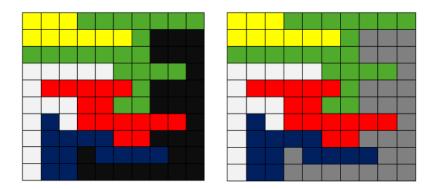
Flood Fill Algorithm

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Flood Fill Algorithm
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Flood Fill algorithm defermines the area connected to a given node in a multi-dimensional general.
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Poublem Solving: The flood fill algorithm takes three
Poublem Solving: The flood fill algorithme takes theree parameters: a start node, a target color and a replacement color.
color and a replacement color.



Note that each cell of the matrix represents one pixel.

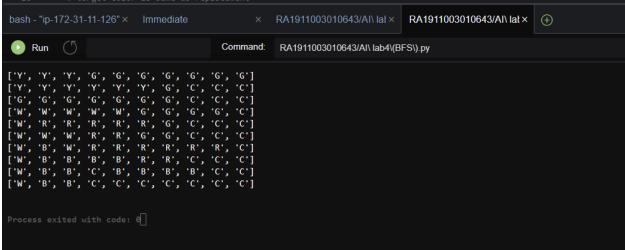
BFS

from collections import deque

```
# Below lists detail all eight possible movements row = [-1, -1, -1, 0, 0, 1, 1, 1] col = [-1, 0, 1, -1, 1, -1, 0, 1]
```

check if it is possible to go to pixel (x, y) from the # current pixel. The function returns false if the pixel

```
# has a different color, or it's not a valid pixel
def isSafe(mat, x, y, target):
  return 0 \le x < len(mat) and 0 \le y < len(mat[0]) and mat[x][y] == target
# Flood fill using BFS
def floodfill(mat, x, y, replacement):
  # base case
  if not mat or not len(mat):
    return
  # create a queue and enqueue starting pixel
  q = deque()
  q.append((x, y))
  # get the target color
  target = mat[x][y]
  # target color is same as replacement
  if target == replacement:
    return
  # break when the queue becomes empty
  while q:
    # dequeue front node and process it
    x, y = q.popleft()
    # replace the current pixel color with that of replacement
    mat[x][y] = replacement
    # process all eight adjacent pixels of the current pixel and
    # enqueue each valid pixel
    for k in range(len(row)):
       # if the adjacent pixel at position (x + row[k], y + col[k]) is
      # is valid and has the same color as the current pixel
      if isSafe(mat, x + row[k], y + col[k], target):
         # enqueue adjacent pixel
         q.append((x + row[k], y + col[k]))
if name == ' main ':
  # matrix showing portion of the screen having different colors
       ['Y', 'Y', 'Y', 'Y', 'Y', 'G', 'X', 'X', 'X'],
       ['W', 'R', 'R', 'R', 'R', 'R', 'G', 'X', 'X', 'X'],
       ['W', 'W', 'W', 'R', 'R', 'G', 'G', 'X', 'X', 'X'],
       ['W', 'B', 'W', 'R', 'R', 'R', 'R', 'R', 'R', 'X'],
```



DFS

```
# Below lists detail all eight possible movements 
row = [-1, -1, -1, 0, 0, 1, 1, 1] 
col = [-1, 0, 1, -1, 1, -1, 0, 1] 

# check if it is possible to go to pixel (x, y) from the 
# current pixel. The function returns false if the pixel 
# has a different color, or it's not a valid pixel 
def isSafe(mat, x, y, target): 
return 0 <= x < len(mat) and 0 <= y < len(mat[0]) and mat[x][y] == target 

# Flood fill using DFS 
def floodfill(mat, x, y, replacement): 
# base case
```

```
if not mat or not len(mat):
    return
  # get the target color
  target = mat[x][y]
  # target color is same as replacement
  if target == replacement:
    return
  # replace the current pixel color with that of replacement
  mat[x][y] = replacement
  # process all eight adjacent pixels of the current pixel and
  # recur for each valid pixel
  for k in range(len(row)):
    # if the adjacent pixel at position (x + row[k], y + col[k]) is
    # a valid pixel and has the same color as that of the current pixel
    if isSafe(mat, x + row[k], y + col[k], target):
      floodfill(mat, x + row[k], y + col[k], replacement)
if __name__ == '__main__':
  # matrix showing portion of the screen having different colors
  mat = \Gamma
      ['Y', 'Y', 'Y', 'Y', 'Y', 'Y', 'G', 'X', 'X', 'X'],
      ['W', 'R', 'R', 'R', 'R', 'R', 'G', 'X', 'X', 'X'],
      ['W', 'W', 'W', 'R', 'R', 'G', 'G', 'X', 'X', 'X'],
      ['W', 'B', 'W', 'R', 'R', 'R', 'R', 'R', 'R', 'X'],
      ['W', 'B', 'B', 'B', 'B', 'R', 'R', 'X', 'X', 'X'],
      ]
  # start node
  x, y = (3, 9) # having a target color `X`
  # replacement color
  replacement = 'C'
  # replace the target color with a replacement color using DFS
  floodfill(mat, x, y, replacement)
  # print the colors after replacement
  for r in mat:
    print(r)
```



The time complexity of the proposed solution is $O(M \times N)$ and requires $O(M \times N)$ extra space, where M and N are dimensions of the matrix.

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