

Voc
GF/TR

It may be the case that $w_i^x = w_j^y$

Train set

$$d_j^2 =$$

Diagram illustrating a weight matrix W^2 with dimensions $D \times 100$. The columns are labeled $w_1^2, w_2^2, w_3^2, w_4^2, \dots, w_{100}^2$. The rows are labeled $1, 2, \dots, D$. The matrix is partitioned into green and gray blocks. Columns 1, 4, and 100 are green. Columns 2 and 3 are gray. Columns 5 through 99 are white. Ellipses (...) are shown in the middle of the white columns.

GF/TR VOC embeddings

C_1	w_1^1	w_2^1	\dots	w_{100}^1
C_2	w_1^2	w_2^2	\dots	w_{100}^2
C_3	w_1^3	w_2^3	\dots	w_{100}^3
\vdots				
C_N	w_1^N	w_2^N	\dots	w_{100}^N

$$V_x = \{w_v^x\}, v = 1, 2, \dots, 100$$

Test set

$$d_j = (w_1^j, w_2^j, \dots, w_k^j)$$

$$d_j^{V_x} = \{w \in d_j \mid w \in V_1 \cup V_2 \dots \cup V_N\}$$

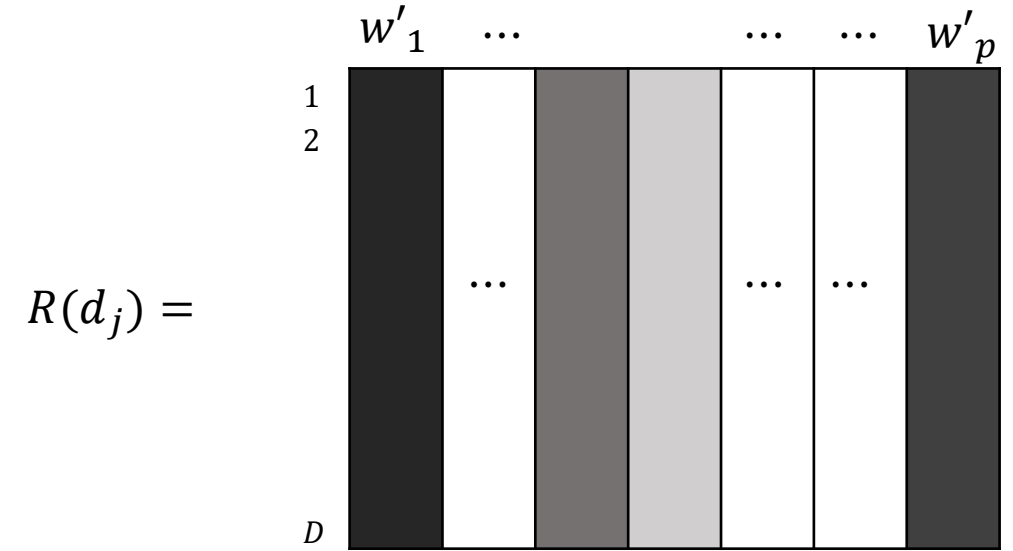
$$\mathcal{C}_i = \{V_x \mid w_i^x \in d_j^{V_x}\} ; i = 1, 2, \dots, p = |d_j^{V_x}|.$$

$$\alpha_i = \frac{\exp(-|\mathcal{C}_i|)}{\sum_{i=1}^p \exp(-|\mathcal{C}_i|)}$$

$$w'_i = \alpha_i w_i^x, i = 1, 2, \dots, p ; w_i^x \in d_j^{V_x}$$

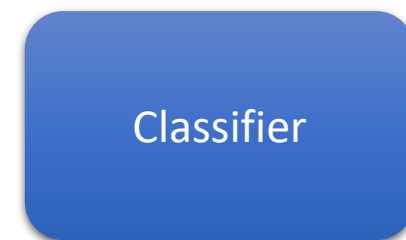
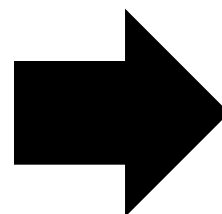
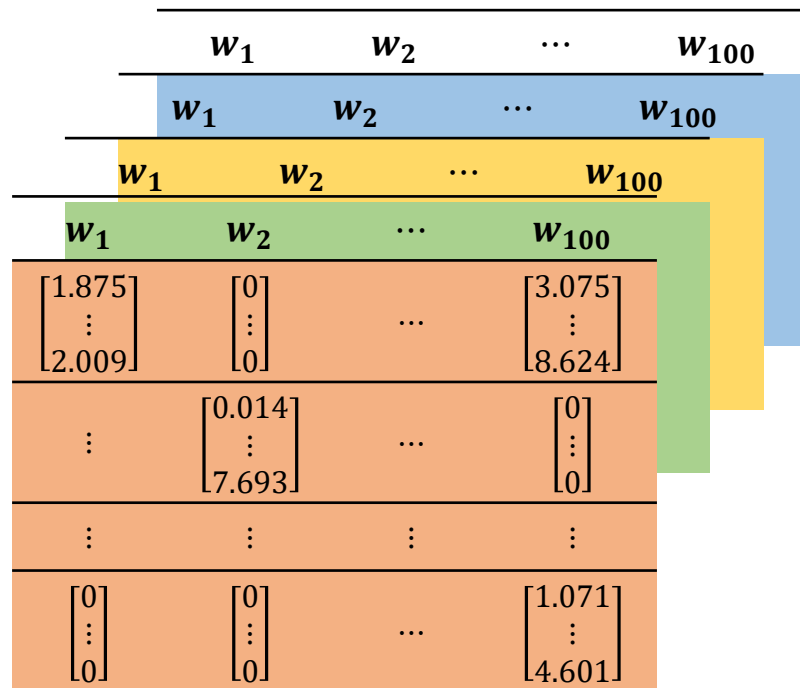
$$R(d_j) = (w'_1, w'_2, w'_3, \dots, w'_p)$$

Ordenados por valor decreciente de α

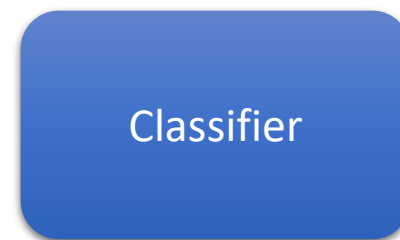
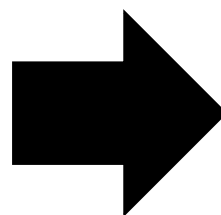
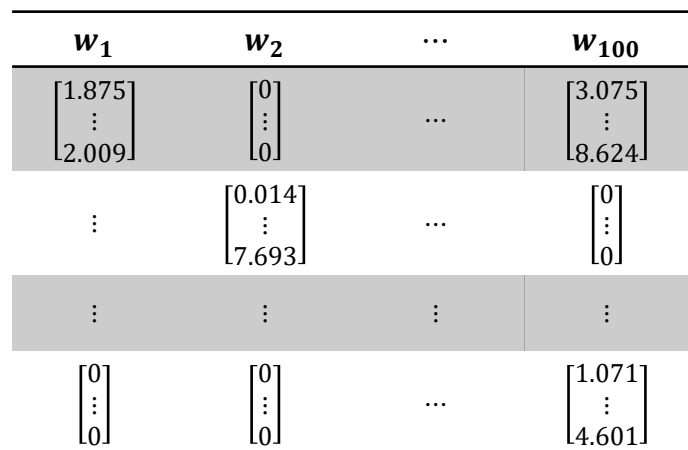
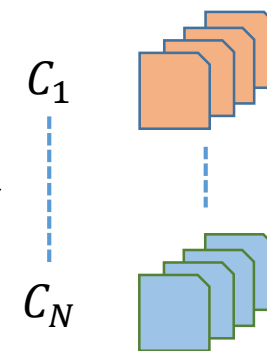
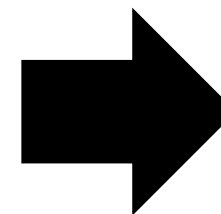


Dos enfoques posibles:

1. Rellenar/truncar $R(d_j)$
2. $\text{PCA}(R(d_j))$



Training Phase



Test Phase

