

Spring 2019

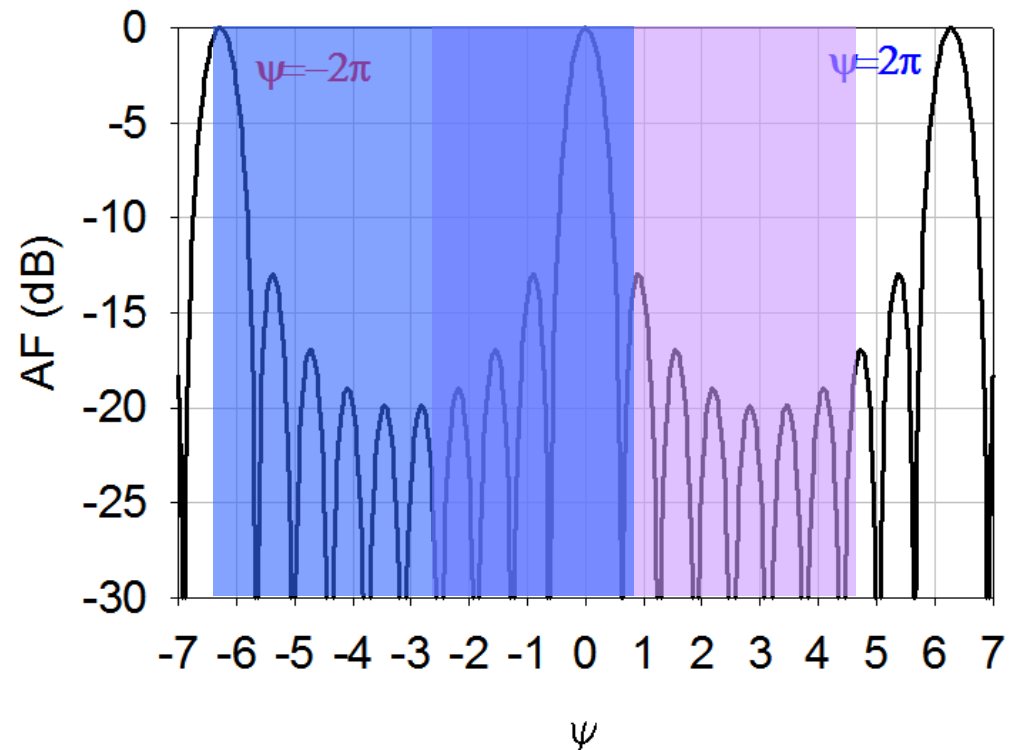


EECE 588
Lecture 15

Prof. Wonbin Hong

Grating Lobes

- As you see, as we change the phase shift of each antenna, the beam can be scanned.
- This means that we are changing the visible region dynamically and moving it around.
- The manifestation of this is the change in the direction of maximum radiation or electronic beam steering.



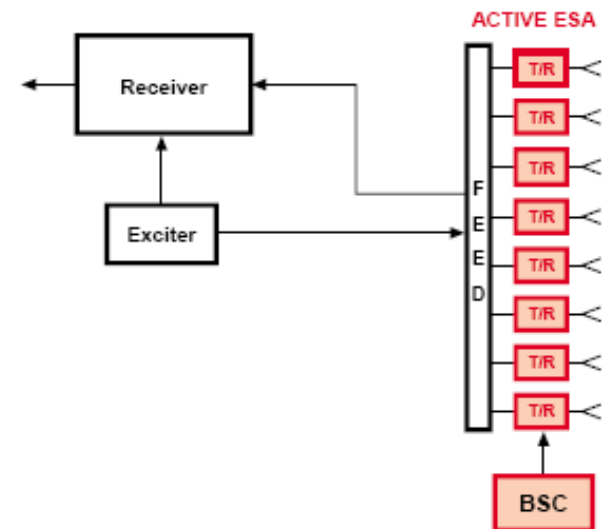
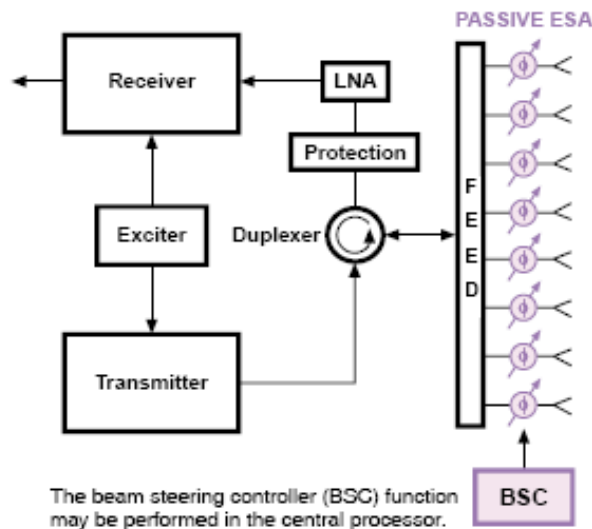
Grating Lobes

- To ensure that grating lobes are not excited we must ensure that the visible region **only** contains the main peak of the periodic array factor and not any other major peaks.
- To have the main beam of the antenna directed along θ_0 , the required phase shift is $\beta = -kd \cos \theta_0$.
 - Remember that the peak occurs for $\psi = 0$.
- Therefore, we have to ensure that ψ is between $\pm 2\pi$ ($-2\pi < \psi < 2\pi$).
- But maximum value of magnitude of ψ is $kd(1 + |\cos \theta|)$.
- Therefore, to have no grating lobes:

$$d < \frac{\lambda}{1 + |\cos \theta_0|}$$

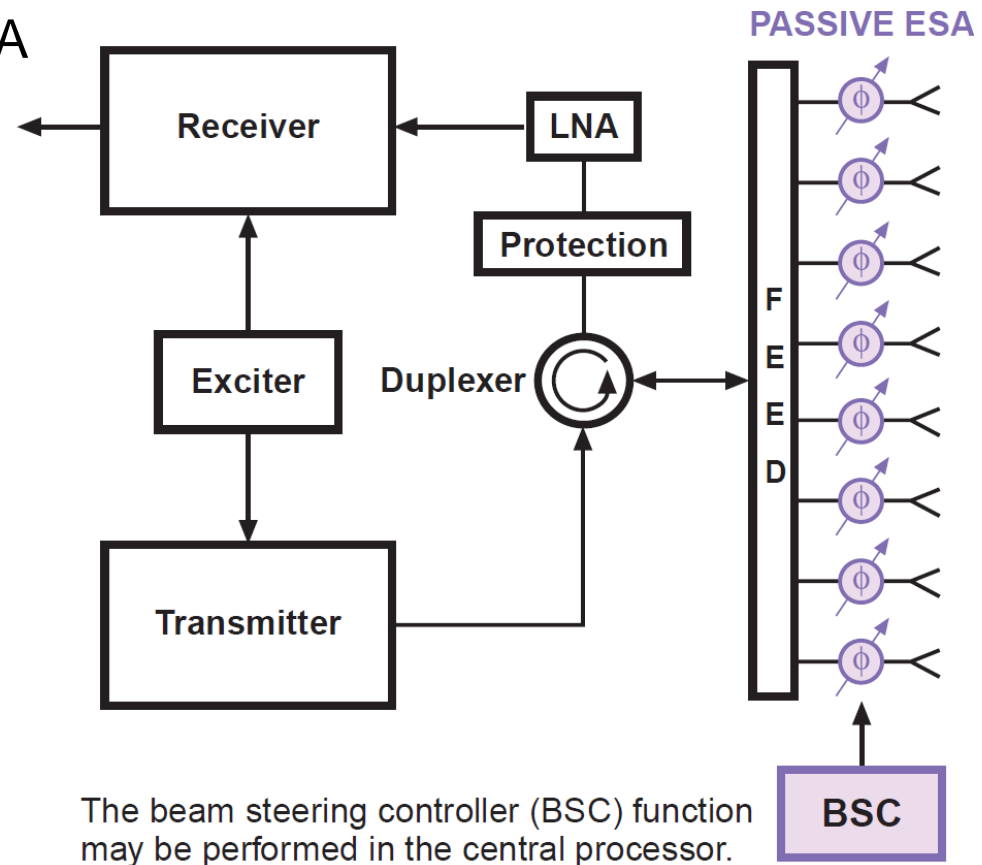
Phased Array Architectures

- Active Electronically Steered Antennas (AESA).
- Passive Electronically Steered Antennas (PESA).
- True-time-delay (TTD) ESAs.



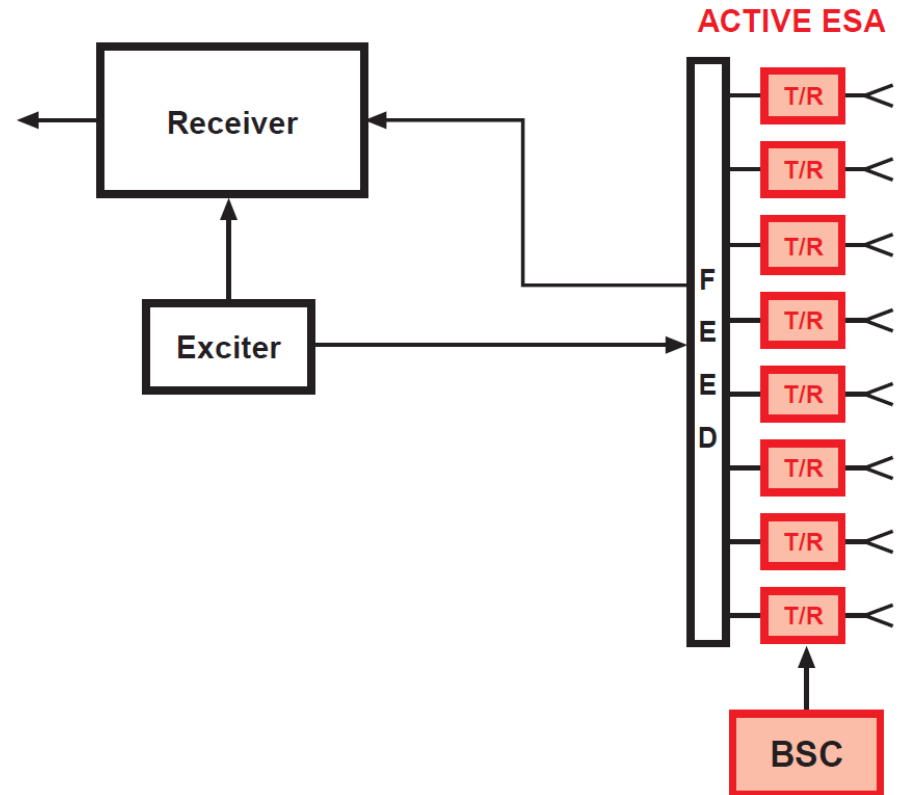
Passive ESA

- PESA is simpler than the AESA but more complex than a mechanically steered array (MSA).
- It operates in conjunction with the same sort of central transmitter and receiver as the MSA.
- To steer the beam formed by the array, an electronically controlled phase shifter is placed immediately behind each radiator.
- The phase shifter is controlled either by a local processor called the *beam steering controller (BSC)* or by the central processor of the array.



Active ESA

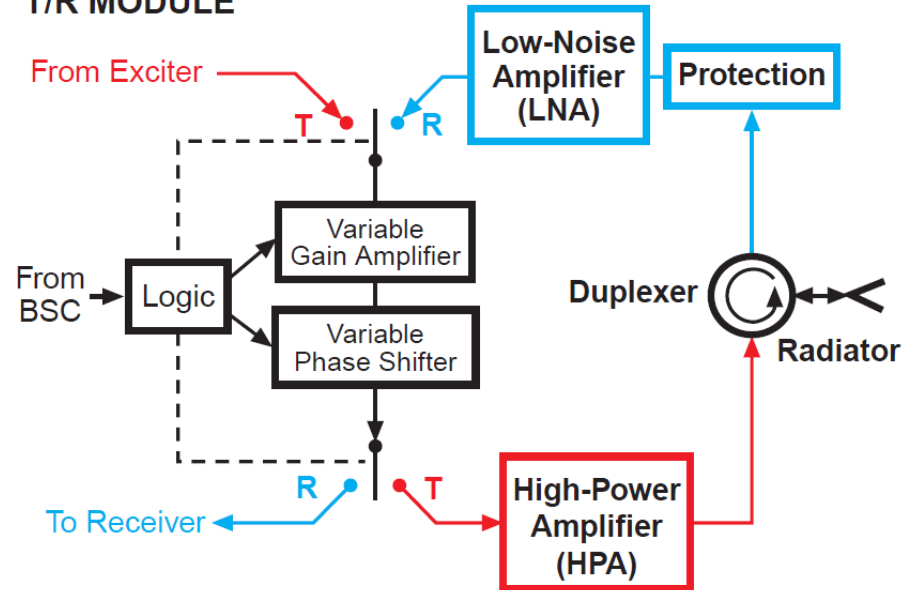
- The active ESA is an order of magnitude more complex than the passive ESA.
- Instead of a phase shifter, a tiny dedicated transmit/receive (T/R) module is placed directly behind each radiating element of the array.
- Within it, are both the transmitter power-amplifier function and the receiver front-end functions.



