## DExam

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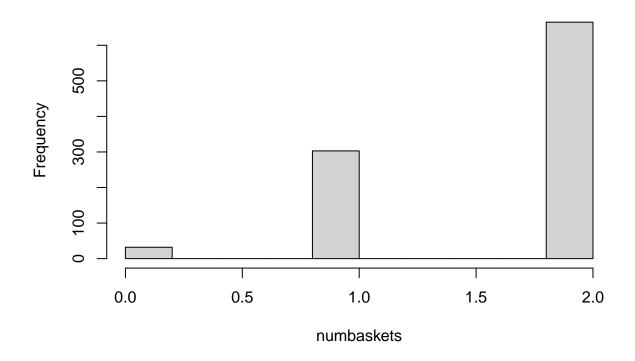
### 2024-10-08

```
D1
  1.
  a.
pnorm(1.3, mean=0, sd=1)
## [1] 0.9031995
  b.
pnorm(-0.7, mean=0, sd=1)
## [1] 0.2419637
  c. 0.903 - 0.242 = 0.661
  d. 1 - 0.903 = 0.097
  e.
qnorm(0.28, mean=0, sd=1)
## [1] -0.5828415
  f. 1 - 0.15 = 0.85
  g.
qnorm(0.15, mean=0, sd=1)
## [1] -1.036433
  h. 0.09 for both
  i.
```

```
qnorm(0.09, mean=0, sd=1)
## [1] -1.340755
D2
  2.
  a. 43 homeruns above
  b. 5.375 standard deviations
  c. z-score = (x - mean) / standard deviation z = 5.375
pnorm(5.375, mean=0, sd=1)
## [1] 1
pnorm(58, mean=15, sd=8)
## [1] 1
  3.
  a.
pnorm(20, mean=15, sd=8)
## [1] 0.7340145
1 - 0.734 = 0.266
  b.
qnorm(0.90, mean=15, sd=8)
## [1] 25.25241
  c.
pnorm(20, mean=15, sd=8)
## [1] 0.7340145
pnorm(25, mean=15, sd=8)
## [1] 0.8943502
0.16
  d.
```

```
qnorm(0.05, mean=15, sd=8)
## [1] 1.841171
qnorm(0.95, mean=15, sd=8)
## [1] 28.15883
k = 13.1588
D3
  4.
  a. Assuming that you are picking a shirt for each day, so order matters, P(12, 7) = 12!/5! = 3991680
  b. When buying ice cream, the order does not matter C(15, 4) = 1365
  c. Order does not matter for when a card is in your hand C(52, 2) = 1326
  d. Since there are 10 different people, order matters, since it determines who gets which card, so P(52,
     10) = 5.7407 * 10^16
D4
  5.
  a. 0.32
  b.
numbaskets = rep(0, 1000)
freethrows=2
p=0.8
for(i in 1:freethrows){
  numbaskets=numbaskets+sample(c(1, 0), 1000, replace = TRUE, prob = c(p, 1-p))
}
hist(numbaskets)
```

# Histogram of numbaskets



### print(freethrows)

## [1] 2

c.

### length(which(numbaskets==1))

## [1] 303

This is very close to what I calculated

D5

6.

$$\begin{array}{ll} a. \ E(X) = np \\ b. \ Var(X) = np(p\text{-}1) \end{array}$$

7. Binomial distributions and Normal distributions appear very similar, they are not directly related but sometimes can be used to approximate the other.