

CE

2020

$$2a) \frac{\text{propagation speed}}{\text{bandwidth (s)}} = \text{bit length (m)}$$

$$\text{bit ~~length~~ duration} = \frac{1}{\text{bandwidth (Mbps)}}$$

$$\therefore \text{bit length} = \text{propagation speed} \times \text{bit duration (m)}$$

b)

$$c) 1^\circ = \frac{\pi}{180} \text{ radian}$$

$$d) \text{Signal to noise ratio, SNR} = \frac{\text{Signal Power}}{\text{noise Power}}$$

$$\text{Shannon's theorem, Rate} = B \log_2 (1 + \text{SNR}) \quad (\text{kbps})$$

2019

$$2a) \text{No of bits} = \text{bandwidth} \times \text{propagation delay}$$

$$\text{no. of bits} = 1 \text{ Mbps} \times 2 \text{ ms} = 10^6 \times 2 \times 10^{-3} \text{ bit}$$

$$= 2000 \text{ bit}$$

$$d) \text{Throughput} = \frac{(\text{frames} \times \text{bit}) - \text{file size}}{\text{time}} \quad (\text{kbps})$$

2018

$$2a) \text{bit rate} = \frac{\text{bit}}{\text{time}}$$

$$\text{bit rate} = \frac{10}{20 \times 10^{-6}} = 500 \text{ Kbps}$$

2 (b)

$$\text{Power of Signal} = 200 \times 10^{-3} \text{ W}$$

$$\text{Power of Noise} = 20 \times 2 \times 10^{-6} = 4 \times 10^{-5} \text{ W}$$

$$\text{SNR} = \frac{\text{Signal Power}}{\text{Noise Power}} = \frac{200 \times 10^{-3}}{4 \times 10^{-5}} = 5000$$

$$\star \boxed{\text{SNR}_{\text{db}} = 10 \log_{10} (\text{SNR})} = 10 \log_{10} (5000) = 36 \text{ db}$$

2. (c)  $B = 1 \times 10^6 \text{ Hz}$ ,  $\text{SNR} = 63$

$$\text{bit rate, } C = B \log_2 (1 + \text{SNR})$$

$$= 1 \times 10^6 \log_2 (1 + 63)$$

$$= 6000000 \text{ bps}$$

$$= 6 \text{ Mbps}$$

$$\text{Signal level, } C = 2^B \log_2 (L)$$

$$L = 2^B$$

$$6 \times 10^6 = 2 \times 1 \times 10^6 \log_2 (L)$$

$$3 = \log_2 (L)$$

$$2^3 = L$$

$$8 = L$$

$$\therefore L = 8$$

$$2^n = 8$$

$$2^n = 2^3$$

$$n = 3$$

$$S = vt$$

2

2017

2a) attenuation =  $10 \log_{10} \frac{P_2}{P_1}$

$$t = \frac{d}{v}$$

$$t.d. = \frac{m.s.}{\text{bandwidth}}$$

~~$$\text{bit rate} = 2B \log_2 L$$~~

Noiseless medium; bit rate =  $2B \log_2 L$

bit Rate: no. of bit interval per second

bit interval: time taken to transport one single bit

Lab

ICE 3262: CEL

Submit date: 07-02-23

Lab-1

1) Unipolar - NRZ

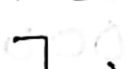
2) Polar NRZ-L

3) Polar NRZ-R

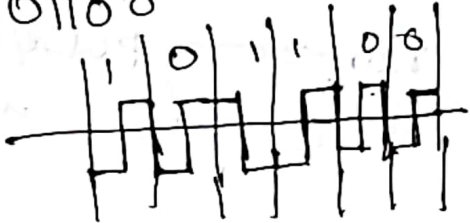
Matlab Code

## Differential Manchester:-

0  $\Rightarrow$   (transition).

1  $\Rightarrow$   (no transition).

