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Asigantura: Simulación.

Metodo Cuadrado Medio

```
In [28]: from collections import Counter
    from collections import defaultdict
    import random
    import psutil
    import numpy as np
    import pandas as pd
    import math
    import collections
    import matplotlib.pyplot as plt
```

```
In [29]:
          valores =[74731897457]
          arreglorn=[]
          def get_pos(digs):
              val1 =0
              val2 =0
              if digs%2 !=0:
                  val1 = int(digs/2)
                  val2 = int(digs/2)+1
              else:
                  val1 = int(digs/2)
                  val2 = int(digs/2)
              return val1,val2
          def calcular_num(iters, val, digs):
              x0_semilla = int(val)
              aum = get pos(digs)
              print("ITERACIÓN", "Xn", "Xn*Xn", "Longitud","Ui","Rn")
              for i in range(iters):
                  xn2= x0 semilla**2
                  lon = len(str(xn2))
                  ui = str(xn2)[int(lon/2)-aum[0]:int(lon/2)+aum[1]]
                  rn = int(ui)/10**digs
                  arreglorn.append(rn)
                  #df=pd.DataFrame({"Xn":x0_semilla, "Xn*Xn":xn2 ,"Longitud":lon, "UI ":ui, "R
                  print(i, " ", x0_semilla," ",xn2, " ", lon, " ",ui, " ", rn)
                  x0 semilla=int(ui)
              print(" ")
          iters = int(input("Iteraciones: "))
          digs = int(input("Ingrese el digito: "))
          for i in valores:
              print("i: ", i)
              calcular_num(iters, i, digs)
              print(" ")
```

```
Iteraciones: 100
Ingrese el digito: 7
i: 74731897457
ITERACIÓN Xn Xn*Xn Longitud Ui Rn
   74731897457
                 5584856497523563066849 22
                                              9752356
                                                        0.9752356
1
   9752356 95108447550736
                            14
                                   8447550
                                            0.844755
   8447550
             71361101002500
                              14
                                   1101002
                                            0.1101002
```

```
2205404
3
   1101002
            1212205404004
                          13
                                       0.2205404
4
   2205404
            4863806803216
                          13
                              3806803
                                       0.3806803
5
            14491749080809 14
   3806803
                              1749080 0.174908
6
   1749080 3059280846400 13 9280846
                                       0.9280846
7
   9280846 86134102475716 14 4102475 0.4102475
8
   4102475 16830301125625 14 0301125
                                        0.0301125
9
   301125 90676265625 11 6762656 0.6762656
    6762656 45733516174336 14 3516174 0.3516174
10
    3516174 12363479598276 14 3479598 0.3479598
11
    3479598 12107602241604 14 7602241 0.7602241
12
    7602241 57794068222081 14 4068222 0.4068222
13
    4068222 16550430241284 14 0430241 0.0430241
14
    430241 185107318081 12 1073180 0.107318
15
    1073180 1151715312400 13 1715312 0.1715312
16
    1715312 2942295257344 13 2295257 0.2295257
17
    2295257 5268204696049 13 8204696 0.8204696
18
    8204696 67317036452416 14 7036452 0.7036452
19
20
    7036452 49511656748304 14 1656748 0.1656748
    1656748 2744813935504 13 4813935 0.4813935
21
    4813935 23173970184225 14 3970184 0.3970184
22
    3970184 15762360993856 14 2360993 0.2360993
23
    2360993 5574287946049 13 4287946 0.4287946
24
25
    4287946 18386480898916 14 6480898 0.6480898
26
    6480898 42002038886404 14 2038886 0.2038886
27
    2038886 4157056120996 13 7056120 0.705612
28
    7056120 49788829454400 14 8829454 0.8829454
29
    8829454
            77959257938116 14 9257938 0.9257938
30
    9257938 85709416011844 14 9416011 0.9416011
    9416011
            88661263152121 14 1263152 0.1263152
31
    1263152
32
            1595552975104 13 5552975 0.5552975
    5552975
33
             30835531350625 14 5531350 0.553135
            30595832822500 14 5832822 0.5832822
34
    5531350
35
            34021812483684 14 1812483 0.1812483
    5832822
    1812483
36
            3285094625289 13 5094625 0.5094625
37
    5094625
            25955203890625
                          14 5203890 0.520389
             27080471132100 14 0471132 0.0471132
38
    5203890
           39
    471132
    9653614 93192263260996 14 2263260 0.226326
40
41
    2263260
           5122345827600 13 2345827 0.2345827
42
    2345827
            5502904313929 13 2904313 0.2904313
43
    2904313 8435034001969 13 5034001
                                        0.5034001
44
    5034001
            25341166068001 14 1166068 0.1166068
45
    1166068
            1359714580624 13 9714580 0.971458
46
    9714580
             94373064576400 14 3064576 0.3064576
47
    3064576
             9391626059776 13 1626059 0.1626059
48
    1626059
             2644067871481 13 4067871
                                        0.4067871
49
    4067871
             16547574472641 14 7574472
                                        0.7574472
50
    7574472
             57372626078784 14
                               2626078 0.2626078
51
    2626078
           6896285662084
                           13 6285662
                                       0.6285662
52
    6285662
             39509546778244 14 9546778 0.9546778
53
    9546778
             91140970181284 14 0970181
                                         0.0970181
54
    970181
            941251172761 12 2511727 0.2511727
55
    2511727
            6308772522529 13 8772522 0.8772522
56
    8772522
                               7142240 0.714224
            76957142240484 14
57
    7142240
             51011592217600 14 1592217 0.1592217
58
    1592217
             2535154975089 13 5154975 0.5154975
59
    5154975
             26573767250625 14 3767250 0.376725
60
    3767250
             14192172562500 14
                               2172562
                                         0.2172562
61
    2172562
             4720025643844 13 0025643
                                       0.0025643
62
    25643 657563449
                    9 5756344 0.5756344
             33135496246336 14 5496246
63
    5756344
                                         0.5496246
             30208720092516
64
    5496246
                           14
                                8720092
                                         0.8720092
             76040004488464 14
                                0004488
                                         0.0004488
65
    8720092
                       0142144
66
    4488
         20142144 8
                                0.0142144
            20204916736 11 2049167 0.2049167
67
    142144
68
    2049167
             4199085393889 13
                               9085393
                                       0.9085393
69
    9085393
             82544365964449 14
                                4365964
                                         0.4365964
70
    4365964
             19061641649296 14
                                1641649
                                         0.1641649
71
    1641649
             2695011439201
                           13
                               5011439
                                        0.5011439
```

```
5011439
                            14
72
             25114520850721
                                4520850
                                          0.452085
                           14
73
    4520850
             20438084722500
                                 8084722
                                          0.8084722
             65362729817284
74
                           14
                                2729817
    8084722
                                          0.2729817
75
    2729817
             7451900853489
                          13
                                1900853 0.1900853
76
    1900853
             3613242127609
                           13
                                3242127
                                         0.3242127
             10511387484129 14
77
    3242127
                                1387484
                                         0.1387484
    1387484
78
            1925111850256 13
                                5111850
                                        0.511185
79
    5111850 26131010422500 14
                                1010422 0.1010422
80
    1010422 1020952618084 13
                               0952618
                                        0.0952618
    952618 907481053924 12 4810539 0.4810539
81
82
    4810539 23141285470521 14 1285470
                                         0.128547
    1285470
83
             1652433120900 13
                                2433120 0.243312
                                0072934
                                         0.0072934
    2433120
             5920072934400 13
84
85
    72934 5319368356 10 1936835
                                   0.1936835
86
    1936835 3751329817225 13 1329817
                                         0.1329817
                              8413253
87
    1329817
           1768413253489 13
                                         0.8413253
88
    8413253
           70782826042009 14 2826042 0.2826042
89
    2826042 7986513385764 13 6513385
                                        0.6513385
90
    6513385 42424184158225 14 4184158 0.4184158
91
    4184158 17507178168964 14 7178168 0.7178168
92
    7178168 51526095836224 14 6095836 0.6095836
93
    6095836 37159216538896 14 9216538 0.9216538
    9216538 84944572705444 14 4572705 0.4572705
94
95
    4572705 20909631017025 14 9631017
                                         0.9631017
    9631017 92756488454289 14 6488454
96
                                          0.6488454
97
    6488454 42100035310116 14
                                0035310
                                          0.003531
    35310 1246796100 10
                           4679610 0.467961
98
99
                                8749752
    4679610
             21898749752100 14
                                         0.8749752
```

```
n= int (math.sqrt(len(arreglorn)))
In [24]:
          def clasificarNumeros(n,arregloRn):
               grupos = []
               inicio=0.00
               a=0
               b=1
               ranNumeros= {}
               for i in range(n+1):
                   grupos.append(round(inicio,2))
                   inicio=inicio+(1/n)
               for i in range(len(grupos)-1):
                   valInferior=grupos[a]
                   valSuperior=grupos[b]
                   ranNumeros.update({str(valInferior)+","+str(valSuperior):[]})
                   for i in arregloRn:
                       if i==0.00:
                           if i>=valInferior and i<= valSuperior:</pre>
                                ranNumeros[str(valInferior)+","+str(valSuperior)].append(i)
                       else:
                           if i>valInferior and i<= valSuperior:</pre>
                                ranNumeros[str(valInferior)+","+str(valSuperior)].append(i)
                   a=b
                   b=a+1
               return ranNumeros
```

```
In [26]:
    def chi_cuadrado(n,arreglorn):
        ei = []
        oi = []
        to = []
        for i in list(n.keys()):
            ei.append(i)
            oi.append(n[i])
            to.append((len(n) - n[i]) ** 2 / len(n))
```

```
d = {'Ei': ei, 'Oi': oi, "(Oi - Ei)²/Ei": to}
df = pd.DataFrame(data=d)
total = df['(Oi - Ei)²/Ei'].sum()
validacion = total < arreglorn
return df, total, validacion</pre>
```

```
In [32]:
          def plot_histrograma(dic):
              plt.figure(figsize=(15, 5))
              keys = dic.keys()
              values = dic.values()
              plt.bar(keys, values, color="red")
              plt.title("Histograma de los rangos")
              plt.show()
          semilla = 74731897457
          cantidad = 100
          digito = 7
          valor = 16.9
          lista = cuadrados_medios(cantidad, semilla, digito)
          dic = cantidad_lista(lista)
          plot_histrograma(dic)
          df, total, val = chi_cuadrado(dic, valor)
          sumaOi=sumaOi
          if sumaOi<=16.9:</pre>
              print('La distribución uniforme se acepta')
          else:
              print('La distribución uniforme no se acepta')
          print("Chi Cuadrado")
          df
```



Total de $(0i - Ei)^2/Ei$ 12.79999999999999 La distribución uniforme se acepta Chi Cuadrado

Out[32]:		Ei	Oi	(Oi – Ei) ² /Ei
	0	0.0-0.1	5	2.5
	1	0.1-0.2	16	3.6
	2	0.2-0.3	12	0.4
	3	0.3-0.4	6	1.6
	4	0.4-0.5	11	0.1
	5	0.5-0.6	9	0.1
	6	0.6-0.7	6	1.6

```
        Ei
        Oi
        (Oi – Ei)²/Ei

        7
        0.7-0.8
        5
        2.5

        8
        0.8-0.9
        8
        0.4

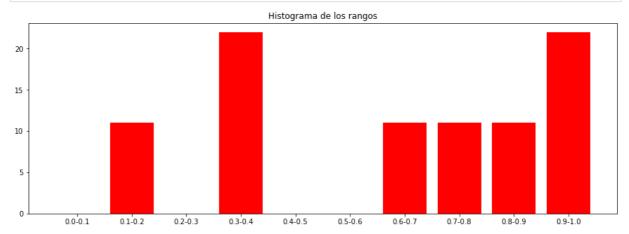
        9
        0.9-1.0
        10
        0.0
```

Metodo congruencia lineal

```
In [2]: | def m_congruencias_lineales(x, a, b, m):
            periodo = 0
            bandera = 0
            cont = 0
            xant = 0
            print("")
            print("Metodo Congruencias Lineales")
            print(" n ", " Xo ", " Un ", " Xn+1")
            while(bandera != x):
                if (periodo == 0):
                    bandera = x
                xant=x
                x = (a * x + b) % m
                print(" ", cont," ", xant," ", round(xant/m,4)," ", x)
                periodo = periodo + 1
                cont=cont+1
         def main():
            x = int(input("Introduce Xo: "))
            a = int(input("Introduce a: "))
            b = int(input("Introduce b: "))
            m = int(input("Introduce m: "))
            m_congruencias_lineales(x,a,b,m)
         if __name__ == "__main__":
            main()
        Introduce Xo: 7
        Introduce a: 74731897457
        Introduce b: 37747318974
        Introduce m: 19
        Metodo Congruencias Lineales
          n Xo
                    Un Xn+1
          0
               7
                    0.3684
                             17
          1
               17
                   0.8947
                               16
               16
                   0.8421
                               18
          3
               18
                    0.9474
                               14
                               3
          4
               14
                   0.7368
          5
                    0.1579
               3
          6
               6
                    0.3158
          7
                    0.0 12
               0
          8
               12
                   0.6316
        def chi_cuadrado(n,arreglorn):
In [3]:
            ei = []
            oi = []
            to = []
            for i in list(n.keys()):
                ei.append(i)
                oi.append(n[i])
                to.append((len(n) - n[i]) ** 2 / len(n))
            d = {'Ei': ei, 'Oi': oi, "(Oi - Ei)^2/Ei": to}
```

```
df = pd.DataFrame(data=d)
total = df['(Oi - Ei)²/Ei'].sum()
validacion = total < arreglorn
return df, total, validacion</pre>
```

```
def plot_histrograma(dic):
In [27]:
              plt.figure(figsize=(15, 5))
              keys = dic.keys()
              values = dic.values()
              plt.bar(keys, values, color="red")
              plt.title("Histograma de los rangos")
              plt.show()
          semilla = 74731897457
          cantidad = 100
          digito = 7
          valor = 16.9
          a=74731897457
          c=37747318974
          M = 19
          lista = congruencia(semilla, cantidad,a,c,M,digito)
          dic = cantidad_lista(lista)
          dic = cantidad_lista(lista)
          plot_histrograma(dic)
          df, total, val = chi_cuadrado(dic, valor)
          sumaOi=sumaOi
          if sumaOi<=16.9:</pre>
              print('La distribución uniforme se acepta')
          else:
              print('La distribución uniforme no se acepta')
          print("Chi Cuadrado")
```



La distribución uniforme no se acepta Chi Cuadrado

Out[27]:		Ei	Oi	(Oi – Ei) ² /Ei
	0	0.0-0.1	0	10.0
	1	0.1-0.2	11	0.1
	2	0.2-0.3	0	10.0
	3	0.3-0.4	22	14.4
	4	0.4-0.5	0	10.0
	5	0.5-0.6	0	10.0
	6	0.6-0.7	11	0.1

	Ei	Oi	(Oi – Ei) ² /Ei
7	0.7-0.8	11	0.1
8	0.8-0.9	11	0.1
9	0.9-1.0	22	14.4

In []: