

# Principles of Electrical Engineering 2

## Lect 1

9/5/23

- Susan Hughes
- office hours: Tues 12:30-1:30
- Note - voltage methods } most important
- Mesh-current method }

Unit 11, 12, 13, 14 - Alternating currents

4 Workshops, 5 Labs

4 workshops:

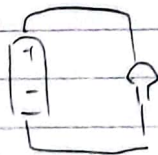
1. Simulation tools
2. Equipment training
3. Arduino
4. Oscilloscope training

- Can go to any recitation

Circuit Variables

Section 1.1-1.8

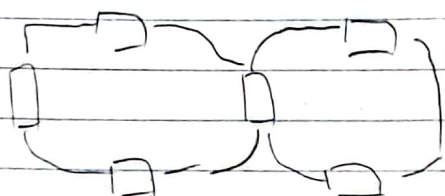
- we are learning to solve circuits



- Energy - Power systems

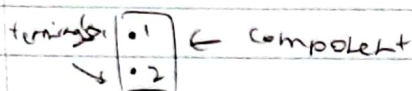
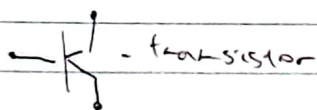
- Smart USB charger
- Solve a circuit - find voltages and currents in all circuit elements
- Artificial intelligence - the brain is a very complex circuit

- Electric circuits - an interconnection of components, forming a closed path or many closed paths

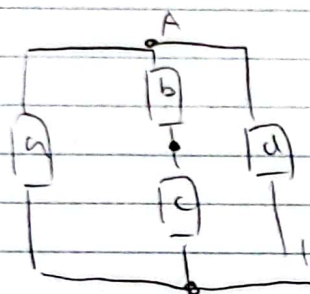


- Most decks in this class have two terminals

- Elements have characteristics varying with time

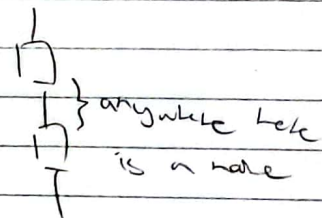


Nodes: a point (junction) within a circuit where two or more elements join



- 3 nodes

- Essential nodes: a node where 3 or more elements meet



anywhere like this is a node

- A and B are essential nodes

- Models represent physical devices

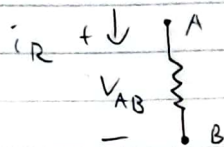
- Some physical devices can be modeled by physical devices

Elements:

- Current: denoted by  $i$  or  $I$ , flowing through an element

- Voltage: denoted by  $v$  or  $V$ , drop across an element





$q$  - charge

$$i(t) = \frac{dq}{dt} \text{ - current}$$

- In this class  $i$  doesn't often change

$1 [\text{Amp}] = \frac{1 [\text{Coulomb}]}{1 [\text{s}]}$  with respect to time, but in reality it does

$$i(t) = \frac{dq(t)}{dt} \quad q(t) = \int_{t_0}^t i(\tau) d\tau + q(t_0)$$

$$\int_{t_0}^t dq(t) = \int_{t_0}^t i(t) dt$$

$$q(t) - q(t_0) = \int_{t_0}^t i(\tau) d\tau$$

$$q(t) = \int_{t_0}^t i(\tau) d\tau + q(t_0)$$

Ex 1.

$$q(t) = 0 \text{ C for } t < 0$$

$$q(t) = 4 - 3e^{-50t} \text{ C for } t > 0$$

$$i(t) = \begin{cases} 0 \text{ A for } t < 0 \\ 150e^{-50t} \text{ A for } t > 0 \end{cases}$$

Ex. 2

$$q(t) = 0.01 \sin(200t) \text{ C}$$

$$i(t) = 2 \cos(200t) \text{ A}$$

Ex. 3

constant current of 2A, in 10 seconds:  
20 Coulombs passes through the element

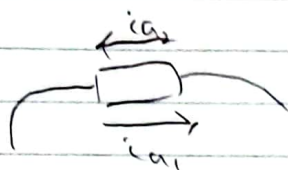
$$q(t) = \int_{t_0}^t i(\tau) d\tau$$

$$q(t) = \int_0^{10} 2 d\tau = 20 \text{ C}$$

- charge: multiple of number of electrons  
 $1 \text{ C} = -6.25 \times 10^{18} \text{ electrons}$

- current: moving of negative or positive ions
- convention: flow of positive charge  
(in reality it is the electrons that are moving)

- use arrow to denote direction of current.



$$i_{a2} = -i_{a1}$$

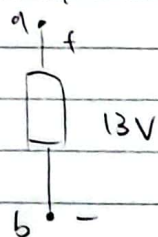
Voltage:  $v$  or  $V$  - energy per unit charge created by separation of positive/negative charge

$$v(t) = \frac{dw(t)}{dq(t)} \quad \text{- it takes } 1 \text{ V to use } 1 \text{ J to take a coulomb across}$$

$$V = \frac{W}{q} \quad \text{40 J}$$

Voltage polarity notation: assume 2 voltage polarity

$$v_{a1} = -v_{a2}$$



$$v_a - v_b = 13 \text{ V}$$



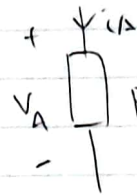
the voltage at the positive port is 2V higher than the negative port

- Power - rate of work with respect to time

$$P = \frac{dw}{dt} = \frac{dw}{dq} \frac{dq}{dt} = Vi \quad \text{- Power for the component}$$

$$w(\tau) = \int_0^{\tau} P(\lambda) d\lambda$$

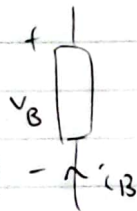
- Some circuit elements provide power, some take power
- Amount of power provided should be equal to the amount of power absorbed



$$P = i_A V_A$$

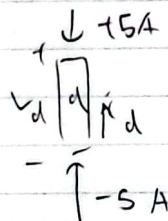
- absorb power - positive power
- provide power - negative power

- If current enters at the positive port, the power is positive
- If current enters at the negative port, the power is negative



$$P = -i_B V_B$$

- $P > 0$  - consuming/absorbing power
- $P < 0$  - generating power



$$i_d = -5A$$

$$V_d = 8V$$

$$P_d = -i_d V_d = -(-5)(8) = 40 \text{ Watts}$$