101100



১st এর টা এটা choose করতে হবে। এটা উপর depend করে পরের টুল set করতে হবে।

ধ্রুবলাভ : 1 এর জন্য neg to pos নিলান

2020

3 @ Draw graph of AMI & MLT-3 scheme for each of the following data streams, assuming that the last signal level is positive.

i) 11111111

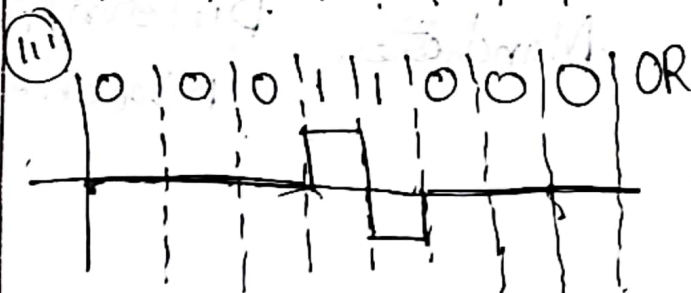
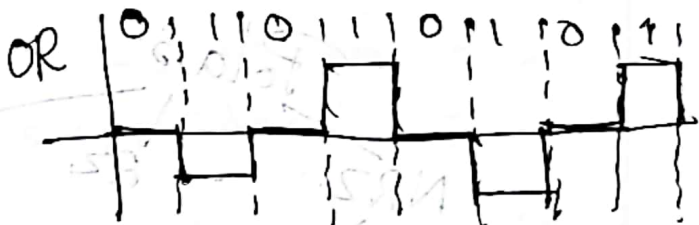
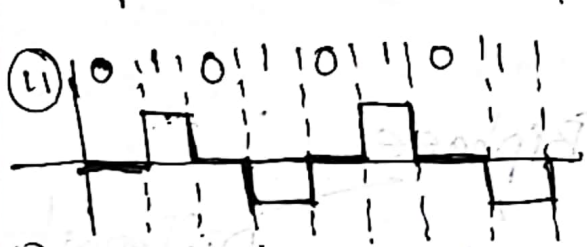
ii) 01010101

iii) 00011000

AMI

0  $\rightarrow$  zero voltage level

1  $\rightarrow$  Alternate Vd. level





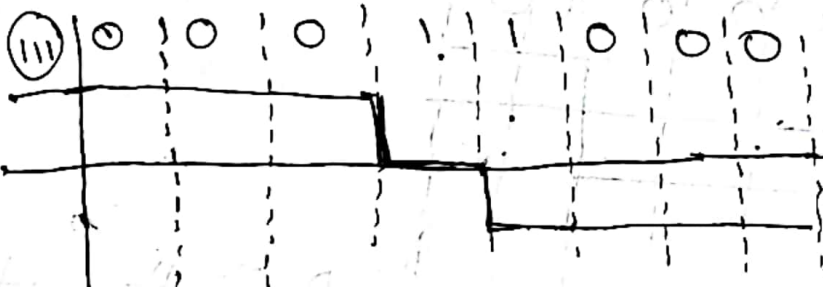
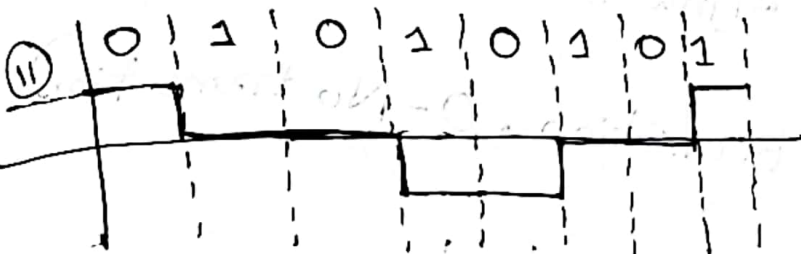
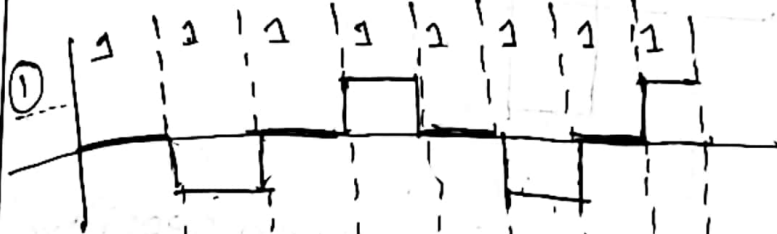
### MLT-3

last signal level is positive +

Bit 0  $\rightarrow$  no transition

Bit 1  $\xrightarrow[\text{Not 0}]{\text{Current level}}$  0

Bit 1  $\xrightarrow[\text{0}]{\text{Current level}}$  opposite of last non-zero level