AESA

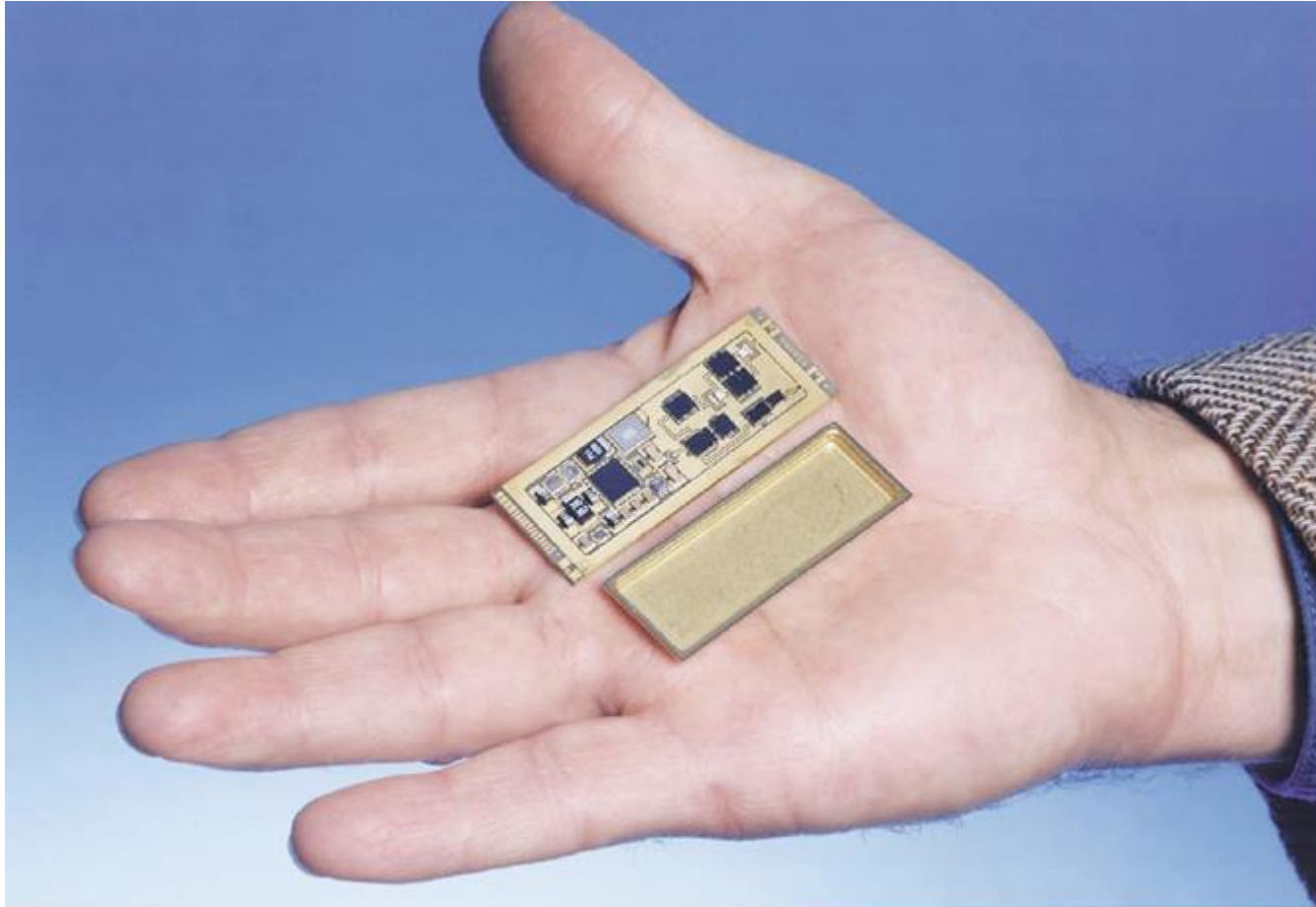
- The TR module is a complete 2-way radio system containing the following:
 - A multistage high power amplifier (HPA).
 - a duplexer (circulator).
 - a protection circuit to block any leakage of the transmitted pulses through the duplexer into the receiving channel.
 - a low-noise preamplifier (LNA) for the received signals.
- The RF input and output are passed through a variable gain amplifier and a variable phase shifter, which typically are time shared between transmission and reception.
- They, and the associated switches, are controlled by a logic circuit in accordance with commands received from the beam steering controller.
- To minimize the cost and the size, TR modules are usually implemented using integrated circuit technology.

