# NHST II

PSYC 2020-A01 / PSYC 6022-A01 | 2025-10-10 | Lab 8

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#### Outline

- Assignment 7 Review
- NHST II Review
- Import Deep Dive

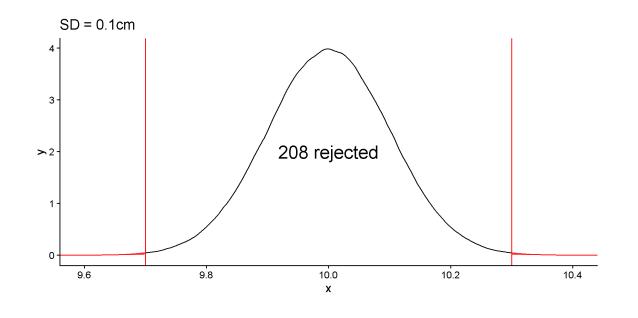
Learning objectives:

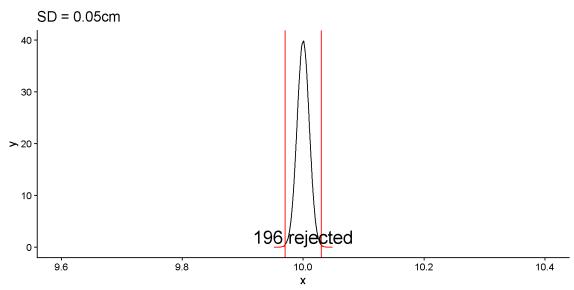
R: Importing

#### **Homework 2 Review**

2b) A new supplier provides bolts with the same mean length (10 cm) but a smaller standard deviation. How would this affect the z-score of the factory's products, and what would it imply for the quality control process?

Correct answer: There is no change!





#### **Hypothesis Testing Demo**

We start by assuming the null hypothesis  $(H_0)$  is true. Let's say our null hypothesis is that the population mean of some happiness scale is 10  $(\mu=10)$ . In this situation, we also know that the population variance on this scale is 4  $(\sigma^2=4,\sigma=2)$ .

Let's set this up:

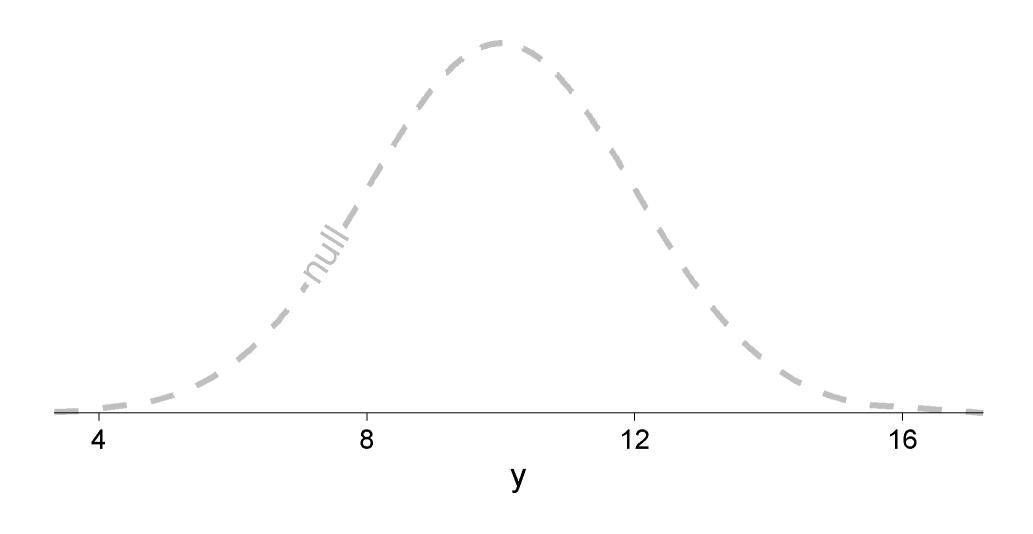
# **Hypothesis Testing Demo**

```
1 n_pop <- 1000
2 pop_mean <- 10
3 pop_sd <- 2</pre>
```

```
1 null <- data.frame(x = seq(-20, 20, length.out = n_pop)) |>
2 mutate(y = rnorm(n_pop, pop_mean, pop_sd),
3 dens = dnorm(y, pop_mean, pop_sd))
```

If the null hypothesis were true, this is what we'd expect to see:

Plot

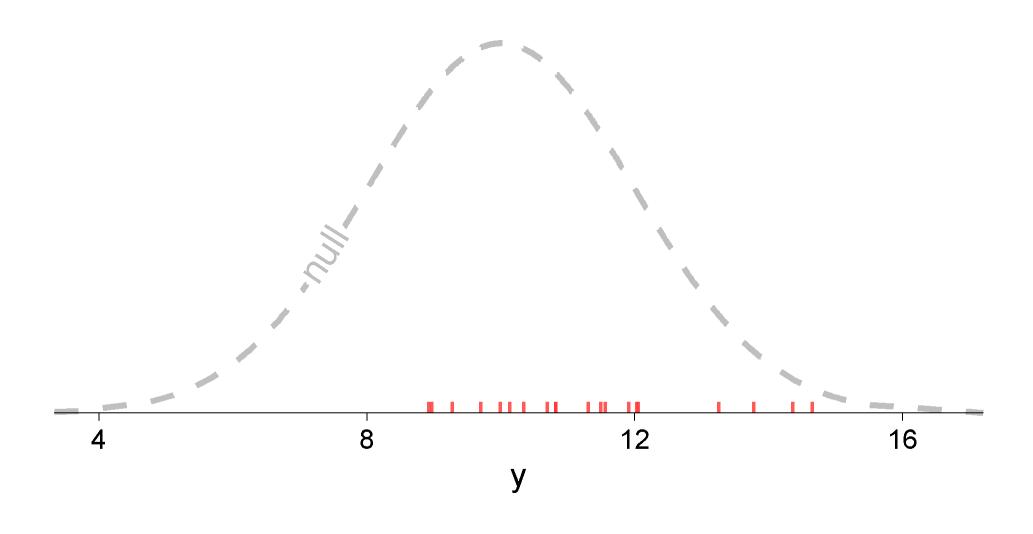


Let's then collect a sample of 20 people. Say they have a sample mean of about 12.

