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# The Best Response Algorithm

# The MPEC

**MPEC**

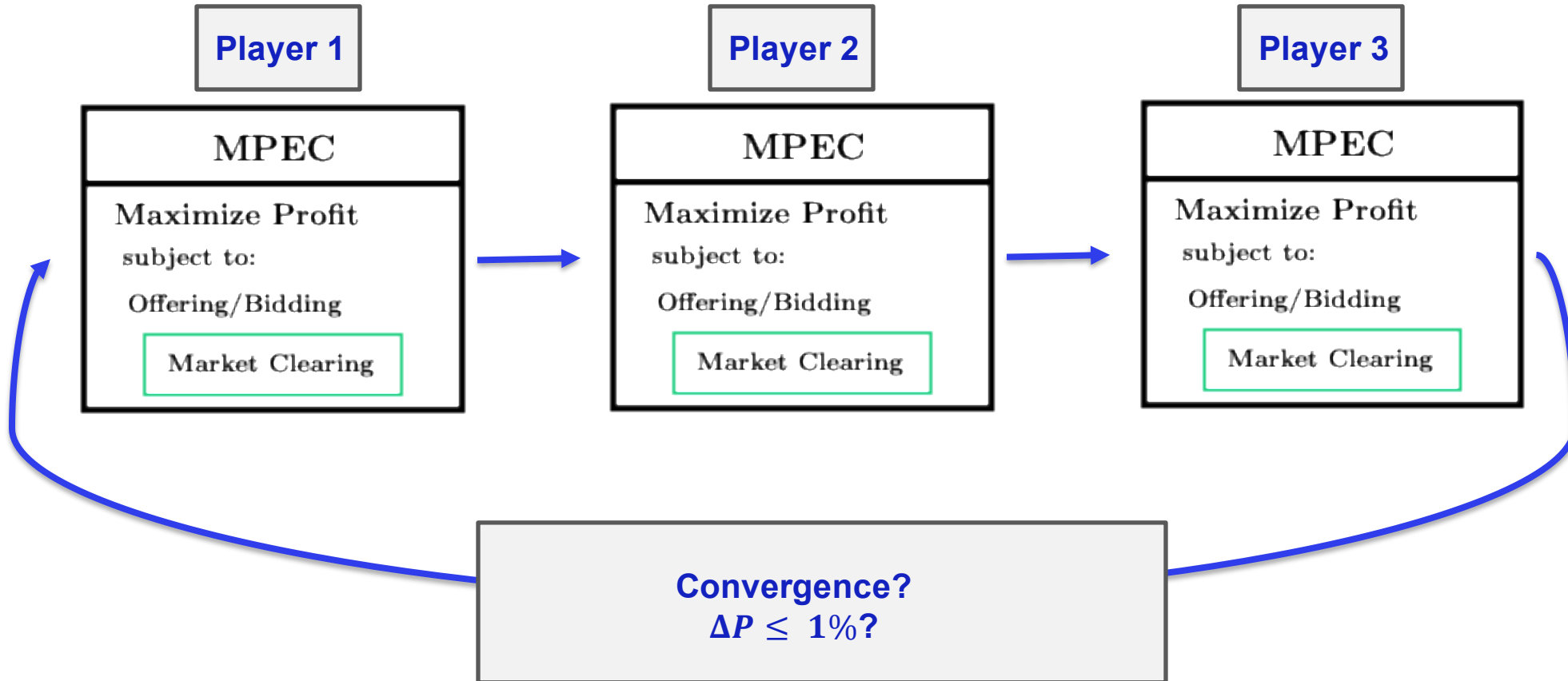
**Maximize Profit**

**subject to:**

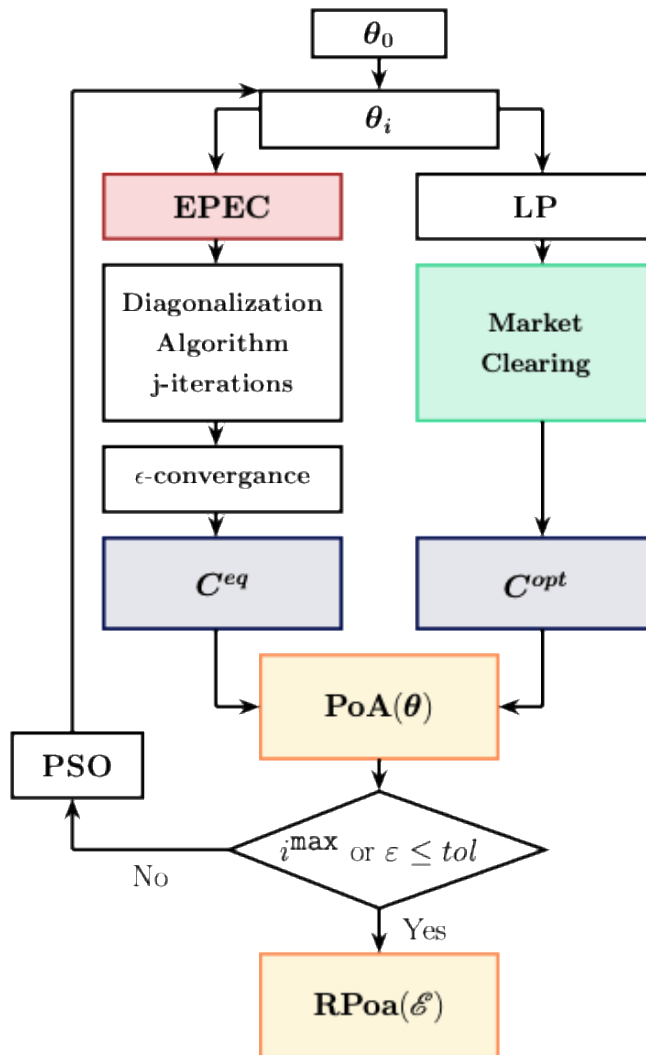
**Offering/Bidding**

**Market Clearing**

# The Best Response Algorithm



# RPoA over the discretized search space



**Diagonalization Algorithm == Best Response**

# Exercise

- Consider 3 players, with 1 generator each.
- Consider a range of possible cost range( $\text{minFuelCost}$ ,  $\text{maxFuelCost}$ ) for each player.
- Discretize each range in  $S$  segments. Keep it to 2 segments so the search space is not too large.
- For every combination  $S \times S \times S$  run the BR algorithm. Use convergence based on profit or a number of max iterations.
- For every combination clear the market at true costs.
- Calculate the PoA of the  $S \times S \times S$  space.
- Generalize the previous in a python function where you can pass the number of players, the range of fuel cost of each player, and the number of segments for discretization.
- What do you see when you increase the number of players?
- What about when the discretization is finer?
- Can you even compute all the combinations?

DTU

