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Deque

→ Deque or Doubly-ended queue are Sequence Containers which can be used as queue as well as Stack. STL, Deque has some additional features which are as follows:-

- ① Perform Random Access ② Perform arbitrary insertion in constant time.

Syntax → `Deque <Type of Elements> deque-name;`

Traversed → `for (auto x : dq)`

`cout << x << " ";`

(##)

Set

→ Set is a associative container which stores only unique and sorted elements it. It work as Red Black Tree / Self Balancing trees. It does not duplicate values.

Syntax → `Set <int> S;` (*) Elements in Increasing order

`Set <int, greater <int>> S;` (*) Element in Decreasing order

Traversed → `for (int x : S)`

`cout << x << " ";`

*+ Some function Perform on Set

① $\text{insert}() \Rightarrow s.\text{insert}(5);$

② $\text{erase}() \Rightarrow s.\text{erase}(x);$

③ $\text{find}() \Rightarrow \text{if}(s.\text{find}(u) \neq s.\text{end}());$

④ $\text{empty}() \Rightarrow s.\text{empty}();$

*** Lower and Upper Bound function()

Lower Bound

① auto it = $s.\text{lower_bound}(x);$

Case I \rightarrow If x is Present

\rightarrow It will return the x .

Case II \rightarrow If x is Not Present

\rightarrow It will return just greater element.

Case III \rightarrow If x is greater than greatest

\rightarrow It will return $s.\text{end}();$

Upper Bound

① auto it = $s.\text{upper_bound}(x);$

Case I \rightarrow If x is Present

\rightarrow It will return just greater element

Case II \rightarrow If x is Not Present

\rightarrow It will return just greater element

Case III \rightarrow If x is greater than greatest

\rightarrow It will return $s.\text{end}();$

*** Application of Set

\rightarrow Used as Self-Balancing Tree

\rightarrow Sorted Stream Array

\rightarrow Densely Ended Priority Queue

Good Write

Multi-Set

→ All the features are retained by the Set except it allows the duplicate values it. It's internally working as R-B Tree

Syntax: $\rightarrow \text{multiset} < \text{int} > m;$

Traversal: $\rightarrow \text{for (auto \& x: m)}$

$\text{cout} << x << " ";$

* Some function like erase, count, lower bound, upper bound behaves

Slightly different from the Set.

① erase() \Rightarrow It erases all the occurrences of the element.

② Count() \Rightarrow It will count all occurrence as if they repeated as well.

③ lower bound() \Rightarrow It will return the first occurrence if multiple allows

④ upper bound() \Rightarrow It will return greatest element of first occurrence.

MAP

→ It is used to store key-value pair in ordered fashion.

the order of elements in the map is in increasing order of key values.

Syntax → `map<Type key, Type value> map_name;`

Multi-MAP

→ It is similar container like map in addition to that multi-map can have multiple key-value pairs.

⊗ It is also implemented as Red-Black Trees, hence the basic operation like search, insert, delete works in $O(\log N)$ time.

Syntax ⇒ `multimap<int, int> mp;`

Traversal ⇒ `for(auto x : mp)`

`cout << x.first << x.second << endl;`

⊗⊗ [] operator is used to access & insert the element in map.

But multimap does not allow use of member access operator.

⊗ Count () in MAP vs Multimap

→ return either 1 or 0 for key exist or not.

→ return the no. of occurrences of key in multimap. passed it as parameter.

Unordered Set in STL WKT

An unordered Set is implemented using hash table where keys are hashed into indices of a hash table so that the insertion is always randomized. All the operations on the unordered Set take constant time $O(1)$.

(*) Set is ordered sequence of unique key whereas unordered Set is a Set in which key can be stored in any order.

(*) We can traverse unordered Set just like iterators, but the elements will be printed in any random order every time.

Unordered map in STL

It is used to store elements formed by a combination of key-value pair. Internally unordered map is implemented using hash table.

Syntax \Rightarrow `unordered_map<String, int> umap;`

(*) The operations such as `begin()`, `end()`, `Size()`, `empty()` works in $O(1)$ time in worst case.