

## EWIIS3 2021

### ① Consumption tariff

MDP  $M = (S, A, R, \gamma)$

State space  $S = A \times B = \{(\alpha, \beta) \mid \alpha \in A, \beta \in B\}$

MUBP = mean usage-based price

$\text{MUBP}(c) = \text{average over all rates specified in a given consumption tariff}$

$$\text{MUBP}_{\min} = \min_c \text{MUBP}(c)$$

$c \in C = \{c_0, c_1, \dots, c_{n-1}\}$  (active consumption tariffs)

$c$  of EWIIS3:  $c^{\text{EWIIS3}}$

$\alpha$  = percentual deviation of EWIIS3's MUBP from active consumption tariff

$$\text{with lowest MUBP: } \alpha = \frac{\text{MUBP}_{\min} - \text{MUBP}(c^{\text{EWIIS3}})}{|\text{MUBP}_{\min}|}$$

In EWIIS3 2020: discrete "MUBP status" (MUBPS)

$\beta$  = periodic payment factor (PPF)

In EWIIS3 2020: PPF  $\in \{4, 6, 8, 10\}$

Here: e.g.,  $\beta \in \underbrace{[0, 10]}_B$ , same meaning as PPF

state  $s = (\alpha, \beta)$

Action space  $A = \{(\alpha', \beta') \mid \alpha' \in A, \beta' \in B\}$

↑ broker decides on how great it wants percentual dev. to  $\text{MUBP}_{\min}$  to be (?)

e.g. broker only decides on difference  $\Delta\alpha$  or factor  $\lambda_\alpha$ :

$$\alpha' = \underbrace{z \cdot \tanh(f(s)) + \alpha}_{\Delta\alpha} =$$

$$\tanh(\cdot) \in [-1, +1] \quad \begin{array}{c} +1 \\[-1ex] +.1 \end{array} \quad \begin{array}{c} -.1 \\[-1ex] -1 \end{array}$$

$$\alpha' = \underbrace{z \cdot \tanh(f(s))}_{\lambda_\alpha} \cdot \alpha =$$

$$z \cdot \tanh(\cdot) \in [-z, +z] \quad \begin{array}{c} +z \\[-1ex] +.1 \end{array} \quad \begin{array}{c} -.1 \\[-1ex] -z \end{array}$$

output of pre-activation  
neural network layer

Same transformation into time-of-use price scheme as before

except using  $\beta$  instead of PPF.

↙ e.g. looking at share factor  $s_t$

Whether to start a new iteration: not hardcoded but decided

by broker in each timeslot  $t$ :  $p_t \in [0, 1]$ . New iteration if  $p_t > 0.5$ .

No more consideration  
of residential share factors

$s_{\text{Brookside}_t}, s_{\text{Centerville}_t}$

$u_i$ : usage-based charges

$p_i$ : periodic charges

Reward:  $r_t = \begin{cases} \text{penalty} \\ \text{(e.g. } -200,000\text{)} & \text{if penalizeRevoke} \\ \sum_{i=t-s}^t (u_i + p_i) - \text{fees;} & \text{else} \end{cases}$

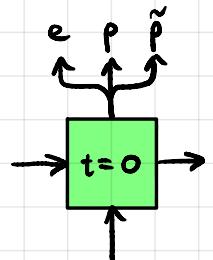
or:  $r_t = \begin{cases} \text{penalty} & \text{if penalizeRevoke} \\ 0 & \text{else} \end{cases}$   
for all  $t < T$ , and only final reward = final cash position ( $r_T$ )

## ② Wholesale / balancing markets

Action space:  $\{(t, e, p, \tilde{p}) \mid t \in \{1, \dots, 24\}, e \in ?, p \in ?, \tilde{p} \in [0, 1]\}$

timeslot  
electricity amount  
limit price  
whether to do limit order (0), market order (1)

Can be done recurrently:



How to integrate into rest of broker?

