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1 Introduction to Quarto

You can run python code. This will be discussed more in the (Section [1.3](#))

Here is an example of a citation (Sharma et al. 2018)

1.1 Equations

This is an example of an inline math LaTeX equation $f(x) = x^2$

This is an example of an display math LaTeX equation

$$f(x) = x^2 + 1$$

Black-Scholes (Equation [1](#)) is a mathematical model that seeks to explain the behavior of financial derivatives, most commonly options:

$$\frac{\partial C}{\partial t} + \frac{1}{2}\sigma^2 S^2 \frac{\partial^2 C}{\partial S^2} + rS \frac{\partial C}{\partial S} = rC \quad (1)$$

Wave equation (Equation [2](#)) is a mathematical model that seeks to explain the behavior of financial derivatives, most commonly options:

$$\frac{\partial^2 u}{\partial t^2} = c^2 \left(\frac{\partial^2 u}{\partial x_1^2} + \frac{\partial^2 u}{\partial x_2^2} + \cdots + \frac{\partial^2 u}{\partial x_n^2} \right) \quad (2)$$

Multi-line equation (Equation [3](#))

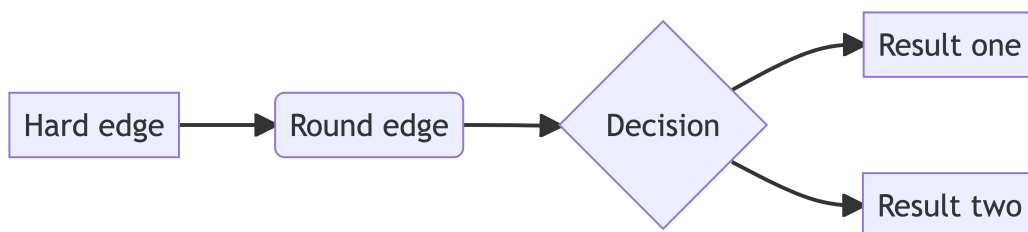
$$\begin{aligned} A &= \frac{\pi r^2}{2} \\ &= \frac{1}{2}\pi r^2 \end{aligned} \quad (3)$$

1.2 Flow-charts

Quarto has native support for embedding Mermaid and Graphviz diagrams.

This enables you to create flowcharts, sequence diagrams, state diagrams, gnatt charts, and more using a plain text syntax inspired by markdown.

For example, here we embed a flowchart created using Mermaid:



1.3 Code

In this section we show how to demonstrate, caption, and reference figures (both generated with code and externally loaded)

In (Figure 1) we show a plot showing decaying oscillations

Here is another example of a citation (Hickman and Mishin 2016)

In (Figure 2) we show a plot showing decaying oscillations

1.4 References

- Hickman, J, and Y Mishin. 2016. “Temperature Fluctuations in Canonical Systems: Insights from Molecular Dynamics Simulations.” *Physical Review B* 94 (18): 184311.
- Sharma, A, J Hickman, N Gazit, E Rabkin, and Y Mishin. 2018. “Nickel Nanoparticles Set a New Record of Strength.” *Nature Communications* 9 (1): 1–9.

Decaying harmonic oscillations

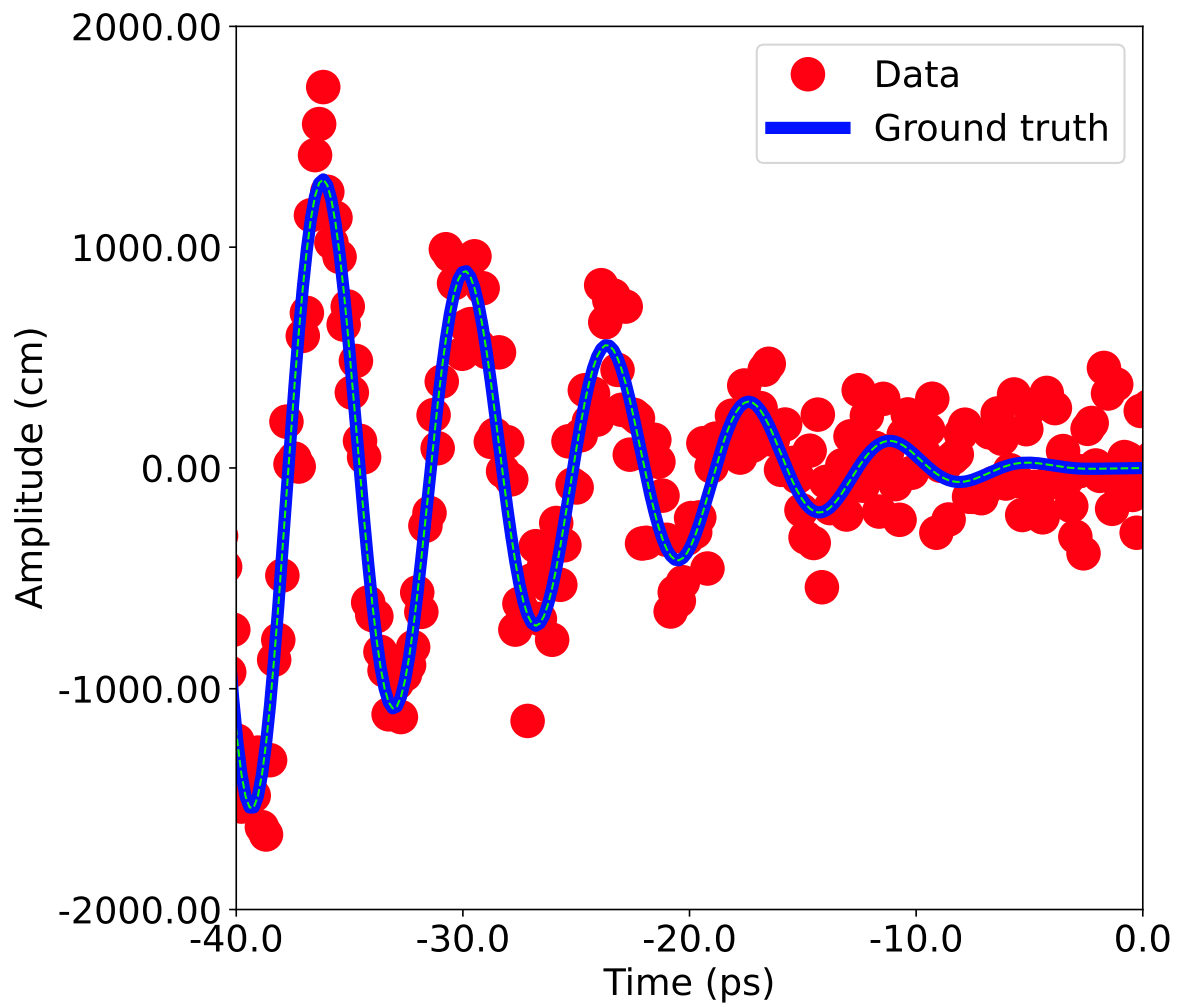


Figure 1: A plot showing decaying oscillations

Parameters and Function transformations

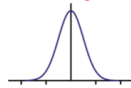
Transformation Rules for Functions		
Function Notation	Type of Transformation	Change to Coordinate Point
$f(x) + d$	Vertical translation up d units	$(x, y) \rightarrow (x, y + d)$
$f(x) - d$	Vertical translation down d units	$(x, y) \rightarrow (x, y - d)$
$f(x + c)$	Horizontal translation left c units	$(x, y) \rightarrow (x - c, y)$
$f(x - c)$	Horizontal translation right c units	$(x, y) \rightarrow (x + c, y)$
$-f(x)$	Reflection over x-axis	$(x, y) \rightarrow (x, -y)$
$f(-x)$	Reflection over y-axis	$(x, y) \rightarrow (-x, y)$
$af(x)$	Vertical stretch for $ a > 1$	$(x, y) \rightarrow (x, ay)$
	Vertical compression for $0 < a < 1$	
$f(bx)$	Horizontal compression for $ b > 1$	$(x, y) \rightarrow \left(\frac{x}{b}, y\right)$
	Horizontal stretch for $0 < b < 1$	

<https://www.onlinemathlearning.com/parent-functions.html>

MODEL = Functional form + Parameterization
 (underlying shape) (stretching and shifting)

$y = f(x) \rightarrow$ "parent function"

Example: $f(x) = e^{-x^2}$



$$y = f(x | \mathbf{p}) = A \cdot \exp\left(-\left(\frac{x - x_o}{w}\right)^2\right) + S$$

$$x_i \rightarrow \tilde{x}_i = \frac{x_i - \mu_x}{\sigma_x}$$

$$y = f(x | \mathbf{p}) = Af\left(\frac{x - x_o}{w}\right) + S$$

$$\mathbf{p} = (A, x_o, w, S)$$

A = verticle stretch (amplitude)

x_o = horizontal shift (recentering parameter)

w = horizontal stretch (width parameter)

S = verticle shift (shift parameter)

Alternative form: $y = f(x | \mathbf{p}) = Af(w_1x + b) + S$

(weights and bias) $w_1 = \frac{1}{w}$ and $b = -\frac{x_o}{w}$

Figure 2: An example of another figure