**Subject: Artificial Intelligence (DJ19DSC502)** 

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## **Experiment 2**

## (Uninformed Search)

Aim: Implement Depth First Iterative Deepening to find the path for a given planning problem.

#### Theory:

Solving a problem by search is solving a problem by trial and error. Several real-life problems can be modelled as a state-space search problem.

- Choose your problem and determine what constitutes a STATE (a symbolic representation of the stateof-existence).
- Identify the START STATE and the GOAL STATE(S).
- 3. Identify the MOVES (single-step operations/actions/rules) that cause a STATE to change.
- 4. Write a function that takes a STATE and applies all possible MOVES to that STATE to produce a set of NEIGHBOURING STATES (exactly one move away from the input state). Such a function (statetransition function) is called MoveGen. MoveGen embodies all the single-step operations/rules/moves possible in a given STATE. The output of MoveGen is a set of NEIGHBOURING STATES. MoveGen: STATE -> SET OF NEIGHBOURING STATES. From a graph theoretic perspective the state space is a graph, implicitly defined by a MoveGen function. Each state is a node

in the graph, and each edge represents one move that leads to a neighbouring state. Generating the neighbours of a state and adding them as candidates for inspection is called "expanding a state". In state space search, a solution is found by exploring the state space with the help of a MoveGen function, i.e., expand the start state and expand every candidate until the goal state is found.

State spaces are used to represent two kinds of problems: configuration and planning problems.

- 1.In configuration problems the task is to find a goal state that satisfies some properties.
- 2. In planning problems the task is to find a path to a goal state. The sequence of moves in the path constitutes a plan.

#### **Algorithm DFID**

```
DFID-2(S)
1 count \leftarrow -1
2 path \leftarrow empty list
   depthBound \leftarrow 0
3
   repeat
5
        previousCount ← count
        (count, path) \leftarrow DB-DFS-2(S, depthBound)
6
7
        depthBound \leftarrow depthBound + 1
  until (path is not empty) or (previousCount = count)
9 return path
DB-DFS-2(S, depthBound)
    ▶ Opens new nodes, i.e., nodes neither in OPEN nor in CLOSED,
    > and reopens nodes present in CLOSED and not present in OPEN.
10 count \leftarrow 0
11 OPEN \leftarrow (S, null, 0): []
12 CLOSED ← empty list
13
    while OPEN is not empty
         nodePair \leftarrow head OPEN
14
15
         (N, \underline{\hspace{1em}}, depth) \leftarrow nodePair
16
         if GOALTEST(N) = TRUE
17
              return (count, RECONSTRUCTPATH(nodePair, CLOSED))
         else CLOSED ← nodePair : CLOSED
18
19
              if depth < depthBound
20
                   neighbours \leftarrow MOVEGEN(N)
21
                   newNodes ← REMOVESEEN(neighbours, OPEN, [])
22
                   newPairs \leftarrow MakePairs(newNodes, N, depth + 1)
                   OPEN ← newPairs ++ tail OPEN
23
24
                   count \leftarrow count + length newPairs
25
              else OPEN \leftarrow tail OPEN
26
    return (count, empty list)
```

**Auxiliary Functions for DFID** 

```
MAKEPAIRS(nodeList, parent, depth)
1 if nodeList is empty
2
       return empty list
3 else nodePair ← (head nodeList, parent, depth)
       return nodePair: MAKEPAIRS(tail nodeList, parent, depth)
RECONSTRUCTPATH(nodePair, CLOSED)
 1 SKIPTo(parent, nodePairs, depth)
 2
        if (parent, \_, depth) = head nodePairs
 3
             return nodePairs
 4
        else return SkipTo(parent, tail nodePairs, depth)
 5 (node, parent, depth) ← nodePair
 6 path ← node:[]
    while parent is not null
        path ← parent: path
9
        CLOSED \leftarrow SKIPTo(parent, CLOSED, depth - 1)
10
        (_, parent, depth) ← head CLOSED
11 return path
```

## Lab Assignment to do:

Select any one problem from the following and implement DFID to find the path from start state to goal state. Analyse the Time and Space complexity. Comment on Optimality and completeness of the solution.

