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## neo-hookean

```
In[1]:= F = {{x00, x01, x02}, {x10, x11, x12}, {x20, x21, x22}};  
j = Det[F];  
trace = Tr[Transpose[F].F];  
  
psi = C * (trace / Power[j, 2/3] - 3) + D * (j - 1)^2;  
  
psiPrint = psi;  
psiPrint = psiPrint /. j -> J;  
psiPrint = psiPrint /. trace -> tr;  
psiPrint
```

```
Out[8]=  $D (-1 + J)^2 + C \left( -3 + \frac{\text{tr}}{J^{2/3}} \right)$ 
```

## gradient

```
In[9]:= dpsi = Function[x, D[psi, x]];
g = Map[dpsi, Flatten[F]];

gPrint = g;
gPrint = gPrint /. j -> J;
gPrint = gPrint /. trace -> tr;
```

```
Grid[Transpose[{gPrint}], {Frame -> All, Spacings -> 1.5 {1, 1}}]
```

Out[14]=

$2 D(-1 + J)(-x_{12} x_{21} + x_{11} x_{22}) + C \left( \frac{2 x_{00}}{J^{2/3}} - \frac{2 \operatorname{tr}(-x_{12} x_{21} + x_{11} x_{22})}{3 J^{5/3}} \right)$
$2 D(-1 + J)(x_{12} x_{20} - x_{10} x_{22}) + C \left( \frac{2 x_{01}}{J^{2/3}} - \frac{2 \operatorname{tr}(x_{12} x_{20} - x_{10} x_{22})}{3 J^{5/3}} \right)$
$2 D(-1 + J)(-x_{11} x_{20} + x_{10} x_{21}) + C \left( \frac{2 x_{02}}{J^{2/3}} - \frac{2 \operatorname{tr}(-x_{11} x_{20} + x_{10} x_{21})}{3 J^{5/3}} \right)$
$2 D(-1 + J)(x_{02} x_{21} - x_{01} x_{22}) + C \left( \frac{2 x_{10}}{J^{2/3}} - \frac{2 \operatorname{tr}(x_{02} x_{21} - x_{01} x_{22})}{3 J^{5/3}} \right)$
$2 D(-1 + J)(-x_{02} x_{20} + x_{00} x_{22}) + C \left( \frac{2 x_{11}}{J^{2/3}} - \frac{2 \operatorname{tr}(-x_{02} x_{20} + x_{00} x_{22})}{3 J^{5/3}} \right)$
$2 D(-1 + J)(x_{01} x_{20} - x_{00} x_{21}) + C \left( \frac{2 x_{12}}{J^{2/3}} - \frac{2 \operatorname{tr}(x_{01} x_{20} - x_{00} x_{21})}{3 J^{5/3}} \right)$
$2 D(-1 + J)(-x_{02} x_{11} + x_{01} x_{12}) + C \left( -\frac{2 \operatorname{tr}(-x_{02} x_{11} + x_{01} x_{12})}{3 J^{5/3}} + \frac{2 x_{20}}{J^{2/3}} \right)$
$2 D(-1 + J)(x_{02} x_{10} - x_{00} x_{12}) + C \left( -\frac{2 \operatorname{tr}(x_{02} x_{10} - x_{00} x_{12})}{3 J^{5/3}} + \frac{2 x_{21}}{J^{2/3}} \right)$
$2 D(-1 + J)(-x_{01} x_{10} + x_{00} x_{11}) + C \left( -\frac{2 \operatorname{tr}(-x_{01} x_{10} + x_{00} x_{11})}{3 J^{5/3}} + \frac{2 x_{22}}{J^{2/3}} \right)$