

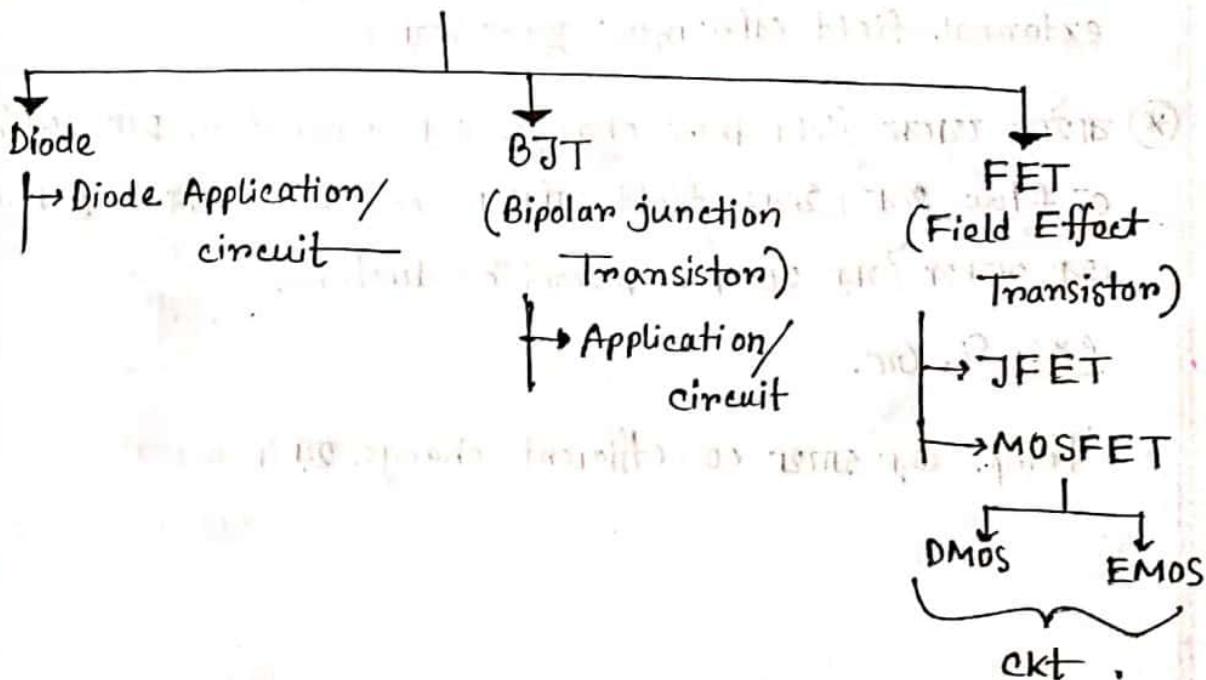
Electronics Circuit course

teacher:- Tanvir Sir

* Basic knowledge:-

1. Knowing voltage and current source
2. Dependent and independent source
3. Ohm's Law \rightarrow (temp. mandatory), KVL, KCL
4. Network Theorem:- Nonton's, Thevenin's.
5. Nodal, Mesh
6. Impedance \rightarrow resistance, inductance, capacitance

* Semiconductor Physics



Semi conductor materials:-

e⁻ ପାଇଁ flow current ଏବଂ flow-ବ୍ୟକ୍ତିରେ
 ↗ natural current.

* Flow of charge (current):-

1. Conductor

2. Insulator

3. Semi conductor

* External field apply କାହାରେ huge amount ଏବଂ 6V flow
 ସବୁ → conductor. ex:- Cu, Al.

* 220V ଏବଂ plastic ଲାଲା ନାହିଁ।

* ପାଥ୍ର ମାର୍ବିଜ୍ ଟାଙ୍କ୍ ଏବଂ flow ସବୁ ନାହିଁ → insulator.

ex:- Mica, wood, plastic.

external field କାହାରେ କୁଣ୍ଡଳ ଥାଏ ନାହିଁ।

* ବାଈବେ ଏକାରେ field କିମ୍ବା change ଏବଂ generation କାହାରେ ଘଟିଯିବା,
 e⁻ flow କାହାରେ । ଯଥିରେ field ମାର୍ବିଯିବାକେବା ସବୁ- ଉଦ୍‌ଯତ e⁻ ୩ hole
 ଏବଂ ଅବତା ହେବା । → semi conductor.

ex:- Si, Ge.

Temp. ଏବଂ ମାତ୍ରାର co-efficient change କାହାରେ ।

* Conductor \rightarrow T वाढ़ाले तेज़ी से resistivity वाढ़ाता; conductivity कम होता। T \uparrow \downarrow R \uparrow . (+)ve temp. co-efficient)

+ वाढ़ाले resistivity कम होता; conductivity वाढ़ाता। T \uparrow \uparrow R \downarrow (-)ve temp. co-efficient).

* Resistivity : $\rho = \frac{1}{\sigma} \rightarrow$ conductivity

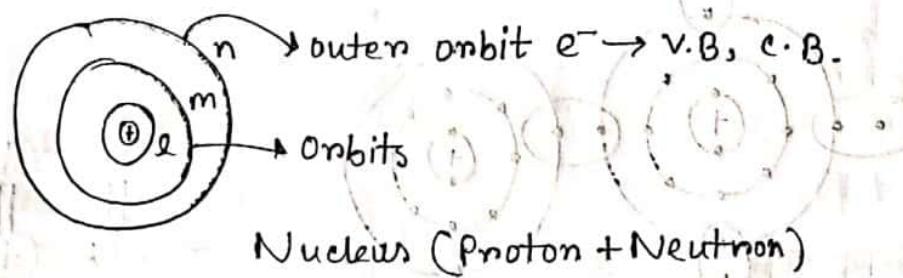
* Conductor : $10^{-6} \Omega\text{-cm}$ for copper's resistivity,

$$R = \rho \frac{L}{A}$$

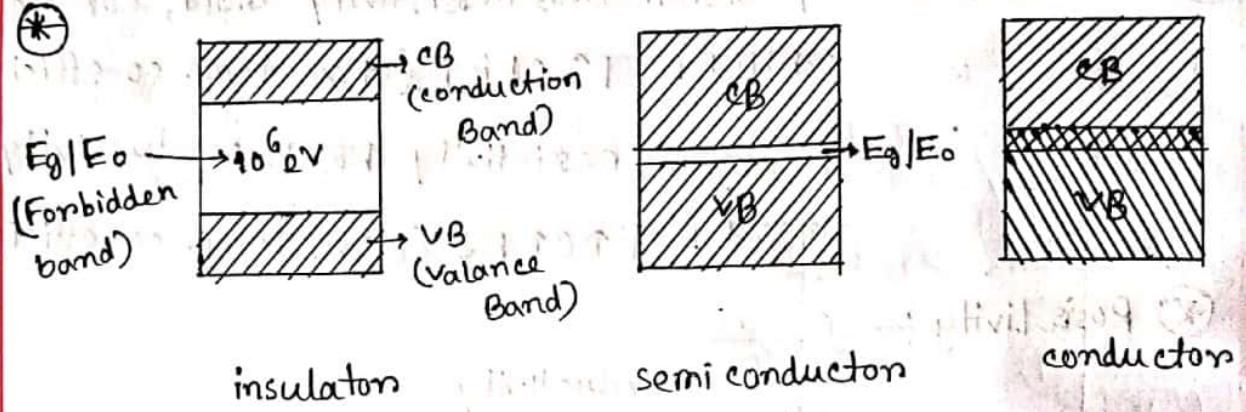
$$\therefore \rho = \frac{RA}{L} = \frac{\Omega \cdot m^2}{m} = \Omega \cdot m$$

* Insulator : $10^{12} \Omega\text{-cm}$ for Mica's resistivity.

* Semiconductor : Resistivity of Si $\rightarrow 50 \times 10^3 \Omega\text{-cm}$.
 " Ge $\rightarrow 50 \Omega\text{-cm}$.



* outer shell nucleus घरें बढ़ाते हैं तो उनकी resistivity निम्न होती है।



$$1.6 \times 10^{-19} \text{ J} = 1 \text{ eV}$$

$$\text{Si } \rightarrow E_g \rightarrow 1.16 \text{ eV}$$

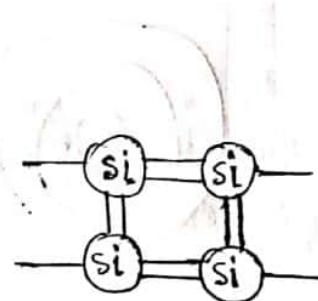
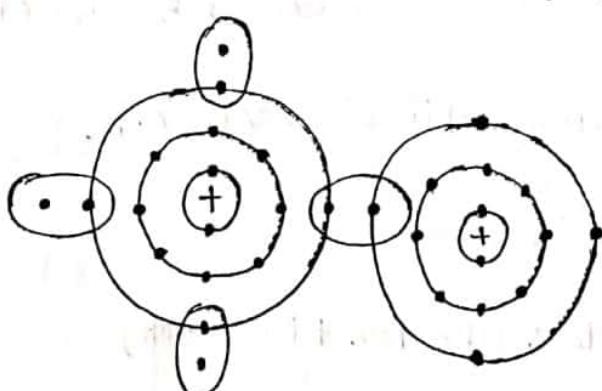
$$\text{Ge } \rightarrow E_g \rightarrow 0.75 \text{ eV}$$

$\text{Si}_{14} \rightarrow 2, 8, 4 \rightarrow$ covalent bond

ଏହି e^- ଫିଲ୍ଡ ନିଯମ $\text{Ar}_{18} \rightarrow e^-$

$\text{Ge}_{32} \rightarrow 2, 8, 18, 4$
ଏହି e^- ଫିଲ୍ଡ ନିଯମ କରାଯାଇଛି। Si crystal /
lattice ରୂପାବଳୀ ଥାଏଇ।

ଏହି e^- ଫିଲ୍ଡ Kr_{36} ମଧ୍ୟ e^- ରୁକ୍ଷରୁ ଲାଗୁ କରାଯାଇଛି,



Ge

silicon lattice
on crystal

* Semiconductor:-

(1) Intrinsic:- (Pure)

- i. They are the pure semi-conductors
- ii. Free e^- s are due to natural causes. (Light, heat).
concentration of free e^- = concentration of holes.

(2) Extrinsic:- (Impure)

- i. Impurity atoms are added
- ii. Two types of impurity are there → trivalent impurity
→ pentavalent "
- iii. Added 1 part in 10 million
- iv. Process of added impurity called doping

Group-3

B

Al

Ga

In

Group-4

Si

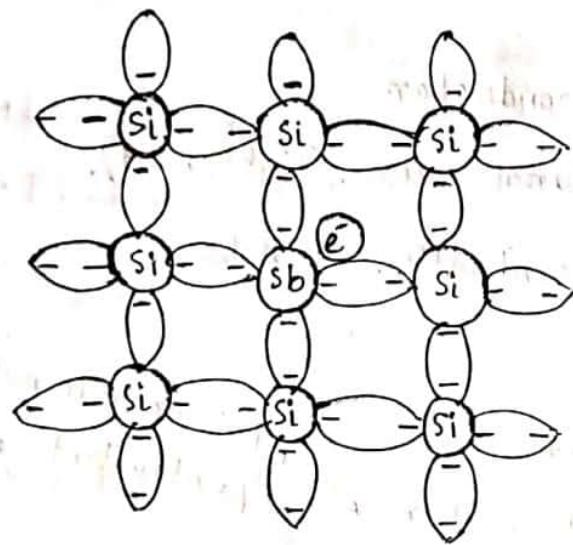
Group-5

Antimony, Sb, As.

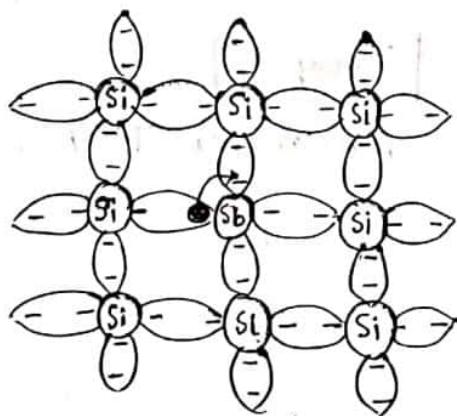
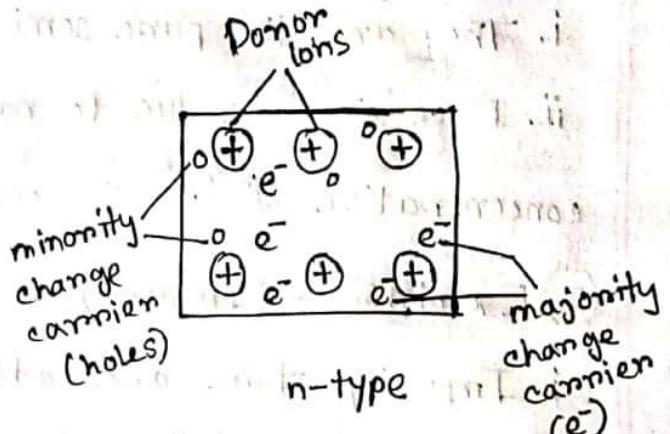
Group-3

* Extrinsic semiconductor:-

1. n-type → pentavalent
2. p-type → trivalent atom जूहे extrinsic impure material में add होते रखते होते p-type.

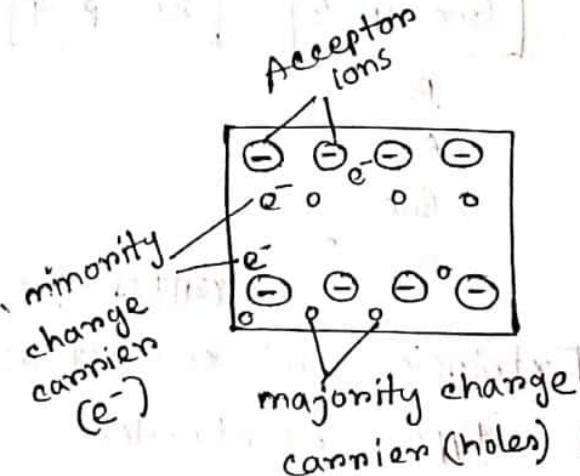


n-type

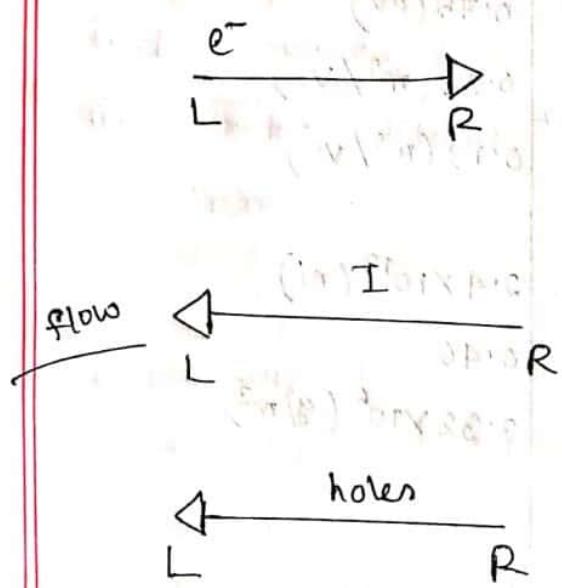


p-type

holes transportation
holes



* Electron vs. hole flow; no flow is the difference



[convention of Rule of
current]

08.07.19

Monday

Properties of Si and Ge at 30°C:

	Si	Ge
• Energy gap	1.16	0.75 (eV)
• Electron Mobility	0.135	0.39 (m^2/Vs)
• Hole mobility	0.048	0.19 (m^2/Vs)
• Intrinsic carrier density	1.5×10^{16}	$2.4 \times 10^{19} (\text{ni})$
• Intrinsic resistivity	2300	0.46
• Density	2.33×10^6	$3.32 \times 10^6 (\text{g}/\text{m}^3)$

* Mass Action Law:-

Under thermal equilibrium product of free e^- concentration and free hole concentration is a constant and which is equal to square of intrinsic carrier concentration.

$$n = p = n_i \rightarrow \text{hole conc and } e^- \text{ conc same}$$

$n = p = n_i$ \rightarrow Intrinsic semi conductor

After doping, $np = n_i^2$

Proof:-

As giving thermal energy,

$$\text{Generation} = G_c$$

$$\text{Recombination} = R$$

$$R \propto n$$

$$R \propto p$$

$$R \propto np$$

$$\Rightarrow R = npP$$

constant proportionality

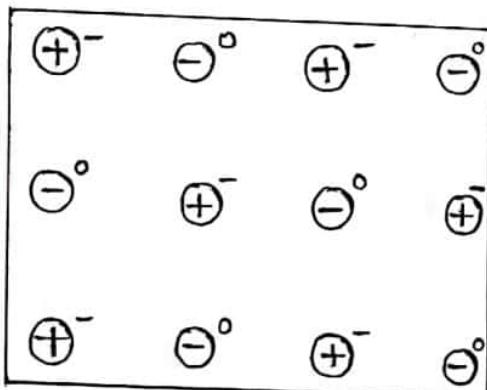
$$G_c = r n i^2$$



At thermal equilibrium, $G_c = R$

$$\therefore np = ni^2$$

Change carrier density:-



N_D = Concentration of Donor atom

N_A = Concentration of Acceptor ..

n = Conc of e^-

p = Conc of hole

Total (+)ve charge in this piece of material = $N_D + p$

Total (-)ve charge = $N_A + n$

at equilibrium / electrical neutral, $N_D + P = N_A + n$

Case-1:- n type.

$$N_A = 0 \rightarrow \text{cz naurz- ion, } e^- \text{ accept}$$

$$N_D + P = n$$

$$N_D = n - P$$

Hence, $n > P$

$$\therefore N_D \approx n$$

$$\therefore n_n \approx N_D$$

→ n-type

Again, according to MAL, \rightarrow Mass Action Law

$$np = n^2$$

$$\Rightarrow n_n P_n = n^2$$

$$\Rightarrow P_n = \frac{n^2}{N_D} \rightarrow \text{hole concentration}$$

Case-2:- p type

$$N_D = 0$$

$$N_A + n = P$$

$$\Rightarrow N_A = P - n$$

$$P \gg n$$

$$\therefore N_A \approx P$$

$$\therefore P_p \approx N_A$$

according to M&L,

$$n_p = n_i^2$$

$$\Rightarrow n_p p_p = n_i^2$$

$$\therefore n_p = \frac{n_i^2}{p_p}$$

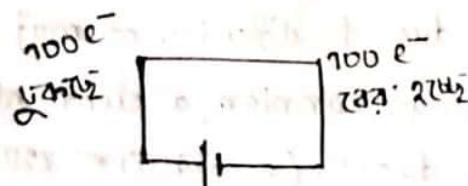
$$\Rightarrow n_p = \frac{n_i^2}{N_A}$$

extrinsic material,

$$G_L \propto n_i^2$$

$$R \propto n_p$$

$$\therefore n_p = n_i^2$$

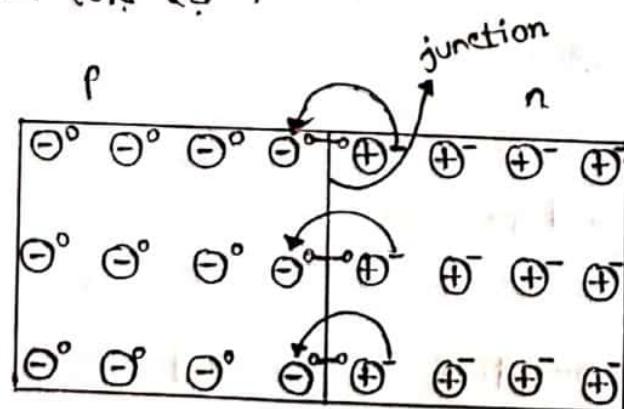


electrical neutrality



અંત્ર- પરિષ્કાર- e^- દુલો, એન્ટ્રી-
પરિષ્કાર- e^- રાસી હોય.

★ Ptype material વડો ntype material કે જોડું નિલ.
p-n junction તૈયાર હોય.



Indium 500°C
n-type
Gre-slab



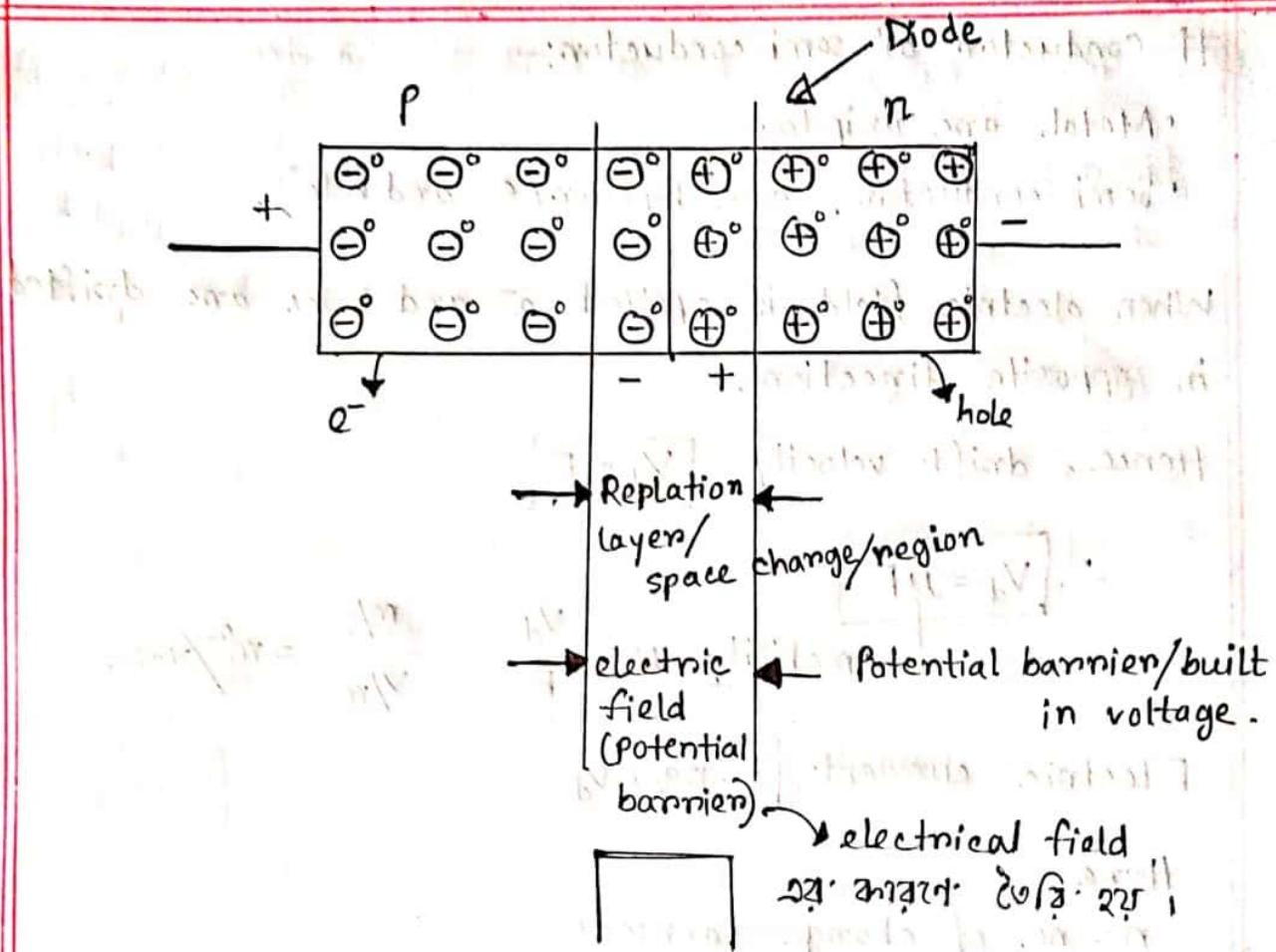
p-type
Indium
500°C n-type
Gre-slab

n-type Gre-slab 500°C
heat करा दें, तो लिप्ति हो जाएगी।
यह त्रिवल्युट माटेरियल है।
Indium add करा दें। Then
प्रिन्सिप अनुसार 225° से पर्याप्त है।
Indium लें।

diffusion current:-

* due to diffusion of majority
charge carriers, a current
produces. (e^- अधिकारी द्वारा
वितरण द्वारा उत्पन्न)

I_{diff} = Due to majority charge carriers.



I_{drift} = Due to minority carriers.

* at steady state condition,

$$I_{diff} = I_{drift}$$

∴ net current = 0.

* (+)ve p പാർപ്പിത, (-)ve n പാർപ്പിത \rightarrow ഫോർവ്വ്-ബൈസ്
(forward bias)

* (-)ve p പാർപ്പിത, (+)ve n പാർപ്പിത \rightarrow ഫീന്റ്-ബൈസ്
എൻബൈസ് \rightarrow reverse bias.

10.07.19
Wednesday

Conductors of semiconductors:-

- Metals are unipolar
- Semiconductors are bipolar (e^- and hole).

When electric field is applied, e^- and holes are drifted in opposite direction.

Hence, drift velocity, $V_d \propto E$

$$\therefore V_d = \mu E$$

$$\text{mobility, } \mu = \frac{V_d}{E} = \frac{\text{m/s}}{\text{V/m}} = \text{m}^2/\text{V-s}$$

Electric current, $i = nqAV_d$

Hence,

n = no. of charge carriers

q = charge of e^-

A = Cross sectional Area

V_d = Drift velocity

Now, charge density, $J = \frac{i}{A}$

$$= \frac{nqAV_d}{A}$$

$$= nqV_d$$

$$= \underbrace{nq\mu E}_{J}$$

σ

ohm's Law

$$\therefore J = \sigma E$$

$$\sigma = nq\mu$$

Again, mobility $\propto \frac{1}{\text{effective mass}}$

$$\mu \propto \frac{1}{EM}$$

Effective mass of hole \gg Effective mass of e^-

$$\therefore \mu_n \gg \mu_p$$

$$\therefore J = (n\mu_n + p\mu_p) qE$$

$$\therefore \sigma = (n\mu_n + p\mu_p) \sigma$$

conductivity of semi conductor material

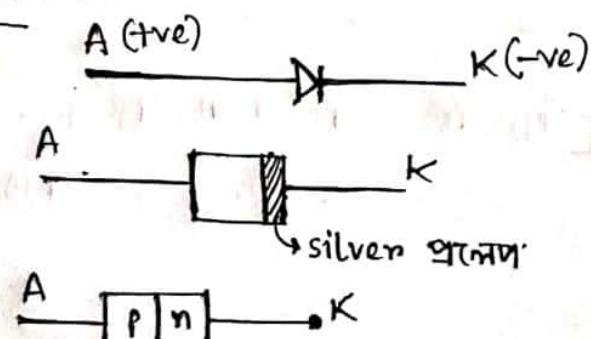
Diode:-

- a p-n junction
- bipolar device

bipolar $\rightarrow e^-$ & hole movement

etc.

Symbol:-



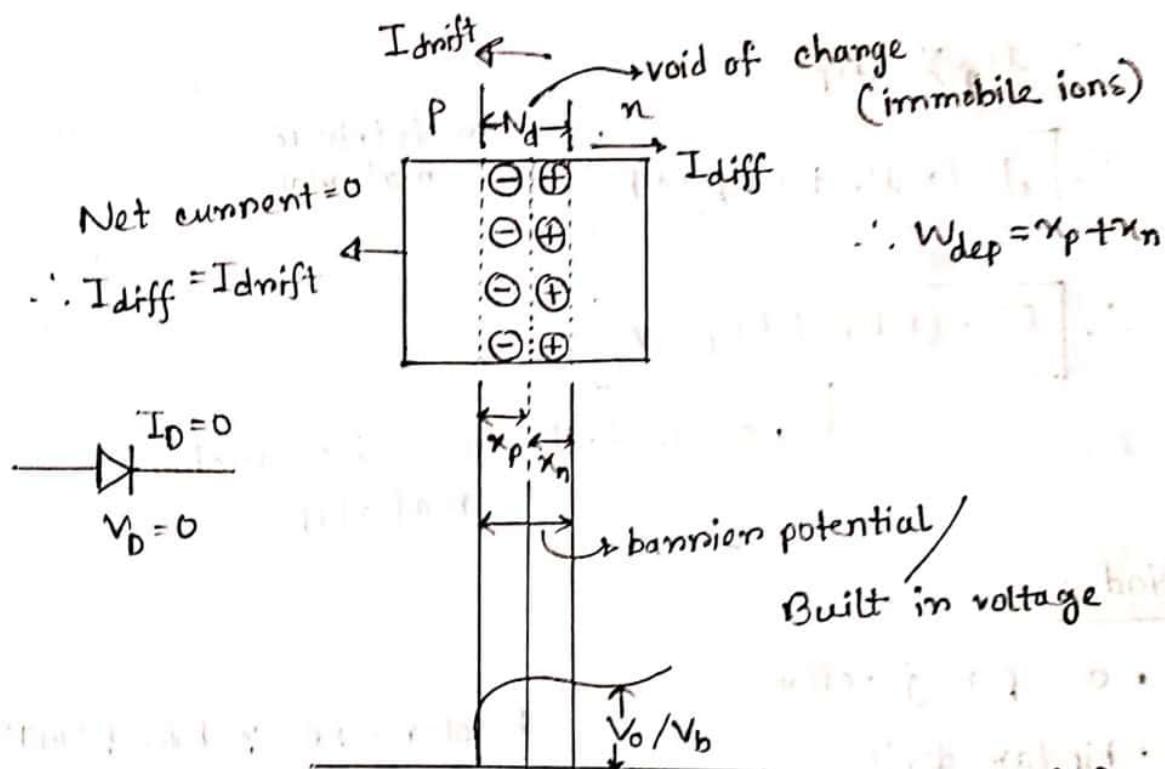
Ex:- LED, Photo diode etc.

① Biasing:- Applying external field to a device.

biasing conditions,

- i. no applied bias
- ii. reverse bias (RB)
- iii. forward bias (FB)

No applied bias:-



$$\begin{aligned}V_0 &= 0.7 \text{ V (Si)} \\&= 0.3 \text{ V (Ge)}\end{aligned}$$

Built-in voltage:-

$$V_0 = V_T \ln \left(\frac{N_A N_D}{n i^2} \right)$$

where,
 V_0 = Built-in voltage
 V_T = Thermal voltage

V_T is constant if $T = \frac{kT}{q}$ then $V_T = kT/q$.

k = Boltzmann constant = 1.38×10^{-23} J/Kelvin

T = Temperature at 300K.

$q = e^-$ charge = 1.6×10^{-19} C

$V_T \approx 26 \text{ mV} \approx 25 \text{ mV}$

N_A = conc of acceptor atom

N_D = conc of donor atom

$n i^2$ = conc of intrinsic Si (hole and e^-).

$$\therefore q n x_p A N_A = q n x_n A N_D$$

$$\Rightarrow \frac{x_n}{x_p} = \frac{N_A}{N_D} \quad \rightarrow \text{normal temp. and at equilibrium.}$$

$$W_{dep} = x_n + x_p$$

$$W_{dep} = \sqrt{\frac{2\epsilon_s}{q} \left(\frac{1}{N_A} + \frac{1}{N_D} \right) V_0} \quad \rightarrow \text{built-in voltage}$$

$$\epsilon_s = \text{permittivity of Si} = 11.76 \epsilon_0$$

$$\approx 1.04 * 10^{-12} \text{ F/cm}$$

$$\epsilon_0 = 8.854 * 10^{-12} \text{ F/m}$$

- Typically, $w_{\text{dep}} = 0.1$ to $1 \mu\text{m}$; for Si.

yellow m. Hii

yellow m. Hii

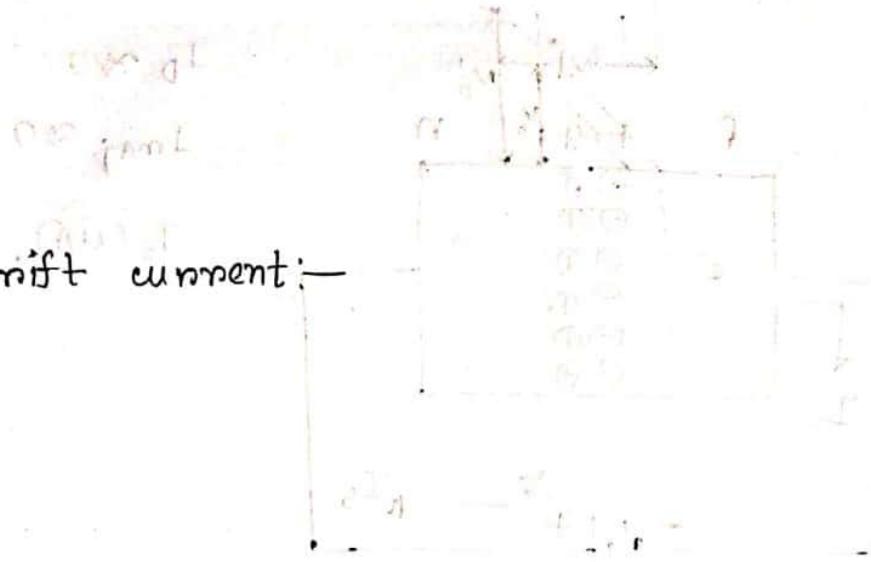
(M) (V) (V) (V)



14.07.19

Sunday

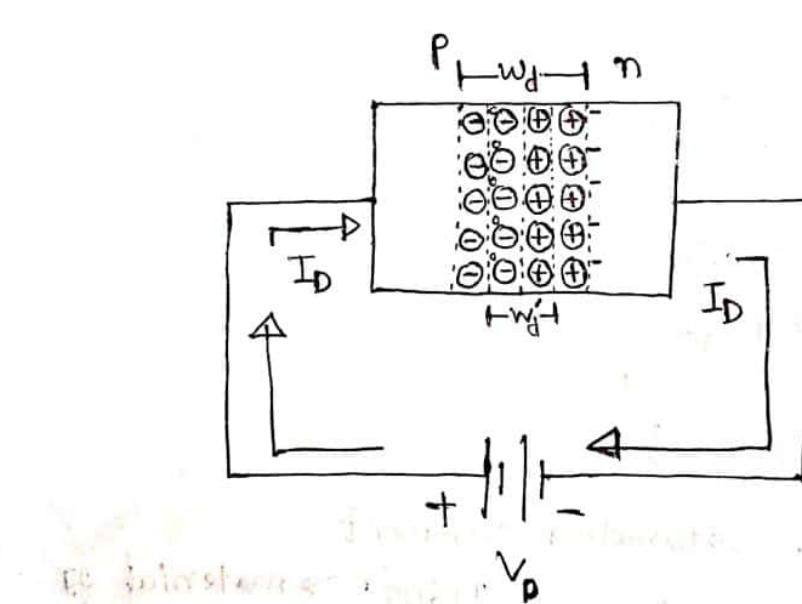
Diffusion Current:-



Drift current:-

Forward Bias:-

PN junction diode forward biased.



$$V_D = 0$$

$$V_b = 0.7V$$

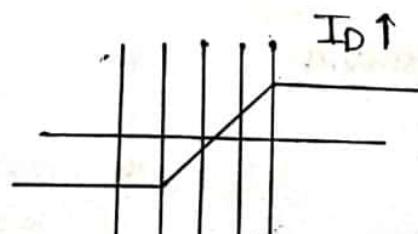
$$V_D = 0.7V$$

New built-in voltage,
 $= V_b - V_D$

$$= 0$$

$$I_D = I_{maj} - I_s$$

depend
on temp.



$$V_D = 0$$

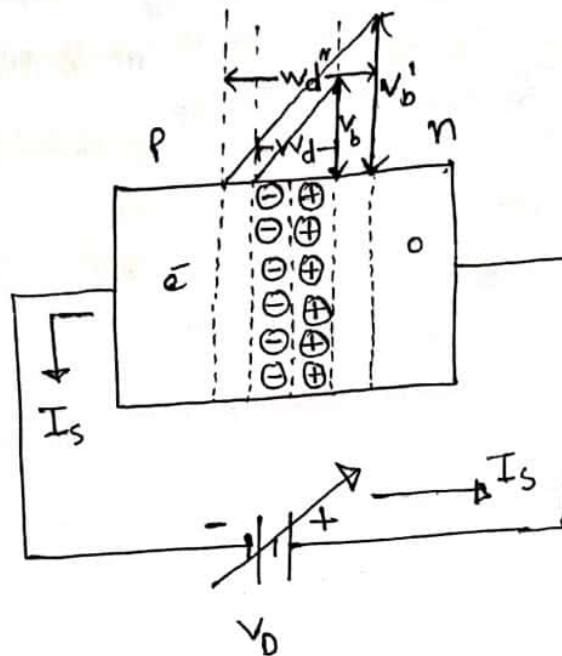
$$V_D > 0$$

$$w_d > w_D$$

↓
no applied.

CL-701

Reverse Bias:-



$$I_D \approx 0$$

$$I_{mag} \approx 0$$

$$I_S (\mu A)$$

$$w_{d_{nb}} > w_{d_{nobias}} > w_{d_{forward\ bias}}$$

↓
reverse bias

$$V_{b_{nf}} > V_{b_{nobias}} > V_{b_{fb}}$$

Diode current voltage relation! -

$$I_D = I_S (e^{KVD/T_K} - 1)$$

I_D = Diode current

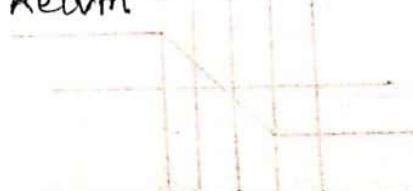
I_S = Reverse saturated current

K = Boltzmann constant = $\frac{1.16 \times 10^{-19}}{n}$ material dep. conc. dep. depend area.

V_D = Voltage across diode

T_K = Temp. in Kelvin

$$V_T = \frac{kT}{qV}$$



Hence, $\eta = 1$ and 2

= ideality factor

$$\begin{aligned}\eta &= 1 \text{ for Ge} \\ &= 2 \text{ for Si}\end{aligned}\quad] \quad I_D \downarrow$$

$$\eta = 1 \text{ for Ge and Si} \quad] \quad I_D \uparrow$$

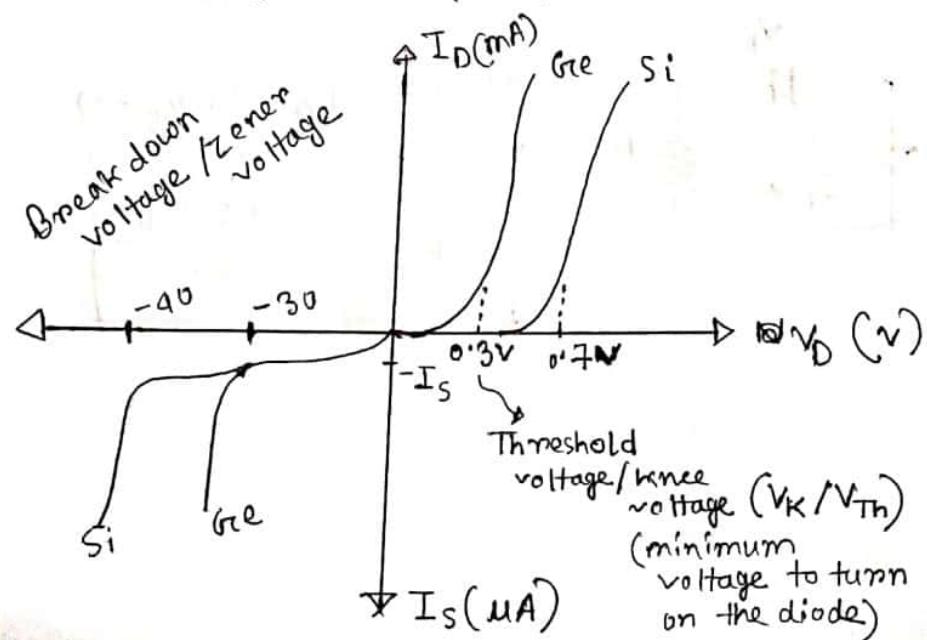
$$V_T = \frac{T_K}{11600}$$

$$= \frac{T_K}{k\eta}$$

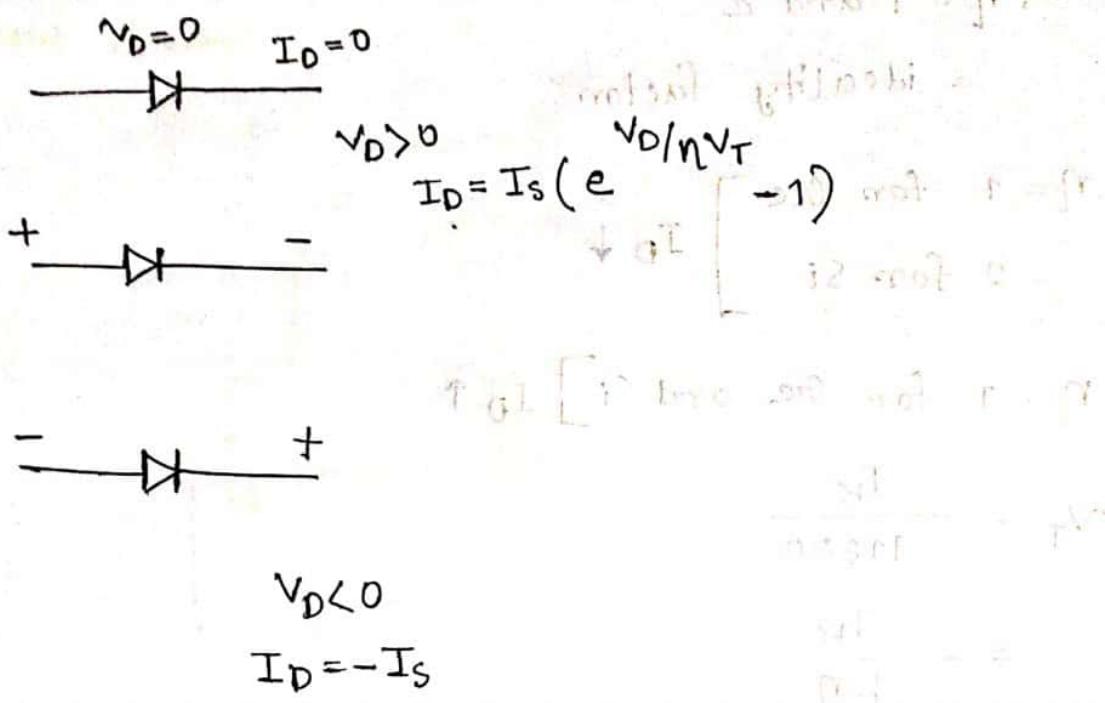
$$\therefore \frac{k}{V_T} = \frac{1}{V_T \eta}$$

$$\therefore I_D = I_S (e^{\frac{V_D}{nV_T}} - 1) \quad * * *$$

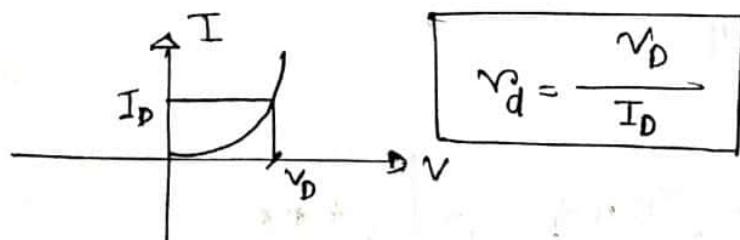
Diode shockley equation



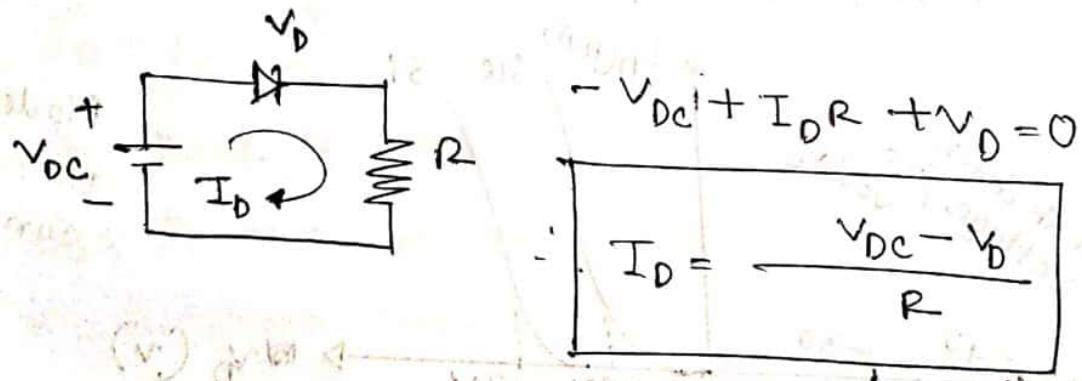
Diode I-V
characteristics
curve -

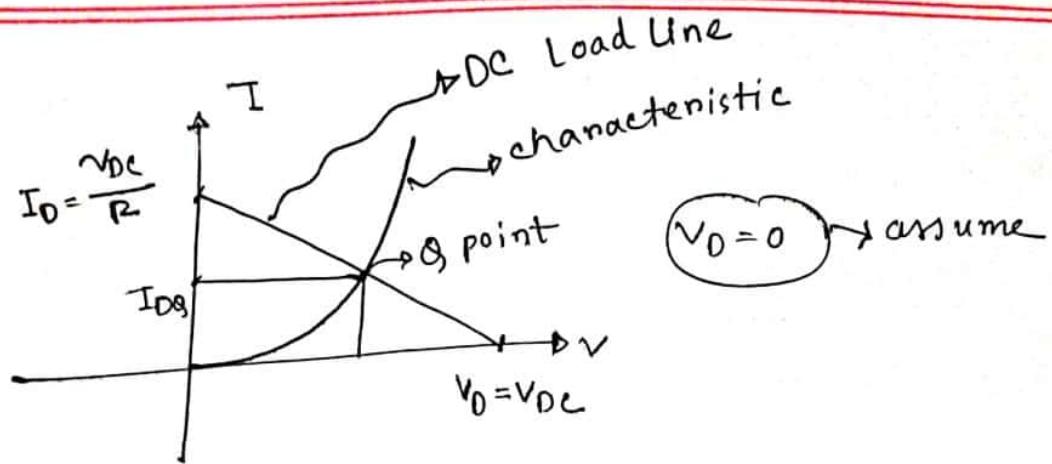


DC or static Resistance:-



Q-point:— operating point / Quiescent point,





$$V_D = 0$$

$$I_D = 0$$

$$V_D = V_{DC}$$

@ rms value \rightarrow
 equivalent effective
 value .

15/07/2019
Monday

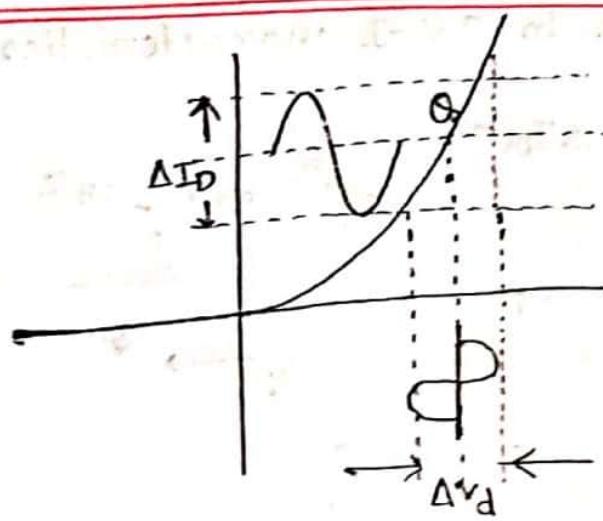
Breakdown voltage:-

Peak inverse voltage (PIV);— Maximum allowable reverse allowable voltage that a diode can resist without damaging.

AC on dynamic Resistance:-

The varying will change instantaneous operating point up and down and thus a change in voltage and current.

A straight line tangent is drawn to determine change in voltage and current and as well as on dynamic resistance.



$$r_d = \frac{\Delta V_d}{\Delta I_d}$$

Alternative method:-

We know,

$$I_D = I_s (e^{\frac{V_D}{\eta V_T}} - 1)$$

$$\Rightarrow \frac{I_D + I_s}{I_s} = e^{\frac{V_D}{\eta V_T}}$$

Ignoring I_s ,

$$\Rightarrow I_D + I_s = e^{\frac{V_D}{\eta V_T}}$$

$$\therefore \ln(I_D + I_s) = \frac{V_D}{\eta V_T}$$

$$\therefore \frac{d}{dV_D} \ln(I_D + I_s) = \frac{1}{\eta V_T}$$

$$\Rightarrow \frac{1}{I_D + I_s} \cdot \frac{dI_D}{dV_D} = \frac{1}{\eta V_T}$$

$$\Rightarrow \frac{dI_D}{dV_D} = \frac{I_D + I_s}{\eta V_T}$$

$$I_D \gg I_s$$

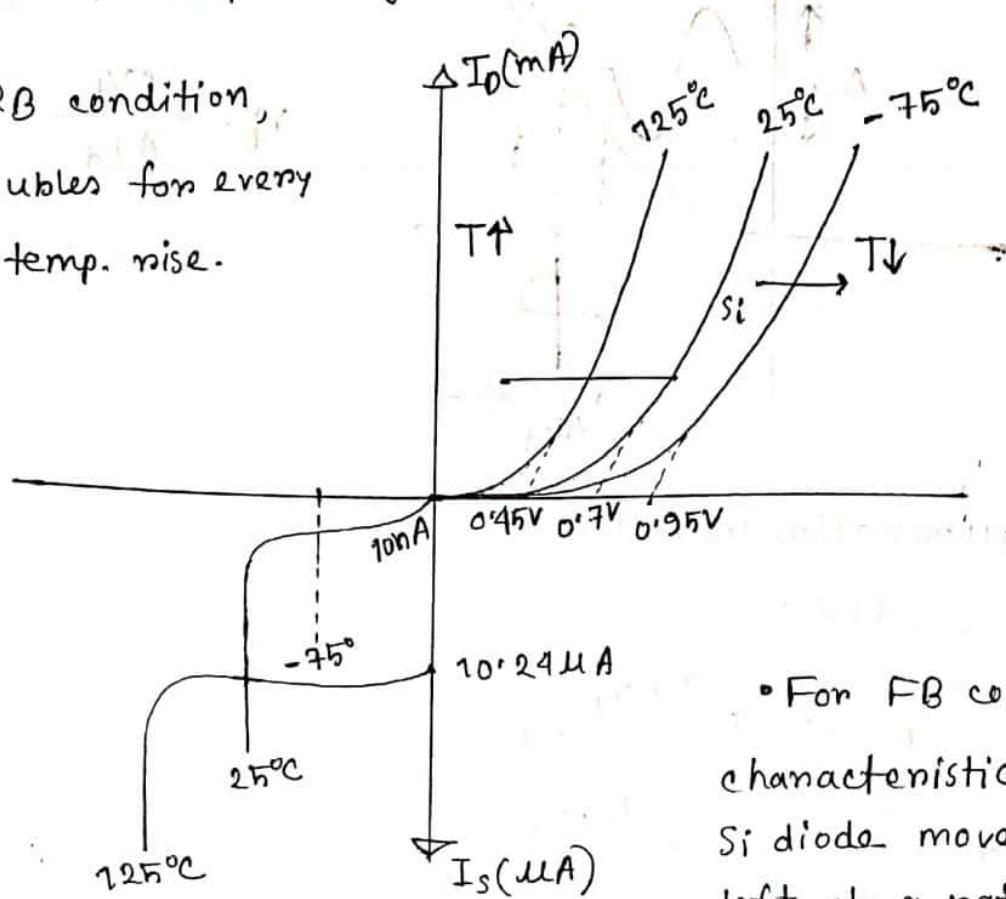
$$\therefore \frac{dV_D}{dI_D} = \frac{\eta V_T}{I_D}$$

$$\text{as } \eta = 1$$

$$\therefore \frac{dV_D}{dI_D} = \frac{26 \text{ mV}}{I_D}$$

Effect of temp. change in V-I characteristics:

- For RB condition,
Is doubles for every
10°C temp. rise.



- For FB condition,
characteristics of
Si diode moves
left at a rate of
2.5 mV per degree
centigrade temp.
rise

* semi conductor \propto temp.
 \propto $\frac{1}{R}$ \propto resistance

$$\uparrow 100^\circ \times 2.5 = 0.25V$$

$$1^\circ C = 2.5 \text{ mV}$$

$$(0.7 - 0.25) = 0.45$$

• $T \uparrow$ device left shift
 $0.25V$

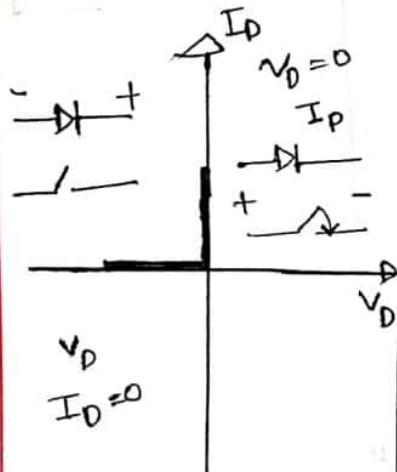
• $T \downarrow$ device right shift
 $0.25V$

Diode equivalent ckt:

Why equivalent ckt?

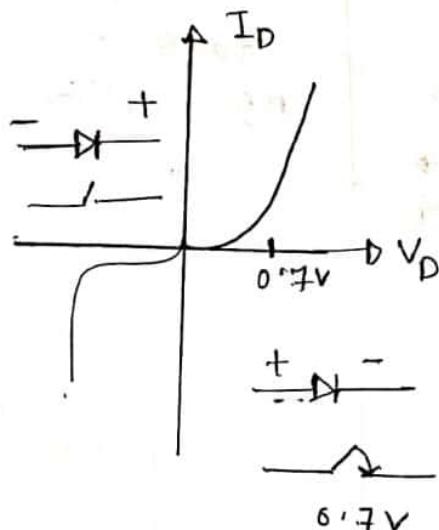
Piecewise linear

Ideal diode



conduct \rightarrow
without any voltage
drop.

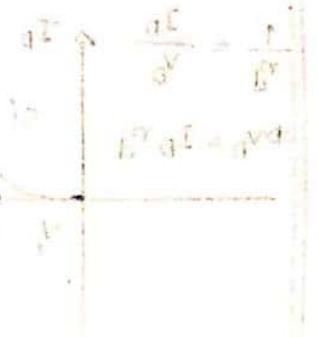
Practical diode



en:- resistance.

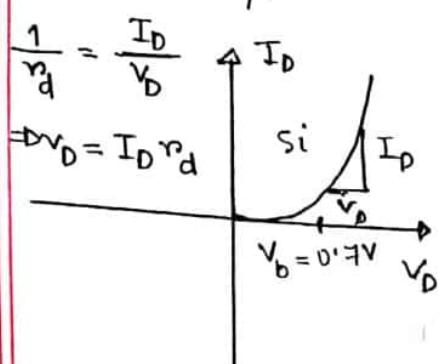
or passive element.

en:- resistance.



