

606-HW3

Joseph Elikishvili

September 27, 2016

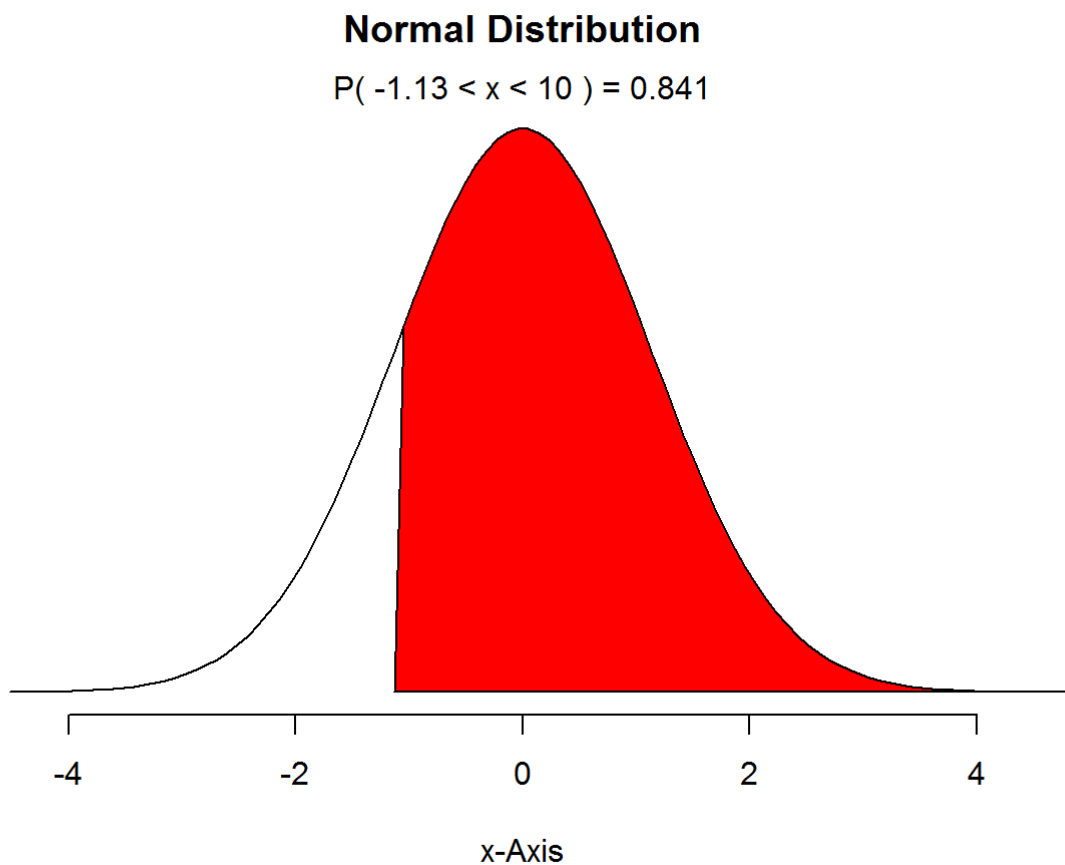
3.2

a. $Z > -1.13$

```
1-pnorm(-1.13)
```

```
## [1] 0.8707619
```

```
normalPlot(sd=1.13, bounds = c(-1.13,10))
```

