Supplementary materials for: Pointing models for users operating under different speed accuracy strategies

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1 Intraclass Correlation Coefficients (ICC) for the JGP dataset (Subsection 3.3)

1.1 Pearson's r

	Type	Description	ICC	F	df1	df2	pval	CI95%
0	ICC1	Single raters absolute	0.278121	2.541096	14	45	0.009083	$[0.04 \ 0.59]$
1	ICC2	Single random raters	0.284798	2.679707	14	42	0.006876	$[0.05 \ 0.59]$
2	ICC3	Single fixed raters	0.295738	2.679707	14	42	0.006876	$[0.05 \ 0.61]$
3	ICC1k	Average raters absolute	0.606469	2.541096	14	45	0.009083	$[0.15 \ 0.85]$
4	ICC2k	Average random raters	0.614320	2.679707	14	42	0.006876	$[0.18 \ 0.85]$
5	ICC3k	Average fixed raters	0.626825	2.679707	14	42	0.006876	$[0.18 \ 0.86]$

1.2 Spearman's ρ

	Type	Description	ICC	F	df1	df2	pval	CI95%
0	ICC1	Single raters absolute	0.269582	2.476315	14	45	0.010850	$[0.03 \ 0.58]$
1	ICC2	Single random raters	0.272642	2.534710	14	42	0.010107	$[0.04 \ 0.58]$
2	ICC3	Single fixed raters	0.277288	2.534710	14	42	0.010107	$[0.04 \ 0.59]$
3	ICC1k	Average raters absolute	0.596174	2.476315	14	45	0.010850	$[0.12 \ 0.85]$
4	ICC2k	Average random raters	0.599896	2.534710	14	42	0.010107	$[0.14 \ 0.85]$
5	ICC3k	Average fixed raters	0.605478	2.534710	14	42	0.010107	$[0.13 \ 0.85]$

1.3 Kendall's τ

	Type	Description	ICC	F	df1	df2	pval	CI95%
0	ICC1	Single raters absolute	0.289989	2.633714	14	45	0.007048	$[0.05 \ 0.6]$
1	ICC2	Single random raters	0.291424	2.664110	14	42	0.007166	$[0.05 \ 0.6]$
2	ICC3	Single fixed raters	0.293799	2.664110	14	42	0.007166	$[0.05 \ 0.6]$
3	ICC1k	Average raters absolute	0.620308	2.633714	14	45	0.007048	$[0.18 \ 0.86]$
4	ICC2k	Average random raters	0.621946	2.664110	14	42	0.007166	$[0.18 \ 0.86]$
5	ICC3k	Average fixed raters	0.624640	2.664110	14	42	0.007166	$[0.18 \ 0.86]$

2 Association measures for the GO dataset (Subsection 4.3)

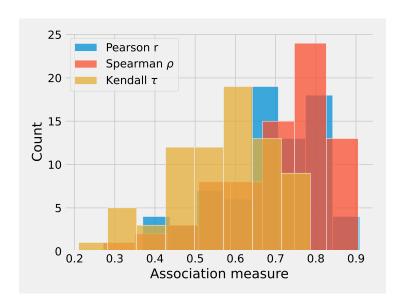


Figure 1: $icaption_{\dot{\xi}}$

Table 1:									
r rho tau									
strategy									
1	0.027881	0.034877	0.019789						
2	0.111236	0.116360	0.085362						
3	0.266716	0.262616	0.193317						
4	0.093823	0.107219	0.077531						
5	0.217365	0.226004	0.173897						

3 Linear fits for the Gaussian bivariate fit per strategy for the GO dataset (Subsection 4.5)

3.1 $\mu_i = \mathbf{const} + x_1 \, \mathbf{strategy}$

Dep. Variable:	У	R-squared:	0.934
Model:	OLS	Adj. R-squared:	0.912
Method:	Least Squares	F-statistic:	42.58
Date:	Tue, 10 Sep 2024	Prob (F-statistic):	0.00731
Time:	16:31:51	Log-Likelihood:	3.4797
No. Observations:	5	AIC:	-2.959
Df Residuals:	3	BIC:	-3.741
Df Model:	1		
Covariance Type:	nonrobust		

	\mathbf{coef}	std err	\mathbf{t}	$\mathbf{P} > \mathbf{t} $	[0.025]	0.975]
const	1.2957	0.070	18.602	0.000	1.074	1.517
x1	0.6428	0.099	6.525	0.007	0.329	0.956
Omn	ibus:	nan	Dui	rbin-Wat	son:	1.778
Prob	(Omnib	us): nan	Jar	que-Bera	a (JB):	0.441
\mathbf{Skew}	:	0.04	8 Pro	b(JB):		0.802
\mathbf{Kurt}	osis:	1.54	8 Cor	nd. No.		1.41

