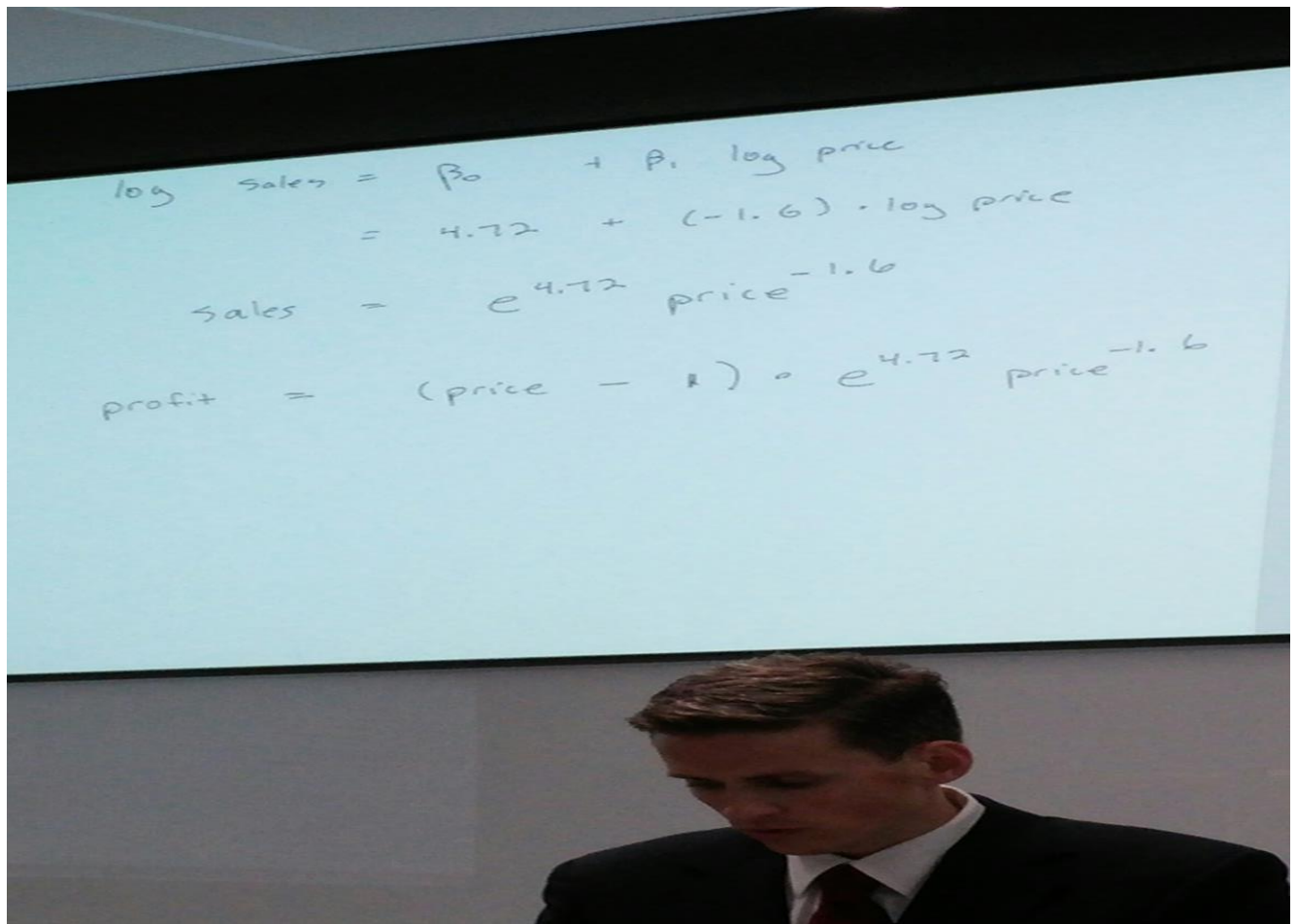


Milk Case study

- Guiding principles of top down decision:
 - Goal is to maximize PROFIT
 - What do we control to achieve goal? Price per gallon
 - Profit = Revenue – Expenses
 - = (Revenue per unit – expenses per unit)* Units sold
 - = (price/unit – expenses/unit)*Units sold
 - Make assumption about expenses per unit
 - = [Price/Unit – Expense/Unit] * f(price)
 - cost at \$1.29
 - = [x – 1.29]
 - Then combine data sets (Adding a column) to original and [x-1.29]

