

### 0.0.1 Question 2c: Verify Outcome

Did the candidate win or lose the election? Verify with election outcome.

```
In [16]: election_sub[election_sub["candidate"]=="Sharice Davids"]
```

```
Out[16]:
```

	year	office	state	district	election_date	forecast_date	forecast_type	\
204324	2018	House	KS	3.0	2018-11-06	2018-11-06	classic	
455289	2018	House	KS	3.0	2018-11-06	2018-08-11	classic	

	party	candidate	projected_voteshare	actual_voteshare	probwin	\
204324	D	Sharice Davids	51.85115	NaN	0.84994	
455289	D	Sharice Davids	44.84660	NaN	0.19566	

	probwin_outcome	bin
204324	1	(0.842, 0.895]
455289	1	(0.158, 0.211]

```
In [17]: election_sub[election_sub["candidate"]=="Adam B. Schiff"]
```

```
Out[17]:
```

	year	office	state	district	election_date	forecast_date	forecast_type	\
205075	2018	House	CA	28.0	2018-11-06	2018-11-06	classic	
456037	2018	House	CA	28.0	2018-11-06	2018-08-11	classic	

	party	candidate	projected_voteshare	actual_voteshare	probwin	\
205075	D	Adam B. Schiff	81.81078	NaN	1.0	
456037	D	Adam B. Schiff	80.84081	NaN	1.0	

	probwin_outcome	bin
205075	1	(0.947, 1.0]
456037	1	(0.947, 1.0]

The rising candidate, Sharice Davids, won the election.

The falling candidate, Adam B. Schiff, won the election.



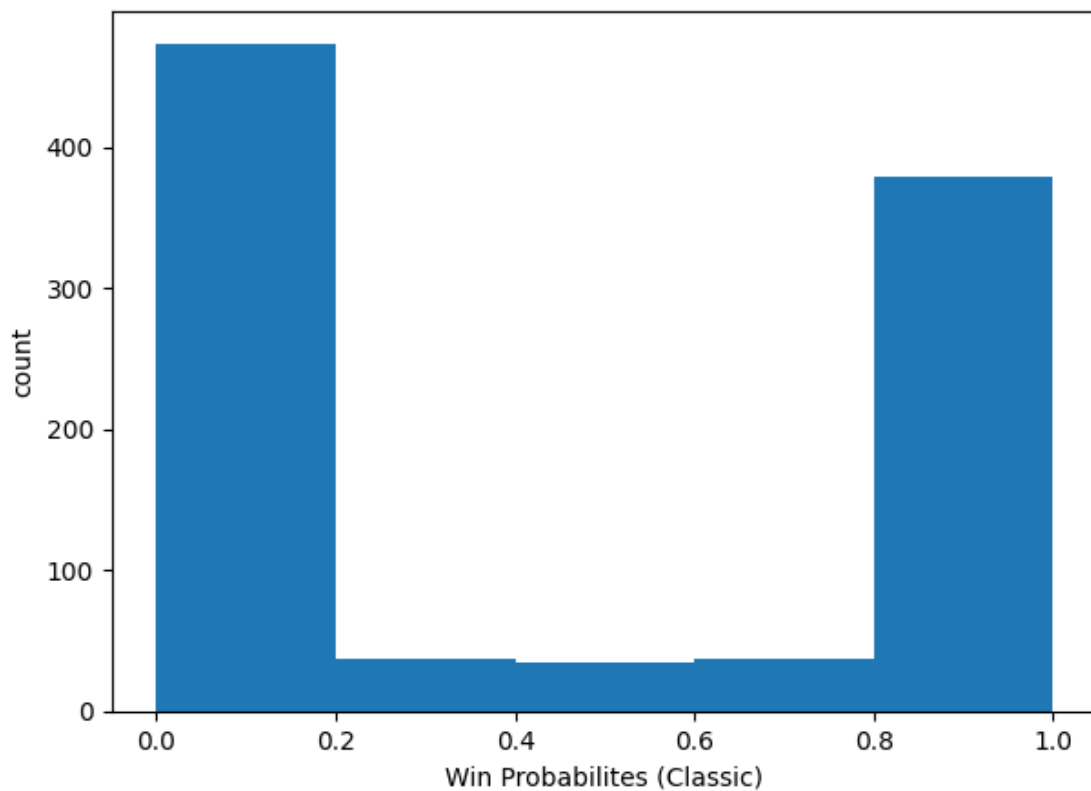
### 0.0.2 Question 3a: Prediction Histogram

Make a histogram showing the predicted win probabilities *on the morning of the election*. Again, restrict yourself to only the classic predictions.

```
In [18]: classic_preds=election_sub[(election_sub['forecast_date']=='2018-11-06') & (election_sub['fore
winprobs_classic=classic_preds['probwin']

import matplotlib.pyplot as plt

plt.figure(figsize=(7,5))
plt.hist(winprobs_classic, bins=5)
plt.xlabel('Win Probabilites (Classic)')
plt.ylabel('count')
plt.show()
```





### 0.0.3 Question 3b: Prediction difficulty

Are most house elections easy to forecast or hard to forecast? State your reasoning.

