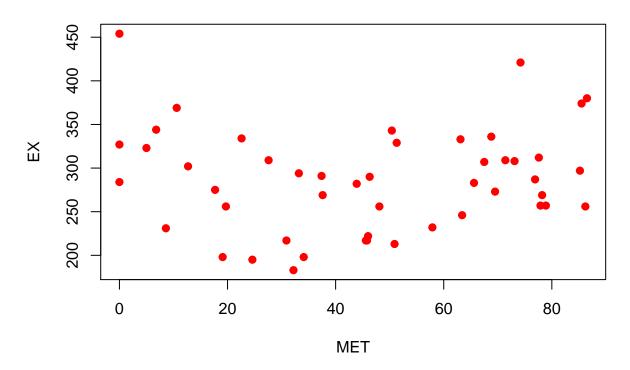
# Group\_A11\_Lab2

Obaid, Sridhar, Naveen 26 November 2018

Q3

Part 1

### **EX Vs MET Plot**

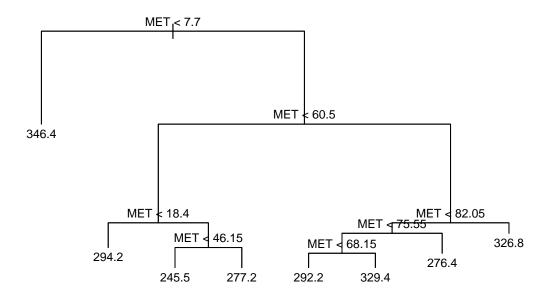


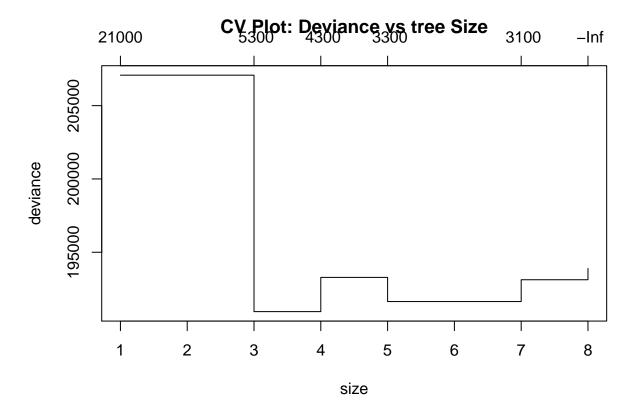
As we can see in the above plot, there is high variance among data as the data points are scattered. So linear of polynomial regression will not be a good fit to it. We think, decision trees would be good to fit for this data.

Part 2
Selection of tree using cross validation

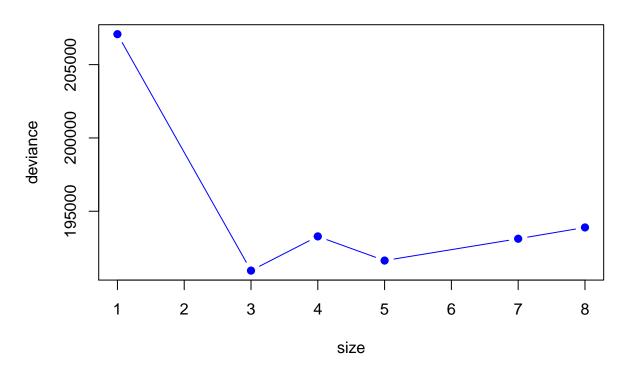
##

## Fitted Tree:





### **Deviance Vs Size**

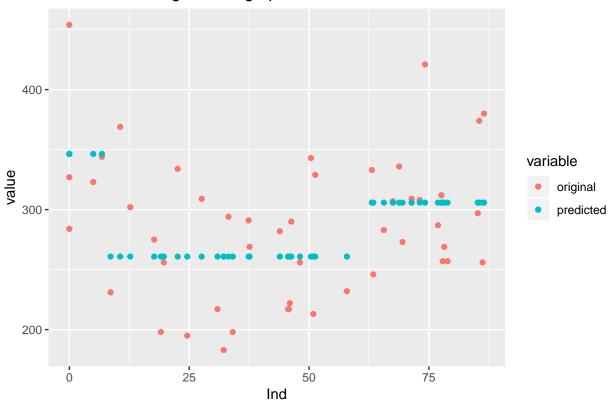


##
## Optimal tree: 3

As see from the CV plot of deviance vs size, the least deviance (174057.6) is at 3, therefore best size is 3.

