

# Unification and Partial Evaluation for Component based Synthesis



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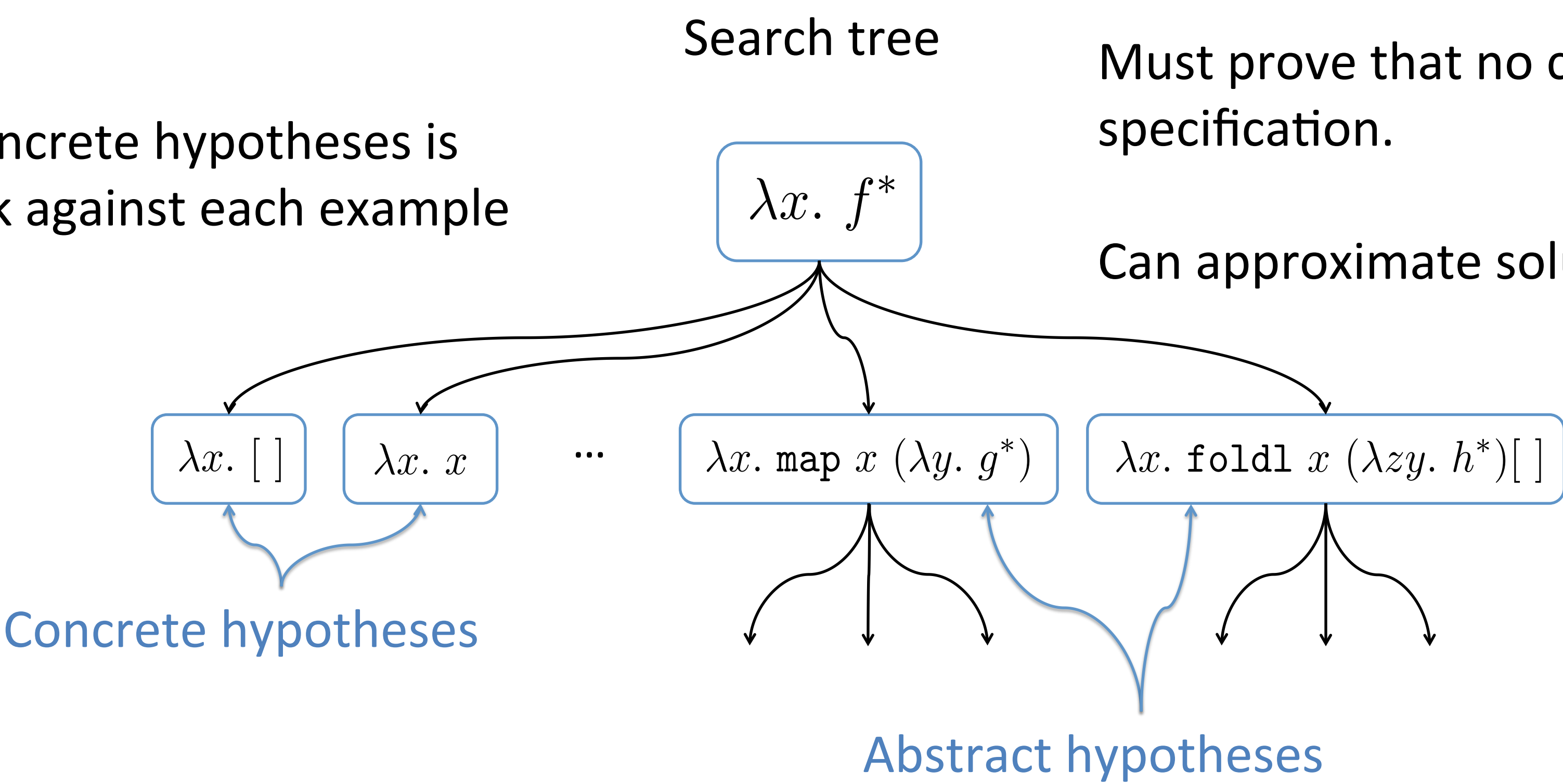
## IDEA

Using operators from existing programs to perform synthesis means writing the synthesis algorithm only once and thus saves considerable time and resources.

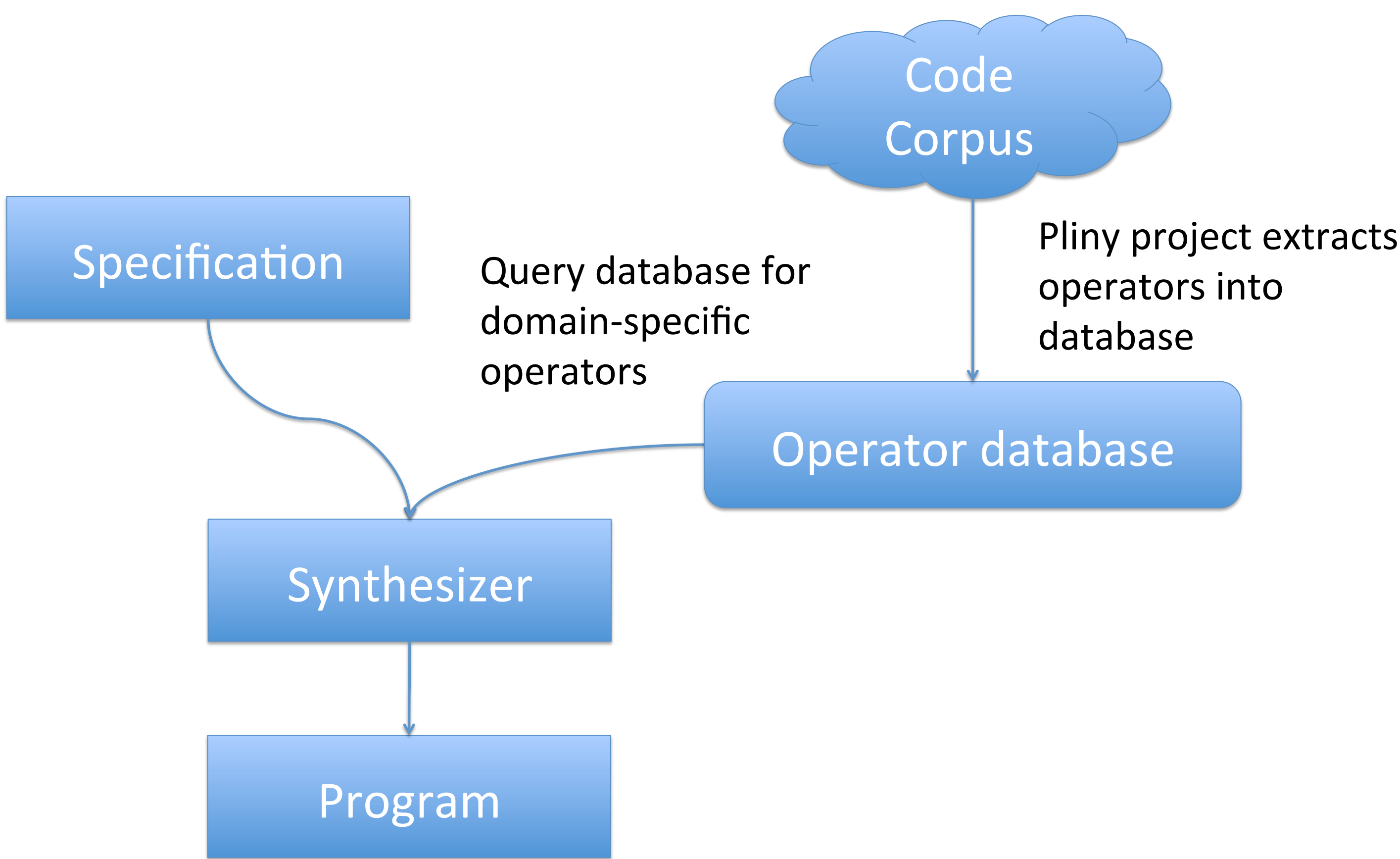
Program specification

$[] \rightarrow []$   
 $[2] \rightarrow [2]$   
 $[2\ 1] \rightarrow [1\ 2]$   
 $[2\ 1\ 3] \rightarrow [3\ 1\ 2]$

Pruning concrete hypotheses is easy: check against each example



Child hypothesis ↔ Assignment to holes in parent



How can we prune an abstract hypothesis?

Must prove that no child can satisfy specification.

Can approximate solution using unification.

## PROBLEM

A large set of operators causes an explosion in the size of the search space.

## SOLUTION

Use a new pruning technique to reduce the size of the search space, without relying on hand-coded information about operators.

## TECHNIQUE

For each abstract hypothesis  $H$  and input-output pair  $(i, o)$  determine whether there exists a substitution  $\sigma = \{x_1 \leftarrow y_1 \dots x_n \leftarrow y_n\}$  such that  $H[\sigma](i) = o$ . In general, this is a higher-order unification problem, so is undecidable.

We can approximate the solution using partial evaluation followed by syntactic unification. For each  $(i, o)$ , let  $H'$  be the result of partially evaluating  $H(i)$ . If  $H'$  does not unify with  $o$ , then  $\sigma$  does not exist. The partial evaluation step reduces the problem to first-order unification, which is efficiently decidable.

## Fraction of programs remaining after pruning

46% average reduction in number of programs examined