T/R MODULE



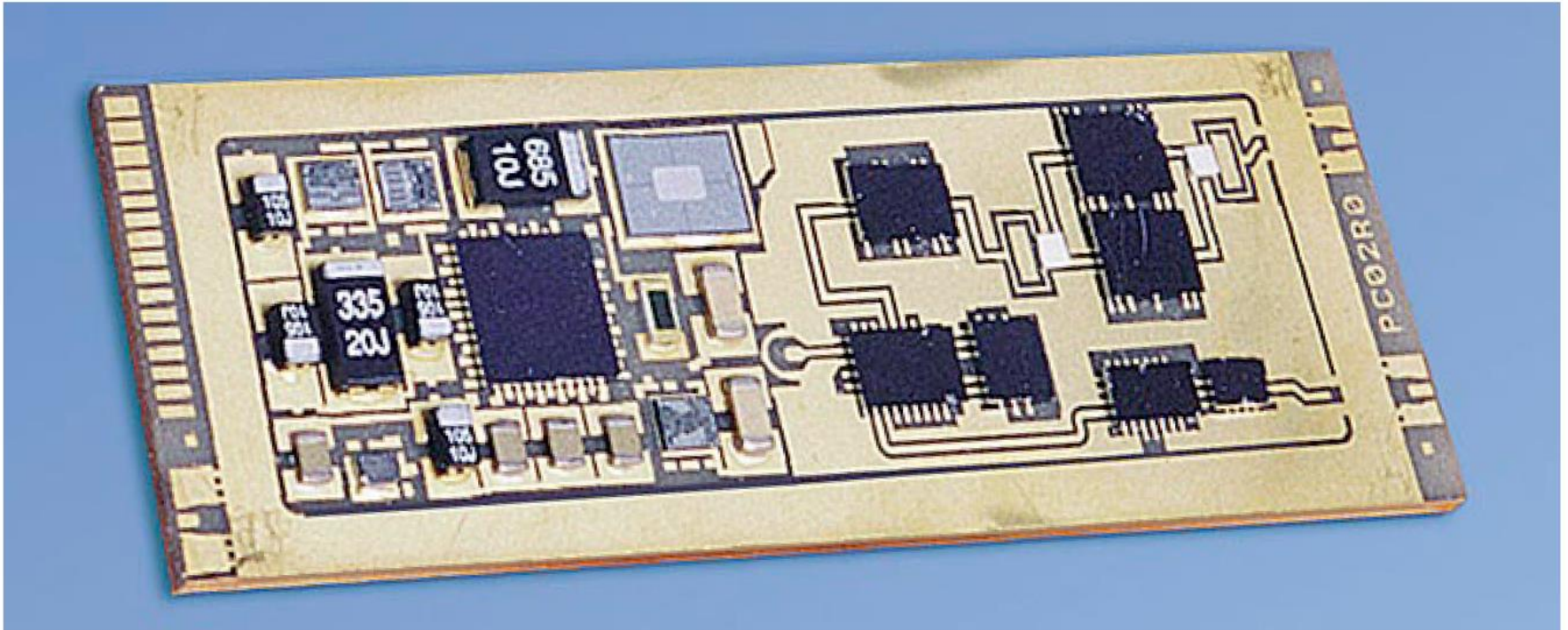
5. Basic functional elements of a T/R module. Variable gain amplifier, variable phase shifter, and switches are controlled by the logic element. They may be duplicated for transmit and receive, or time shared as shown here.

AESA

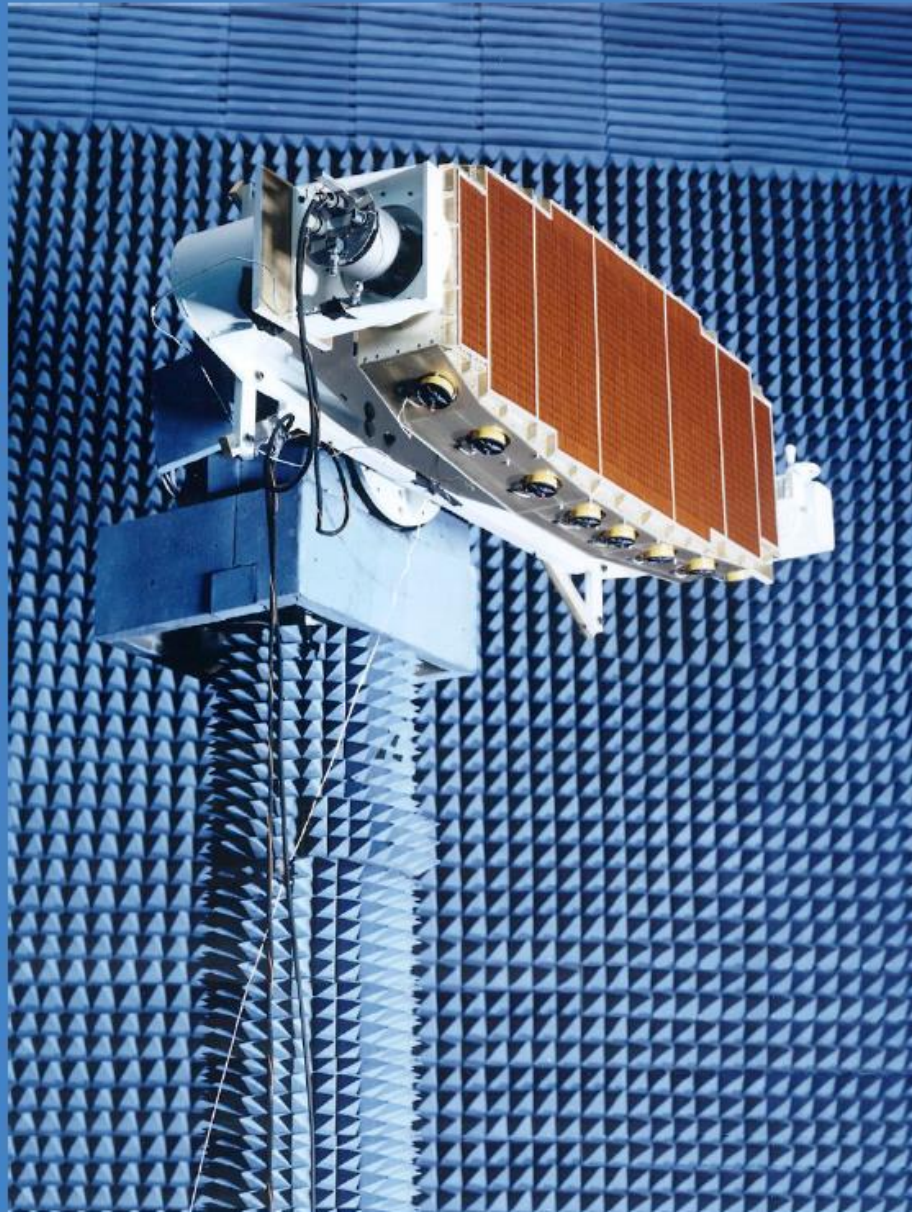


A representative T/R module. Even a fairly small ESA would include two to three thousand such modules.

T/R Modules



9. Closeup of a representative T/R module (cover removed). Integrated circuit chips are interconnected in a hybrid microcircuit.



