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```
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% MAE 231 - HW6.1
% 02/25/15
```

```
clear all
close all
clc
```

Problem 1:

In order to understand the effect of damping in design, develop some sense of how the response changes with the damping ratio by plotting the response of a single-degree-of-freedom system for a fixed amplitude, frequency, and phase, as ζ changes through a set of values between -1 and 1. Choose a set of 11 values in that range, and plot the response of a system with general solution: $x(t) = e^{-\zeta t} \sin(7t\sqrt{1-\zeta^2})$ for each value of zeta. This can be done on the same figure, as long as the distinctive behavior of each response is distinguishable. If not, use a few figures.

Find: Find 11 responses for $-1 \leq \zeta \leq 1$

Calculations

```
x = @(time, zeta) exp(-7 .* zeta .* time) .* sin(7 .* time...
    .* sqrt(1 - zeta .^ 2));

time      = linspace(0, 5, 100);
zeta      = linspace(-1, 1, 11);
indexZeta = find(zeta > 0);
strZeta   = {'\zeta = 0.2', '\zeta = 0.4', '\zeta = 0.6', '\zeta = 0.8',...
    '\zeta = 1'};

for n = [1 : length(zeta)]

    if zeta(n) <= 0
        figure(n)
        hold on
        title(strcat('Response of $$ x(t) = e^{-7\zeta t} \sin(7t\sqrt{1 - \zeta^2}), \ \ \zeta = $$',
            ...
                num2str(zeta(n))), 'Interpreter', 'latex')

    else
        figure(100)
        hold on
        title('Response of $$ x(t) = e^{-7\zeta t} \sin(7t\sqrt{1 - \zeta^2}), \ \ \zeta > 0 $$',...
            'Interpreter', 'latex')

    end

    plot(time, x(time, zeta(n)), 'color', rand(1, 3))
```

```
xlabel('Time, t [s]')  
ylabel('Displacement, x(t) [m]')
```

```
end
```

```
figure(100)  
legend(strZeta)
```









