

(5 points): Contingency Table

Using the STAT130-survey.csv dataset, construct a contingency table of Sex x Handed. (4 pts)

Are the proportions of right-handed students similar for Males and Females? (1 pt)

```
> stat130<-read.csv('STAT130-survey.csv')
```

```
> head(stat130)
```

```
  ID Sex Height Weight EyeColor Handed Age
1  1  M   70.0   150   Hazel Right  18
2  2  M   71.0   230   Brown Right  20
3  3  F   62.5   172   Blue Right  37
4  4  F   62.0   135 DarkBrown Right  31
5  5  M   66.0   165   Brown Right  21
6  6  M   68.0   185 DarkBrown Right  29

> table(stat130$Sex, stat130$Handed)
```

```
      Ambi Left Right
```

```
F      6  22  117
```

```
M      1   3   46
```

```
> table.margins(table(stat130$Sex, stat130$Handed))
```

```
      Ambi Left Right Total
```

```
F      6  22  117  145
```

```
M      1   3   46   50
```

```
Total  7  25  163  195
```

```
> c(46/50, 117/145)
```

```
[1] 0.9200000 0.8068966
```

(10 points): Statistics and Normal Q-Q Plots For the 'pottery' data of Table 1.3 in the text:

Find the covariance and correlation matrices for the numeric variables. (4 pts)

Generate the normal Q-Q plots for the numeric variables. (5 pts)

Is there anything unusual about the data? (1 pt)

```
> pottery<-read.csv('pottery.csv')
```

```
> head(pottery)
```

```
  X Al2O3 Fe2O3  MgO  CaO Na2O  K2O TiO2  MnO  BaO kiln
1 1  18.8  9.52 2.00 0.79 0.40 3.20 1.01 0.077 0.015   1
2 2  16.9  7.33 1.65 0.84 0.40 3.05 0.99 0.067 0.018   1
3 3  18.2  7.64 1.82 0.77 0.40 3.07 0.98 0.087 0.014   1
4 4  16.9  7.29 1.56 0.76 0.40 3.05 1.00 0.063 0.019   1
5 5  17.8  7.24 1.83 0.92 0.43 3.12 0.93 0.061 0.019   1
6 6  18.8  7.45 2.06 0.87 0.25 3.26 0.98 0.072 0.017   1
```

```
> numvars<-pottery[,-1]
```

```
> cov(numvars)
```

```
      Al2O3   Fe2O3    MgO    CaO    Na2O
Al2O3 7.306282828 -0.907852020 -3.4490767677 0.2845131313 0.007860101
Fe2O3 -0.907852020  5.787928586  1.6480894444 0.7242160101 0.288911162
MgO   -3.449076768  1.648089444  3.0349497980 -0.1470693434 0.046438687
CaO    0.284513131  0.724216010 -0.1470693434 0.2063688889 0.041789495
Na2O   0.007860101  0.288911162  0.0464386869 0.0417894949 0.031771010
K2O   -1.408931818  1.263231818  1.2985022727 0.0217977273 0.049190909
TiO2   0.341734848 -0.063087879 -0.2151439394 0.0134666667 0.001359848
MnO    -0.071716010  0.075447202  0.0638964949 0.0030065505 0.004451444
BaO     0.002533990  0.001515611 -0.0003453232 0.0003376869 0.000194399
```

kiln 0.351060606 -3.179712121 -0.6836515152 -0.4811666667 -0.167212121

K2O TiO2 MnO BaO kiln

Al2O3 -1.40893182 0.3417348485 -7.171601e-02 2.533990e-03 0.3510606061

Fe2O3 1.26323182 -0.0630878788 7.544720e-02 1.515611e-03 -3.1797121212

MgO 1.29850227 -0.2151439394 6.389649e-02 -3.453232e-04 -0.6836515152

CaO 0.02179773 0.0134666667 3.006551e-03 3.376869e-04 -0.4811666667

Na2O 0.04919091 0.0013598485 4.451444e-03 1.943990e-04 -0.1672121212

K2O 0.72714091 -0.0926318182 3.394068e-02 1.775000e-04 -0.5672727273

TiO2 -0.09263182 0.0323318182 -4.573712e-03 1.269697e-04 0.0356818182

MnO 0.03394068 -0.0045737121 2.190346e-03 2.511919e-05 -0.0372060606

BaO 0.00017750 0.0001269697 2.511919e-05 8.891919e-06 -0.0007515152

kiln -0.56727273 0.0356818182 -3.720606e-02 -7.515152e-04 1.9818181818

> cor(numvars)

Al2O3 Fe2O3 MgO CaO Na2O K2O

Al2O3 1.00000000 -0.1396064 -0.73245149 0.23170316 0.01631415 -0.61126911

Fe2O3 -0.13960637 1.0000000 0.39322710 0.66265034 0.67373208 0.61576101

MgO -0.73245149 0.3932271 1.00000000 -0.18583362 0.14955077 0.87409305

CaO 0.23170316 0.6626503 -0.18583362 1.00000000 0.51609482 0.05627038

Na2O 0.01631415 0.6737321 0.14955077 0.51609482 1.00000000 0.32363840

K2O -0.61126911 0.6157610 0.87409305 0.05627038 0.32363840 1.00000000

TiO2 0.70311435 -0.1458375 -0.68681267 0.16486290 0.04242872 -0.60413756

MnO -0.56690655 0.6700777 0.78369102 0.14141321 0.53361624 0.85046191

BaO 0.31438288 0.2112654 -0.06647407 0.24928394 0.36574697 0.06980577

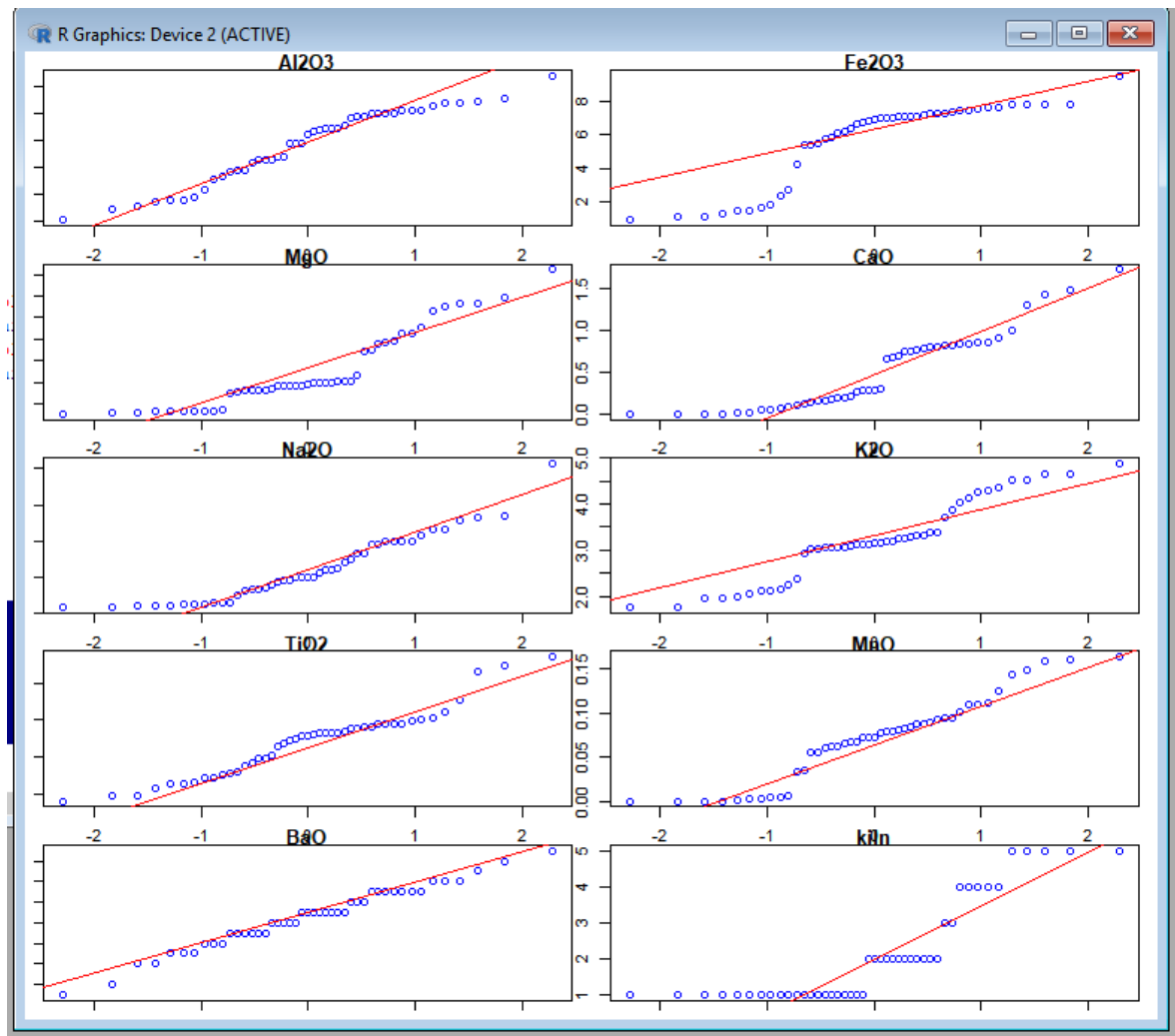
kiln 0.09225756 -0.9388459 -0.27875786 -0.75238740 -0.66637752 -0.47255320

TiO2 MnO BaO kiln

```

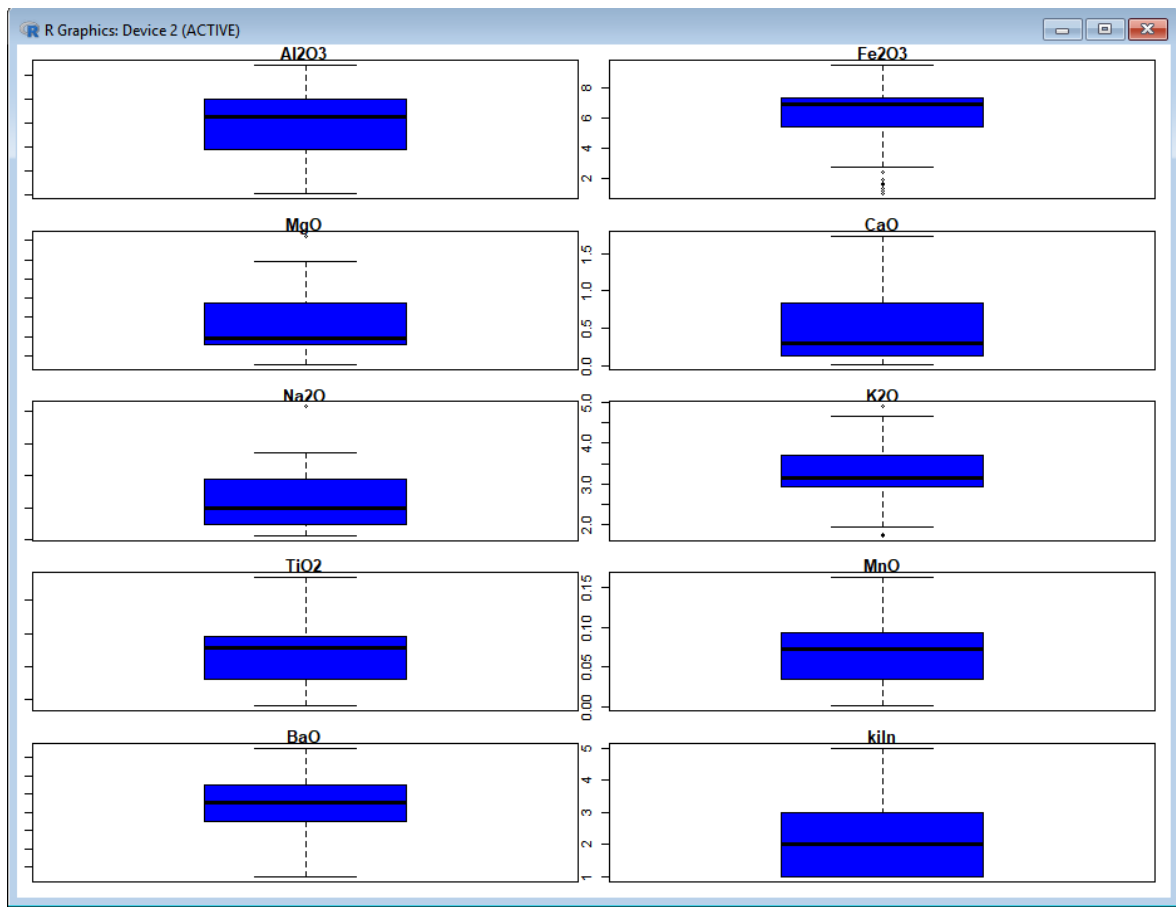
Al2O3 0.70311435 -0.5669065 0.31438288 0.09225756
Fe2O3 -0.14583752 0.6700777 0.21126543 -0.93884590
MgO -0.68681267 0.7836910 -0.06647407 -0.27875786
CaO 0.16486290 0.1414132 0.24928394 -0.75238740
Na2O 0.04242872 0.5336162 0.36574697 -0.66637752
K2O -0.60413756 0.8504619 0.06980577 -0.47255320
TiO2 1.00000000 -0.5434973 0.23680304 0.14096134
MnO -0.54349725 1.0000000 0.17999130 -0.56470987
BaO 0.23680304 0.1799913 1.00000000 -0.17902269
kiln 0.14096134 -0.5647099 -0.17902269 1.00000000
> par(mfrow=c(5,2))
> par(mar=c(1,1,1,1))
> for(i in 2:ncol(pottery)){
+ qqnorm(pottery[,i], main=colnames(pottery)[i], col='blue')
+ qqline(pottery[,i], col='red')
+ }

```



(5 points): Boxplots For the 'pottery' data of Table 1.3 in the text (also posted in the course on Lesson 1 page), generate boxplots for each numeric variable.

```
> par(mfrow=c(5,2))
> par(mar=c(1,1,1,1))
> for(i in 2:ncol(pottery)){
+   boxplot(pottery[,i], main=colnames(pottery)[i], col='blue')
+ }
```



(10 points): Scatterplot Matrix For the 'pottery' data of Table 1.3 in the text, generate a scatterplot matrix of the numeric variables. If possible, identify each point by its kiln number in some way. (HINT: consider 'pairs(pottery[,2:10], col=pottery\$kiln)').

```
> pairs(pottery[,2:10], col=pottery$kiln)
```

```
> par(xpd = TRUE)
```

```
> legend(1.02,1.02, fill = unique(pottery$kiln), legend = c( levels(as.factor(pottery$kiln))))
```

```
>
```