Notes:

3.2 $\mu_t = \mathbf{const} + x_1 \, \mathbf{strategy}$

Dep. Variable:		У		R-squared:			0.934
Model:		OL_{2}^{2}	\mathbf{S}	Adj. R	k-square	\mathbf{d} :	0.912
Method:		Least Sc	uares	F-stati	stic:		42.58
Date:		Tue, 10 Se	ep 2024	Prob (F-statist	tic):	0.00731
Time:		16:31:51		Log-Likelihood:			3.4797
No. Observations:		5		AIC:			-2.959
Df Residuals:		3		BIC:			-3.741
Df Model:		1					
Covariance Ty	pe:	nonrol	oust				
coef		std err	t	P> t	[0.025]	0.97	5]
const 1	.2957	0.070	18.602	0.000	1.074	1.51	7
$\mathbf{x1}$ 0	.6428	0.099	6.525	0.007	0.329	0.95	6

^[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.

Omnibus:	nan	Durbin-Watson:	1.778
Prob(Omnibus):	nan	Jarque-Bera (JB):	0.441
Skew:	0.048	Prob(JB):	0.802
Kurtosis:	1.548	Cond. No.	1.41

Notes:

 $\left[1\right]$ Standard Errors assume that the covariance matrix of the errors is correctly specified.

3.3 $\sigma_i = \mathbf{const} + x_1 \mathbf{strategy}$

Dep. Variable:	у	R-squared:	0.590
Model:	OLS	Adj. R-squared:	0.453
Method:	Least Squares	F-statistic:	4.317
Date:	Tue, 10 Sep 2024	Prob (F-statistic):	0.129
Time:	16:31:51	Log-Likelihood:	1.6774
No. Observations:	5	AIC:	0.6452
Df Residuals:	3	BIC:	-0.1360
Df Model:	1		
Covariance Type:	nonrobust		

	\mathbf{coef}	std err	\mathbf{t}	$\mathbf{P} \gt \mathbf{t} $	[0.025	0.975]
const	1.0564	0.100	10.576	0.002	0.739	1.374
x1	0.2935	0.141	2.078	0.129	-0.156	0.743
Omni	bus:	nan	Du:	rbin-Wa	tson:	1.799
Prob(Omnibu	ıs): nan	Jar	que-Ber	a (JB):	0.816
Skew	;	-0.38	37 Pro	b(JB):		0.665
Kurto	osis:	1.17	8 Co ı	nd. No.		1.41

Notes:

3.4 $\sigma_t = \mathbf{const} + x_1 \mathbf{strategy}$

Dep. Variable:	у	R-squared:	0.681
Model:	OLS	Adj. R-squared:	0.574
Method:	Least Squares	F-statistic:	6.396
Date:	Tue, 10 Sep 2024	Prob (F-statistic):	0.0855
Time:	16:31:52	Log-Likelihood:	9.2180
No. Observations:	5	AIC:	-14.44
Df Residuals:	3	BIC:	-15.22
Df Model:	1		
Covariance Type:	nonrobust		

 $[\]left[1\right]$ Standard Errors assume that the covariance matrix of the errors is correctly specified.

	\mathbf{coef}	std err	\mathbf{t}	$\mathbf{P} > \mathbf{t} $	[0.025]	0.975]
const	0.3852	0.022	17.424	0.000	0.315	0.456
x1	0.0791	0.031	2.529	0.085	-0.020	0.179
Omn	Omnibus:		n Durbin-Watson :			1.787
Prob	(Omnibi	ıs): nan	Jaro	que-Bera	a (JB):	0.759
\mathbf{Skew}	:	0.35	8 Pro	b (JB):		0.684
Kurt	osis:	1.23	1 Con	nd. No.		1.41

Notes:

[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.