Problem 1: 8-Puzzle Problem 2: Water Jug Problem 3: Graph



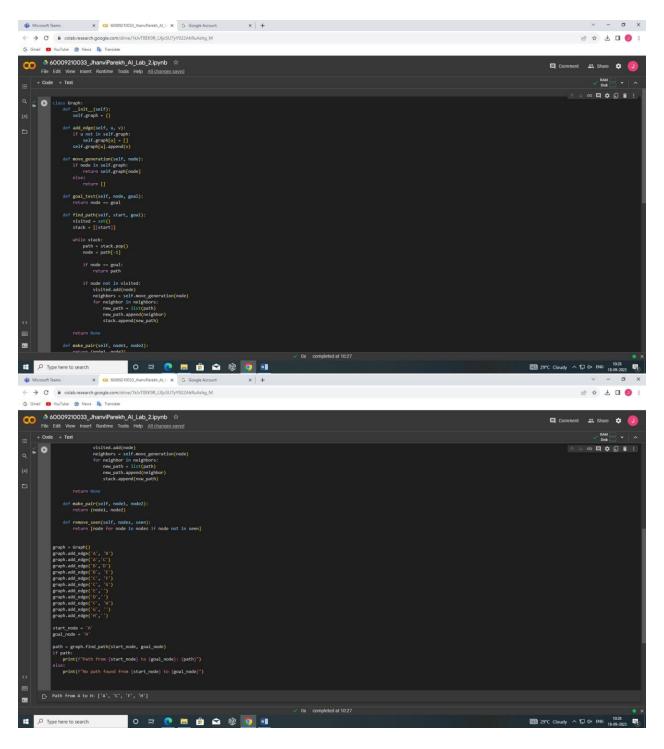
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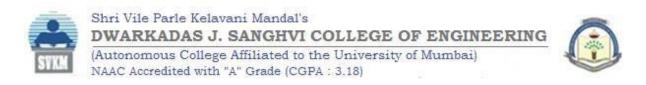
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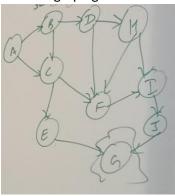
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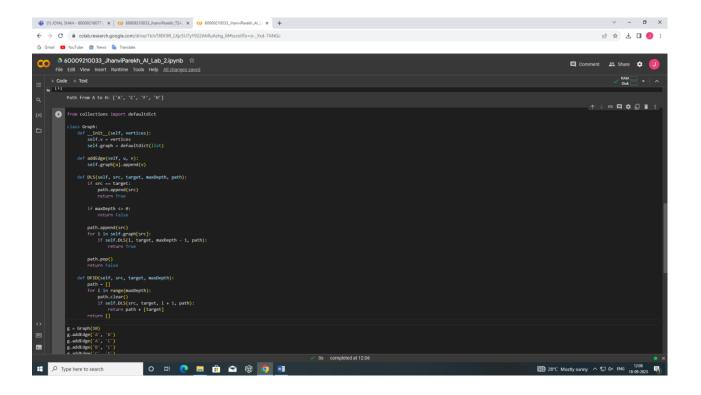


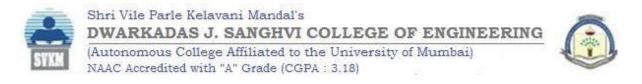


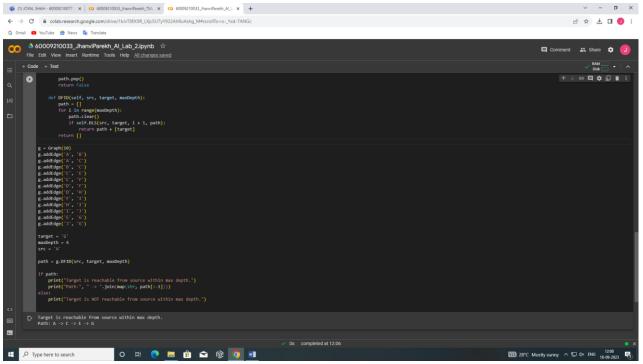
# For the graph given in the lab











link:

https://colab.research.google.com/drive/1kJvT8EK9R LXjc5U7yY922AhRuAshg M?usp=sharing

#### Analysis:

Time Complexity: DFID explores the search space incrementally, increasing the depth limit in each iteration. In the worst case, it explores all nodes up to the maximum depth d, so the time complexity is O(b^d), where b is the branching factor, and d is the depth of the shallowest solution. In the worst case, it's still exponential.

Space Complexity: The space complexity is O(bd) because it needs to store the search tree up to the current depth limit d. It's linear with respect to the depth. Optimality: DFID is optimal if the cost of each step is the same. However, in some cases, it may not be the most efficient algorithm to find the shortest path due to its exponential time complexity.

Completeness: DFID is complete if the branching factor is finite, and the search tree is finite. It will find a solution if one exists within the depth limit. However, if the depth limit is too small, it may not find a solution even if one exists