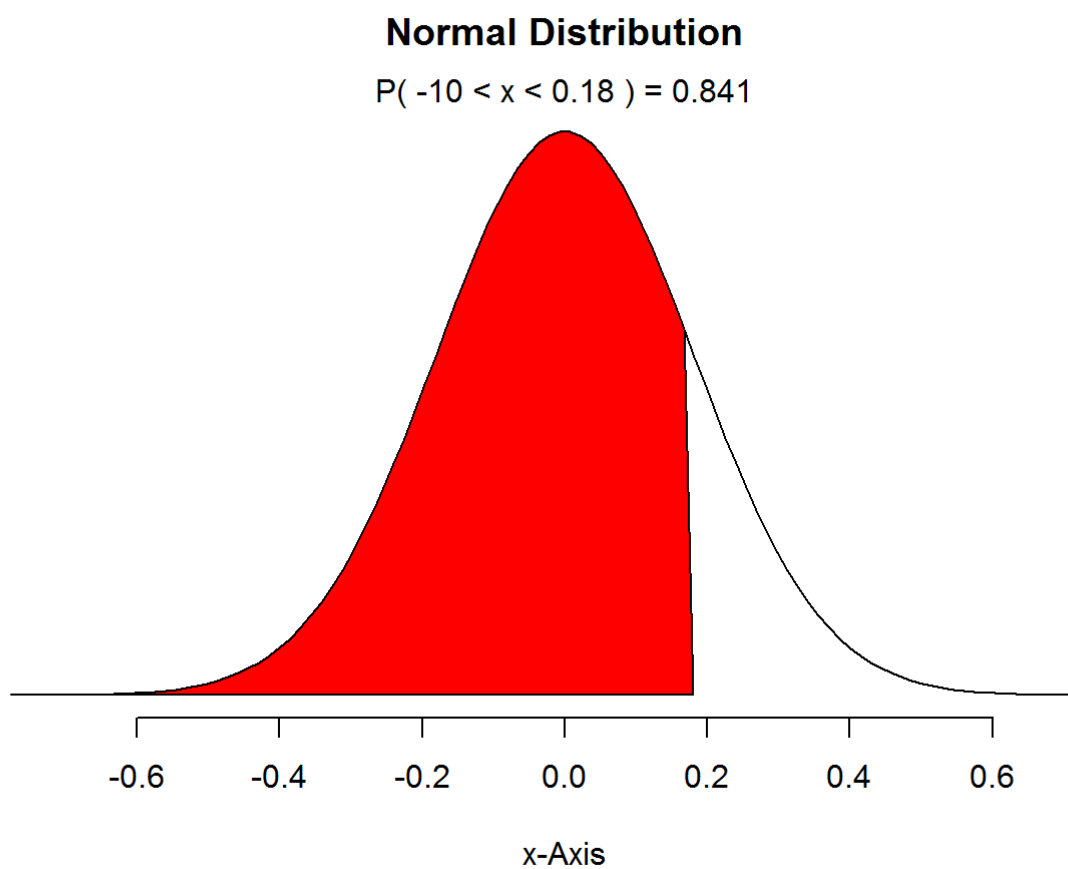


b. $Z < 0.18$

```
pnorm(0.18)
```

```
## [1] 0.5714237
```

```
normalPlot(sd=0.18, bounds = c(-10,0.18))
```



c. $Z > 8$

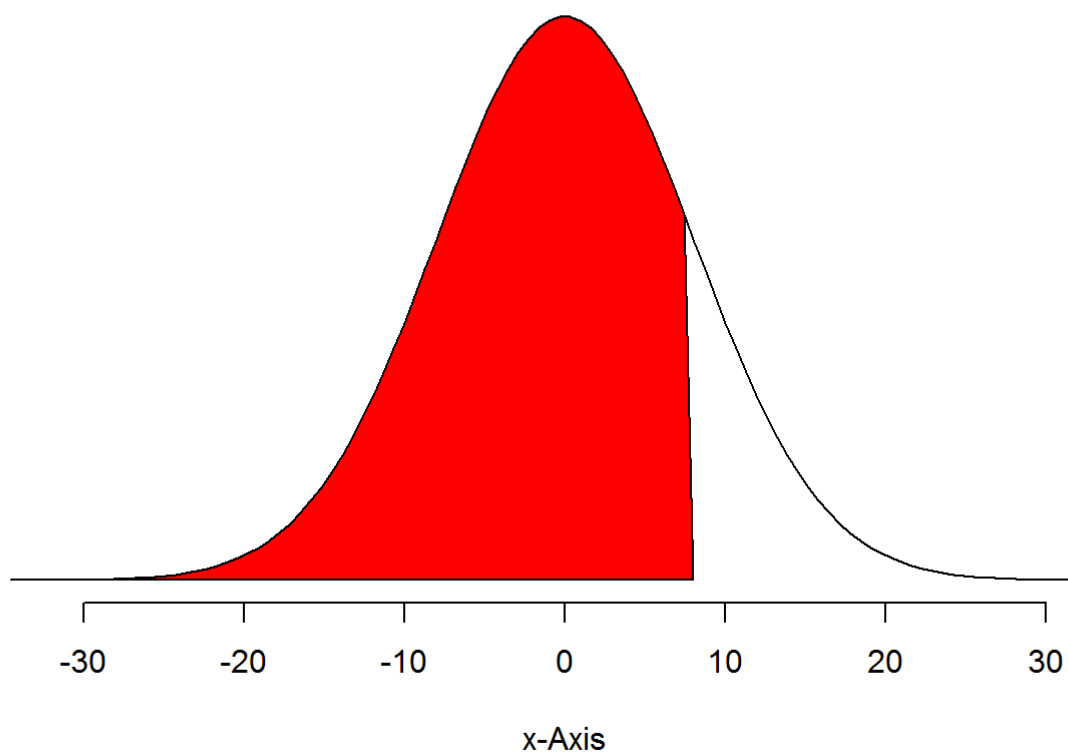
```
pnorm(8)
```

```
## [1] 1
```

```
normalPlot(sd=8, bounds = c(-100,8))
```

Normal Distribution

$$P(-100 < x < 8) = 0.841$$



d. $|Z| < 0.5$

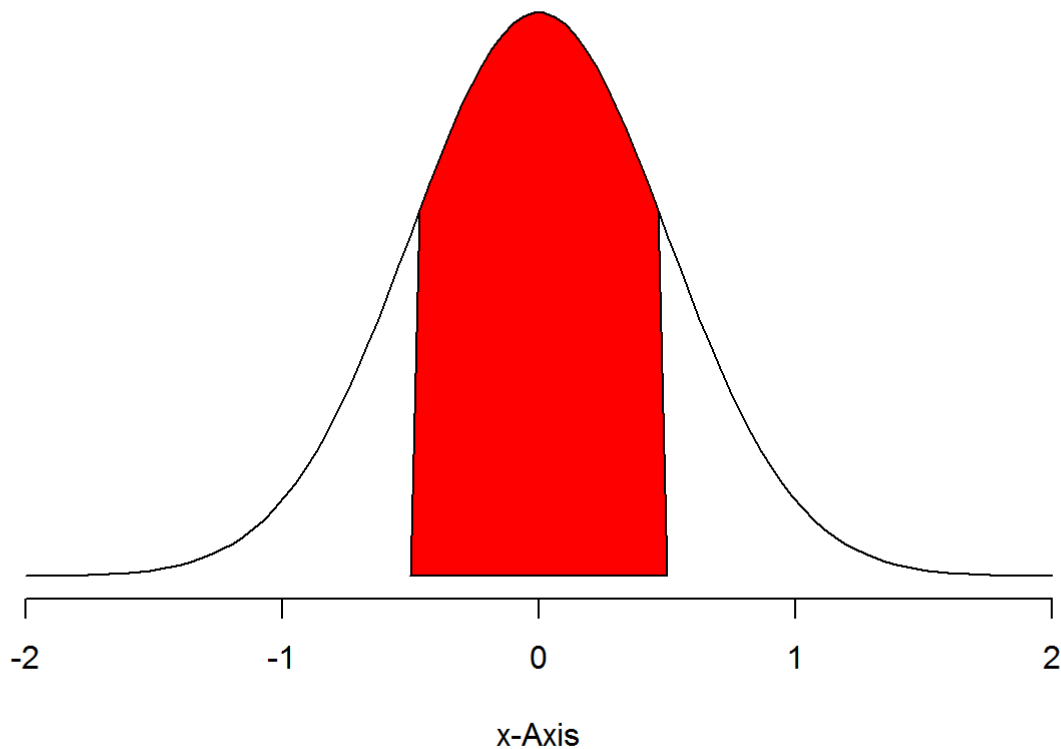
```
(1-pnorm(0.5))*2
```

```
## [1] 0.6170751
```

```
normalPlot(sd=0.5, bounds = c(-0.5,0.5))
```

Normal Distribution

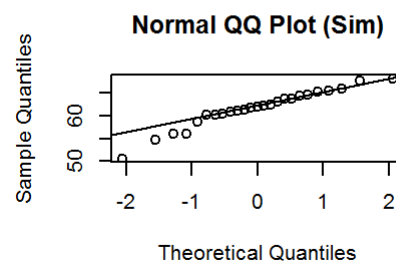
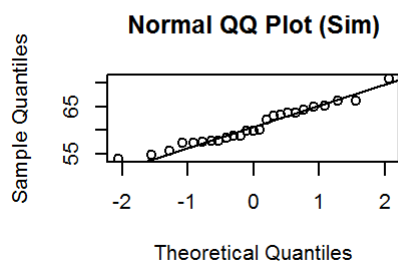
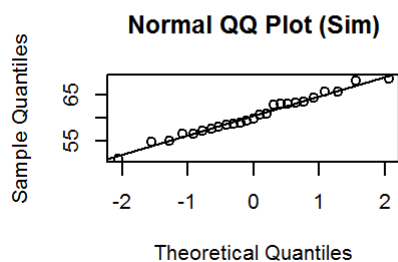
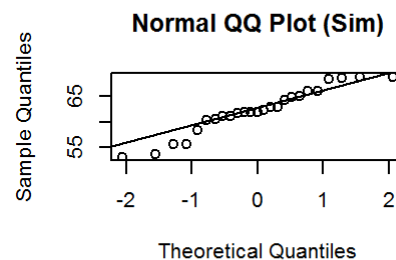
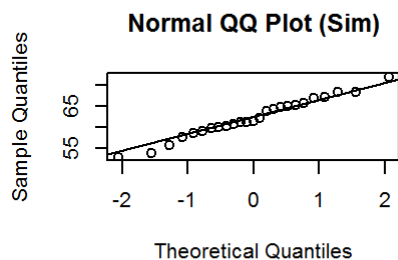
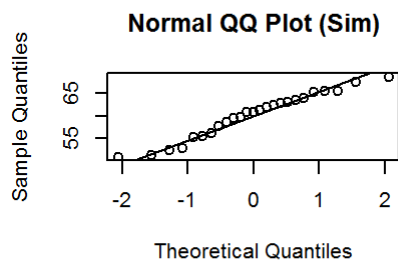
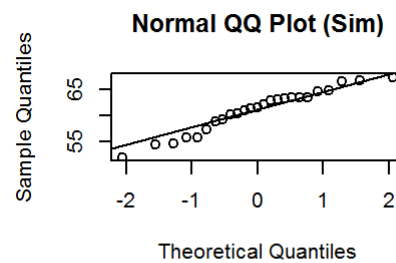
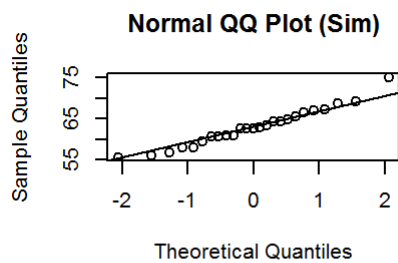
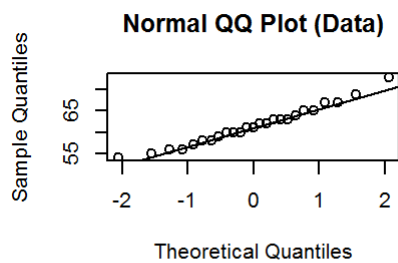
$$P(-0.5 < x < 0.5) = 0.683$$



3.4

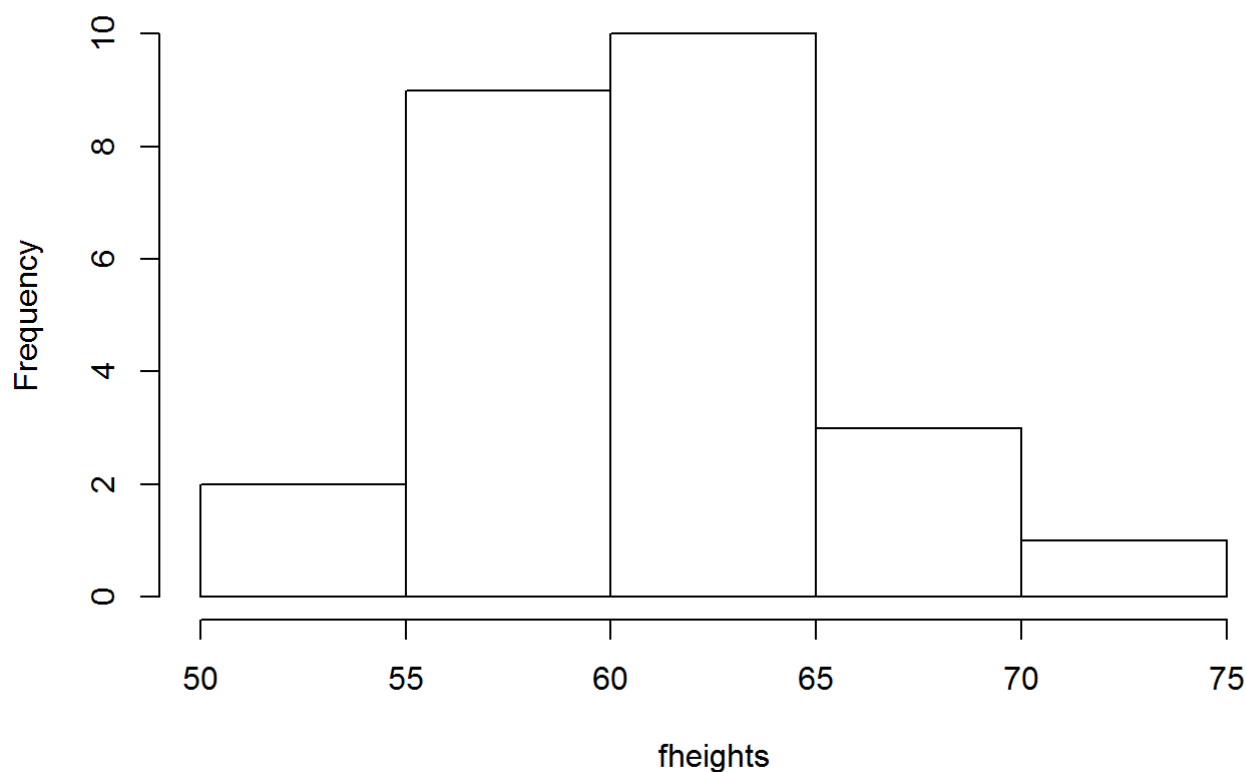
- $N(4313, 583)$, $N(5261, 807)$ b) $(4948 - 4313)/583 = 1.09$, $(5513 - 5261)/807 = 0.312$ This means Leo is 1.09 SD away from mean and Mary is 0.312 SD away from the mean
- Mary ran better in her respective group. Since she is only .312 SD behind the mean and Lary is 1.09 SD behind the mean we can say that she is much closer to the mean of her group than Lary is to the mean of his group.
- $1 - \text{pnorm}(1.09) = 0.1378566$ or 13.8%
- $1 - \text{pnorm}(0.312) = 0.3775$ or 37.8%
- Z scores would change, but the relative performance still would make sense.

```
fheights= c(54, 55, 56, 56, 57, 58, 58, 59, 60, 60, 60, 61, 61, 62, 62, 63, 63, 63, 64, 65, 65, 67, 67, 69, 73)
qqnormsim(fheights)
```



```
hist(fheights)
```

Histogram of fheights



3.18

- 1SD range = $61.52 + 4.58 = 66.1$ and 56.94 and covers heights 5-21 or 17 out of 25 or 68%. Which is exactly a 1SD range 2SD range = $61.52 + 24.58 = 70.68$ and $61.52 - 24.58 = 52.36$ and covers 1-24 heights or 24 out of 25 or 96% which is also pretty close to required 95% 3SD range = we can tell from above calculations that it covers all 100% if we add once more SD to the above ranges. heights approximately do follow the the rule SD rule.
- Based on qqnormsim and histogram we can say that data is approximately normally distributed.

3.22

- $.98^{**9} \cdot .02 = 0.017$
- $.98^{**100} = 0.133$
- $1/.02 = 50$ $sd = \sqrt{.98/ (.02^{**2})} = 49.5$
- $1/.05 = 20$ $sd = \sqrt{.95/ (.05^{**2})} = 19.5$
- Wait time drops.

3.38

- $\text{dbinom}(2, \text{size}=3, \text{prob}=.51) = 0.38$
- All combinations: GGG, BGG, GBG, GGB, BBG, BGB, GBB, BBB All 2Boy combinations: BBG, BGB, GBB $3(.51.49 \cdot .51) = 0.38$
- Instead of manually looking for every possible combination choose $\text{choose}(8,3) = 56$ and then calculating probabilities and adding them up, we simply plug into 1 formula and get the final answer.

3.42

- a. $\text{dbinom}(3, \text{size}=10, \text{prob}=0.15) = 0.1298337 \sim 0.13$
- b. 0.15
- c. $\text{dnbinom}(10, 3, 0.15) = 0.04385377 \sim 0.44$