680   Movement of Reading Head

Suppose we have K files representing by $F_1, F_2, \ldots, F_K$. The total length of these files, measured in block numbers, is N blocks, and the length of each file is L_i block(s) for $1 \le i \le K$. We denote the bth block of a file F_i as $F_i(b)$ for $1 \le b \le L_i$; e.g., the 9th block of F_2 file is $F_2(9)$, and the 4th block of F_3 file is $F_3(4)$.

Now consider a storage space S consisting of a single reading head and N blocks with sequential number starting from 0 to $N - 1$. These K files are stored to the space S in a sequential order from $F_1, F_2, F_3, \ldots, F_K$. We will assume that there is no spare blocks left for storing these K files. Apparently, this means that

$$\sum_{i=1}^{K} L_i = N$$

When reading from S, a profile array PF is used to indicate the starting block of the reading for every file, and the reading order is to read a block at F_1, then a block at F_2, ..., a block at F_K with one block being read for a file at one time. After F_K is being read, we restart to read the next block at F_1, then the next block at F_2, ..., and the process circulates in this fashion. Within a file when the previous reading has reached to the last block, the next block to be read is the first block of this file.

Obviously, the reading head has to move through several blocks during each time of reading. Thus, we define a term $\mathrm{TB}(P)$ to be the total number of blocks that the reading head needs to move for the P consecutive times of reading. Apparently, we will be interested in finding the value of $\mathrm{TB}(P)$. Given the profile array PF you may assume the reading head is initially rested on the starting block of the first file that is going to be read, and thus $\mathrm{TB}(1) = 0$.

For example: let $K = 3, N = 12, L_1 = 5, L_2 = 3, L_3 = 4$, PF be 2, 3, 3. These three files will be stored to S as shown in Fig. 1.
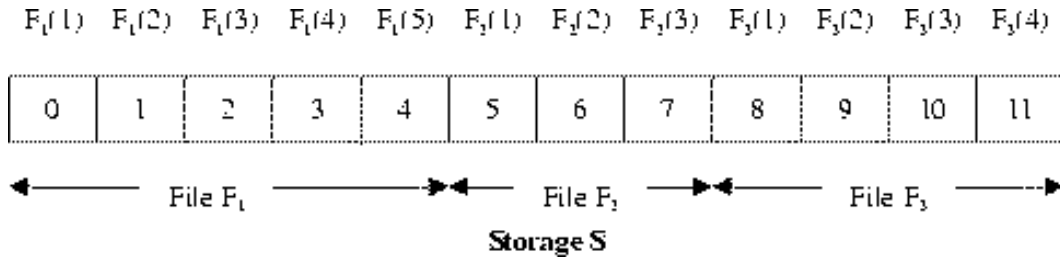

Fig. 1: An example of three files being stored in the storage S.

According to the given PF the reading head is initially rested on the second block of the first file, i.e., $F_1(2)$. When reading from S, the first time of reading is to read the second block of F_1, i.e., $F_1(2)$, which is located at position 1. At this time $\mathrm{TB}(1) = 0$. The second time of reading is to read the third block of F_2, i.e., $F_2(3)$, which is located at position 7. Thus, the total number of blocks that the reading head has to move for 2 consecutive times of reading, i.e., $\mathrm{TB}(2)$, is 6 blocks.

Similarly, the third time of reading is to read the third block of F_3, i.e., $F_3(3)$, which is located at position 10. This means that the reading head has to move 3 blocks for the third time of reading. Thus, the total number of blocks that the reading head has to move for 3 consecutive times of reading is 9 blocks, i.e., $\mathrm{TB}(3) = 0 + 6 + 3 = 9$ blocks. Similarly, the fourth time of reading is to read the third block of F_1, i.e., $F_1(3)$, which is located at position 2. This means that the reading head has to move 8 blocks for the fourth time of reading. Thus, the total number of blocks that the reading head has to move for 4 consecutive times of reading is 17 blocks, i.e., $\mathrm{TB}(4) = 0 + 6 + 3 + 8 = 17$ blocks.

Now given the parameters K, N, L_i, PF, P, please write a program to report the value of TB(P), where

K:	number of files,
N:	number of blocks in the storage S,
L_i:	the length of each file, where each value is separated by a blank,
PF:	array of K integers representing the starting block of the reading for each file where each value is separated by a blank, and
P:	number of the consecutive times of reading.

The range of each parameter is as below:
$1 \leq K \leq 10$
$1 \leq N \leq 1000$
$1 \leq L_i \leq 100$ for each i
$1 \leq$ entry in PF $\leq L_i$ for each file, and
$1 < P \leq 1000$.

Input

Contains $l + 2$ lines.

Line 1	l	the number of test cases
Line 2	$K\ N\ L_1\ L_2 \ldots L_k$ PF P	test case #1, 2K+3 decimal values each of which is separated by a blank
...		
Line $k + 1$	$K\ N\ L_1\ L_2 \ldots L_k$ PF P	test case #k
...		
Line $l + 1$	$K\ N\ L_1\ L_2 \ldots L_k$ PF P	test case #l
Line $l + 2$	-1	a constant -1 representing the end of the input file

Output

Contains l lines.

Line 1	output for the value of TB(P) at the test case #1
...	
Line k	output for the value of TB(P) at the test case #k
...	
Line l	output for the value of TB(P) at the test case #l

Sample Input

```
5
3 12 5 3 4 2 3 3 3
3 12 5 3 4 2 3 3 4
3 12 5 3 4 1 1 1 4
2 10 5 5 1 1 2
2 10 5 5 1 2 2
-1
```

Sample Output

```
9
17
15
5
6
```