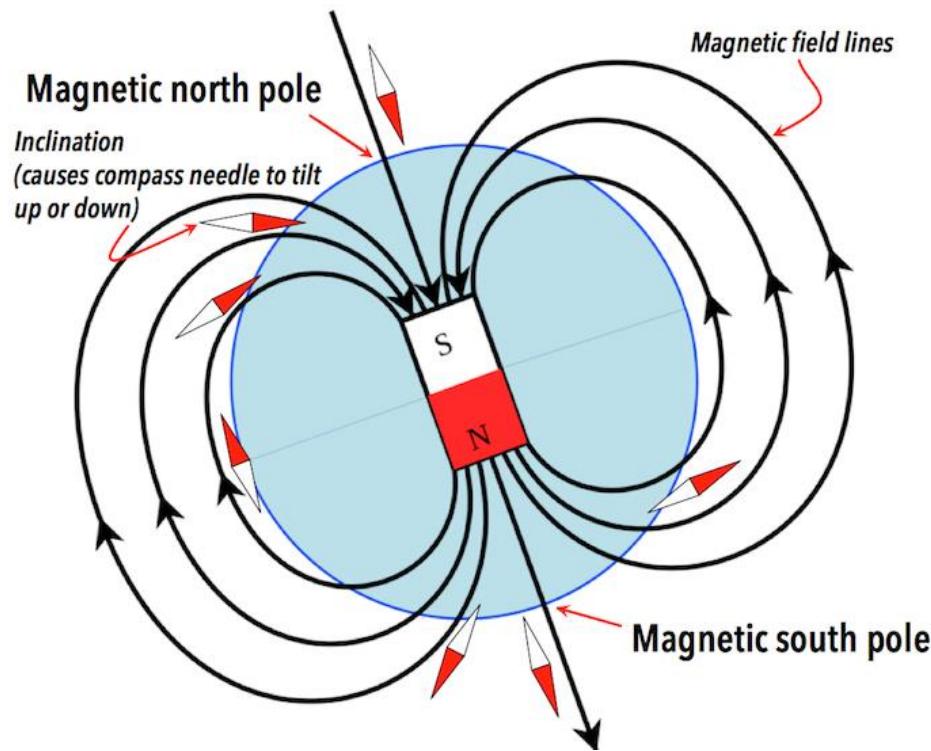


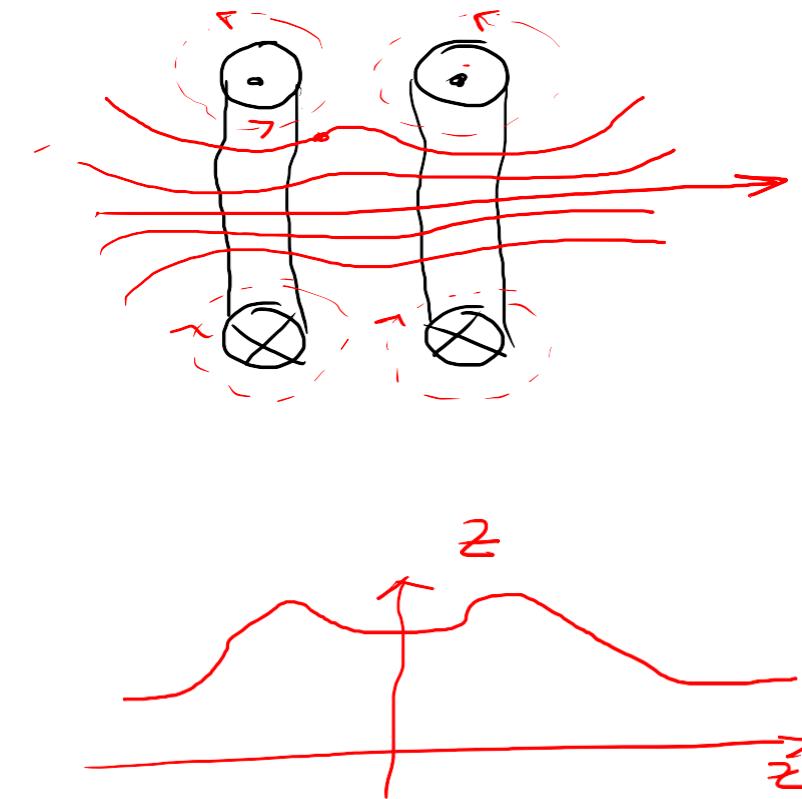
