### **Exercises 1b: MAE Unit 1**

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**Collaboration Info:** I have used some information from mathworks.com.

## **Exercise 5. Network connectivity.**

#### **Explanation:**

- (1) I created randomly two vectors x and y of N numbers from 1 to 100 and plotted them in red circles.
- (2) I created the matrix D by operating with two previously designed X and Y matrices using the meshgrid.
- (3) I stablished a maximum distance and used the function find to create two vectors F (for rows) and C (for columns) containing the indexes of the links with less than Dmax value in the matrix D.
- (4) First of all I added infinites to the diagonal and computed a horizontal vector with the minimum value of each column of D. Then I setted to 0 the poins in D with this values, and using the function find I got the indexes of them. Finally I plotted them.

#### MATLAB Code:

```
응응 (1)
N = 50;
x = round(100*rand(1,N));
y = round(100*rand(1,N));
plot(x,y, 0 r')
hold on;
응응 (2)
[X1,X2] = meshgrid(x,x);
[Y1,Y2] = meshgrid(y,y);
D = sqrt((X2-X1).^2+(Y2-Y1).^2);
응응 (3)
Dmax = 15;
[F,C] = find(D \le Dmax);
Mx = [x(F);x(C)];
My = [y(F);y(C)];
plot(Mx, My, 'b');
```

```
%% (4)

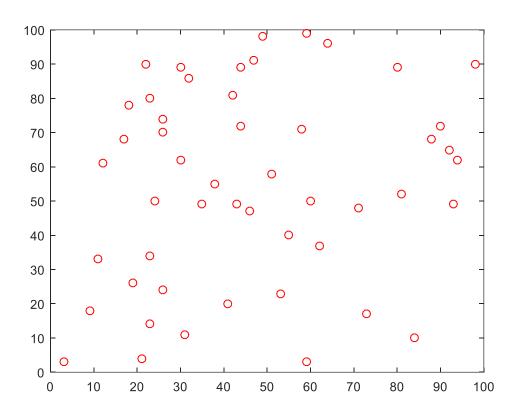
D1 = D + diag(inf*ones(1,N)); %infinits a la diagonal
Mins = min(D1,[],1); %minim de cada columna

D2 = D1-repmat(Mins,N,1); %Posem 0 a les connexions que són les mes
petites en la columna
[F1,C1] = find(D2==0);
Mx1 = [x(F1);x(C1)];
My1 = [y(F1);y(C1)];

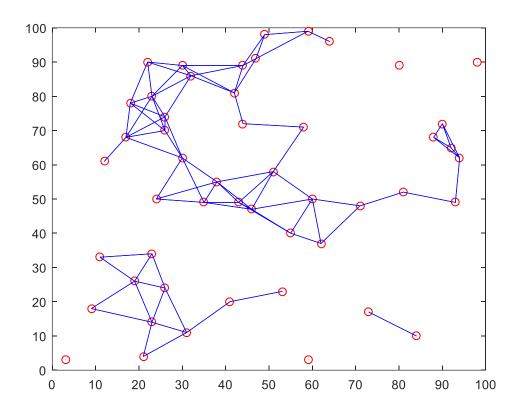
plot(Mx1,My1,'g','Linewidth',3);
```

### Results:

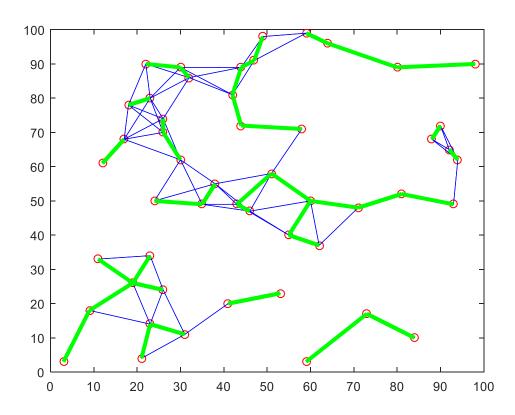
(1)



(3)



(4)



#### Exercise 6. Plots of two-dimensional functions.

#### Explanation:

- (1) In this first part I generated the three vectors (theta, f1 and f2) and plotted them in a 3D plot using the function plot.
- (2) First of all I created the -4:4 x -4:4 base square with the function meshgrid. Then, with 2 for loops I iterated the whole square and created a matrix with the square sum of the distances, founded the minimum of this matrix, founded the indexes of this minimum and added them to the new matrix Xc. Finally I ploted Xc and -Xc in function of f1 and f2.