Use MCTS? What would that look like?

just as before, except p instead of PPF

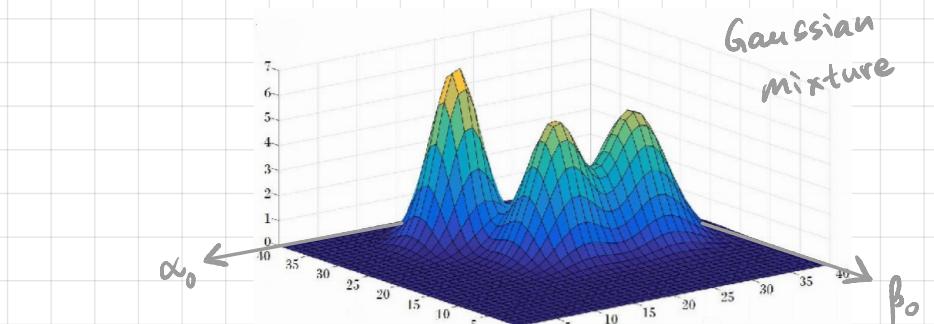
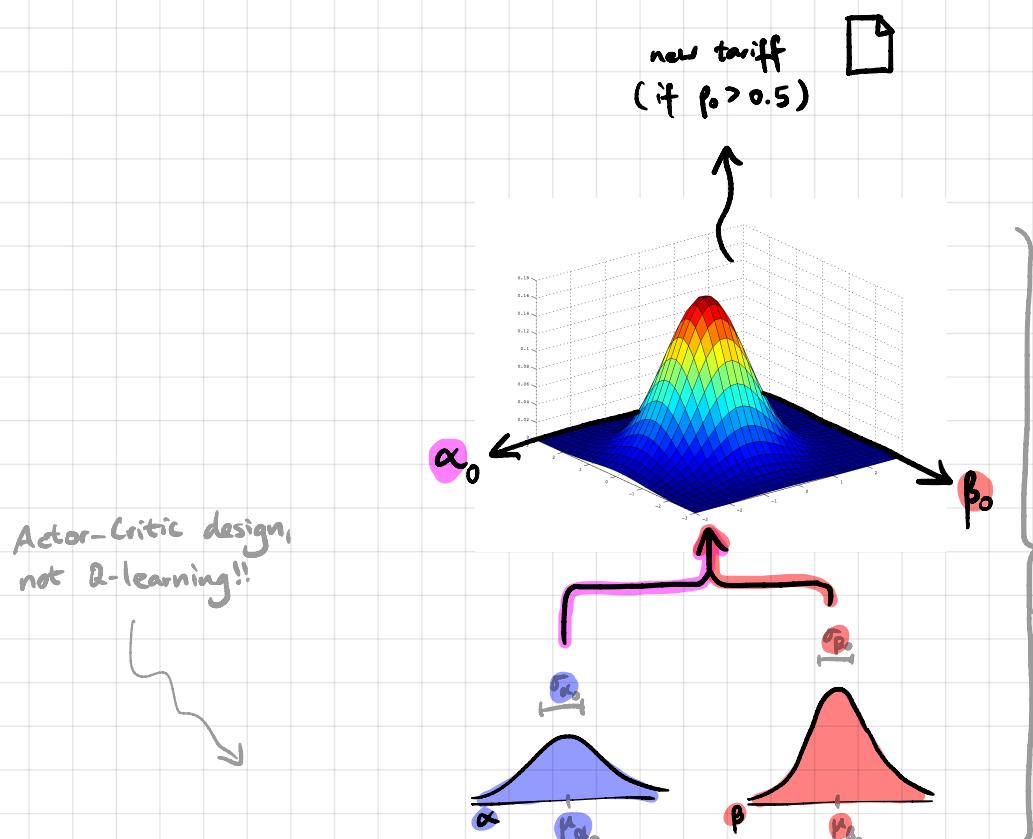
$$\left\{ \begin{array}{l} \text{rate}^{ud} = \text{MUBP} \cdot (\overline{D}^{ud} \odot \mu^{ud}) \\ \text{rate}^{ue} = \text{MUBP} \cdot (\overline{D}^{ue} \odot \mu^{ue}) \\ \text{payment} = \beta \cdot \text{MUBP} \end{array} \right.$$

Only  $\alpha$ : what does it look like for  $(\alpha, \beta)$ ?

$$p(\alpha) = \sum_{j=1}^k w_j \cdot p(\alpha_j)$$

$$\in [0,1] \quad \sum_{j=1}^k w_j = 1$$

$$\mu_{\alpha_j} \sim \mathcal{N}(\mu_{\alpha_j}, \Sigma_{\alpha_j})$$



or MoG to allow more complicated distributions?  
might be unnecessary though.  
I would start with simple Gaussian