Piecewise Linear Model (PWI model)

Representing a non-linear ekt in a linear way.



$$\text{slope} = \tan \theta$$

$$= \frac{P}{B}$$

$$= \frac{1}{r_d}$$

Constant voltage drop model

$$r_d = 0$$

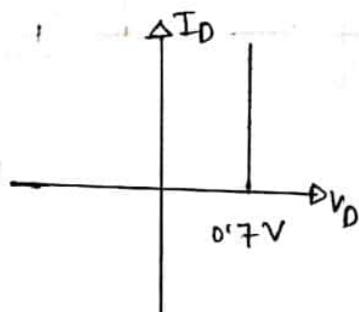
$$\therefore \text{slope} = \frac{1}{r_d}$$

$$= \frac{1}{0}$$

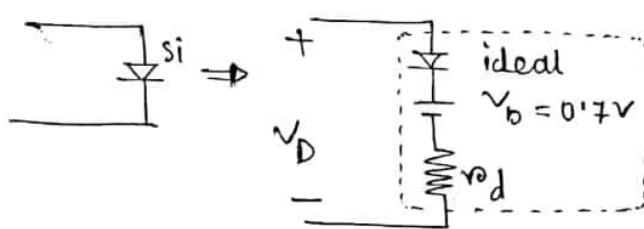
$$\tan \theta = \infty$$

$$\Rightarrow \theta = \tan^{-1}(\infty)$$

$$= 90^\circ$$



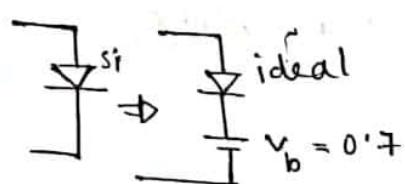
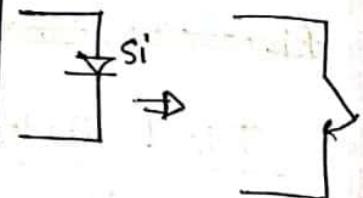
representation of a Si diode,



$$V_D = V_b - I_D r_d$$

extensively used

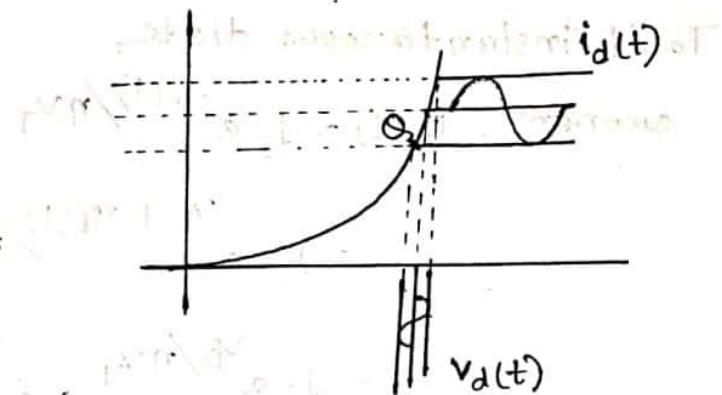
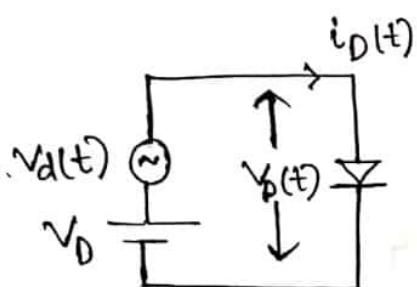
Ideal diode model



constant
volt drop

17/07/2019
Wednesday

The small signal model and its characteristics:-



Amplitude is small enough to be called linear portion.

The technique consists first biasing the Q point near the middle of the transfer characteristic. This is achieved by applying DC voltage V_D . The time varying quantity then superimposed.

Total instantaneous i/p, $v_D(t) = V_D + v_d(t)$

ac & dc $\xrightarrow{\text{current}}$
 $\xrightarrow{\text{voltage}}$
 ac

Time varying quantity $v_d(t)$ having a sinusoidal / Triangular is superimposed on V_D .

In the absence of $v_d(t)$.

$$I_D = I_s e^{\frac{V_D}{nV_T}}$$

Now,

Total instantaneous diode

$$\text{current, } i_D(t) = I_S e^{\frac{V_D(t)}{nV_T}}$$

$$= I_S e^{\frac{V_D + V_d(t)}{nV_T}}$$

$$= I_S e^{\frac{V_D}{nV_T}} \cdot e^{\frac{V_d(t)}{nV_T}}$$

$$= I_D \cdot e^{\frac{V_d(t)}{nV_T}}$$

Now, if

$$\boxed{\frac{V_d(t)}{nV_T} \ll 1}$$

$$[\because e^x = 1 + x + \frac{x^2}{2!} + \dots]$$

from exponential series,

we know that,

$$e^{\frac{V_d(t)}{nV_T}} = \left(1 + \frac{V_d(t)}{nV_T}\right)$$

$$\therefore i_D(t) = I_D \left(1 + \frac{V_d(t)}{nV_T}\right)$$

$$= I_D + I_D \frac{V_d(t)}{nV_T}$$

$$\therefore i_D(t) = DC + AC$$

$$= I_D + i_d(t)$$

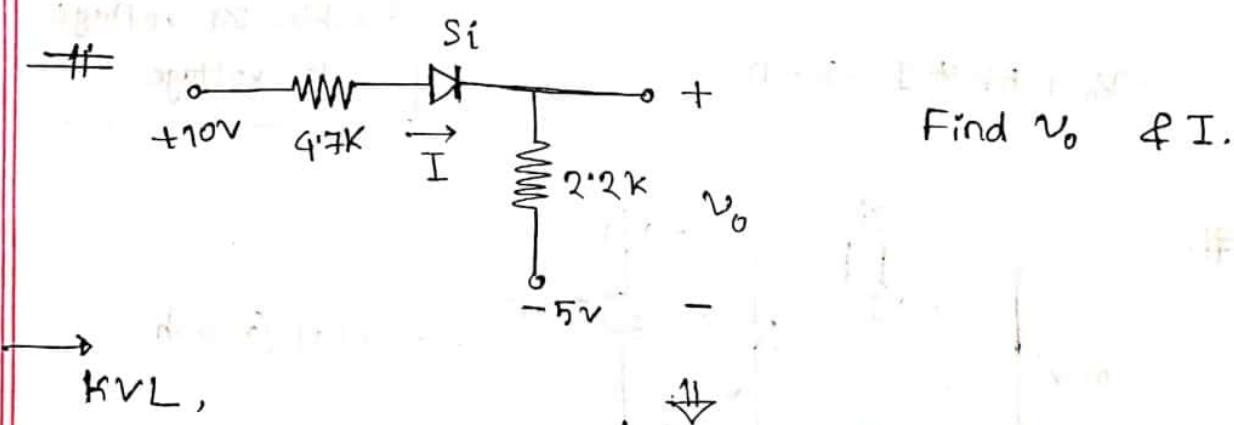
$$\therefore i_d(t) = I_D \cdot \frac{V_d(t)}{nV_T}$$

$$\therefore \frac{v_d(t)}{i_d(t)} = \frac{nV_T}{I_D}$$

$$\Rightarrow r_d = \frac{nV_T}{I_D}$$

r_d is called ac/dynamic/small signal resistance.

Germanium $\rightarrow n \rightarrow 1$

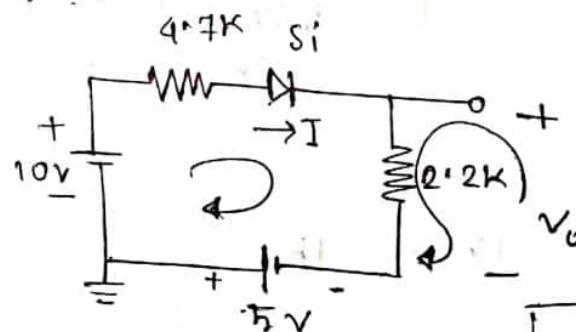


KVL,

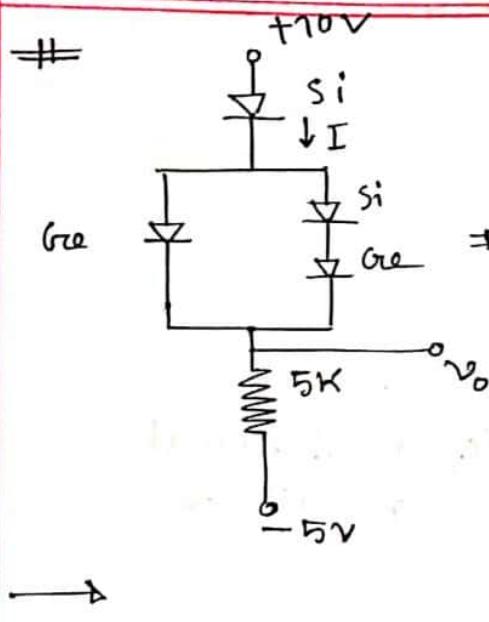
$$-10 + (4.7K * I) + (2.2K * I) - 5 + 0.7 = 0$$

$$-V_o + I * 2.2K - 5 = 0$$

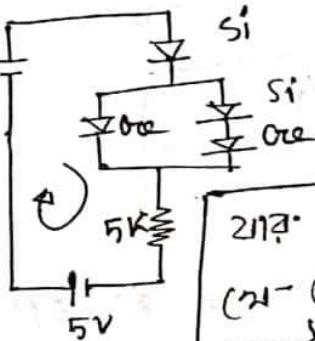
$$\Rightarrow V_o = -5 + I * 2.2K$$



ground
2725 - 5V
first
loop
outer loop
KVL,



Find I & V_o .

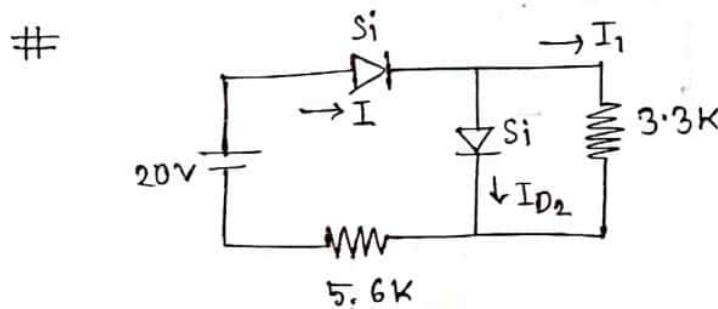


Ans. voltage drop करता है
 (1) डायोड पर 2V का
 (2) ब्रॉन्च 5k
 डायोड 2k का
 (पारलेल ब्रॉन्च)

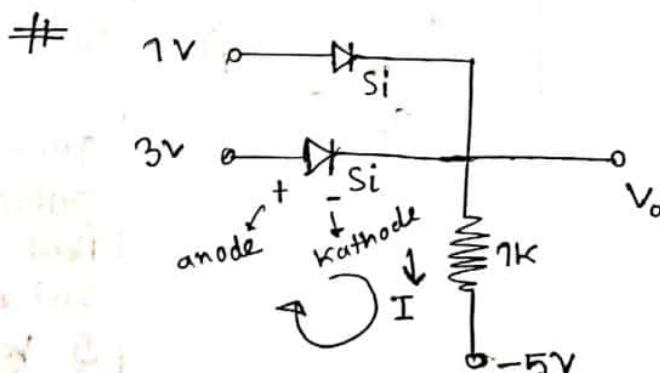
$$-10 + 0 + +0.3 + (5k \cdot I) - 5 = 0$$

$$-V_o + 5k \cdot I - 5 = 0$$

bubble का voltage
node voltage



→ nodal / mesh



* Anode (+) 3

Cathode (-), 2V

So, cathode (+) 1

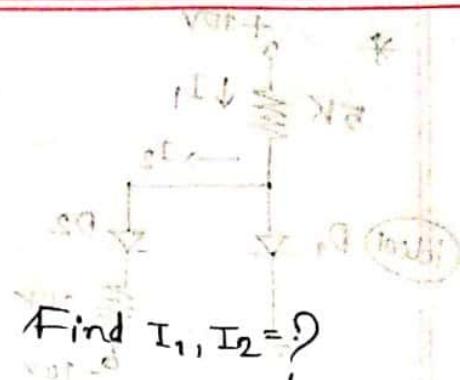
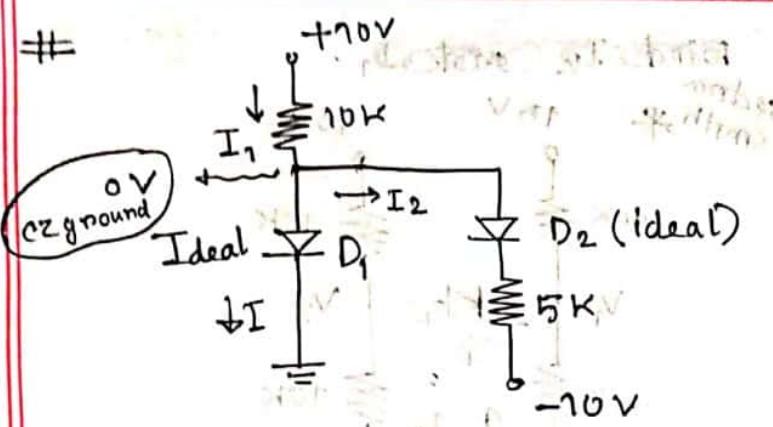
2V का current

पर 2V है।

Find I_S and V_o .

* anode 3 कथोड 2V का

(2V diode का potential diff एक-दूसरे अंदर 2V है।)



Diode D_1 is on ; (short)

$$I_1 = \frac{10 - 0}{10k} = 1 \text{ mA}$$

$$I_2 = \frac{0 - (-10)}{5k} = 2 \text{ mA}$$

$$I_1 = I + I_2$$

$$\Rightarrow I = I_1 - I_2 = 1 \text{ mA} - 2 \text{ mA} = -1 \text{ mA} ; \text{ reverse bias.}$$

* reverse bias ହାତ :

diode off ହାତ ।

* ଦ୍ୱାରା potential difference

ଏକିମାନ୍ଦିକି ଦ୍ୱାରା ଉପରେ ଓପରାରେ

ହାତ ।

* Anode - cathode ହାତ ହାତରେ

ଏକିମାନ୍ଦିକି short ହାତ ହାତ ।

* voltage difference 0 ହାତ
open ହାତ ।

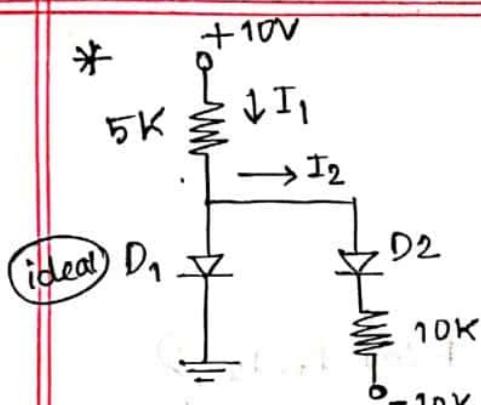
$$I_1 = I_2 = \frac{10 - (-10)}{10k + 5k} = \frac{20}{15k}$$

* short ହାତରେ

current open

ହାତ ହାତ ହାତ ।

Sunday

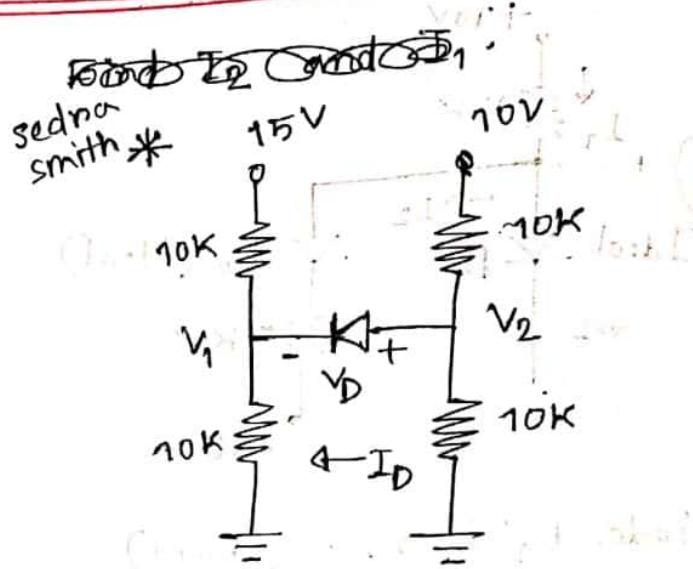
Find I_2 and I_1 .

$$\rightarrow I_1 = \frac{10 - 0}{5k} = 2 \text{ mA}$$

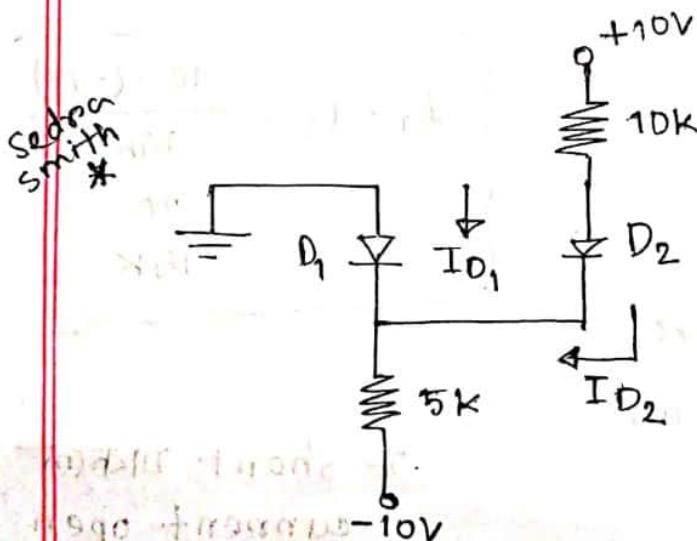
$$I_2 = \frac{0 - (-10)}{10k} = 1 \text{ mA.}$$

$$I_1 = I_{D_1} + I_2$$

$$\Rightarrow I_{D_1} = 1 \text{ mA. } \text{ (Ans.)}$$

Find I_D .

$$\rightarrow V_D = V_2 - V_1 \\ = 5 - 7.5 \\ = -2.5 \text{ V.}$$

Find I_{D_1} and I_{D_2} .

$$\rightarrow I_1 = \frac{0 - (-10)}{5k}$$

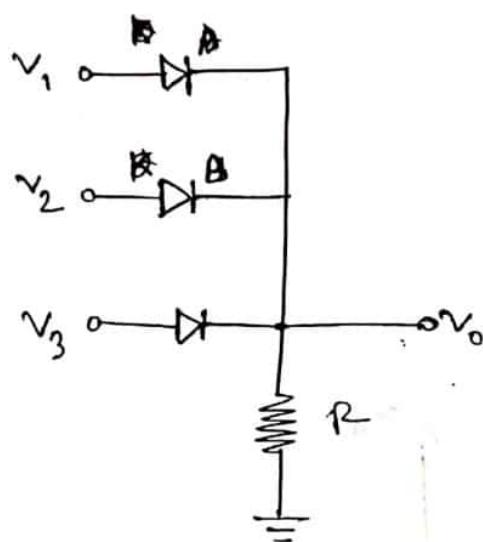
$$\Rightarrow I_1 = 2 \text{ mA}$$

$$I_{D_2} = 1 \text{ mA}$$

$$I_1 = I_{D_1} + I_{D_2}$$

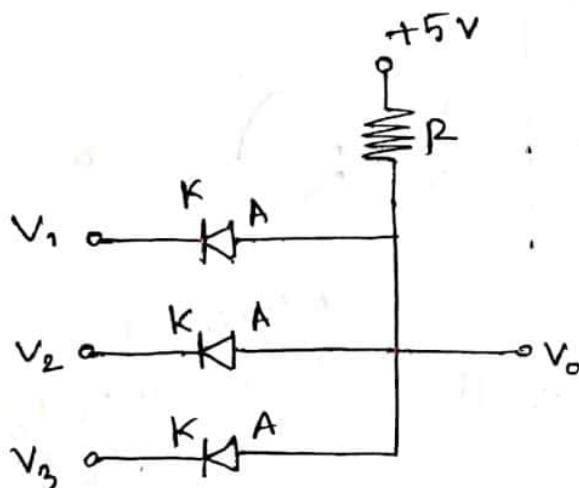
$$I_{D_1} = 1 \text{ mA.}$$

Logic Gate:-



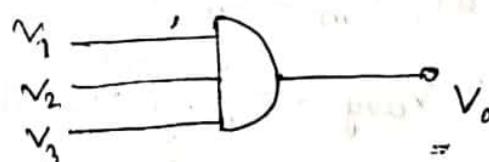
OR Gate

$$v_o = v_1 + v_2 + v_3$$



AND Gate

$$v_o = v_1 \cdot v_2 \cdot v_3$$



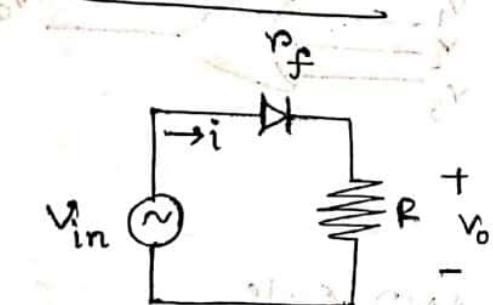
v_A	v_B	v_C	v_D
0	0	0	0
0	0	1	1
0	1	0	1
0	1	1	1

v_A	v_B	v_C	v_D
0	0	0	0
0	0	1	0
0	1	1	0
1	1	1	1

Rectifier:- is an electronic device that
convert AC to DC.

- 2 types:- (i) Half wave
(ii) Full wave

(i) Half wave:-



$$V_{in} = V_m \sin \theta$$

$$i = \frac{V_m}{r_f + R_L} \sin \theta = I_m \sin \theta$$

$$\therefore I_m = \frac{V_m}{r_f + R_L}$$

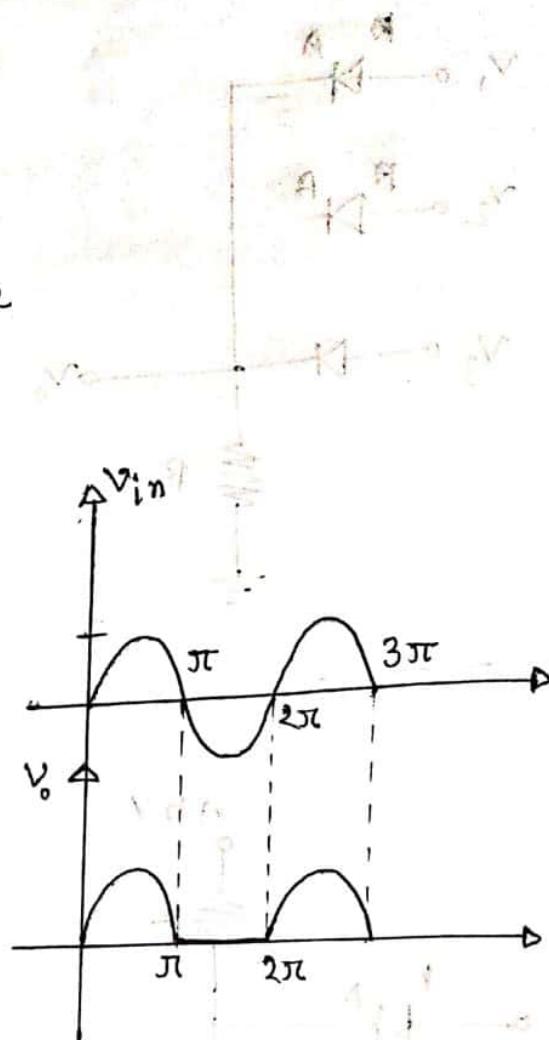
Avg value:-

$$\text{let, } V_{in} = V_m \sin \theta$$

$$\therefore V_{avg} = \frac{1}{T} \int_0^T V_{in} \cdot dx$$

$$= \frac{1}{2\pi} \int_0^{\pi} V_m \sin \theta \cdot d\theta + \int_{\pi}^{2\pi} 0 \cdot d\theta$$

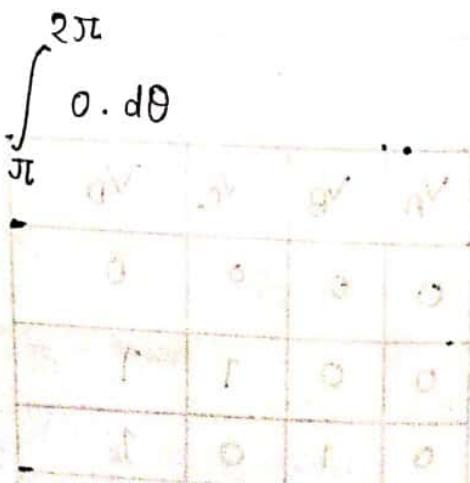
$$= \frac{V_m}{2\pi} \int_0^{\pi} \sin \theta \cdot d\theta$$



$$\theta = t$$

$$d\theta = dt$$

time - changing
pulsating DC



$$= -\frac{V_m}{2\pi} \left[-\cos\theta \right]_0^\pi$$

• avg value ଡିଆ
—ଅର୍ଥକାରୀ ନାମ
DC value.

$$= -\frac{V_m}{2\pi} \left[-\cos\pi - (-\cos 0) \right]$$

$$\therefore V_{avg} = \frac{V_m}{\pi}, \text{ similarly, } I_{avg} = \frac{I_m}{\pi}$$

→ DC current

• RMS value:

$$V_{rms} = \sqrt{\frac{1}{T} \int_0^T V_{in}^2 \cdot dt}$$

$$= \sqrt{\frac{V_m^2}{2\pi} \int_0^{\pi} \sin^2\theta \cdot d\theta}$$

$$= \sqrt{\frac{V_m^2}{2\pi} \cdot \frac{1}{2} \cdot \int_0^{\pi} 2\sin^2\theta \cdot d\theta}$$

$$= \sqrt{\frac{V_m^2}{4\pi} \int_0^{\pi} [1 - \cos 2\theta] \cdot d\theta}$$

$$= \sqrt{\frac{V_m^2 \cdot \pi}{4\pi}}$$

$$\therefore V_{rms} = \frac{V_m}{2}; \quad \therefore \text{similarly, } I_{rms} = \frac{I_m}{2}.$$

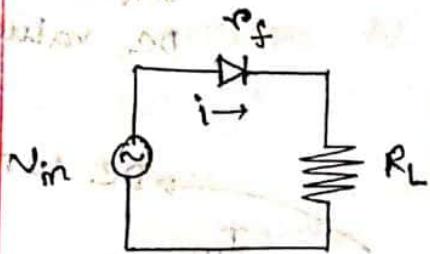
$$* P_o = (I_{avg})^2 \times R_L$$

$$P_i = (I_{rms})^2 \times (r_f + R_L)$$

$$\eta = \frac{P_o}{P_i} * 100\%$$

22/07/2019
Monday.

Efficiency:-



$$I_m = \frac{V_m}{r_f + R_L}$$

$$P_{in} = (i_{rms})^2 (r_f + R_L)$$

$$= \left(\frac{I_m^2}{4} \right) (r_f + R_L)$$

$$P_{out} = (i_{avg})^2 R_L$$

$$= \left(\frac{I_m^2}{\pi^2} \right) R_L$$

$$\eta = \frac{P_{out}}{P_{in}} * 100\%$$

$$= \frac{\left(\frac{I_m^2}{\pi^2} \right) * R_L}{\left(\frac{I_m^2}{4} \right) * (r_f + R_L)} * 100\%$$

r_f is negligible

$$= \frac{4}{\pi^2} * 100\%$$

$$= 41\%$$

$$400\% * \frac{4}{\pi^2} = 41\%$$

$$i = \frac{V_{in}}{r_f + R_L}$$

$$(0.207) = \frac{0.5 V_m \sin \theta}{r_f + R_L}$$

$$= \frac{V_m}{r_f + R_L}$$

$$= I_m \sin \theta$$

r_f = Diode forward resistance

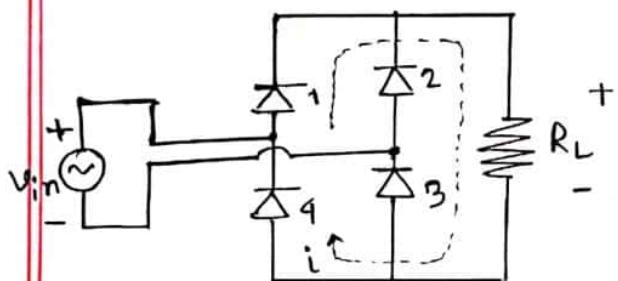
R_L = Diode Load resistance.

Full wave rectifier—

1. Bridge rectifier

2. centre-tapped.

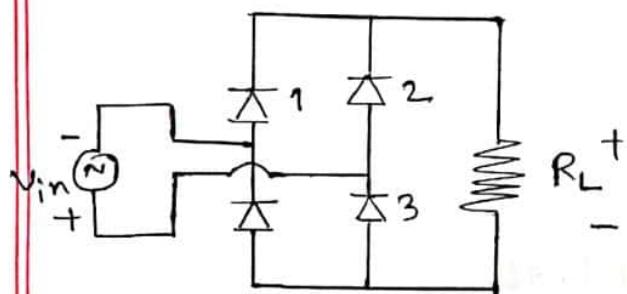
Bridge rectifier:-



at (+)ve cycle:-

D₁ and D₃ ON;

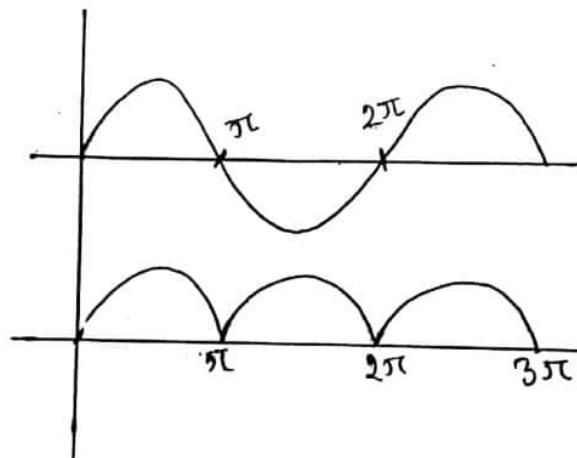
D₂ and D₄ OFF.



at (-)ve cycle:-

D₂ and D₄ ON;

D₁ and D₃ OFF.



Avg value:-

$$\begin{aligned}V_{avg} &= \frac{1}{T} \int_0^T v_{in} \cdot dt \\&= \frac{1}{\pi} \int_0^{\pi} V_m \sin \theta \cdot d\theta \\&= \frac{V_m}{\pi} \left[-\cos \theta \right]_0^{\pi}\end{aligned}$$

$$\left| \begin{array}{l} v_{in} = V_m \sin \theta \\ dt = d\theta, t = \theta \end{array} \right.$$

$$\boxed{V_{avg} = \frac{2V_m}{\pi}}$$

$$\text{Similarly, } I_{avg} = \frac{2I_m}{\pi}$$

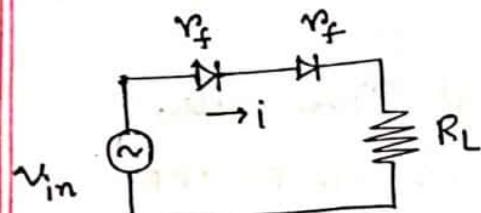
RMS value:-

$$\begin{aligned}V_{rms} &= \sqrt{\frac{1}{T} \int_0^T v_{in}^2 \cdot dt} \\&= \sqrt{\frac{1}{\pi} \int_0^{\pi} V_m^2 \sin^2 \theta \cdot d\theta} \\&= \sqrt{\frac{V_m^2}{2\pi} \left[\int_0^{\pi} [1 - \cos 2\theta] \cdot d\theta \right]}\end{aligned}$$

$$\boxed{V_{rms} = V_m / \sqrt{2}}$$

$$\text{Similarly, } I_{rms} = \frac{I_m}{\sqrt{2}}$$

Efficiency:-



$$i = \frac{V_{in}}{2r_f + R_L} = \frac{V_m}{2r_f + R_L} \sin\theta$$

$$= I_m \sin\theta$$

$$\therefore I_m = \frac{V_m}{2r_f + R_L}$$

$$P_{out} = (i_{avg})^2 R_L$$

$$= \left(\frac{2I_m}{\pi}\right)^2 R_L$$

$$= \frac{4I_m^2}{\pi^2} R_L$$

$$P_{in} = (i_{rms})^2 (2r_f + R_L)$$

$$= \frac{I_m^2}{\pi^2} (2r_f + R_L)$$

r_f = Diode forward resistance

R_L = Load resistance

* for (+)ve or (-)ve cycle a rectifier diode on work.

$$\eta = \frac{P_{out}}{P_{in}} * 100\%$$

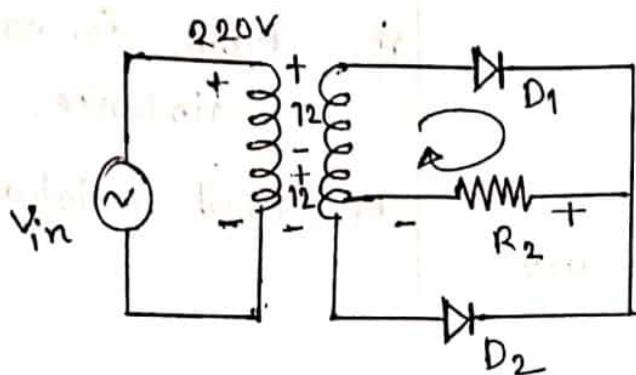
$$= \frac{4I_m^2/\pi^2 * R_L}{I_m^2/2 * (2r_f + R_L)} * 100\%$$

r_f is negligible.

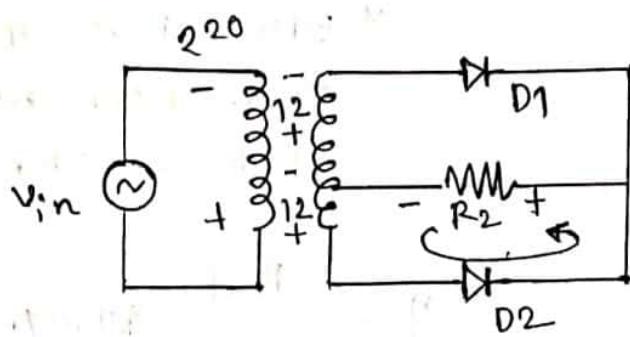
$$= \frac{8}{\pi^2} * 100\%$$

$$= 81\%$$

Centre-tapped Rectifier:-



at (+)ve cycle,
D₁ ON, D₂ OFF

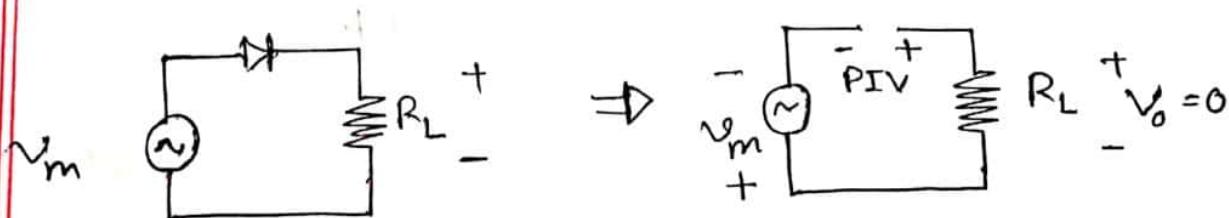


at (-)ve cycle,
D₂ ON, D₁ OFF.

PIV (Peak Inverse Voltage) :-

- maximum allowable reverse bias voltage that a diode can withstand without destroying its junction.

① Half wave rectifier:-

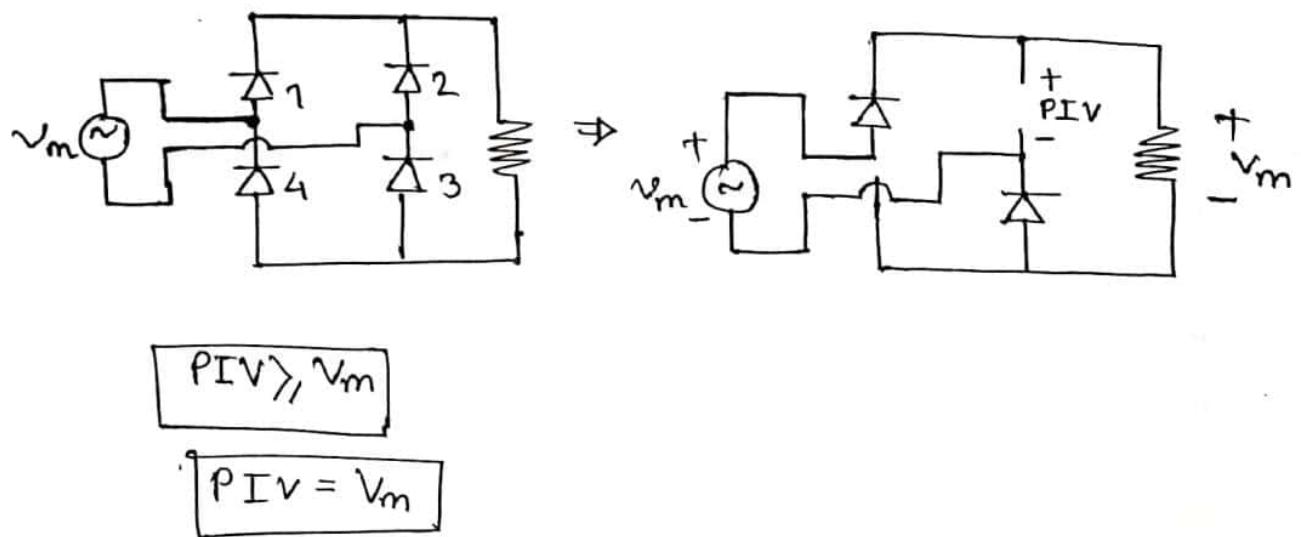


$$\text{PIV} - V_m = 0 \Rightarrow \boxed{\text{PIV} = V_m}$$

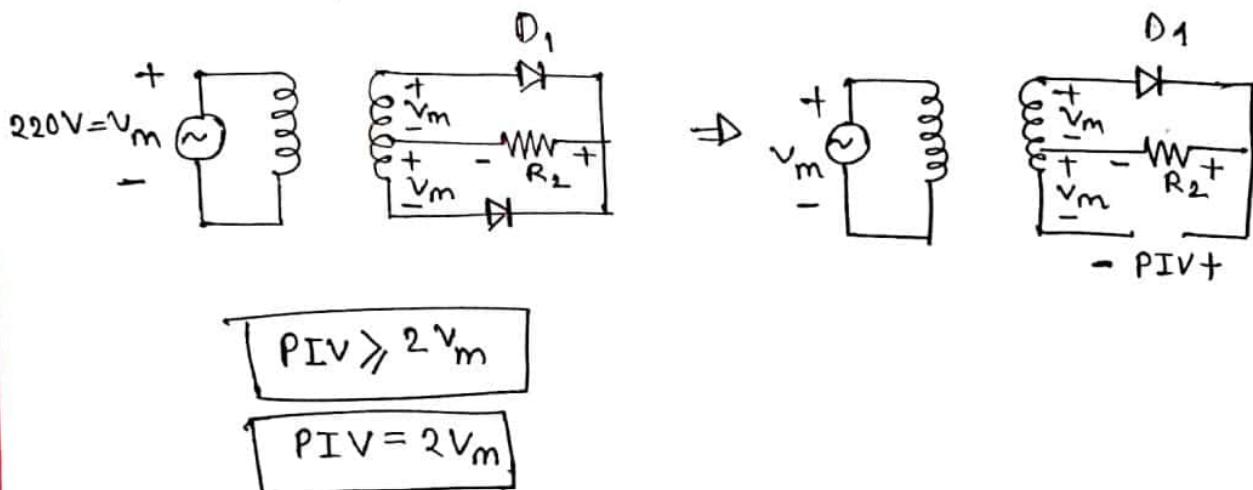
maximum voltage V_m
across the Zener.

$$\boxed{\text{PIV} > V_m}$$

② Bridge Rectifier :- (Full wave)



③ centre-tapped :-



24.07.2019

Wednesday

Importance of PIV:-

1. If reverse bias voltage across a diode exceeds this value, the reverse current increases and breaks down the junction. So knowing PIV rating is important.

2. PIV rating is deciding factor to design a diode rectifier ckt.

• Advantage of Full wave rectifier:-

(i) Output is high

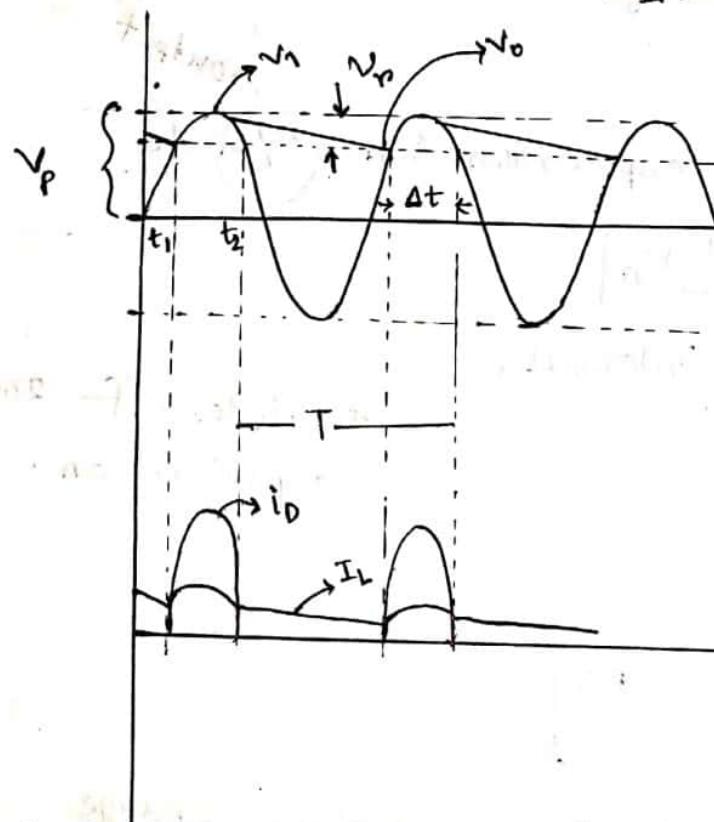
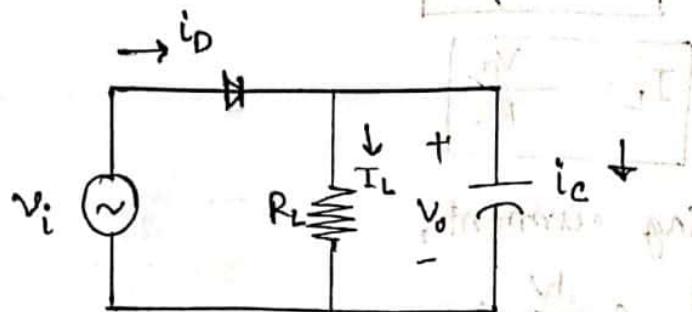
(ii) wastage of power is less, efficiency is 81%.

• Disadv. of Half wave:-

(i) Load receives approximately half of input power.

(ii) Avg. dc. voltage is low and efficiency is 41%.

Rectifier with filter capacitor:-



Selecting diode for rectifier design two parameters should be matched:-

- (i) Current handling capability :- the largest current the diode is expected to conduct
- (ii) PIV.

- * For sinusoidal input C is charged upto v_p .
- * When the diode cuts off, C discharges through R_L .
- * Next (+ve cycle again diode turns 'on', and C is charged upto v_p and it repeats.
[C should be chosen a large value, $\tau = CR$ should be $\gg T$. ; $CR \gg T$ (Discharge interval)].

- Load current, $I_L = V_o / R$ when V_o is too small.

$$I_L = \frac{V_p}{R}$$

- Diode conducting current,

$$i_D = i_{ct} + I_L = e \frac{dV}{dt} + I_L$$

at the end of discharge interval.

$$V_o = V_p - V_n$$

- a more accurate expression for

$$\text{voltage, } V_o = V_p - \frac{1}{2} V_n$$

- During diode off interval,

$$V_o = V_p e^{-t/\tau}$$

$$\therefore V_o = V_p e^{-T/RC}$$

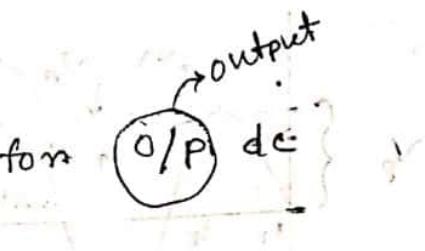
$$\text{Hence, } V_p - V_n = V_p e^{-T/RC}$$

Again, we know,

$$e^{-x} = 1 - x + \frac{x^2}{2!} - \dots$$

$$\text{if } x \ll 1 \quad e^{-x} \approx 1 - x$$

$$\text{so, } e^{-T/RC} \approx 1 - \frac{T}{RC}$$



* diode off $2\pi f T$
capacitors on.

* freq. change
present ripple at $2\pi f T$

since $CR \gg T$

$$\therefore V_p - V_n = V_p \left(1 - \frac{T}{RC}\right)$$

$$V_n = \frac{V_p T}{RC}$$

$$\Rightarrow V_n = \frac{V_p}{fRC}$$

if $V_n \ll V_p$

$$V_n = \frac{I_L}{fC}$$

Assuming diode conduction ceases almost at the peak of V ;

so conduction interval.

At;

$$V_p \cos(\omega\Delta t) = V_p - V_n$$

$$\text{Again, } \cos(\omega\Delta t) = 1 - 2 \left(\sin\left(\frac{\omega\Delta t}{2}\right)\right)^2$$

since $\omega\Delta t$ is small angle,

$$\cos(\omega\Delta t) = 1 - 2 * \left(\frac{\omega\Delta t}{2}\right)^2$$

$$= 1 - \frac{1}{2} (\omega\Delta t)^2$$

$$\therefore V_p \left(1 - \frac{1}{2} (\omega\Delta t)^2\right)$$

$$= V_p - V_n$$

$$\therefore \frac{v_p}{2} (\omega \Delta t)^2 = v_r$$

$$\Rightarrow (\omega \Delta t)^2 = \frac{2v_r}{v_p}$$

$$\therefore \omega \Delta t = \sqrt{\frac{2v_r}{v_p}}$$

To determine avg. diode currents $i_{D\text{avg}}$,

$$\theta_{\text{supplied}} = i_{\text{cav}} \Delta t$$

$$i_{\text{cav}} = i_{D\text{avg}} - I_L$$

Capacitor lost charge during discharge interval.

$$\theta_{\text{lost}} = C v_r$$

Now, $\theta_{\text{supplied}} = \theta_{\text{lost}}$

$$\Rightarrow i_{\text{cav}} \Delta t = C v_r$$

$$\Rightarrow i_{\text{cav}} = \frac{C v_r}{\Delta t}$$

$$= \frac{C * I_L}{f C \Delta t} = \frac{I_L}{f \Delta t}$$

$$\Delta t = \frac{1}{2\pi f} \sqrt{\frac{2v_r}{v_p}}$$

Next Sunday

Quiz #1

12 pm

DR



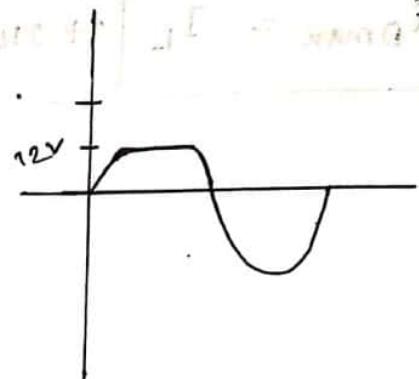
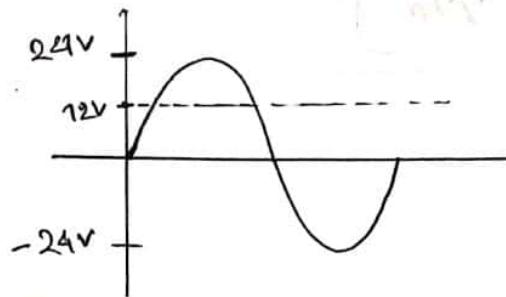
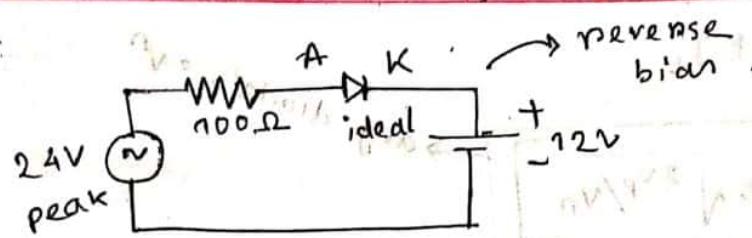
$$\therefore i_{Dav} = \sigma i_{cav} + I_L$$

$$\therefore i_{Dav} = I_L \left[1 + \sigma \sqrt{2V_P/V_n} \right]$$

$$\therefore i_{Dmax} = I_L \left[1 + 2\sigma \sqrt{2V_P/V_n} \right]$$

28.07.19

Sunday



$\text{o/p} \rightarrow \text{output}$

29.07.2019

Monday

Ripple factor:-

Ratio of rms value of ac component to the dc component in the rectified o/p is known as Ripple factor.

$$\begin{aligned}\therefore R_p &= \frac{I_{ac}}{I_{dc}} \\ &= \frac{\sqrt{I_{rms}^2 - I_{dc}^2}}{I_{dc}} \\ &= \sqrt{\frac{I_{rms}^2}{I_{dc}^2} - 1}\end{aligned}$$

$\bullet I_{rms} = \sqrt{I_{ac}^2 + I_{dc}^2}$

For half wave rectifier:-

$$R_p = \sqrt{\frac{\left(\frac{Im}{2}\right)^2}{\left(\frac{Im}{\pi}\right)^2} - 1} \quad \begin{matrix} \nearrow \text{rms. value} \\ \searrow \text{arg. value} \end{matrix} = 1.21$$

For full wave rectifier:-

$$R_p = \sqrt{\frac{\left(\frac{Im}{\sqrt{2}}\right)^2}{\left(\frac{2Im}{\pi}\right)^2} - 1} \quad \begin{matrix} \nearrow \text{rms. value} \\ \searrow \text{arg. value} \end{matrix} = 0.48$$

* freq. of 50 Hz time period $\approx 20\mu\text{s}$

* 12V rectifier has ripple $\approx 1\%$ efficiency ≈ 1

Sedna

Ex - 4.8 Consider a peak rectifier threaded by a

60 Hz sinusoid having a peak value $V_{peak} = 100$ volt,

Let the load resistance $R = 10\text{ k}\Omega$. Find the value of capacitance C , that will result in a peak-to-peak ripple of 2 volt. Also calculate fraction of the cycle during which the diode is conducting and the average and the peak values of the diode currents.

Given,

$$V_{peak} = 100 \text{ volt}$$

$$V_{Ripple} = 2 \text{ volt}$$

$$f = 60 \text{ Hz}$$

$$R_L = 10\text{ k}\Omega$$

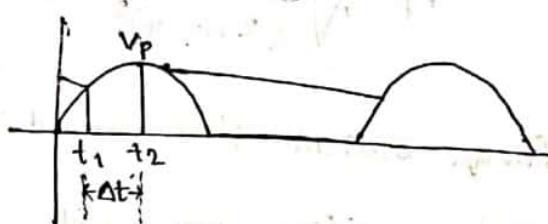
We know,

$$V_r = \frac{V_p}{fCR}$$

$$\Rightarrow C = \frac{V_p}{fV_r R}$$

$$= \frac{100}{60 \times 2 \times 10 \times 10^3}$$

$$= 8.3 \times 10^{-5} \text{ F}$$



$$\text{Again, } \omega \Delta t = \sqrt{\frac{2V_r}{V_p}}$$

$$= \sqrt{\frac{2 \times 2}{100}}$$

$$= 0.2 \text{ rad}$$

Fraction of cycle the diode is conducting,

$$= \frac{0.2}{2\pi} * 100 \%$$

$$= 3.18 \%$$

$$\text{Now, } I_L = \frac{V_p}{R} = \frac{100}{10 \times 10^3} = 0.01 \text{ A}$$

$$\begin{aligned}\text{the average diode current, } i_{dav} &= I_L \left[1 + \pi \sqrt{\frac{2V_p}{V_n}} \right] \\ &= 0.01 \left[1 + \pi \sqrt{\frac{2 \times 100}{2}} \right] \\ &= 0.324 \text{ A}\end{aligned}$$

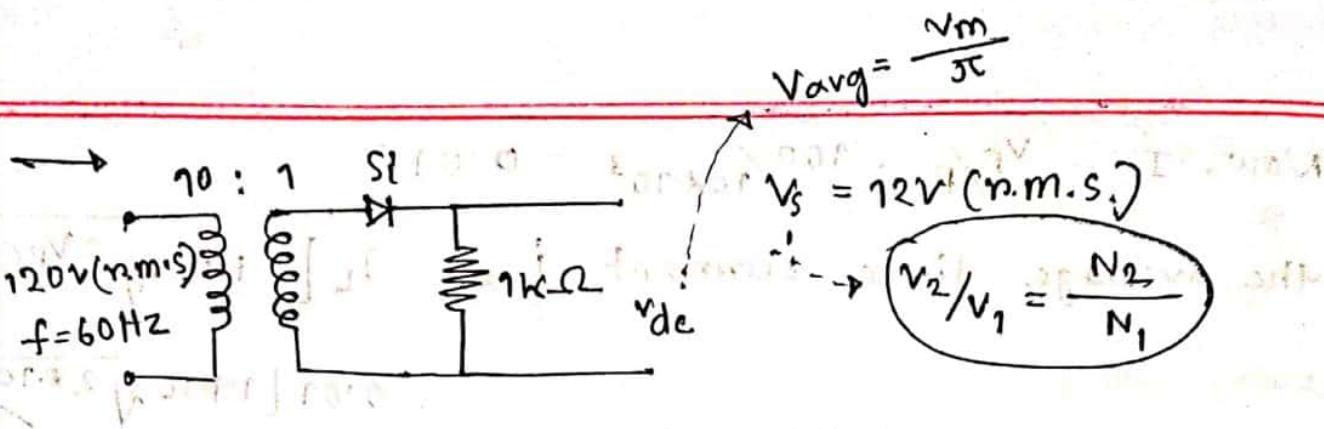
the peak value of the diode

$$\begin{aligned}\text{current, } i_{dmax} &= I_L \left[1 + 2\pi \sqrt{\frac{2V_p}{V_n}} \right] \\ &= 0.638 \text{ A.}\end{aligned}$$

Sedra

Ex: 4.68] A half wave rectifier ckt. with a $1k\Omega$ load operates from 120V rms and 60 Hz household supply through a 10 to 1 step down Tr. It uses a Si diode that can be modeled to have a 0.7V drop from 0 for any current.

1. What is the peak voltage of the rectified output?
2. For what fraction of the cycle does the diode conduct?
3. What is the average output voltage?
4. What is the average current in the load?
5. Find the PIV of the diode.

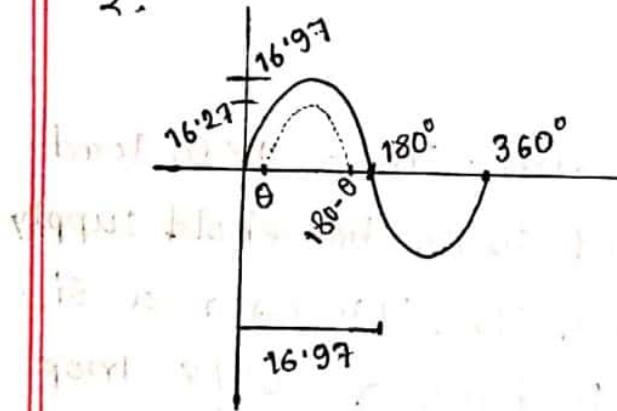


$$V_m = \sqrt{2} * 12V \\ = 16.97 V$$

1. $V_m' = V_m - V_D$

$$= 16.97 - 0.7 \\ = 16.27 V$$

2.



Diode conduction

$$= 180 - \theta - \theta \\ = 180 - 2\theta$$

$$V_D = V_m \sin \theta \\ \Rightarrow 0.7 = 16.97 \sin \theta \\ \Rightarrow \theta = 2.36^\circ$$

$$\therefore \text{Diode conduction} = 180 - 2 \times 2.36^\circ \\ = 175.28^\circ$$

∴ fraction of cycle the diode conducting,

$$\frac{175.28}{2 \times 180^\circ} * 100\% = 48.69\%$$

3. the average output voltage, $V_{avg} = \frac{V_m}{\pi}$

$$= 16.97/\pi$$
$$= 5.4 V$$

4. $\frac{V_m}{R} = I_M$

$$\Rightarrow I_M = 16.97/1k = 0.01697 A$$
$$\therefore I_{avg} = I_M/\pi = 5.4 \times 10^{-3} A.$$

5. PIV > V_m

$$PIV = V_m = 16.97 V$$

31/07/2019
Wednesday

* crystal diode having an internal resistance of 5Ω is given in half wave rectifier. The turn ratio of Tx is 5 and load resistance is 800Ω . If the applied voltage of the Tx is 220V; 50Hz.

Calculate:- i. PIV

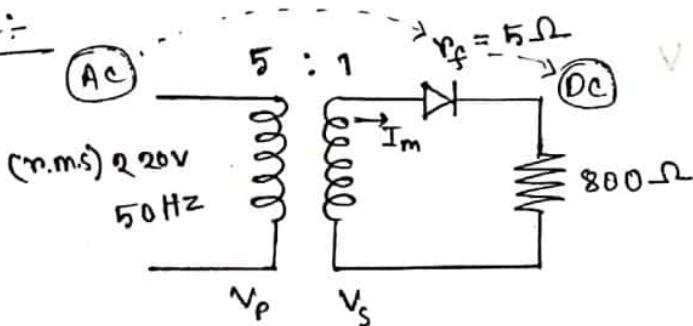
ii. DC o/p voltage

iii. O/p and i/p power

iv. Rectifier efficiency.

* diode normally 20 or 24V handle ~~200~~ ~~9125~~ 1125 V

SOL:-



$$V_S = \frac{220}{5} = 44V$$

$$V_m = \sqrt{2} * 44V$$

i) PIV = $V_m = \sqrt{2} * 44V = 62.23V$. Am

ii) $I_m = \frac{V_m}{r_f + R_L} = \frac{\sqrt{2} * 44}{5 + 800} = 0.077A$

$$I_{avg} = \frac{I_m}{\pi} = \frac{0.077}{\pi} = 0.0246A \quad [\text{load o/p respect}]$$

$$I_{nm} = I_m/2 = 0.0385A. \quad [\text{input current respect}]$$

iii) $V_{avg} (V_{DC}) = V_m/\pi = \sqrt{2} * 44/\pi = 19.81V$

$$\text{iii) } P_{in} = (i_{rms})^2 * (r_f + R_L) = 1.1932 \text{ W}$$

$$P_{out} = (i_{avg})^2 * R_L = 0.484 \text{ W}$$

$$\text{iv) efficiency, } \eta = \frac{P_{out}}{P_{in}} * 100\% = 40.56\%$$

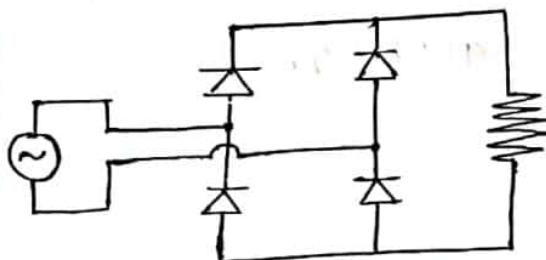


Sedra

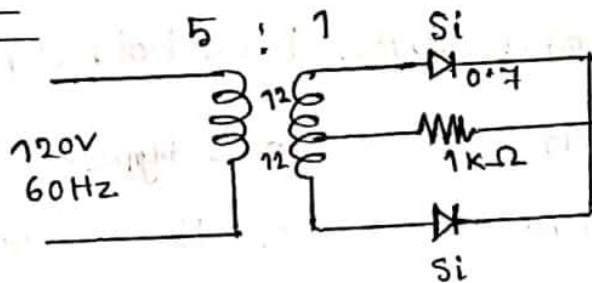
ex: 4.69 A full wave rectifier ckt with $1\text{ k}\Omega$ load operates from 120V rms and 60Hz household supply through a 5 to 1 Tx having a center tapped secondary winding Tx. It uses two Si diode that can be modeled to have a 0.7V drop for all currents.

- i. What is the value of PIV?
- ii. What is the peak voltage of the rectified output?
- iii. For what fraction of a cycle does each diode conduct?
- iv. What is the average output voltage?
- v. What is the average current in the load?
- vi. Determine the efficiency?

Bridge rectifier



Sol:-



$$\textcircled{i} \quad V_s = \frac{120}{5} = 24 \text{ V (r.m.s)}$$

$$V_m = \sqrt{2} \times 24 \text{ V} = 33.94 \text{ V}$$

$$V_{rms} = 12 \text{ V}$$

For center tapped,

$$PIV > 2V_m$$

$$= 2V_m$$

$$= 2 \times (12 \times \sqrt{2})$$

$$= 33.94$$

$$V_m = 12 \times \sqrt{2} = 16.9 \text{ V}$$

$$\textcircled{ii} \quad \text{peak rectified o/p} = V_m - V_0 = 16.9 - 0.7 = 16.2 \text{ V}$$

$$V_m'$$

(iii) $v(t) = V_m \sin \theta$

$$v_d = V_m \sin \theta$$

$$\Rightarrow 0.7 = 16.2 \sin \theta$$

$$\Rightarrow \theta = \sin^{-1} \frac{0.7}{16.2}$$

$$= 2.48^\circ$$

Diode conduction = $2(\pi - \theta - \theta) \rightarrow (\text{two diodes})$
 $= 2(\pi - 2\theta)$

$$= 2(180 - 2 * 2.48^\circ)$$

$$= 350.08$$

∴ fraction of cycle

$$= \frac{350.08}{2\pi} * 100\%$$

$$= \frac{350.08}{2 \times 180} * 100\%$$

$$= 97.24\%$$

(iv) avg. voltage, $V_{avg} = \frac{2V_m}{\pi}$ (rectified)

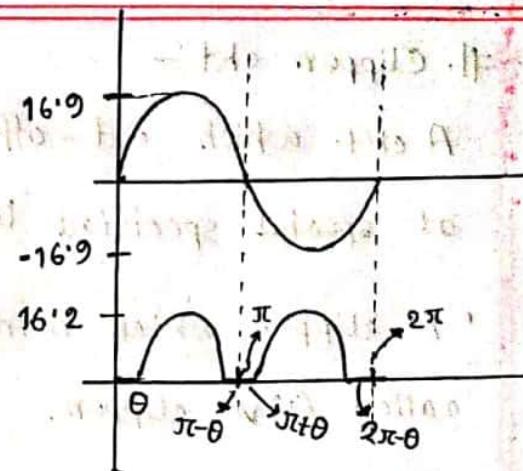
$$= \frac{2 * 16.2}{\pi}$$

$$= 10.31 \text{ V}$$

(v) { avg. current, $I_{avg} = \frac{V_{avg}}{R_L} = 10.31 \text{ mA}$

$$\left\{ I_m = \frac{V_m}{R_L} = \frac{16.2}{1k} = 16.2 \text{ mA} \right.$$

$$\left. I_{avg} = \frac{V_{avg}}{R_L} = \frac{10.31}{1k} = 10.31 \text{ mA} \right.$$

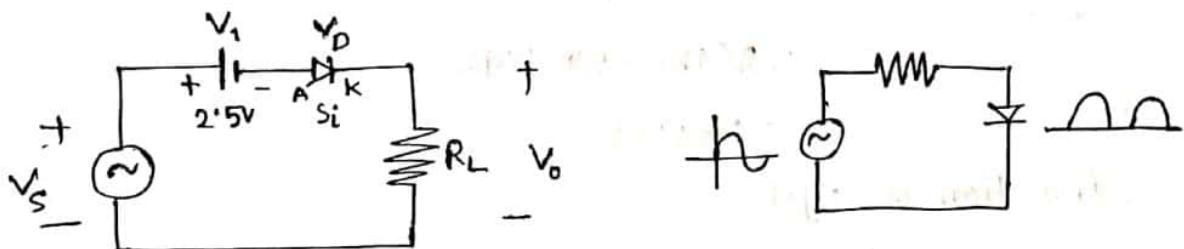


i/p \rightarrow input

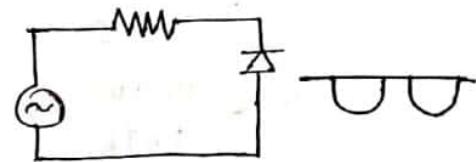
Clippers ckt:-

A ckt which cut-off voltage above or below one both at special specified level is called clipper.

- A clipper which removes (+)ve half cycle of i/p is called (+)ve clipper.
- A clipper which removes (-)ve half cycle of i/p is called (-)ve clipper.



forward

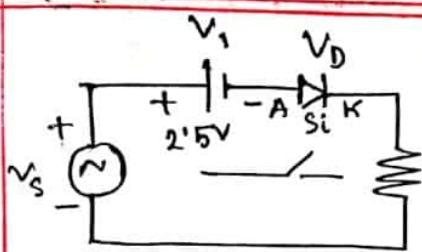


2 types:-

- i) Series clipper \rightarrow Load \therefore across \Rightarrow o/p.
- ii) Parallel clipper \rightarrow waveform \therefore $\text{पर्याप्त अंतर्गत एक}$
 चर नहीं

* DC shunt biased clipper.

* DC 'on' 'off' -



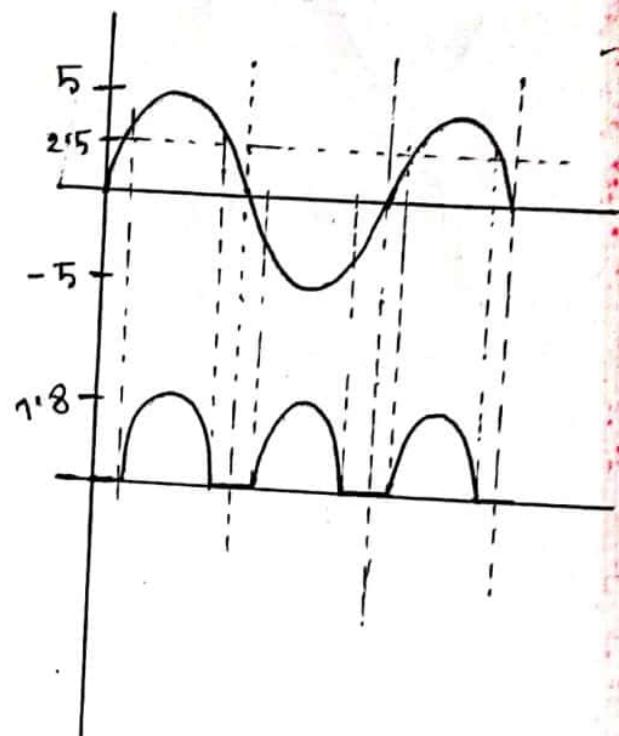
For (+)ve cycle:-

$$-V_s + V_1 + V_D + V_o = 0$$

$$\begin{aligned} \therefore V_o &= V_s - V_1 - V_D \\ &= 5 - 2.5 - 0.7 \\ &= 1.8 \text{ V} \end{aligned}$$

For (-)ve cycle:-

$$V_o = 0$$



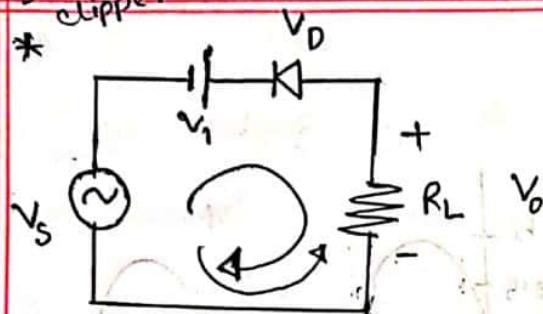
1N4007
1N4009

\Rightarrow Diode

04/08/2019

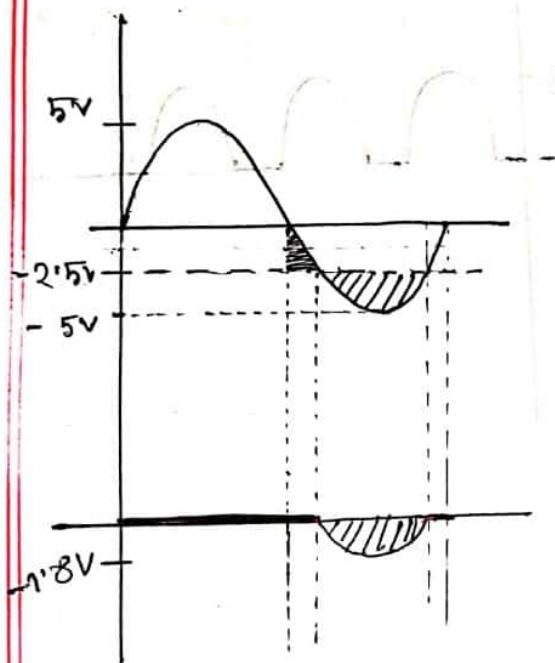
Sunday

~~series
clipper~~



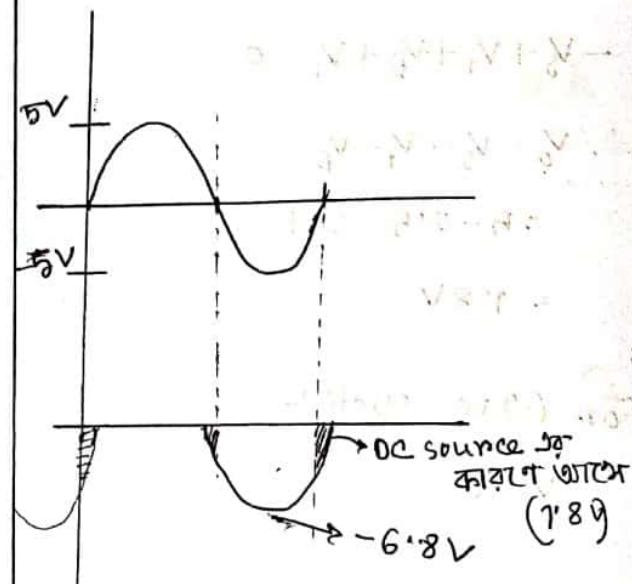
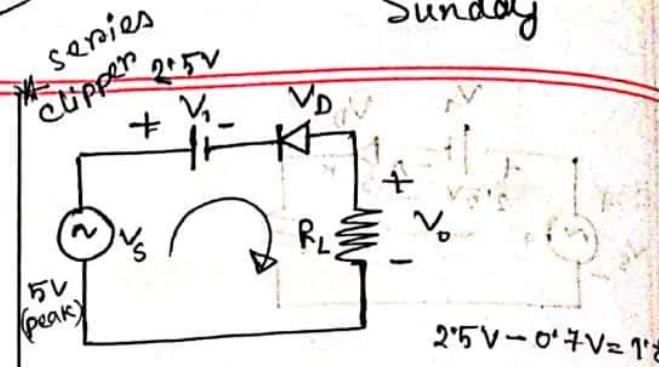
True cycle, $v_s > 0$

(reverse bias)



(-)ve cycle, $-V_S - V_0 + V_D + V_1 = 0$

$$\therefore V_o = -V_S + V_D + V_1 \\ = -5V + 0.7V + 2.5V \\ = -1.8V$$



(-) ve cycle, $-v_s - v_o + v_D - v_I = 0$

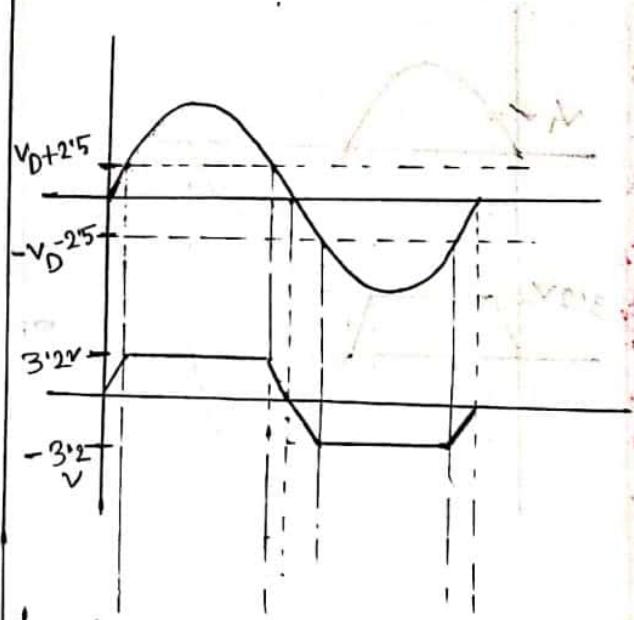
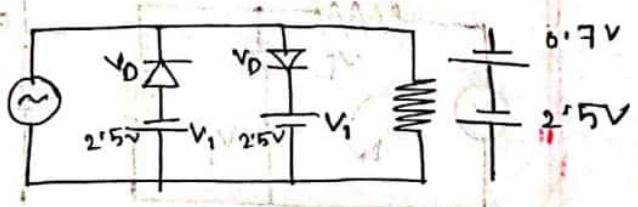
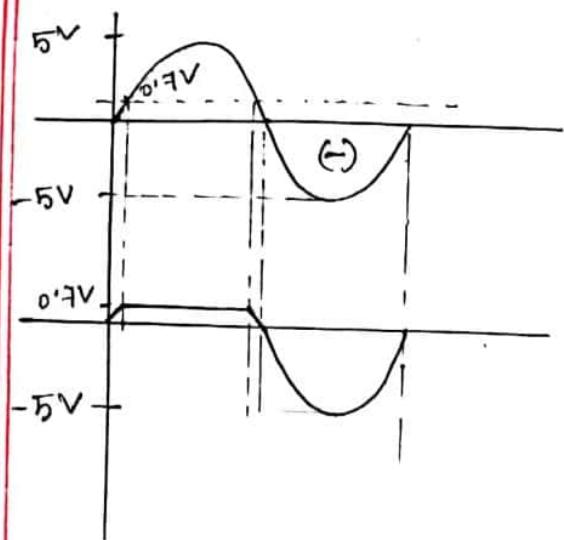
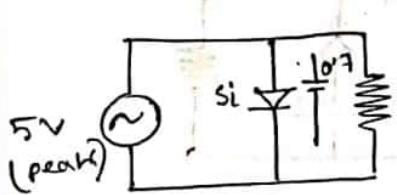
$$\begin{aligned} \Rightarrow V_0 &= -V_S + V_D - V_1 \\ &= -5 + 0.7 - 2.5 \\ &= -6.8 \text{ V} \end{aligned}$$

* series clipper ଏକ output ଏକ ଏକଟି portion କିମ୍ବା ଦେଖାଯାଇଲା

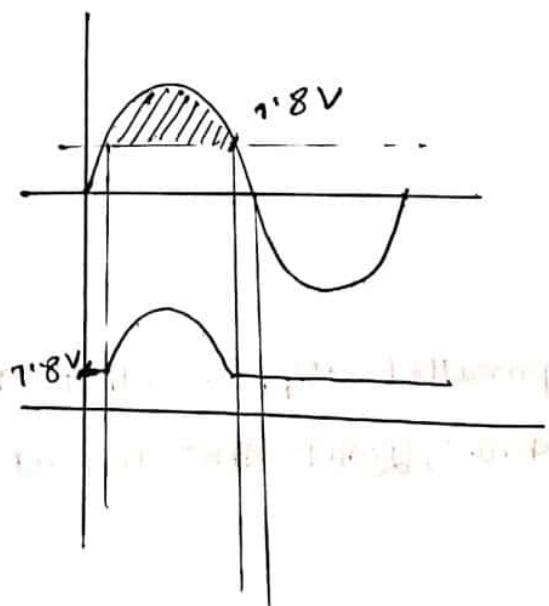
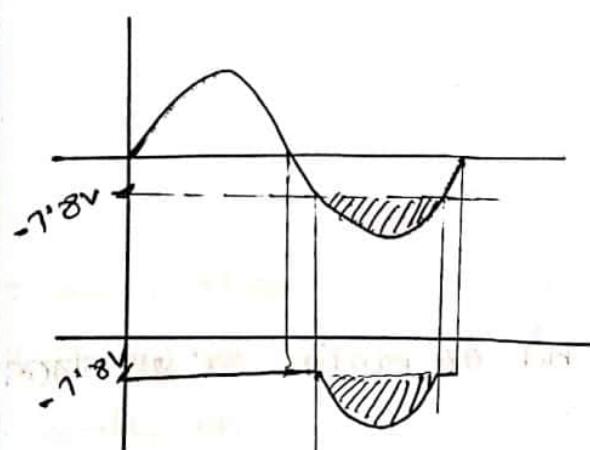
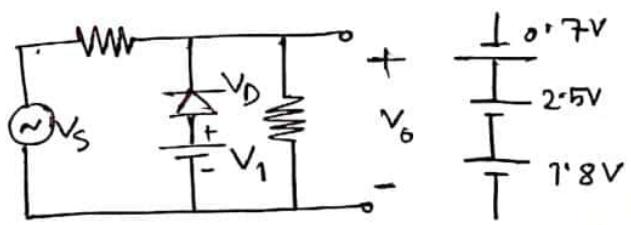
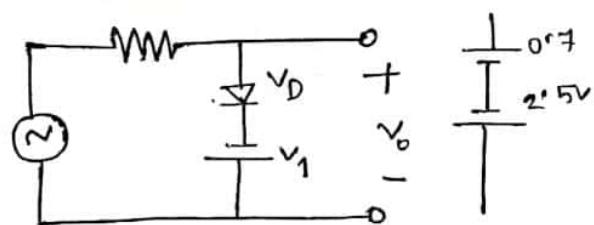
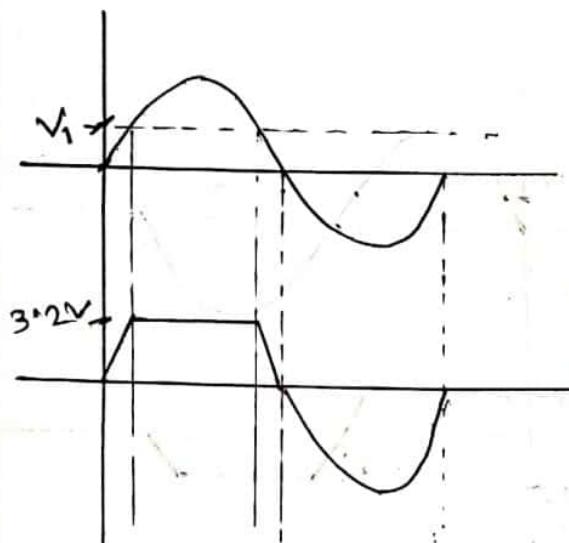
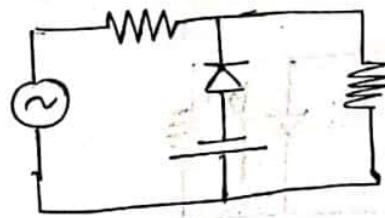
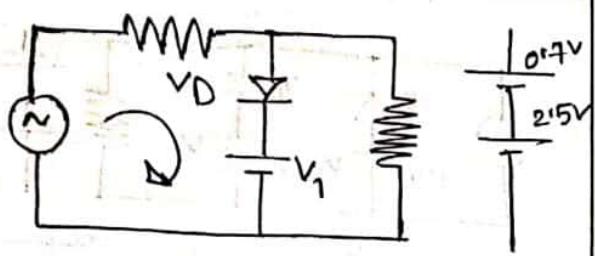
* Diode off प्राक्तन DI effect count करता होता है।

Diode on n n n n n কাব্যে- মুখ্যে ।

* Parallel clipper



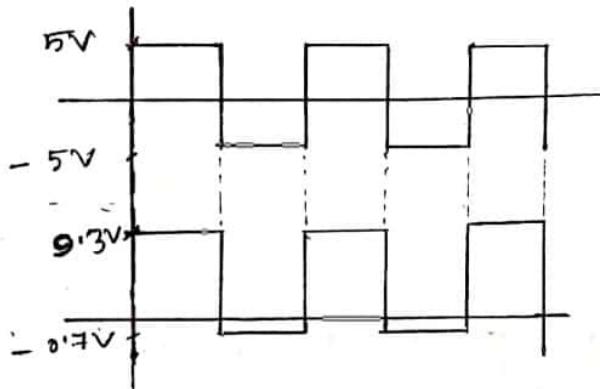
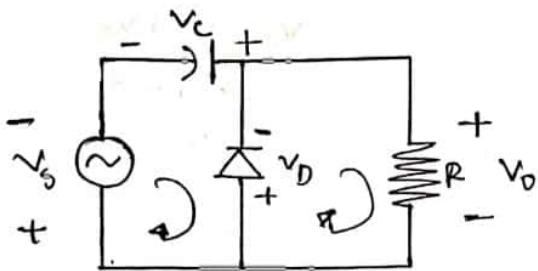
* parallel clipper output ദിശയിൽ നിന്ന് വരുമ്പോൾ അപ്പാവിജ്ഞാപ്പ കാണും, മുകളിൽ വരുമ്പോൾ നാം പഠിച്ചതു !



05/08/2019
Monday

Clampers: A ckt that clamps the (+)ve or (-)ve peak of a signal at a desired dc level is known as clamping.

- A clamping adds a dc component to the signal and does not change the amp./shape of the input signal.



(-)ve cycle, $-V_s + V_o + V_c = 0$
(Diode on)

$$\begin{aligned} \therefore V_c &= V_s - V_o \\ &= 5 - 0.7 \\ &= 4.3V \end{aligned}$$

(+)ve cycle, $-V_s - V_c + V_o = 0$
(Diode off)

$$\begin{aligned} \therefore V_o &= +V_s + V_c \\ &= 5 + 4.3 \\ &= 9.3V \end{aligned}$$

* diode on \rightarrow capacitor charging
diode off \rightarrow capacitor discharging.

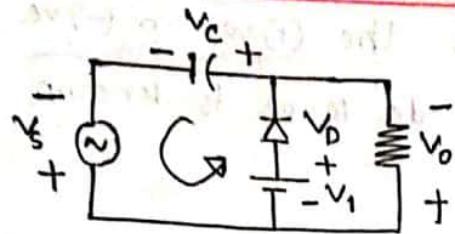
i) changing cycle
(Diode will be on).

* capacitor तरंगाएँ
charge तरंग गिरा.
→ अब तरंग discharge
गिरा. इस दौरान गिरा
battery तरंग बढ़ा।

$$\begin{aligned} -V_D - V_b &= 0 \\ \Rightarrow V_o &= -V_D \\ &= -0.7V \end{aligned}$$



* capacitor तरंगें
fixed तरंग वे polarity
दूर करने।



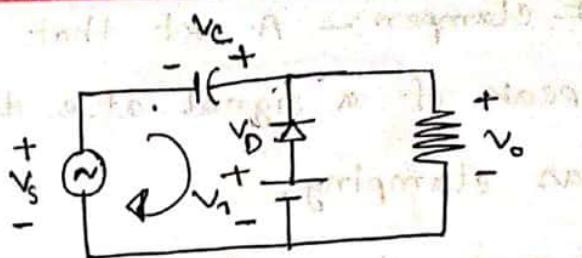
(-)ve cycle,

$$-V_s - V_1 + V_D + V_c = 0$$

$$\begin{aligned} \therefore V_c &= +V_s + V_1 - V_D \\ &= 5 + 2.5 - 0.7 \\ &= 7.5 - 0.7 \\ &= 6.8 \text{ V} \end{aligned}$$

$$-V_o - V_D + V_1 = 0$$

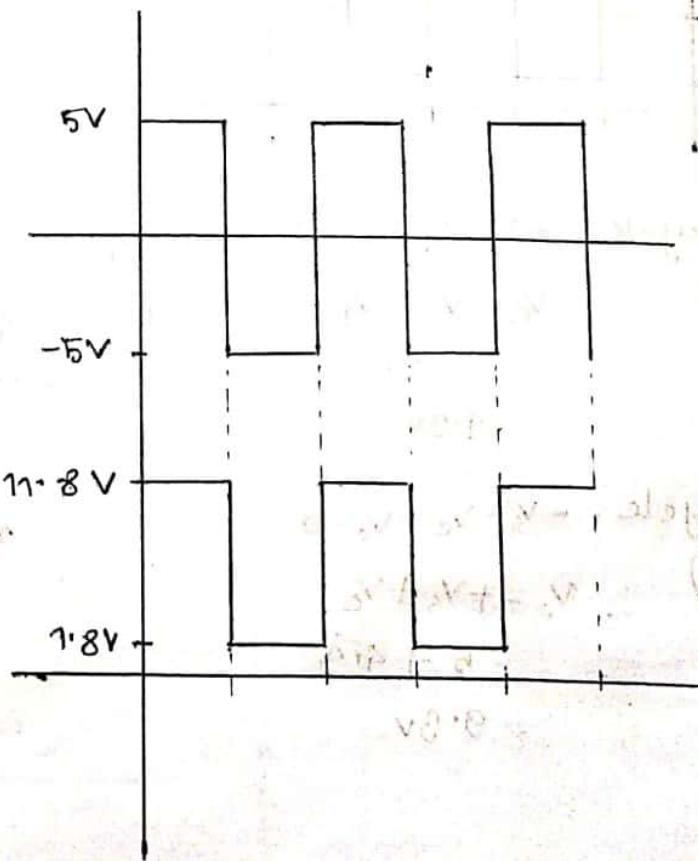
$$\begin{aligned} \therefore V_o &= -V_D + V_1 \\ &= -0.7 + 2.5 \\ &= 1.8 \text{ V} \end{aligned}$$

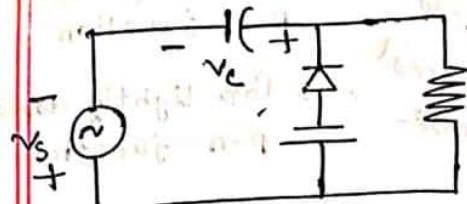


(+)ve cycle,

$$-V_s - V_c + V_o = 0$$

$$\begin{aligned} \therefore V_o &= V_s + V_c \\ &= 5 + 6.8 \\ &= 11.8 \text{ V} \end{aligned}$$





AC w. capacitor
polarity $\pi \angle -$

$$(-) \text{ ve cycle}, \\ -V_s + V_1 + V_D + V_C = 0$$

$$\therefore V_C = V_s - V_1 - V_D$$

$$\text{Step 1} = 5 - 2.5 - 0.7 \\ = 1.8 \text{ V}$$

$$- V_o - V_D - V_1 = 0$$

$$\Rightarrow V_o = - V_D - V_1$$

$$= - 3.2 \text{ V}$$

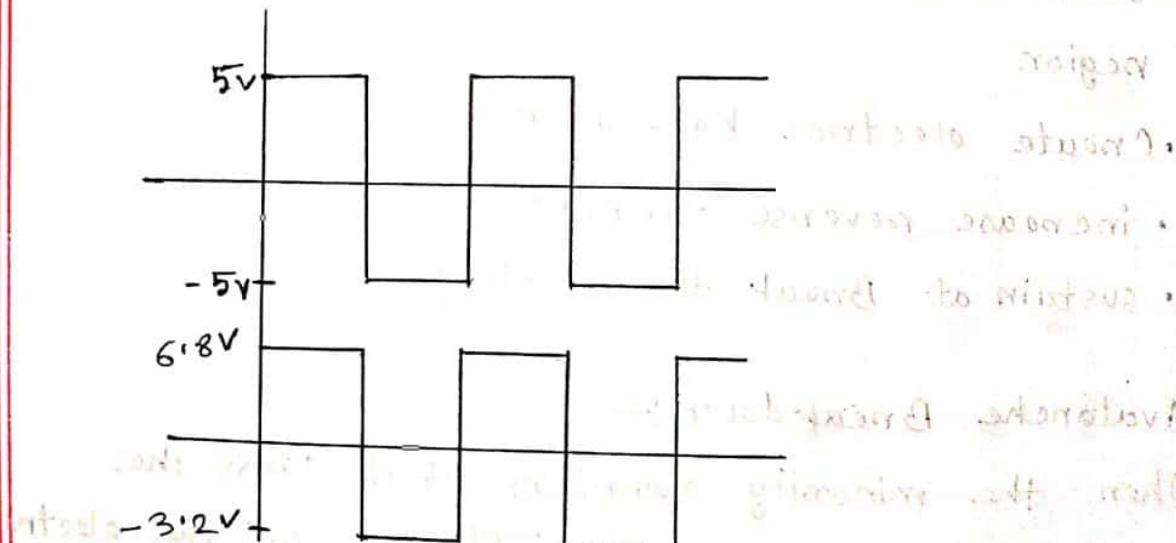
(+) ve cycle,

$$-V_s - V_C + V_o = 0$$

$$\therefore V_o = V_s + V_C$$

$$= 5 + 1.8$$

$$= 6.8 \text{ V}$$

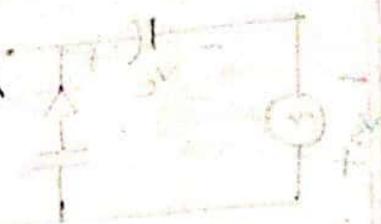


07/08/2019
Wednesday

Breakdown mechanism:-

- i) Zener Breakdown
- ii) Avalanche Breakdown

for only Zener diode
for normal diode



Zener breakdown occurs when electric field in the depletion layer increases in a point where it can break covalent bonds and generate electron hole pairs.

usually, $V_Z < 5V$.

- Reverse bias voltage
- Rise of intensity of E.f.
- Breakdown covalent bonds in narrow depletion region
- Create electron hole pairs
- increase reverse current
- sustain at Break down voltage

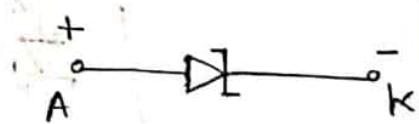
Avalanche Breakdown:-

When the minority carriers that cross the depletion layer under the influence of the electric field, gain sufficient K.E. to be able to break covalent bonds in atom with which they collide.

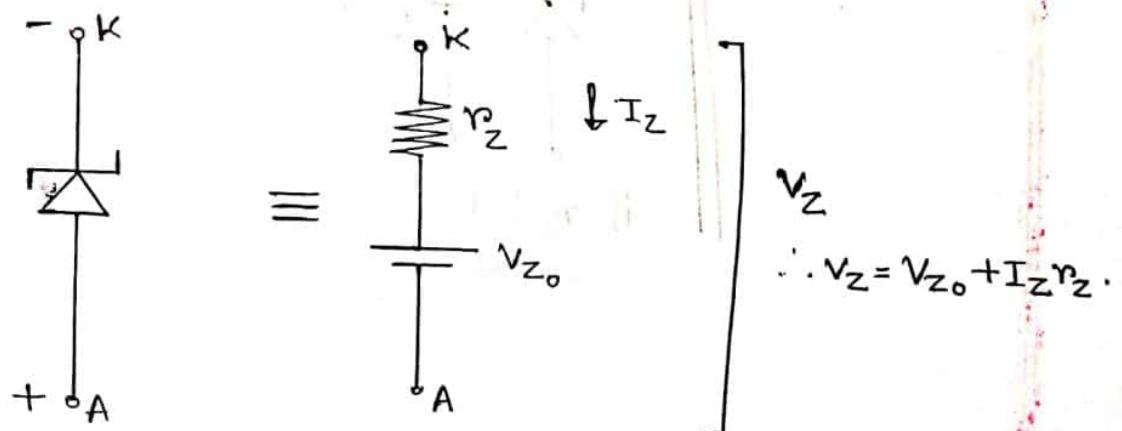
Usually $V_Z > 7V$

Zener diode:-

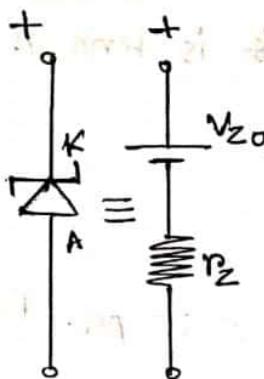
A properly doped crystal diode which has a sharp breakdown voltage, is known as Zener diode.



- The bar is turned into Z-shape. Following points to be remembered:-
 - Zener diode is designed to operate in the Zener breakdown region to zener voltage.
 - Forward bias characteristics is like an ordinary diode.
 - It is used to make voltage regular ckt.



$$r_z = \frac{1}{\text{slope}}$$

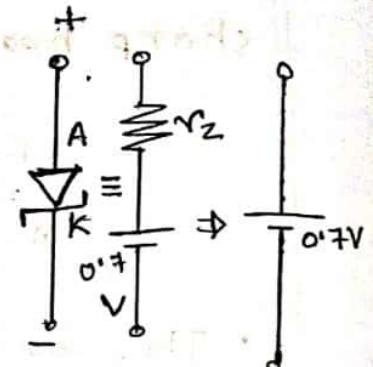


$$I_z r_z$$

$$V_z = V_{z0} + I_z r_z$$

V_z V_{z0} V_{zK} \rightarrow knee voltage

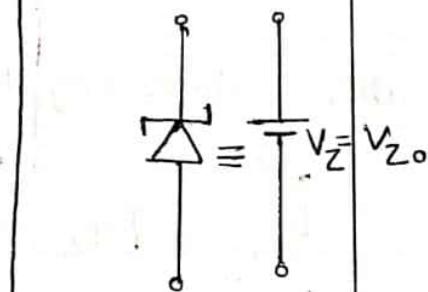
$$I_z$$



r_z is too small

$$I_{zK}$$

$$V_m$$



if r_z is too small

i-v characteristics
diagram

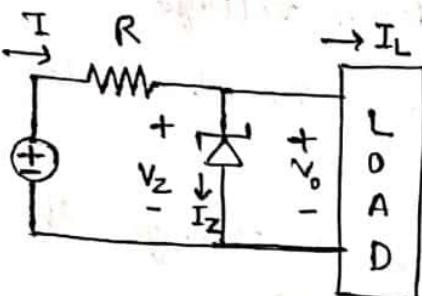
- * reverse bias \Rightarrow Zener diode voltage V_{ZD} - fixed and $V_B = V_Z + V_{ZD}$ - Zener breakdown voltage.
- * forward bias \Rightarrow Zener diode normal diode V_D - वर्तमान कार्य क्षेत्र.
- * Line regulation \rightarrow the ability to change the specified output voltage.

* • Line regulation = $\frac{\Delta V_o}{\Delta V_s} \times 100\%$.

• Load regulation = $\frac{\Delta V_o}{\Delta I_L} \times 100\%$.

28/08/2019
Wednesday

Use of zener diode as Shunt Regulator:-



- V_o is constant once the diode starts to conduct at RB condition.
- Used for over-voltage protection.

$$\text{Desire, } V_o \neq f(V_s, I_L)$$

$$\bullet \text{Line regulation} = \frac{\Delta V_o}{\Delta V_s} \text{ (mV/V)}$$

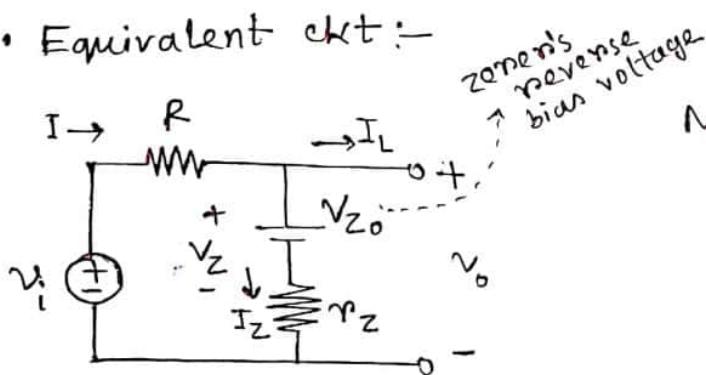
$$\bullet \text{Load regulation} = \frac{\Delta V_o}{\Delta I_L} \text{ (mV/mA)}$$

→ The line regulation is the ability to change in V_o corresponding to 1V change in V_s .

Load regulation:-

is the ability to change in $\leftarrow V_o$ corresponding to 1mA change in I_L .

• Equivalent ckt:-



$$\text{Now, } I = I_Z + I_L$$

$$V_Z = V_{Zo} + I_Z r_Z = V_o$$

$$V_s = IR + V_{Zo} + I_Z r_Z$$

$$= R(I_L + I_Z) + V_{Zo} + I_Z r_Z$$

$$= I_Z(R + r_Z) + I_L R + V_{Zo}$$

$$\therefore I_Z = \frac{V_s - I_L R - V_{Zo}}{R + r_Z}$$

Now,

$$V_o = V_{zo} + r_z \left(\frac{V_s - I_L R - V_{zo}}{R + r_z} \right)$$

$$\therefore V_o = V_{zo} + \frac{R}{R + r_z} - I_L \frac{R \cdot r_z}{R + r_z} + V_s \frac{r_z}{R + r_z}$$

From here,

$$\text{Line regulation, } \frac{\Delta V_o}{\Delta V_s} = -\frac{r_z}{R + r_z}$$

$$\text{Load regulation, } \frac{\Delta V_o}{\Delta I_L} = -(R \parallel r_z)$$

current emitting resistance $R = \frac{V_{s\min} - V_{zo} - r_z I_{z\min}}{I_{z\min} + I_{L\max}}$

Temperature effect in Zener diode:-

Zener diode whose $V_z \leq 5V$ exhibit (+)ve temperature co-efficient. (normal diode এর মতো হবে)

- $V_z > 5V \rightarrow (+)\text{ve temp. co-eff. } (T \uparrow R \uparrow)$
- Normal diode $\rightarrow (-)\text{ve temp. co-eff. } (-2.5 \text{ mV}/^\circ\text{C})$

Q:- It is required to design a Zener shunt regulator to provide an output voltage approximately $\frac{7.5}{I_Z} V_Z$ The raw supply varies between 15 and 25 V. And the load current varies over the range of 0 to 15 mA. Zener diode has V_Z at a current of $\frac{20 \text{ mA}}{I_Z}$

$$V_Z = 10 \Omega, I_{Z\min} = \frac{1}{3} I_{L\max}$$

Find the required value of R and determine the line and load regulation. Also determine the percentage change in V_o corresponding to full changing V_s and full changing I_L .

$$\rightarrow V_{Z_0} = 7.5 \text{ V}$$

$$R = ?$$

$$1 \cdot \Delta V_o = ?$$

$$I_Z = 20 \text{ mA}$$

$$\frac{\Delta V_o}{\Delta V_s} = ?$$

$$V_Z = 10 \Omega$$

$$\frac{\Delta V_o}{A I_L} = ?$$

$$V_s = 15 \text{ V} \sim 25 \text{ V}$$

$$I_L = 0 \text{ mA} \sim 15 \text{ mA.}$$

$$\therefore I_{Z\min} = \frac{1}{3} \times 15 = 5 \text{ mA.}$$

$$\begin{aligned} R &= \frac{V_{s\min} - V_{Z_0} - r_z I_{Z\min}}{I_{Z\min} + I_{L\max}} \\ &= \frac{15 - 7.5 - 10 \times 5}{5 + 15} \\ &= 372 \Omega \end{aligned}$$

$$\frac{\Delta V_o}{\Delta V_s} = -\frac{r_z}{R+r_z} = -\frac{10}{R+10} = -\frac{10}{372+10} = -0.026$$

$$\frac{\Delta V_o}{\Delta I_L} = -\frac{R \cdot r_z}{R+r_z} = -\frac{372 \cdot 10}{372+10} = -9.74$$

$$1. \frac{\Delta V_o}{\Delta V_s} = 0.026$$

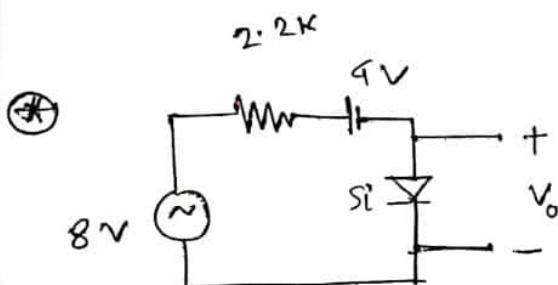
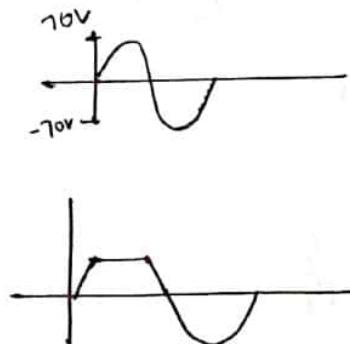
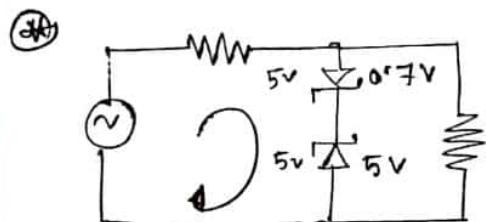
$$\frac{\Delta V_o}{\Delta I_L} = -9.74$$

$$1. \Delta V_o = 0.026 * \Delta V_s \\ = 0.026 * 10$$

$$\Rightarrow \Delta V_o = \left(\frac{-9.74}{-1.5} * 15 \right) * 1001.$$

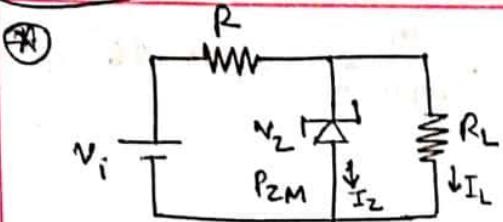
$$1. \Delta V_o = \frac{0.026}{-1.5} * 1001.$$

$$= 0.351.$$



draw the
output wave form.

Boylestered



- (i) V_i and R_L fixed
- (ii) V_i fixed and R_L variable
- (iii) V_i variable and R_L fixed.

(i) case-1:- $V_z > V_i$ (Zener on $22V$ or normally on. off)

case-2:- $V_z < V_i$ (Zener on $-22V$)

$$V_{Th} = V_L = \frac{R_L}{R+R_L} * V_i > V_z$$

$$V_L = \frac{R_L}{R+R_L} * V_i < V_z$$

• V_z when V_{Th} $22V$ or
off. $22V$ or $-22V$ Zener
off $-22V$

$$I_z = 0$$

$$P_Z = I_z V_z = 0$$

$$I_L = \frac{V_L}{R_L}$$

$$V_z = 0$$

$$\bullet I = \frac{V_i - V_L}{R} = I_L$$

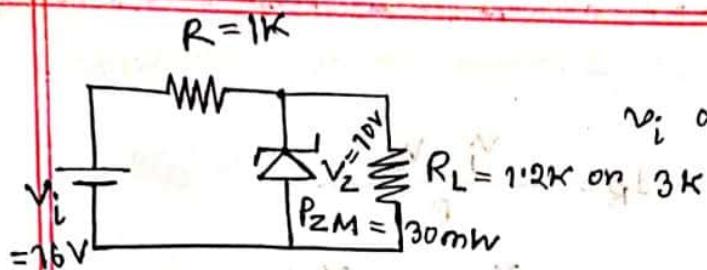
$$\bullet I_s = I_z + I_L$$

$$I_L = \frac{V_o}{R_L} = \frac{V_z}{R_L}$$

$$\bullet I_s = \frac{V_i - V_z}{R}$$

01/09/2019

Sunday



V_i and R fixed.

First we have to determine whether zener is 'on' or 'off'.

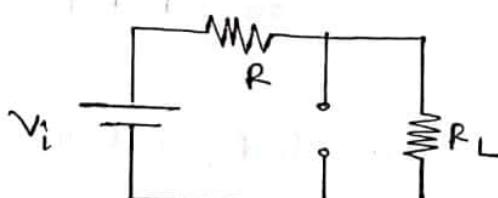
For that, we have to apply thevenin's,

$$V_{th} = V_z = \frac{R_L}{R + R_L} * V_i$$

Two cases :- $V_{th} > V_z$ (ON)

$V_{th} < V_z$ (OFF)

First if OFF ; $V_{th} < V_z$



Here,

$$I_R = I_L = \frac{V_i}{R + R_L}$$

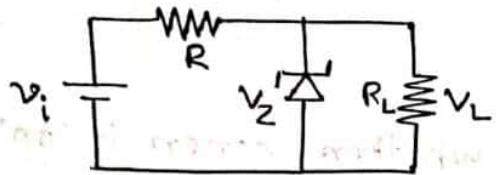
$R_z = 0 = I_z V_z$ (zener off)

$V_z = 0$

$$V_R = I_R R$$

$$V_L = I_L * R_L$$

case 2:- $V_{th} \geq V_Z$: ON



$$I_R = \frac{V_i - V_Z}{R}$$

$$I_L = \frac{V_L}{R_L} = \frac{V_Z}{R_L}$$

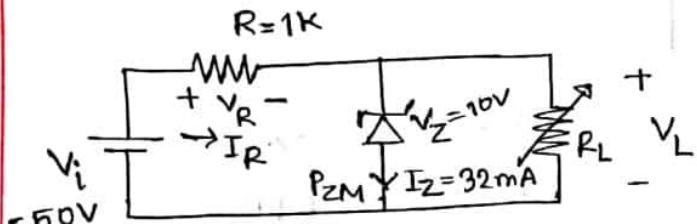
Again, $I_R = I_Z + I_L$

$$P_Z = I_Z V_Z$$

$$= (I_R - I_L) * V_Z$$

$$= \left(\frac{V_i - V_Z}{R} - \frac{V_Z}{R_L} \right) V_Z$$

② V_i fixed and R_L variable:-



- Load = 0 ; short ckt
- load resistance के बाहर zener on 2A AT 1

We have to find out minimum value of R_L and maximum of R_L for which zener is ON.

P_{ZM} = Maximum power dissipation capability of zener

R = current limiting resistor

R_L = varying load

* condition for minimum R_L :-

$$V_{th} = \frac{R_L}{R+R_L} V_i = V_Z$$

$$\therefore V_i R_L = V_Z (R + R_L)$$

$$\Rightarrow R_L (V_i - V_Z) = V_Z R$$

$$\therefore R_{L\min} = \frac{V_Z R}{V_i - V_Z}$$

* when load is minimum and I_L is maximum :-

$$\therefore I_{L\max} = \frac{V_L}{R_{L\min}}$$

$$= \frac{V_Z}{R_{L\min}}$$

Now, KCL,

$IR = I_Z + I_L$; when I_L max; I_Z will be minimum.

$$\therefore I_R = I_{Z\min} + I_{L\max}$$

$$\therefore I_{Z\min} = I_R - I_{L\max}$$

$$= \frac{V_i - V_Z}{R} - \frac{V_Z}{R_{L\min}}$$

* For maximum R_L :-

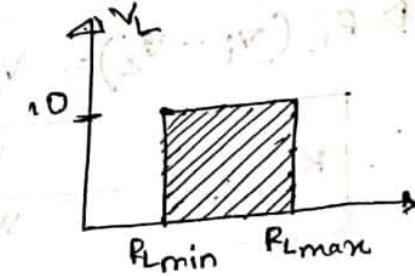
$$P_{ZM} = V_Z I_{ZM}$$

$$\therefore I_{Z\max} = \frac{P_{ZM}}{V_Z}$$

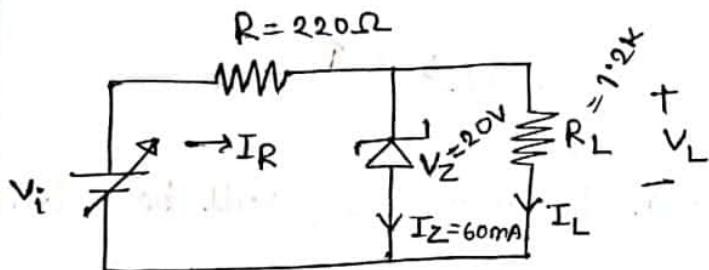
$$I_{L\min} = I_R - I_{Z\max}$$

$$= \frac{V_i - V_Z}{R} - \frac{P_{ZM}}{V_Z}$$

$$R_{L\max} = \frac{V_L}{I_{L\min}} = \frac{V_Z}{I_{L\min}}$$



③ V_i variable, R_L fixed :-



Condition for minimum i/p

$$V_{th} > V_Z \rightarrow ON$$

$$V_{th} < V_Z \rightarrow OFF$$

$$\therefore V_{th} = \frac{R_L}{R+R_L} * V_i = V_Z$$

$$\therefore V_{i\min} = \frac{V_Z(R+R_L)}{R_L}$$

* Condition for maximum v_i :-

$v_{i\max}$ is limited by $I_{z\max}$.

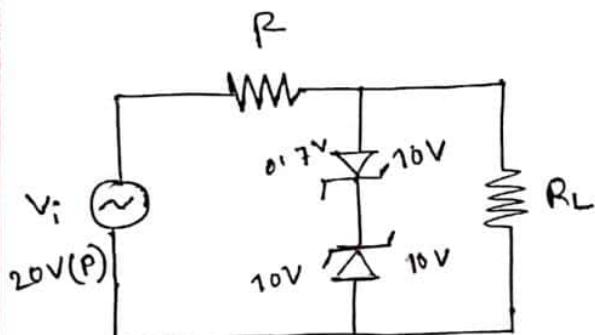
$$I_R = I_z + I_L$$

$$I_{R\max} = I_{z\max} + I_L$$

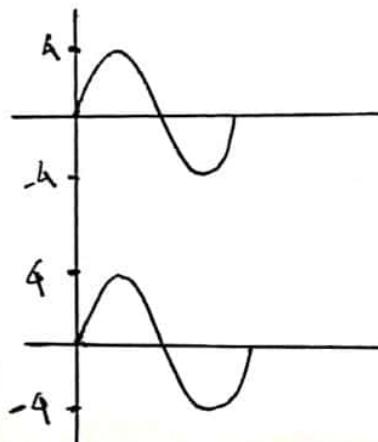
$$\therefore v_{i\max} = V_{R\max} + V_Z$$

$$= I_{R\max} \times R + V_Z$$

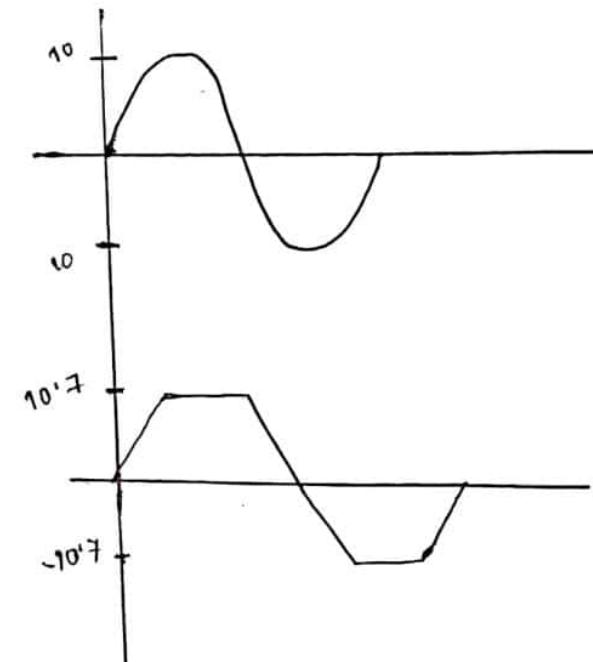
Boylestered



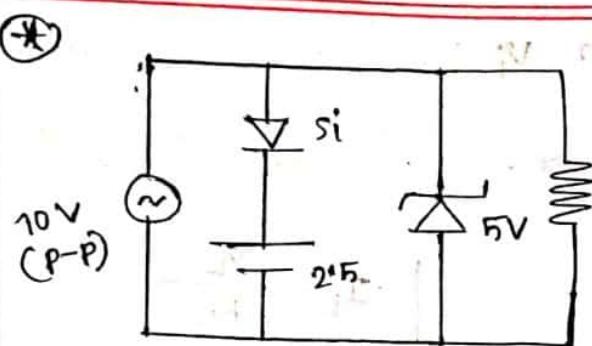
$$v_i = 4 \text{ V } 20\text{Hz}$$



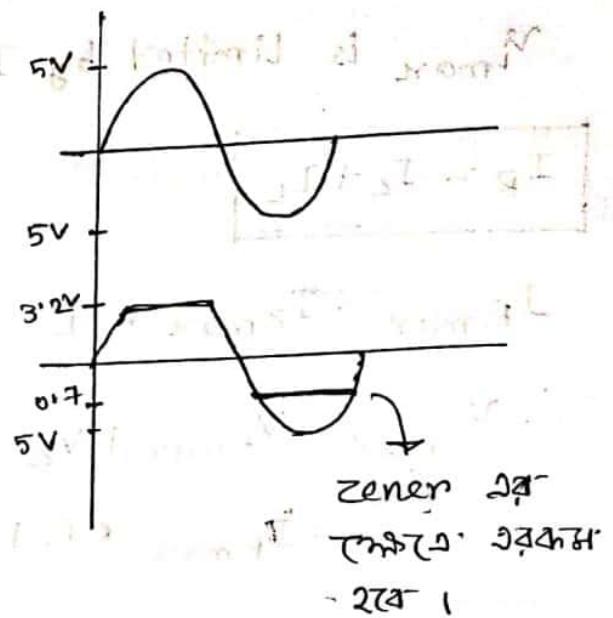
diode won't work.



$$cz \quad 4+4=8 \text{ V } 21-10 \text{ V } 9 \text{ V}$$



N transistor not modified



*Zener 5V
ஒத்து விடும்
- 0.7V -*

Quiz #2

*↓
09.09.2019*

29.07 - 2019 தேவை அடிகள்

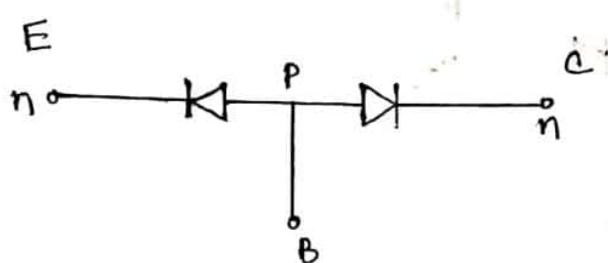
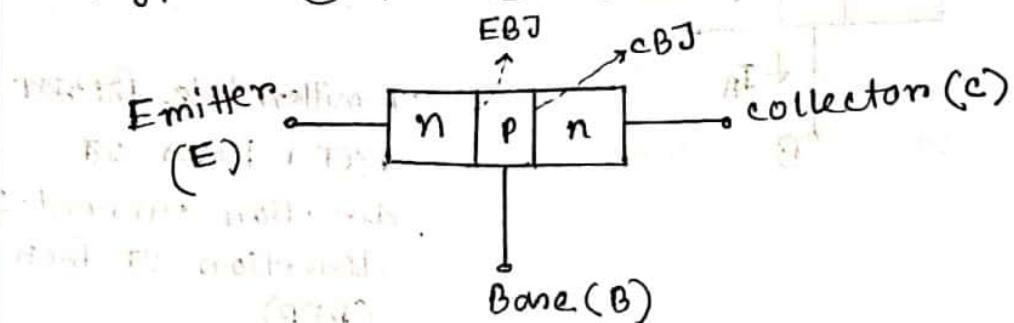
பட்டு

02.09.2019

Monday

Bipolar Junction Transistor (BJT):—

2 types :— (i) n-p-n (ii) p-n-p



$$\begin{array}{c} 100\text{ mA} \\ \text{mA} \end{array} \xrightarrow{\text{E}} \begin{array}{c} 5\text{ mA} \\ \mu\text{A} \end{array} \xrightarrow{\text{B}} \begin{array}{c} 95\text{ mA} \\ \text{mA} \end{array} \xrightarrow{\text{C}}$$

- Transistor \rightarrow amplification

कठा बैटरी signal
वाले वर्षे ।

- Bipolar \rightarrow e⁻ and hole

- Transistor \rightarrow Transfer through resistor

- Emitter a doping process रिसी, "constant देखा- एवं . e⁻ निःशुल्क

एवं अभि- (n-p-n) :

$$I_E = I_B + I_C ; I_E \approx I_C$$

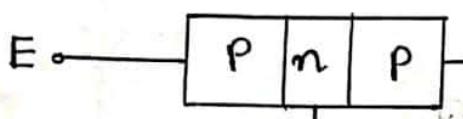
↓
maximum current

- biasing \rightarrow operating point set
कठा

Op. P. A.

forward

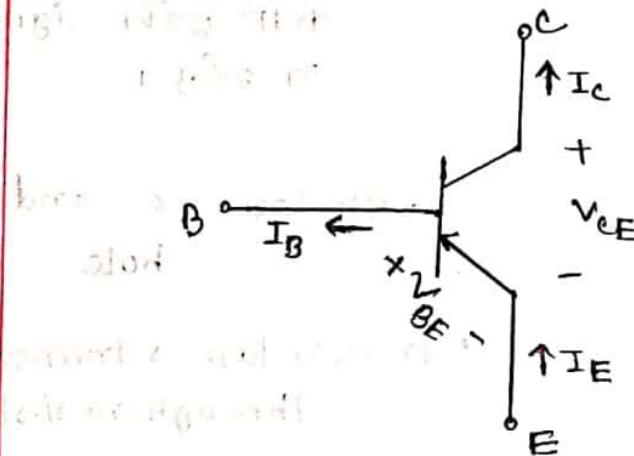
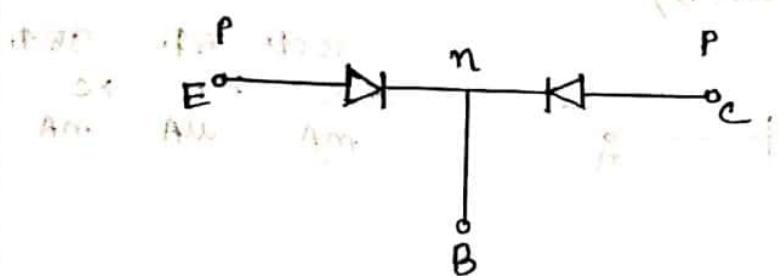
$\rightarrow I_E \rightarrow (I_{CQ})$ we get different voltage if
 $\rightarrow I_C$



(D) emitter
B

(A) collector
C

• Emitter hole present
major holes at
direction current or
direction of flow
(PNP)



3 doped regions creates 2 junctions:-

i. Emitter (E)

ii. Collector (C)

iii. Base (B)

$$E > C > B$$

Doping junction:-

E → • Heavily doped

• Injects majority carriers

(e^- for npn and holes for pnp)

C → Medium doped

B → Lightly doped

• C collects 95% of e^-

B collects 5% of e^- emits by emitter.

2 junctions:- (i) EBJ (ii) CBJ

• Modes of operation:-

EBJ	CBJ	Modes	Use
FB	RB	Active	Works as amplifier (analog ckt)
FB	FB	Saturation	Works as switch-on (digital ckt)
RB	RB	Cut-off	Works as switch-off (digital ckt)

• Origin of name:-

Transfer + Resistor = Transistor.



• Some facts:-

- i. 3 regions
- ii. Doping
- iii. Diodes (2)
- iv. Emitter diode ; collector diode
- v. Resistance

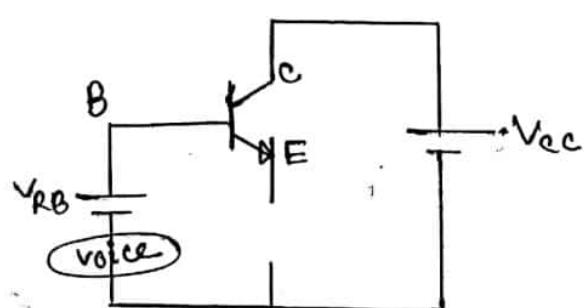
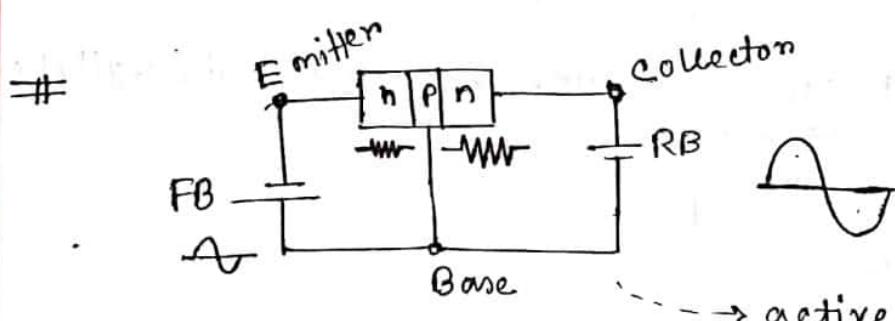
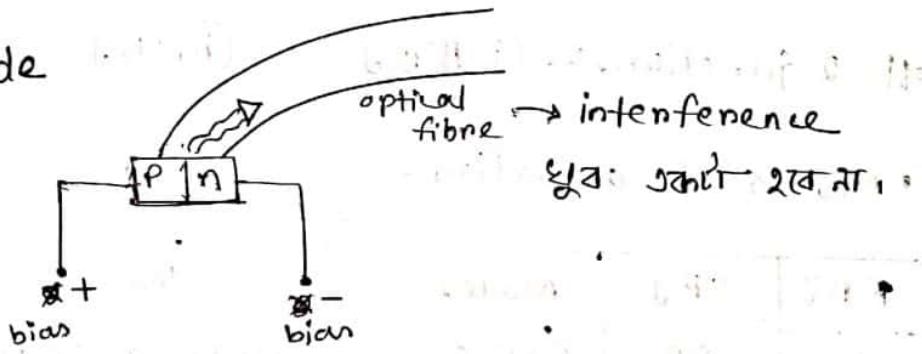
• Special Diodes:-

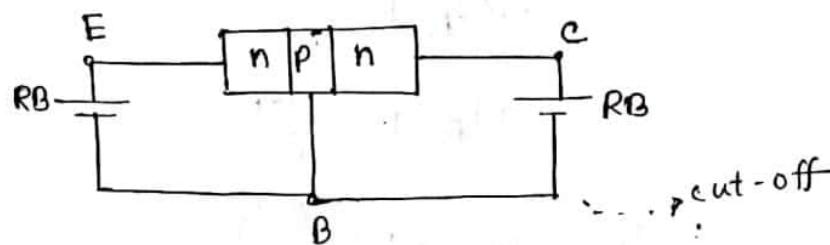
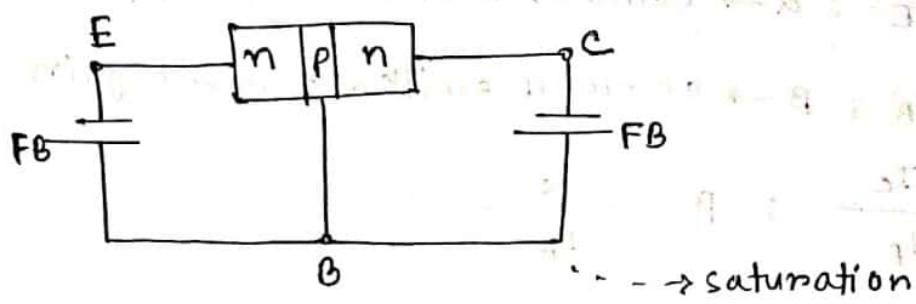
(i) Schottky diode

(ii) Varactor diode

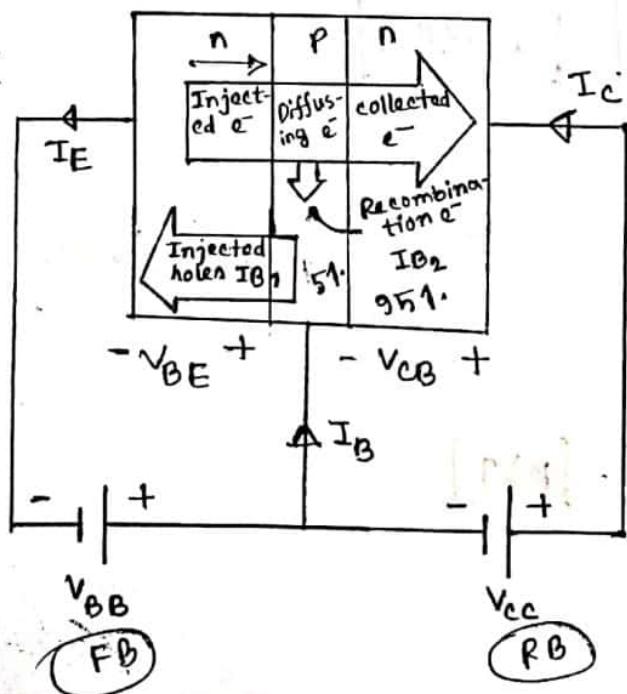
(iii) Photo diode

(iv) LED:-





- Emitter diode \rightarrow FB \rightarrow (Emitter base 3 collector
diode 2 terminals)
- collector " \rightarrow RB \rightarrow " " \downarrow
(Collector base 3 Emitter diode 2 terminals)



e⁻ flow 3. current direction \rightarrow opposite

$$\text{gain} = \frac{\text{o/p}}{\text{i/p}}$$



$I_c = \alpha I_E$; $\alpha \rightarrow$ common base current gain

$I_c = \beta I_B$; $\beta \rightarrow$ common emitter current gain

$$\alpha = \frac{I_c}{I_E} ; \beta = \frac{I_c}{I_B}$$

• Emitter current, $I_E = I_c + I_B$

$$\begin{aligned} &= \alpha I_E + \frac{I_c}{\beta} \\ &= \alpha I_E + \frac{\alpha I_E}{\beta} \\ \therefore I_E &= I_E \left(\alpha + \frac{\alpha}{\beta} \right) \end{aligned}$$

$$\Rightarrow 1 = \alpha \left(1 + \frac{1}{\beta} \right)$$

$$\therefore 1 = \alpha \left(\frac{\beta+1}{\beta} \right)$$

$$\alpha \approx 0.99$$

$$\therefore \frac{1}{\alpha} = \frac{\beta+1}{\beta}$$

$$\boxed{\alpha = \frac{\beta}{\beta+1}}$$

$$\text{so, } \alpha < 1$$

Again,

$$\alpha + \frac{\alpha}{\beta} = 1$$

$$\Rightarrow \alpha\beta + \alpha = \beta$$

$$\Rightarrow \beta(1 - \alpha) = \alpha$$

$$\therefore \boxed{\beta = \frac{\alpha}{1-\alpha}}$$

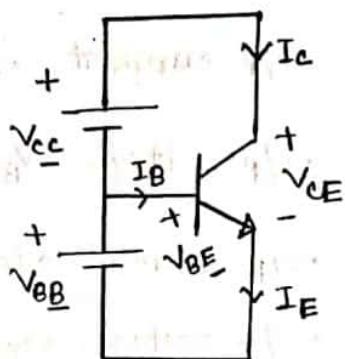
$$\boxed{\beta > 1}$$

$$\beta \rightarrow 100 \sim 200$$

04.09.2019

Wednesday

nPn:-



→ diode \Rightarrow Forward voltage

$$I_c = I_s e^{\frac{V_{BE}}{V_T}}$$

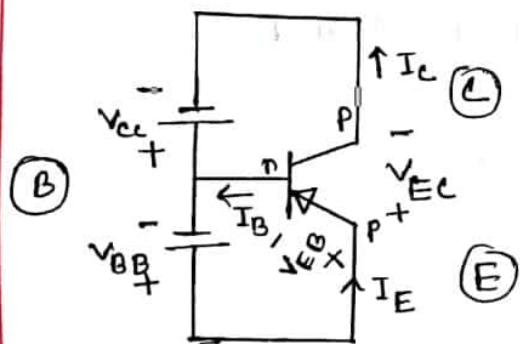
$$I_B = \frac{I_c}{\beta} = \frac{I_s e^{\frac{V_{BE}}{V_T}}}{\beta}$$

$$I_E = \frac{I_c}{\alpha} = \frac{I_s e^{\frac{V_{BE}}{V_T}}}{\alpha}$$

→ emitter

> lower potential

PnP:-



→ emitter → higher potential

$$I_c = I_s e^{\frac{V_{EB}}{V_T}}$$

$$I_B = \frac{I_c}{\beta} = \frac{I_s e^{\frac{V_{EB}}{V_T}}}{\beta}$$

$$I_E = \frac{I_c}{\alpha} = \frac{I_s e^{\frac{V_{EB}}{V_T}}}{\alpha}$$

$$V_T = \text{Thermal voltage} = \frac{kT}{q}$$

$\approx 25\text{mV}$ at room temp. and pressure.

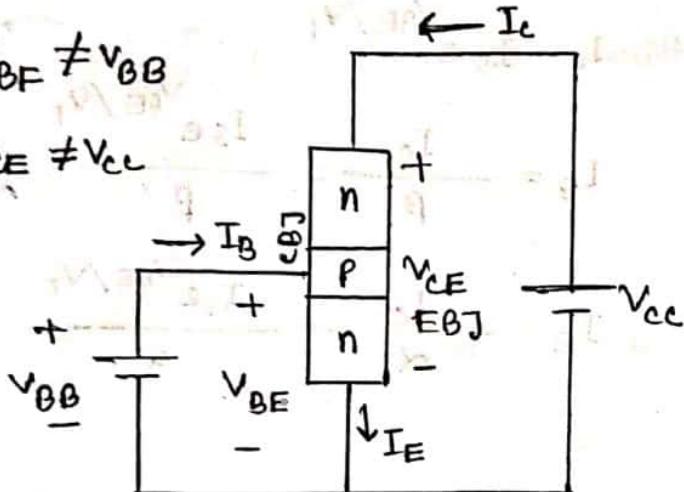
3 configurations:-

1. Common Base (CB)
2. Common Emitter (CE)
3. Common Collector (CC)

common Emitter:-

$V_{BF} \neq V_{BB}$

$V_{CE} \neq V_{CC}$



- i/p current $\rightarrow I_B$

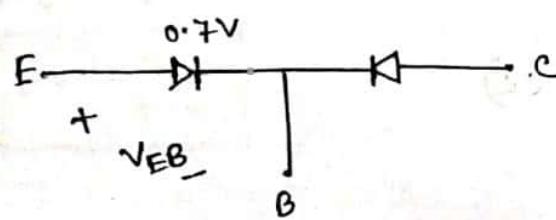
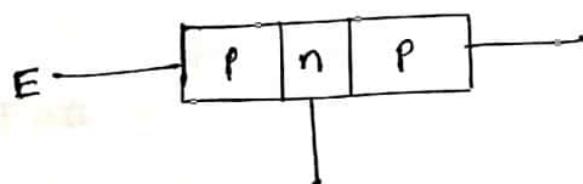
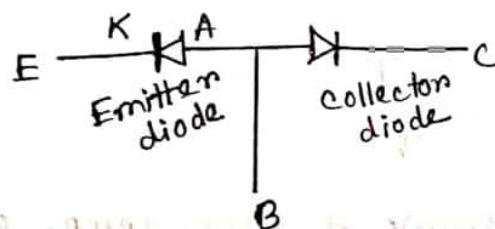
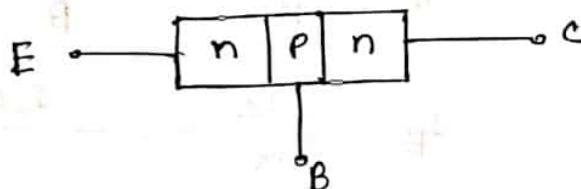
- i/p voltage $\rightarrow V_{BE}$

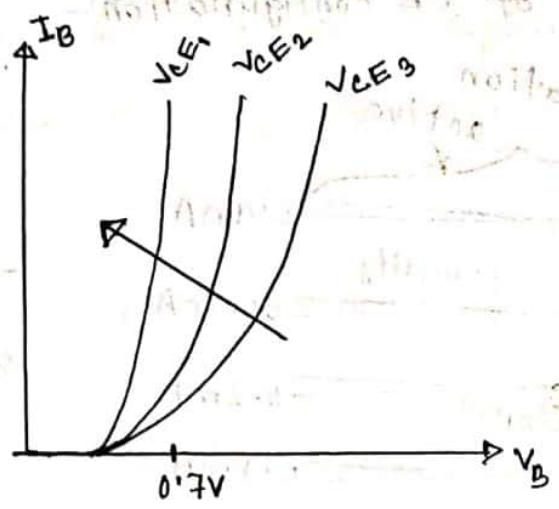
- o/p current $\rightarrow I_C$

- o/p voltage $\rightarrow V_{CE}$



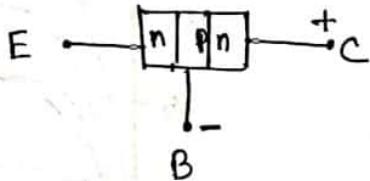
- gain \rightarrow input तथा तारे output तारे विस्तृति ।



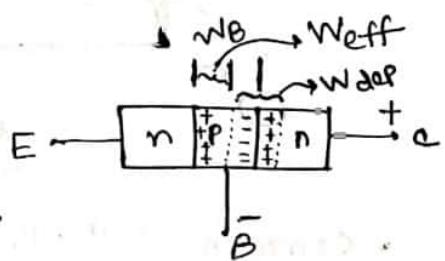


$V_{CE_3} > V_{CE_2} > V_{CE_1}$

$$\uparrow V_{CE} = \uparrow V_{CB} + V_{BE}$$

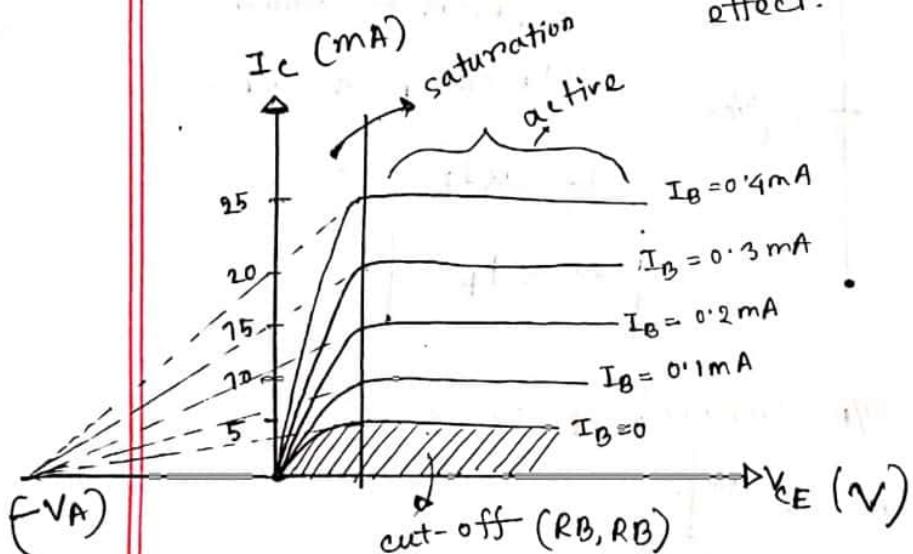


* $V_{CE} \downarrow$ curve shift right



Base width modulation

it is called Early effect.



• active mode \rightarrow amplification

$$\beta = \frac{\Delta I_C}{\Delta I_B} = \frac{15 - 10}{0.2 - 0.1} = \frac{5 \text{ mA}}{0.1 \text{ mA}} = 50$$

$\approx 100 \sim 200$

$$W_B = W_{eff} \downarrow + W_{dep} \uparrow$$

fixed

$$I_B \downarrow I_C \uparrow$$

• depletion layer

प्रतिरोध वर्त्तन वाक्यांश

charge carriers

विपरीत विपरीत
forward reverse

$$I_C = \beta I_B + (\beta + 1) I_{CBO}$$

bare open

(minority current)

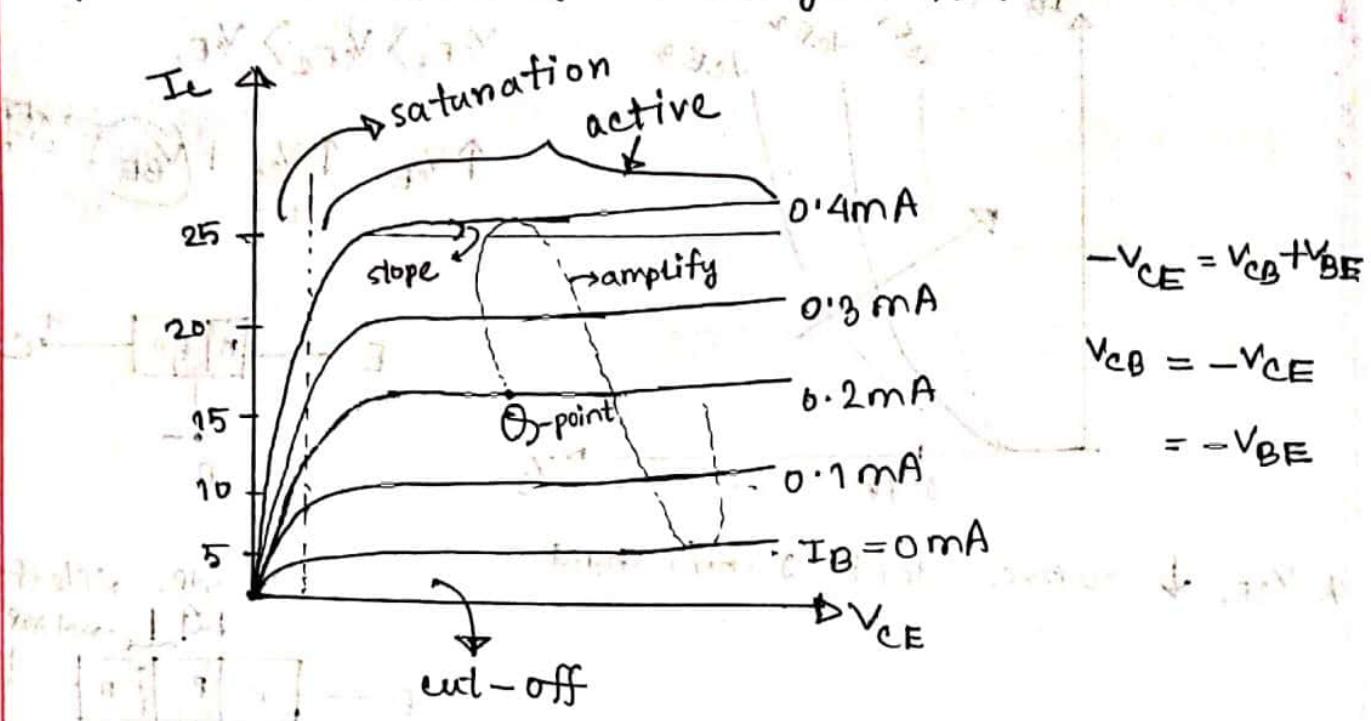
gain

गain

08.09.2019

Sunday

- O/P characteristic of CE configuration:-

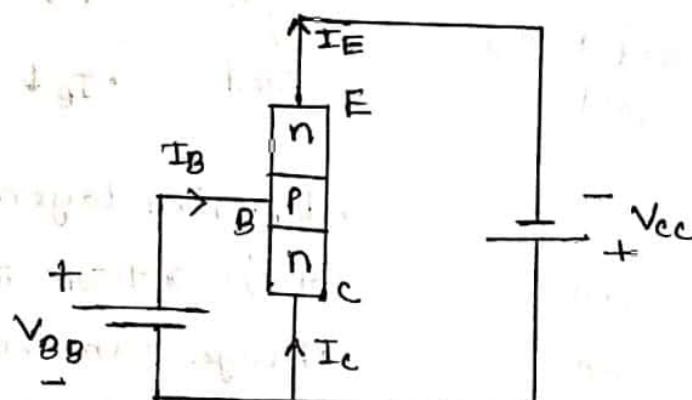


$$-V_{CE} = V_{CB} + V_{BE}$$

$$V_{CB} = -V_{CE}$$

$$= -V_{BE}$$

- Common collector configuration :-



$$V_{CE} = V_{BE} + V_{BC}$$

Graphical Relation
between I_E vs. V_{CE} .

$$I_C = \alpha I_E$$

$$I_C \approx I_E$$

So, we can replace o/p current I_E to I_C .

$$\boxed{\text{So, } \text{o/p of CE} \equiv \text{o/p of cc.}}$$

for all practical purposes.

- The common collector configuration is used for impedance matching. Because of high i/p impedance and low o/p impedance.

- Current Amp factor,

$$\gamma = \frac{\Delta I_E}{\Delta I_B}$$

We know, $I_E = I_C + I_B$

$$\Rightarrow \frac{I_E}{I_B} = \frac{I_C}{I_B} + 1$$

$$\Rightarrow \gamma = \beta + 1$$

$$= \frac{\alpha}{1-\alpha} + 1$$

$$\Rightarrow \gamma = \frac{\alpha + 1 - \alpha}{1-\alpha}$$

$$\therefore \boxed{\gamma = \frac{1}{1-\alpha}}$$

$$I_E = I_C + I_B \quad \text{--- (1)}$$

$$I_C = \alpha I_E + I_{CBO} \quad \text{--- (2)}$$

$$I_E = \alpha I_E + I_{CBO} + I_B$$

$$\Rightarrow I_E (1-\alpha) = I_B + I_{CBO}$$

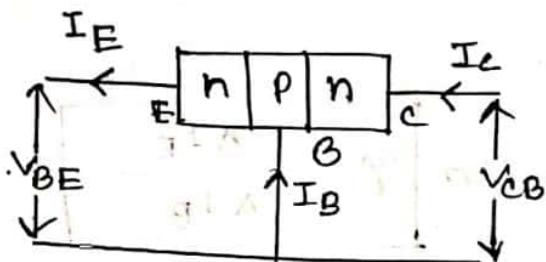
$$\therefore \boxed{I_E = \gamma I_B + \gamma I_{CBO}}$$

gain = $\frac{o/p}{i/p}$

$C_B \rightarrow \alpha$
 $C_E \rightarrow \beta$
 $C_C \rightarrow \gamma$

Common Base configuration:

(Working principle)



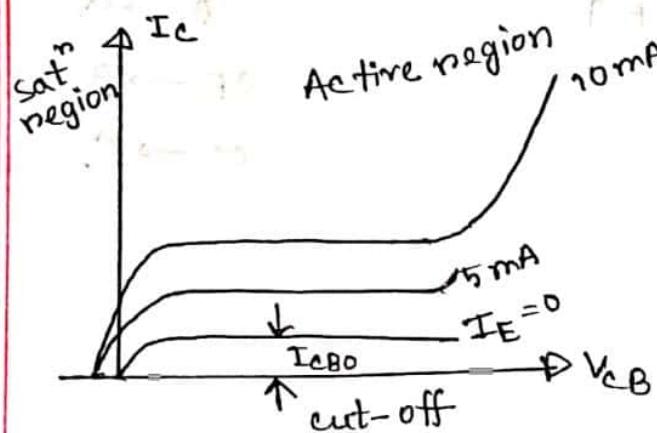
i/p current = I_B

i/p voltage = V_{BE}

o/p current = I_C

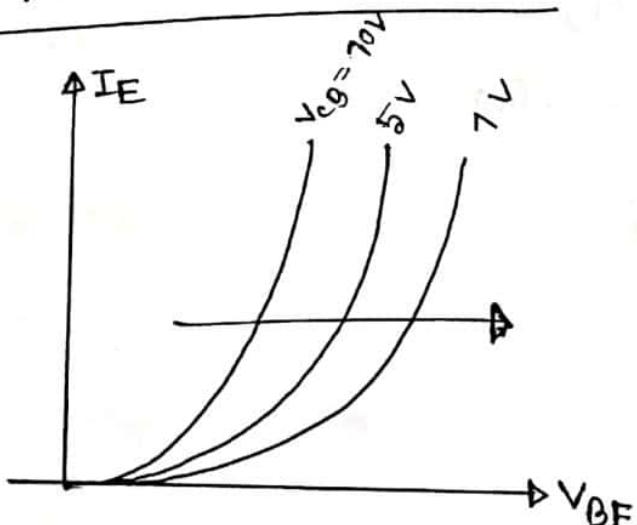
o/p voltage = V_{CB}

o/p characteristics



$$I_C = \alpha I_E + I_{CBO}$$

i/p characteristics:



$I_E \text{ vs } V_{BE}$

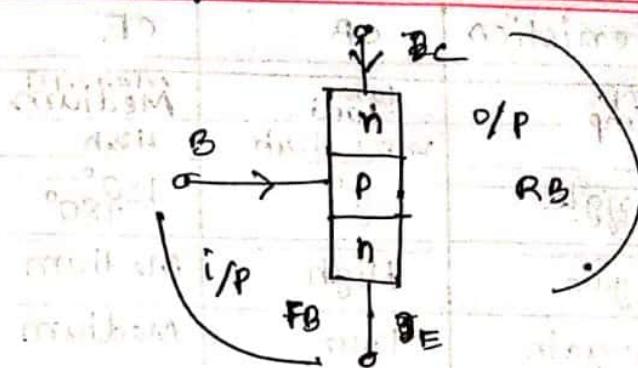
$V_{CB} \uparrow I_B \downarrow$

$I_C \uparrow$

* Block gain, $B = \frac{\Delta I_C \rightarrow o/p}{\Delta I_B \rightarrow i/p}$

Given, $\Delta I_B = 5mA$

$B = \frac{5mA}{0.1mA} = 50$



Monday

Characteristics	cB	CE	CC
Input imp.	low	Medium	High
o/p imp.	very High	High	Low
Phase angle	0°	180°	0°
Voltage gain	High	Medium	Low
Current gain	Low	Medium	High
Powers gain	Low	High Very	Medium

* ~~zener~~ diode
forward
bias \Rightarrow short
output resistance
 \Rightarrow β

Practically,

$$I_c = \alpha I_E + I_{cBO}$$

$$\Rightarrow I_c = \beta I_B + I_{CEO}$$

$I_{cBO} \rightarrow$ Collector current with collector junction is RB
and base open circuited.

$I_{CEO} \rightarrow$ collector current with collector junction is RB
and emitter open.

$$\text{Now, } I_c = \alpha I_E + I_{cBO}$$

$$= \alpha (I_c + I_B)$$

$$\Rightarrow I_c (1 - \alpha) = \alpha I_B + I_{cBO}$$

$$\therefore I_c = \frac{\alpha}{1 - \alpha} I_B + \frac{I_{cBO}}{1 - \alpha}$$

$$= \beta I_B + \frac{I_{cBO}}{1 - \alpha}$$

$$1 - \alpha = 1 - \frac{\beta}{\beta + 1}$$

$$= \frac{\beta + 1 - \beta}{\beta + 1}$$

$$\therefore (1-\alpha) = \frac{1}{\beta + 1}$$

$$\therefore I_c = \beta I_B + \frac{I_{cBO}}{1-\alpha}$$

$$I_c = \beta I_B + I_{cEO} \quad \text{--- (II)}$$

Comparing equation (I) and (II),

$$I_{cEO} = \frac{I_{cBO}}{1-\alpha}$$

$$= (\beta + 1) I_{cBO}$$

$$\therefore I_c = \beta I_B + (\beta + 1) I_{cBO}$$

DC Biasing of transistor:

is the process of applying external dc voltages to select the appropriate operating points.

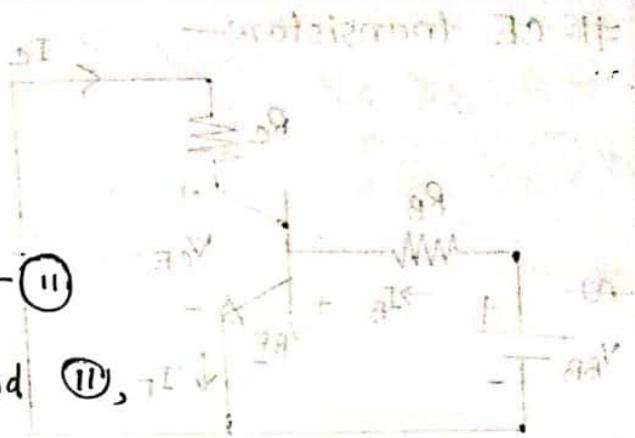
Three operating points:-

1. Active region

2. Saturation region

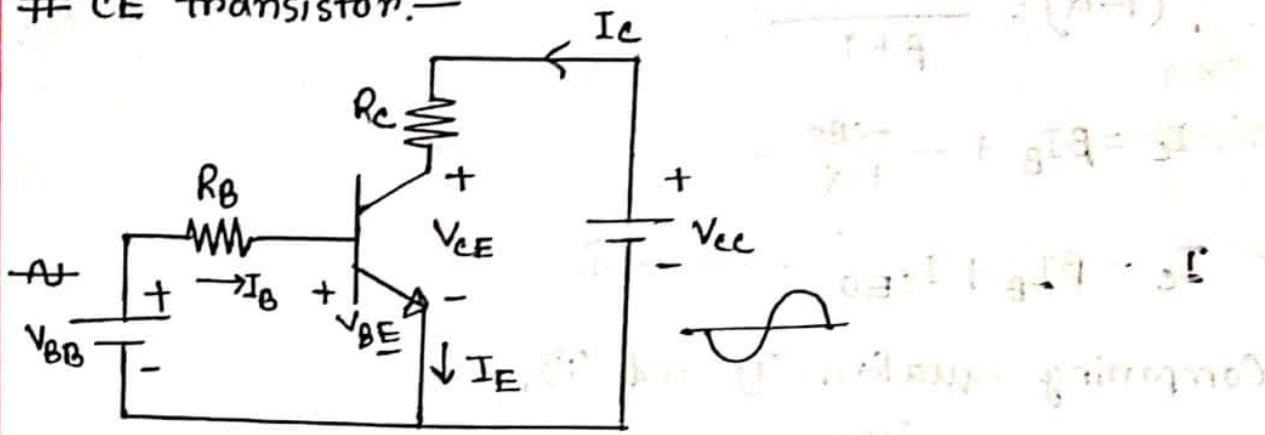
3. cut-off region

For these we need an npn

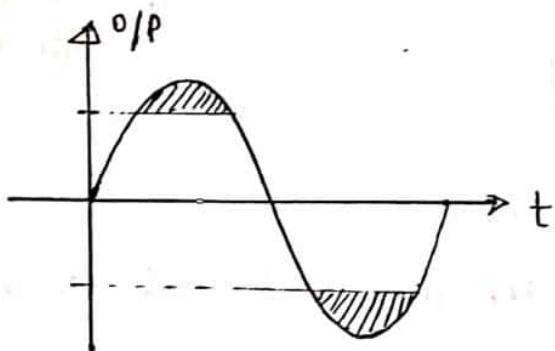


* biasing युक्ति बैटरी
transistor बॉल्टेना
मध्य पर !

CE transistor:-



If we apply an i/p small ac signal with DC then we desire to achieve an o/p amplified signal.

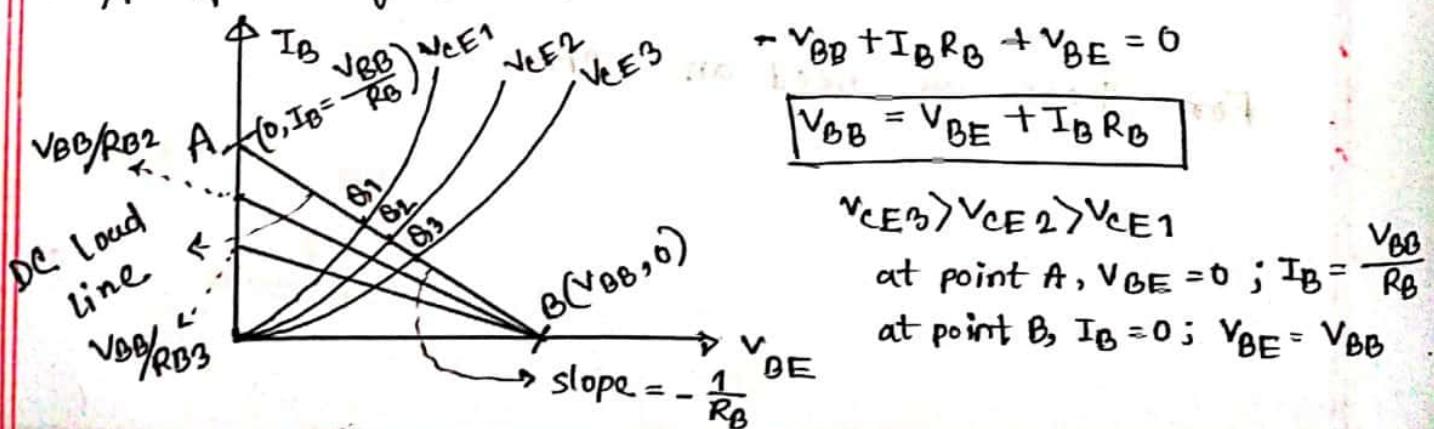


It is not desired that to get an o/p which one is clipped, it is called faithful amplification.

Operating point:-

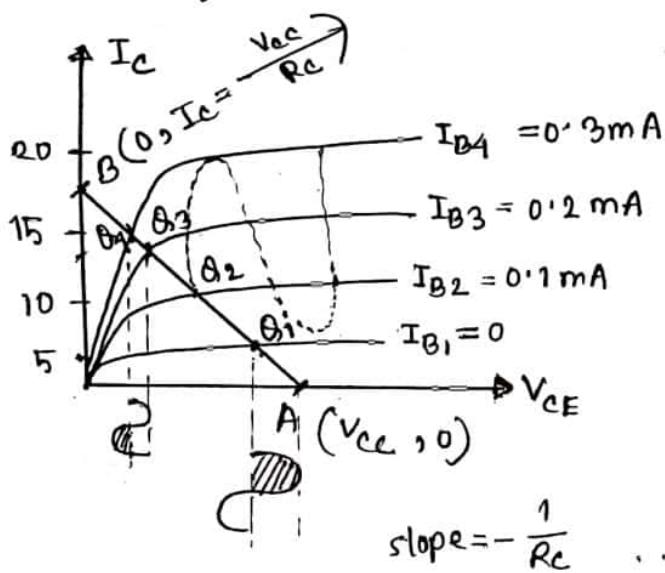
Transistors ~~are~~ are two port devices.

- i/p operating point :-



$R_B \uparrow$ slope \downarrow
 $R_B \downarrow$ slope \uparrow

• O/P operating point:-



$$V_{CC} - V_{CE} - I_c R_C = 0$$

$$V_{CC} = V_{CE} + I_c R_C$$

→ O/P characteristic equation

at point A, $I_c = 0$;
 $V_{CC} = V_{CE}$

at point B, $V_{CE} = 0$;
 $I_c = -\frac{V_{CC}}{R_C}$

$\theta_2 \rightarrow$ best operating condition with 1

O/P伏特输出 1

15/09/2019
Sunday

* I_c can change due to two reasons:-

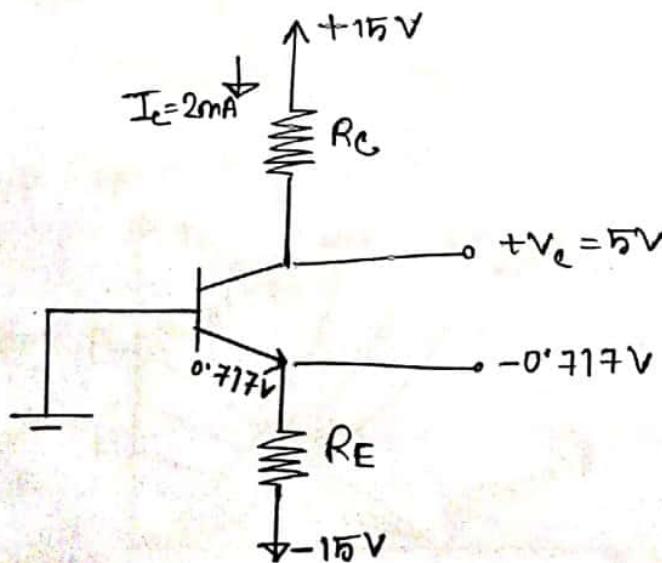
(i) Change in β value:- β of two different transistors will never be same. So change in β will result in change of operating point. On Q-point co-ordinates area (V_{CEQ}, I_{CQ}) : $I_c = \beta I_B$

(ii) Change in temperature:- If temperature changes minority carriers also change. So, I_c also changes as,

$$I_c = \beta I_B + (\beta + 1) I_{CBO}$$

Temp. \uparrow $I_{CBO} \uparrow$ $I_c \uparrow$.

Sedra
Ex:- 6.2 The transistor in the ckt has $\beta = 100$; exhibits $V_{BE} = 0.7V$ at $I_c = 1mA$. Design the ckt that a current of $2mA$ flows through the collector, and a voltage $+5V$ appears at collector.

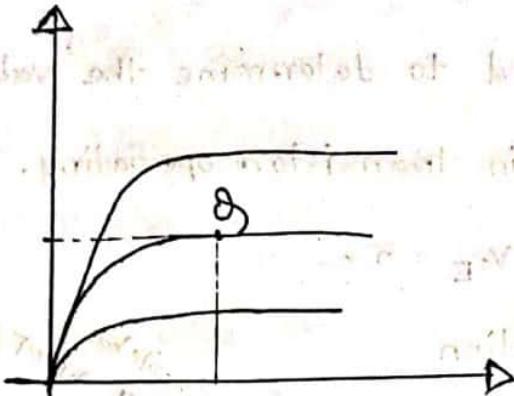


$$R_C = \frac{15 - 5}{2mA} = 5k\Omega$$

$$I_{C_1} = I_S e^{V_{BE_1}/V_T} \quad (1)$$

$$I_{C_2} = I_S e^{V_{BE_2}/V_T} \quad (2)$$

P.T.O.



$$\frac{I_{C_2}}{I_{C_1}} = e^{\frac{V_{BE_2}/V_T - V_{BE_1}/V_T}{\beta}}$$

$$\Rightarrow \frac{V_{BE_2} - V_{BE_1}}{V_T} = \ln\left(\frac{I_{C_2}}{I_{C_1}}\right)$$

$$\Rightarrow V_{BE_2} = V_{BE_1} + V_T \ln\left(\frac{I_{C_2}}{I_{C_1}}\right)$$

$$= 0.7V + 2mV * \ln\left(\frac{2mA}{1mA}\right)$$

$$\therefore V_{BE_2} = 0.717V$$

$$V_{BE} = V_B - V_E$$

$$\Rightarrow 0.717 = 0 - V_E$$

$$\therefore V_E = -0.717V$$

$$I_C = \alpha I_E$$

$$= \left(\frac{\beta}{\beta+1}\right) * I_E$$

$$I_E = I_C (\beta+1) / \beta$$

$$\therefore R_E = \frac{V_E - (-15)}{I_E}$$

$$= \frac{-0.717 + 15}{I_E}$$

~~Sadra~~

Ex-6.3

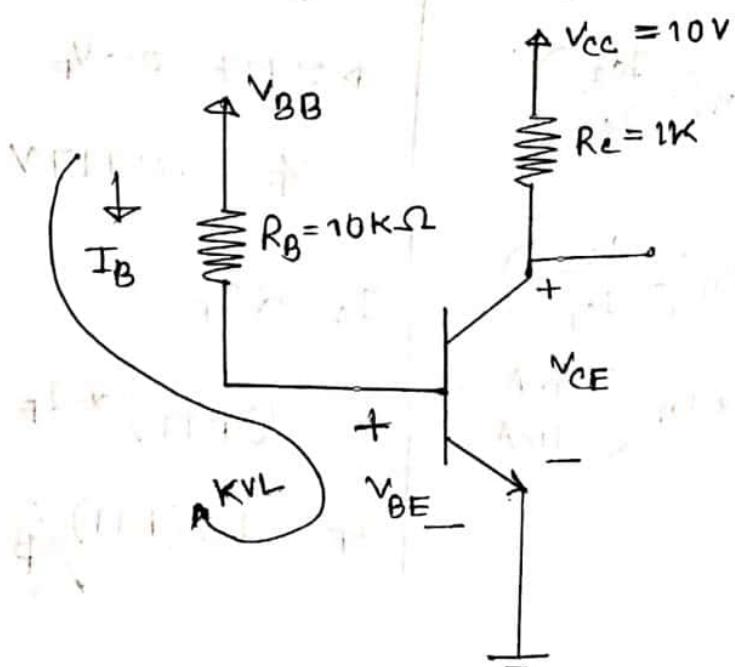
For the ckt, it is required to determine the value of voltage, V_{BB} that results in transistor operating.

a) in the active mode, $V_{CE} = 5V$.

b) at the edge of saturation → switching
point

c) deep in saturation, $\beta_{forced} = 10$

For simplicity, assume $V_{BE} = 0.7V$, $\beta = 50$.



(a) $V_{CE} = 5V = V_C - V_E$ $\therefore V_C = 5V$

$$I_C = \frac{V_{CC} - V_C}{R_C} = \frac{10 - 5}{1k} = 5mA$$

$$I_C = \beta I_B$$

$$I_B = I_C / \beta = 5mA / 50 = 0.1mA$$

$$V_{BB} = I_B R_B + V_{BE}$$

$$= 0.1 \text{ mA} \times 10 \text{ k} + 0.7 \text{ V}$$

$$= 1.7 \text{ V}$$
 (where V_{BE} is measured with respect to ground)

(b) at the edge of saturation,

$$V_{BB} =$$

$$V_{CE \text{ edge of sat}} = 0.3 \text{ V} = V_C - V_E^0 = V_C$$

$$\beta = 50$$

$$I_C =$$

$$I_B =$$

$$V_{BB} =$$

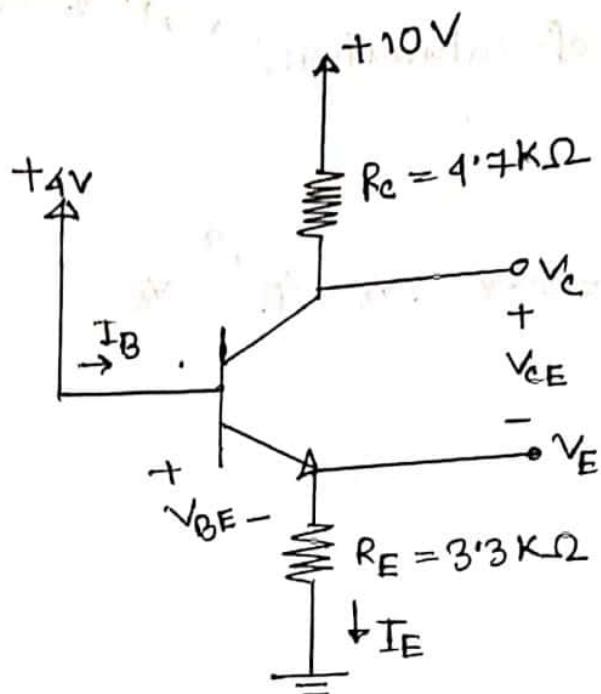
$$(c) V_{CE \text{ sat}} = 0.2 \text{ V}$$

$$\beta_{\text{forced}} = 10$$

$$V_{BB} =$$

Sedna

Ex-6.4 Consider the ckt in the following figure to determine all node voltages and branch currents. Given $\beta = 100$. Also determine whether the BJT is on active or saturation or cut-off mode.



$$V_{BE} = 0.7V = V_B - V_E$$

$$V_B = 4V$$

$$V_E = V_B - 0.7V = 3.3V$$

$$I_E = \frac{3.3V}{3.3k\Omega} = 1mA$$

$$I_E = (\beta + 1)I_B$$

$$\begin{aligned} \Rightarrow I_E &= I_C + I_B \\ &= \beta I_B + I_B \\ &= I_B(\beta + 1) \end{aligned}$$

$$\therefore I_B = \frac{I_E}{\beta + 1} = \frac{1mA}{101} = 9.9\mu A$$

$$\begin{aligned} I_C &= \beta I_B \\ &= 100 \times 9.9\mu A \\ &= 0.99mA \end{aligned}$$

Ques. No. 3

$$I_C = \frac{10 - V_C}{R_C}$$

$$\Rightarrow 10 - V_C = I_C R_C$$

$$\Rightarrow V_C = 10 - I_C R_C$$

$$= 10 - 0.00\text{mA} \times 4.7\text{k}\Omega$$

$$= 10 - 4.65\text{V}$$

$$= 5.35\text{V}$$

$$V_{CB} = V_C - V_B$$

$$= 5.34\text{V} - 4$$

$$= 1.34\text{V}$$

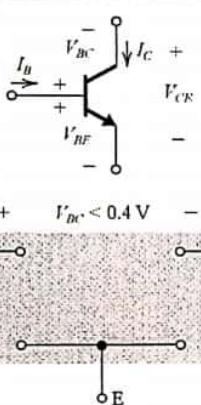
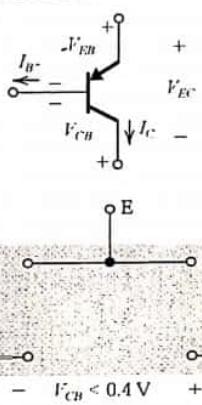
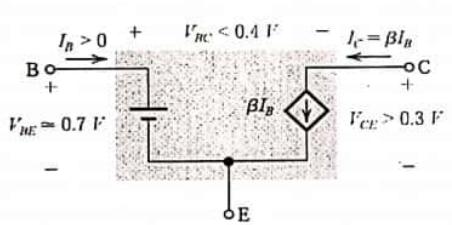
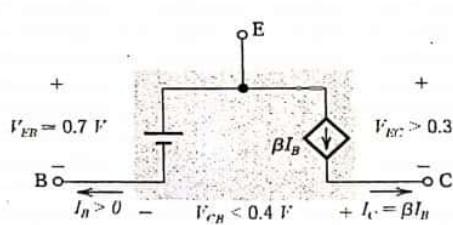
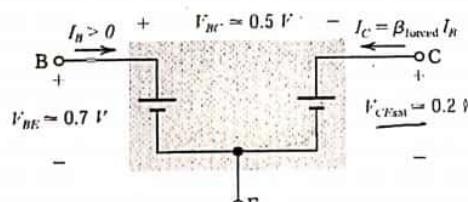
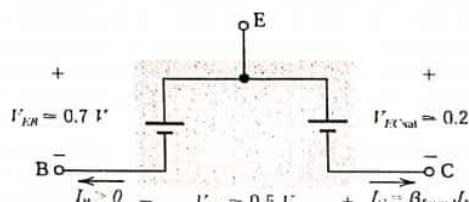
$$= (+) ve$$

$$= RB$$

EBJ in forward bias and CBJ in reverse bias.

so, the device is running on active mode.

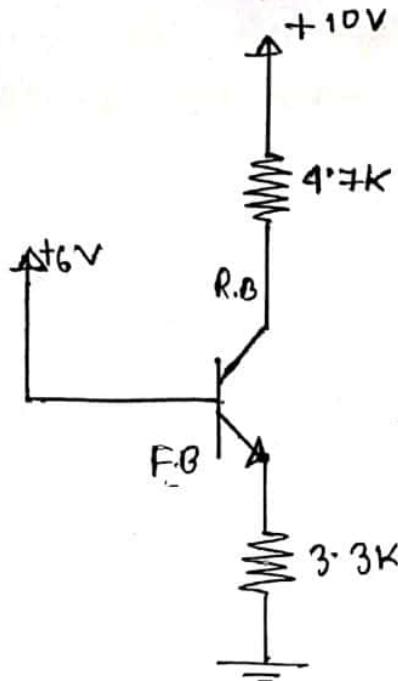
Table 6.3 Conditions and Models for the Operation of the BJT in Various Modes

	<i>npn</i>	<i>pnp</i>
Cutoff EJB: Reverse Biased CBJ: Reverse Biased	 <p>$I_B = 0$ $V_{BE} < 0.5 \text{ V}$ $V_{BC} < 0.4 \text{ V}$ $I_C = 0$</p>	 <p>$I_B = 0$ $V_{EB} < 0.5 \text{ V}$ $V_{CB} < 0.4 \text{ V}$ $I_C = 0$</p>
Active EJB: Forward Biased CBJ: Reverse Biased	 <p>$V_{BE} \approx 0.7 \text{ V}$ $I_B > 0$ $V_{BC} < 0.4 \text{ V}$ $I_C = \beta I_B$ $V_{CE} > 0.3 \text{ V}$</p>	 <p>$V_{EB} \approx 0.7 \text{ V}$ $I_B > 0$ $V_{EB} < 0.4 \text{ V}$ $I_C = \beta I_B$ $V_{EC} > 0.3 \text{ V}$</p>
Saturation EJB: Forward Biased CBJ: Forward Biased	 <p>$V_{BE} \approx 0.7 \text{ V}$ $I_B > 0$ $V_{BC} = 0.5 \text{ V}$ $I_C = \beta_{\text{forward}} I_B$ $V_{CEsat} \approx 0.2 \text{ V}$</p>	 <p>$V_{EB} \approx 0.7 \text{ V}$ $I_B > 0$ $V_{EB} = 0.5 \text{ V}$ $I_C = \beta_{\text{forward}} I_B$ $V_{ECsat} \approx 0.2 \text{ V}$</p>

16.09.2019

Monday

Ex-6.5 Determine all the node voltages and branch currents, if $\beta = 50$.



$$V_B = 6V$$

$$V_{BE} = 0.7V$$

$$\begin{aligned} V_E &= V_B - 0.7 \\ &= 6 - 0.7 \\ &= 5.3V \end{aligned}$$

$$\begin{aligned} I_E &= \frac{V_E}{R_E} = \frac{5.3}{3.3k} \\ &\approx 1.6mA \end{aligned}$$

$$\begin{aligned} I_C &= \frac{\beta}{\beta+1} * I_E = \frac{50}{51} * 1.6mA \\ &= 1.57mA \end{aligned}$$

$$\begin{aligned} \therefore V_C &= 10 - I_C * R_E = 10 - (1.57 * 4.7k) \\ &= 2.67V \end{aligned}$$

The device is not on active mode. It runs on sat^r mode.

$$V_{CB} = V_C - V_B = (2.67 - 6)V = -3.33V;$$

↳ (FB) sat^r mode

$$V_{CE\text{sat}} = 0.2V = V_C - V_E$$

$$\begin{aligned} \therefore V_C &= V_E + 0.2V \\ &= 5.3 + 0.2V \\ &= 5.5V \end{aligned}$$

$$I_C = \frac{10 - 5.5}{4.7k}$$

$$= 0.95mA$$

$$\begin{aligned} I_B &= I_E - I_C \\ &= 1.6mA - 0.95mA \\ &= 0.65mA \end{aligned}$$

$$\theta_{\text{forced}} = \frac{I_C}{I_B}$$

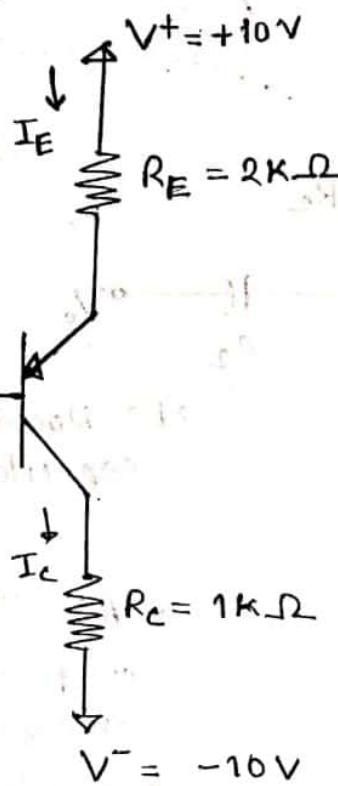
$$= \frac{0.95}{0.65}$$

$$= 1.46$$

~~sadr~~ practice

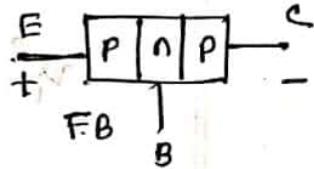
Ex - 6.6, 6.8 - 6.10

Ex - 6.7 :- Determine all the node voltages and currents.



* npn; $V_{BE} = 0.7\text{V}$
 V_{CB}

* pnp; $V_{EB} = 0.7\text{V}$
 V_{BC}



* β value 11
एकल 100 ग्रेड
फैक्टर १०५

$$V_E - V_B = V_{EB} = 0.7\text{V} ; V_B = 0\text{V} ; V_E = 0.7\text{V}$$

$$I_E = \frac{10 - 0.7}{2k} = 4.65\text{mA}$$

$$\text{Let, } \beta = 100 ; I_C = \frac{\beta}{\beta + 1} * I_E = 4.60\text{mA} ; I_B = \frac{I_C}{\beta} = \frac{4.6 * 10^{-3}}{100} = 46 * 10^{-6}$$

$$I_C = \frac{V_C + 10}{1k}$$

$$\Rightarrow V_C = -5.4\text{V}$$

$$V_{BC} = V_B - V_C = 0 + 5.4\text{V} = 5.4\text{V}$$

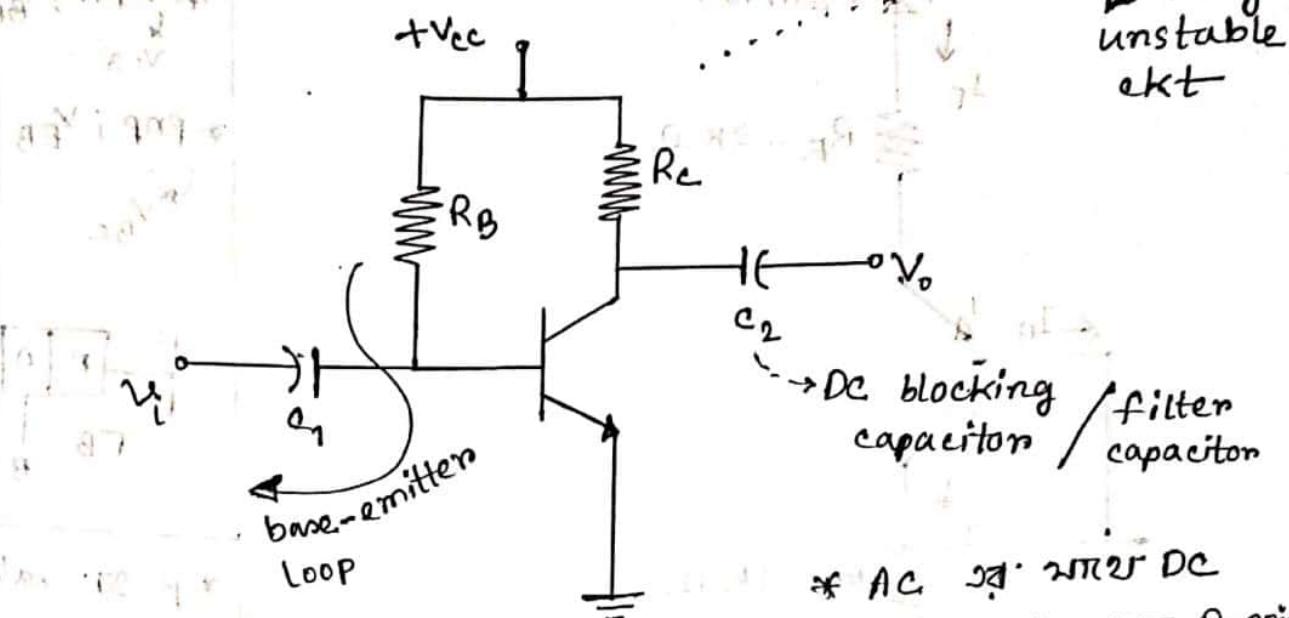
* mode change या math \rightarrow important.

* voltage divider bias ckt \rightarrow very stable ckt.

Biasing configuration:-

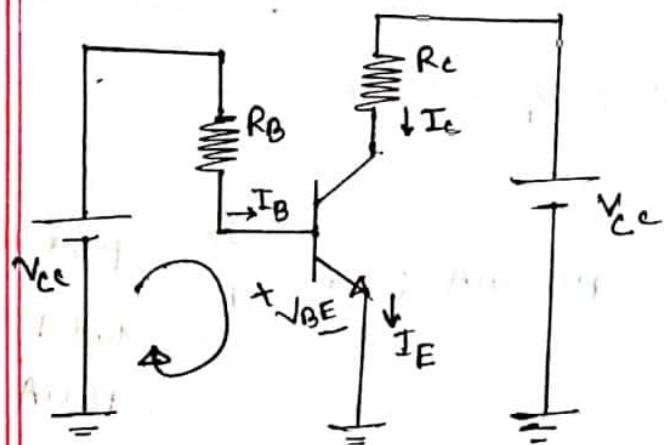
Boylestad

1. Fixed Bias configuration = /Base bias / Base-resistor method



* AC چلے جائے DC
component چلے جائے Q-point
change ہو جائے گا!

* Q-point ہو جائے گا
more
نا کریں ۱/2 - capacitor
use کریں ۲/3

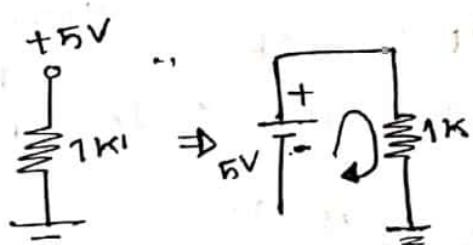


Base-emitter loop,

$$-V_{cc} + I_B R_B + V_{BE} = 0$$

$$I_B = \frac{V_{cc} - V_{BE}}{R_B}$$

$$I_C = \beta I_B = \beta * \left(\frac{V_{cc} - V_{BE}}{R_B} \right)$$

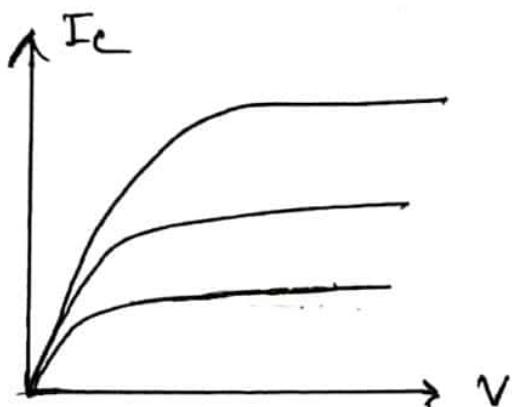


$$-5 + 1 * I = 0$$

Collector-emitter loop,

$$V_{CE} = V_{CC} - I_C R_C$$

→ output equation
(characteristics eqⁿ)



18. 09. 19

Wednesday

Fixed Bias configuration:-

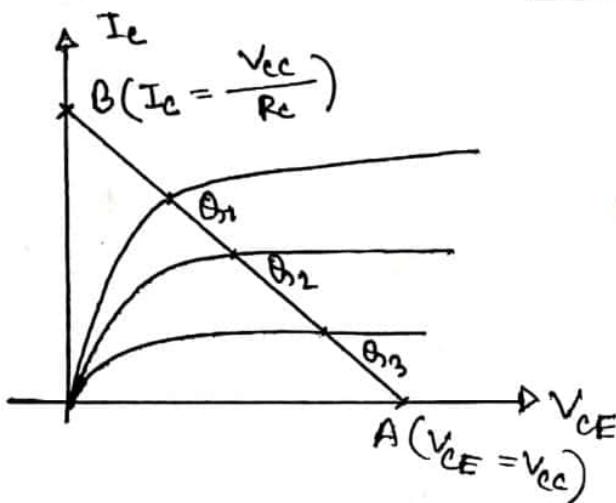
$$V_{CE} = V_C - V_E$$

$$V_{BE} = V_B - V_E$$

* $V_{CC} \uparrow$ slope \uparrow

Characteristics equation

$$V_{CE} = V_{CC} - I_C R_C$$



at point (A), $I_C = 0$

$$V_{CE} = V_{CC}$$

at point (B), $V_{CE} = 0$

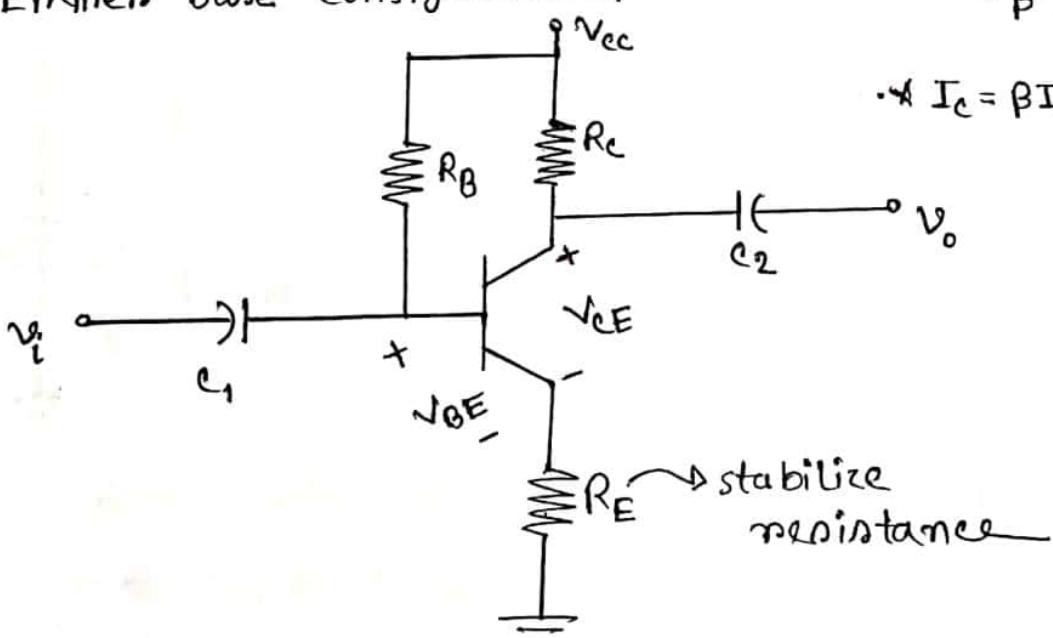
$$I_C = \frac{V_{CC}}{R_C}$$

$$I_C = \beta I_C$$

$$= \beta \left(\frac{V_{CC} - V_{BE}}{R_B} \right)$$

$$\therefore I_C = \beta I_B + (\beta + 1) I_{CBO}$$

Emitter Base configuration:-



f
good ckt

For BE loop:-

$$-V_{CC} + I_B R_B + I_E R_E + V_{BE} = 0$$

$$\Rightarrow -V_{CC} + I_B R_B + (\beta + 1) I_B R_E + V_{BE} = 0.$$

$$\therefore I_B = \frac{V_{CC} - V_{BE}}{R_B + (\beta + 1) R_E}$$

$$I_C = \beta I_B$$

$$= \beta \left(\frac{V_{CC} - V_{BE}}{R_B + (\beta + 1) R_E} \right)$$

For CE loop:-

$$-V_{CC} + I_C R_C + V_{CE} + I_E R_E = 0$$

$$I_C \approx I_E$$

$$\therefore -V_{CC} + I_C R_C + V_{CE} + I_C R_E = 0$$

$$\Rightarrow V_{CE} = V_{CC} - I_C (R_C + R_E).$$

$$V_E = I_E R_E$$

$$V_{CE} = V_C - V_E$$

$$V_C = V_{CE} + V_E$$

$$V_C = V_{CC} - I_C R_C$$

$$V_B = V_{CC} - I_B R_B$$

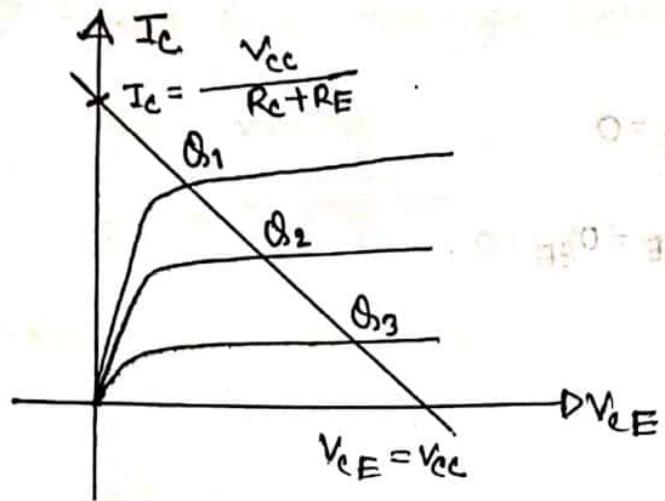
$$V_B = V_{BE} + V_E$$

$$V_{CE} = V_{CC} - I_C R_C - I_E R_E$$

$$= V_{CC} + I_C R_C - V_E$$

$$\Rightarrow V_{CE} + V_E = V_{CC} - I_C R_C$$

$$\Rightarrow V_C = V_{CC} - I_C R_C$$



Advantage of Emitter Bias:-

i) I_c is changed so θ changed

$$\text{Temp} \uparrow I_c \uparrow (I_c = \beta I_B + (\beta + 1) I_{cbo})$$

$$\begin{cases} I_c \approx I_E \\ \text{so, } I_E \uparrow \end{cases}$$

$$\frac{I_E R_E}{\text{drop}} \uparrow \text{ as } I_c \approx I_E \Rightarrow I_B \downarrow \Rightarrow I_c \downarrow$$

$$I_B \downarrow = \frac{V_{cc} - V_{BE} - I_E R_E}{R_B}$$

ii) β is also unchanged.

$$I_c = \beta \left(\frac{V_{cc} - V_{BE}}{R_B + (\beta + 1) R_E} \right)$$

suppose,

$$R_B = 220 \Omega$$

$$R_E = 470 \Omega$$

$$\beta = 200$$

$$\text{so, } R_E \times \beta = 100 \text{ k}\Omega$$

$$R_B = 220 \Omega$$

so, β nullify

$$I_c = \beta \left(\frac{V_{cc} - V_{BE}}{(\beta + 1) R_E} \right)$$

disadvantage of that ckt :-

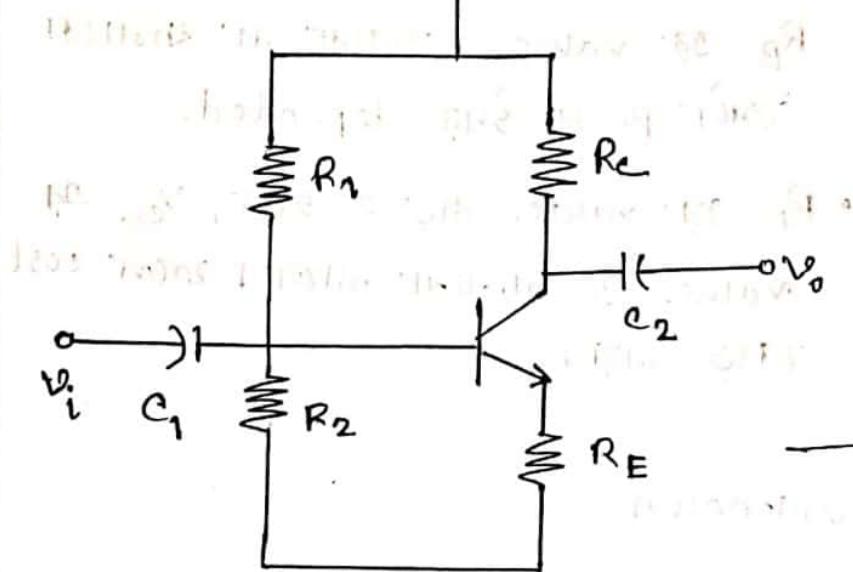
- $R_B \ll R_E$; β એવી value નાં જાતીએ થાકરે પાડે.
 R_B એવી value બાઢાખો નાં કમાડે
એવી β એવી તુલના દેંદે R_E depended.
- R_B એવી value બાઢાએ થાએ, V_{cc} એવી
value બાઢાનો જાણાનો હશે. હશે cost
એવી પાછા.

22.09.2019

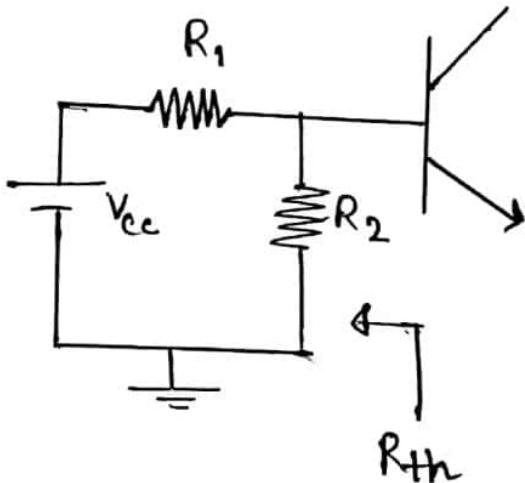
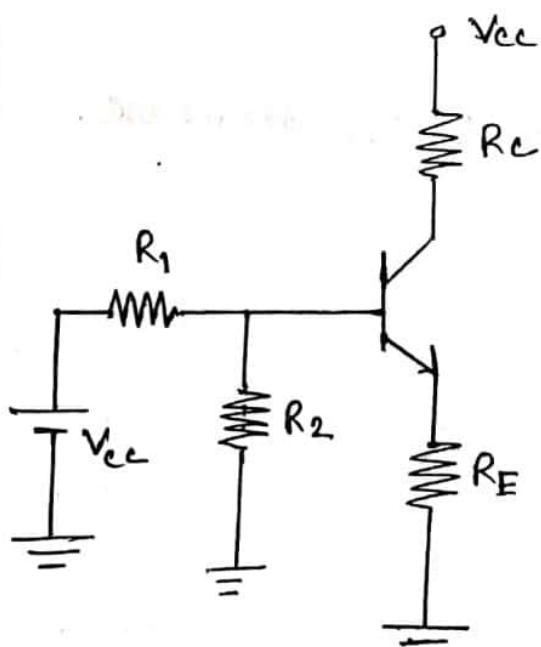
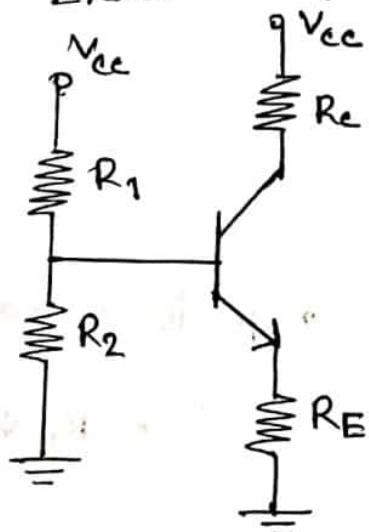
Sunday

Voltage Divider Biasing :-

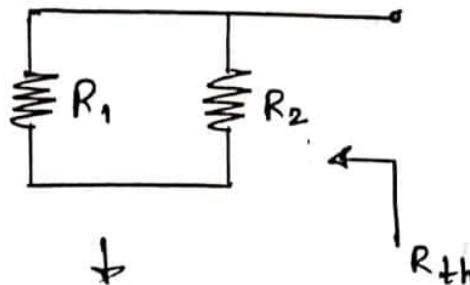
(Initial temperature T_0 & $\beta \gg 1$)



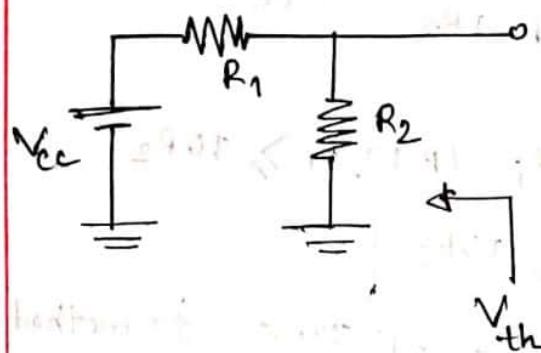
Exact analysis:-



R_{th}, V_{th}

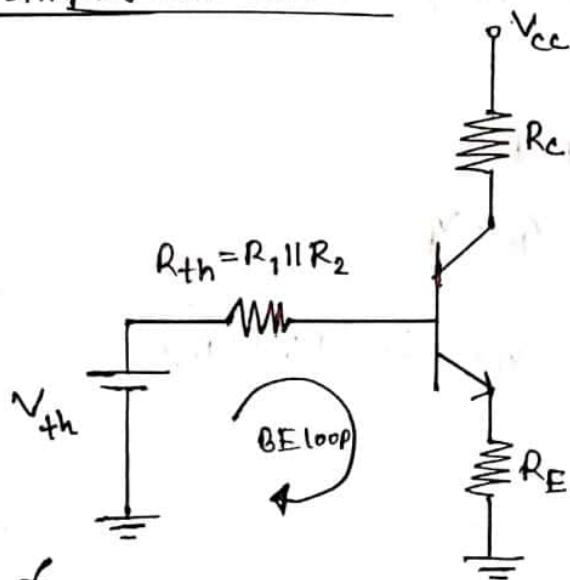


$$R_{th} = R_1 \parallel R_2$$



$$V_{th} = \frac{R_2}{R_1 + R_2} * V_{ce}$$

simplified ckt



Q2: ckt \Rightarrow 2 ways solve \Rightarrow 2 ways
 1. exact method,
 2. approximate method.

for BE loop

$$-V_{th} + I_B R_{th} + I_E R_E + V_{BE} = 0$$

$$I_B = \frac{V_{th} - V_{BE}}{R_{th} + (\beta + 1) R_E}$$

input current

$$I_C = \beta * I_B$$

$$R_{input} = (\beta + 1) R_E$$

answ - $R_{th} \approx R_1 \parallel R_2$

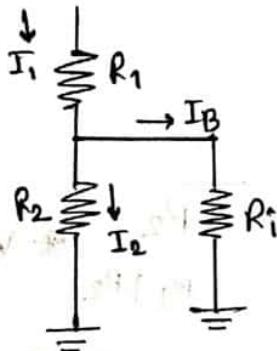
answ - resistance parallel
 against value \Rightarrow approx 1
 value negligible.

for CE loop

$$V_{CE} = V_{CC} - I_C (R_C + R_E)$$

$$I_C \approx I_E$$

Approximate method:-



$$I_1 = I_2$$

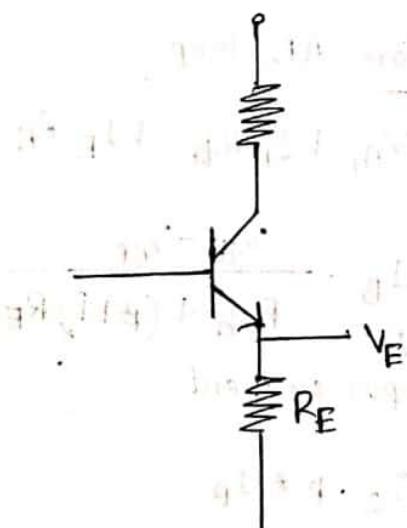
$$V_B = \frac{R_2}{R_1 + R_2} * V_{CC}$$

$$\text{when } R_f = (\beta + 1)R_E \gg 10R_2$$

$$BRE \gg 10R_2$$

fulfill ना रखने वाले method

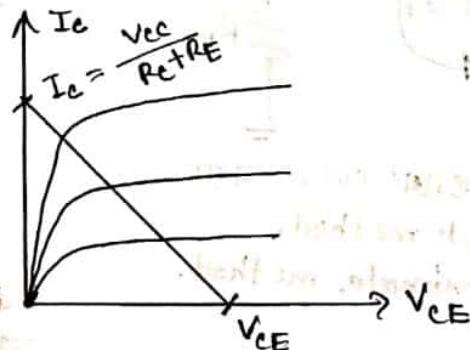
apply करा चाहे ना। यदि exact
method apply करते हों।



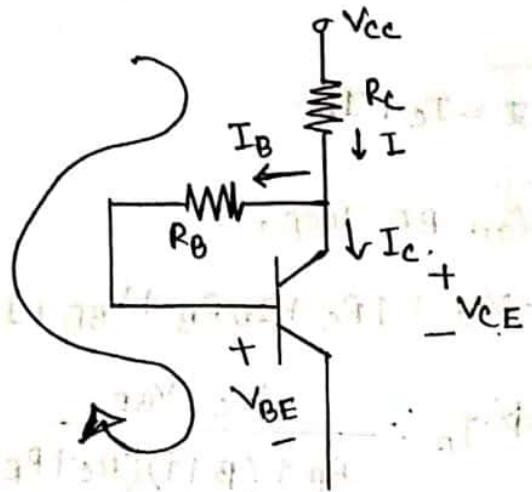
$$V_E = I_E R_E$$

$$V_{BE} = V_B - V_E$$

$$V_{CE} = V_{CC} - I_C (R_C + R_E)$$



collector Feed back (F/B) biasing:-



$$I = I_c + I_B = \beta I_B + I_B = (\beta + 1) I_B$$

for BE loop,

$$-V_{cc} + I R_c + I_B R_b + V_{BE} = 0$$

$$\Rightarrow I_B = \frac{V_{cc} - V_{BE}}{R_b + (\beta + 1) R_c}$$

$$I_c = \beta I_B$$

$$I_c = \beta * \frac{V_{cc} - V_{BE}}{R_b + (\beta + 1) R_c}$$

$$-V_{cc} + I * R_c + V_{CE} = 0$$

$$\therefore (I_c + I_B) * R_c - V_{cc} + V_{CE} = 0$$

$$\Rightarrow I_E * R_c - V_{cc} + V_{CE} = 0$$

$$\therefore V_{CE} = V_{cc} - I_c R_c \quad [\because I_c \approx I_E]$$

• Advantages:-

1. β will not effect Q point

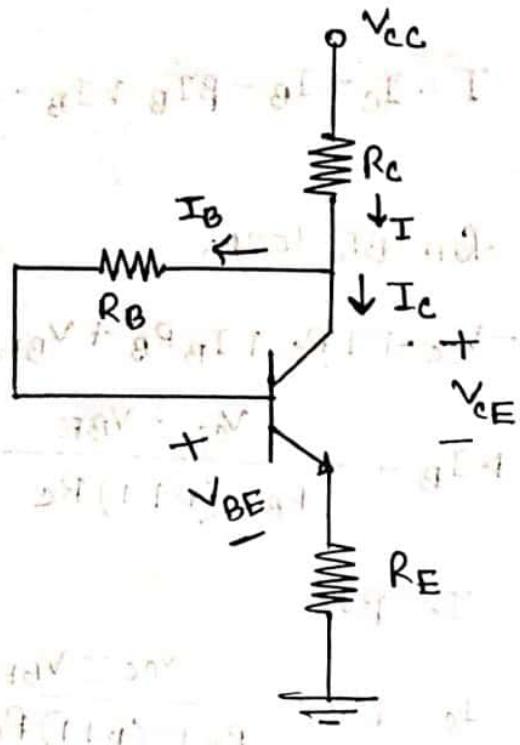
2. Temp. will not effect

• disadvantages:-

1. $R_b \downarrow \downarrow \quad (\beta + 1) R_c \uparrow \uparrow$

2. $V_{cc} \uparrow \uparrow \quad R_b \downarrow \downarrow$ so that
 R_b will decrease.

Collector F/B Biasing with emitter resistance!



$$I = I_c + I_B$$

for BE loop,

$$-V_{cc} + IR_c + I_B R_B + V_{BE} + I_E R_E = 0$$

$$\Rightarrow I_B = \frac{V_{cc} - V_{BE}}{R_B + (\beta + 1)(R_c + R_E)}$$

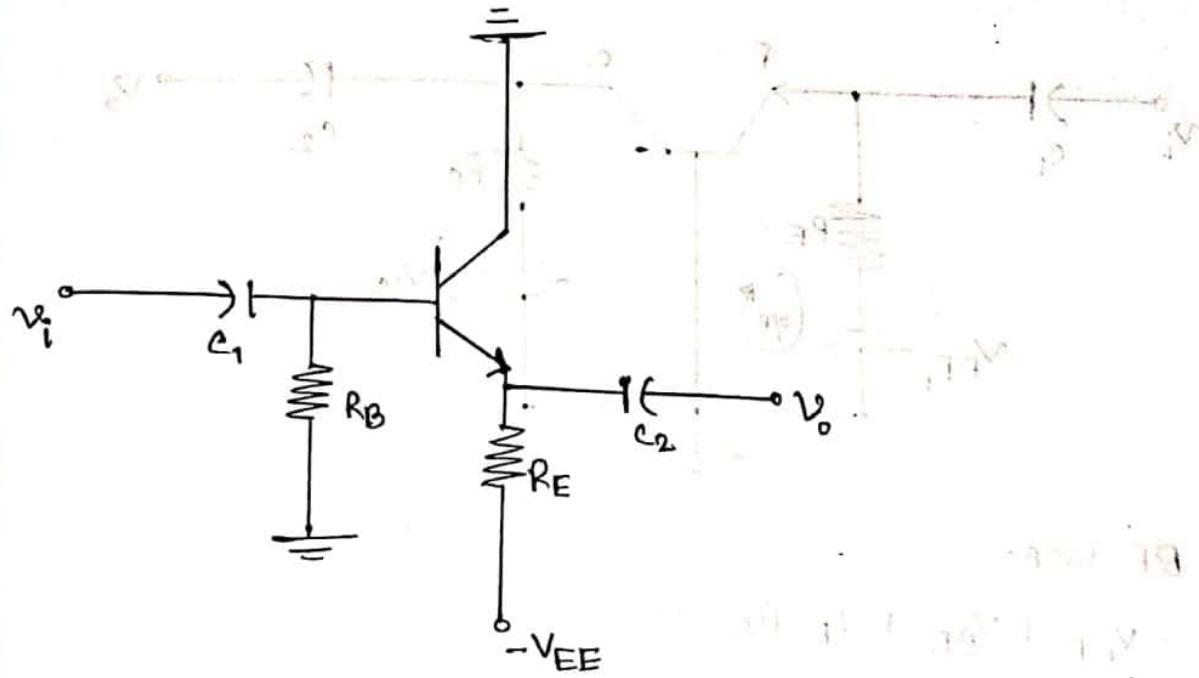
$$R_B \ll (\beta + 1)(R_c + R_E)$$

$$-V_{cc} + I * R_c + V_{CE} + I_E R_E = 0$$

$$\Rightarrow -V_{cc} + \underbrace{(I_c + I_B) R_c + V_{CE}}_{I_E \approx I_c} + I_c R_E = 0$$

$$\Rightarrow V_{CE} = V_{cc} - I_c (R_c + R_E)$$

Emitter follower configuration:



BE loop,

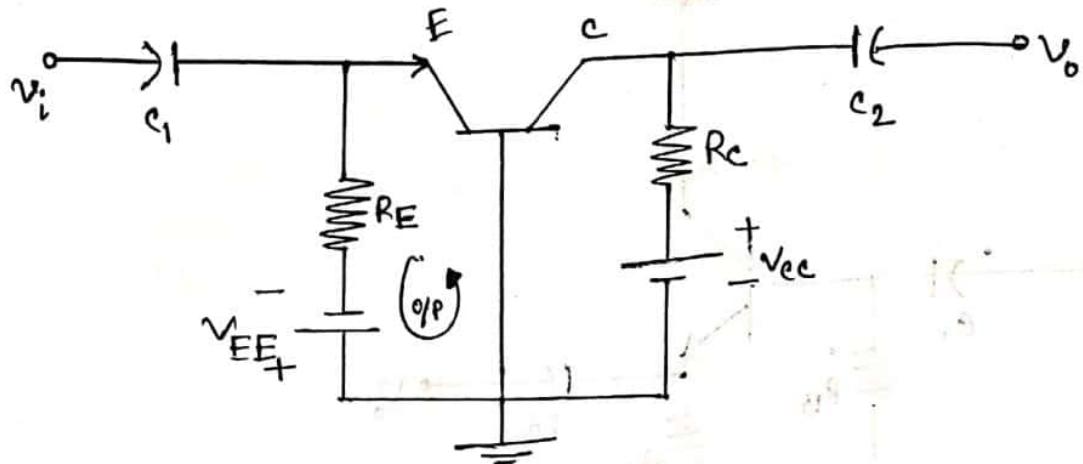
$$I_B R_B + V_{BE} + I_E R_E - V_{EE} = 0$$

$$\Rightarrow I_B = \frac{V_{EE} - V_{BE}}{R_B + (\beta + 1)R_E}$$

$$V_{CE} + I_E R_E - V_{EE} = 0$$

$$\therefore V_{CE} = V_{EE} - I_E R_E$$

CB configuration! —



BE loop,

$$-v_{EE} + v_{BE} + I_E R_E = 0$$

$$I_E = \frac{v_{EE} - v_{BE}}{R_E}$$

o/p loop,

$$I_E R_E - v_{EE} - v_{ce} + I_C R_C + v_{CE} = 0$$

$$\Rightarrow v_{CE} = v_{ce} + v_{EE} - I_C R_C - I_E R_E$$

$$= v_{ce} + v_{EE} - I_C (R_C + R_E)$$

$$I_C \approx I_E$$

CB loop,

$$-v_{cc} + I_C R_C + v_{CB} = 0$$

$$\therefore v_{CB} = v_{cc} - I_C R_C$$

wednesday
1 pm extra ch.

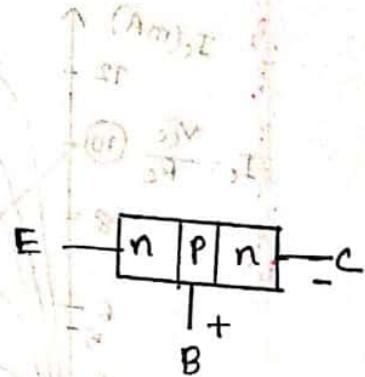
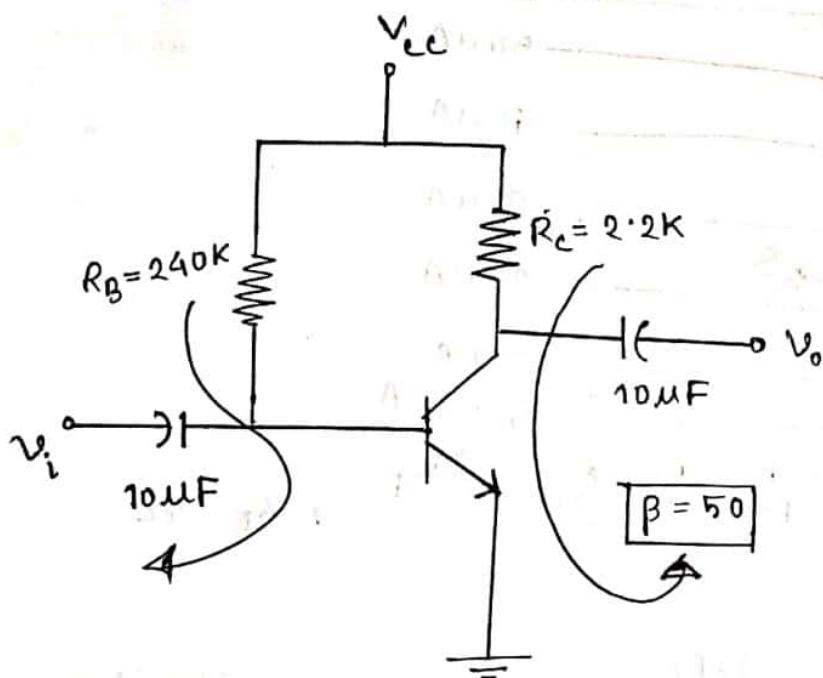
23.09.2019

Monday.

Ex-4.1

Determine the following for the network.

I_{BB} , I_{CQ} , V_{CEQ} , V_B , V_C , V_{BC} .



$$I_{BB} = \frac{V_{CC} - V_{BE}}{R_B}$$

$$= \frac{12 - 0.7}{240k}$$

$$V_{CEQ} = V_{CC} - I_{CQ} R_C$$

$$V_{BE} = V_B - V_E = 0.7V$$

$$V_{CE} = V_C - V_E$$

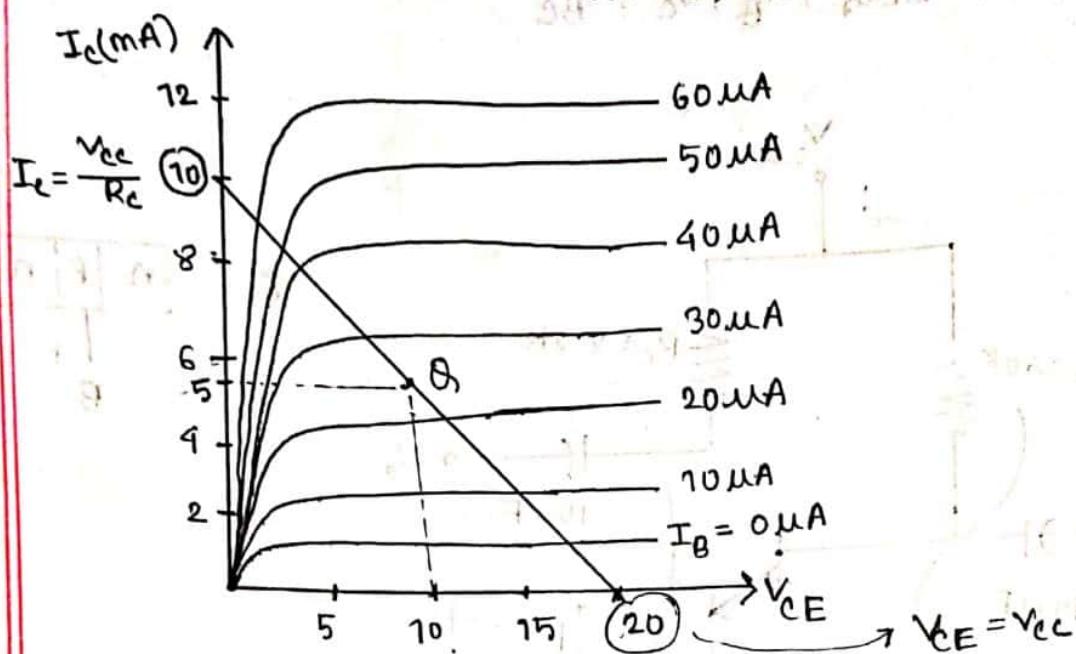
$$V_{BC} = V_B - V_C = (-) V_E \quad (RB)$$

$$I_{CQ} = \beta * I_{BB}$$

This BJT is running on
linear mode.

Ex - 4.3

Given the load line and the defined θ_s point. Determine the required value of V_{cc} , R_c , R_B for fixed Bias ckt.



for fixed bias,

$$V_{CE} = V_{CC} - I_C R_C$$

$$R_C = \frac{V_{CC}}{I_C} = \frac{20V}{10mA} = 2k\Omega$$

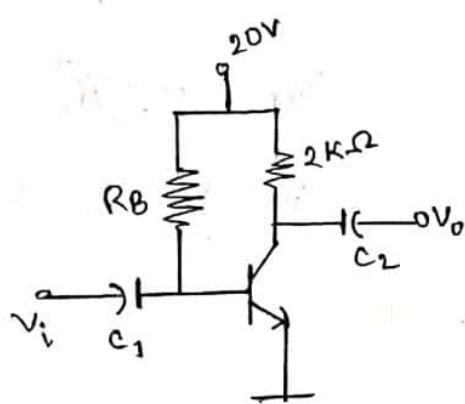
$$I_{BQ} = 25\mu A$$

$$I_{CQ} = 5mA$$

$$V_{CEQ} = 10V$$

$$I_B = \frac{V_{CC} - V_{BE}}{R_B}$$

$$\Rightarrow R_B = \frac{20 - 0.7}{25\mu A}$$



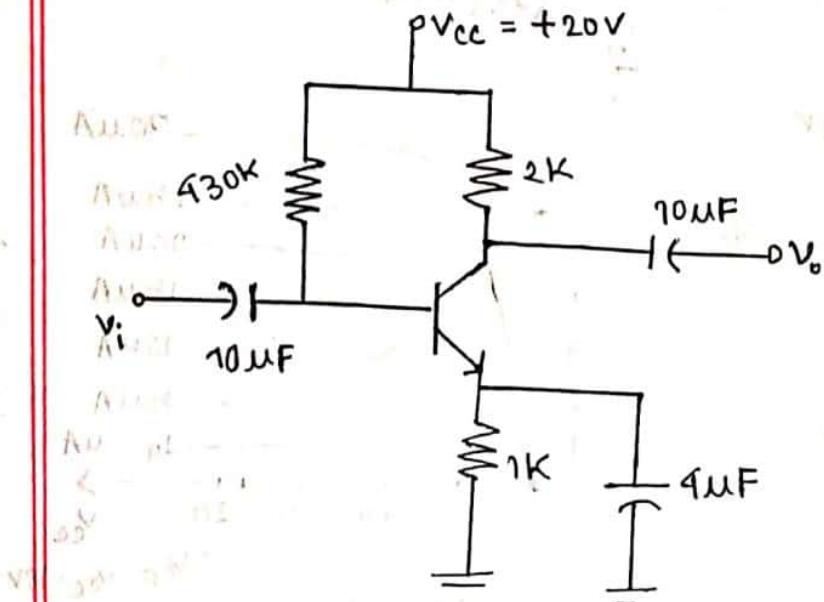
fixed bias ckt

$$\beta = \frac{I_C}{I_B}$$

$$= \frac{5mA}{25\mu A}$$

Q4 For the following network determine

I_B , I_C , V_{CE} , V_B , V_C , V_E , V_{BC} .



$$\beta = 50$$

$$I_B = \frac{V_{CC} - V_{BE}}{R_B + (\beta + 1)R_E}$$

$$I_C = \beta I_B$$

$$V_{CE} = V_{CC} - I_C (R_C + R_E)$$

$$V_E = I_E R_E \quad ; \quad I_E = I_C + I_B$$

$$V_{BE} = V_B - V_E$$

$$V_{CE} = V_C - V_E$$

$$V_{BC} = V_B - V_C$$

$V_{BC} \rightarrow (-)ve \text{ volt}$

Linear mode, RB.

$V_{BE} \rightarrow (+)ve \text{ volt}$

Saturation mode,
FB.

Ex-4.7

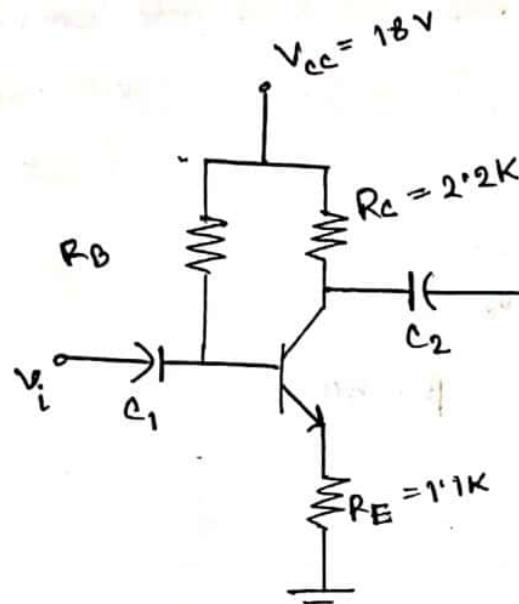


Fig:-1

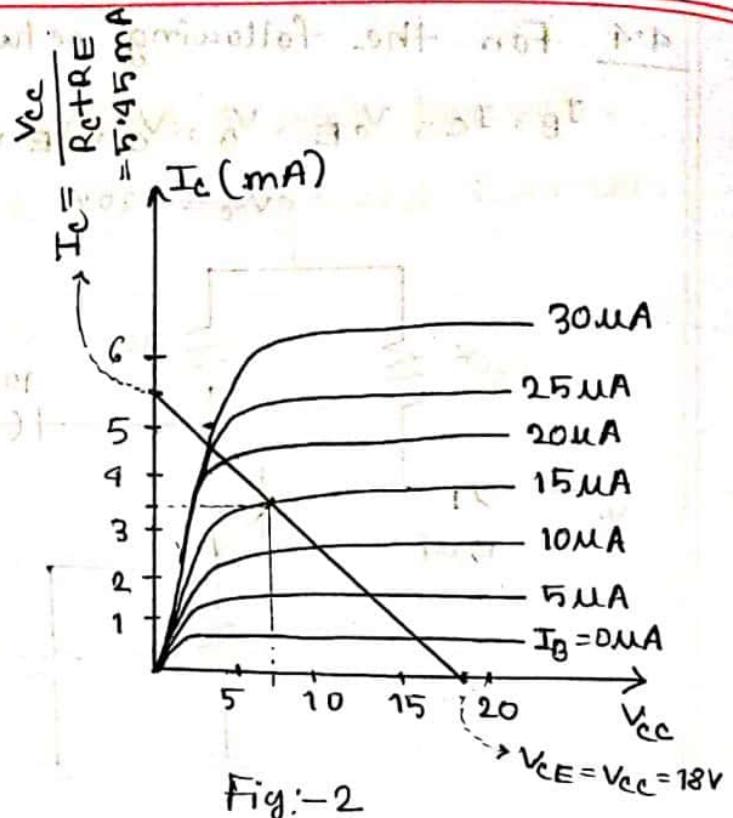


Fig:-2

- Draw the load line for the network of fig:-1 of the characteristics curve of fig:-2.
- For a Q-point at the intersection of the load line with a base current of 15mA. Find the values of I_{CQ} and V_{CEQ} .
- Determine the DC β at the Q-point.
- Using the β determine impedance in previous part, calculate the required value of R_b and suggest the possible standard value.

Sol :-

$$V_{CE} = V_{CC} - I_C (R_C + R_E)$$

$$I_C = 0$$

$$V_{CE} = V_{CC} = 18 \text{ V}$$

$$V_{BE} = 0 \text{ V}$$

$$\begin{aligned} I_C &= \frac{V_{CC}}{R_C + R_E} \\ &= \frac{18}{2.2\text{k} + 1.1\text{k}} \\ &= 5.45 \text{ mA} \end{aligned}$$

(b) $I_{CO} = 3.5 \text{ mA}$

$$V_{CEB} = 8 \text{ V}$$

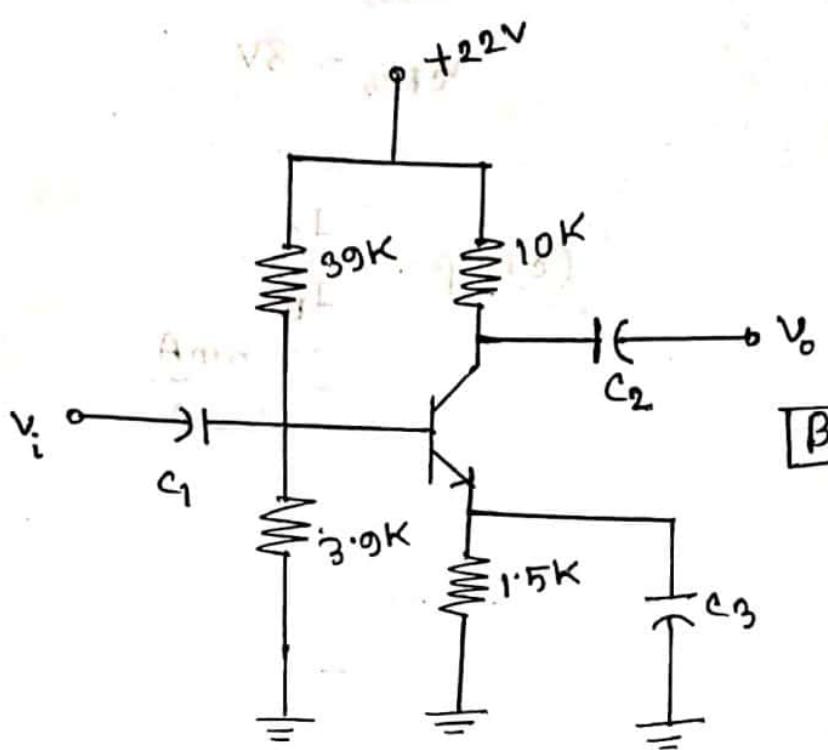
(c) $\beta = \frac{I_C}{I_B}$
 $= \frac{3.5 \text{ mA}}{15 \mu\text{A}}$

(d) $I_B = \frac{V_{CC} - V_{BE}}{R_B + (\beta + 1)R_E}$

$$\Rightarrow R_B =$$

Ex-4.8

Determine V_{CE} , I_C .



$$\beta R_E \geq 10R_2$$

$$100 * 1.5\text{K} \geq 10 * 3.9\text{K}$$

$150\text{K} \geq 39\text{K}$; condition fulfilled.

$$V_B = \frac{3.9\text{K}}{3.9\text{K} + 39\text{K}} * 22\text{V}$$

25.09.2019

Wednesday

Small signal Analysis:-

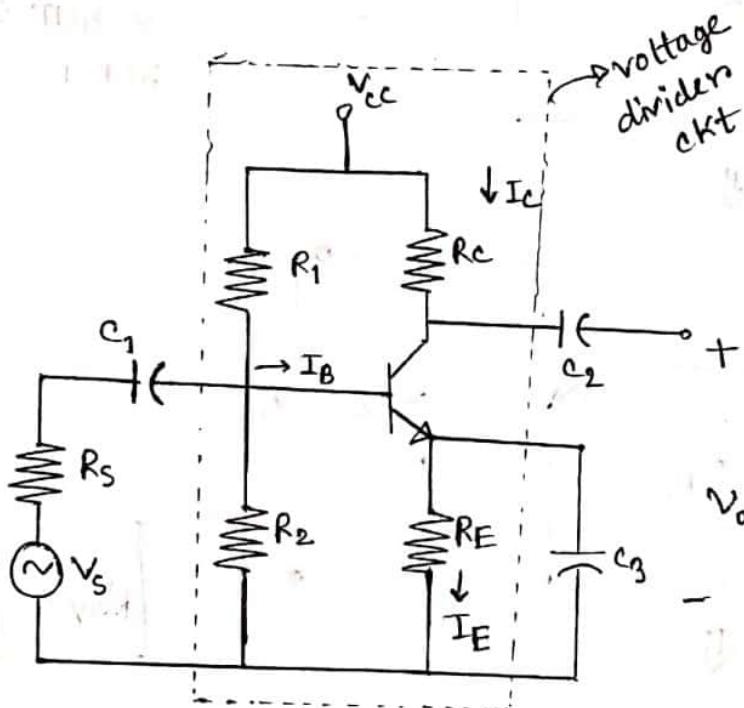
- AC response of BJT \rightarrow Transistor model
- Small and large signals
- Operating point in small signal. O_p point will not move.
- Total response:— DC response + AC response

$$X_C = \frac{1}{2\pi f C}$$

gain \downarrow \rightarrow if R_E exist

gain \uparrow \rightarrow if R_E eliminated

* यहाँ कैप्ट तक
amplify करने के लिए
biasing करते हैं।



• AC Response:

① AC equivalent ckt

② Replace transistor with its equivalent model / ckt.

* C_1 and C_2
coupling
capacitors

* C_1 and C_2
AC \leftrightarrow short
DC \leftrightarrow open

* R_E कैप्ट नहीं
O_p point तक स्टेबल
करता।

* R_E कैप्ट नहीं
उसके बारे में Q-point β
वाले विषय पर नियम दर्शाते।

Ch 7. E9.73

independent

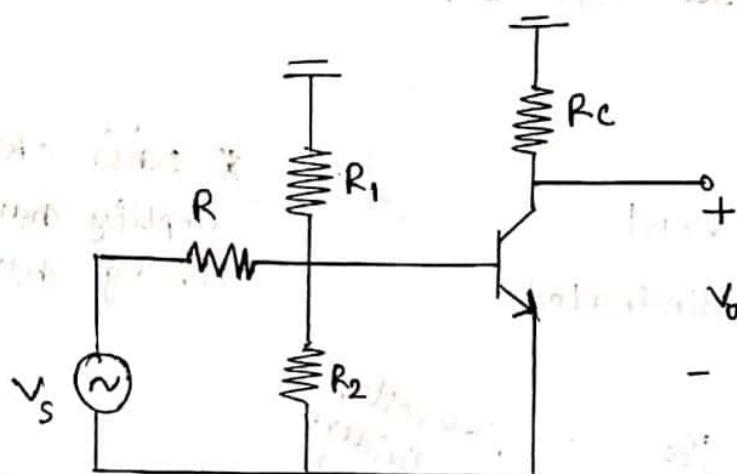
- AC equivalent ckt of BJT transistor:

step-1:— short ckt all the DC sources

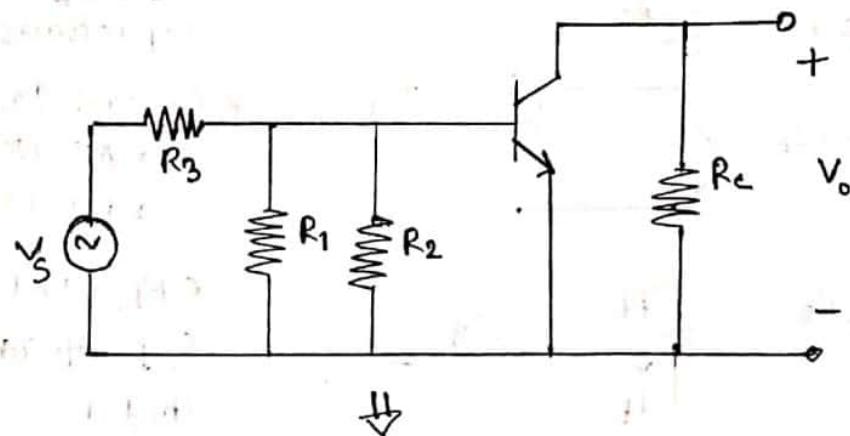
step-2:— Short ckt all the capacitors

step-3:— Redraw the overall ckt removing items

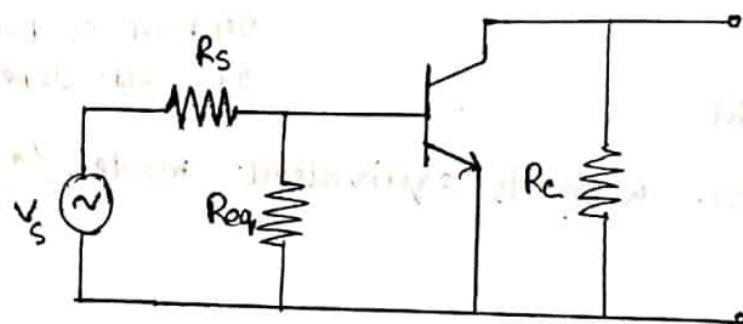
shorted in step ① and ②.



* Thevenin eq
ckt for ckt
2nd ckt R 3
V bjt simplify
etc.



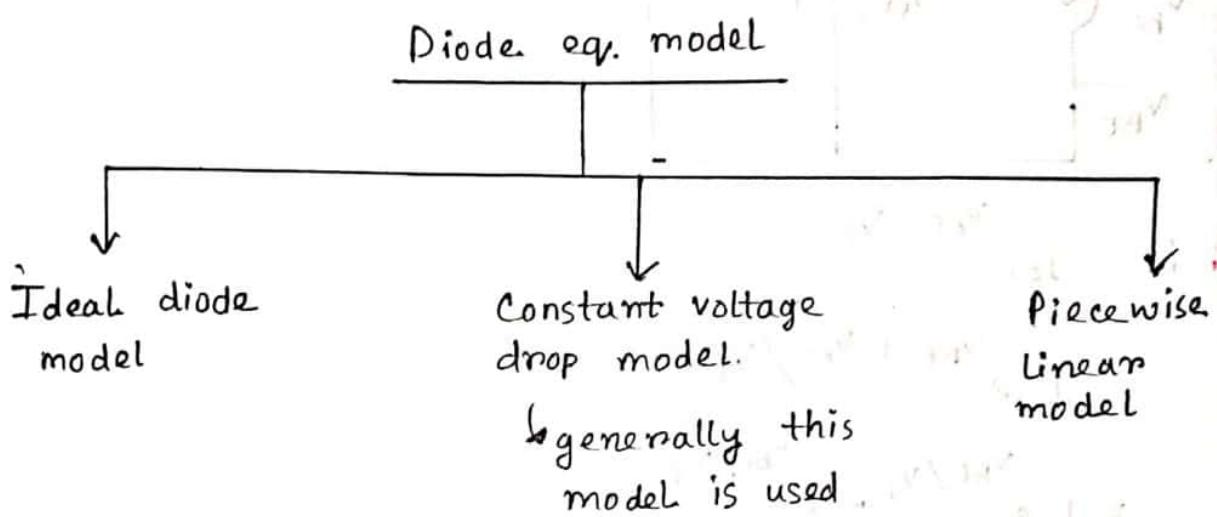
$$R_{eq} = \frac{R_1 R_2}{R_1 + R_2}$$



What is equivalent model?

- An equivalent model is a combination of circuit elements properly chosen to best represent the actual behaviour of device under specific operating points.
- We can't apply network theorems on practical ckt's.

As example —



BJT equivalent model (small signals)

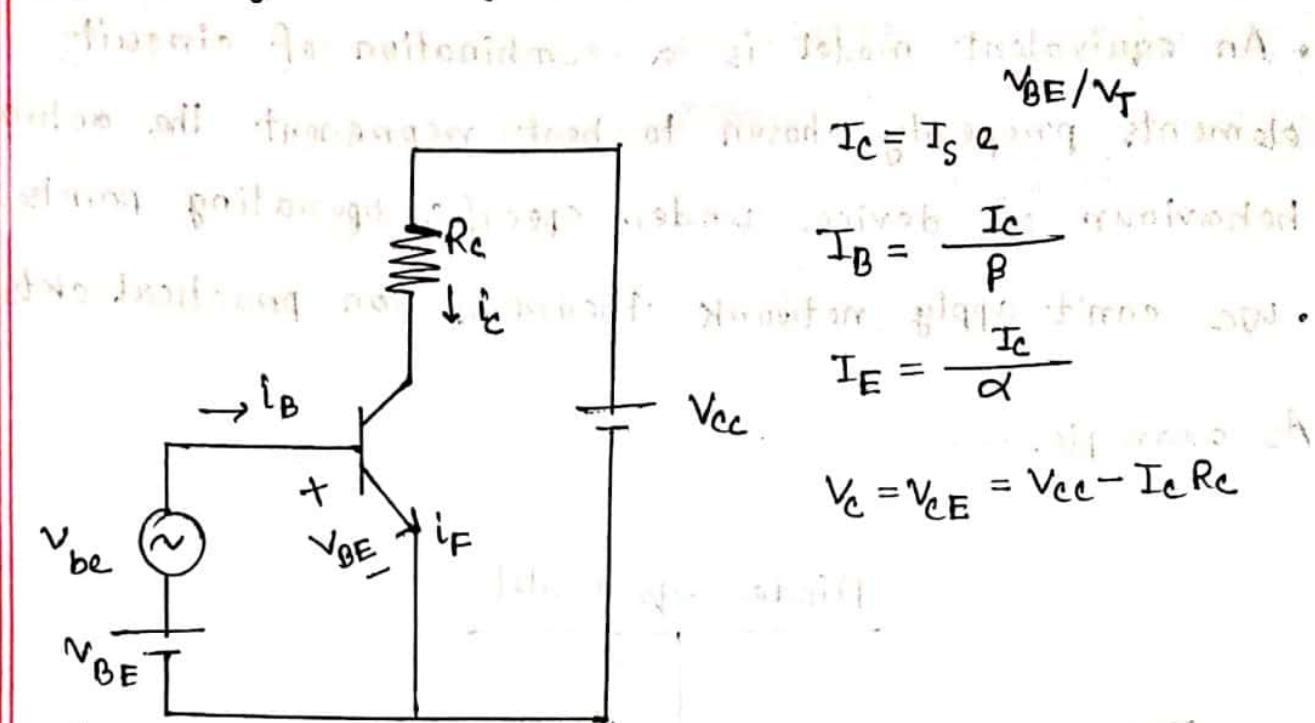
↳ Hybrid model (h -parameter)

↳ r_e model / Dynamic emitter resistance model

↳ Hybrid π model

In case of transistor we use r_e model \rightarrow common
emitter ckt \Rightarrow r_e - use
that r_e ,

Small signal Analysis:-



$$V_{BE}/V_T$$

$$I_C = I_S e$$

$$I_B = \frac{I_C}{\beta}$$

$$I_E = \frac{I_C}{\alpha}$$

$$V_C = V_{CE} = V_{CC} - I_C R_C$$

$$i_C = I_S e^{\frac{V_{BE}}{V_T}}$$

$$= I_S e^{V_{BE} + \frac{v_{be}}{V_T}}$$

$$= I_S e^{\frac{V_{BE}}{V_T}} - e^{\frac{v_{be}}{V_T}}$$

$$\approx I_C e^{\frac{v_{be}}{V_T}}$$

$$= I_C \left(1 + \frac{v_{be}}{V_T} \right)$$

$$= I_C + I_C \frac{v_{be}}{V_T}$$

↓ DC ↓ AC

$$i_C = I_C \frac{v_{be}}{V_T}$$

$$i_c = g_m v_{be}$$

where g_m is called transconductance, $g_m = \frac{I_c}{V_T}$

$$i_B = \frac{i_c}{\beta}$$

$$i_B = I_B + \frac{1}{\beta} I_c \cdot \frac{v_{be}}{V_T}$$

$$\begin{aligned} \therefore i_b &= \frac{1}{\beta} I_c \cdot \frac{v_{be}}{V_T} \\ &= \frac{g_m}{\beta} v_{be} \end{aligned}$$

$$\gamma_\pi = \frac{v_{be}}{i_b} = \frac{\beta}{g_m}$$

$$i_E = \frac{i_c}{\alpha}$$

$$= I_E + i_c$$

$$i_e = \frac{I_c}{\alpha} \cdot \frac{v_{be}}{V_T}$$

$$= \frac{I_E}{V_T} \cdot v_{be}$$

$$\gamma_e = \frac{v_{be}}{i_c} = \frac{V_T}{i_e} = \frac{V_T / I_c}{I_E / I_c}$$

$$= \alpha / g_m \propto \frac{1}{g_m}$$

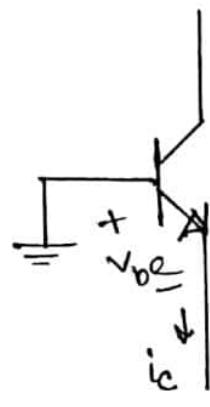
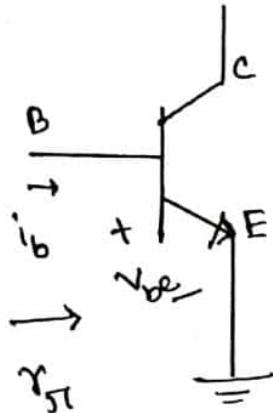
extra class

Small signal analysis:-

$$r_{\pi} = \frac{\beta}{g_m} = \frac{v_{be}}{i_b}$$

$$r_e = \frac{\alpha}{g_m} = \frac{v_{be}}{i_e} = \frac{V_T}{I_E}$$

$$r_{\pi} = (\beta + 1) r_e$$



for common base

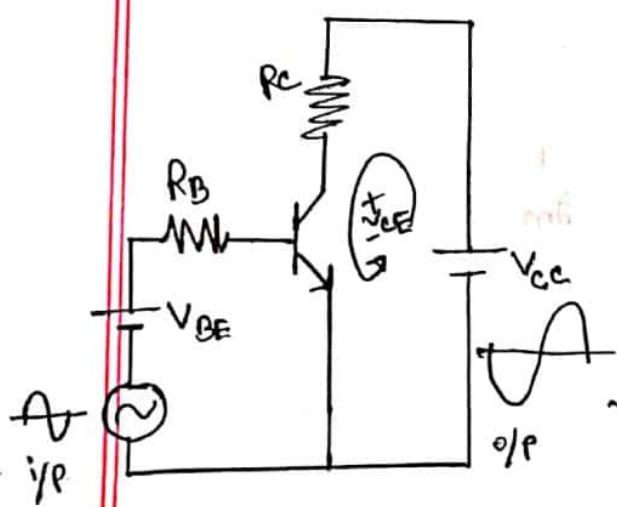
$$I_c = I_s e^{\frac{v_{BE}}{V_T}}$$

$$V_c = V_{CE}$$

$$i_c = I_s e^{\frac{v_{BE}}{V_T}}$$

$$V_{BE} = V_B - V_{be}$$

$$V_{CE} = V_{CC} - i_c R_C$$



$$\therefore i_c = I_s e^{\frac{v_{BE}}{V_T}} \cdot e^{\frac{v_{be}}{V_T}}$$

$$= I_c \left(1 + \frac{v_{be}}{V_T} \right)$$

$$= I_c + I_c \frac{v_{be}}{V_T}$$

↓ DC → AC

$$i_c = I_c + i_c$$

$$; g_m = \frac{I_c}{V_T}$$

$$i_c = I_c - \frac{v_{be}}{V_T}$$

$$* i_B = \frac{i_c}{\beta}$$

$$i_b = \frac{g_m}{\beta} \cdot v_{be}$$

$$= I_B / \beta + i_b / \beta$$

$$v_{be} / i_b = \beta / g_m$$

$$i_B = I_B + i_b$$

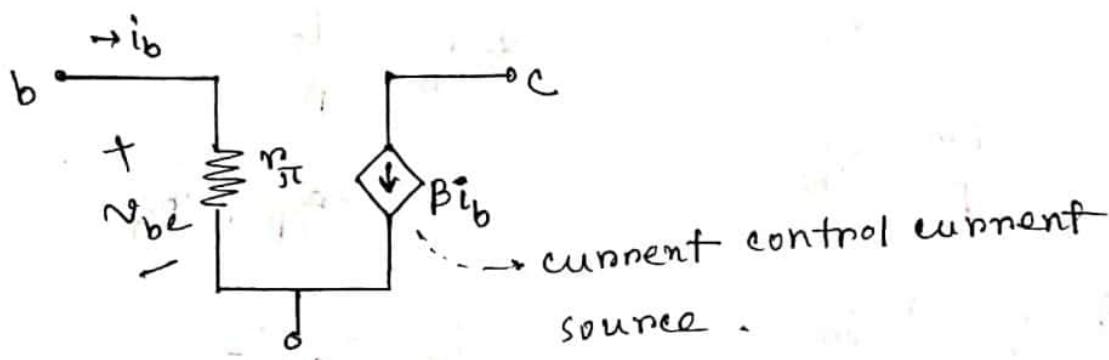
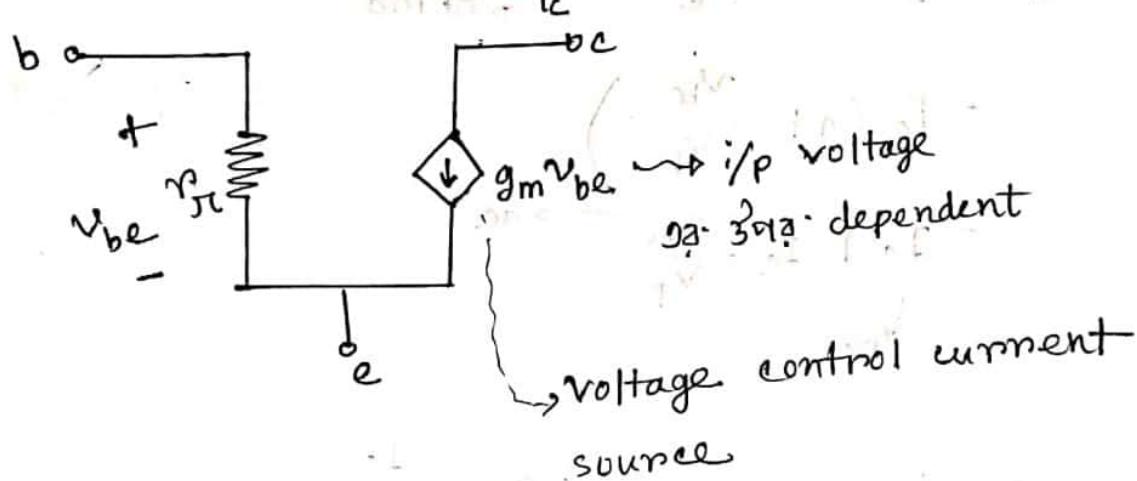
$$\gamma_{\pi} = \beta / g_m$$

$$* i_e = i_b + i_c$$

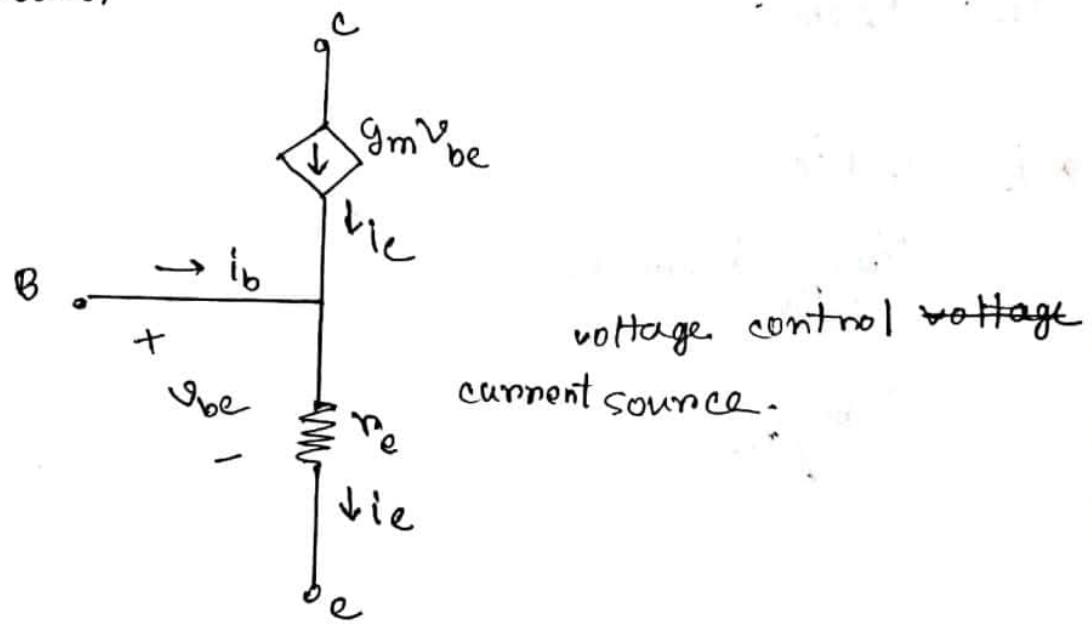
$$= \frac{v_{be}}{r_{\pi}} + g_m v_{be}$$

$$= \frac{v_{be}}{r_e}$$

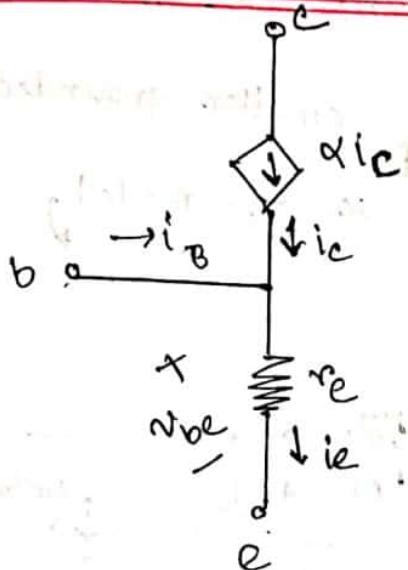
Hybrid π -model:— \rightarrow emitter grounded



T model:—

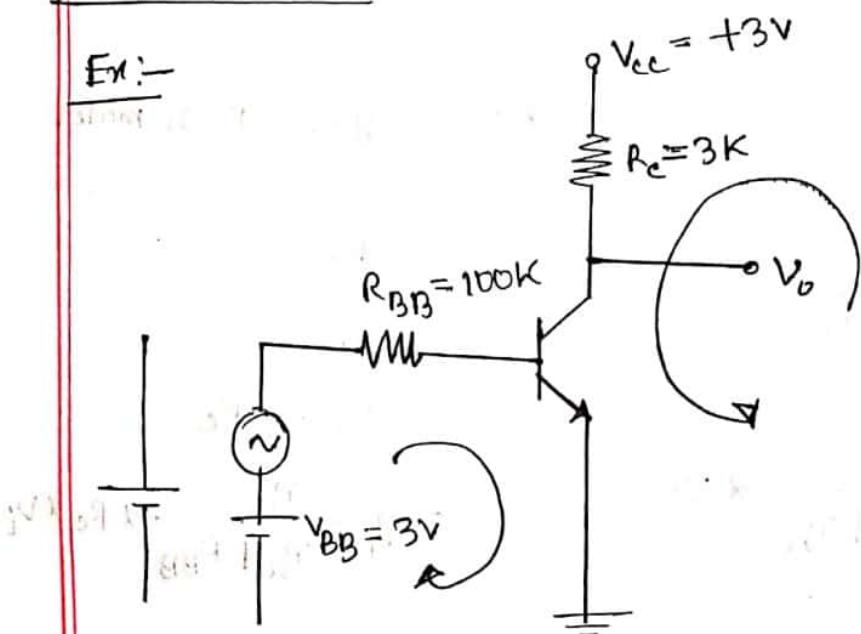


quiz #3 → 29.09.2019
 DC biasing math,
 Sedra Smith's 10th
 math



Sedra Smith:

Ex:-



Determine,
 A_v (gain) = ?
 assume $\beta = 100$

DC analysis, (AC source short circuit)

$$-V_{BB} + I_B R_{BB} + V_{BE} = 0$$

$$\Rightarrow I_B = \frac{V_{BB} - V_{BE}}{R_{BB}} = \frac{3 - 0.7}{100k} = 0.023 \text{ mA}$$

$$I_C = \beta I_B$$

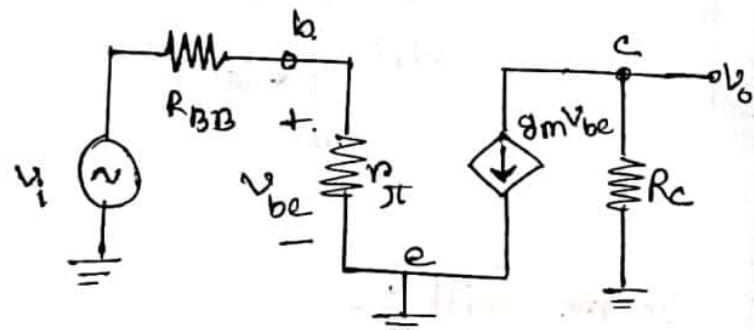
$$I_E = I_C + I_B$$

$$V_{CE} = V_{CC} - I_C R_C$$

$$V_C = V_{CE} = V_{CC} - I_C R_C$$

emitter grounded
 \Rightarrow

so, π -model



$$g_m = \frac{I_C}{V_T}$$

$$r_{\pi} = \beta / g_m$$

$$r_e = V_T / I_E = \alpha / g_m$$

$$\text{again, } V_{be} = \frac{r_{\pi}}{R_{BB} + r_{\pi}} * V_i$$

AC analysis π -model

$$\therefore V_o = I_o R_C$$

$$= -i_e R_C$$

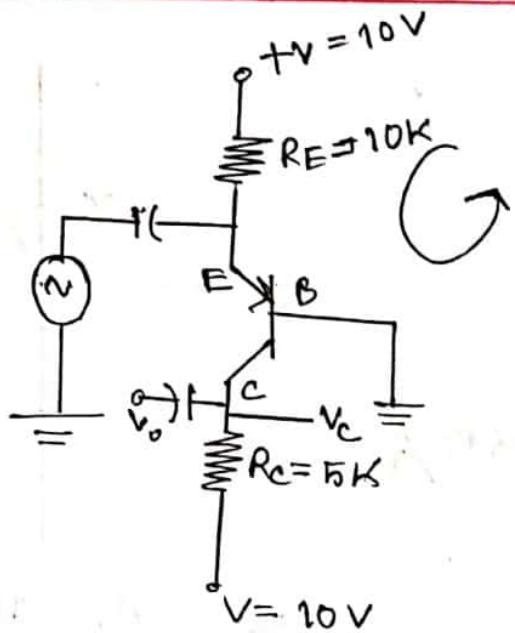
$$= -g_m V_{be} R_C$$

$$= -g_m \frac{r_{\pi}}{r_{\pi} + R_{BB}} * R_C * V_i$$

$$\Rightarrow A_V = V_o / V_i = -$$

180° outer face

* Example:



Determine,

$$A_v = ?$$

$$\text{assume } \beta = 100$$

$$\alpha = 0.99$$

$$v_{EB} = v_E = 0.7V$$

$$KVL, -10 + I_E R_E + v_{EB} = 0$$

$$I_E = \frac{10 - 0.7}{R_E}$$

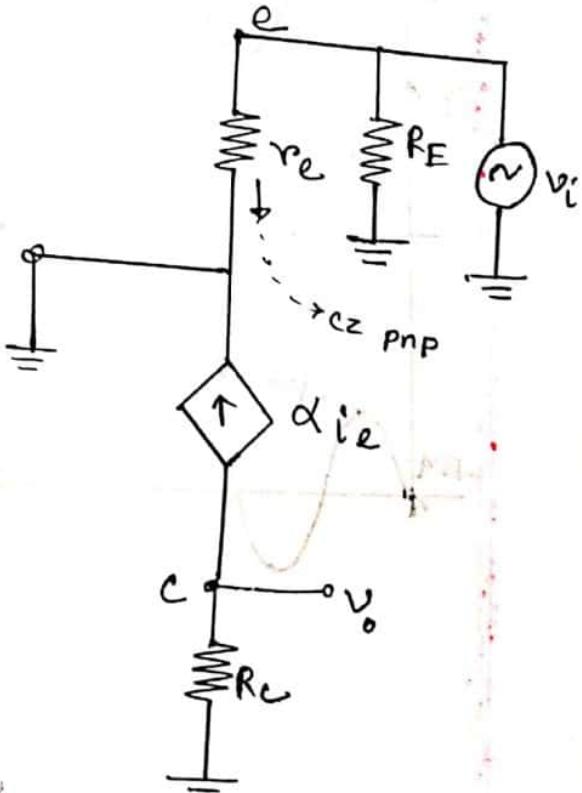
$$I_C = \alpha I_E$$

$$I_B = I_C / \beta$$

$$r_e = v_T / I_E$$

$$i_e = (-) \frac{v_i}{r_e}$$

$$= - \frac{v_i}{r_e} ; (-) \text{ve } i_e \text{ i.e. 3 output current direction } \frac{1}{3} \text{rd.}$$

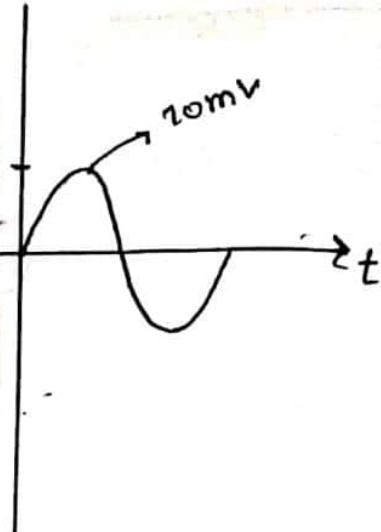
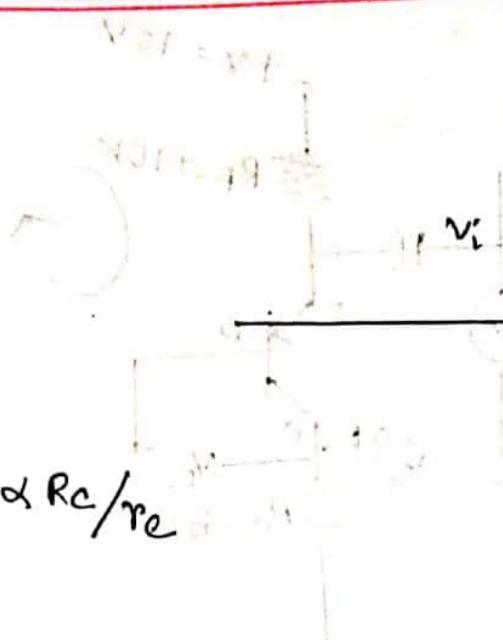
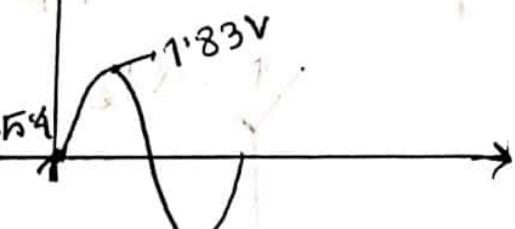
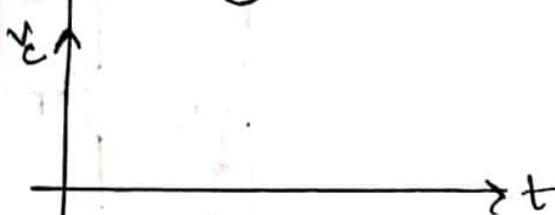
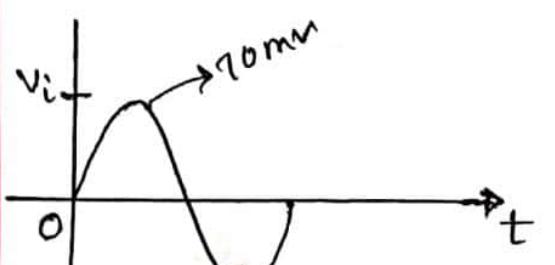


$$V_o = -i_C R_C$$

$$= -\alpha i_C R_C$$

$$= \alpha \frac{V_i}{r_e} * R$$

$$\therefore A_V = V_o/V_i = \alpha R_C/r_e$$



$$\frac{V_o}{V_i} = A_V = 183.3$$

$$\Rightarrow V_o = 183.3 * V_i$$

$$= 183.3 * 10mV$$

$$= 1.83V$$

29/09/2019
Sunday

Re transistor Model

- Low frequency

h -parameter

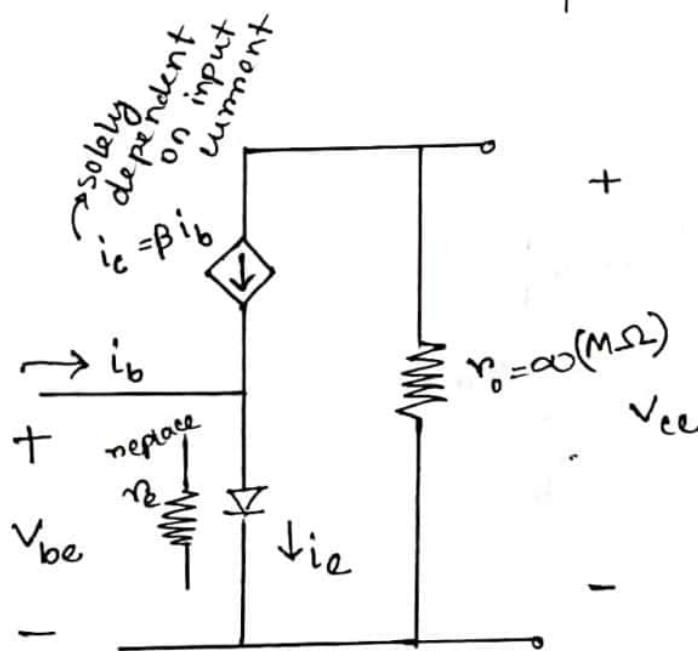
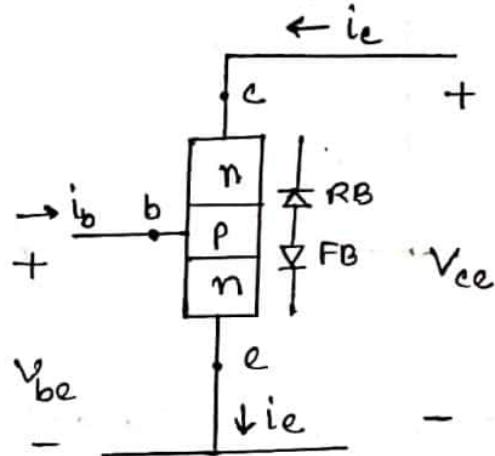
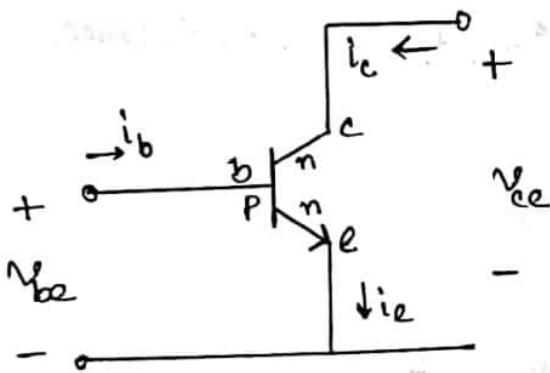
re model

- High frequency

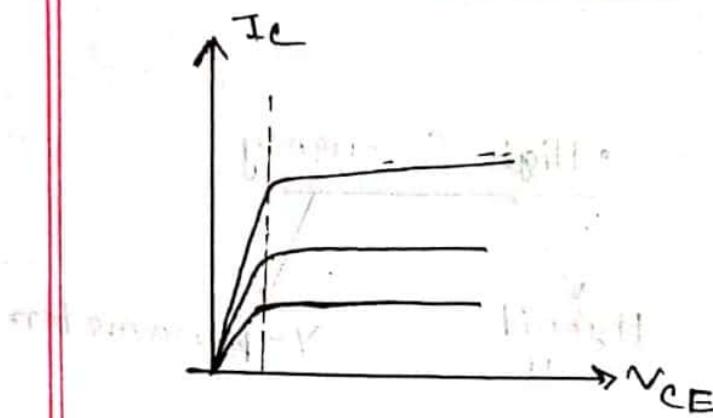
Hybrid π

y -parameter

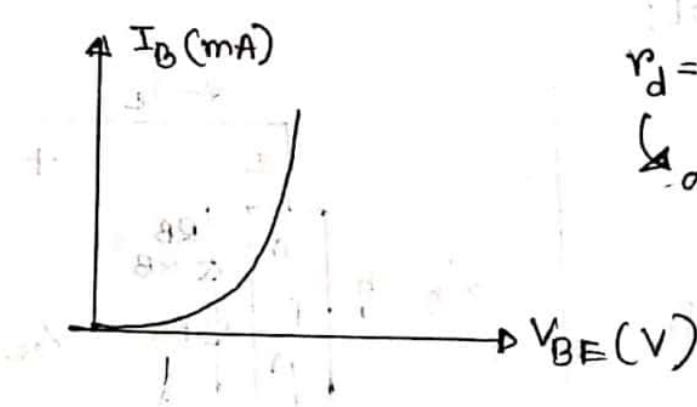
- CE transistor re model:



- diode $i_c \propto e^{V_{be}}$ de resistance for replace
- dc resistance \rightarrow dynamic "
- AC resistance \rightarrow static "



$$r_0^p = \frac{1}{\text{slope}} = \frac{1}{0} = \infty$$

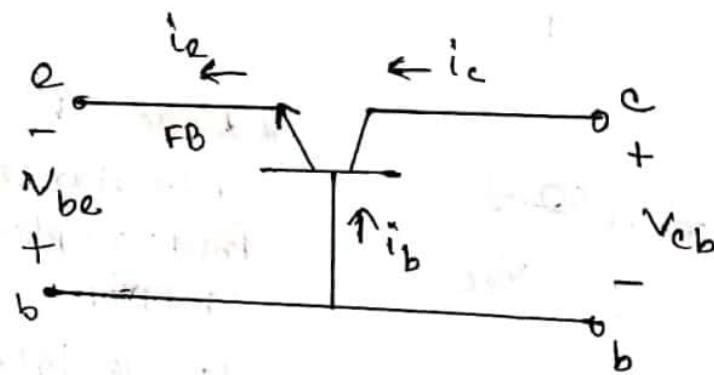


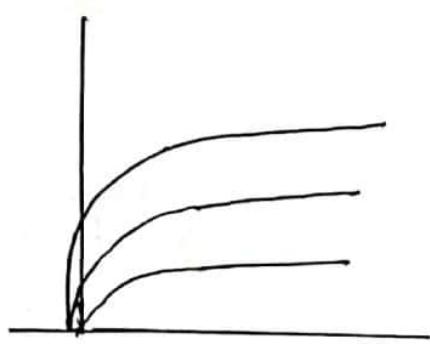
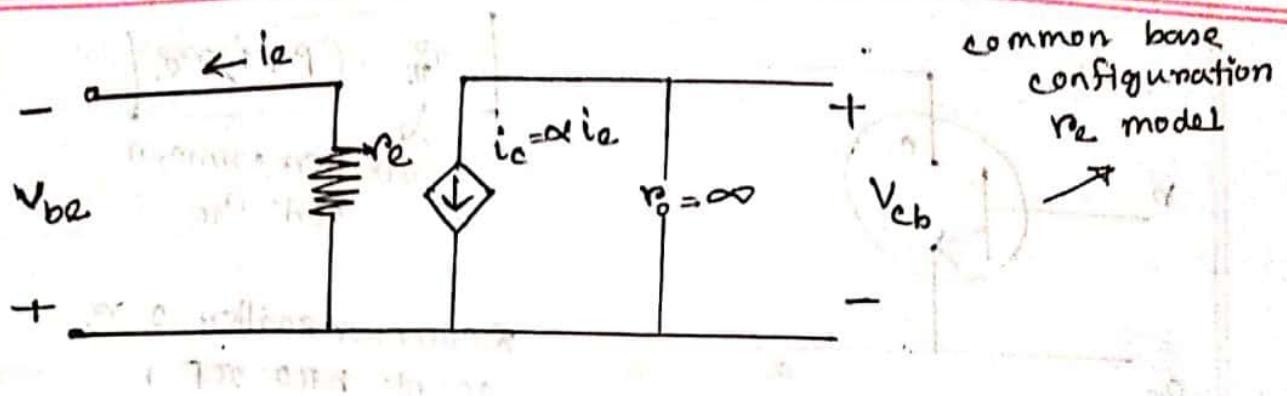
$$r_d = \frac{\Delta V_{be}}{\Delta i_b}$$

ac/dynamic resistance

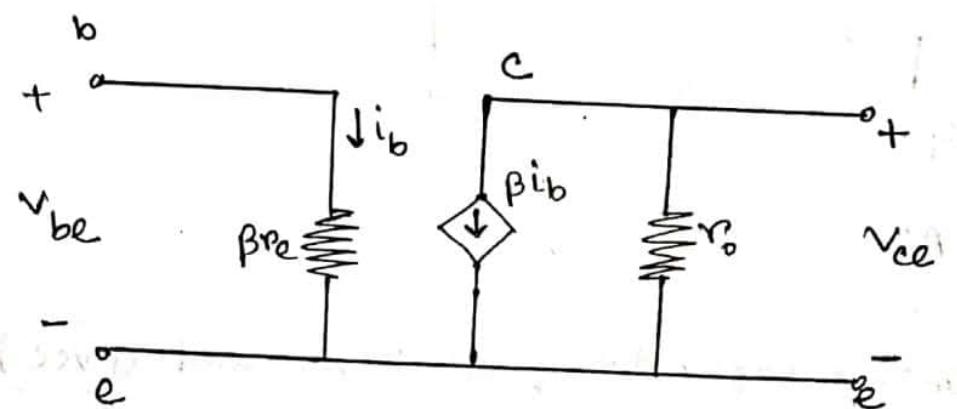
r_e model is also called T model:-

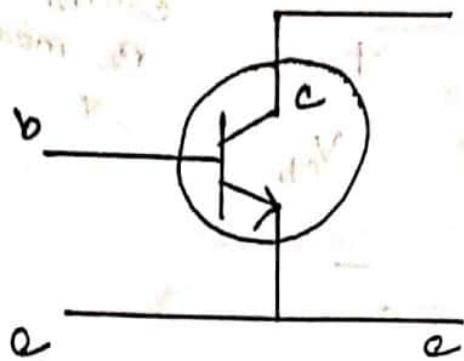
- common base





• CE :-



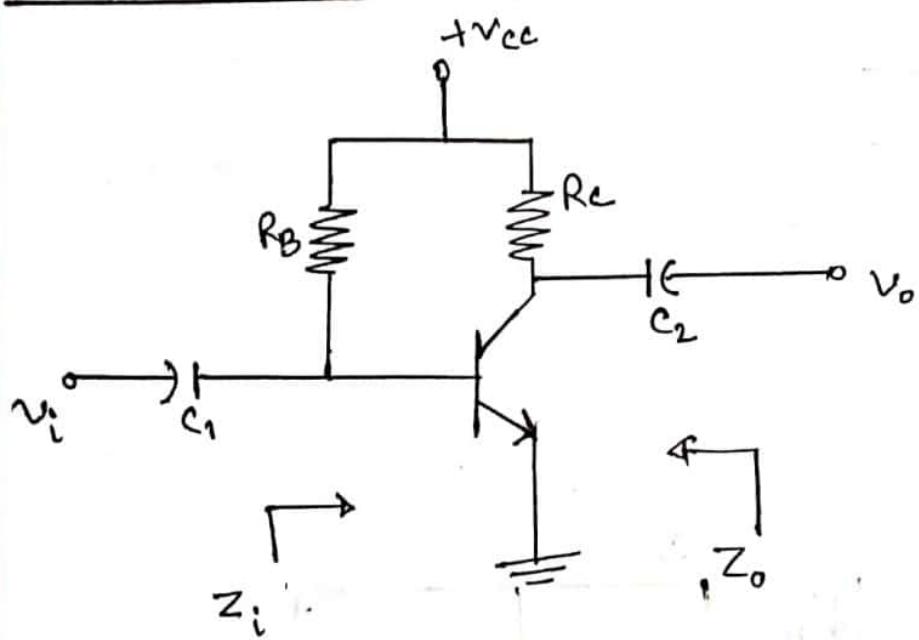


$$\gamma_{\pi}^o = (\beta + 1) r_e$$

emitter common
load $r_{\pi c}$

* common emitter $\rightarrow \gamma_o$
count 2nd 2nd

Fixed bias configuration

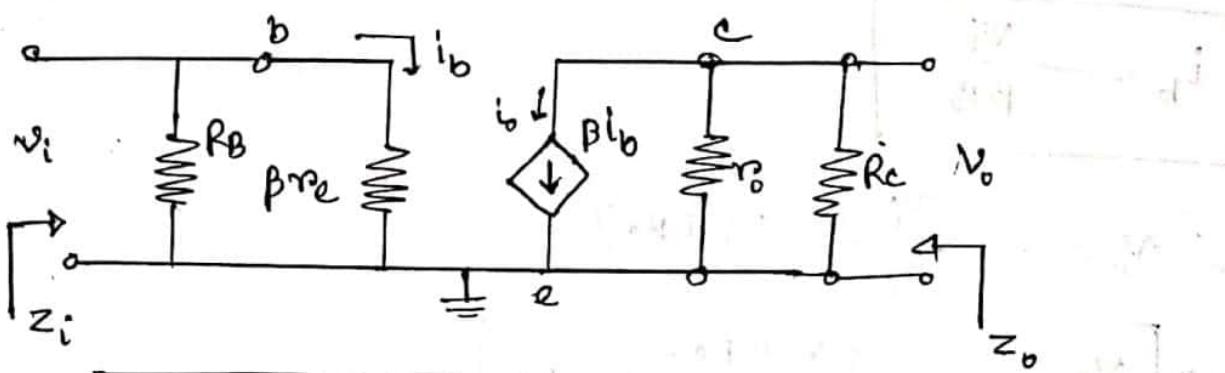


A_v, A_i

* AC circuit \rightarrow capacitors short and $+V_{CC}$
short zero freq.

r_E model

AC equivalent ckt



$$Z_i = R_B \parallel \beta r_e$$

$$R_B > 10 \beta r_e$$

$$\therefore Z_i \approx \beta r_e$$

\Rightarrow $Z_i \approx$ value of

$R_B \parallel \beta r_e$

that is resultant value

of R_B & βr_e

$$Z_o = r_o \parallel R_C$$

$$r_o > 10 R_C$$

$$Z_o \approx R_C$$

A_v :-

$$V_o = -I_o (r_o \parallel R_C)$$

$$= -\beta I_b (r_o \parallel R_C) \quad \text{--- (1)}$$

$$I_b = \frac{V_i}{R_{re}}$$

$$\therefore V_o = -\frac{V_i}{r_o} (r_o \parallel R_C)$$

$$\Rightarrow \frac{V_o}{V_i} = -\frac{(r_o \parallel R_C)}{r_o} = A_v \quad \text{Voltage gain}$$

* common emitter voltage gain always (+)ve.

A_i :-

$$I_o = \frac{r_o}{r_o + R_C} * \beta I_b ; \quad [\text{CDR apply}]$$

$$\Rightarrow \frac{I_o}{I_b} = \frac{r_o \beta}{r_o + R_C}$$

$$I_b = \frac{R_B}{R_B + \beta R_{re}} * I_i$$

$$\Rightarrow \frac{I_o}{I_i} = \frac{R_B}{R_B + \beta R_{re}}$$

$$I_o/I_b * I_b/I_i = \Delta i = \frac{r_o \beta}{r_o + R_C} * \frac{R_B}{R_B + \beta R_{re}}$$

if $r_o > 10 R_e$

$R_B > 10 \beta r_e$

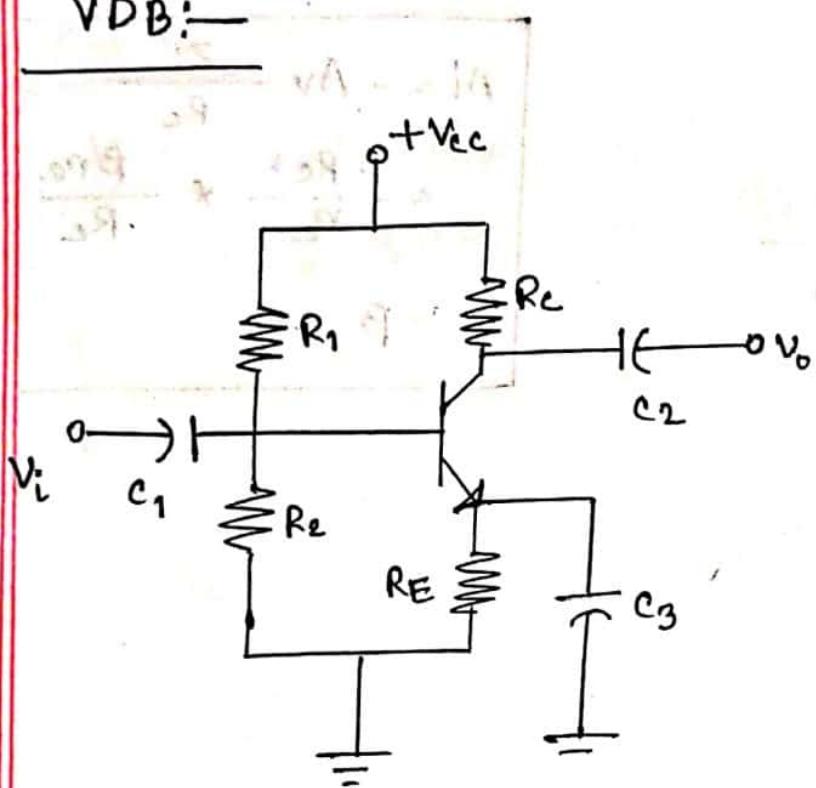
$$A_i = \frac{r_o \beta}{r_o} * \frac{R_B}{R_B}$$
$$= \beta$$

$$\begin{aligned} A_i &= -A_v \frac{Z_i}{R_e} \\ &= \frac{R_e}{r_e} * \frac{\beta r_e}{R_e} \\ &= \beta \end{aligned}$$

Math - Boylested

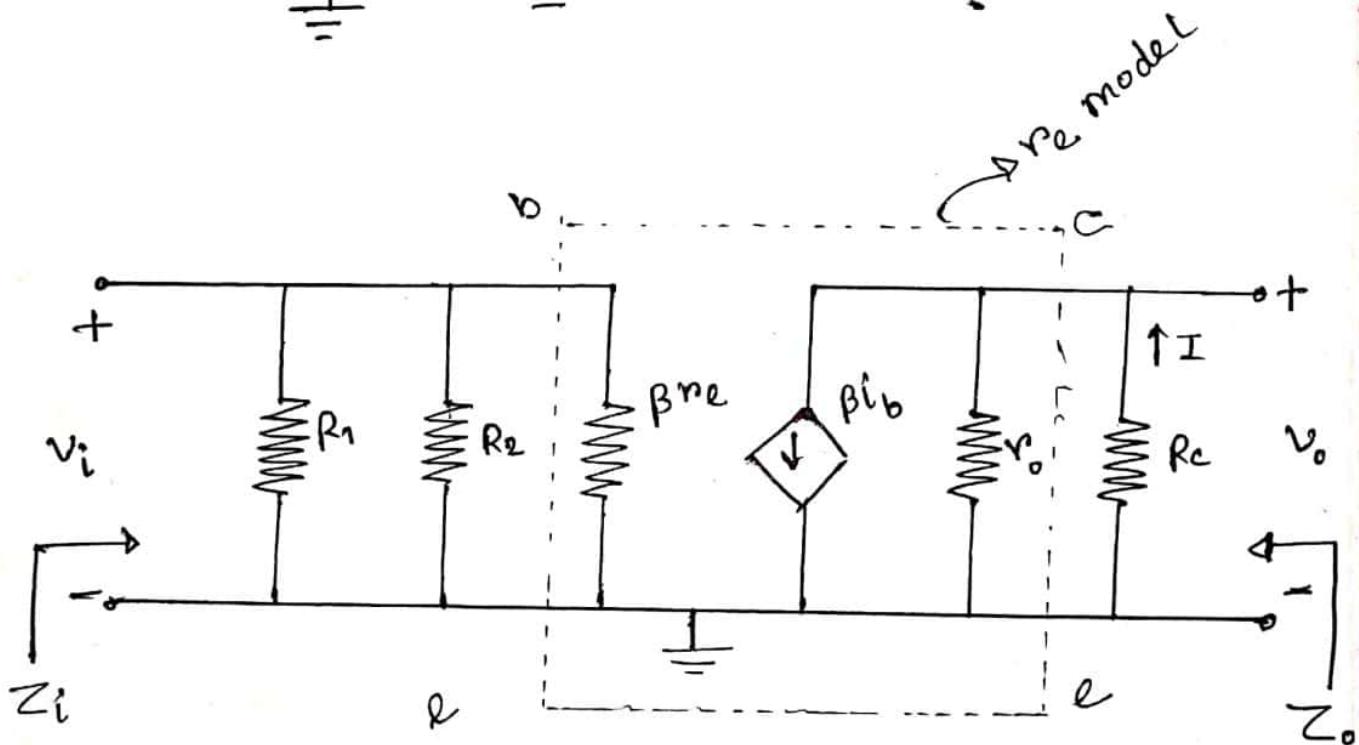
30 / 09 / 2019
Monday

VDB:-



emitter वां नेसिटेंस
गैन वां वल्यू कमिंटर

ट्रांजिस्टर



re model

r_e

c

e

l

r_o

R_C

v_o

I

r_o

Z_o

$Z_i \Rightarrow$

$$R' = R_1 \parallel R_2$$

$$Z_i = R' \parallel \beta r_e$$

$$R' \gg 10\beta r_e$$

$$Z_i \approx \beta r_e$$

$Z_o \Rightarrow$

$$Z_o = r_o \parallel R_C$$

$$r_o \gg 10 R_C$$

$$Z_o \approx R_C$$

Av - (voltage gain)

$$V_o = \text{---} i_o (R_C \parallel r_o)$$

$$= -\beta i_b (R_C \parallel r_o)$$

$$i_b = \frac{V_i}{\beta r_e}$$

$$V_o = -\beta \frac{V_i}{\beta r_e} (R_C \parallel r_o)$$

$$\Rightarrow V_o/V_i = - \frac{R_C \parallel r_o}{r_e}$$

$$\therefore Av = - \frac{R_C \parallel r_o}{r_e}$$

if

$$r_o \gg 10 R_C$$

$$\therefore Av = - \frac{R_C}{r_e}$$

A_i :— (current gain)

$$i_o = \frac{r_o}{R_c + r_o} * \beta i_b$$

$$\therefore \frac{i_o}{i_b} = \frac{\beta r_o}{R_c + r_o}$$

$$i_b = \frac{R'}{R' + \beta r_e} * i_i$$

$$\therefore \frac{i_b}{i_i} = \frac{R'}{R' + \beta r_e}$$

$$\therefore i_o / i_b * \frac{i_b}{i_i} = \frac{\beta r_o}{R_c + r_o} * \frac{R'}{R' + \beta r_e}$$

$$\therefore A_i = \frac{i_o}{i_i} = \frac{\beta r_o R'}{(R_c + r_o)(R' + \beta r_e)}$$

$$R' = R_1 \parallel R_2$$

$r_o = \infty$ ~~across~~
across and ckt
open; so no
of current flow

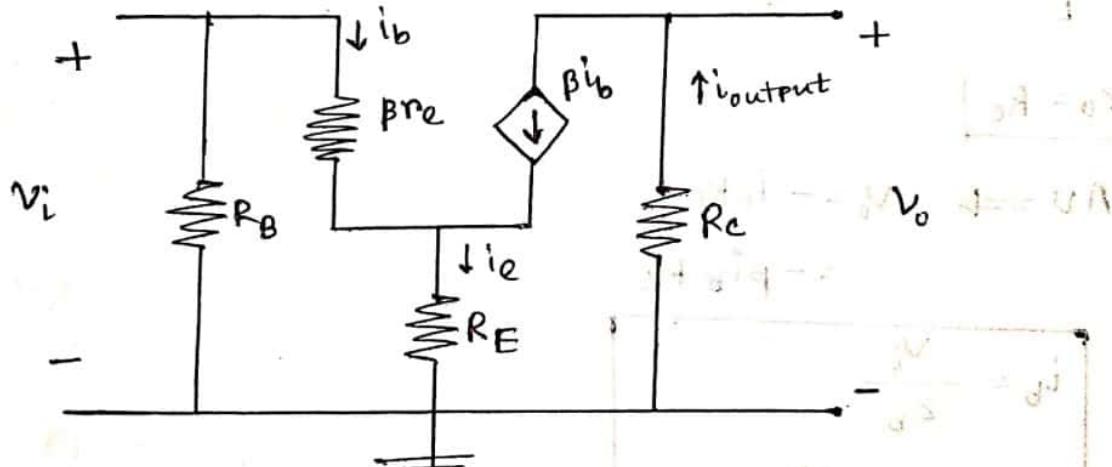
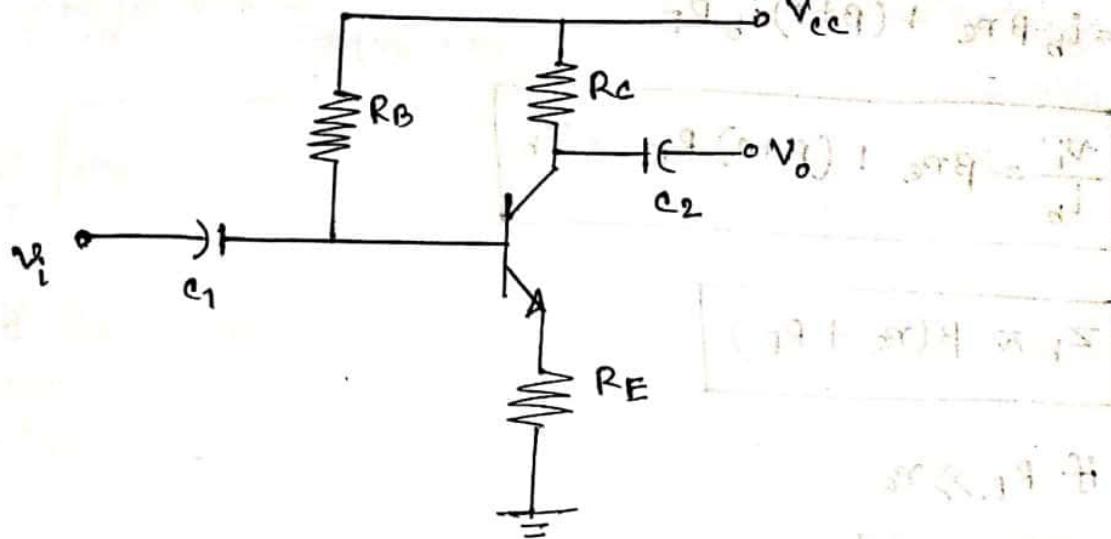
if $r_o \gg 10 R_c$; $R' \gg 10 \beta r_e$

$$A_i = \frac{\beta r_o R'}{r_o \cdot R'}$$

$$= \beta$$

$$\therefore A_i = - A_v \frac{Z_L}{R_C} = + \frac{R_C}{r_e} * \frac{\beta r_e}{R_C} = \beta$$

Emitter Bias (unbypassed):— emitter biasing resistance



Z_i :

$$v_i = i_b * \beta r_e + i_e R_E$$
$$= i_b \beta r_e + (\beta + 1) i_b R_E$$

$$\therefore \frac{v_i}{i_b} = \beta r_e + (\beta + 1) R_E = Z_b$$

$$\therefore Z_b \approx \beta (r_e + R_E)$$

if $R_E \gg r_e$

$$Z_b \approx \beta R_E$$

$$\therefore Z_i = R_B \parallel Z_b$$

$$Z_o = R_C$$

$$Av \Rightarrow v_o = - i_o R_C$$
$$= - \beta i_b R_C$$

$$i_b = \frac{v_i}{Z_b}$$
$$= \frac{v_i}{\beta r_e + (\beta + 1) R_E}$$

$$\therefore V_o = -\beta \frac{V_i}{\beta r_e + (\beta+1)R_E} * R_C$$

$$\therefore \frac{V_o}{V_i} = - \frac{\beta R_C}{\beta (r_e + R_E)}$$

$$\therefore A_v = - \frac{R_C}{r_e + R_E}$$

If $R_E \gg r_e$

$$A_v = - \frac{R_C}{R_E}$$

$$A_i \Rightarrow i_o = \beta i_b$$

$$\therefore \frac{i_o}{i_b} = \beta$$

wednesday
extra class
1 pm

$$i_b = \frac{R_B}{Z_b + R_B} * i_i ; CDR$$

$$\therefore \frac{i_b}{i_i} = \frac{R_B}{Z_b + R_B}$$

$$\therefore A_i = \frac{i_o}{i_i}$$

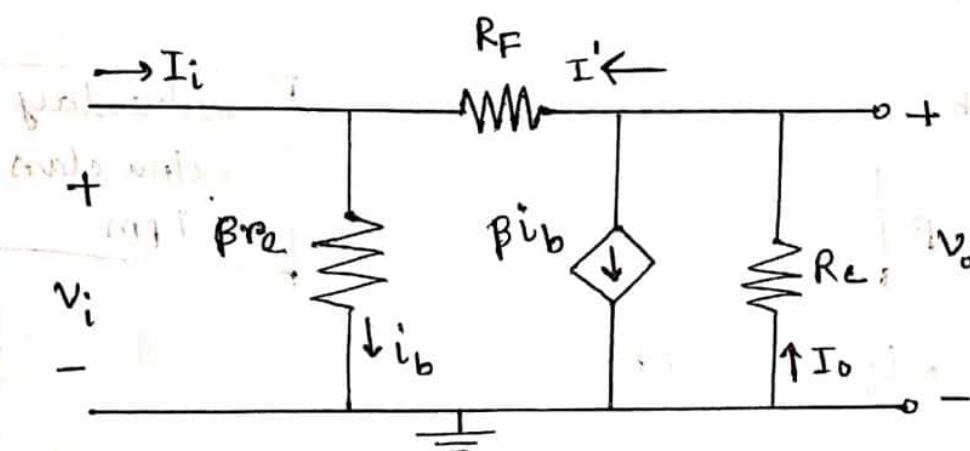
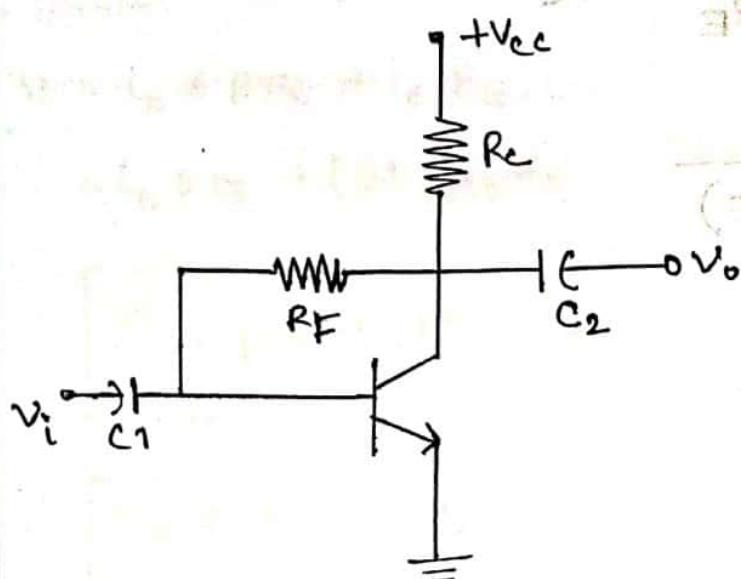
$$\therefore A_i = \frac{\beta R_B}{R_B + Z_b}$$

$$A_i = - A_v \frac{Z_i}{R_C}$$

02/10/2019
Wednesday

feedback

collector f/B configuration:



$$I' = \frac{V_o - V_i}{R_F}$$

$$\beta i_b \gg I'$$

$$\therefore I_o \approx \beta i_b$$

$$V_o = -I_o * R_C$$

$$= -\beta i_b R_C$$

$$\boxed{I_o = I' + \beta i_b}$$

$$\therefore V_o = -\beta \frac{V_i}{\beta R_{be}} R_C$$

$$= -\frac{V_i R_C}{R_{be}}$$

Now, $I' = \frac{V_o}{R_F} = \frac{V_i}{R_F}$

$$= -\frac{V_i R_c}{r_e R_F} = -\frac{V_i}{R_F} \left[1 + \frac{R_c}{r_e} \right]$$

$$V_i = i_b \beta r_e$$

$$= (I_i + I') \beta r_e$$

$$= I_i \beta r_e + I' \beta r_e$$

$$= I_i \beta r_e - \frac{V_i}{R_F} \left[1 + \frac{R_c}{r_e} \right] \beta r_e$$

$$\therefore V_i \left(1 + \frac{\beta r_e}{R_F} \left[1 + \frac{R_c}{r_e} \right] \right) = I_i \beta r_e$$

$$\therefore \frac{V_i}{I_i} = \frac{\beta r_e}{1 + \frac{\beta r_e}{R_F} \left(1 + \frac{R_c}{r_e} \right)} = Z_i$$

$$R_c \gg r_e$$

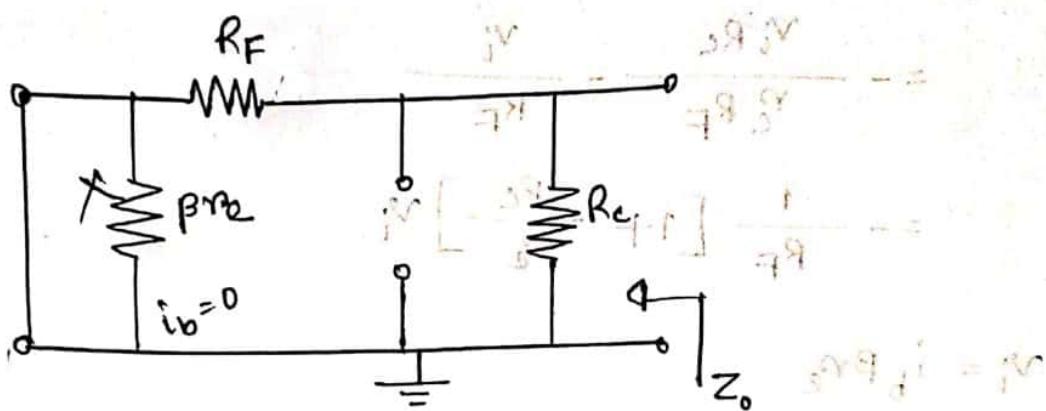
$$\therefore 1 + \frac{R_c}{r_e} \approx \frac{R_c}{r_e}$$

$$\therefore \frac{\beta r_e}{1 + \frac{\beta r_e}{R_F} * \frac{R_c}{r_e}}$$

$$\therefore \frac{\beta r_e}{1 + \frac{\beta R_c}{R_F}}$$

$$\therefore Z_i = \frac{r_e}{\frac{1}{\beta} + \frac{R_c}{R_F}}$$

Z_0 : For Z_0 deactivate all the active sources.



