

A3: Structure of wikipedia links

Go to <https://zenodo.org/record/2539424> and fetch the file:
https://zenodo.org/record/2539424/files/enwiki.wikilink_graph.2004-03-01.csv.gz?download=1

Investigate the graph:

- Dead ends
- Distribution of in-degrees
- Distribution of out-degrees of nodes
- Implement the page rank algorithm from slide 18
- Implement direct (sparse) matrix multiplication
- Compare results
- *Is this graph strongly connected?*

Data preprocessing (prep)

The data has the following layout:

| ■ | page_id_from | page_title_from | page_id_to | page_title_to |
|---|--------------|-----------------|------------|---------------|
| ■ | 12 | Anarchism | 34568 | 16th century |
| ■ | 12 | Anarchism | 35416 | 1793 |
| ■ | ... | ... | ... | ... |

- ☐ Extract only the 1st and the 3rd column
- ☐ Convert page_id's into consecutive integers, in such a way that you can return back to the original numbering
- ☐ Both columns should use the same coding!
- ☐ Save the prepared data on HD

Exploratory data analysis (eda)

- **Dead ends**: find nodes with no outgoing edges. How many have you found?
- **Distribution of in-degrees**: for every node compute the number of incoming edges
- **Distribution of out-degrees**: for every node compute the number of outgoing edges
- Make **nice & informative plots** of both distributions
- What is the **average out-degree** and the **average in-degree** of the graph?

Estimate RAM requirements: (eda)

1. How much RAM would you need to store the transition matrix M and the initial vector v in RAM? Assume double precision (64 bits per number).
2. The same question assuming that you store M in a sparse matrix (in RAM)?
3. The same question, assuming that you use data structures as described on slide 17.

embed your answers in the notebook [eda.ipynb](#)

Implement PageRank algorithm (*sparse*)

1. Store both M (as a sparse matrix) and v (in RAM).
2. Run 25 iterations of the “classical” update rule from slide 10, with $\text{Beta}=0.8$.
3. Plot the MSE of the differences (25 numbers): $v - Mv$
4. Assume that your computer has **1GB RAM** and the average out-degree of a graph G is **15**.

What is the maximal number of nodes of G such that your algorithm could be executed on your computer?

What to deliver?

Four Jupyter notebooks:

- `prep.ipynb`
- `eda.ipynb`
- `sparse.ipynb`
- `PageRank.ipynb`

that correspond to all the subtasks.

Your notebooks should read/write files from/to the same directory as your notebooks. We will test your programs in a directory which contains `wikilink_graph.2004-03-01.csv`