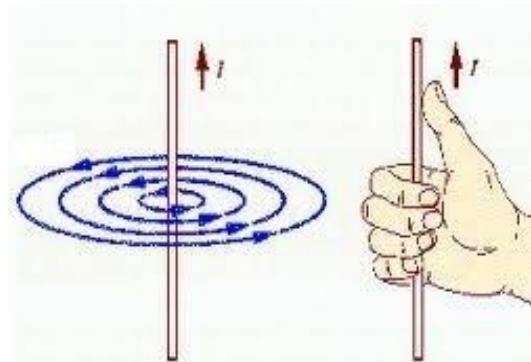
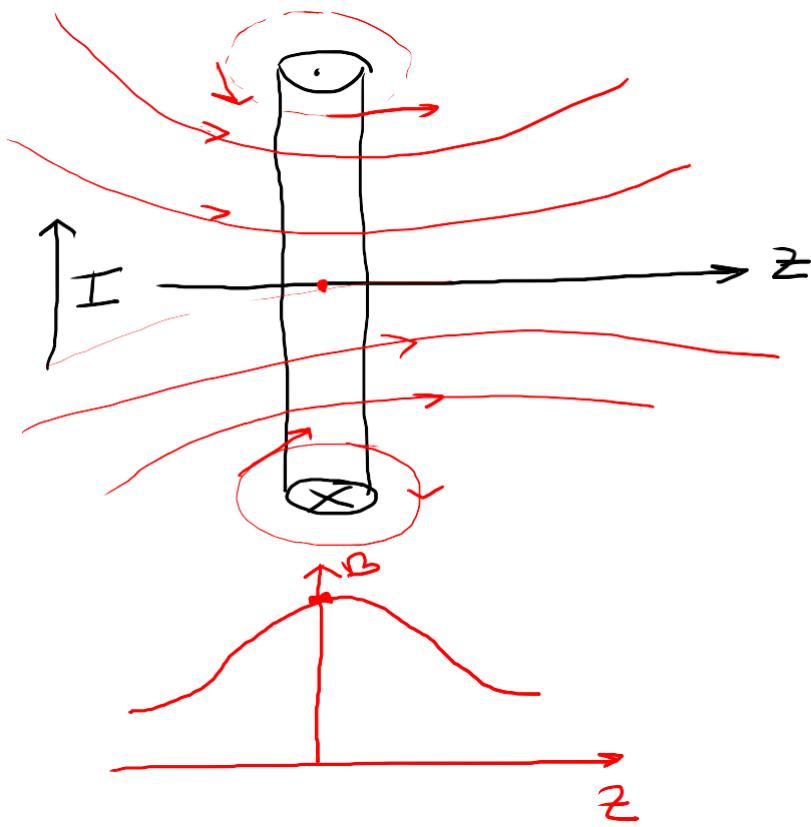
# ИНУЛДЕ ВЕКТОРА МАТ. ЧИДҮҮКҮҮС

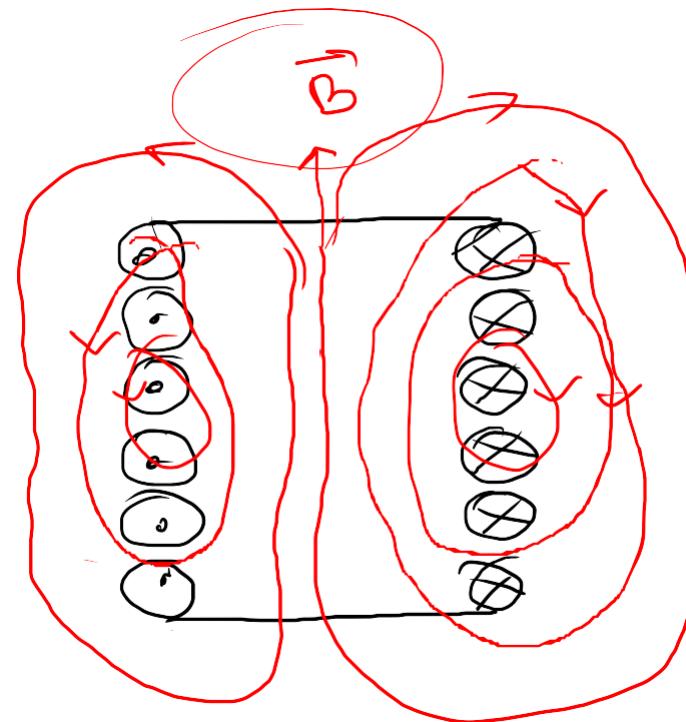
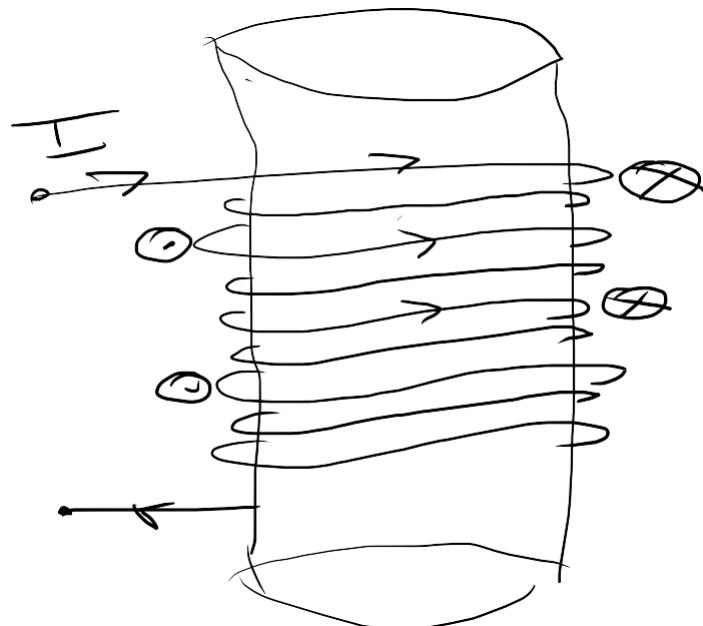


$$\vec{dB} = \frac{\mu_0}{4\pi} \frac{I dl \times \vec{r}_0}{r^2}$$

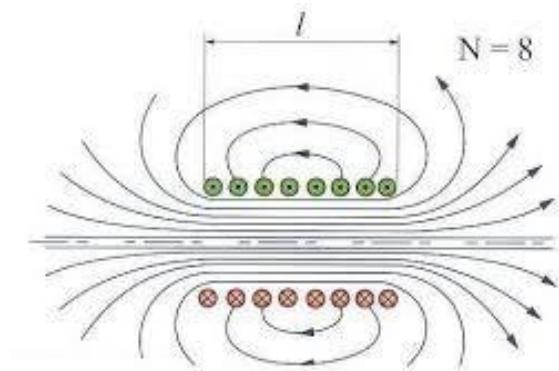






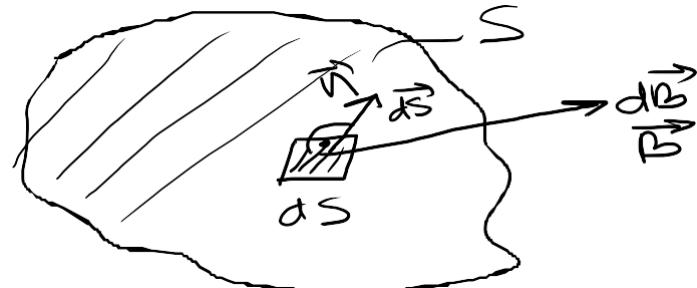


CONTROURS

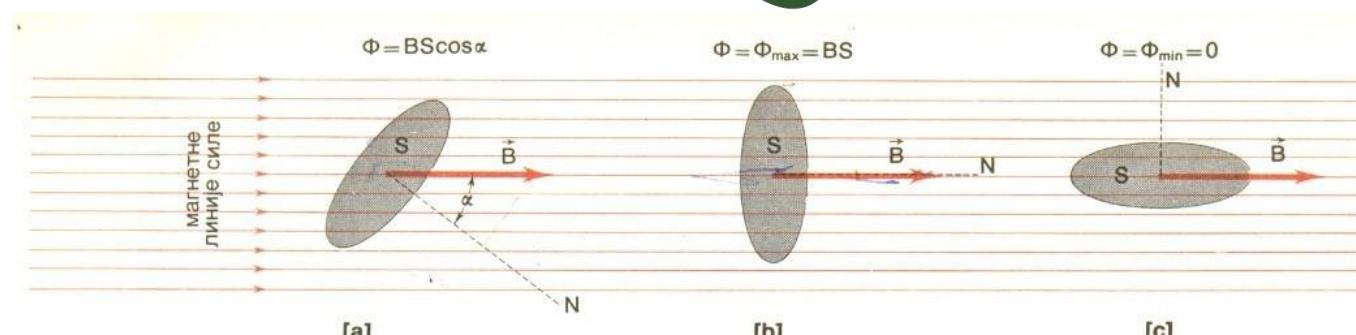
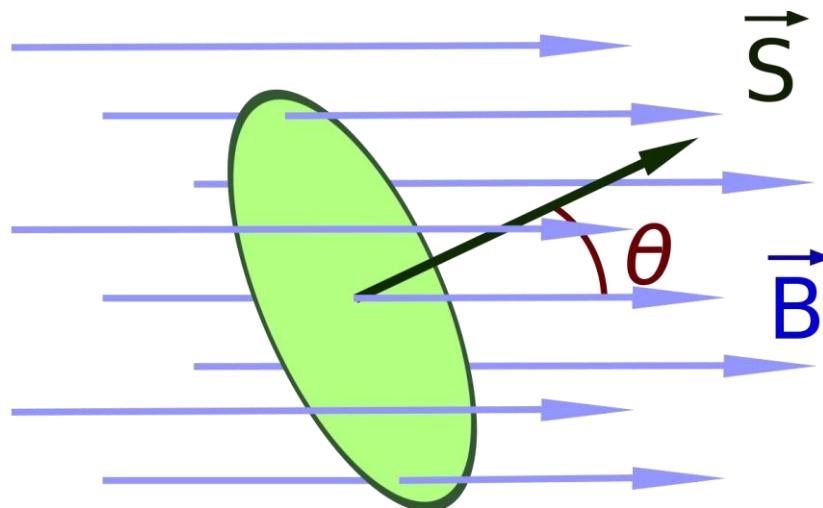


Magnetska indukcija zavojnice (u preseku)

## ФАУНС ВЕКТОРА МАГНИТНОСТИ



$$\Phi = \int_S \vec{B} \cdot d\vec{S} \quad [Tm^2] \quad [WeB]$$



# ЗАКОН ОДНОНАСТІ МАТ. ФІЗИКА

$$\oint_S \vec{B} d\vec{S} = \phi$$

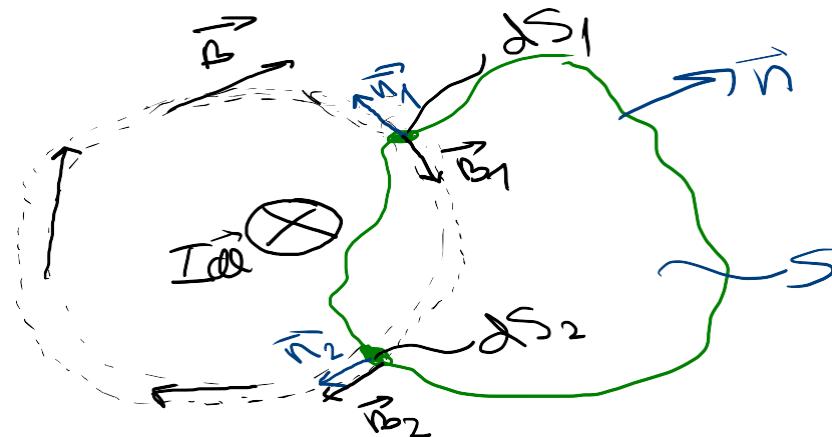
Закон однонасності  
(консервація) в м. фізиці