#### MATLAB Code:

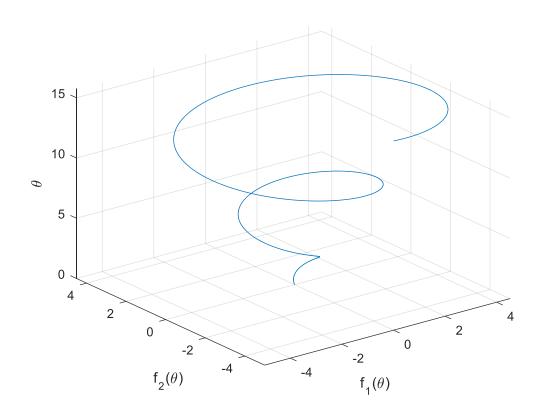
```
응응 (1)
theta = 0:pi/200:5*pi;
f1 = theta/pi.*sin(theta);
f2 = theta/pi.*cos(theta);
plot3(f1, f2, theta)
axis([min([f1,f2]),max([f1,f2]),min([f1,f2]),max([f1,f2]),min(theta),m
ax(theta)]);
xlabel('f_1(\theta)');
ylabel('f 2(\theta)');
zlabel('\theta');
grid on;
응응 (2)
[X2,X1] = meshgrid(-4:1/200:4);
theta = 0:pi/200:5*pi;
f1 = theta/pi.*sin(theta);
f2 = theta/pi.*cos(theta);
for i = 1:length(X1)
    for j = 1: length(X2)
        A = ((X1(i,j)-f1).^2+(X2(i,j)-f2).^2);
        c = \min(\min(A));
        Xc(i,j) = theta(find(A==c));
    end
    i/length(X1)*100 %this is just to see the percentatge of
completition and avoid waiting too much
end
figure(1)
mesh(X1, X2, Xc)
xlabel('X 1')
ylabel('X 2')
```

```
zlabel('X_c')
grid on;

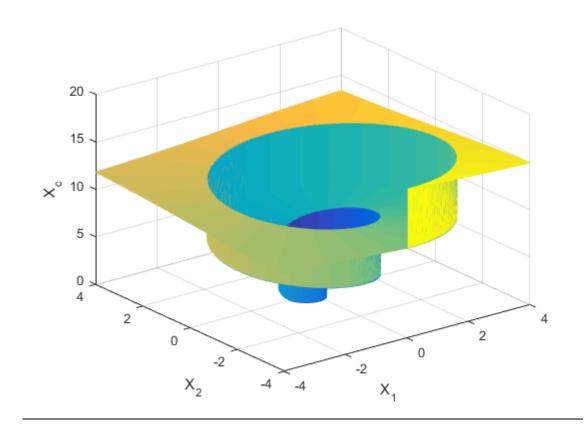
figure(2)
mesh(X1,X2,-Xc)
xlabel('X_1')
ylabel('X_2')
zlabel('-X_c')
grid on;
```

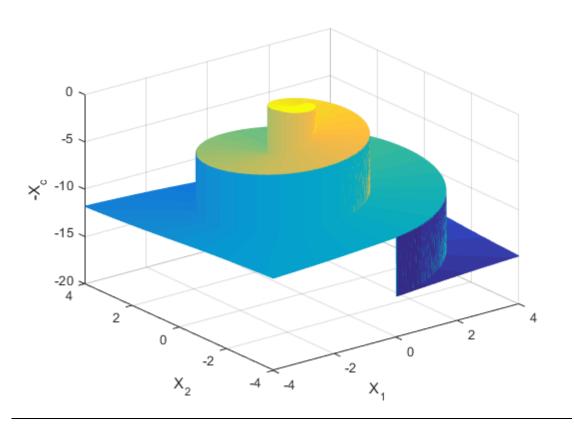
# Results:

(1)



(2)





Comments:

#### Exercise 7. Polygons and colours.

#### **Explanation:**

First of all, I decided to divide the square in 16x16. Then, I create each figure separately, with a vector for their X coordinates and another for Y coordinates. Then, I drawn them using function fill, and finally I place the letter in the center of the figure.

Once the compact figure was created, I edit each polygon separately in order to get the example final polygon.

#### MATLAB Code:

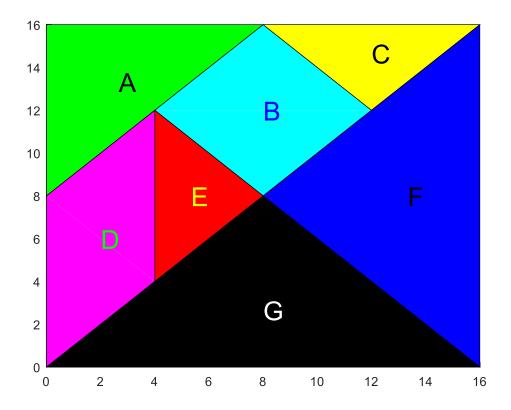
```
figure(1)
axis([0 16 0 16])
hold on;
Xa = [0 \ 0 \ 8];
Ya = [8 16 16];
fill(Xa, Ya, 'g')
text(sum(Xa)/length(Xa),sum(Ya)/length(Ya),'A','FontSize',20,'Color','
k')
응B
Xb = [4 \ 8 \ 12 \ 8];
Yb = [12 \ 16 \ 12 \ 8];
fill(Xb,Yb,'c')
text(sum(Xb)/length(Xb),sum(Yb)/length(Yb),'B','FontSize',20,'Color','
응C
Xc = [8 16 12];
Yc = [16 \ 16 \ 12];
fill(Xc,Yc,'y')
text(sum(Xc)/length(Xc),sum(Yc)/length(Yc),'C','FontSize',20,'Color','
k')
응D
Xd = [0 \ 4 \ 4 \ 0];
Yd = [8 12 4 0];
fill(Xd, Yd, 'm')
text(sum(Xd)/length(Xd),sum(Yd)/length(Yd),'D','FontSize',20,'Color','
g')
응E
Xe = [4 \ 4 \ 8];
Ye = [4 12 8];
fill(Xe,Ye,'r')
text(sum(Xe)/length(Xe), sum(Ye)/length(Ye), 'E', 'FontSize', 20, 'Color', '
%F
Xf = [8 16 16];
Yf = [8 16 0];
fill(Xf,Yf,'b')
text(sum(Xf)/length(Xf),sum(Yf)/length(Yf),'F','FontSize',20,'Color','
k')
```

```
응G
Xg = [0 \ 8 \ 16];
Yg = [0 8 0];
fill(Xg, Yg, 'k')
text(sum(Xg)/length(Xg),sum(Yg)/length(Yg),'G','FontSize',20,'Color','
hold off;
% Second part
figure(2)
hold on;
응A
Xa2 = Xa-3;
Ya2 = Ya+3;
fill(Xa2, Ya2, 'g')
text(sum(Xa2)/length(Xa2), sum(Ya2)/length(Ya2), 'A', 'FontSize', 20, 'Colo
r', 'k')
%B
Xb = [4 8 12 8];
Yb = [12 \ 16 \ 12 \ 8];
fill(Xb, Yb, 'c')
text(sum(Xb)/length(Xb),sum(Yb)/length(Yb),'B','FontSize',20,'Color','
b')
응C
Yc2 = Yc+4;
fill(Xc,Yc2,'y')
text(sum(Xc)/length(Xc), sum(Yc2)/length(Yc2), 'C', 'FontSize', 20, 'Color'
,'k')
응D
Xd2 = -Yd;
Yd2 = Xd;
D = fill(Xd2, Yd2, 'm');
text(sum(Xd2)/length(Xd2),sum(Yd2)/length(Yd2),'D','FontSize',20,'Colo
r', 'g')
응E
Xe = [4 \ 4 \ 8];
Ye = [4 12 8];
fill(Xe,Ye,'r')
text(sum(Xe)/length(Xe),sum(Ye)/length(Ye),'E','FontSize',20,'Color','
у')
응F
Xf2 = Xf+3;
Yf2 = Yf-3;
fill(Xf2,Yf2,'b')
text(sum(Xf2)/length(Xf2),sum(Yf2)/length(Yf2),'F','FontSize',20,'Colo
r', 'k')
왕G
Xg2 = Xg+3;
```

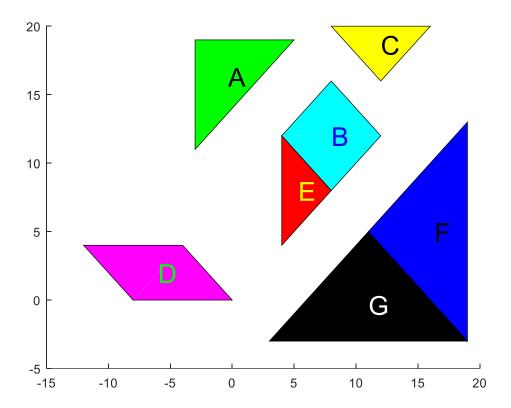
```
\label{eq:continuous} $$ Yg2 = Yg-3;$ fill (Xg2,Yg2,'k')$ text (sum(Xg2)/length(Xg2),sum(Yg2)/length(Yg2),'G','FontSize',20,'Color','w')$
```

### Results:

The result of the compacted figure is



And when the changes are applied we finally get.



# Comments: