ETH

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Exercise – *Punch*

Paul's birthday is just around the corner and his friends decide to throw him a surprise party. Since the most important thing for a good party is drinks, they decide to prepare a delicious punch as a mixture of several beverages. Hence, they go to a store which sells n distinct beverages (the store has unlimited supply for each beverage). Each beverage is sold at a certain price (e.g. CHF 2) in a certain volume (e.g. 1 litre). There are k people coming to the party and there should be at least one litre of punch for each of them. Unfortunately, Paul's friends are broke so they want to minimize the cost of the punch. However, if there are different ways to make the cheapest punch, then they want to maximize the number of distinct beverages (for the taste).

Your task is to compute the cost and the number of distinct beverages.

Input   The first line of the input contains the number $t \leqslant 200$ of test cases. Each of the t test cases is described as follows.

- It starts with a line that contains two integers n k, separated by a space, denoting the number of distinct beverages in the store ($1 \leqslant n \leqslant 100$) and the number of people coming to the party ($1 \leqslant k \leqslant 10^4$).

- The following n lines define the beverages. Each such line contains two integers c v, separated by a space, denoting the cost of the beverage ($1 \leqslant c \leqslant 10^4$) and the volume of the beverage in litres ($1 \leqslant v \leqslant 10^4$).

Output   For each test case you should output, on a single line and separated by a space, the cost of a *cheapest* punch and the *maximum* number of *distinct* beverages in a cheapest punch.

Points   There are two test sets, worth 100 points in total.

1. For the first test set, worth 50 points, you may assume $k \leqslant 100$ and $v \leqslant 100$ for all beverages.

2. For the second test set, worth 50 points, there are no additional assumptions.

Corresponding sample test sets are contained in test$i$.in/out, for $i \in \{1, 2\}$.

Sample Input	Sample Output
3	2 1
2 4	4 2
1 1	17 2
1 2	
3 4	
1 1	
2 2	
2 1	
3 17	
7 7	
10 10	
9 9	