$$\vec{B} = \int d\vec{B}$$

↑ єдногеометричність структур сполучення

$$\phi = \int d\phi$$

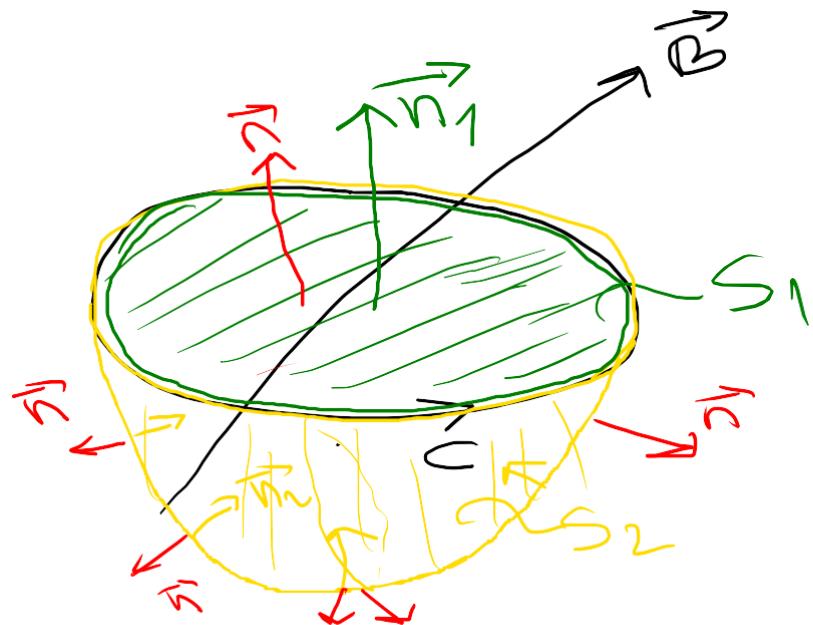
$$|\vec{B}_1| = |\vec{B}_2|$$



$$\vec{B}_2 d\vec{S}_2 = - \vec{B}_1 d\vec{S}_1$$

$$\sum \phi = \phi$$

ФЛУКС КРОЗ КОНТУРЫ - ФЛУКС СРОЗ НОВИХ ОСНОВЕРІЙ  
НД КОНТУРЫ



$S_1 + S_2 = \text{закрите сферу}$

$$\oint_S \vec{B} d\vec{S} = \int_{S_1} \vec{B} d\vec{S} + \int_{S_2} \vec{B} d\vec{S} = \int_{S_1} \vec{B} d\vec{S} - \int_{S_2} \vec{B} d\vec{S}$$