$$\therefore Z_0 = R_C \parallel R_F$$

$$\underline{AV} : \quad V_o = -I_o R_C$$

$$= -\beta i_b R_C$$

$$= -\beta \frac{V_i}{\beta r_e} R_C$$

$$\therefore \boxed{\frac{V_o}{V_i} = AV = -\frac{R_C}{r_e}}$$

A_i : Applying KVL at outer loop:

$$V_i + V_{RF} - V_o = 0$$

$$\Rightarrow i_b \beta r_e + (i_b - I_i) R_F + I_o R_C = 0$$

$$\Rightarrow i_b \beta r_e + i_b R_F - I_i R_F + I_o R_C = 0$$

$$V_{RF} = I' * R_F$$

$$i_b = I_i + I'$$

$$\therefore \boxed{I_o = \beta i_b + I'}$$

$$I_o \approx \beta i_b$$

using, $I_o \approx \beta i_b$

$$\Rightarrow i_b \beta r_e + i_b R_F - I_i R_F + \beta i_b R_C = 0$$

$$\Rightarrow i_b (\beta r_e + R_F + \beta R_C) = I_i R_F$$

Now, $i_b = \frac{I_o}{\beta}$

$$\Rightarrow \frac{I_o}{\beta} [\beta r_e + R_F + \beta R_C] = I_i R_F$$

$$\Rightarrow \frac{I_o}{I_i} = A_i = \frac{\beta R_F}{\beta r_e + R_F + \beta R_C}$$

βr_e too small; ignored

$$= \frac{\beta R_F}{R_F + \beta R_C}$$

$$\beta R_C \gg R_F$$

$$\therefore A_i \approx \frac{R_F}{R_C}$$

Boylestad

Lecture - 5.1 : BJT AC Analysis, chapter - 5
example

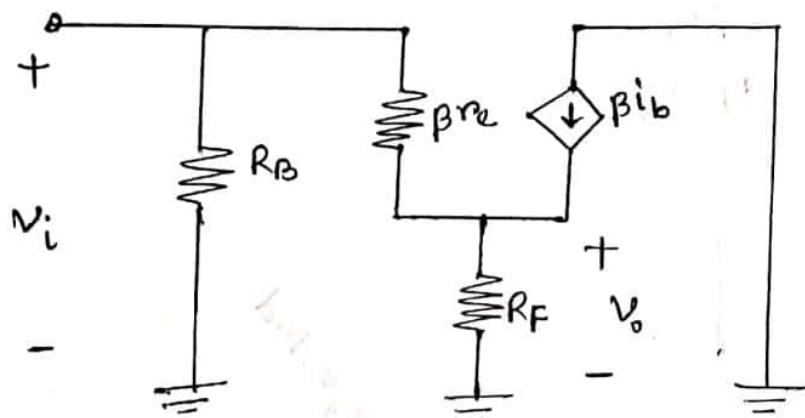
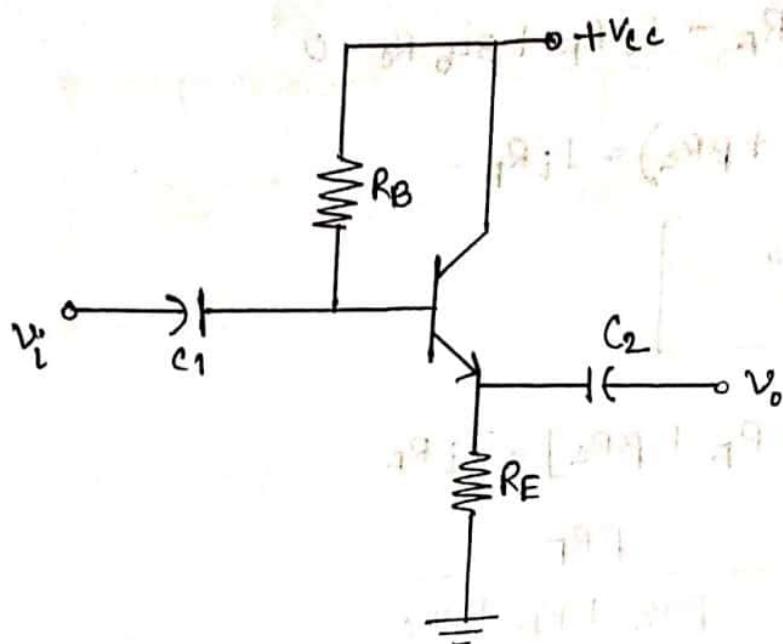
→ 5.2, 5.3, 5.4, 5.5, 5.7, 5.8, 5.9 (Ro तक calculate)
5.10

→ math 2nd sem Sunday 7.00

2020. 07.12 2020



Emitter follower configuration:-



$$Z_i = R_B \parallel Z_b$$

$$i_b = \frac{v_i}{Z_b}$$

$$Z_b = \beta r_e + (\beta + 1) R_E$$

$$= \frac{v_i}{\beta r_e + (\beta + 1) R_E}$$

$$\approx \beta(r_e + R_E)$$

$$r_e \gg R_E$$

$$Z_b \approx \beta R_E$$

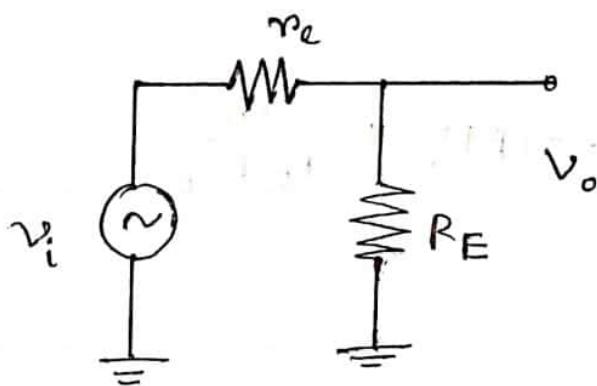
$$\begin{aligned}
 i_e &= (\beta + 1) i_b \\
 &= (\beta + 1) \frac{v_i}{z_b} \\
 &= \frac{(\beta + 1) v_i}{\beta r_e + (\beta + 1) R_E} \\
 &= \frac{v_i}{\frac{\beta r_e}{\beta + 1} + R_E}
 \end{aligned}$$

Again,

$$\frac{\beta r_e}{\beta + 1} \approx \frac{\beta r_e}{\beta} \approx r_e$$

$$\therefore i_e = \frac{v_i}{r_e + R_E}$$

Now,
Redrawing the ckt



$$Z_o = r_e \parallel R_E$$

$$R_E \gg r_e$$

$$\therefore Z_o \approx R_E$$

$$V_o = \frac{R_E}{R_E + r_e} * V_i$$

$$\frac{V_o}{V_i} = A_v = \frac{R_E}{R_E + r_e}$$

$$R_E \gg r_e$$

$$A_v \cong 1$$

$$i_b = \frac{R_B}{R_B + Z_b} * i_i$$

$$\frac{i_b}{i_i} = \frac{R_B}{R_B + Z_b}$$

$$i_o = -i_e$$

$$= -(\beta + 1) i_b$$

$$\Rightarrow i_o / i_b = -(\beta + 1)$$

$$\therefore i_b / i_i * i_o / i_b = -(\beta + 1) * \frac{R_B}{R_B + Z_b}$$

$$-(\beta + 1) \cong -\beta.$$

$$\therefore \frac{i_o}{i_i} = A_i \cong -\frac{\beta R_B}{R_B + Z_b}$$

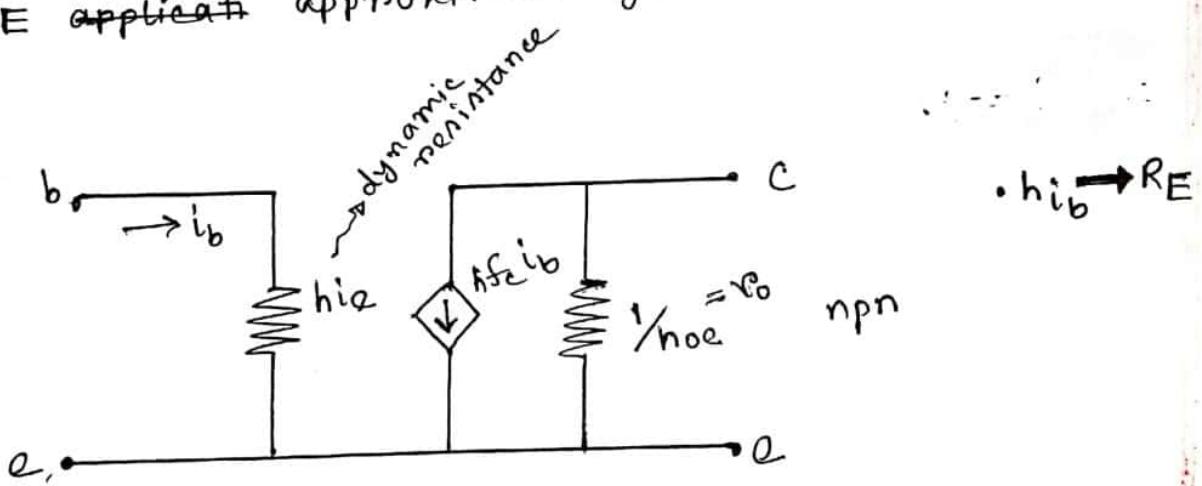
$$A_i = -A_v \frac{Z_i}{Z_c}$$

Extra class

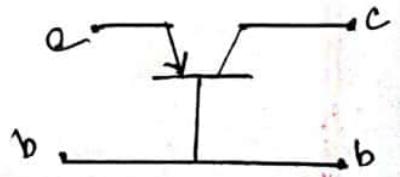
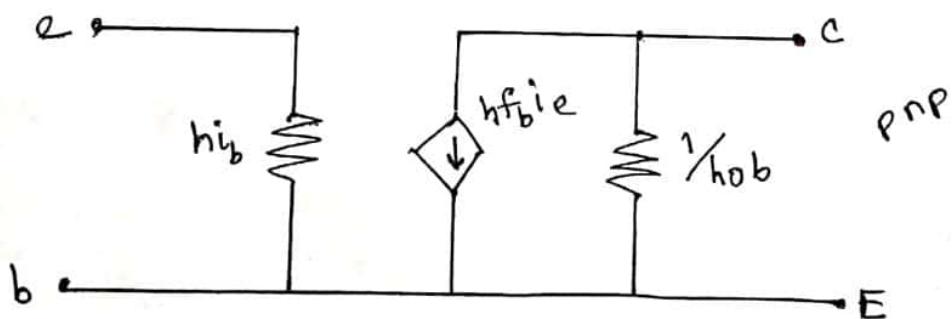
Hybrid Model:-

- Equivalent Model of transistor
- Widely used before popularity of r_e model.
- Parameters are defined in general terms for any operating conditions (h -model)
- Parameters are defined by actual operating conditions (r_e model).

C E application approximate hybrid equivalent ckt:-



Approximate CB hybrid equivalent ckt:-



$h_f \rightarrow$ forward transfer current ratio

$h_i \rightarrow$ i/p resistance

$h_r \rightarrow$ reverse transfer voltage ratio

$h_o \rightarrow$ o/p conductance = $1/r_o$

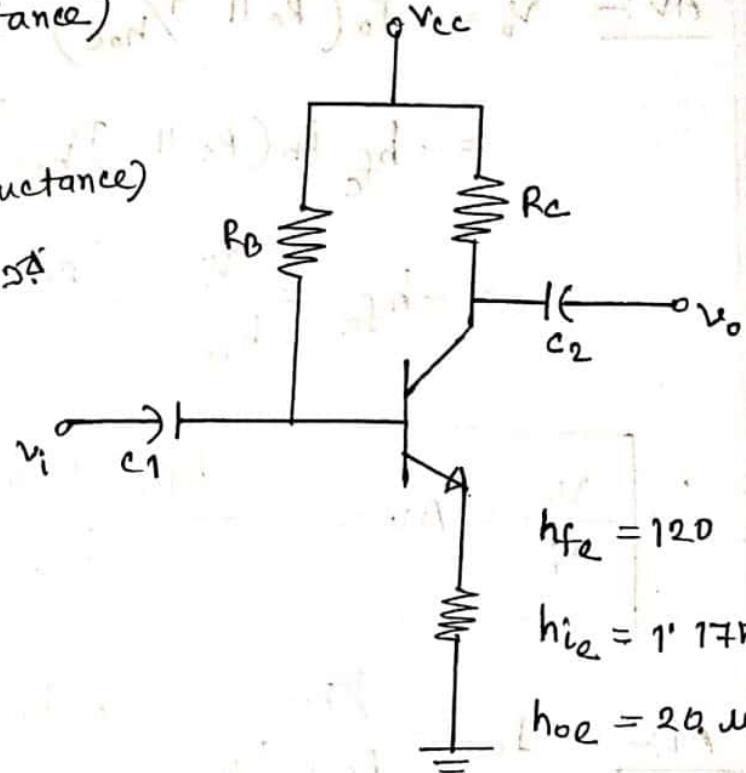
$h_{ie} = \beta r_e \rightarrow$ (i/p resistance)

$h_{fe} = \beta \rightarrow$ (gain)

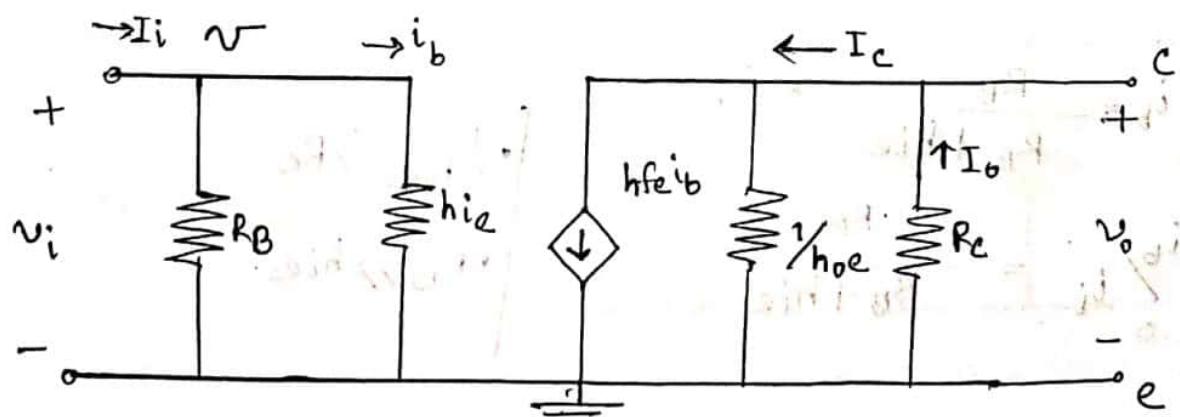
$h_{oe} = 1/r_o \rightarrow$ (i/p conductance)

$h_{fb} = -\alpha$
 (-ve pnp)

$h_{ib} = r_b$



Fixed Bias:



$$Z_i = R_B \parallel h_{ie}$$

$$Z_b = R_{re} + (\beta + 1)R_F$$

$$Z_o = \gamma_{hoe} \parallel R_C$$

$$\underline{Av} : V_o = - I_o (R_C \parallel \gamma_{hoe})$$

$$= - h_{fe} i_b (R_C \parallel \gamma_{hoe})$$

$$= - h_{fe} \frac{V_i}{h_{ie}} (R_C \parallel \gamma_{hoe})$$

$$\frac{V_o}{V_i} = Av = - \frac{h_{fe} (R_C \parallel \gamma_{hoe})}{h_{ie}}$$

$$\underline{Ai} : I_o = \frac{\gamma_{hoe}}{R_C + \gamma_{hoe}} * h_{fe} i_b$$

$$\Rightarrow I_o / i_b = \frac{h_{fe} * \gamma_{hoe}}{R_C + \gamma_{hoe}}$$

$$i_b = \frac{R_B}{R_B + h_{ie}} * i_i$$

$$i_b / i_i = \frac{R_B}{R_B + h_{ie}}$$

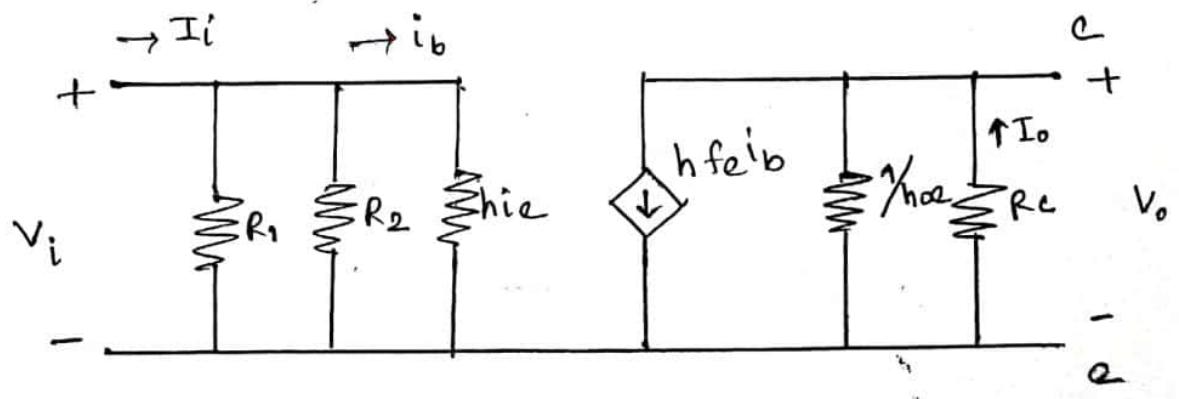
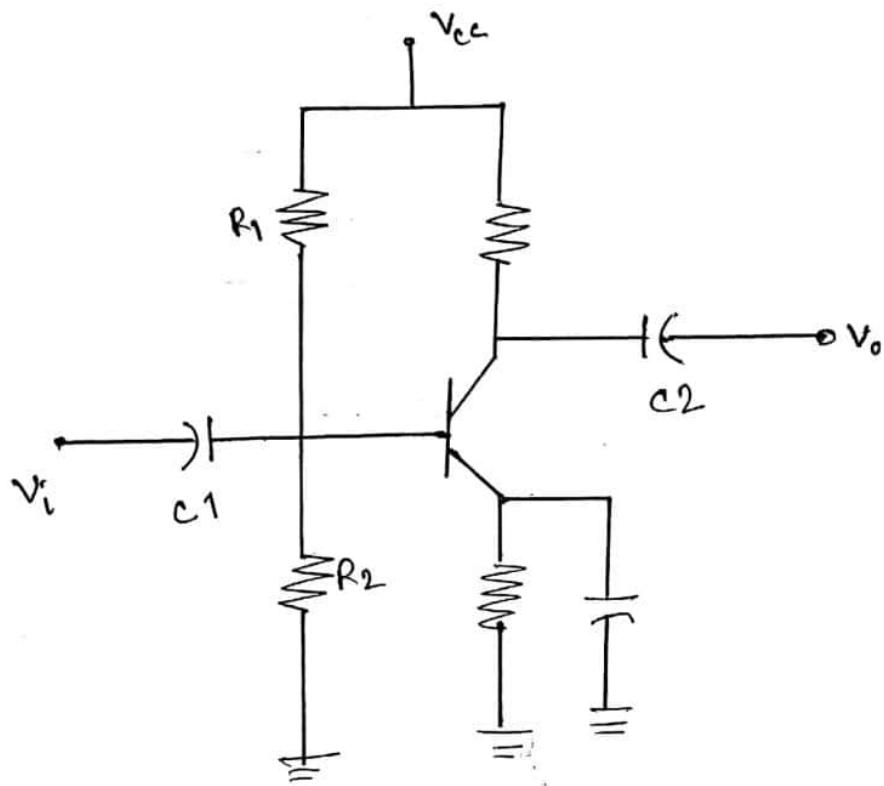
$\gamma_{hoe} \gg R_C$

$R_B \gg h_{ie}$

$$\therefore A_i = \frac{i_o}{i_i} = \frac{h_{fe} * \gamma_{hoe}}{R_C + \gamma_{hoe}} * \frac{R_B}{R_B + h_{ie}}$$

$$\therefore A_i = h_{fe}$$

voltage divider Bias:



06.10.2019

Sunday

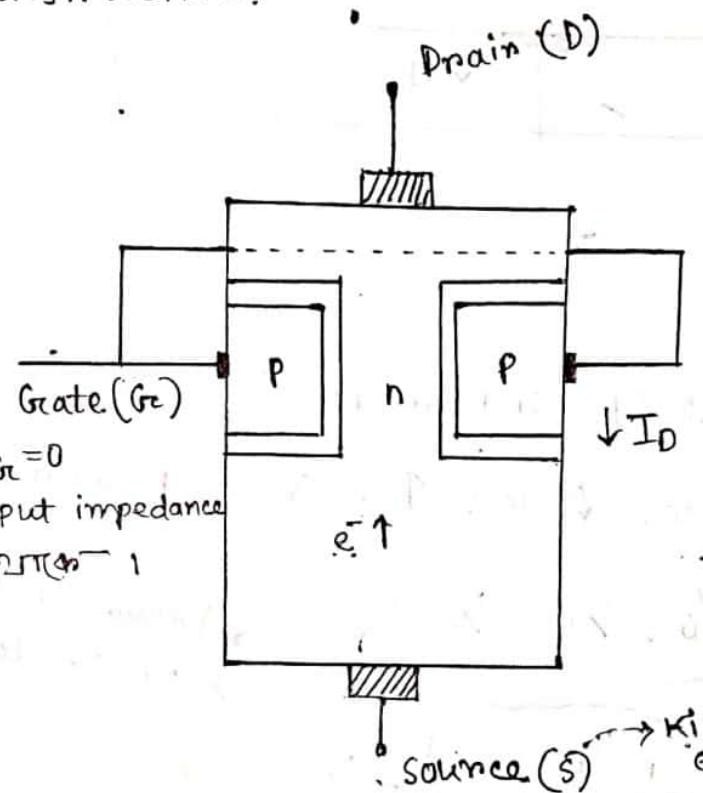
FET (Field effect transistor) :-

BJT \rightarrow current controlled device (Bipolar) $\xrightarrow{\text{npn}} \text{pnp}$

JFET \rightarrow voltage controlled device (unipolar) $\xrightarrow{\text{n-ch}} \text{p-ch}$

FET:— 2 types : 1. JFET
2. MOSFET $\xrightarrow{\text{D. MOS (amplification)}}$
 $\xrightarrow{\text{E. MOS (fast switching)}}$
 $\xrightarrow{\text{Temp stable}}$ $\xrightarrow{\text{point stable}}$
 $\xrightarrow{\text{switching use}}$ $\xrightarrow{\text{करा 225}}$

JFET construction:—



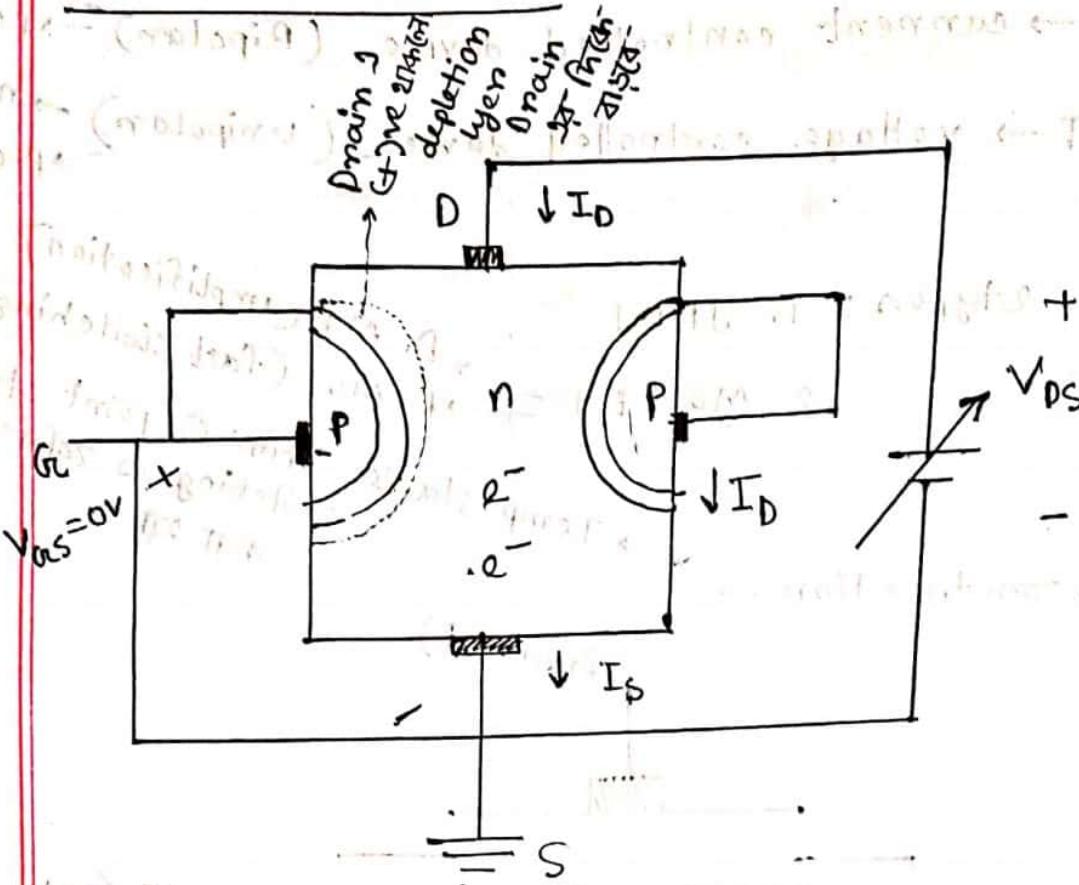
* Gate
पर्स
conduction
एवं ना ।

Drain and
Source
पर्स एवं ।

* D. MOS \rightarrow Depletion type MOSFET

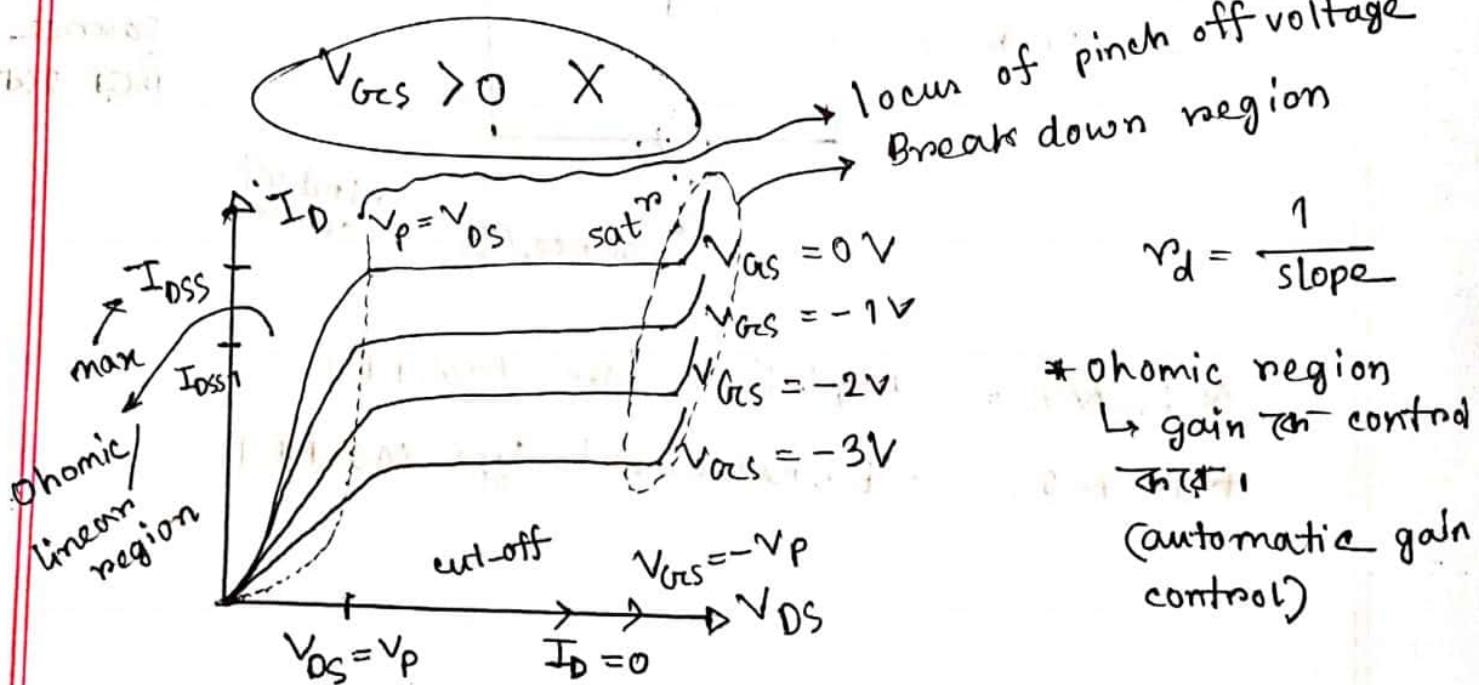
* E. MOS \rightarrow Enhancement type MOSFET

$$V_{GS} = 0 \text{ V} ; \quad V_{DS} > 0$$



• Gate as '+' खाले. pn junction का forward bias

* Resistance \downarrow loss \uparrow ; V_{oc}s \Rightarrow value (+)ve than that of n.



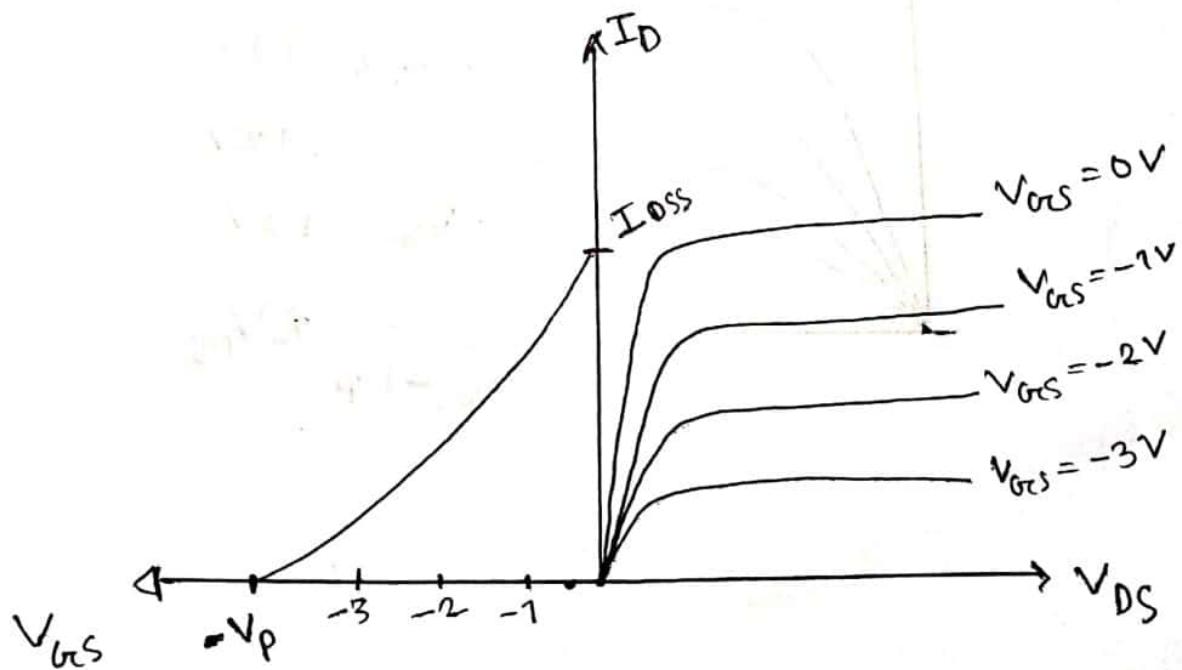
voltage controlled resistor

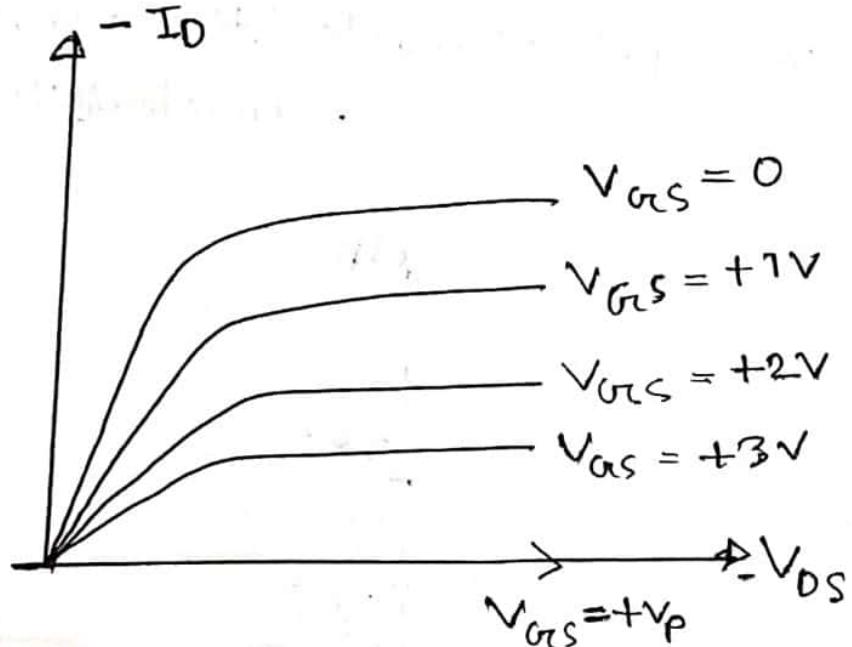
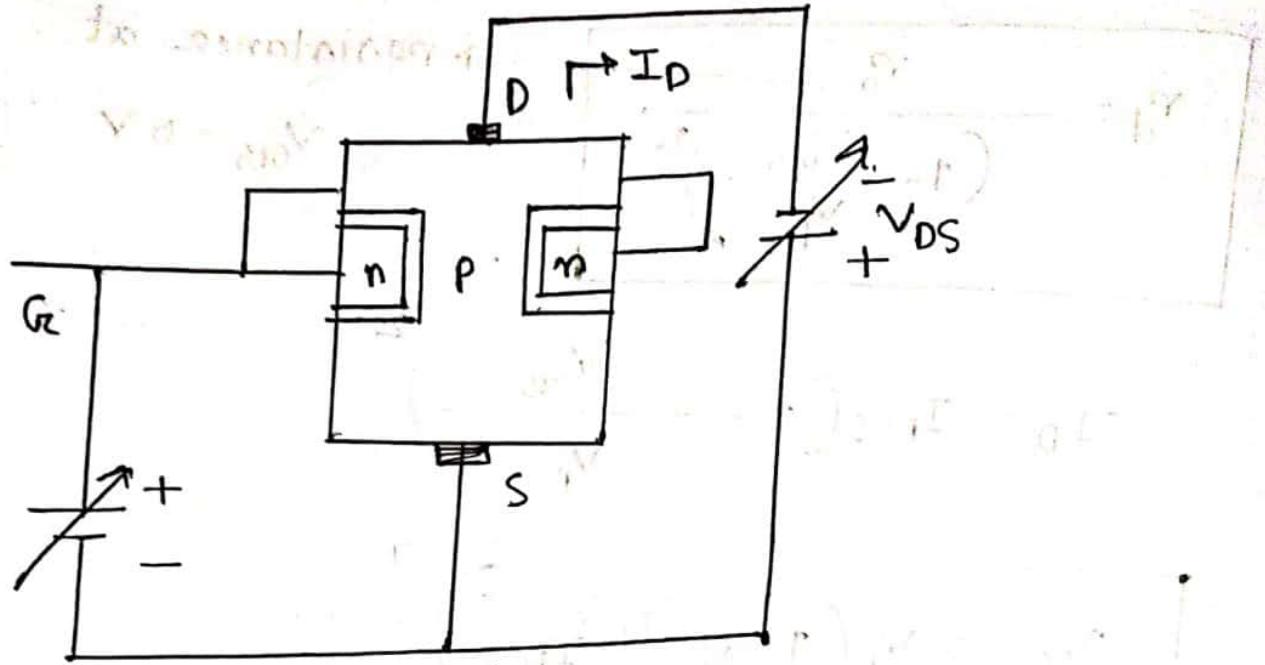
$$r_d = \frac{r_0}{\left(1 - \frac{V_{GS}}{V_p}\right)^2} \rightarrow \text{resistance at } V_{GS} = 0V$$

$$I_D = I_{DSS} \left(1 - \frac{V_{GS}}{V_p}\right)^2$$

$$V_{GS} = V_p \left(1 - \sqrt{\frac{I_D}{I_{DSS}}}\right)$$

* output vs input characteristics curve \rightarrow transfer characteristics curve.



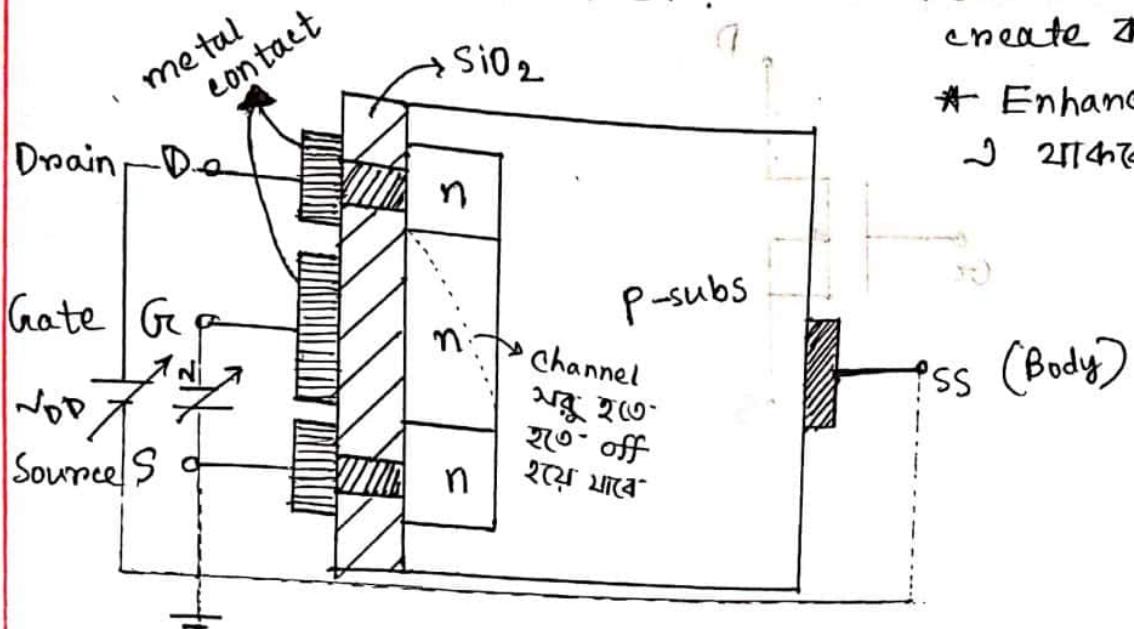


09/10/2019

Wednesday

MOSFET:-

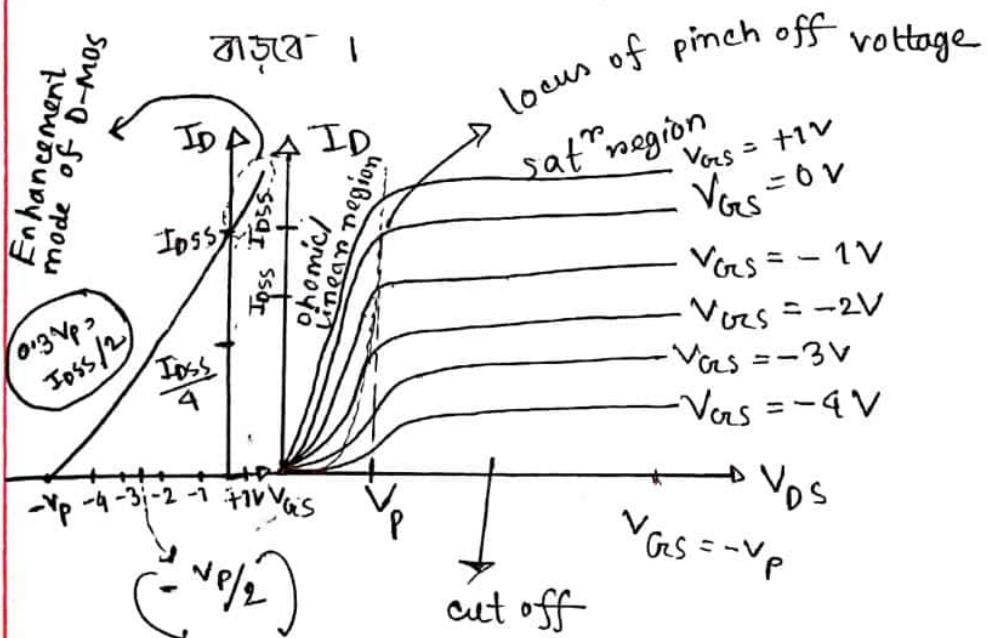
Depletion type MOSFET



channel अवृत्त होता है और ऑफ होता है।

* Enhancement type
→ 2 ऑफ होता है।

* pn junction → voltage वाले जगह स्ट्रेच डिप्लेयर depletion layer



$$I_D = I_{DSS} \left(1 - \frac{V_{GS}}{V_p} \right)^2$$

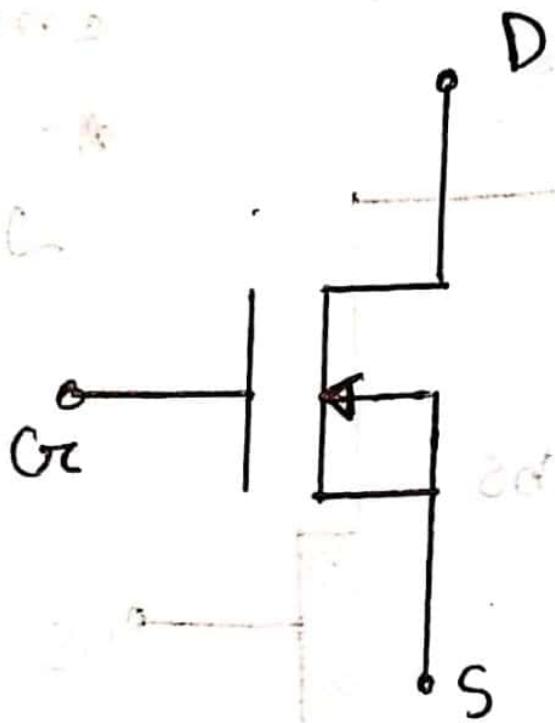
$$V_{GS} = V_p \left(1 - \sqrt{\frac{I_D}{I_{DSS}}} \right)$$

$$r_d = \frac{r_o}{\left(1 - \frac{V_{GS}}{V_D} \right)^2}$$

Position 00

fast control

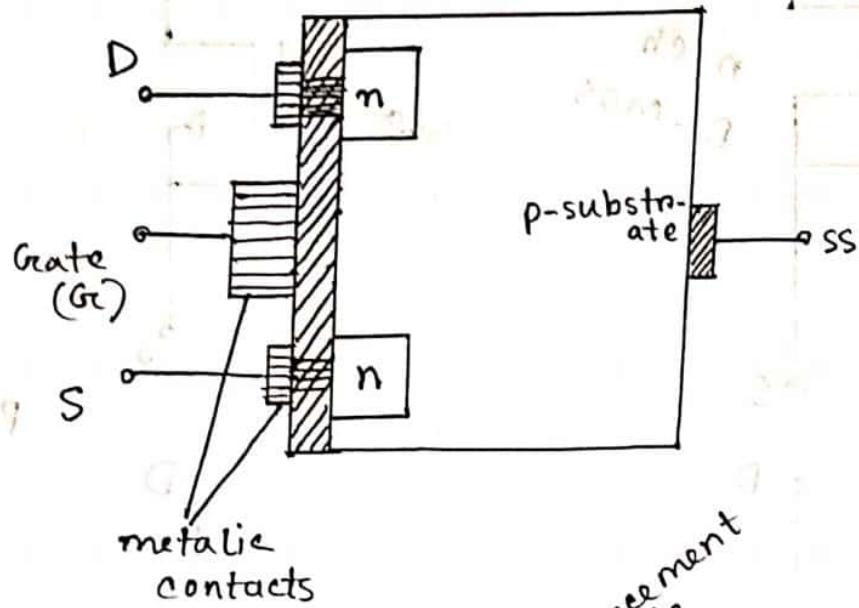
Symbol



13.10.2019

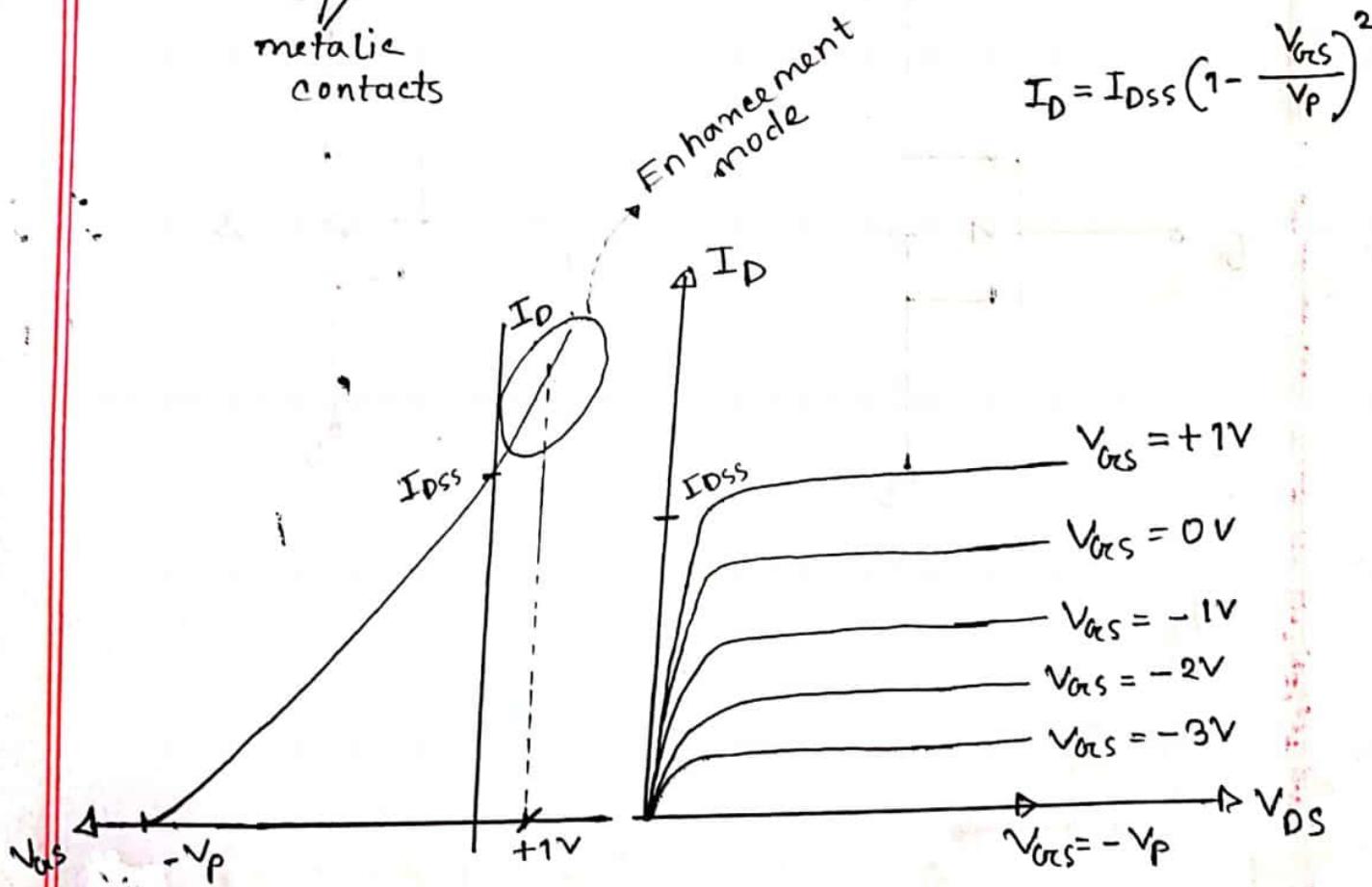
Sunday

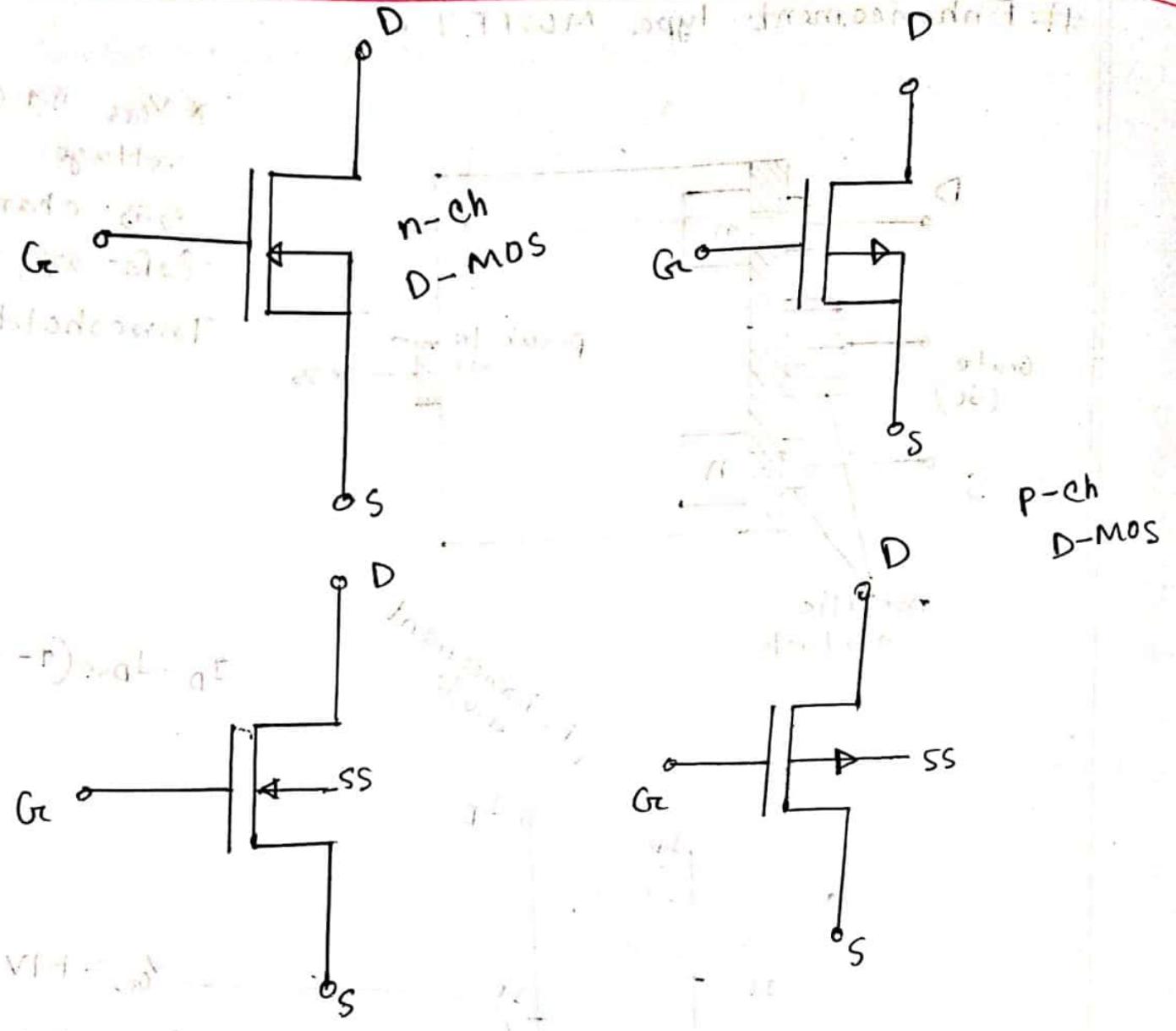
Enhancement type MOSFET:

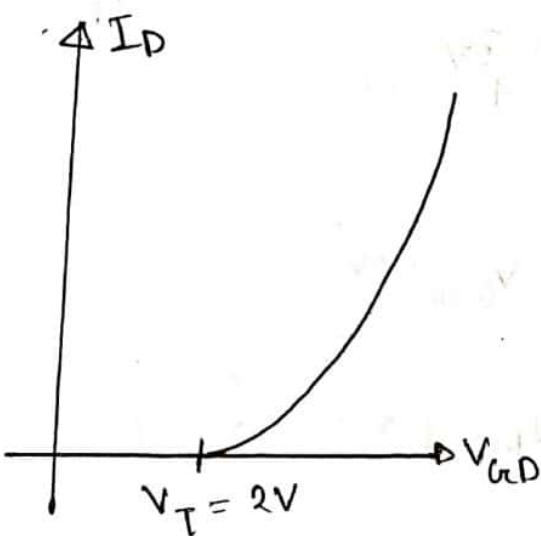
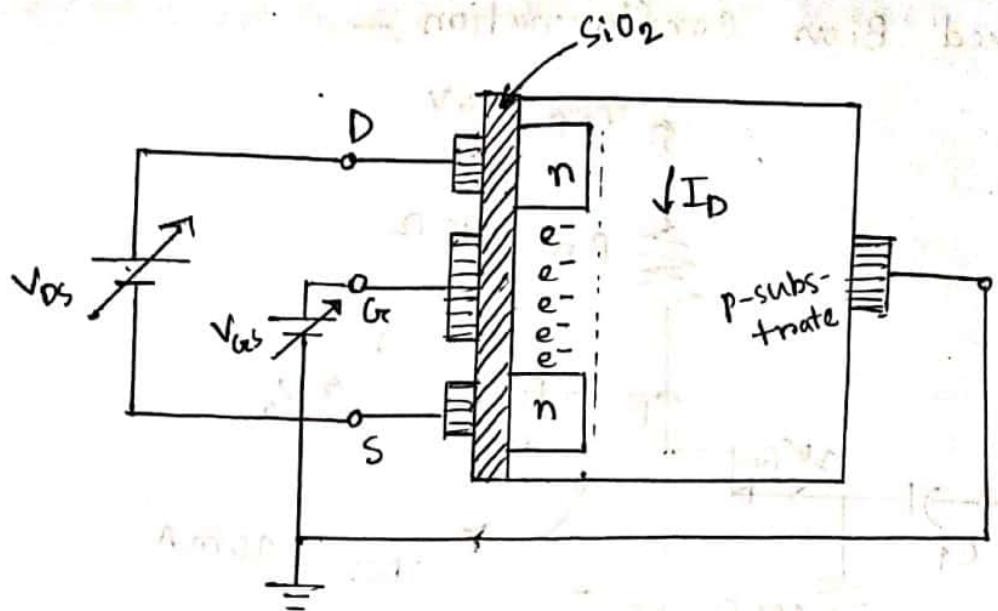


* V_{GS} वॉल्टेज
voltage - वॉल्ट
इन्हेन्चमेंट चैनल
वॉल्टेज 2.2V, 2.4V
Threshold voltage

$$I_D = I_{DSS} \left(1 - \frac{V_{GS}}{V_P}\right)^2$$



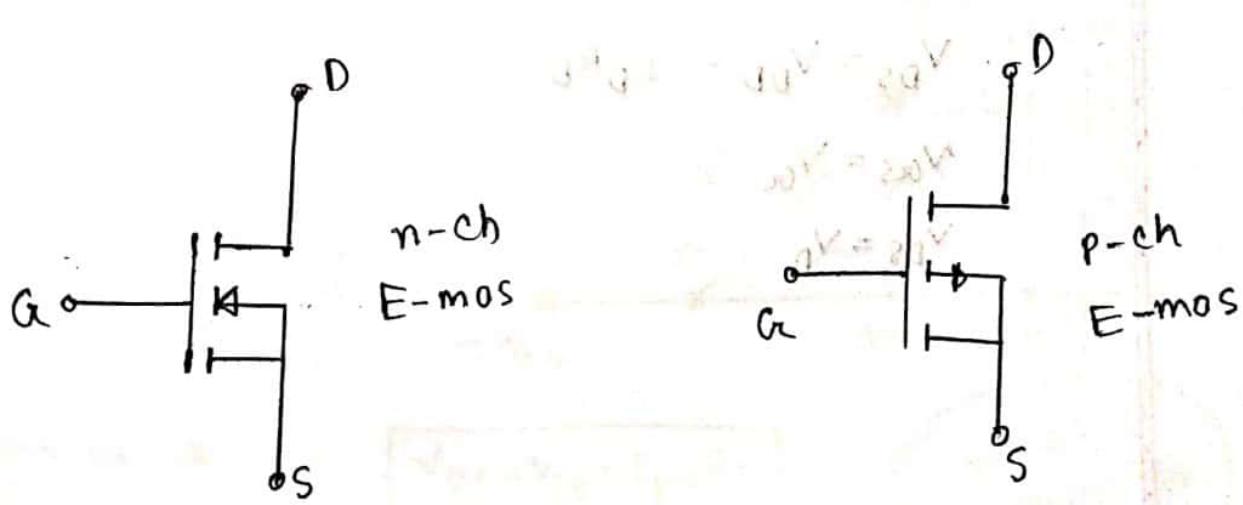




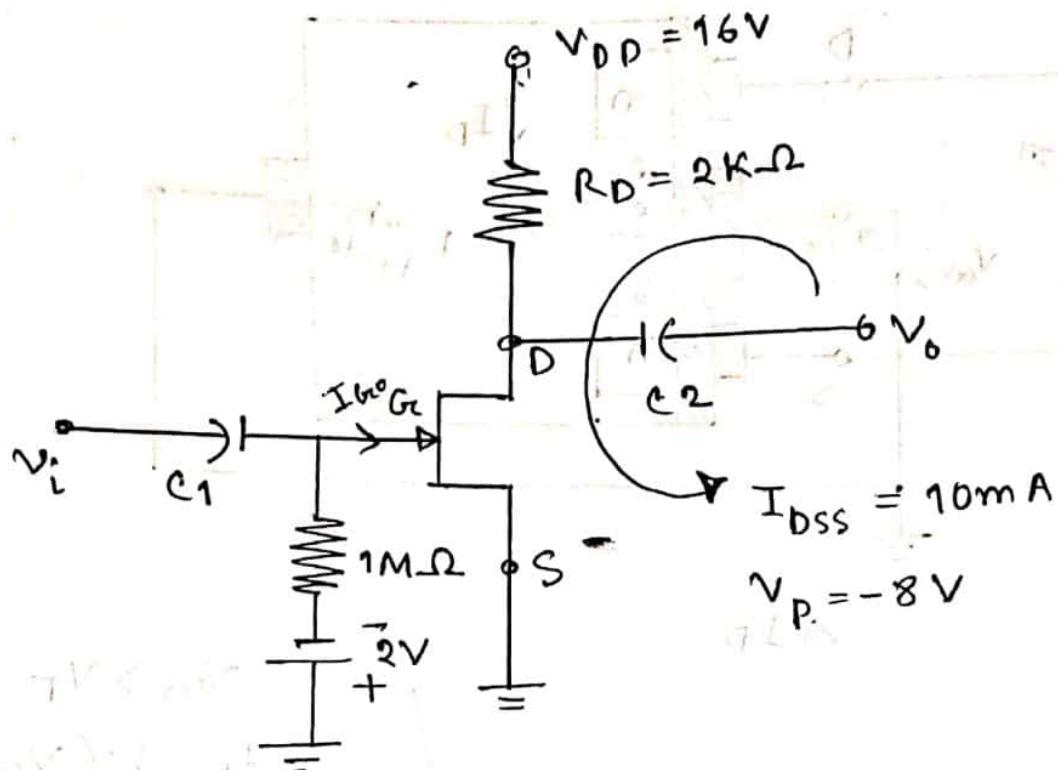
$$V_{GDS} > V_T$$

$$I_D = k(V_{GDS} - V_T)^2$$

$$k = \frac{I_D(\text{on})}{(V_{GDS}(\text{on}) - V_T)^2}$$



Fixed Bias Configuration :-



$$V_{GSS} = -V_{GS} = -2V$$

$$I_D = I_{DSS} \left(1 - \frac{V_{GSS}}{V_P} \right)^2$$

$$-V_{DD} + I_D R_D + V_{DS}$$

$$V_{DS} = V_{DD} - I_D R_D$$

$$V_{GSS} = V_{GS}$$

$$V_{DS} = V_D$$

- Find - (i) V_{GSQ} (ii) I_{DQ} (iii) V_{DS} (iv) V_G
 (v) V_S

(i) Analytical Method:-

$$V_{GSQ} = -V_{GCR} = -2V$$

$$I_{DQ} = I_{DSS} \left(1 - \frac{V_{GS}}{V_p}\right)^2$$

$$= 10 \text{ mA} \left(1 - \frac{-2V}{-8V}\right)^2$$

$$= 5.625 \text{ mA}$$

Graphical Method:-

$$I_{DSS} = 10 \text{ mA}, V_{GS} = 0V$$

$$V_p = -8V, I_D = 0$$

$$-\frac{V_p}{2}, \frac{I_{DSS}}{4}$$

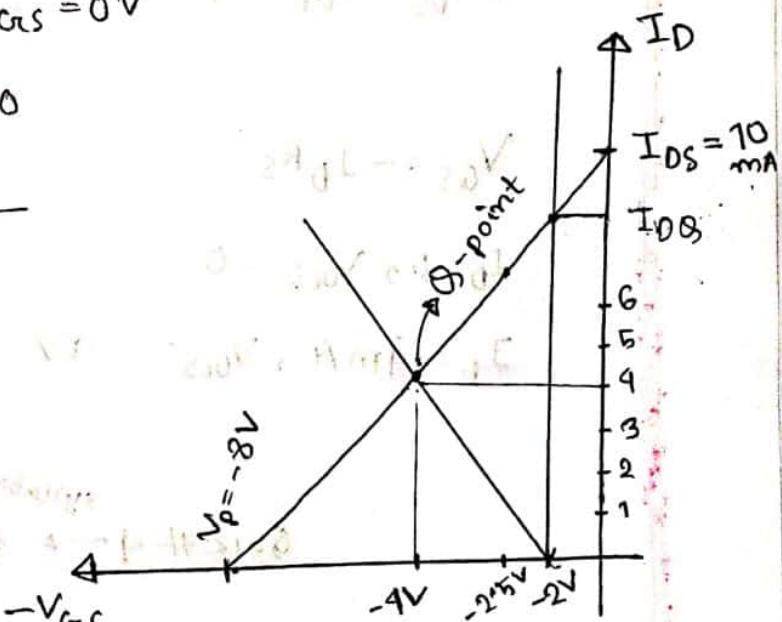
$$= -4, 2.5 \text{ mA}$$

$$0.3V_p, I_{DSS}/2$$

$$-2.4V, 5 \text{ mA}$$

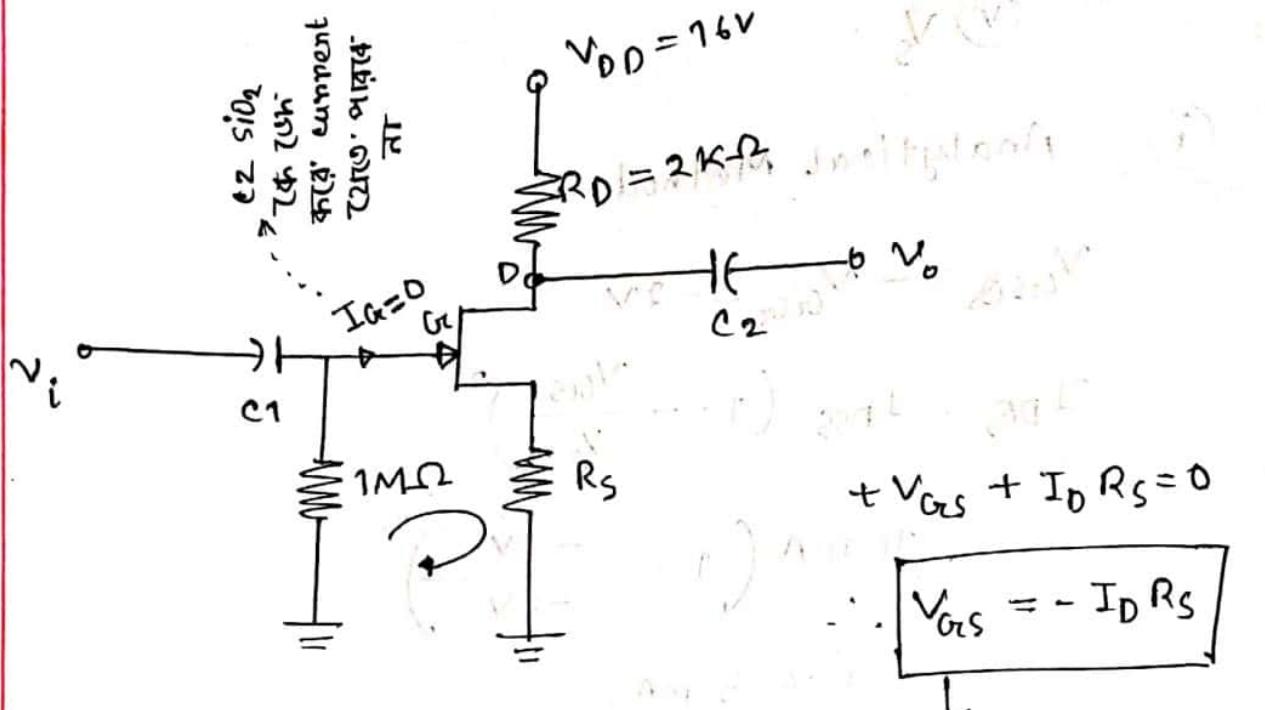
$$(Junction at T.25) -V_{GS}$$

$$V_{DS} = V_{DD} - I_{DQ} R_D$$



graph 2
at Q-point

Self Bias configuration:



$$+ V_{GS} + I_D R_S = 0$$

$$\boxed{V_{GS} = - I_D R_S}$$

characteristic equation

$$- V_{DD} + I_D R_D + V_{DS} + I_S R_S = 0$$

$$\Rightarrow V_{DS} = V_{DD} - I_D (R_D + R_S)$$

$$V_{GS} = - I_D R_S$$

$$I_D = 0, V_{GS} = 0$$

$$I_D = 4 \text{ mA}, V_{GS} = -4 \text{ V}$$

Quiz #4 → AC analysis
syllabus

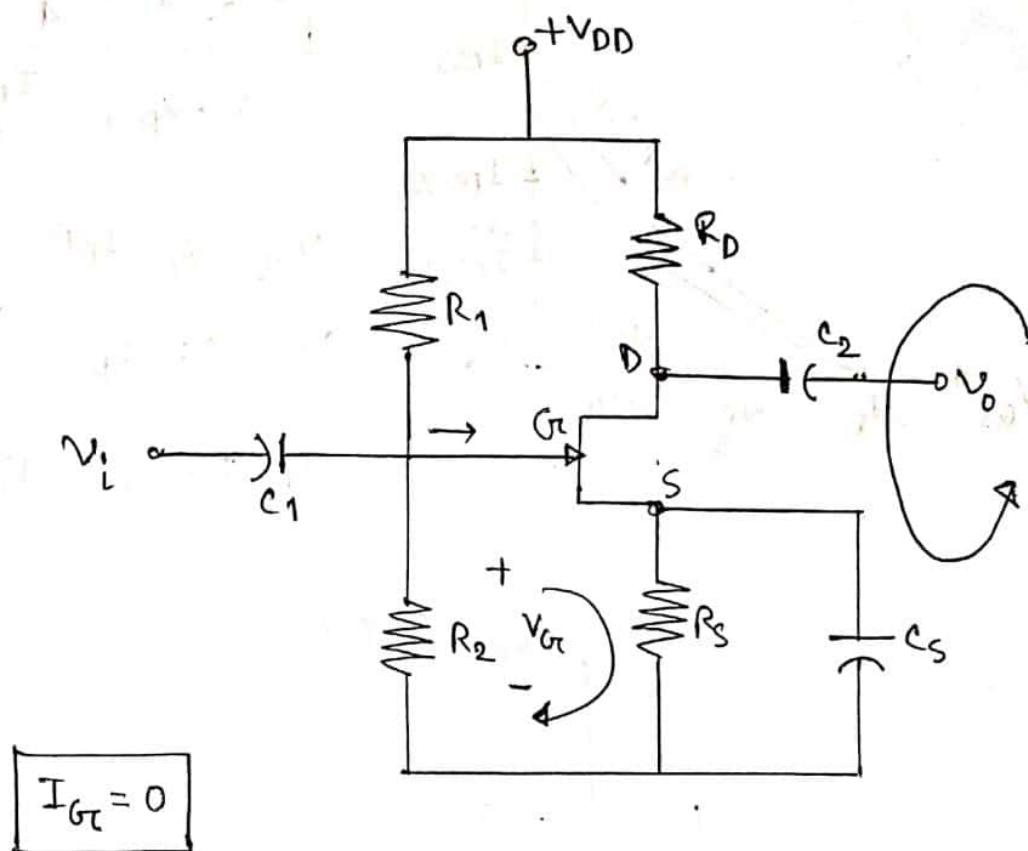
(π, T, nodel)

9:40 → exp 17.09.2019

14. 10. 2019

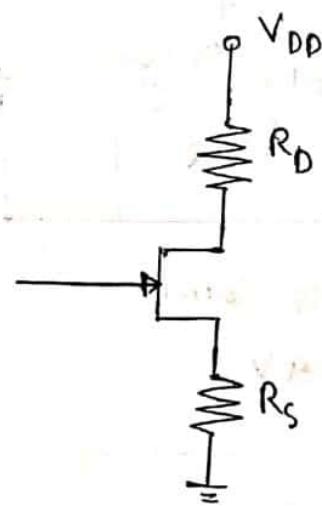
Monday

Voltage Divider Biasing:-



$$-V_{G_{TG}} + V_{GS} + V_{RS} = 0$$

$$\Rightarrow V_{GS} = V_{GT} - I_D R_S$$



$$V_{DS} = V_{DD} - I_D (R_D + R_S)$$

$$V_S = I_D R_S$$

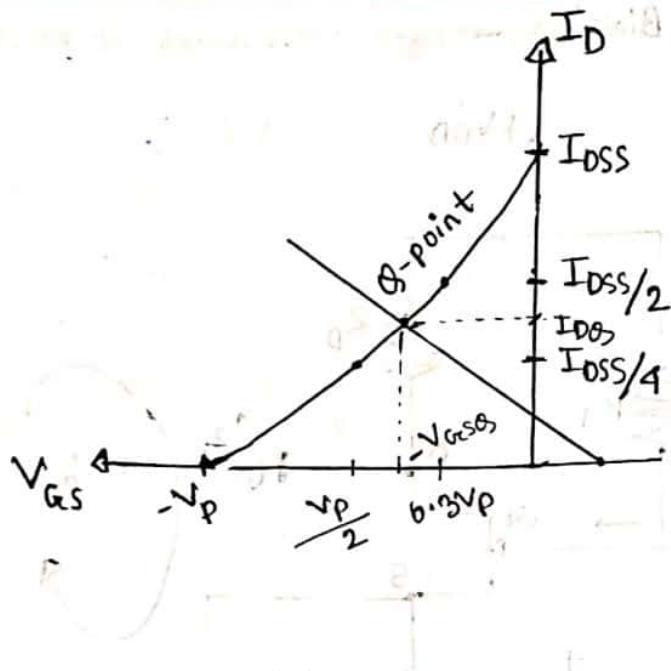
$$V_D = V_{DS} - I_D R_D$$

$$V_{GT} = \frac{R_2}{R_1 + R_2} * V_{DD}$$

$$I_D = I_{DSS} \left(1 - \frac{V_{GS}}{V_P} \right)^2$$

Ques. No. 1

part A



$$\frac{V_P}{2}, \frac{I_{DSS}}{4}$$

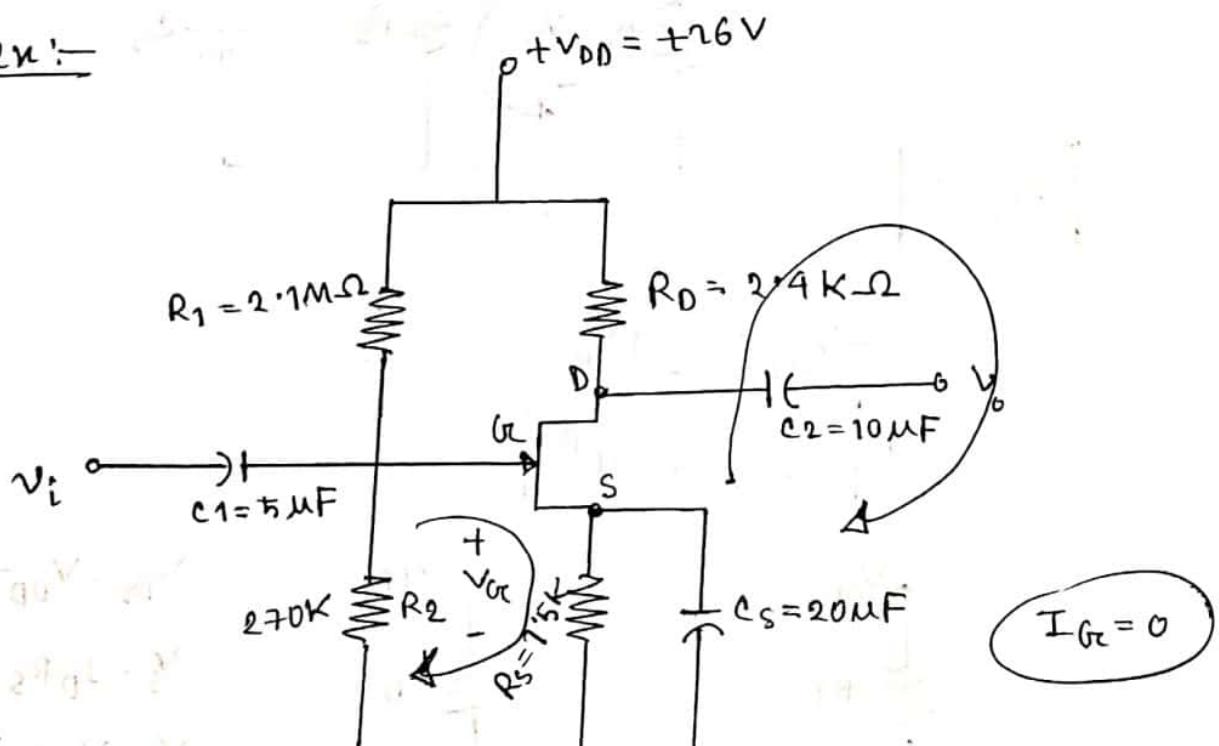
$$0.3V_P, \frac{I_{DSS}}{2}$$

$$V_{GDS} = V_{Dr} - I_D R_S$$

$$V_{GDS} = 0; I_D = \frac{V_{Dr}}{R_S}$$

$$I_D = 0; V_{GDS} = (\pm) V_D$$

Ex:-



Given, $I_{DSS} = 8mA$

$V_P = -4V$

$$I_{Gc} = 0$$

$$V_G = \frac{R_2}{R_1 + R_2} * V_{DD}$$

$$= \frac{270K}{2.1M + 270K} * 16V$$

$$= 1.82V$$

$$\therefore V_{GS} = 1.82 - I_D (1.5K)$$

$$V_{GS} = 0V$$

$$I_D = \frac{1.82V}{1.5K} =$$

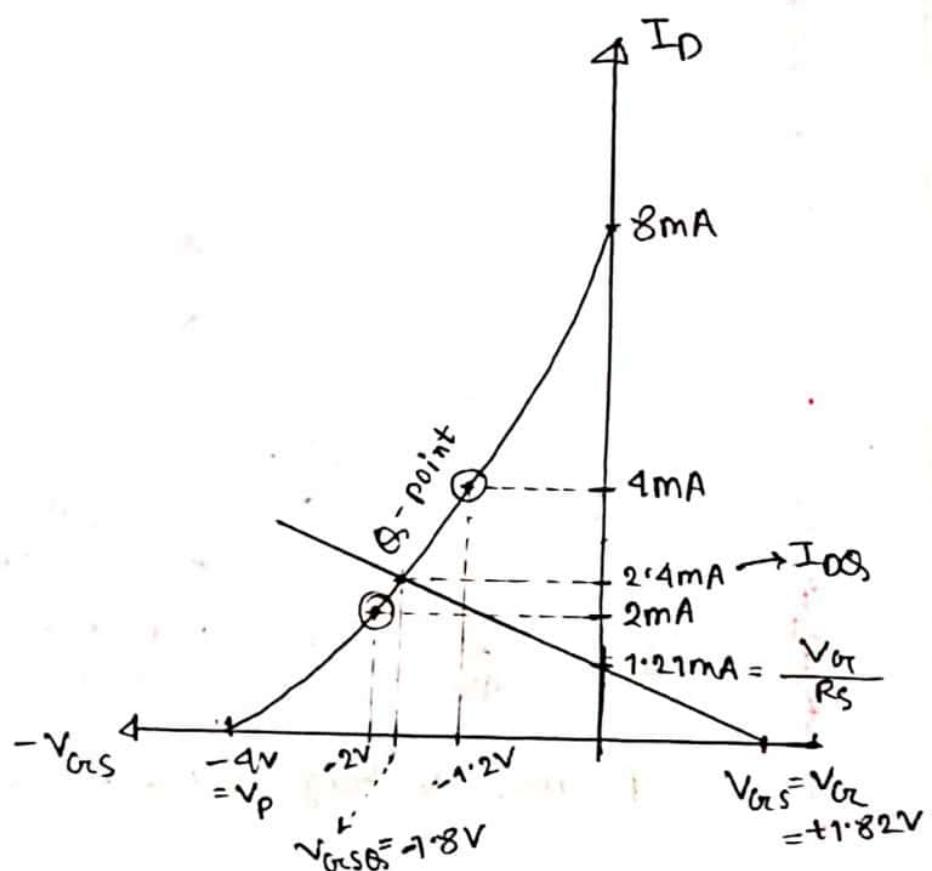
$$I_D = 0$$

$$V_{GS} = 1.82V$$

$$-2V, 2mA$$

$$\frac{V_P}{2}, \frac{I_{DS}}{4}$$

$$0.3V_P, I_{DSS}/2$$

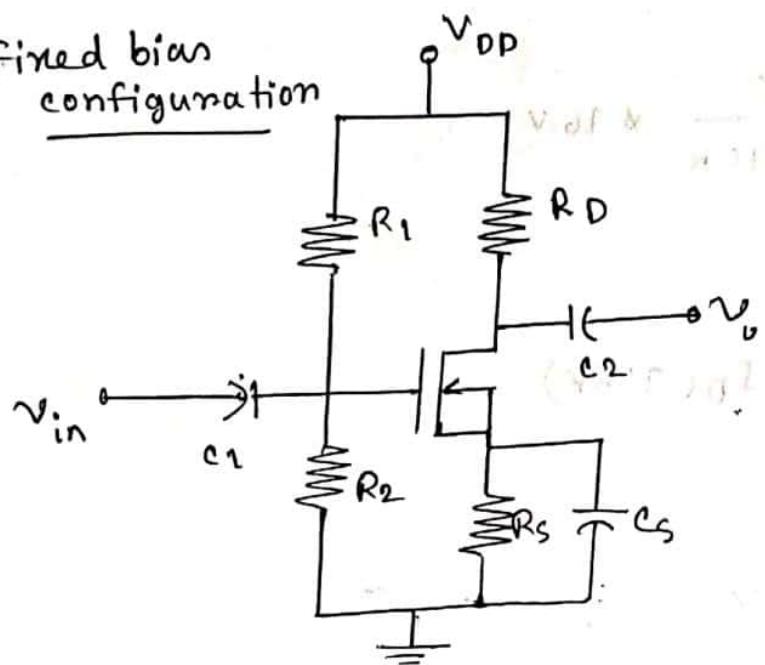


Common gate configuration:-

* D-Mos self bias ckt :-

Depletion type MOSFET:-

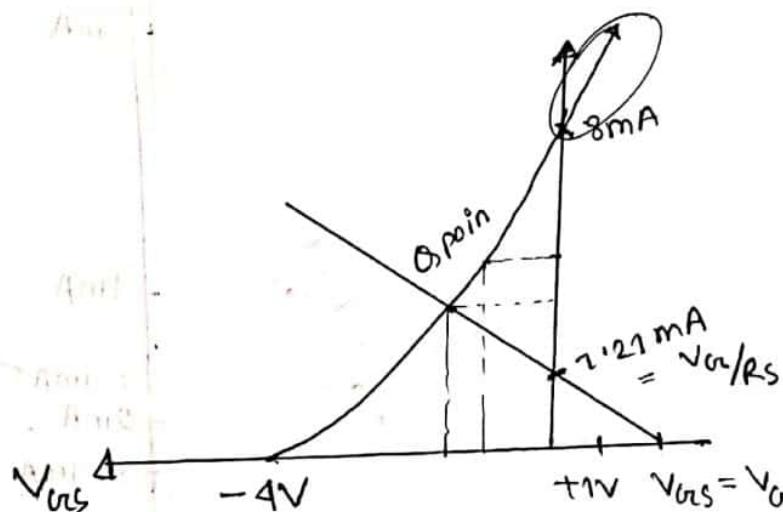
Fixed bias configuration



$$V_{GDS} = +1V \approx +3V$$

$$V_{GDS} = +1V$$

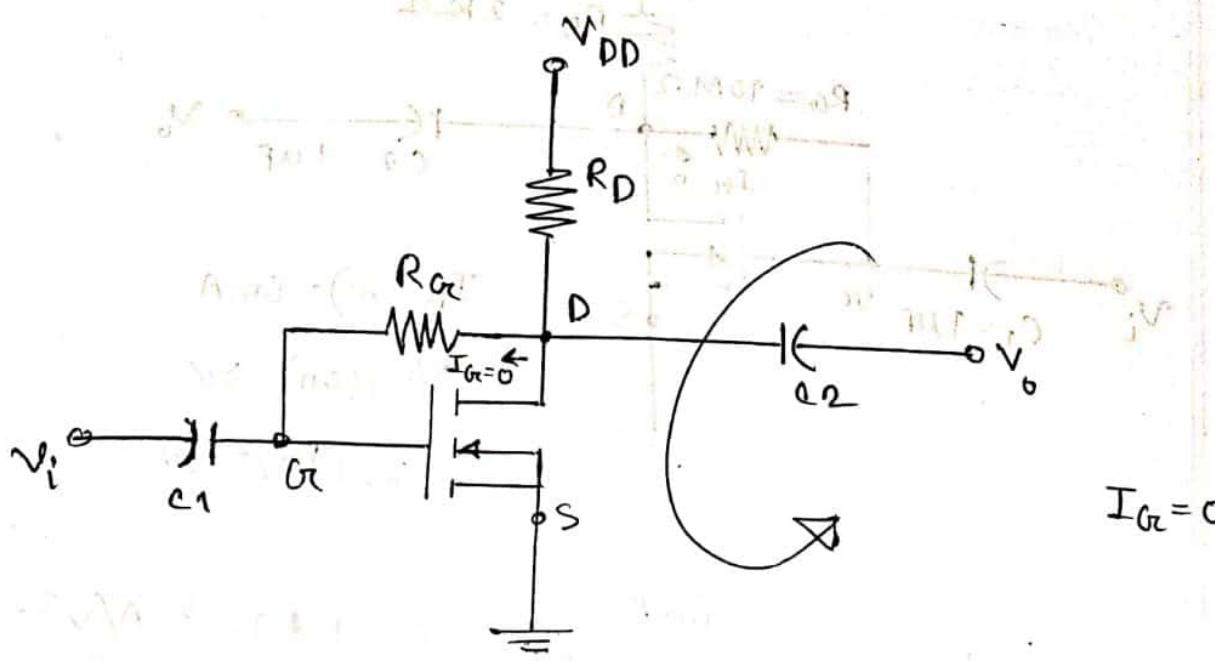
$$\begin{aligned} I_D &= I_{DSS} \left(1 - \frac{V_{GDS}}{V_p} \right)^2 \\ &= 8mA \left(1 - \frac{+1V}{-4V} \right)^2 \\ &= 8mA \left(1 + \frac{1}{4} \right)^2 \\ &= 12.56mA \end{aligned}$$



E-mos voltage divider bias \rightarrow Home

E-MOS :-

Feedback Biasing arrangement:-



$$I_D = k(V_{GS} - V_T)^2$$

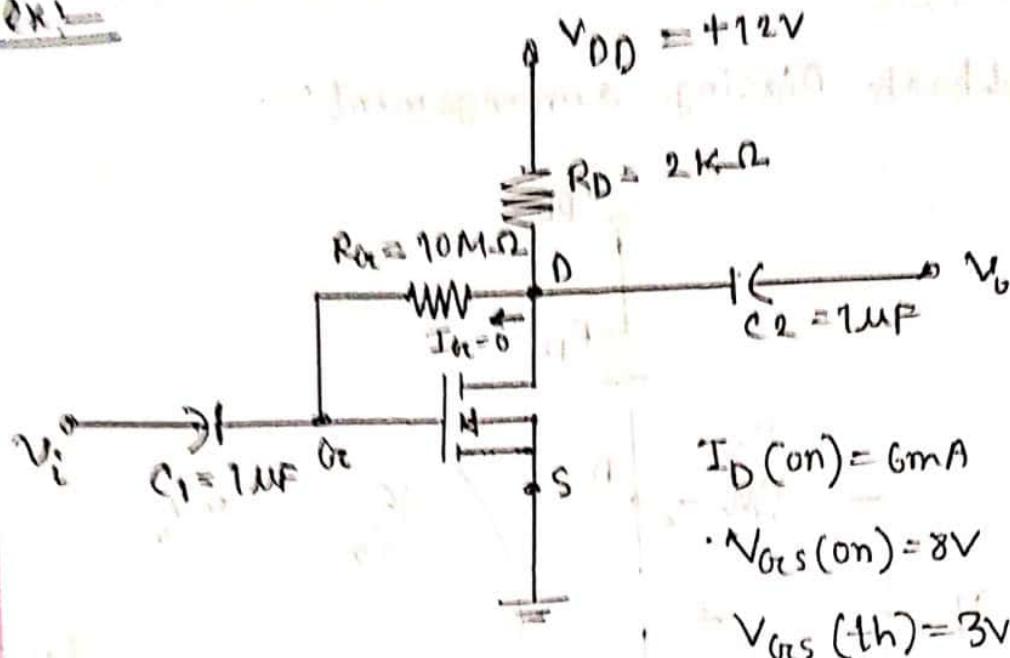
$$V_{DS} = V_{DD} - I_D R_D$$

$$k = \frac{I_D (\text{on})}{(V_{GS} (\text{on}) - V_T)^2}$$

$$V_{DS} = V_{GS}$$

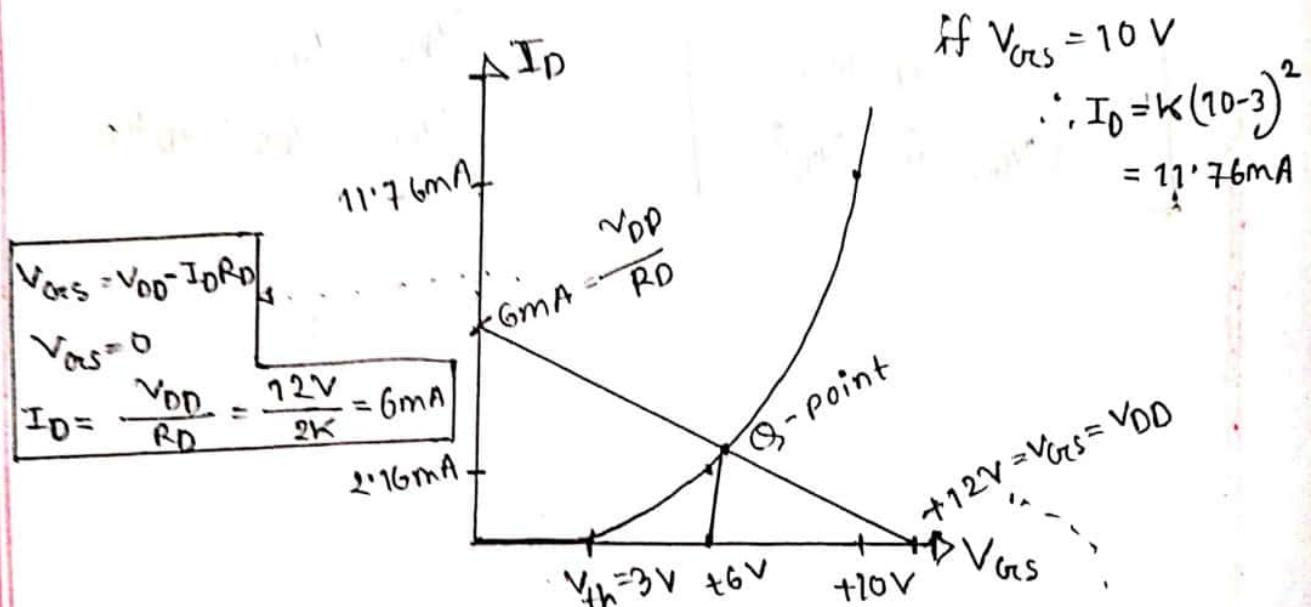
$$V_{GS} = V_{DD} - I_D R_D$$

Q8



$$\therefore K = \frac{6\text{mA}}{(8V - 3V)^2} = 0.24 \times 10^{-3} \text{ A/V}^2$$

assume, $V_{GSS} = 5V$



$$I_D = K(5-3)^2 = 2.16 \text{ mA}$$

$$\boxed{I_D = 0}$$

$$\boxed{V_{GSS} = V_{DD} = 12V}$$

16 / 10 / 2019
Wednesday

JFET small signal Model:- / Depletion type MOS:-

$\Delta I_D \rightarrow$ output current
trans $\leftarrow g_m = \frac{\Delta I_D}{\Delta V_{GDS}}$ control voltage
conductance

$$\therefore g_m = \frac{d I_D}{d V_{GDS}} = \frac{d}{d V_{GDS}} \left[I_{DSS} \left(1 - \frac{V_{GDS}}{V_p} \right)^2 \right].$$

$$g_m = \frac{2 I_{DSS}}{|V_p|} \left[1 - \frac{V_{GDS}}{V_p} \right]$$

for $V_{GDS} = 0V$

$$g_m = \frac{2 I_{DSS}}{|V_p|} \left[1 - \frac{0}{V_p} \right]$$

$$\therefore g_m = \frac{2 I_{DSS}}{|V_p|}$$

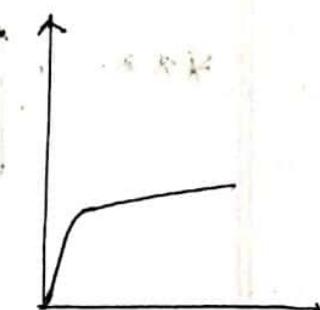
$$\therefore g_m = g_{m_0} \left[1 - \frac{V_{GDS}}{V_p} \right]$$

$$g_m = g_{fs} = y_{fs}$$

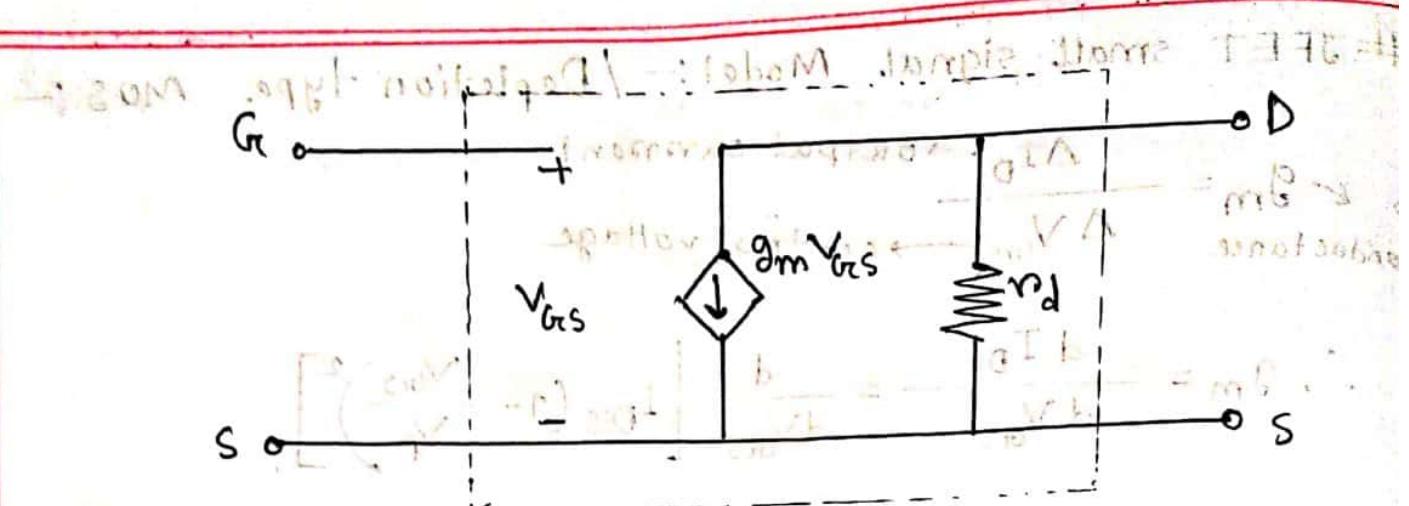
forward transfer conductance.

$$r_d = \frac{1}{g_{m0}}$$

; r_d = resistance for specific V_{GDS}



effect of ΔV_{GS}
on drain current



JFET ac equivalent model

Enhance type MOSFET:-

$$I_D = k (V_{GS} - V_{th})^2$$

$$g_m = \frac{\Delta I_D}{\Delta V_{GS}}$$

$$= \frac{dI_D}{dV_{GS}}$$

$$= \frac{d}{dV_{GS}} [k \cdot (V_{GS} - V_T)^2]$$

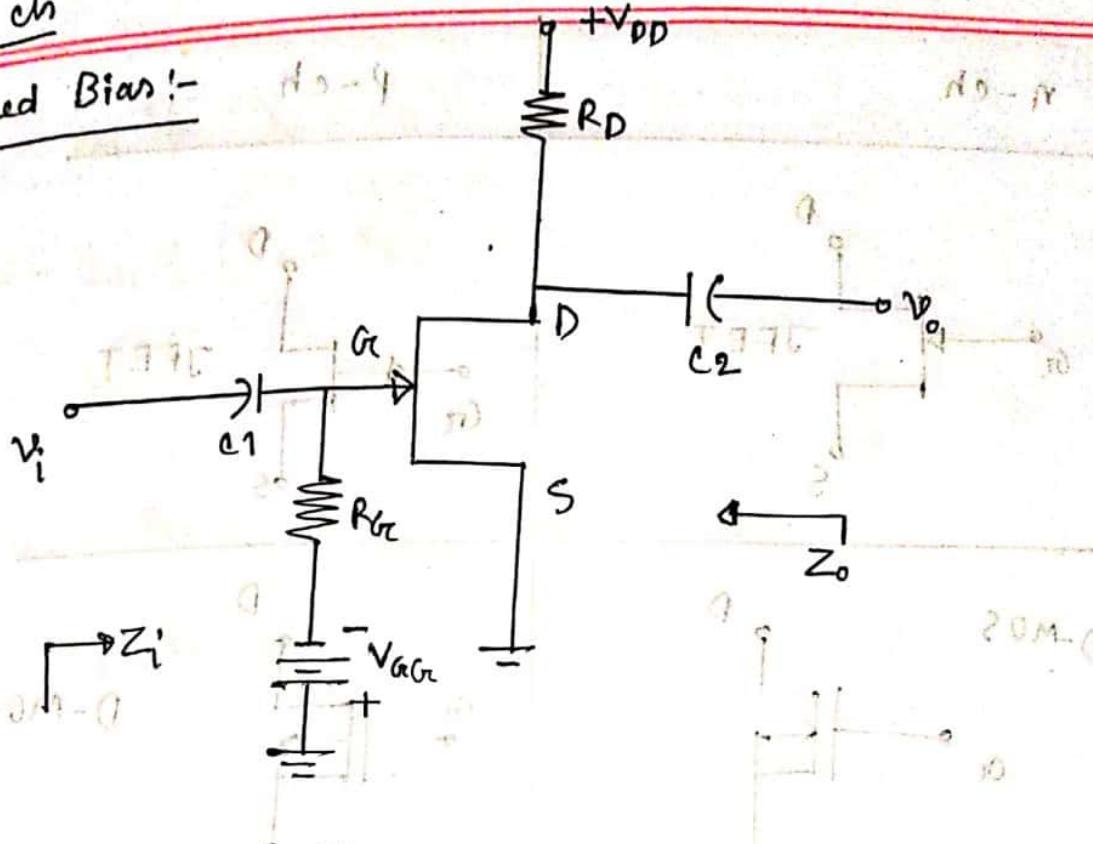
* * *

$$\therefore g_m = 2k (V_{GS0} - V_{GS(Th)})$$

Extra ch

Fixed Bias :-

Z _i
Z _o
A _V



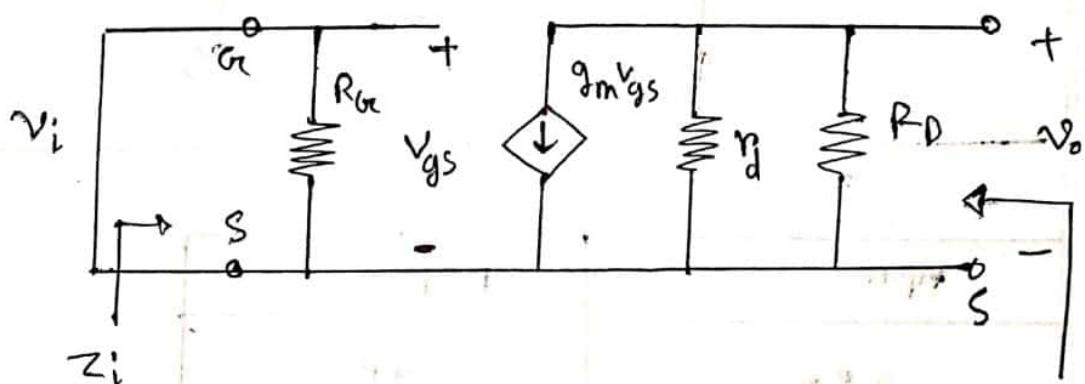
① DC analysis

I_{DQ}

v_{oQSQ}

② Draw AC equivalent ckt of FET

③ Calculation / simplification



$$v_{gs} = v_i$$

$$Z_i = R_G$$

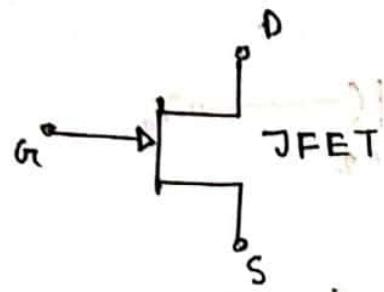
$$Z_o = r_d \parallel R_D$$

$$r_d \gg 10R_D$$

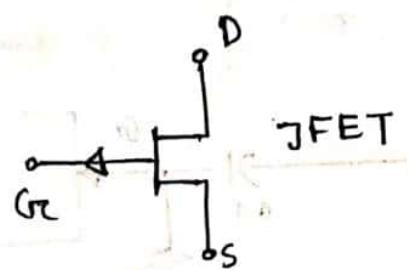
$$Z_o \approx R_D$$

P.T.O

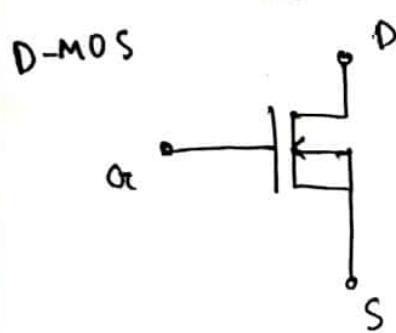
n-ch



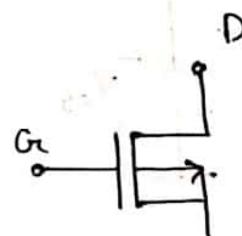
p-ch



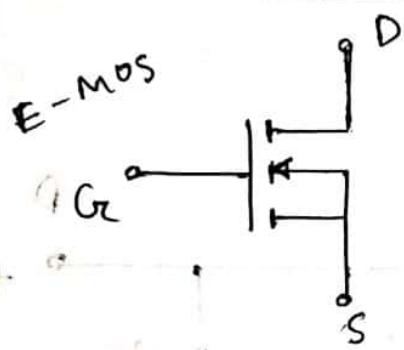
D-MOS



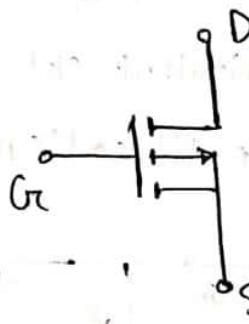
D-MOS



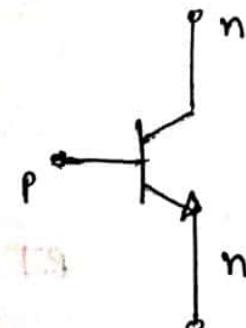
E-MOS



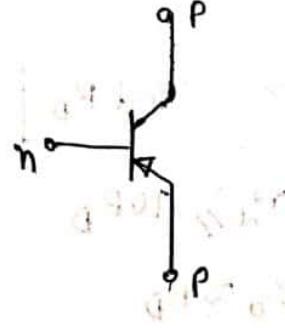
E-MOS



n-p-n



p-n-p



$$v_o = -g_m v_{gs} (r_d \parallel R_D)$$

$$= -g_m v_i (r_d \parallel R_D)$$

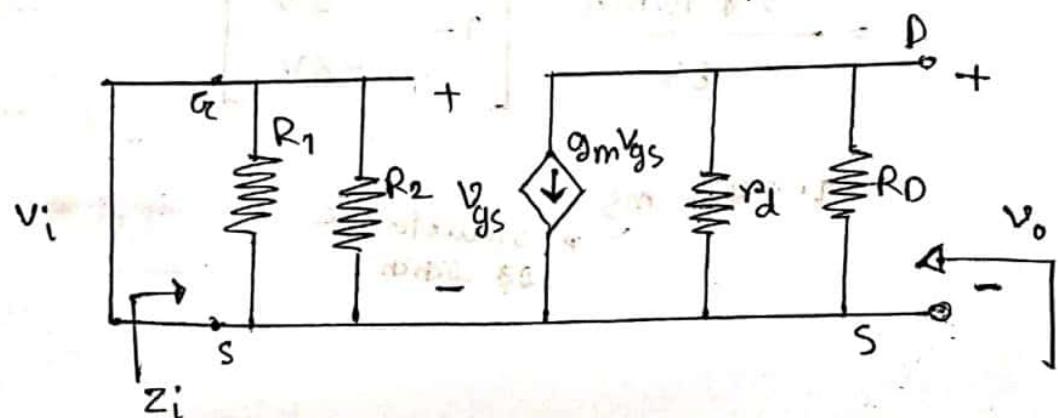
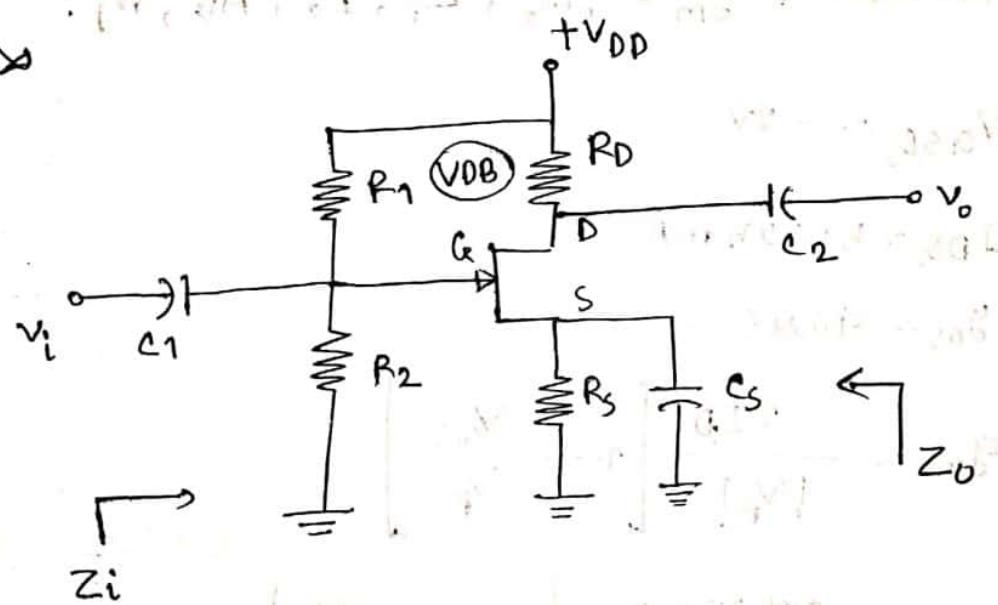
$$\therefore \frac{v_o}{v_i} = -g_m (r_d \parallel R_D)$$

$$\therefore A_v = -g_m (r_d \parallel R_D)$$

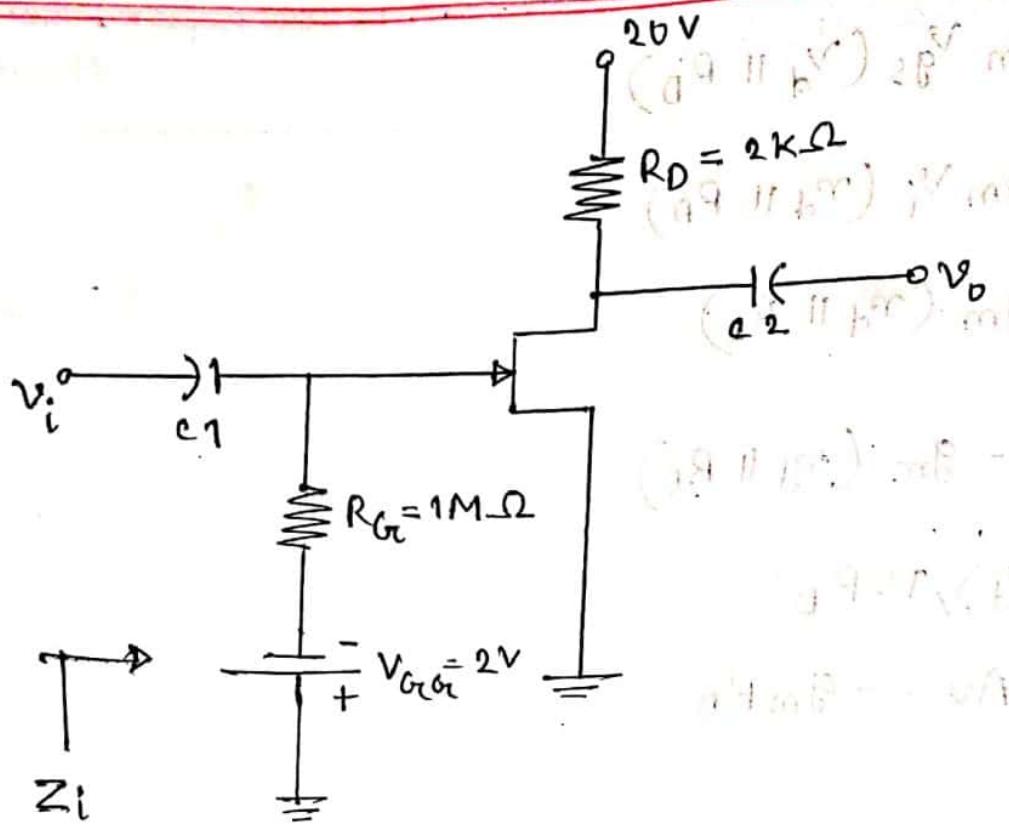
$$r_d \gg R_D$$

$$\therefore A_v = -g_m R_D$$

for Voltage Divider Bias



#



Determine g_m , g_{m0} , Z_i , Z_o , A_v , r_d .

$$V_{GS0} = -2V$$

$$I_{DQ} = 5.625 \text{ mA}$$

$$y_{OS} = 40 \text{ mS}$$

$$\therefore g_m = \frac{2I_{DSS}}{|V_p|} \left[1 - \frac{V_{GS}}{V_p} \right]$$

$$= \frac{2 * 10 \text{ mA}}{8V} \left[1 - \frac{-2V}{-8V} \right]$$

$$= 1.875 \text{ mS}$$

conductance
of 2222nH

$$g_{m_0} = \frac{2 I_{DSS}}{|V_P|}$$

$$Z_i = R_{Gz} = 1M\Omega$$

$$r_d = \frac{1}{y_{os}} = \frac{1}{40\mu s}$$

$$Z_o = r_d \parallel R_D$$

$$A_V = - g_m (r_d \parallel R_D),$$

* self bias (JFET, MOS)

VDB (JFET, D-MOS, E-MOS)

Feedback bias

↓
E-MOS

Q_r pattern

part-1 :- Diode, MOSFET

Part-2 :- BJT, JFET

& π model, T model, r_e model