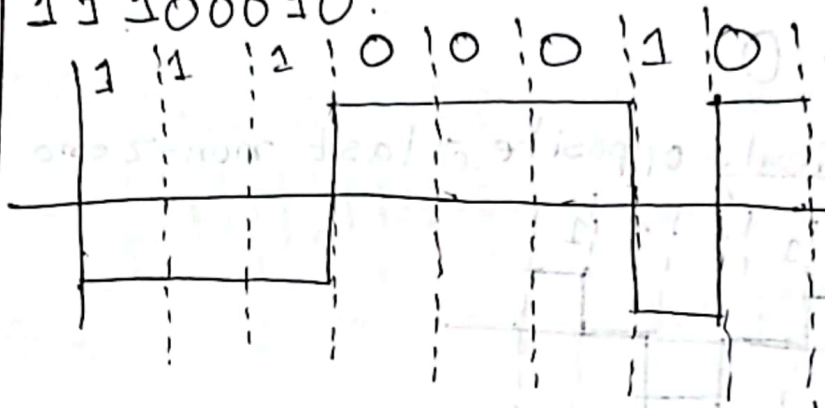


2019 3@ Draw the digital signals encoded using NRZ-L and NRZ-I for the bit stream 11100010. Mention the problems occurred for this bit combination with each technique (last non-zero signal level has been positive).

(Level)

① NRZ-L (1-Negative, 0-Positive)

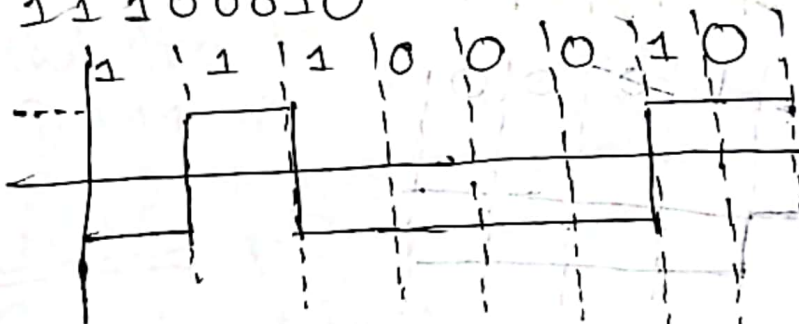
1 1 1 0 0 0 1 0



Last non-zero signal level has been positive.

② NRZ-I<sup>(inverse)</sup> (1-transition, 0-No transition)

1 1 1 0 0 0 1 0



① Baseline wandering is a problem for both variations but is twice as severe in NRZ-L. If there is a long sequence of 0s or 1s in NRZ-L, the average signal power becomes skewed. The receiver might have difficulty discerning (differentiate) the bit value. In NRZ-I this problem occurs only for a long sequence of 0s. ② The synchronization problem (sender and receiver)

clocks are not synchronized) also exists in both schemes. This problem is more serious in NRZ-L than in NRZ-I.

④ NRZ-L & NRZ-I both have a DC component problem. ~~most of~~ As the average signal rate is  $N/2$ , the energy is not distributed evenly between the two halves.

3(b) Define baseline wandering & mention its effect on digital transmission. Pg-99. (2)

In decoding a digital signal, the receiver calculates a running average of the received signal power. This average is called the baseline. The incoming signal power is evaluated against this baseline to determine the value of the data element. A long string of 0s or 1s can cause a drift in the baseline wandering & make it difficult for the receiver to decode correctly. A good coding scheme needs to prevent ~~wand~~ baseline wandering.

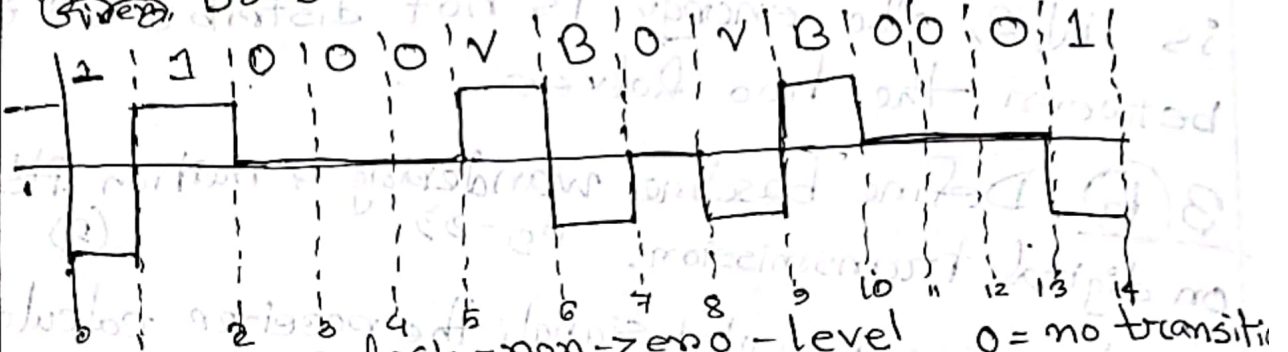


2019

3(c)

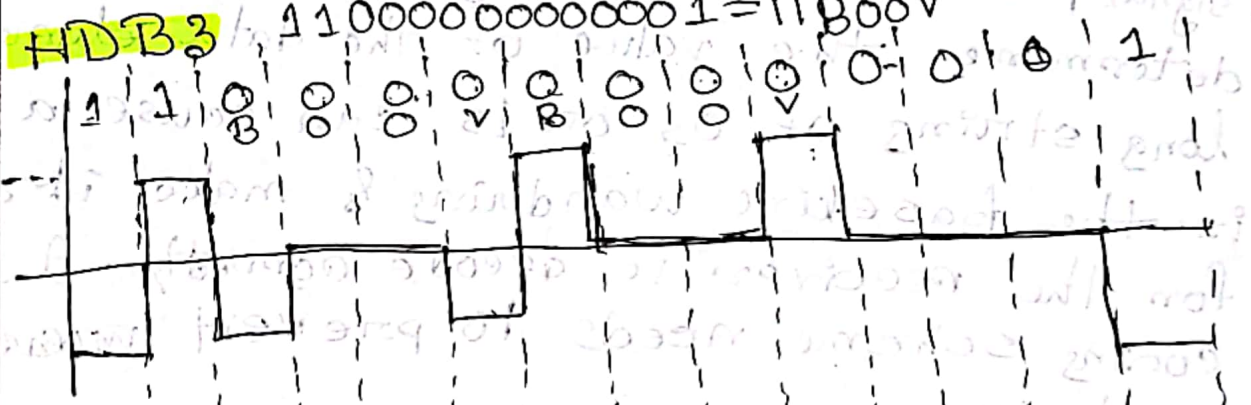
Draw the resulted signal of scrambling the sequence 1100000000000001 using B8ZS and HDB3 scrambling technique. (last non-zero signal level has been positive)

Soln Given B8ZS. 1100000000000001 = 11000V B0VB0001



V = Same as last non-zero level  
B = Opposite of last non-zero level  
1 = high  
0 = no transition

HDB3 1100000000000001 = 11B00V



V = Same as last non-zero level  
B = Opposite of last non-zero level  
1 = high  
0 = no transition  
total last non-zero pulses → odd → 000V  
even → B00V



Transmission mode	Half-Duplex	Full-Duplex
Communication	Bi-directional communication, but not simultaneous	Bi-directional communication, simultaneous.
Transmission	Occurs in both direction, but not at the same time	Occurs in both directions at the same time
Signal Flow	Transmission alternate in both direction	Transmission flows simultaneously in both direction
example	Walkie-talkie, two way radio	telephone conversation, video Conferencing, LANs, WANs.