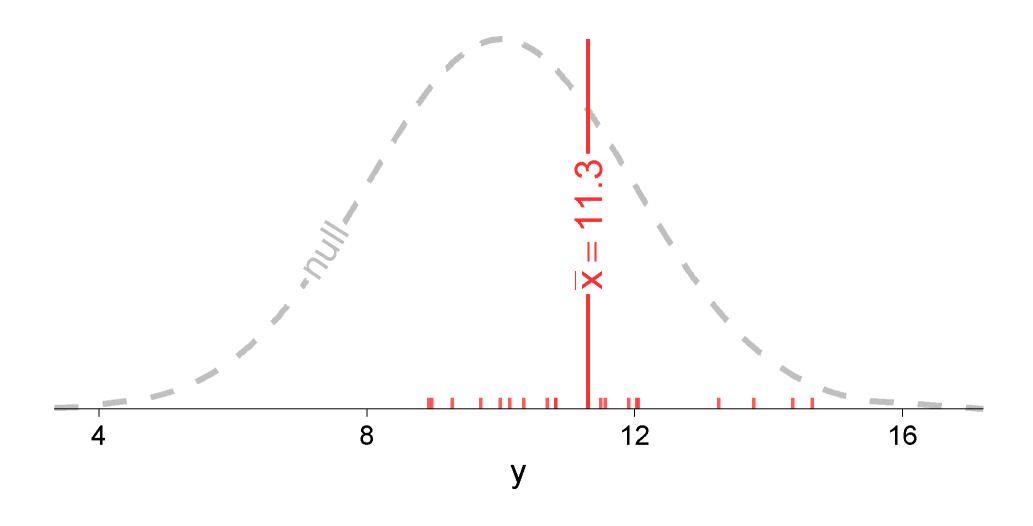
```
1 n_samp <- 20
2 samp_mean <- 12</pre>
```

```
1 alt <- data.frame(x = seq(-20, 20, length.out = n_samp)) |>
2  mutate(y = rnorm(n_samp, samp_mean, pop_sd),
3  dens = dnorm(y, samp_mean, pop_sd))
```

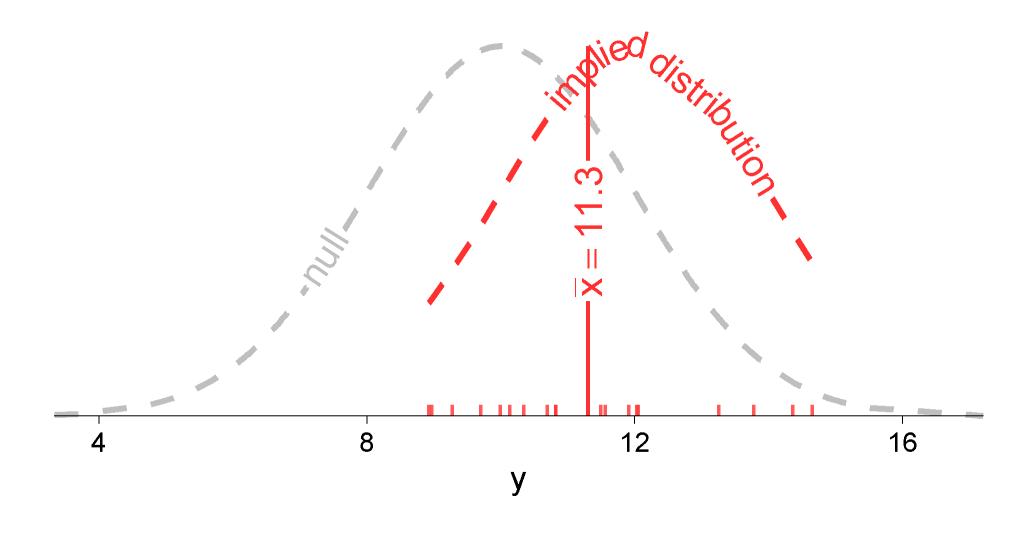
Plot



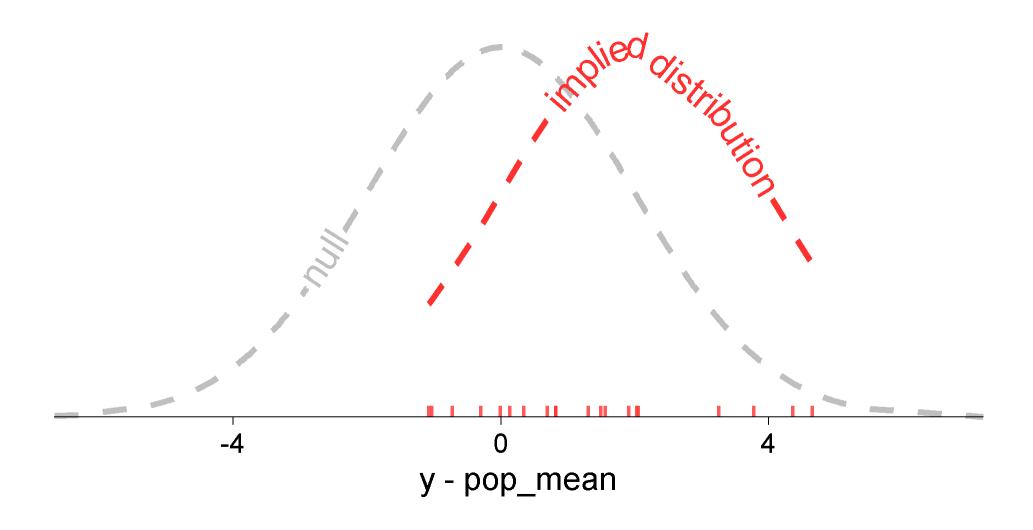
Plot



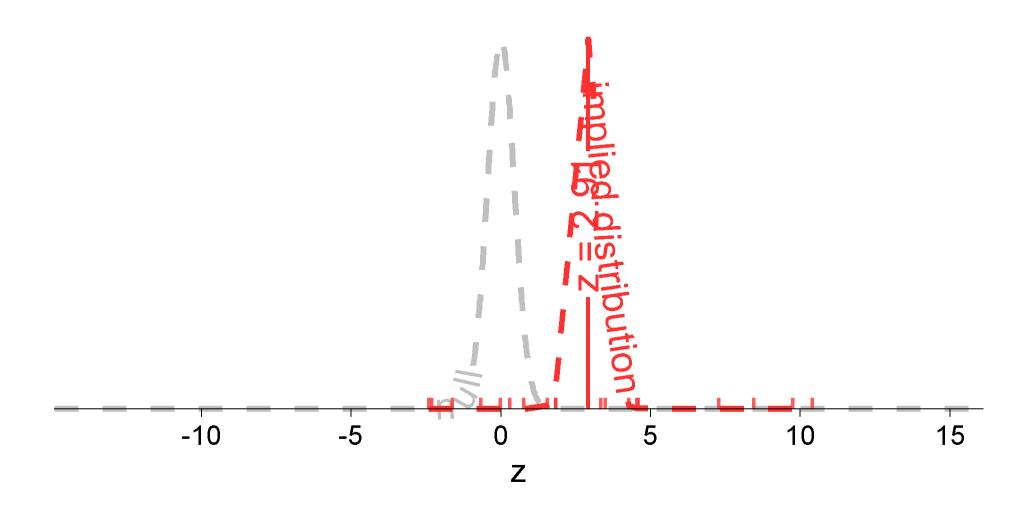
Plot



Plot



Plot



Now let's try an example with the same mean difference, but the population variance is larger

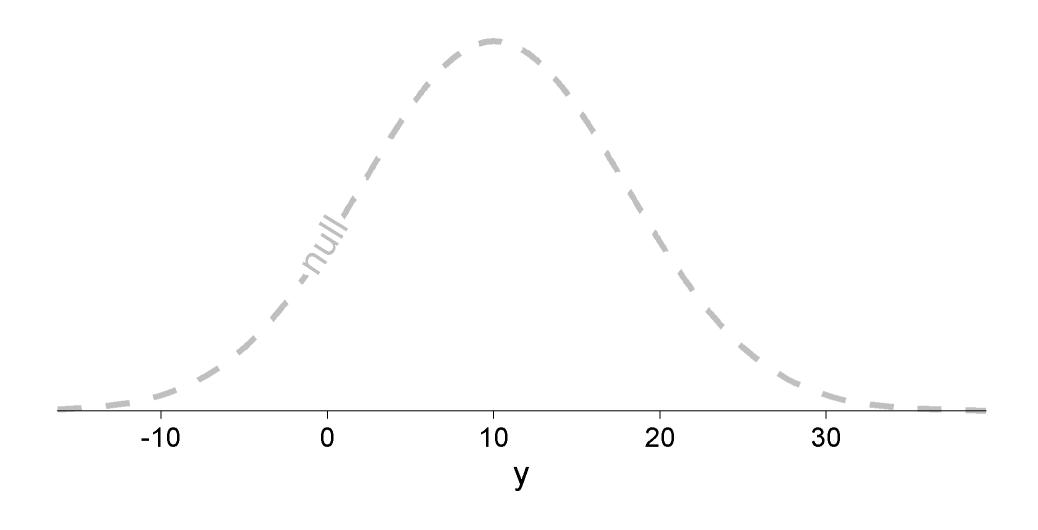
$$\mu = 10, \sigma^2 = 64, \sigma = 8$$

Let's then collect a sample of 20 people. Say they have a sample mean of about 12.

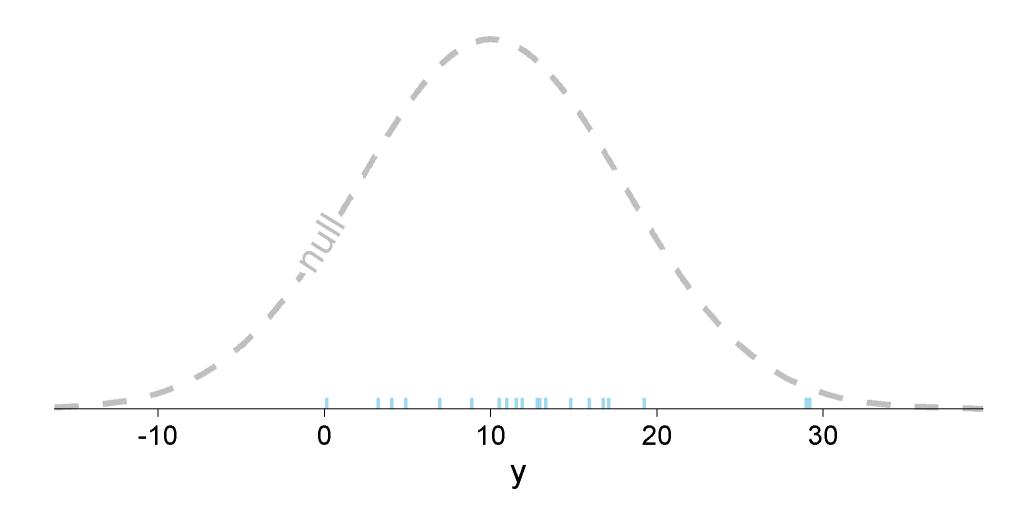
```
1 pop_sd <- 8
2 n_samp <- 20
3 samp_mean <- 12</pre>
```

```
6 mutate(y = rnorm(n_samp, samp_mean, pop_sd),
7 dens = dnorm(y, samp_mean, pop_sd))
```

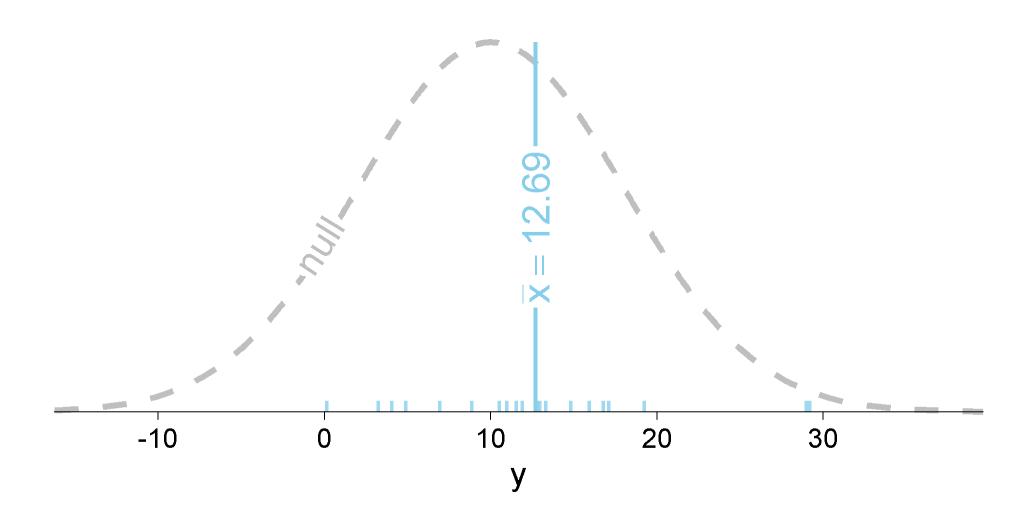
Plot



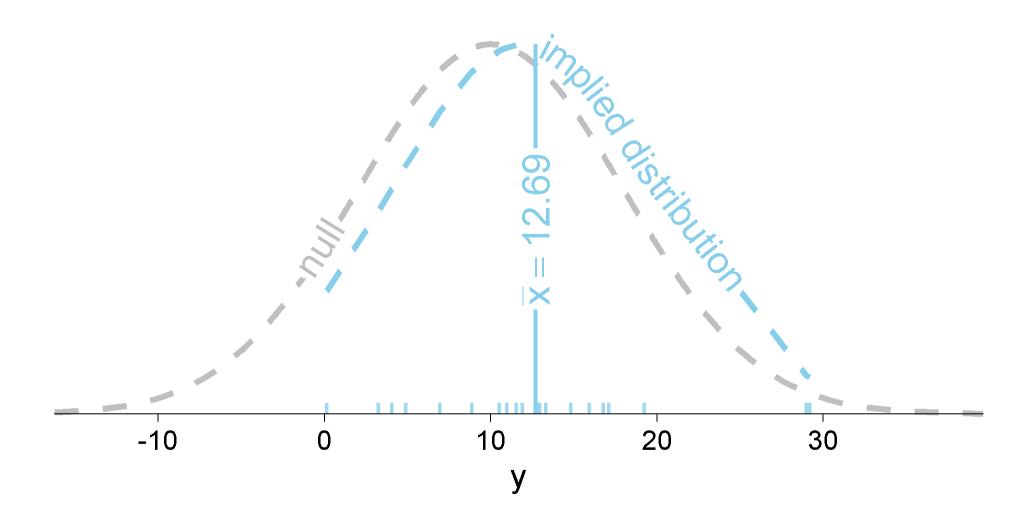
Plot



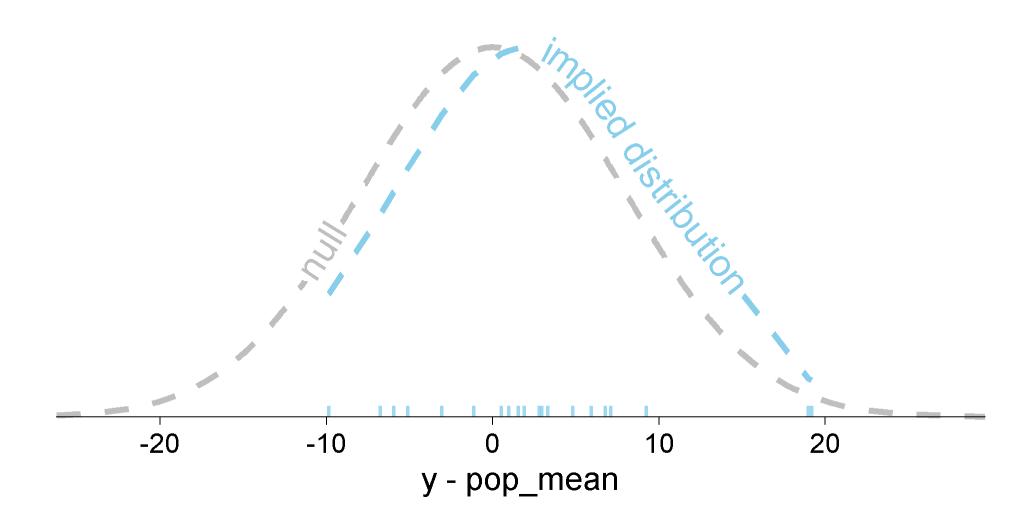
Plot



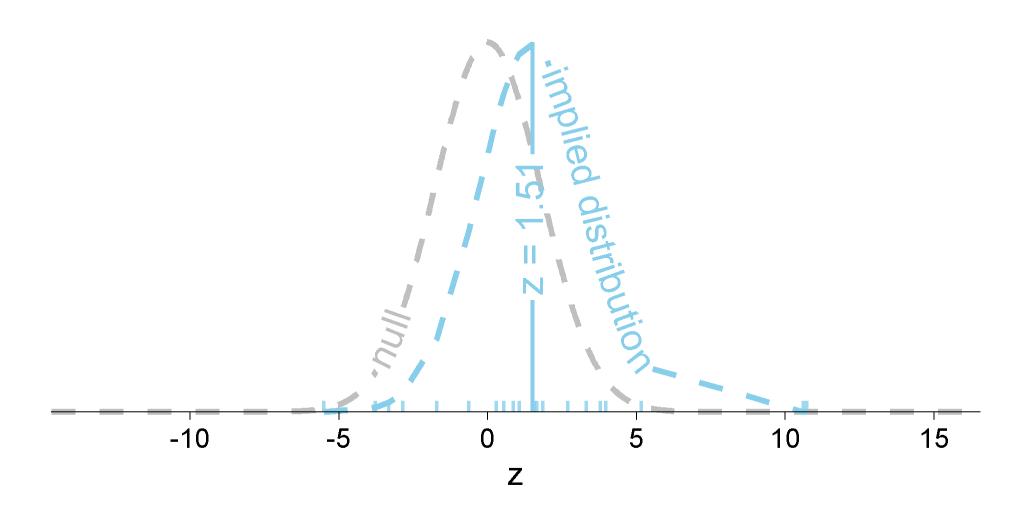
Plot



Plot



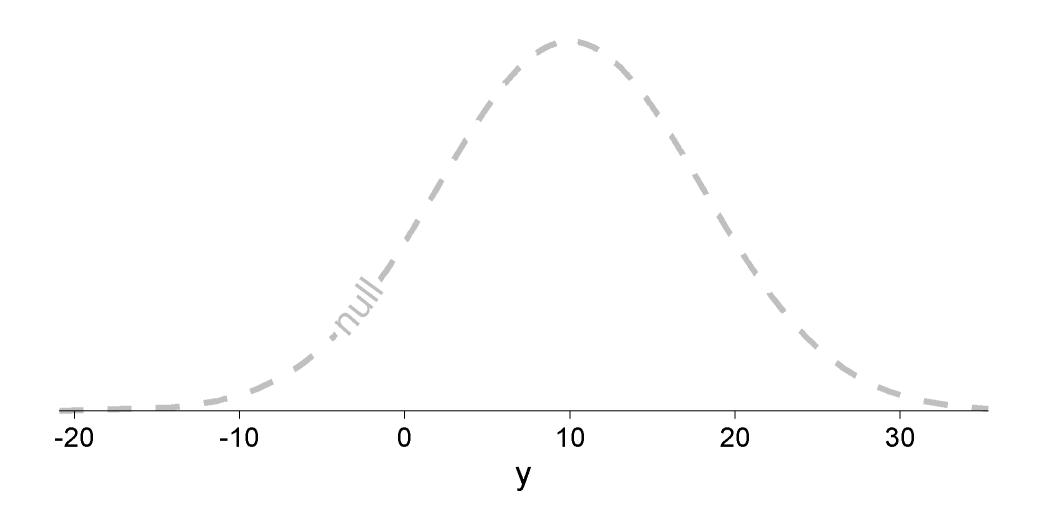
Plot



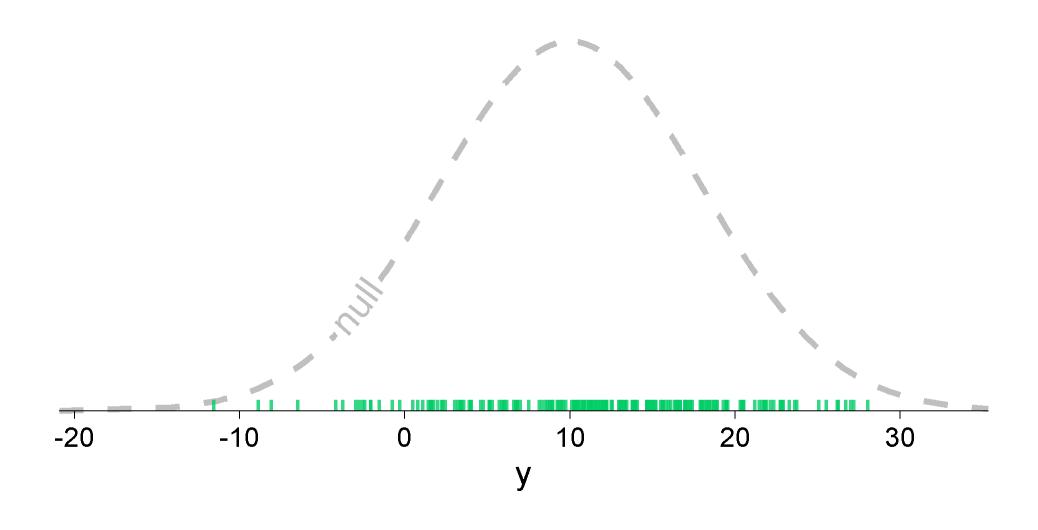
Let's try the same population parameters, but take a bigger sample! Let's then collect a sample of 200 people. Say they have a sample mean of about 12.

```
1 n_samp <- 200
```