SAR INDOOR TESTING

Passive ESA of the ultrahigh-resolution SAR radar for the U-2 reconnaissance aircraft undergoes tests in an indoor range.

True Time Delay

- TTD ESAs are electronically steered arrays where phase shifts for beam steering are obtained by varying the physical lengths of the feeds for the individual T/R modules.
- Generally, a fiber-optic feed is provided for each module.
- The time delay experienced by the signals in passing through the feed—hence their phase—is controlled by switching precisely cut lengths of fiber into or out of the feed.
- Advantages:
 - Avoid the BW limitations that are inherent in electronic phase shifting.
 - This way, extremely wide instantaneous bandwidths can be achieved for arrays.

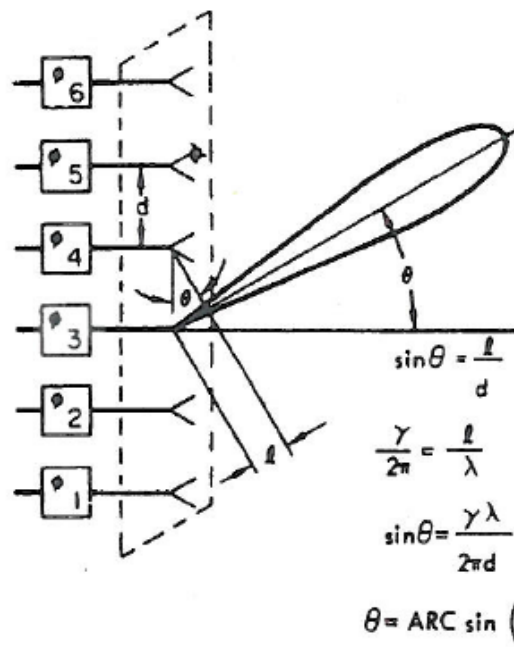
- The receiver and transmitter are located immediately behind the radiators. This essentially eliminates the effect of losses both in the antenna feed system and the phase shifters.
- In AESA, the net receiver noise figure is established by the LNA. It can be designed to have a very low noise figure.
- Comparatively in PESA it is established by losses in the phase shifter and feed network.
- Loss of transmit power is similarly reduced.
 - In PESAs, very high power and high efficiency TWTs are used. So this one might not be as bad.
- Control over the amplitude and the phase of individual radiators in both transmit and receive.
 - This provides a superior beam-shape agility.
- Multiple beam operation. Divide the aperture into several sub apertures & provide appropriate feeds.
- Through suitable T/R module design, independently steerable beams of widely different frequencies may simultaneously share the entire array.

More about Phased Arrays

- Electronic beam scanning techniques can be divided into four different categories:
 - Phase scanning.
 - Real time scanning.
 - Frequency scanning.
 - Electronic feed switching.
- We will give examples of these in the next few slides. The figures are borrowed from the following books:
 - Phased Array Antenna Handbook by R. Mailloux, Artech House, 2005, 2nd Edition, Norwood, MA.
 - Practical Phased Array Antenna Systems by Eli Brookner, 1991, Artech House, Illustrated Edition.

Phase Scanning

- This is similar to what we already discussed. The AESA and PESA architectures that we showed were both examples of this type of beam scanning array.



ϕ_s = ELECTRICAL DEGREES

$$\gamma = \phi_1 - \phi_2 - \phi_2 - \phi_3 =$$

= DIFFERENTIAL PHASE SHIFT
= SPACE ANGLE

d = INTERELEMENT SPACING

λ = FREE SPACE WAVELENGTH

θ = BEAM POSITION RELATIVE TO BROADSIDE

$$\sin \theta = \frac{l}{d}$$

$$\frac{\gamma}{2\pi} = \frac{l}{\lambda}$$

$$\sin \theta = \frac{\gamma \lambda}{2\pi d}$$

$$\theta = \text{ARC sin} \left(\frac{\gamma \lambda}{2\pi d} \right)$$

Fig 1-2. Basic operation of a phase scanning system. Note that beam direction depends on phase shift between elements

Continuous Phase Scanning

- Continuous phase scanning is accomplished by exciting all radiating elements coherently with a small frequency increment between them.
- The beam is continuously scanned at the rate of f .
- Think about it this way,
 - $\cos(\omega_0 t + \beta) = \cos([\omega_0 + \Delta\omega]t) \rightarrow \beta = \Delta\omega t$.
 - The array is excited with a progressive phase of $\Delta\omega t$. This changes with time and consequently, the beam's direction changes with time.

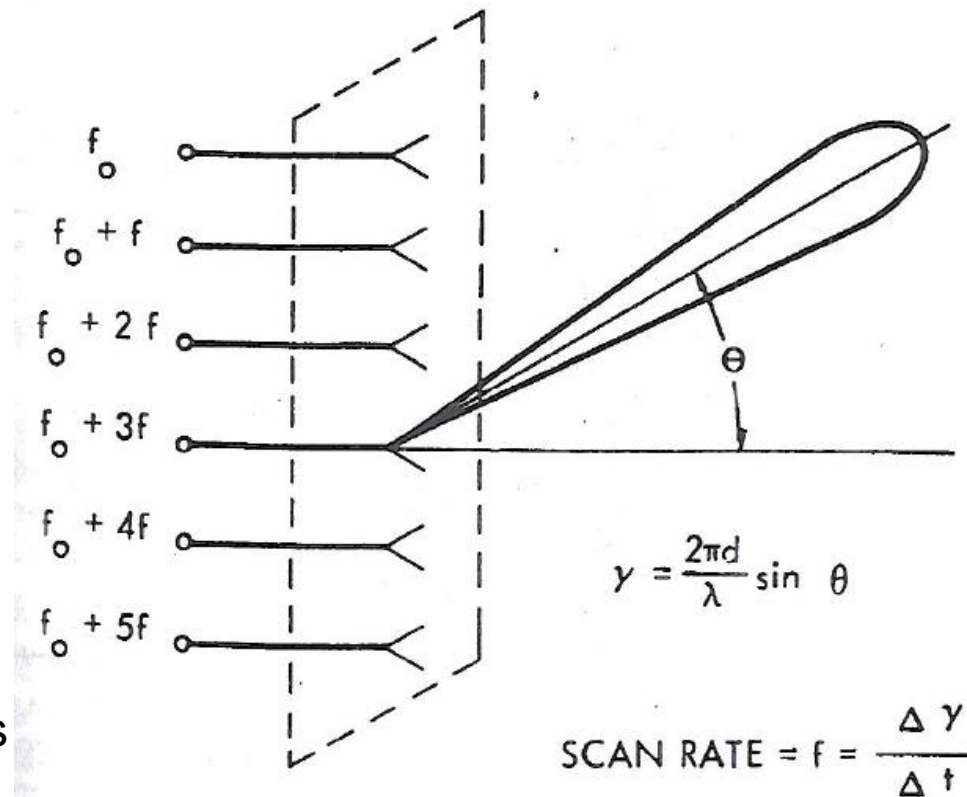


Fig 1-3 Continuous phase scanning

True Time Delay Beam Scanning

- TTD is necessary in beam scanning systems using wideband signals.

