U. 2. Final Part II

Much the function created in the last problem (11.1.4) to calculate and return the values of Eu, Vx, and Ik. As we know from HW 9.2.1, to offer Vullet) from Vulte), we use

Va(z,t) = Re (Vace) & Jut], so apply this to our Va and In

n the HW, you reference, the subscript was a segment of a transmission line with the same characteristic noedance. Here the subscript is a differential element on a transmission line. You need to relate z to the k

we offering.

Vk(6) = Re [Uk e jut] and Ik (+) = Re [Ike jut]

Final Part_II. code. in executes this cock in part of the program.

1. Ploting Vu(+) at t=0 in Final-Part_II_ Figure-1. paf, we See that at t=0, Vx(t) and Ix(t) follow Vk and Ix exactley, as it 6=0, the cos(wt)=1. In addition, air the third subplot of Figure -1, we compare 26, with VEC+), and see that Soth match very well.

Figure 1 presents the solution for ZI = VL/2 for a matched supedance. as 20 = 12/2 as DZ \$ 0. for the transmition line, and the anglished of the waves do east see any reflection

In thyen -2, the love investance was dranged to Ze = 5 x VL/s to represent a uniqueter in impedence, where we see that the amplitud of Ve and Vect) has immere to account for the forward and reflected weres. In this case, we also see that Vact), Iselt), and Eult)

follow Ther courtesports Vie, I've and Ele

2. For t = (271/w)/y, The w (wt) = 0 as the w caucel, and

The costine function is evaluated at 27 or 90°. In this case,

as we can see in Figure - 3, Vac+) is out of place with the thre

wormspending 90°, and The war starts properting at N=0 with a value of 0.

The weard flat follows similar parters, and 2% and && (4) stell sentities.

In Figure - 4, 21 was changed to acate a misuater (2 = 5 × VIX)

with the transmission line. Same as in Figure - 2, the anglethole

of Vale) and Ia(4) has changed to incomposate the seflected war.

It is of retrest to note (some as in Figure - 2) that the imposable

of the Fransmission line drops to alwest 0 for most of the Transmission

have, except at values of 1 from 20, where the source sees 21

at this point (3sit should) with is N = 872 in our case.

Good observation.

Dissorte vs exact solution

1. for $Z_L = \sqrt{L/C}$ and $Z_0 = \sqrt{L/C}$, as the characterstic jumpedance of the transmiton line areal for the exact solution.

Figures 5 an 6 show The discrete $V_K(t)$, $J_K(t)$ and $Z_K V_S$. The exact $V_Z(t)$, $J_Z(t)$ and $Z_K(t) = \frac{V_Z(t)}{J_Z(t)}$ for t=0 and $t=(\frac{277}{N})/L_1$. In this figures we can observe how well the discrete solution matches the exact solution when Z_K is emboard. To the transmiton him superlance $Z_0 = V_{Z_K}$

2. For $3u \neq V \neq e$ in our case $3l = 5 + V \neq e$ we can observe in Figure 7 for t = 0 that $I_k(t)$ and $I_k(t)$ and $I_k(t)$ meatined quite well, but $V_k(t)$ devates from $V_k(t)$ squipmently. by Combast in Figure 8, when $t = \left(\frac{2\pi}{\omega}\right)/\sqrt{\sqrt{2}}$ $V_k(t)$ follows $V_k(t)$, while $I_k(t)$ devates from $I_k(t)$.

This must be due to the impadance of the exact transmitton line fixed at $Z_{10} = V''/c$, that we can see in Softer figures that it remains at 152, instead of Jeany close to 0 and only oven 552

The issue here is that Vk will never change. Vk(t) = Re(V'k e^jyt) where V'k is the complex voltage amplitudes. If you animate this, you will see Vk(t) is the V'k wave moving to the right.

Both Figues, however, show an encrease in Vollege and current amplitud.

Of subsect is to observe Figures 10, 11 and 12, where the exact calculation was done to allow the impedance of the transmission line to charge for each LC combination. In figure 10, we can see that the exact calculation of U2(t) and I2(t) change "fragmenty" as it progresses through the transmission line, referring to the velocity propagation of the wave changing at each 21 stage. As we discussed in the pratter discussion of problem 10.2 about the change in the propagation velocity changing the wavelength, and the wave seems to compress as it travels along the transmission line. Figures 11 and 12 show the result of this with an impedance missionated, at t=0 and t=(27)/4.

(4)

In the cases shown in Figure 10, 11 and 12, The impedance of the exact solution $Z(t) = \frac{V_{E}(t)}{I_{Z}(t)}$ matches the impedance of Z(t) and $Z(t) = \frac{V_{E}(t)}{I_{Z}(t)}$ matches the impedance of $Z(t) = \frac{V_{E}(t)}{I_{Z}(t)}$ and $Z(t) = \frac{V_{E}(t)}{I_{Z}(t)}$ of both the exact and discrete approximation denate from each other as N increases.

3. In the plots of Figure 9, we can observe how the error between Vk(t) and Vz(t) decreases when changing in from 0.1 to 0.01 and 0.001.

Good comparison