Mesa is a built-in package in Python that creates ABM using the built-in components. Refer:

- https://mesa.readthedocs.io/en/stable/#:~:text=Mesa%20allows%20users%20to%20quickly,using%20Python%27s%20data%20analysis%20tools.
- https://buildmedia.readthedocs.org/media/pdf/mesa/pyconsprints/mesa.pdf
- https://mesa.readthedocs.io/en/stable/apis/space.html

Get started with \$pip install mesa

Import the Agent and Model classes of mesa from mesa import Agent, Model

Mesa.time handles the time component of the model. I contains schedulers that handles agent activations. RandomActivation is a scheduler that activates each agent once per step, in random order with order reshuffled every step

from mesa.time import RandomActivation

DataCollector is a standard way to collect data generated by a Mesa model. They can be model-level data, agent-level data and tables

from mesa.datacollection import DataCollector

To add spatial component to the model. Under Multigrid, each cell can contain a set of agents from mesa.space import MultiGrid

Random model in python defines a series of functions to generate and manipulate random integers

import random

Numpy helps in creating multidimensional arrays in Python. Np is an alias to numpy so we can use np later on in the codes instead of numpy import numpy as np

Sys stands for system specific parameter and functions import sys

matplotlib is the plotting library used for data visualizations and plotting the results and data from matplotlib.pyplot import *

Pandas has a data analysis library. And pd is alias for panda import pandas as pd

Itertools helps in creating iterations. Product returns the cartesian product from each iteration from itertools import product

Assigning arrays for the average of all 10 iterations:

Percentage sellers indicate that out of 500 agents 10% or 20% are sellers: 10% sellers = 50 sellers and 450 buyers

perc sellers=[10,20,30,40,50,60,70,80,90]

```
Percentage Value Increased: Was initially being considered in place of GFT: Not a part of the
model now
pvi all=[]
Percentage of agents trading: E.g. if 75 agents have traded then (75/500)*100
trade percent all=[]
Quantity of water held by sellers
water held all s=[]
Quantity of water held by buyers
water held all b=[]
Allowable water to divert by the sellers
water allow all s=[]
Allowable water to divert by the buyers
water_allow_all_b=[]
Average value of water held by sellers
av all s=[]
Average value of water held by buyers
av_all_b=[]
Overall GFT after 10 iterations:
gft all old=[]
gft_all_new=[]
For each round of iteration:
Range 10 indicates that the model will run 10 times for each drought number chosen below
for ppp in range(10):
If drought number is 50 it means agents 1 to 50 are sellers and agents 51 to 500 are buyers
       dr_num=[50,100,150,200,250,300,350,400,450]
Random seeds keep the characteristics of agents intact. They will not vary over rounds
       rand_seed=[11,13,15,17,19,21,23,25,27]
       rand_seed3=[10,12,14,16,18,20,22,24,26]
       rand seed2=[1,2,3,4,5,6,7,8,9]
Explained earlier:
       gft tot old=[]
       gft tot new=[]
       trade_percent=[]
       pvi=[]
```

water_held_tot_b=[]

Main simulation portion:

```
print('Try number: ',ii+1)
```

Initialise the class of an agent:

class MyAgent(Agent):

Initialization method:

Unique id is assigned to each agent, AV stands for average value, endow = c, slope and intercept stands for the same from the yield equation in the ABM, $c_b = \bar{c}$, $w_b = \bar{w}$, allow_h2o = allowable water to divert for each water right, exo_price = exogenous price, conur = consumptive use rate, h20 =actual water withdrawn, ret = return flow, distrib_combo = the array that determines the exact location of the diversion of a water right along a river, techno = technology, senior = seniority rank, field = land acreage, tot_h2o = h20 =actual water withdrawn * land acreage, river_m = river miles, yield is the production of the crop portfolio, revenue is the revenue generated from selling or purchasing a water right, pr_wtp = Willingness to Pay, pr_wta = Willingness to accept, pr_bid = Bid Price and pr_ask = Ask Price def init (self, unique id,

model,AV,endow,slope,intercept,c_b,w_b,allow_h2o,conu,exo_price,conur,h2o,ret,distrib_comb,techno,senior,field,tot_h2o,river_m,yield_agents,revenue,pr_wtp,pr_wta,pr_bid,pr_a sk):

```
super().__init__(unique_id, model)
self.AV = AV
self.endow = endow
self.slope = slope
self.intercept = intercept
self.river_m=river_m
self.c_b=c_b
self.w_b=w_b
self.allow_h2o=allow_h2o
self.conu=conu
self.exo_price=exo_price
self.conu=conur
self.h2o=h2o
```

```
self.ret=ret
self.distrib_comb=distrib_comb
self.techno=techno
self.senior=senior
self.field=field
self.tot_h2o=tot_h2o
self.yield_agents=yield_agents
self.revenue=revenue
self.pr_wtp=pr_wtp
self.pr_wta=pr_wta
self.pr_bid=pr_bid
self.pr_ask=pr_askType equation here.
self.price1=0.0 (Buying Price)
self.price2=0.0 (Selling Price)
self.gain=0.0
```

Self defines instance of a class. We check for if trade can happen: def trade(self):

```
#CASE 1: self=Seller and self.other agent=Buyer (the self-agent picked is a seller and the
other agent picked is a buyer)
if self.senior <= dr no and self.other agent.senior > dr no:
Buyer's bid price >= Sellers Ask price
if self.other agent.pr bid >= self.pr ask:
Then Market price = bid price
self.price2 = self.other agent.pr bid updating selling price of the Seller
self.other_agent.price1 = self.other_agent.pr_bid updating buying price of the Buyer
ss s[self.unique id]=self.AV*self.c b
abc=self.AV*self.c b
self.endow = self.endow - self.c b updating the consumptive use of Seller (initial endowment
= \bar{c} – amount sold (= \bar{c}) because sellers can sell everything or nothing at all
self.other agent.endow = self.other agent.endow + self.c b updating the consumptive use
of Buyer
pp[self.other agent.unique id]=self.other agent.price1 storing Buying price
qq[self.unique id]=self.price2 storing Selling price
self.gain = (self.other_agent.pr_wtp-self.pr_wta)*self.other_agent.endow Gain from one
transaction = (WTP - WTA)*amount sold
self.other agent.gain = (self.other agent.pr wtp-self.pr wta)*self.other agent.endow
rr[self.unique id]=self.gain storing gain of Seller
rr[self.other agent.unique id]=self.other agent.gain storing gain of Buyer
self.AV = -self.slope*self.endow + self.intercept updating the AV of Seller
self.other agent.AV = -self.other agent.slope*self.other agent.endow +
self.other agent.intercept updating the AV of Buyer
(Refer to the equations in the ABM for the AV for \bar{c} amount of water
cba=self.other agent.AV*(self.other agent.endow)
print(self.senior,self.other agent.senior,cba,abc)
ss b[self.other agent.unique id]=self.other agent.AV*(self.other agent.endow)
```

```
Removing the buyer from trade if the buyer has received \bar{c}
if self.other agent.endow == self.other agent.c b:
self.model.schedule.remove(self.other agent)
Removing the seller from trade if seller has already sold entire \bar{c}
if self.endow ==0:
self.model.schedule.remove(self)
If Bid Price of buyers < Ask Price of sellers (we check for if Ask Price <= WTP) Check
model for equations. The rest of the part is same.
elif self.other agent.pr bid < self.pr ask:
Selling Price = Ask Price
self.price2 = self.pr_ask
Buying Price = Bid Price
self.other_agent.price1 = self.pr_ask
ss s[self.unique id]=self.AV*self.c b
abc=self.AV*self.c b
self.endow = self.endow - self.c b
self.other_agent.endow = self.other_agent.endow + self.c_b
pp[self.other agent.unique id]=self.other agent.price1
qq[self.unique id]=self.price2
self.gain = (self.other agent.pr wtp-self.pr wta)*self.other agent.endow
self.other_agent.gain = (self.other_agent.pr_wtp-self.pr_wta)*self.other_agent.endow
rr[self.unique id]=self.gain
rr[self.other_agent.unique_id]=self.other_agent.gain
self.AV = -self.slope*self.endow + self.intercept
self.other agent.AV = -self.other agent.slope*self.other agent.endow +
self.other_agent.intercept
cba=self.other agent.AV*(self.other agent.endow)
print(self.senior,self.other_agent.senior,cba,abc)
ss b[self.other agent.unique id]=self.other agent.AV*(self.other agent.endow)
if self.other agent.endow == self.other agent.c b:
self.model.schedule.remove(self.other_agent
if self.endow ==0:
self.model.schedule.remove(self)
elif self.price2 > 0.0: if Seller has already traded in this iteration, then its Selling price should
not go to 0
qq[self.unique id]=self.price2 + 0.0
```

#CASE 2: self=Buyer and self.other agent=Seller

Absolutely similar to case 1 except the self would be buyer and other agent would be seller

There are two other cases: one in which both the agents picked are buyers and one in which both the agents picked are sellers. In both cases we have to ensure that the trade does not take place and the buying and selling prices are fixed at 0

```
elif self.senior > dr no and self.other agent.senior > dr no:
pp[self.unique id] = self.price1 + 0.0
qq[self.other agent.unique id] = self.other agent.price2 + 0.0
qq[self.unique id] = self.price2 + 0.0
pp[self.other agent.unique id] = self.other agent.price1 + 0.0
elif self.senior <= dr no and self.other agent.senior <= dr no:
pp[self.unique id] = self.price1 + 0.0
qq[self.other agent.unique id] = self.other agent.price2 + 0.0
gg[self.unique id] = self.price2 + 0.0
pp[self.other_agent.unique_id] = self.other_agent.price1 + 0.0
To check if agents can trade at all:
def step(self):
if self.AV > 0.0: If AV < 0 then the agent will not trade
self.trade() #function for trading
elif self.AV < 0.0:
pp[self.unique id]=0.0 #Buying price set to 0
qq[self.unique id]=0.0 #Selling price set to 0
else:
pass
We can assume the market price from either price 1 or price 2 as defined earlier because both
them are same in case of a transaction (The buying price and selling price is same)
def compute price(model):
agent_price = [agent.price1 for agent in model.schedule.agents]
return agent price
Use Trade model to initiate interaction and assign the values to the parameter of the
model:
class Trade Model(Model):
def__init__(self,N,cu,ex_price,trib_comb,riv_m,cur,water,ret_fl,tech,sen_id,land,tot_water,
seed=None):
Global variable is that outside of a function
global gamma (gamma refers to drought severity = 1 at the moment from the model)
Number of agents
self.num agents = N
Activate the iteraation
self.schedule = RandomActivation(self) #activation of the interaction
self.running = True
Initialising empty arrays
```

return_water=[] - Return Flow

```
avg val=[] – Average Value
endowment=[] – initial endowment of agents which is \bar{c}
sl=[] - Slope
interc=[] - Intercept
c bar=[] – The amount of water that would provide maximum yields
w_bar=[] - \overline{w} = \overline{c}/Consumptive use rate
allow water=[] – Amount of water that is allowed to be diverted
yield all=[] – total yield
rev=[] – Revenue generated from sell and purchase of water rights
P wtp=[] - Willingness to Pay
P wta=[] - Willingness to Accept
P_bid=[] - Bid Price
P_ask=[] - Ask Price
gamma=1.0
eps s=(dr no)/self.num agents - number of sellers is (dr no)
eps_b=(self.num_agents-(dr_no))/self.num_agents - number of buyers is (num_agents-
dr no+1)
for i in range(self.num agents):
if sen list[i] <= dr no: checking if sen id is less than dr no
sl.append(random.uniform(0,2)) – The slope ranges from 0 to 2 and is allotted randomly
interc.append(random.uniform(20,40)) – intercept ranges from 20 to 40 and is assigned
randomly
c bar.append(interc[i]/(2*sl[i])) – Obtained from the yield equation
endowment.append(c bar[i])
avg_val.append(interc[i]-sl[i]*endowment[i])
P wtp.append('NA')
P_wta.append(avg_val[i]*c_bar[i])
P bid.append('NA')
P_ask.append(P_wta[i]*(1+gamma*eps_b))
w bar.append(c bar[i]/cur[i])
return water.append(w bar[i]-c bar[i])
allow water.append(w bar[i]*land[i])
yield_all.append(interc[i]*c_bar[i]-sl[i]*(c_bar[i])**2)
rev.append(ex_price[i]*yield_all[i])
elif sen list[i] > dr no: checking if sen id is more than dr no
sl.append(random.uniform(0,2))
interc.append(random.uniform(20,40))#(2*sl[i]*cu[i])
c bar.append(interc[i]/(2*sl[i]))
endowment.append(0)
avg_val.append(interc[i]-sl[i]*endowment[i])
P wtp.append(avg val[i]*c bar[i])
P_wta.append('NA')
P_bid.append(P_wtp[i]*(1-gamma*eps_s))
P ask.append('NA')
```

```
w bar.append(c bar[i]/cur[i])
return water.append(w bar[i]-c bar[i])
allow water.append(w bar[i]*land[i])
yield_all.append(interc[i]*c_bar[i]-sl[i]*(c_bar[i])**2)
rev.append(ex price[i]*yield all[i])
for i in range(self.num agents): runs over all the agents (one at a time)
Initialising each agent
a =
MyAgent(i,self,avg val[i],endowment[i],sl[i],interc[i],c bar[i],w bar[i],allow water[i],cu[i],e
x price[i],cur[i],water[i],ret fl[i],trib comb[i],tech[i],sen list[i],land[i],tot water[i],riv m[i],y
ield all[i],rev[i],P wtp[i],P wta[i],P bid[i],P ask[i])
Adding to the scheduler
self.schedule.add(a)
For collecting the data
self.datacollector = DataCollector(
model reporters = {"Agent Price": compute price},
agent reporters={"Price1": "price1", "Price2": "price2", "Endowment": "endow", "AV":
"AV","Slope":"slope","Intercept":"intercept","c_bar":"c_b","w_bar":"w_b","Allowable_wate
r":"allow h2o", "gft": "gain", "Con use": "conu", "Exo price": "exo price", "Con use r": "conur"
,"Water":"h2o","Return":"ret","Trib comb":"distrib comb","Technology":"techno","Seniorit
y":"senior","Land":"field","Total water":"tot h2o","River m":"river m","Yield":"yield agen
ts","Revenue":"revenue","Pr wtp":"pr wtp","Pr wta":"pr wta","Pr bid":"pr bid","Pr ask":
"pr ask"})
Function for starting the interaction between agents
def mystep(self):
self.datacollector.collect(self)
self.schedule.step() #randomly starts trading
a = a once - input("How many agents?:")
b = 1000 - input("How many steps? : ")
num agents = int(a)
iterations = int(b)
num of agents=num agents
dr no =int(dr num[jj]) #int(num of agents/2 +1)
print('Random drought number is: ',dr_no)
Consumptive use amounts – Not used at the moment
num_list=[0.625,1.25,1.875,2.5,3.125,3.75,4.375,5
ex price list=[1,2,3,4,5,6,7,8] #crop list
tech list=[1,2,3,4,5,6] #technology list
sen_list=random.sample(range(1,num_of_agents+1),num_of_agents) -list of seniority id
low=0.001 -lower bound of consumptive use rate
high=0.999 -upper bound of consumptive use rate
```

```
land_low=2 -lower bound of amount of land
land high=172 -upper bound of amount of land
```

```
cu=[] -consumptive use
ex_price=[] -exogenous price of crop
cur=[] -consumptive use rate
water=[] -amount of water withdrawn
ret_fl=[] -return flow
tech=[] -technology
land=[] -amount of land
tot_water=[] -water*land
trib_comb=[] -tributary position
trib_comb_1=[] -temporary tributary position
trib_comb_list=[] -all possible tributary positions
riv_m_start=[] -start river miles range
riv_m_end=[] -end of river miles range
riv_m=[] -actual river miles for each agent
```

If you look at the tributary combination as depicted in that model document, you'll notice that the combination goes as follows--

1, 10, 11, 110, 111, 100, 101, 1100, 1101, 1110, 1111, 1000, 1001, 1010, 1011 [here 1 is main stream and then tributary to the right is 1 and to the left is 0]. So, if one looks closely one can see that these numbers are nothing but all the possible combinations of 0 and 1 of a given length (1,2,3...) and let us denote the length of the number by 'k'. But, the series does not have any number that starts with 0 (because main stream is denoted as 1). So, we just have to write a function that creates combinations of 0 and 1 of all the desired lengths (say, k=5) and stores them in an array. Then from that array only pick those numbers that start with a 1. Two functions have been defined 'printAllKLength' and 'printAllKLengthRec' which serve this purpose. The 'printAllKLengthRec' function recursively creates all those combinations and stores them in the array 'trib comb 1'. We actually call the function to create the array 'trib comb 1'. Then the for loop we pick the combinations starting with 1 and store them in the array 'trib comb list'. In the current code, we pick k=4 but k can be chosen to whatever number we want. Once we have the array of all possible combinations, then we go ahead and assign a combination randomly to each of the agents. One thing to note here is that this combination of numbers is symmetric. This implies that there is tributary to the right if there is a tributary to the left. Real life scenarios are not always symmetric. So, to introduce asymmetry we can randomly choose some number combinations from the trib comb list array and remove them. This way we can model real life scenarios more closely. Next, we need the 'river miles' for each agent. An agent with tributary combination '11101' should not have river miles more than an agent with tributary combination '101'. To make sure this does not happen, we fix a range of river miles depending on the length of the tributary combination number. So, in the code, if k=1 (i.e. the length of combination is 1) the range of river miles has to be in between 1 to 1000. If k=2 the range of river miles has to be between 1000 to 2000. Similarly, if k=3 the range of river miles has to be between 2000 to 3000 and so on. So, depending on the length of tributary combination (k) assigned to a particular agent, we generate two numbers and store them in 'riv m start' (corresponding to the start value of river miles) and 'riv m end' (corresponding to the end value of river miles). Then, for each agent we randomly choose a number within that range and store them in the array 'riv m'.

```
def printAllKLength(set, k):
       n = len(set)
       printAllKLengthRec(set, "", n, k)
def printAllKLengthRec(set, prefix, n, k):
       if (k == 0):
              trib_comb_1.append(prefix)
               return
       for i in range(n):
               newPrefix = prefix + set[i]
               printAllKLengthRec(set, newPrefix, n, k - 1)
set1=['0','1']
comb_no=5
for i in range(comb_no):
       k=i+1
       printAllKLength(set1,k)
trib_comb_1=np.array(trib_comb_1)
for i in range(len(trib_comb_1)):
       if trib_comb_1[i][0]=='1':
               trib_comb_list.append(trib_comb_1[i])
#print(trib_comb_list)
```