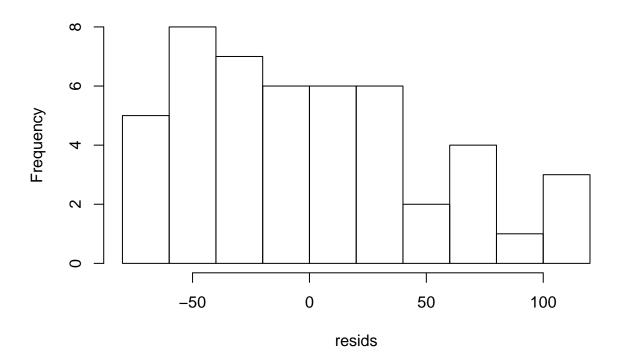
#### Predictions using best size





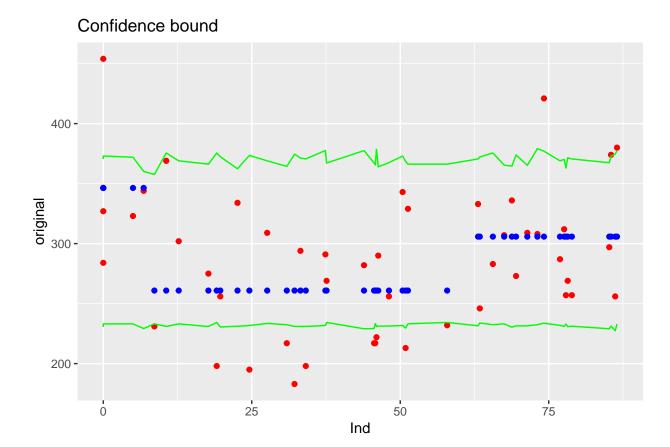
#### Histogramm of residuals

### Histogram of resids



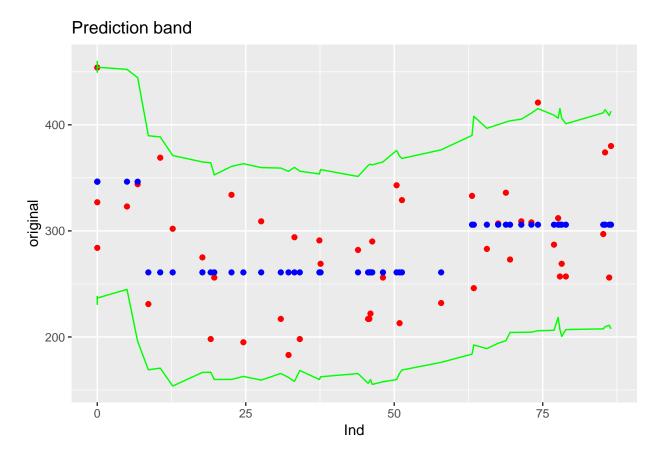
Residuals are not normally distributed and , in generally, models work better with more symmetrical or bell shaped distribution of residuals. This means ,in our case, fitting can be improved.

Part 395% Confidence band (Non-Parametric)



The band is not smooth, instead it is bumpy. The reason being, it is combination of different intervals calculated for different bootstrap iterations.

Part 495% Confidence band (Parametric)



The cofidence band for parametirc bootstrap is also bumpy.

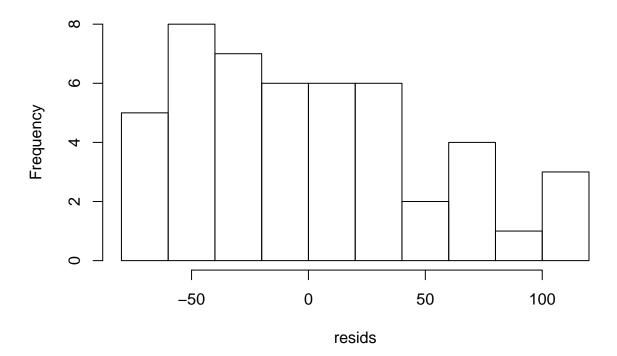
As the predictions we made in step 2 lie inside the prediction bounds therefore the model in step 2 appears reliable

As we can see formm the plot above, the prediction band contains almost all the data except some which is almost 5%.

#### Part 5

#### Histogram of residuals

## Histogram of resids



The histograms shows that, parametric booststrap is better than non-parametric bootstraping in this case. Because, as we saw in above graphs, the band for parametric bootstraping does not fit the data well.