

F1

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4.1.1

- a. mean
- b. proportion
- c. proportion
- d. mean
- e. mean
- f. proportion

4.1.2

- a. Length Class Mode 250000000 character character
- b. Length Class Mode 1000 character character
- c. [1] 0.897 0.017 error
- d. different samples have different errors.
- e. It looks like a Normal Distribution.

4.1.3

- a. np =
n(1-p) =
- b. mean = 0.88, variation/error = 0.010276
- c. It fits pretty good
- d.

```
pnorm(0.85, mean=0.88, sd=0.010276)
```

```
## [1] 0.001753395
```

- e.

```
qnorm(0.025, mean=0.88, sd=0.010276)
```

```
## [1] 0.8598594
```

```
qnorm(0.975, mean=0.88, sd=0.010276)
```

```
## [1] 0.9001406
```

```
k = 0.02
```

f.

4.1.4

- a. 3. People who attended the shows
- b. 2. Proportion of those who attended the shows who bought merchandise
- c. 0.22
- d. 0.0414
- e. No, because it falls within the sample error
- f. 0.04, which is different but not by much
- g.

```
trials=1000

n=100
p=0.25
phat=22/100

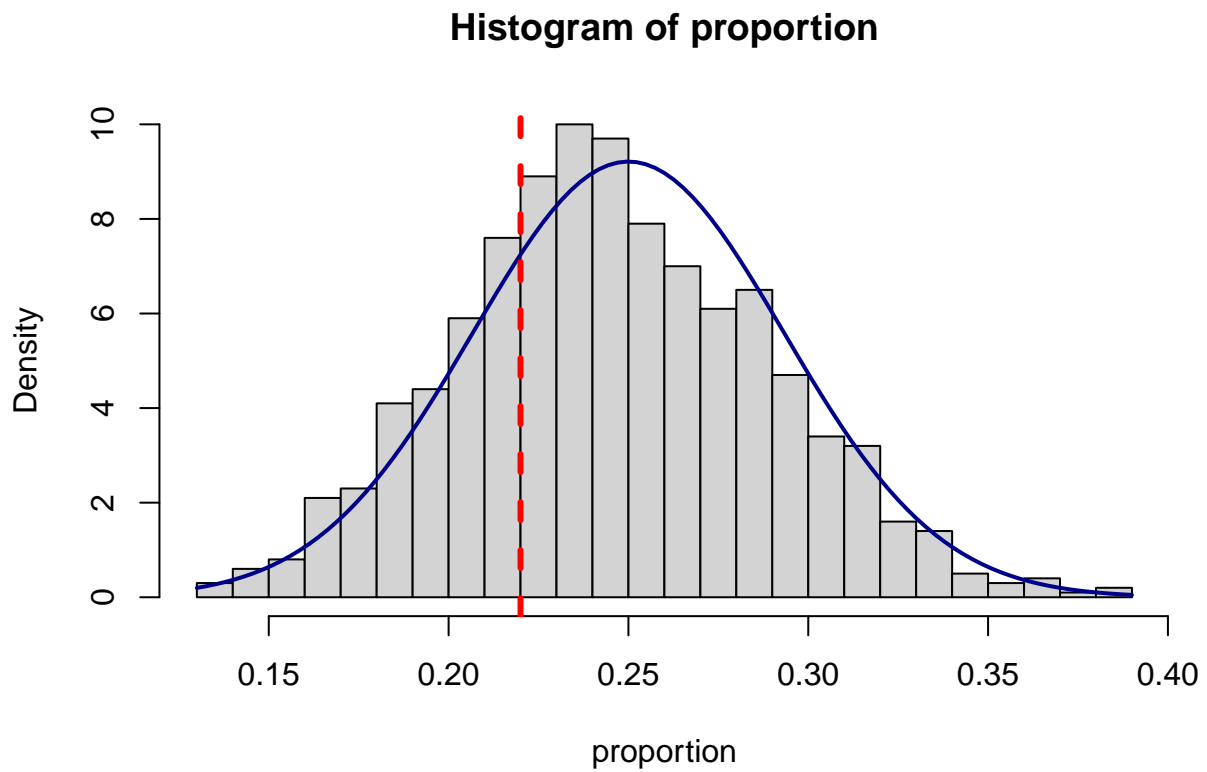
mu_p=p
SE_p=sqrt(p*(1-p)/n)

results=rep(0,trials)

for(i in 1:n){
  results=results+sample(c(1, 0), trials, replace = TRUE, prob = c(p, 1-p))
}

proportion=results/n

hist(proportion, prob=TRUE, breaks=25)
curve(dnorm(x, mean=mu_p, sd=SE_p), col="darkblue", lwd=2, add=TRUE, yaxt="n")
abline(v=phat, col="red",lwd=3, lty=2 )
```



```
print(trials)
```

```
## [1] 1000
```

It would not be abnormal

4.1.5 SKIP