# **Merge the Tools!**

Consider the following:

- A string, s, of length n where  $s = c_0 c_1 \dots c_{n-1}$ .
- An integer, k, where k is a factor of n.

We can split s into  $\frac{n}{k}$  subsegments where each subsegment,  $t_i$ , consists of a contiguous block of k characters in s. Then, use each  $t_i$  to create string  $u_i$  such that:

- ullet The characters in  $u_i$  are a subsequence of the characters in  $t_i$ .
- Any repeat occurrence of a character is removed from the string such that each character in  $u_i$  occurs exactly once. In other words, if the character at some index j in  $t_i$  occurs at a previous index < j in  $t_i$ , then do not include the character in string  $u_i$ .

Given s and k, print  $\frac{n}{k}$  lines where each line i denotes string  $u_i$ .

# **Input Format**

The first line contains a single string denoting s.

The second line contains an integer, k, denoting the length of each subsegment.

#### **Constraints**

- $1 \le n \le 10^4$ , where n is the length of s
- $1 \le k \le n$
- It is guaranteed that n is a multiple of k.

### **Output Format**

Print  $rac{n}{k}$  lines where each line i contains string  $u_i$ .

#### **Sample Input**

AABCAAADA 3

## **Sample Output**

AB CA AD

#### **Explanation**

String s is split into  $\frac{n}{k} = \frac{9}{3} = 3$  equal parts of length k = 3. We convert each  $t_i$  to  $u_i$  by removing any subsequent occurrences non-distinct characters in  $t_i$ :

1. 
$$t_0 = "AAB" \rightarrow u_0 = "AB"$$

2. 
$$t_1 = "\mathtt{CAA"} \rightarrow u_1 = "\mathtt{CA"}$$

3. 
$$t_2 = \texttt{"ADA"} o u_2 = \texttt{"AD"}$$

We then print each  $u_i$  on a new line.