3.5 $\rho = \mathbf{const} + x_1 \mathbf{strategy}$

Dep. Variable:	y	R-squared:	0.565
Model:	OLS	Adj. R-squared:	0.420
Method:	Least Squares	F-statistic:	3.896
Date:	Tue, 10 Sep 2024	Prob (F-statistic):	0.143
Time:	16:31:52	Log-Likelihood:	3.0488
No. Observations:	5	AIC:	-2.098
Df Residuals:	3	BIC:	-2.879
Df Model:	1		
Covariance Type:	nonrobust		

	\mathbf{coef}	std err	\mathbf{t}	$\mathbf{P} > \mathbf{t} $	[0.025	0.975]
const	0.3447	0.076	4.539	0.020	0.103	0.586
x1	0.2119	0.107	1.974	0.143	-0.130	0.554
Omni	Omnibus: nan		Durbin-Watson:			1.648
Prob(Prob(Omnibus): nan		Jar	Jarque-Bera (JB):		
Skew:	ew: 0.485		Prob(JB):			0.787
Kurto	osis:	1.833	Cond. No.		1.41	

Notes:

4 Values of the t-copula for the GO dataset, effect of strategy and participants

^[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.

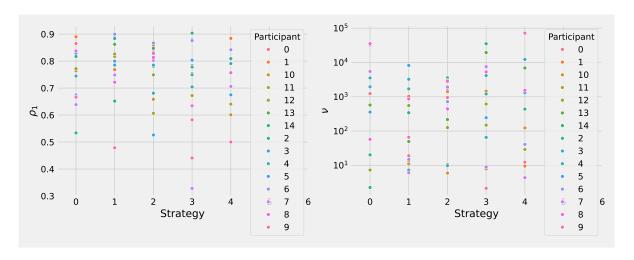


Figure 2: ¡caption¿

Table 2: Mixed Linear Model Regression Results

Model:	MixedLM	Dependent Variable:	rho1
No. Observations:	72	Method:	REML
No. Groups:	15	Scale:	0.0119
Min. group size:	4	Log-Likelihood:	46.7778
Max. group size:	5	Converged:	Yes
Mean group size:	4.8		

	Coef.	Std.Err.	Z	P> z	[0.025]	0.975]
Intercept	0.773	0.026	30.251	0.000	0.723	0.823
strategy	-0.012	0.009	-1.312	0.189	-0.030	0.006
Group Var	0.002	0.018				

5 Correction on β_0 instead of λ_1 for Model 3 (Subsection 6.1)

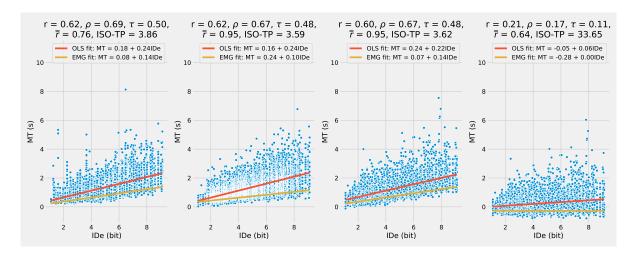


Figure 3: ¡caption¿

6 Replications of Figure 7 with different seeds (Subsection 6.1)

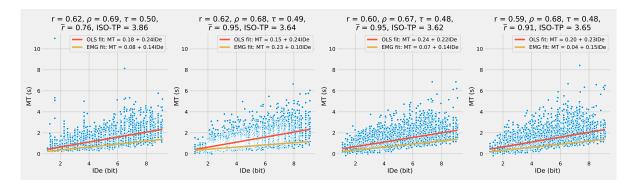


Figure 4: Seed = 777

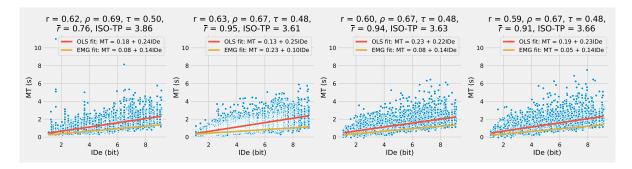


Figure 5: Seed = 999

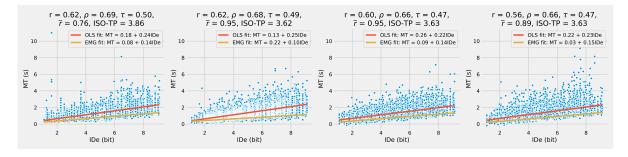


Figure 6: Seed = None

7 Participant internal consistency concerning strategies

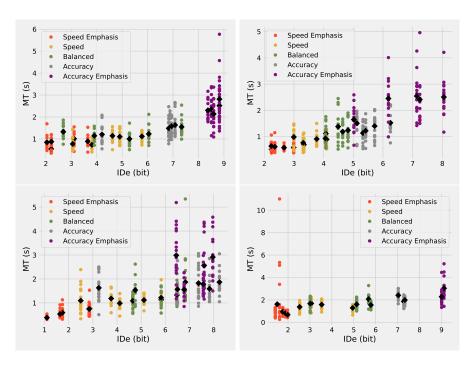


Figure 7: ¡caption¿