STA5075: Practical 4

Jessica Stow (STWJES003@myuct.ac.za)

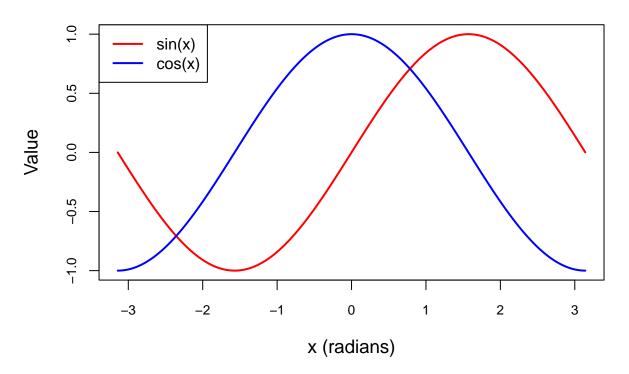
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Create a smooth version of the above sin function: increase the number of x-values at which f(x) is evaluated, e.g to 1000. Your final plot should:

- Plot the line directly, without points first. Increase line width, and change colour to red.
- Add the cos(x) line to the same plot, in blue.
- Improve the general look of the figure.

```
x <- seq(-pi, pi, length = 1000) # vector of 10 values between -pi
y \leftarrow \sin(x) \# \sin(x) for each x value
y2 \leftarrow cos(x) \# cos(x) for each x value
# plot sin(x) graph
plot(y ~ x,
     type = "1", # line plot
     col = "red", # colour of line = red
     main = "Plot of sin(x) and cos(x) graph", # add a title
     xlab = "x (radians)",
     ylab = "Value",
     cex.axis = 0.8,
     cex.lab = 1.2,
     lwd = 2
)
lines(x, y2, col = "blue", lwd = 2) # add <math>cos(x) points to existing graph
legend("topleft", legend = c("sin(x)", "cos(x)"),
       col = c("red", "blue"), lty = 1, lwd = 2)
```

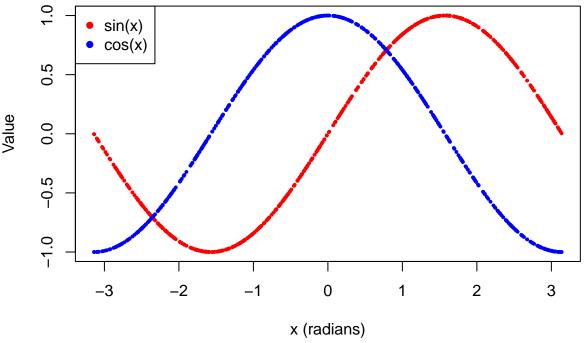
Plot of sin(x) and cos(x) graph



• What would happen if the x's were a random uniform sample between -pi and pi? Try

```
set.seed(123)
x_random \leftarrow runif(500, min = -pi, max = pi)
y_random <- sin(x_random)</pre>
y2_random <- cos(x_random)</pre>
# Plot sin(x)
plot(x_random, y_random,
     col = "red",
     cex = 0.6,
     pch = 20,
     main = "Scatterplot of sin(x) and cos(x) with Random uniform sample (x)",
     xlab = "x (radians)",
     ylab = "Value")
# add cos(x) points
points(x_random, y2_random, col = "blue", pch = 20, cex = 0.6)
# Add legend
legend("topleft",
       legend = c("sin(x)", "cos(x)"),
       col = c("red", "blue"),
       pch = 16)
```

Scatterplot of sin(x) and cos(x) with Random uniform sample (x)



We notice that the distribution is the same, and if we were to increase the number of randomly sampled values in the runif function then we would get a more continuous, smooth line (since we have more data points) and it will begin to resemble that of the first $\cos(x)$ and $\sin(x)$ graphs produced.