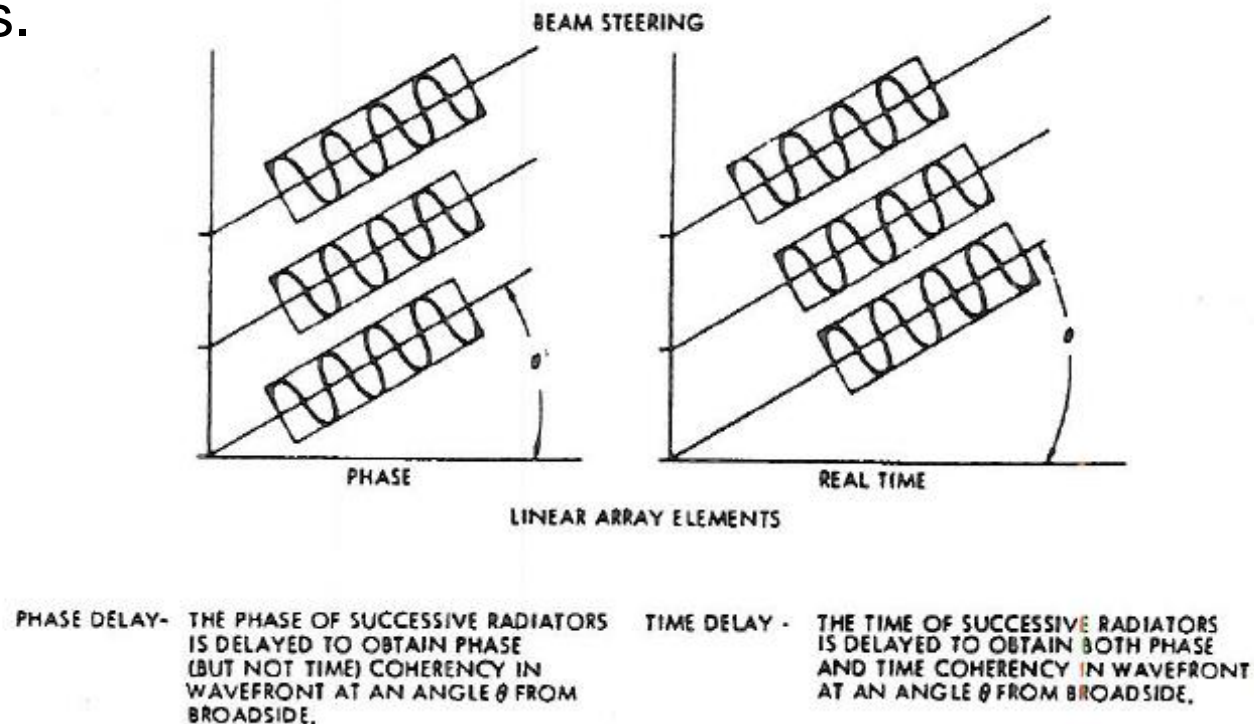
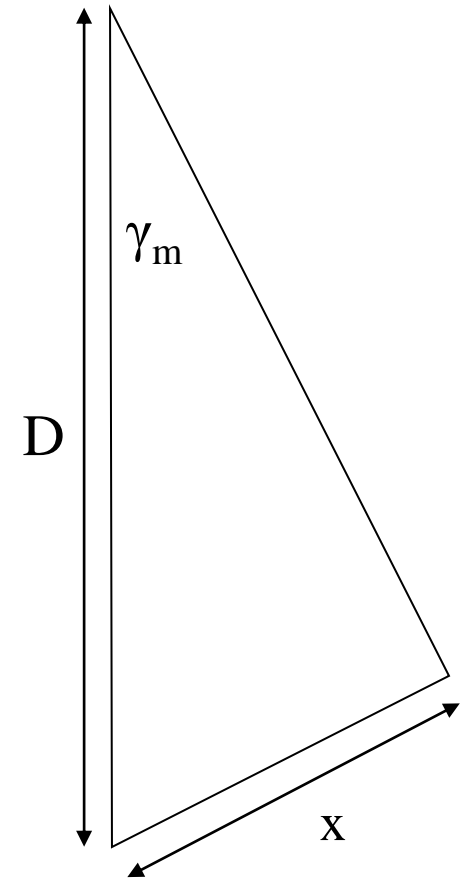


Fig 1-4 Comparison of phase and real time scanning

Bandwidth of Phase Scanning Systems

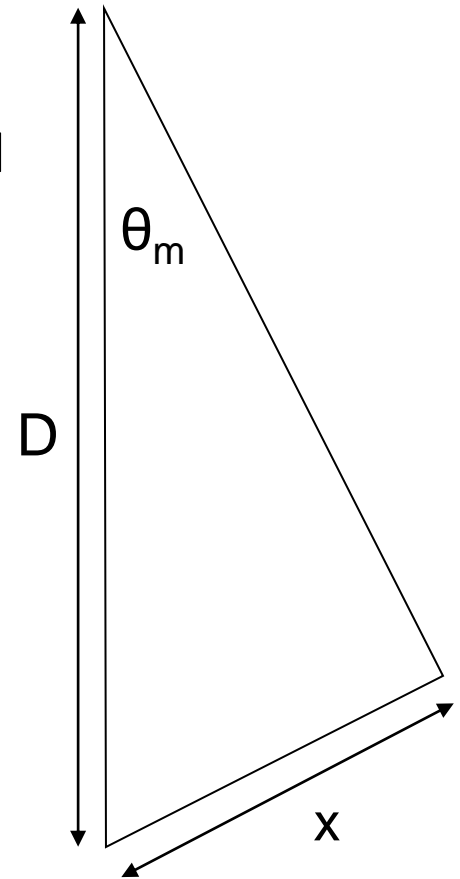
- X : Space length of travel of field from the last aperture element relative to first element to form wavefront at maximum scan angle γ_m .
- D =Length of array aperture.
- Time for signal to travel through the length x is $t = x/c = D \sin\gamma_m/c$, where $c = 3 \times 10^8$ m/s.
- $c = f/\lambda$ and $\theta_{3dB} \approx 64\lambda/D$ (θ_{3dB} is the 3dB beamwidth of the array).
- $t = 64 \sin\gamma_m/(\theta_{3dB} f)$.



Bandwidth of Phase Scanning Systems

- Practical designs allow for a minimum of $\frac{1}{2}$ pulse width overlap between transmission from first and last radiating elements. Therefore, $t \leq \tau/2$, where τ is the pulse width.
- This way, $\tau \geq 128 \sin\theta_m/(\beta f)$.
- The Bandwidth (BW) of the signal is inversely proportional to $1/\tau$.
- Therefore:

$$BW \leq \frac{\theta_{3dB} f}{128 \sin \gamma_m}$$

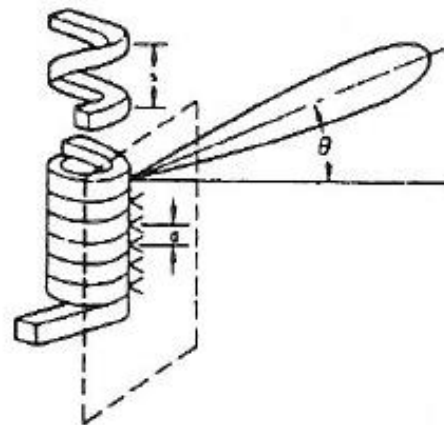


Example

- Assume a $HPBW = 1^\circ$, $f = 3$ GHz, and maximum scan angle = 60 degrees.
- This way, the maximum signal bandwidth that can be used with phase scanning systems is approximately 27 MHz.
- If this is not enough, then TTD systems must be used or a combination of TTD and Phase Shift system.

Frequency Scanning Arrays

- In a frequency scanning array, frequency is employed to control the inter-element differential phase shift so that each frequency corresponds to a unique beam position.
- This is a completely passive method and reciprocal.



θ = BEAM POSITION RELATIVE TO BROADSIDE

$$\theta = \text{ARC SIN} \left[\frac{\lambda}{d} \left(\frac{1}{\lambda_g} - n \right) \right]$$

d = INTERELEMENT SPACING

λ = FREE SPACE WAVELENGTH

s = PATH LENGTH BETWEEN RADIATOR SLOTS

λ_g = WAVEGUIDE WAVELENGTH CORRESPONDING TO λ

λ_{g0} = BROADSIDE WAVEGUIDE WAVELENGTH

a = BROAD DIMENSION OF WAVEGUIDE

$n = \frac{s}{\lambda_{g0}}$, AN INTEGER

$$\lambda_g = \frac{\lambda}{\left[1 - \left(\frac{\lambda}{2a} \right)^2 \right]^{1/2}}$$

BASIC OPERATION OF A FREQUENCY SCANNING SYSTEM
NOTE THAT BEAM DIRECTION DEPENDS ON TRANSMISSION FREQUENCY

Fig 1-5

Basic operation of a frequency scanning system. Note that beam direction depends on transmission frequency

Frequency Scanning Arrays: Bandwidth Limitation

- Practical FS arrays employ an approximately 6% bandwidth to scan 90°.
- BW is limited by: (for derivation, refer to E. Brookner, Practical phased array antenna systems)

$$BW \leq \frac{\theta_{3dB} \Delta f}{256 \sin \gamma_m}$$

- γ_m is the maximum scan angle measured from the plane of the array.
- e.g. for $\theta_{3dB} = 1^\circ$, $f = 3$ GHz, $\Delta f = 180$ MHz, and $\gamma_m = 60^\circ$ the maximum signal bandwidth that can be used is 0.8 MHz.

