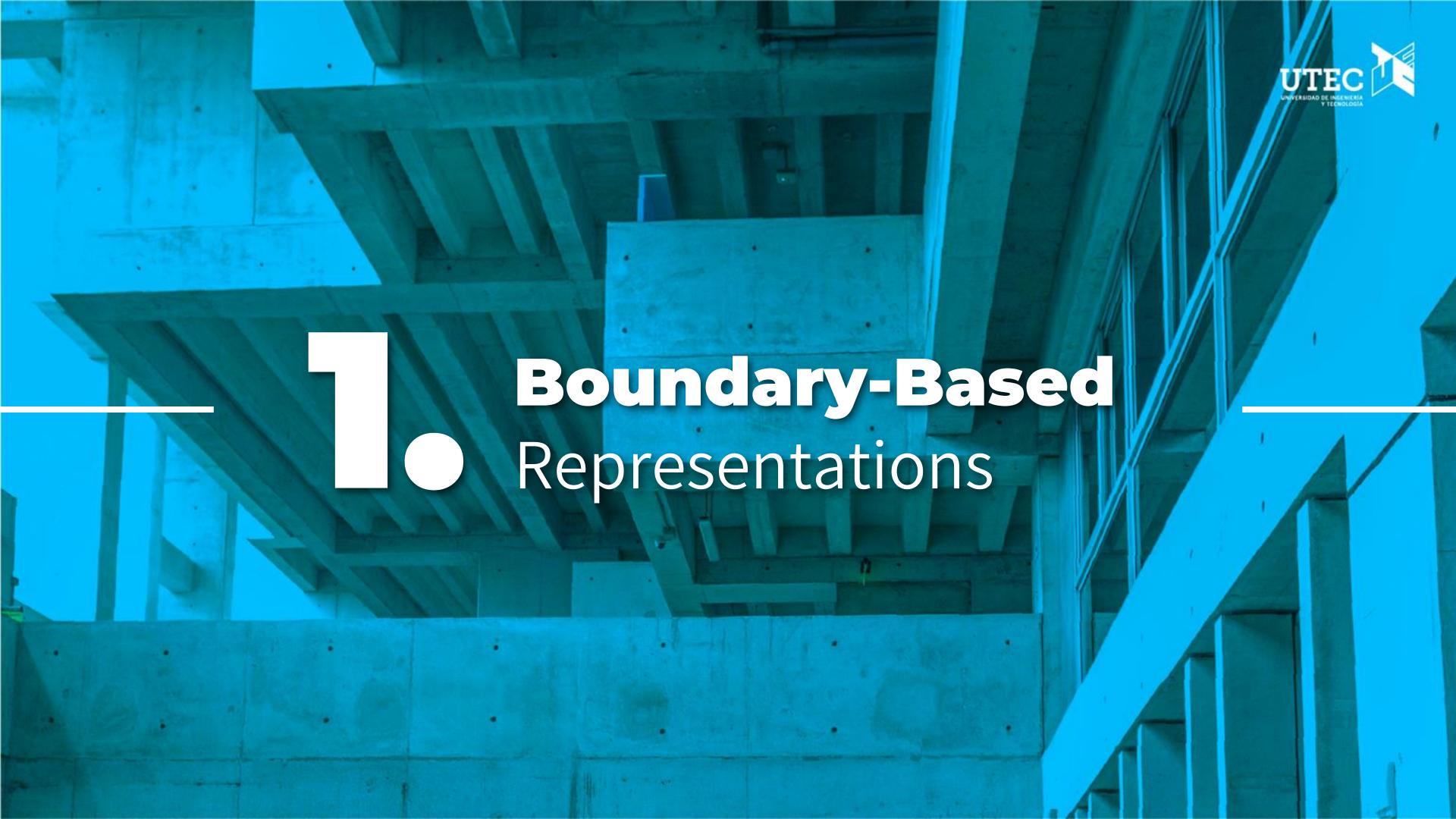






# Índice

- Boundary-Based Representations
- 2. The Boundary Model (BRep)





#### Boundary-Based Representations

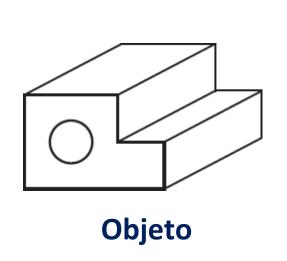
Buenas para el cálculo de propiedades relativas a la forma (perímetro, área)

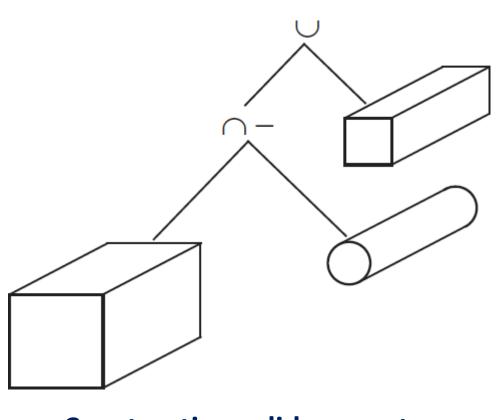
**Feature-query** Bastante fácil determinar las celdas que componen un objeto

**Location-query** Es difícil determinar el valor asociado a un punto arbitrario del espacio dado por una celda

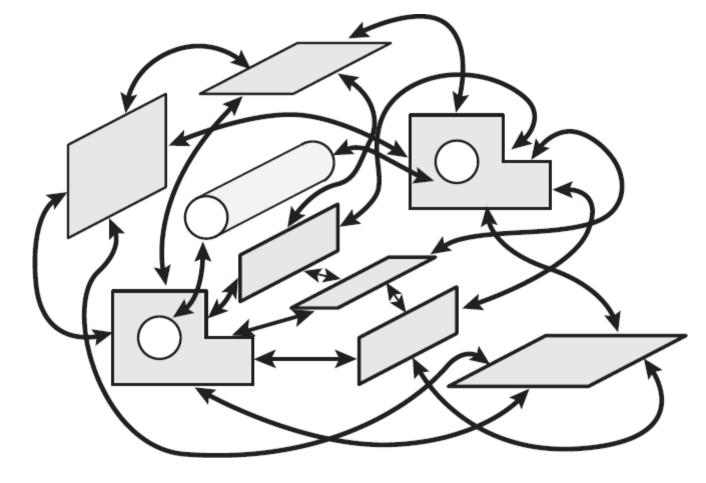


## Boundary-Based Representations



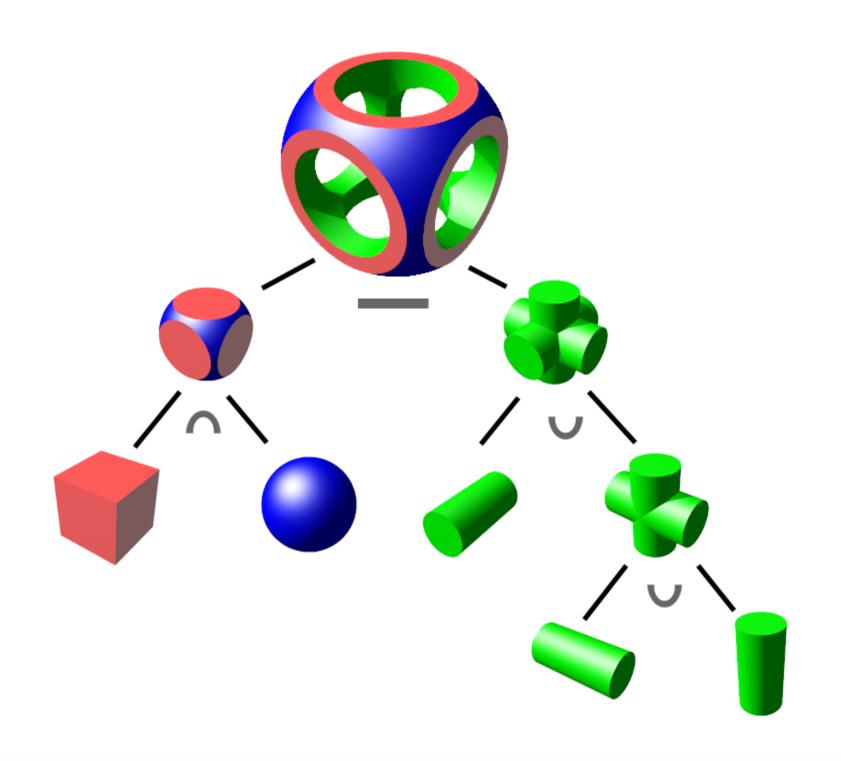


Constructive solid geometry (CSG)



**Boundary Model (BRep)** 

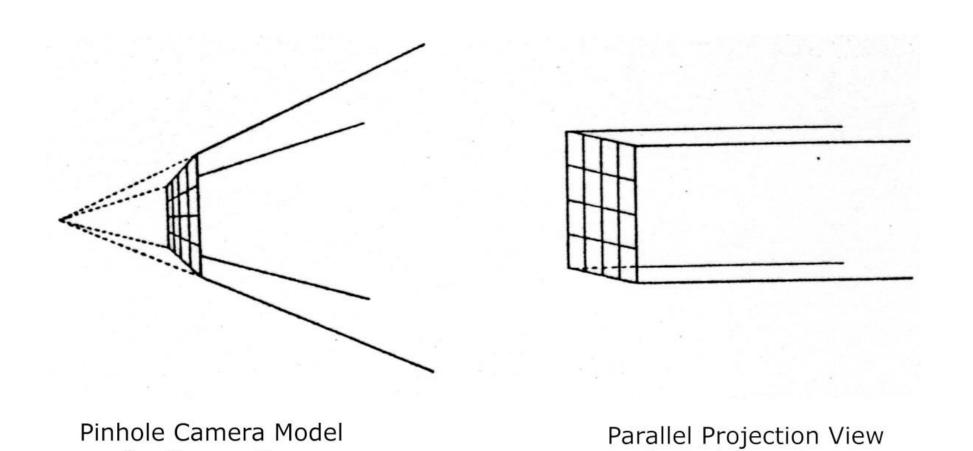


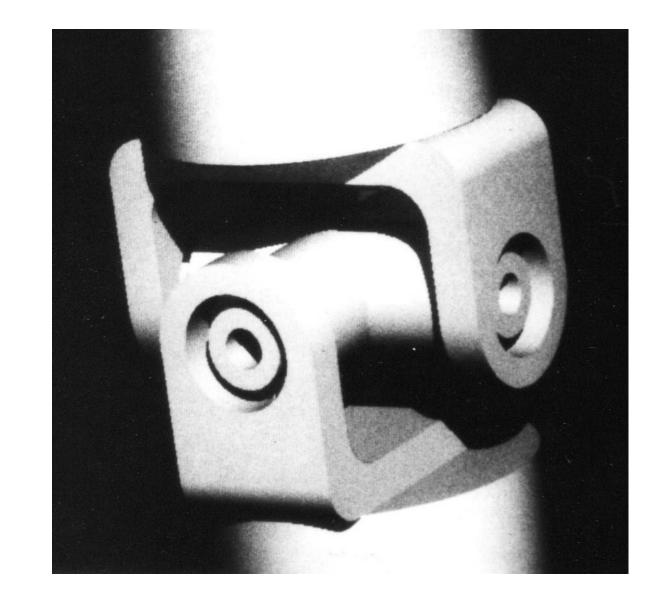




for Solid Analysis

#### **Ray casting**

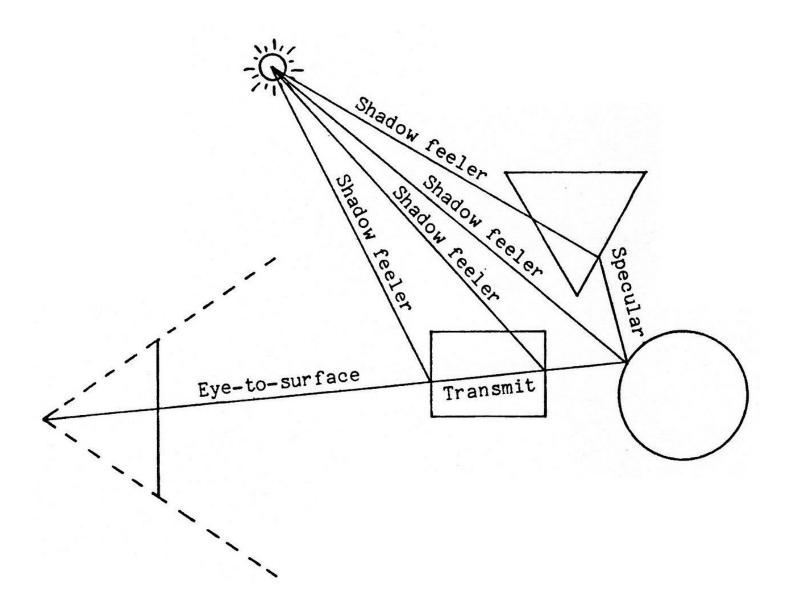




for Perspective

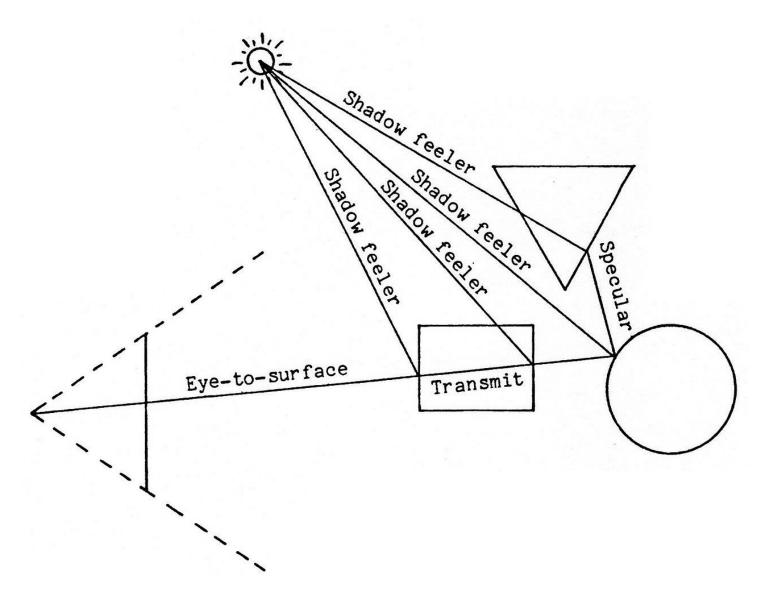