$$\int_S \vec{B} d\vec{S} = \int_{S_1} \vec{B} d\vec{S}$$

$$\phi = \int_S \vec{B} d\vec{S}$$

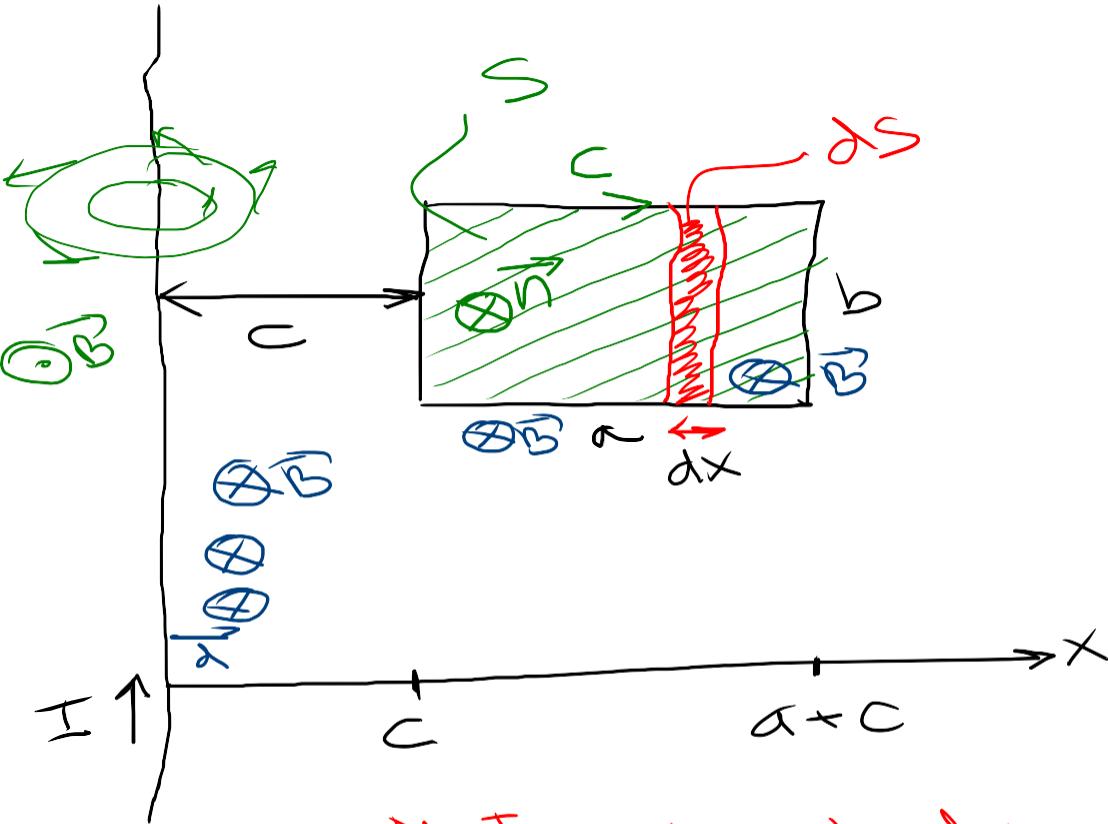
$$\phi_1 = \int_{S_{\text{над}}} \vec{B} d\vec{S}$$

$$\phi_2 = \int_{S_{\text{над}}} \vec{B} d\vec{S}$$

Но  $\phi_1$  и  $\phi_2$  одни и те же  
закономери

$$\phi_1 = \phi_2 \Rightarrow \boxed{\phi_1 = \phi_2}$$

Точки:



$$B = B(x) = \frac{MoI}{2\pi x}$$

$$ds = b \cdot dx$$

$$\phi = \int B \cdot b \cdot dx \cdot \cos \theta = \int \frac{MoI}{2\pi x} b dx = \frac{MoI b}{2\pi} \ln \frac{a+c}{c}$$

Помехи от генераторов с током  $I$ , магнитное поле  $B$ .

$$\phi = \int \vec{B} \cdot \vec{ds} = \int B dS \cos \alpha (\vec{B}, \vec{ds})$$

$S_{\text{маг}}$

$S_{\text{маг}}$

$B$  Магнитное поле  
источника тока  $I$  в  
окрестности

$ds$  единица площади и  
нормаль к ней в направлении  
магнитного поля

$dS = ds \cdot \vec{n}$  единица  
площади  
нормаль к ней  
в направлении  
магнитного поля  $C$

$$B = \frac{MoI}{2\pi d}$$

$d = \text{const}$   $\Rightarrow$  магнитная индукция

$$B = \frac{MoI}{2\pi d}$$

$$B = \frac{MoI}{2\pi d} \cdot \frac{a+c}{c}$$

$$B = \frac{MoI}{2\pi d} \cdot \frac{a+c}{c} \left[ \frac{Wb}{Tm^2} \right]$$