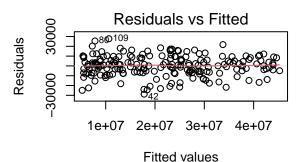
Real Estate

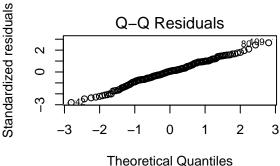
Frederick Jones

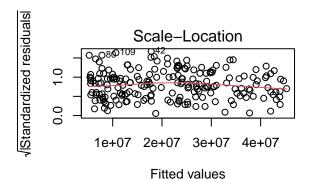
2023-11-20

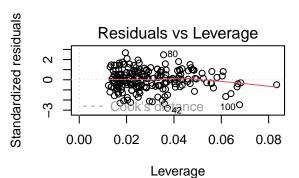
```
# Load necessary library
library(readr)
#Quadratic term: Size squared (SizeSq = Size^2) to capture the non-linear effect of size on price.
#Dichotomous term: Swimming Pool (Pool), a binary variable (1 if the house has a pool, 0 otherwise).
#Dichotomous vs. Quantitative interaction term: Interaction between Pool and Age (Pool*Age) to see if t
# Load the dataset
data <- read_csv("/cloud/project/real_estate_price_data.csv") # Replace with your actual file path
## Rows: 200 Columns: 6
## -- Column specification -----
## Delimiter: ","
## dbl (6): Size, SizeSq, Age, Pool, PoolAgeInteraction, Price
## i Use `spec()` to retrieve the full column specification for this data.
## i Specify the column types or set `show_col_types = FALSE` to quiet this message.
data$SizeSq <- data$Size^2</pre>
data$Pool <- as.factor(data$Pool) # Converting Pool to a factor</pre>
# Building the multiple regression model
model <- lm(Price ~ Size + SizeSq + Age + Pool + Pool:Age, data=data)</pre>
# Output the summary of the model
model_summary <- summary(model)</pre>
print(model_summary)
##
## lm(formula = Price ~ Size + SizeSq + Age + Pool + Pool:Age, data = data)
##
## Residuals:
       Min
                 1Q
                      Median
                                    3Q
                                            Max
## -28784.3 -6364.3
                                7613.1 27732.0
                        654.5
##
## Coefficients:
                Estimate Std. Error t value Pr(>|t|)
## (Intercept) 4.749e+04 1.000e+04
                                        4.750 3.96e-06 ***
               9.980e+01 9.999e+00
                                        9.981 < 2e-16 ***
## Size
## SizeSq
               5.000e+00 2.495e-03 2004.300 < 2e-16 ***
              -1.577e+02 1.388e+02
                                      -1.136
                                                 0.257
## Age
```

```
## Pool1
                9.856e+03 3.841e+03
                                        2.566
                                                 0.011 *
               -2.270e+02 2.040e+02
                                                 0.267
## Age:Pool1
                                       -1.113
                  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
## Signif. codes:
## Residual standard error: 10480 on 194 degrees of freedom
                            1, Adjusted R-squared:
## Multiple R-squared:
## F-statistic: 4.76e+07 on 5 and 194 DF, p-value: < 2.2e-16
# Interpretation of coefficients:
# Size: The effect of size on price, holding other factors constant.
# SizeSq: Captures the non-linear relationship of size with price.
# Age: Impact of age on price, controlling for other variables.
# Pool: Differential effect on price for houses with a pool vs. without.
# Pool: Age: Interaction effect showing how the impact of age on price differs for houses with a pool.
# Conducting Residual Analysis
par(mfrow=c(2,2))
plot(model)
```









```
\# The residual plots include:
```

- # 1. Residuals vs Fitted: Checks for non-linearity and homoscedasticity.
- # 2. Normal Q-Q: Checks for normality of residuals.
- # 3. Scale-Location: Checks for homoscedasticity.
- # 4. Residuals vs Leverage: Identifies influential cases.

Evaluating Model Appropriateness

- # If residuals are randomly distributed with no clear patterns, and Q-Q plot shows a roughly straight
- # If there are clear patterns, trends, or deviations from normality in the residual plots, this may s

#Answer : The model can be said to be appropriate since the Q-Q plot shows a roughly straight line