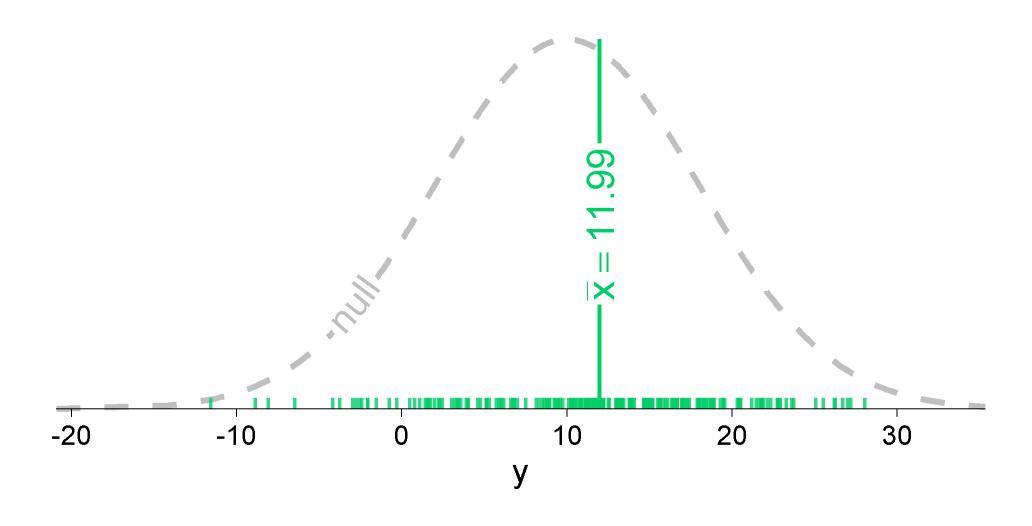
Plot



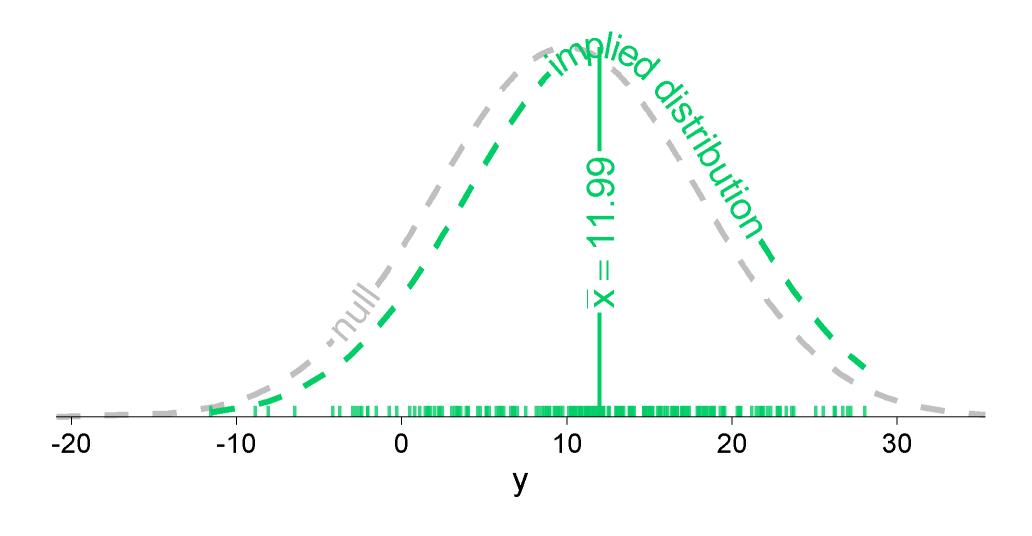
Plot



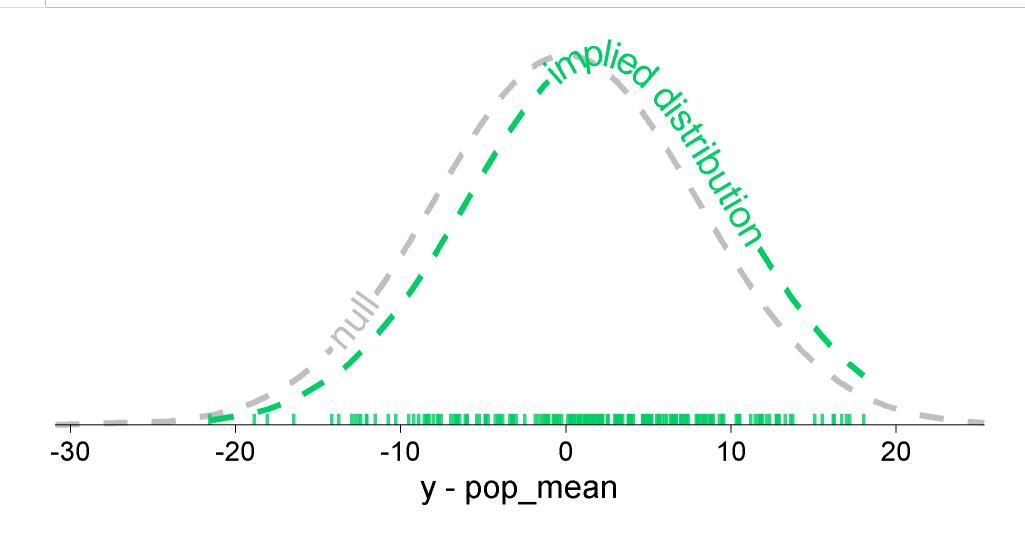
Plot



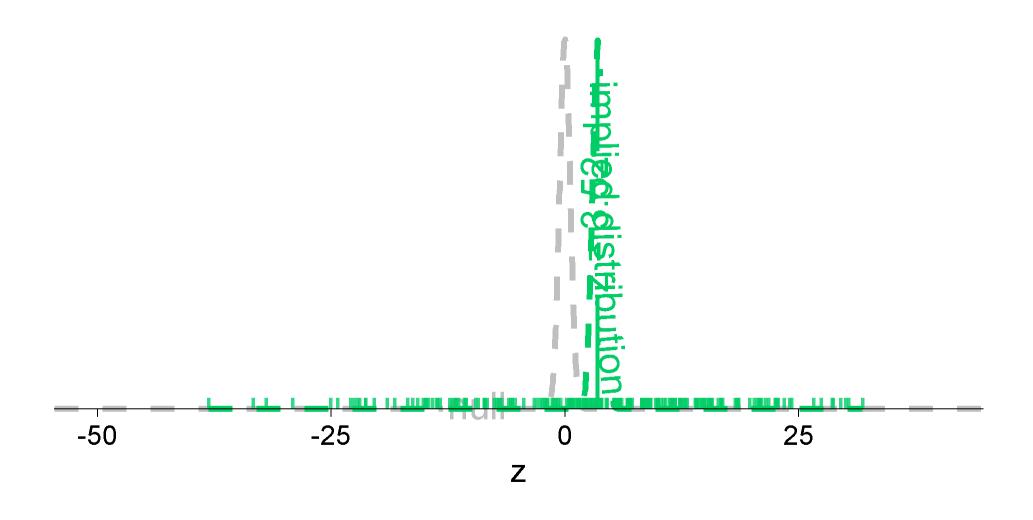
Plot



Plot



Plot

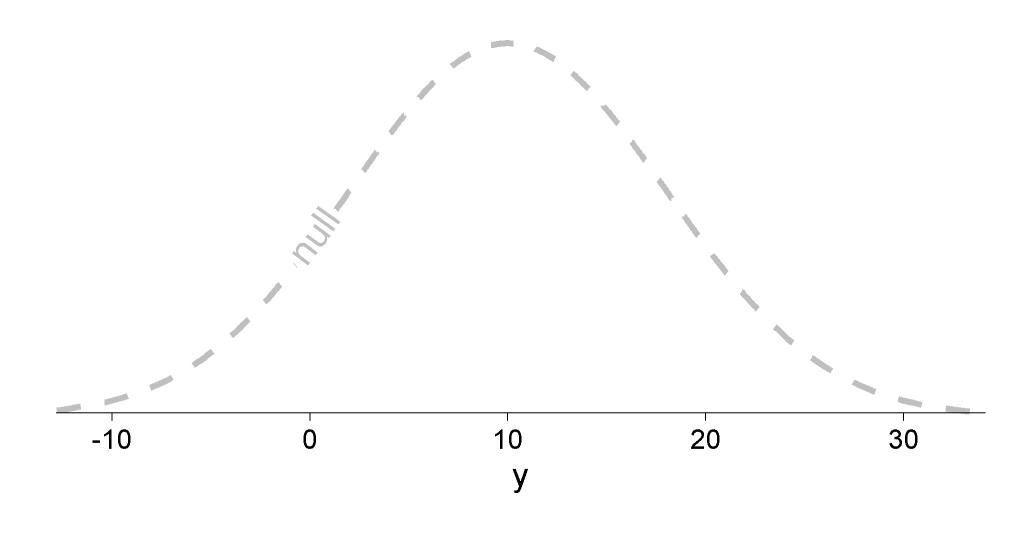


Now let's say there's a huge difference between our population mean and sample mean. But, we only took a sample of 5 people.

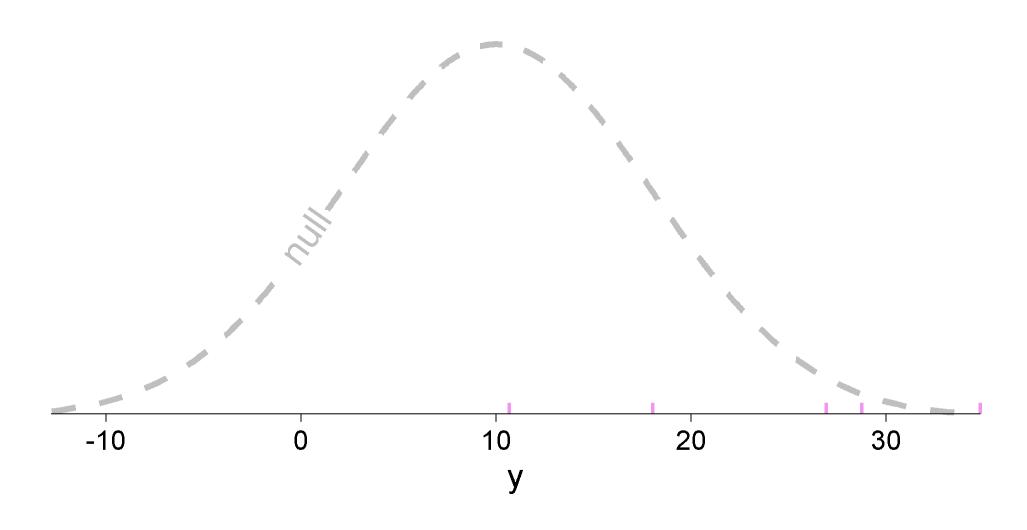
$$\mu=10, \sigma^2=4, \sigma=2$$

```
1 n_samp <- 5
2 samp_mean <- 20</pre>
```

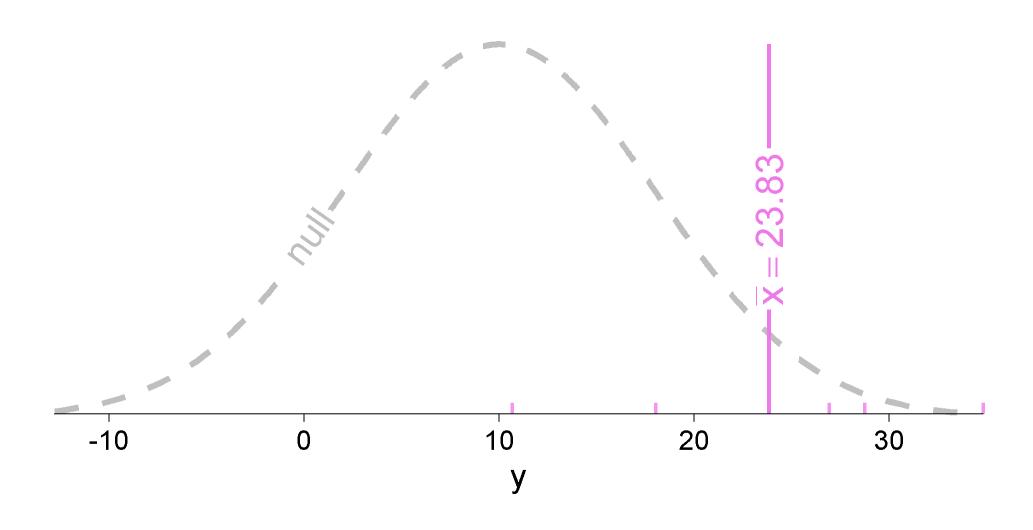
Plot



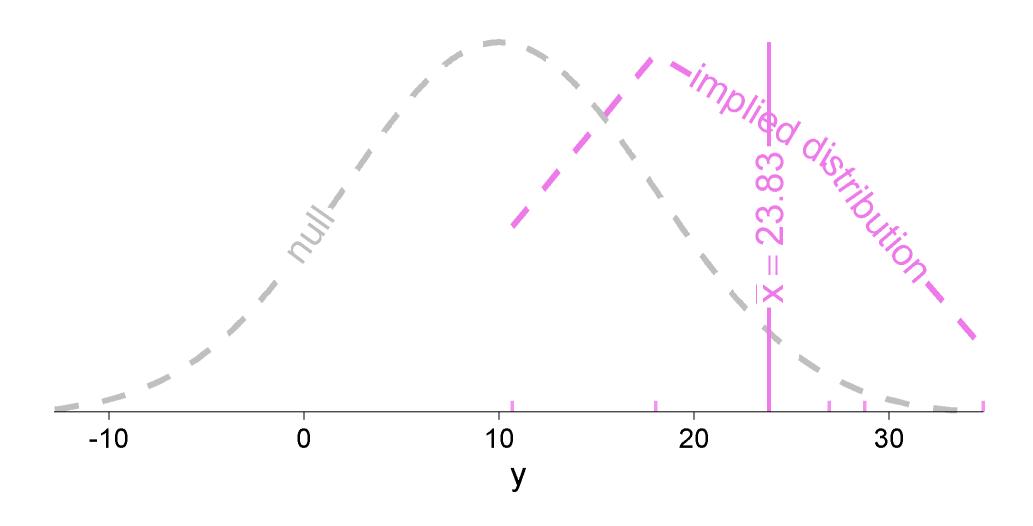
Plot



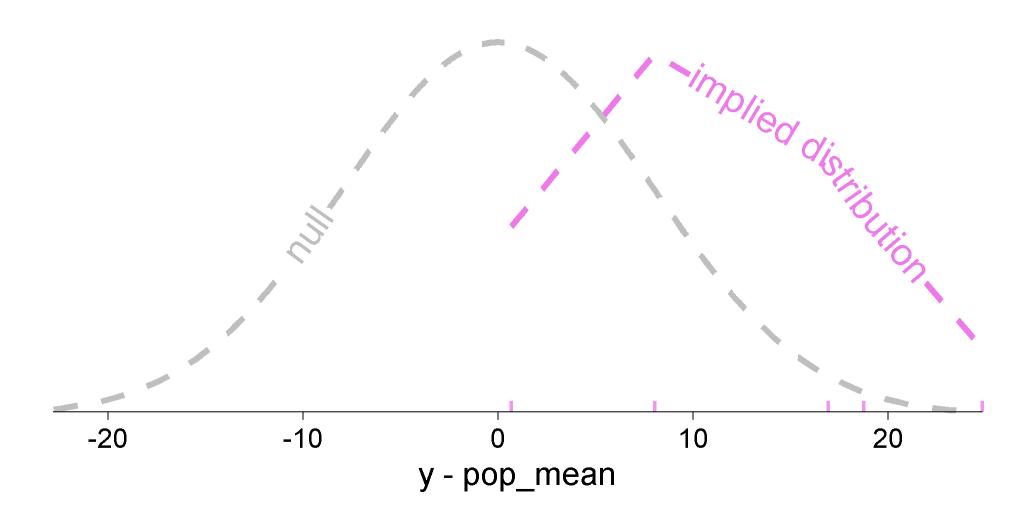
Plot



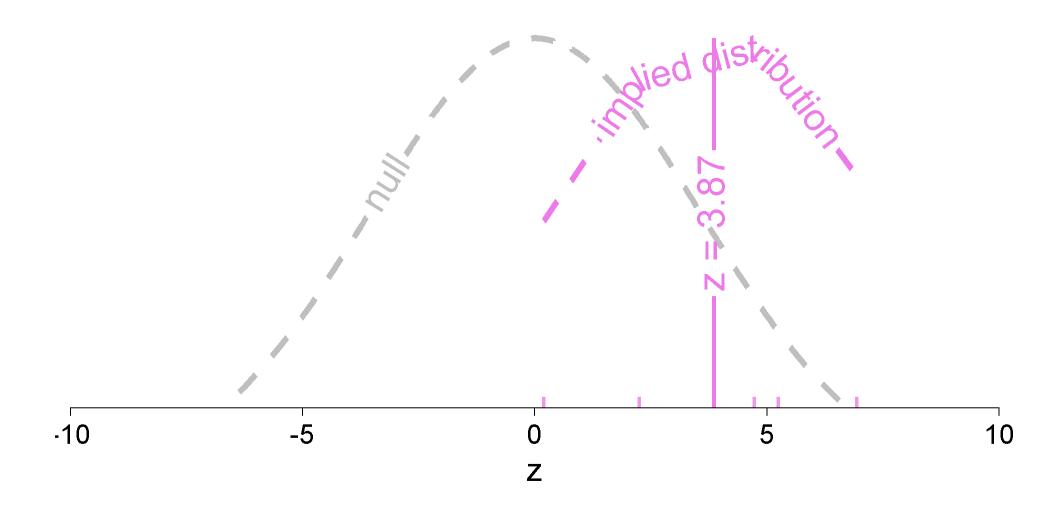
Plot



Plot



Plot



#### Example Z-test in R

Let's do an example in R. Since we're so familiar with it, let's use the iris dataset.

Suppose we have a friend who's a renowned flower researcher. This friend tells us that the population mean for irises is 4cm for petal lengths and 3cm for petal widths. The population variance for both is 4. This friend has collected the iris data and would like us to test if the sample means for petal length and petal width are different than the population mean.

Let's set this up!

#### Example Z-test in R

First: what is our null hypothesis? Alternative?

Petal Length	Petal Width
6	

 $H_0:$   $H_0:$ 

 $H_A:$   $H_A:$ 

## Example Z-test in R

What are our estimates and parameters?

#### **Petal Length**

#### N: length(iris\$Petal.Length) = 150

#### $\bar{x}$ : mean(iris\$Petal.Length) = 3.76

```
\mu_{length} :
```

 $\sigma$ :

#### **Petal Width**

```
N: length(iris$Petal.Width) = 150
```

```
\bar{x}: mean(iris$Petal.Width) = 1.2
```

 $\mu_{length}$  :

 $\sigma$ :

#### Note

length() vs nrow(): length() returns the length of a vector, and nrow() returns the number of rows
in a dataframe. For both, what might go wrong here?

## Example Z-test in R

Let's calculate these z-statistics.

#### **Petal Length**

```
samp_mean <- mean(iris$Petal.Length)
pop_mean <- 4
pop_sd <- sqrt(4)
samp_n <- sum(!is.na(iris$Petal.Length))

z_Petal.Length <- (samp_mean - pop_mean) /
   (pop_sd / sqrt(samp_n))
z_Petal.Length</pre>
```

[1] -1.481941

#### Interpretation?

#### **Petal Width**

```
z_Petal.Width <- (mean(iris$Petal.Width) - 3) /
  (sqrt(4) / sqrt(sum(!is.na(iris$Petal.Length)))
z_Petal.Width
[1] -11.02679</pre>
```

### **Z**-Distribution in R

Since a standard normal distribution. and z-distribution are the same, we can use the norm() function family to examine the distribution.

## Sampling from *z*-distribution

```
1 rnorm(10)

[1] 0.51594139 1.79543362
-0.54505247 1.76562800
-0.06737896 -1.39235310

[7] 0.87729246 1.02919715
2.01662311 -0.80411997
```

# Probability of a given *z*-value

```
1 pnorm(c(-1.96, 1.96))
[1] 0.0249979 0.9750021
1 pnorm(3)
[1] 0.9986501
1 pnorm(3, lower.tail = F)
[1] 0.001349898
```

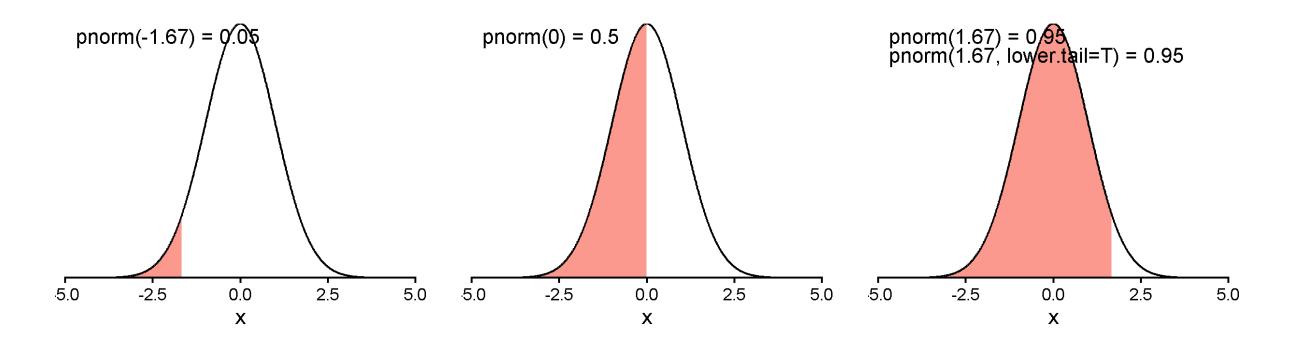
# z-value at a given probability

```
1 qnorm(c(.025, .975))
[1] -1.959964 1.959964
1 qnorm(.5)
[1] 0
```

Note

pnorm() gives the probability at or less than the value supplied. p-values look at the probability of that or more extreme values, so we use lower.tail=FALSE to get a p-value for a z-value

## Quick lower.tail Demo



## Example Z-test in R

Let's calculate these z-statistics.

#### **Petal Length**

```
      1 z_Petal.Length
      z_Petal.Width

      [1] -1.481941
      [1] -11.02679

      1 pnorm(z_Petal.Length)
      pnorm(z_Petal.Wid

      [1] 0.06917796
      [1] 1.419134e-28
```

#### Interpretation?

#### **Petal Width**

```
z_Petal.Width
[1] -11.02679
pnorm(z_Petal.Width)
```

# Working Directory Workshop

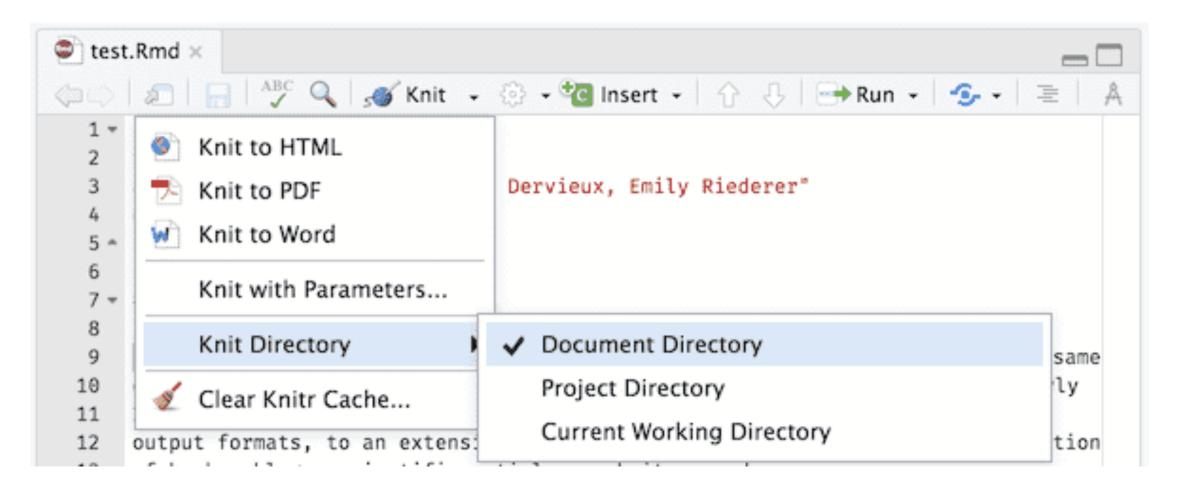
Our working directory is where R starts looking for files when we ask it to

In RMarkdown, knitr (which knits our document) overrides working directory changes within a chunk

Relative paths let us specify paths to a file from a starting point folder By default,

- RMarkdown's starting point is the document's folder
- o here::here()'s starting point is the project's folder
- R script's starting point is the project's folder

You can change where RMarkdown knits to (this will also change where the .html output appears)



How would we specify paths to each of these files?

```
Documents/PSYC2020L
   PSYC2020L.Rproj
    Lab 1
        data1.csv
        script1.R
        rmdfile1.Rmd
    Lab 2
        data2.csv
        rmdfile2.Rmd
                                rmdfile1.Rmd to data1.csv
                                                                 rmdfile2.Rmd to data1.csv
script1.R to data1.csv
"Lab 1/data1.csv" or
                                "data1.csv" or here::here("Lab "../data2.csv" or
here::here("Lab 1",
                                                                 here::here("Lab 1",
                                1", "data1.csv")
                                                                 "data1.csv")
"data1.csv")
```

#### Working Directory Demo

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2025-10-02

My file structure:

```
Documents/PSYC2020L
├─ PSYC2020L.Rproj
└─ labs
    ├─ Lab 7 - NHST I
        └─r4ds.jpg
      — Lab 8 - NHST II
          — test.Rmd
        └─ R.png
getwd()
## [1] "C:/Users/jessi/OneDrive - Georgia Institute of Technology/Courses/GTA/PSYC2020L/labs/Lab 8 - NHST II"
here::here()
## [1] "C:/Users/jessi/OneDrive - Georgia Institute of Technology/Courses/GTA/PSYC2020L"
```

#### Getting R Picture

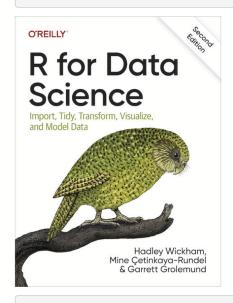
```
knitr::include_graphics("R.png")
```



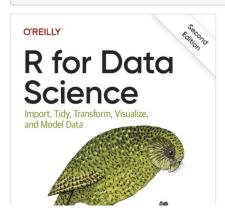
knitr::include\_graphics(here::here("labs", "Lab 8 - NHST II", "R.png"))



knitr::include\_graphics("../Lab 7 - NHST I/r4ds.jpg")



knitr::include\_graphics(here::here("labs", "Lab 7 - NHST I", "r4ds.jpg"))



Let's do this for real!

Download the data.csv file off Canvas

Make a test R script (could be regular R script if you follow along) and test RMarkdown document

Let's make sure we can all read files in both formats

## **Assignment 8**