Electronic Feed Switching: Hybrid/Butler Matrix

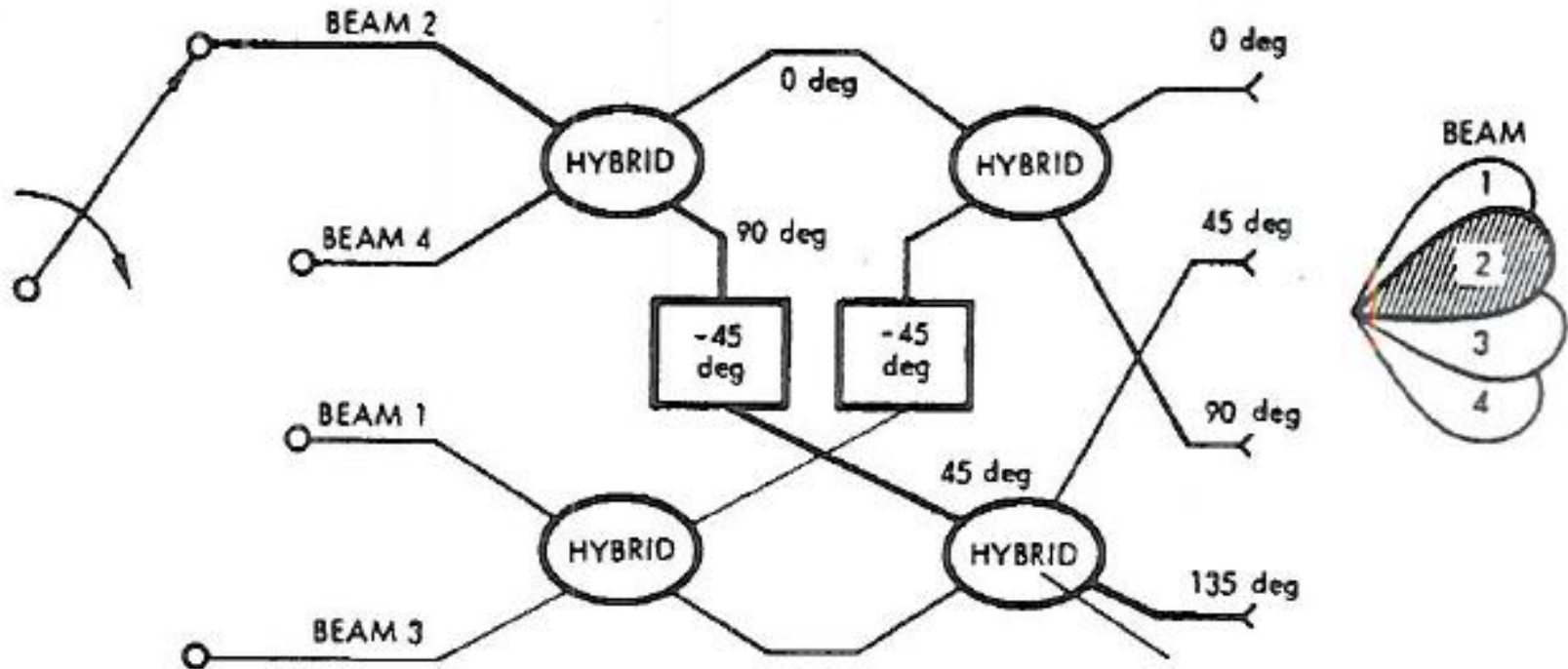


Fig 1-6 Hybrid/Butler matrix
Basic operation of an electronic
feed switching system

Electronic Feed Switching: Luneburg Lens

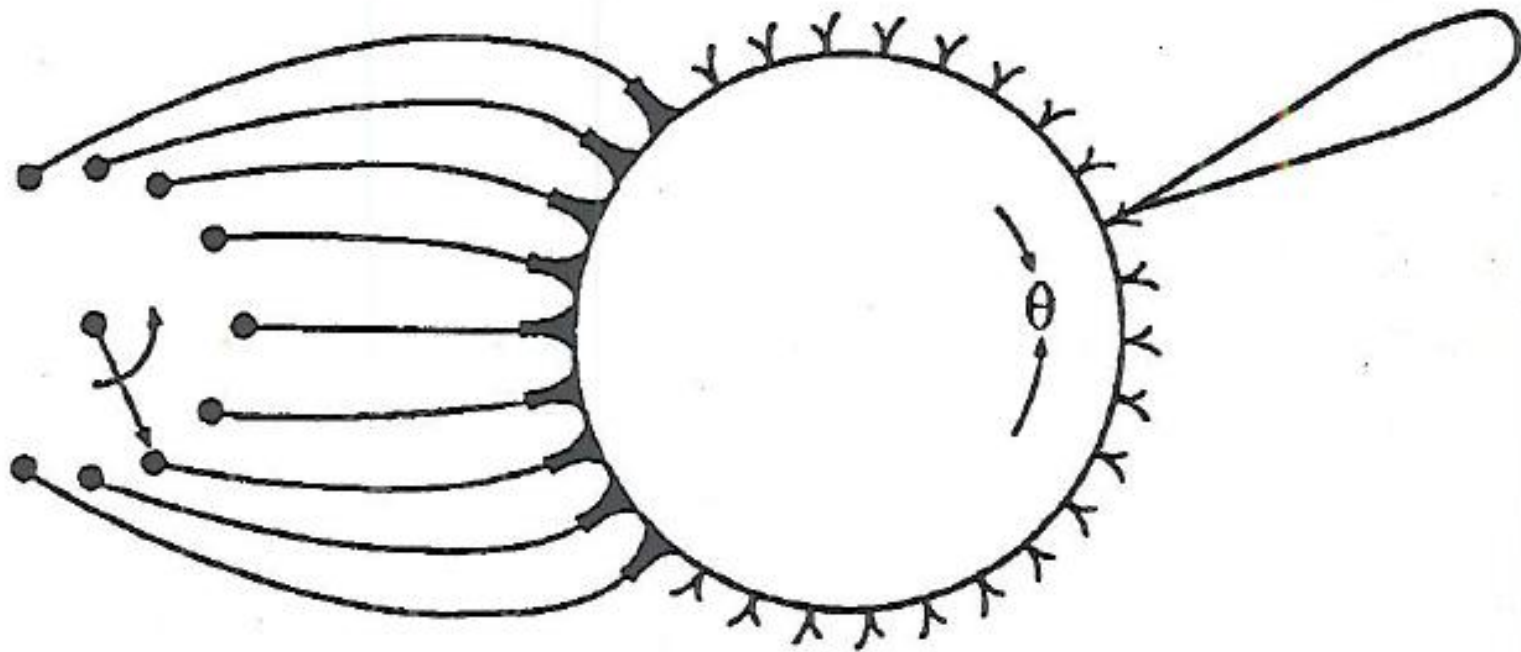


Fig 1-7 Luneburg Lens
Basic operation of an alternative
electronic feed switching system

Electronic Feed Switching

- EFS Systems can be wideband or narrow band.
- The two examples shown, the Butler matrix approach's bandwidth is limited to the hybrid circuits' and phase shifters' bandwidths used.
- The Luneburg lens is a wideband approach for beam steering.
- Other lens types can be used including Rotman lens:
 - Bandwidths will be different based on the approach used. For example Rotman lens is generally a wideband approach whereas other lenses may or may not be wideband based on specific design of lens.

N Element Linear Array: Directivity

- Procedure:
 - The procedure for calculating directivity of the array factor is straight forward.
 - The array factor is essentially our radiation pattern function.
 - Calculate the total radiated power + Radiation Intensity, etc.

- Broadside Array:
$$D_0 = 2N \left(\frac{d}{\lambda} \right)$$

- Ordinary End Fire Array:
$$D_0 = 4N \left(\frac{d}{\lambda} \right)$$

- Hansen-Woodyard:

$$D_0 = 1.805 \times 4N \left(\frac{d}{\lambda} \right)$$

Example: Problem 6.18 of text

- An array of 10 isotropic radiators are placed along the z-axis a distance d apart. Assuming uniform distribution, find the progressive phase (in degrees), half-power beamwidth (in degrees) first null beamwidth (in degrees), first side lobe level maximum beam width, relative side lobe level maximum (in dB), and directivity in dB
 - ☐ Broadside
 - ☐ Hansen Woodyard End Fire
 - ☐ Ordinary End Fire
- Assume $d=\lambda/4$