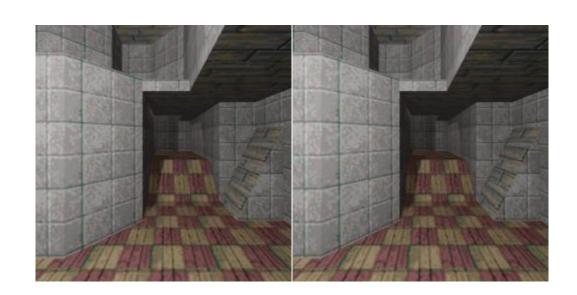
#### Ray casting





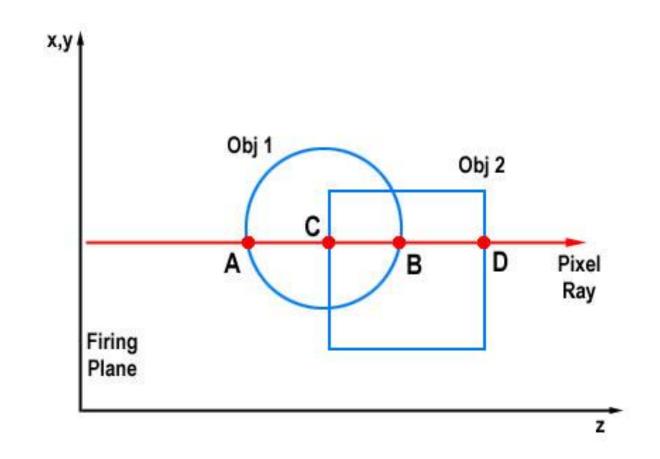








#### Ray casting



#### Límites

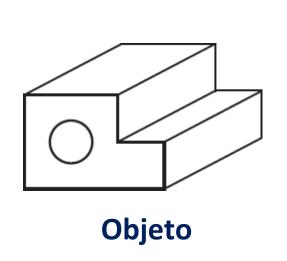
Obj 1 U Ob	i 2	A, D
	) <del>_</del>	11, <i>D</i>

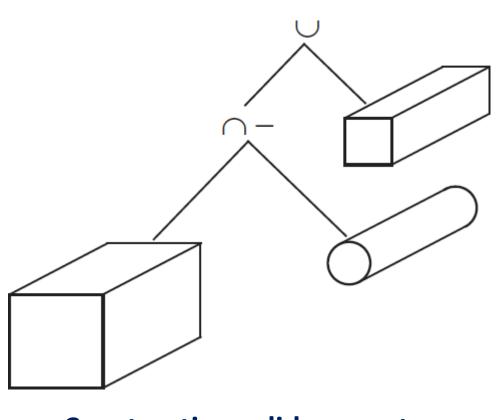
Obj 
$$1 \cap Obj 2$$
  $C, B$ 

Obj 2 — Obj 1 
$$B, D$$

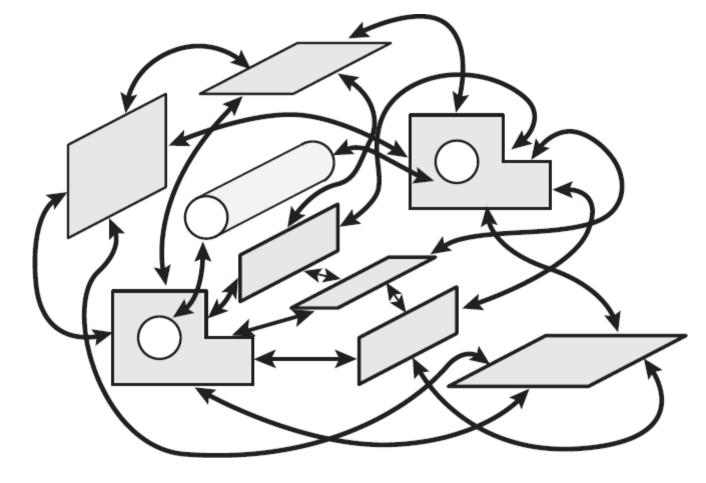


## Boundary-Based Representations

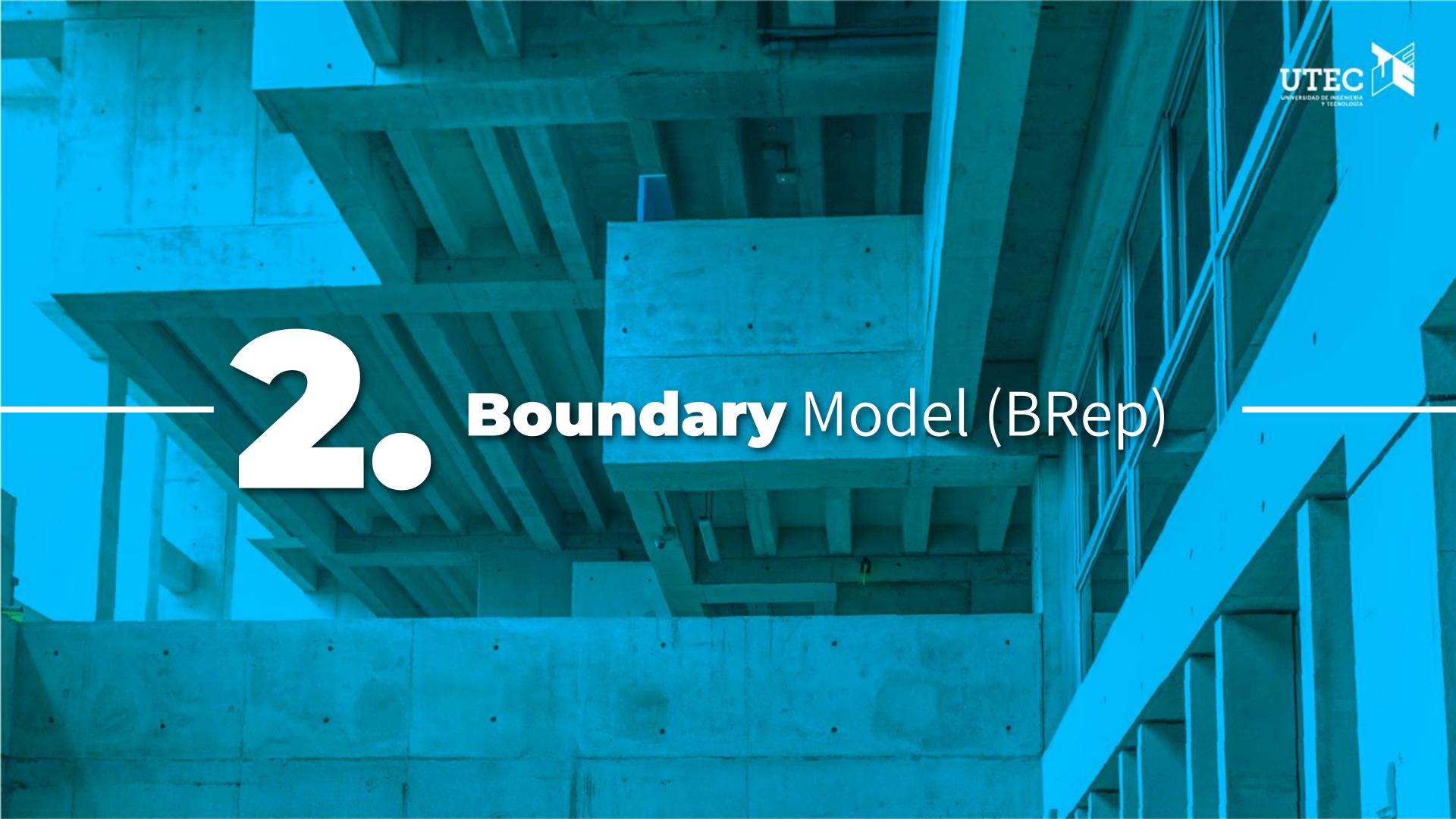




Constructive solid geometry (CSG)



**Boundary Model (BRep)** 



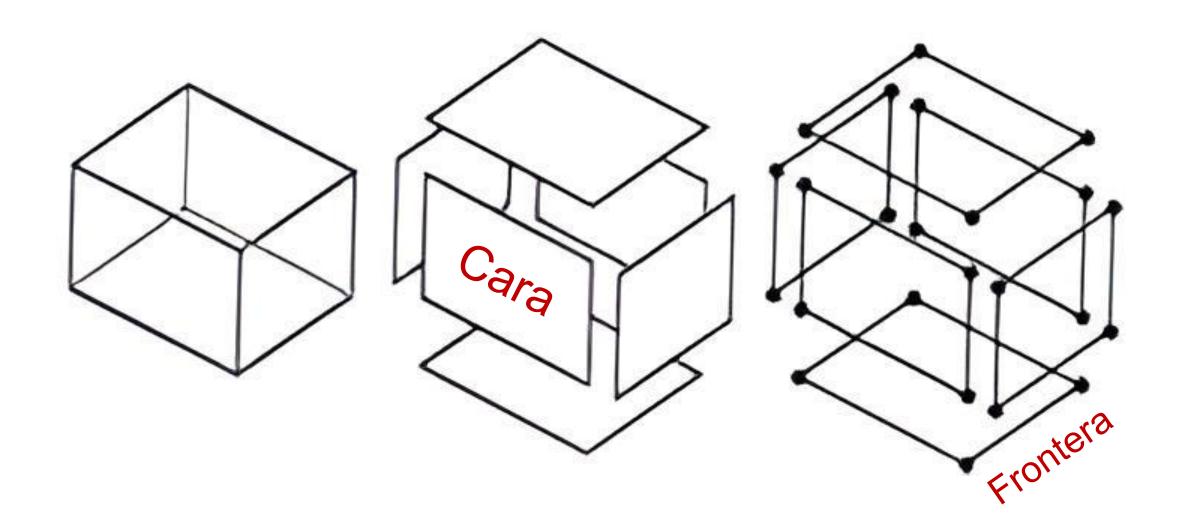


Vértices Aristas Caras

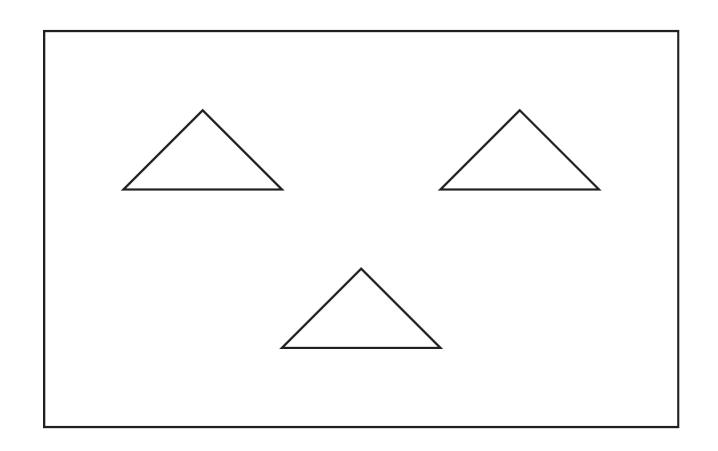






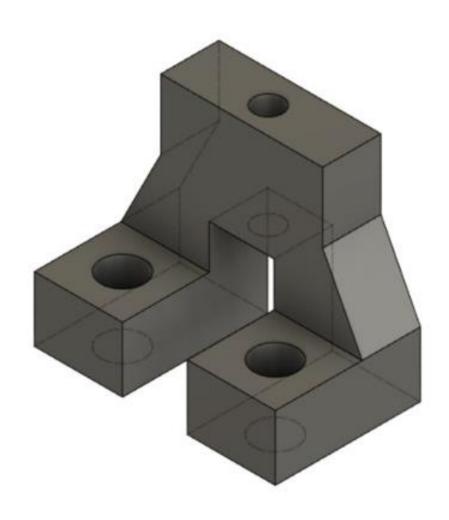






Las fronteras de una cara no tienen por qué estar conectadas





#### Caras adyacentes

Dos caras que comparten al menos una arista en común

#### Caras conectadas

Dos caras  $f_i$ ,  $f_j$  están conectadas si existe una secuencia:

$$(f_i, f_{i+1}, \dots, f_{j-1}, f_j)$$

tal que  $f_k$  es adyacente a  $f_{k+1}$  para todo  $k \in [i,j)$ 



Solo trabajaremos con objetos con las siguientes propiedades:

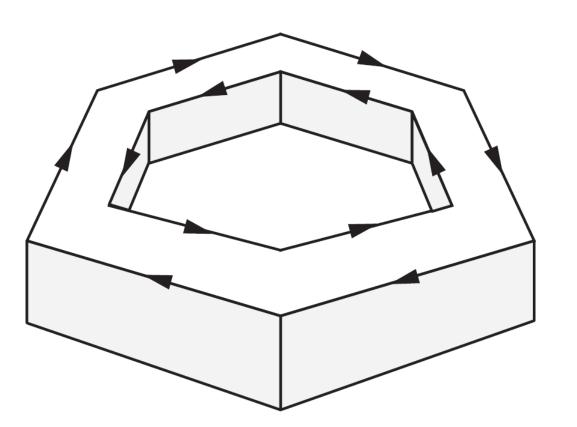
- Compactos
- Orientables
- 2-manifold





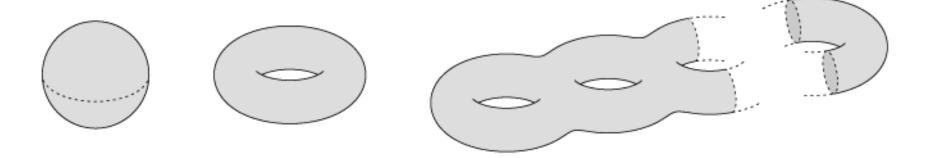
#### Compacto

- Topológicamente cerrado
- Acotado

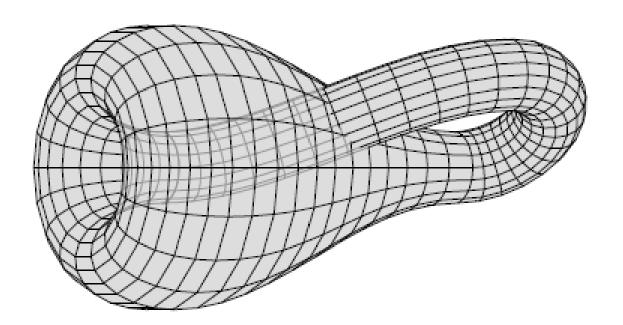




#### **Orientable**



#### No orientable





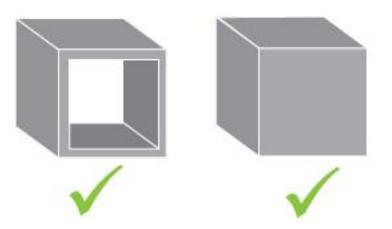
#### 2-manifold

M es un espacio topológico, decimos que M es una n-manifold si satisface las siguientes propiedades:

- *M* es Hausdorff
- *M* es segundo numerable
- Para cada punto x en M, existe un conjunto abierto U que contiene a x y un homeomorfismo  $f: U \to V$ , donde V es un conjunto abierto de  $\mathbb{R}^n$ .

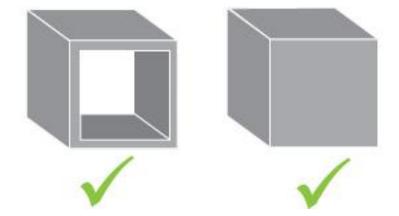


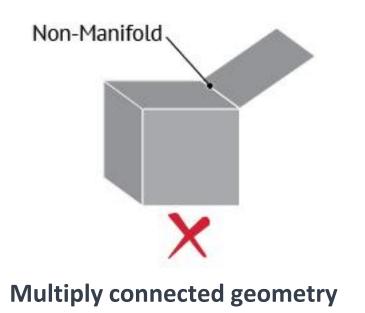
2-manifold

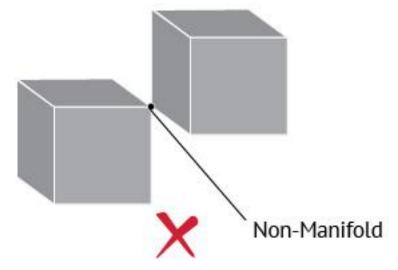




#### 2-manifold





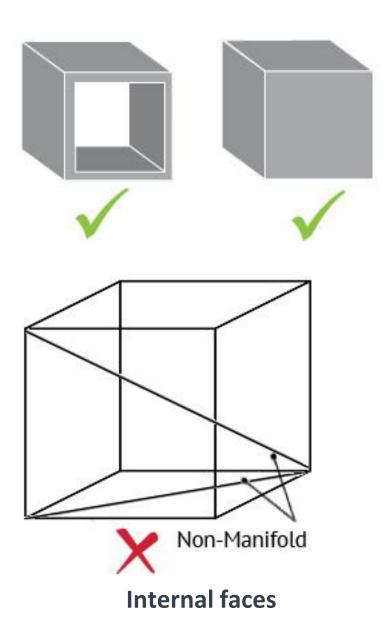


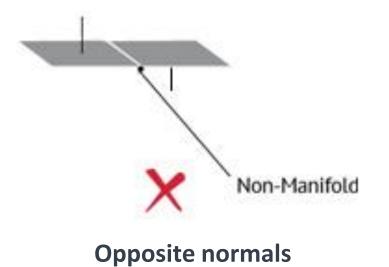
Several surfaces connected to a single vertex



#### 2-manifold









Shell Conjunto máximo conectado de caras

Loop Cadena cerrada de aristas (es decir, un ciclo) que delimita una cara