Most house elections are easy to forecast because a majority of the win probabilities are either really high or really low, indicating a high amount of confidence in a certain outcome.

If the number of win probabilities with a value of 0.5 was the highest, then I would say that the election is difficult to predict because there is no certainty for either outcome.



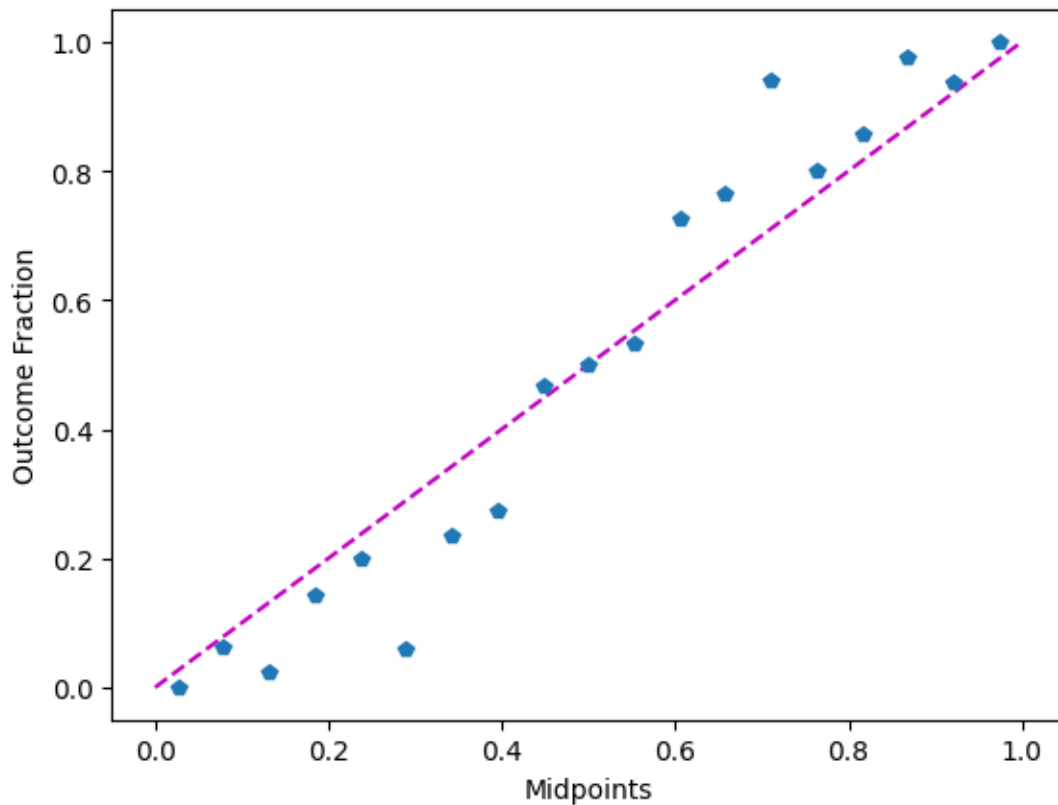
#### 0.0.4 Question 4c: Visualize Results

Now make a scatterplot using `midpoints` as the x variable and `fraction_outcome` as the y variable. Draw a dashed line from `[0,0]` to `[1,1]` to mark the line  $y=x$ .

```
In [23]: # magic for showing figures inline
%matplotlib inline
import matplotlib.pyplot as plt

plt.plot([0,1], 'm--')
plt.plot(midpoints, fraction_outcome, 'p')
plt.xlabel('Midpoints')
plt.ylabel('Outcome Fraction')
```

```
Out[23]: Text(0, 0.5, 'Outcome Fraction')
```





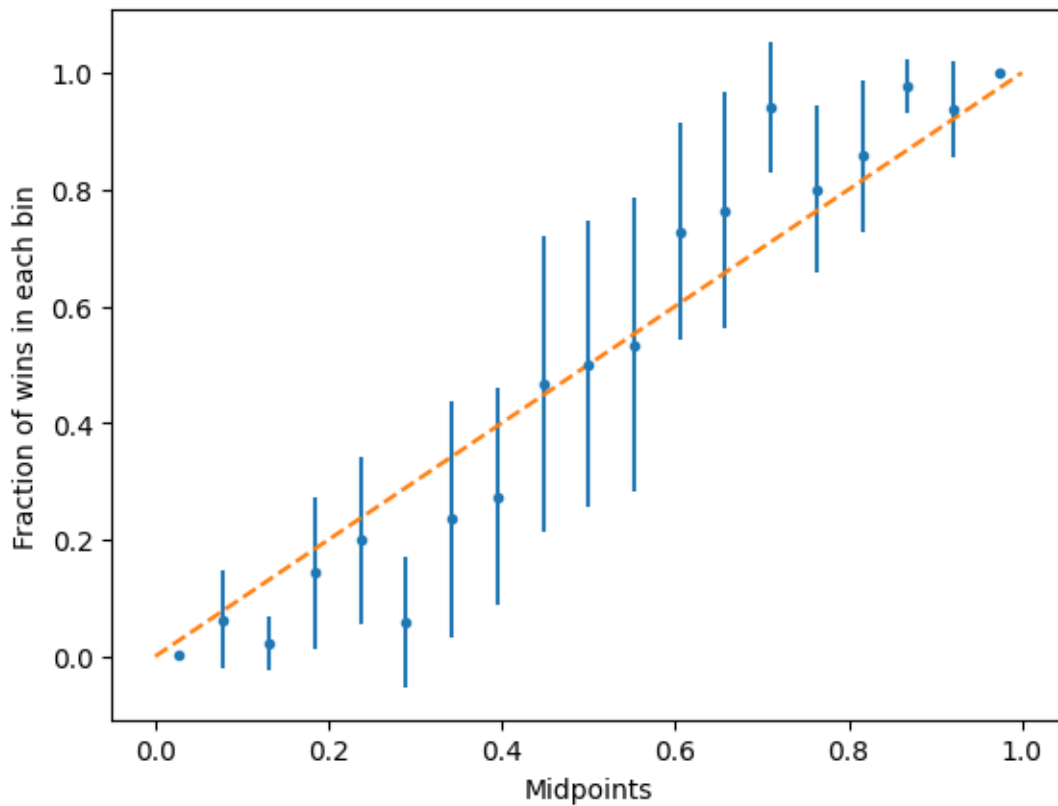


### 0.0.5 Question 5b: Visualize Error Bars 1

Use `plt.errorbar` to create a new plot with error bars associated with the actual fraction of wins in each bin. Again add a dashed  $y=x$  line. Set the argument `fmt='.'` to create a scatterplot with errorbars.

```
In [26]: # Plotting code below
plt.errorbar(midpoints, election_agg['mean'], yerr=election_agg['err'], fmt='.')
plt.plot([0, 1], [0, 1], '--')
plt.xlabel('Midpoints')
plt.ylabel('Fraction of wins in each bin')
```

```
Out[26]: Text(0, 0.5, 'Fraction of wins in each bin')
```





### 0.0.6 Question 5d: Understanding Confidence Intervals

Are the 95% confidence intervals generally larger or smaller for more confident predictions (e.g. the predictions closer to 0 or 1). What are the factors that determine the length of the confidence intervals?

The 95% confidence intervals are generally smaller for more confident predictions. Sample size, standard deviation (variation in the sample), and the confidence level are all factors that determine the length of the confidence intervals.



### 0.0.7 (PSTAT 234) Question 5f. Visualize Error Bars 2

By now, we have a distribution of success probabilities saved in `bootstrap_election_agg`. We can compute empirical error bars from 2.5% and 97.5% quantiles. Write function named `bootstrap_errorBars` that can be used to calculate the following columns:

- `mean`: mean of probabilities of success
- `err_low`: low point of the error bars
- `err_high`: high point of the error bars

Function `bootstrap_errorBars` is to be called by using `bootstrap_election_100_agg.apply(bootstrap_errorBars, ...)`.

```
In [ ]: def bootstrap_errorBars(x):
         out = pd.Series([x.mean(), x.mean()-x.quantile(0.025), x.quantile(0.975)-x.mean()],
                        index=['mean', 'err_low', 'err_high'])
         return(out)
```



### 0.0.8 (PSTAT 234) Question 5g: Interpreting the Results

Are the 95% confidence intervals generally larger or smaller for more confident predictions (e.g. the predictions closer to 0 or 1). What are the factors that determine the length of the error bars?

Compare and contrast model-based error bars and empirically obtained error bars. What are the advantages and disadvantages of these two approaches?

*Type your answer here, replacing this text.*