Q. Given, effective noise temperature  $\theta = 100^\circ\text{C}$   
 $= 100 + 273\text{ K}$   
 $= 373\text{ K}$

$$B = 40\text{ MHz}$$

$$N = KTB$$

$$= 1.38 \times 10^{-23} \times 373 \times 40 \times 10^6$$

$$= 5.1474 \times 10^{-14} \text{ Watts/Hz}$$

$k = \text{Bolts man Constant}$

$$= 1.38 \times 10^{-23} \text{ J/K}$$

$$\therefore N_{\text{dBW}} = 10 \log_{10} \left( \frac{N}{1\text{W}} \right)$$

$$= 10 \log_{10} \left( \frac{5.1474 \times 10^{-14}}{1\text{W}} \right)$$

$$= -132.88 \text{ dBW}$$

2020

Q @ If bw of an audio signal is 5 kHz, what will be required bandwidth of each AM radio station. Find the total number of ~~usable~~ usable AM stations assuming the allocated carrier frequency from 530 kHz to 1700 kHz.

Ans: BW = 5 kHz

Required bandwidth,  $B_{AM} = 2 \times B = 2 \times 5 = 10 \text{ kHz}$

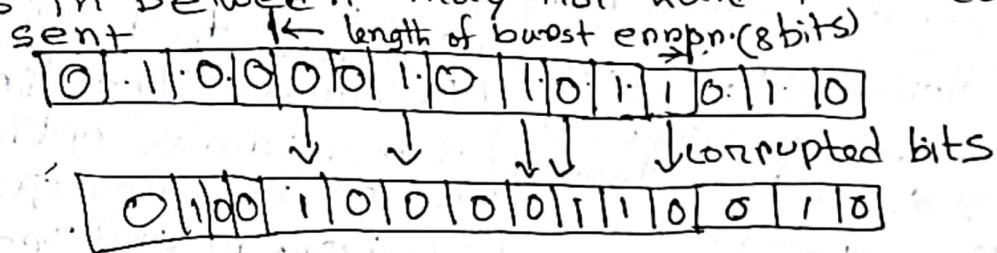
The allocated carrier frequency range for AM radio station is from 530 kHz to 1700 kHz. The total bandwidth available =  $(1700 - 530) \text{ kHz}$   
 $= 1170 \text{ kHz}$ .

$\therefore$  Total number of Usable station =

$$\frac{\text{Total bandwidth}}{\text{Required bw}} = \frac{1170 \text{ kHz}}{10 \text{ kHz}} = 117$$

$\therefore$  total 117 usable AM radio station within the allocated carrier frequency range 530 kHz to 1700 kHz assuming each station requires 10 kHz.

Burst Error:- 2 or more bits in the data unit have changed from 1 to 0 or 0 to 1. A burst error does not mean that the errors occurs in consecutive bits. The length of burst is measured from the first corrupted bit to the last corrupted bit. Some bits in between may not have been corrupted.



Received

dataword = 101001111, divisor =  $\frac{10111}{5-1=4}$   $\therefore$  add 4 zeros in last of dataword

$$\begin{array}{r}
 10111 \overline{) 1010011110000} \\
 \underline{10111} \phantom{00000000} \\
 00001111 \phantom{0000} \\
 \underline{10111} \phantom{0000} \\
 010001 \phantom{000} \\
 \underline{10111} \phantom{000} \\
 0011000 \phantom{00} \\
 \underline{10111} \phantom{00} \\
 011110 \phantom{0} \\
 \underline{10111} \phantom{0} \\
 010010 \phantom{0} \\
 \underline{10111} \phantom{0} \\
 00101
 \end{array}$$

(20R)

CRC codeword = 1010011110101

2018

4 (b) Bandwidth,  $B_w = 300 \text{ kHz}$ .  $L = 1024$ .

(a) Bit rate =  $n \times f_s$  Samp.

Low pass signal: frequency bet<sup>n</sup> 0-200 kHz BW  
 $f_{\max} = 200 \text{ kHz}$ .

Sampling rate,  $f_s = 2 \times f_m$   
 $= 2 \times 200 \text{ kHz}$   
 $= 400000 \text{ sample/s}$

$L = 2^{n_b}$

$\log_{10} L = n \log_{10} 2$

$n_b = \frac{\log_{10} L}{\log_{10} 2}$

$= 10 \text{ bits/sample}$

$\therefore \text{Bit rate} = n \times f_s = 10 \times 400000 \text{ bps}$   
 $= 4 \text{ Mbps}$

(b) PCM bandwidth of signal,  $B_{\min} = n_b \times B_{\text{anal}}$

$= 10 \times 200$

$= 2000 \text{ Hz}$

$= 2 \text{ kHz}$