OR

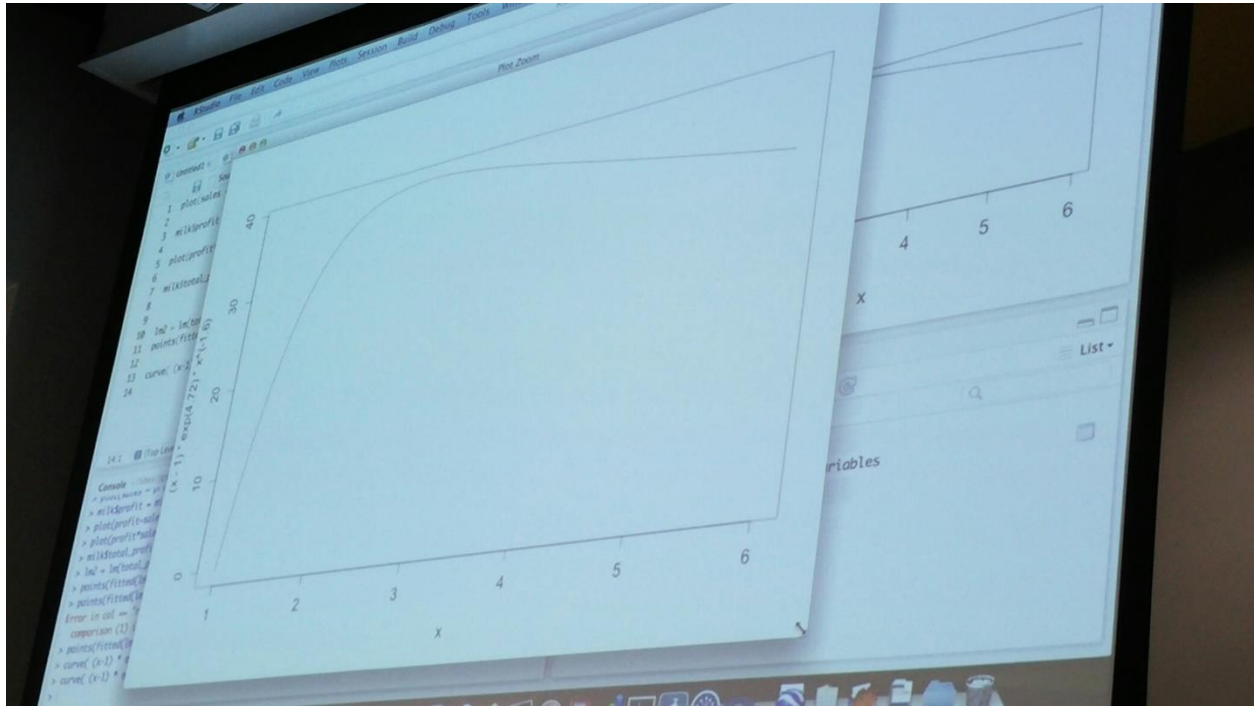
- Plot logarithmic function



The screen displays the following handwritten equations:

$$\begin{aligned}\log \text{ sales} &= \beta_0 + \beta_1 \log \text{ price} \\ &= 4.72 + (-1.6) \cdot \log \text{ price} \\ \text{sales} &= e^{4.72} \text{ price}^{-1.6} \\ \text{profit} &= (\text{price} - 1) \cdot e^{4.72} \text{ price}^{-1.6}\end{aligned}$$

2. Find Maximum



Recap

Used historical data to fit relationship

OR

Used linear on a log scale

$$\text{Profit} = (\text{price} - 1) * e^{4.72} * \text{price}^{-1.6}$$

Top down/bottom up should be used to get past road blocks

- Top down = from first principles, what would I need to know (start with solution and work backwards)
- Bottom up = start with data then work forwards

Video game walkthrough

- Care about reaction time
- Variables are littered and FarAway, both are dummy variables
- Use “+” in R to denote “and” for using two variables
- $\hat{Y} = \beta_0 + \beta_1 * \text{littered} + \beta_2 * \text{Faraway}$
 - $\hat{Y}(\text{not littered, not faraway})$
 - $= \beta_0$
 - $\hat{Y}(\text{littered, not faraway})$
 - $= \beta_0 + \beta_1$
 - $\hat{Y}(\text{not littered, far away})$
 - $= \beta_0 + \beta_2$
 - $\hat{Y}(\text{littered, faraway})$
 - $= \beta_0 + \beta_1 + \beta_2$
- Interaction model (When dummy variables interact with each other)
- $\hat{Y} = \beta_0 + \beta_1 * \text{littered} + \beta_2 * \text{Faraway} + \beta_3 * \text{littered} * \text{faraway}$
 - $\hat{Y}(\text{littered, faraway})$
 - Only one that changes
 - $\hat{Y} = \beta_0 + \beta_1 + \beta_2 + \beta_3$