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CSE 5524

11/05/22

Libraries

```
In [1]: %matplotlib inline
        import numpy as np
        import matplotlib.pyplot as plt
        from matplotlib.image import imread
        import matplotlib.animation as animation
        import matplotlib.cm as cm
        import scipy
        import scipy.ndimage
        import skimage.io
        import operator as op
        import itertools as it
        from PIL import Image
        from skimage.segmentation import slic
        from skimage.segmentation import mark boundaries
        from skimage import morphology
        from sklearn.neighbors import NearestNeighbors
        # plt.rcParams['figure.figsize'] = [20, 20]
```

1) Compute a disparity map for the images left.png and right.png (having parallel optical axes) using the basic stereo matching algorithm. Use the NCC function to perform the template matching for each patch in the left image searching in the right image (search only leftward from – and including! – the starting point along each row!), and use a window size of 11x11 pixels. To make things run a bit faster for the grader, when searching leftward, only move up to 50 pixels to the left (instead of going all the way to the edge of the image). Use the following Matlab code (or Python equivalent) to display the disparity map D with a gray colormap and clip the disparity values at 50 pixels, making sure to display the full range of remaining values (e.g., using Matlab's imagesc function): [5 pts]

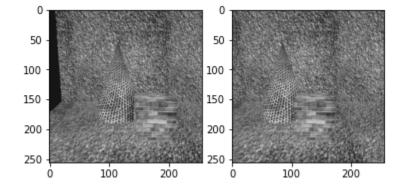
```
imagesc(D, [0 50]);
axis equal;
colormap gray;
```

```
In [2]: def getAverageRGBN(image):
    """
    Given np Image, return average value of color as (r, g, b)
    """
    # get image as numpy array
    # get shape
    w,h,d = image.shape
    # change shape
    image = image.reshape(w*h, d)
    # get average
```

```
return (np.mean(image, axis=0))
# assume templateDiffs are a cube of differences in x,y,rqb plane
def ncc(templateDiffs, templateStd, patchIm):
   nPixels = templateDiffs.shape[0] * templateDiffs.shape[1]
   NCC = 0
   nRGB = 0
    if len(patchIm.shape) > 2:
        nRGB = templateDiffs.shape[2]
       patchMeans = getAverageRGBN (patchIm) #np.zeros (nRGB)
       patchStd = np.zeros(nRGB)
        nPixels = templateDiffs.shape[0] * templateDiffs.shape[1]
        for color in range(templateDiffs.shape[2]): # get rgb
            patchStd[color] = np.std(patchIm[:,:,color],ddof=1) # unbiased
        # get differences, all vectorized because otherwise it's too slow without C mapp
        patchDiffs = np.zeros(patchIm.shape)
        for c in range(nRGB):
            patchDiffs[:, :, c] = patchIm[:,:,c] - patchMeans[c]
        NCC = np.multiply(patchDiffs, templateDiffs)
        for c in range(nRGB):
            denom = templateStd[c] * patchStd[c] # standard deviation term
        NCC[:,:,c] = np.divide(NCC[:,:,c], denom)
    else:
       patchMeans = np.mean(patchIm)
       patchStd = np.std(patchIm, ddof=1) # unbiased
        # get differences, all vectorized because otherwise it's too slow without C mapp
        patchDiffs = patchIm - patchMeans
       NCC = np.multiply(patchDiffs, templateDiffs)
        denom = templateStd * patchStd # standard deviation term
        NCC = np.divide(NCC, denom)
   NCC /= (nPixels - 1)
   NCC = np.sum(NCC)
    return NCC
def disparity(left, right, windowSize, offset=50):
    disp = np.zeros(left.shape)
    finalOriginRow = right.shape[0] - windowSize + 1
    finalOriginCol = right.shape[1] - windowSize + 1
    # for each patch in left, find corresponding in right. Horizontal row scanning
    for r in range(finalOriginRow):
        for templateC in range(finalOriginCol):
            bestCol = 0
            bestNCC = -np.inf
            templateIm = left[r:(r+windowSize), templateC:(templateC+windowSize)] # temp
            templateMeans = 0
            templateStd = 0
            templateDiffs = np.zeros(templateIm.shape)
            if len(templateIm.shape) > 2:
                templateIm = left[r:(r+windowSize), templateC:(templateC+windowSize),:]
                templateMeans = np.zeros(templateIm.shape[2])
                templateStd = np.zeros(templateIm.shape[2])
                for color in range(templateIm.shape[2]):
                    templateMeans[color] = np.mean(templateIm[:,:,color])
                    templateStd[color] = np.std(templateIm[:,:,color],ddof=1)
                for color in range(templateIm.shape[2]):
                    templateDiffs[:,:,color] = templateIm[:,:,color] - templateMeans[col
            else:
                templateMeans = np.mean(templateIm)
                templateStd = np.std(templateIm, ddof=1)
                templateDiffs = templateIm - templateMeans
            # go right to left pixel wise from starting point in left image.
            for candidateC in range(templateC, templateC - offset, -1):
                if candidateC > -1:
```

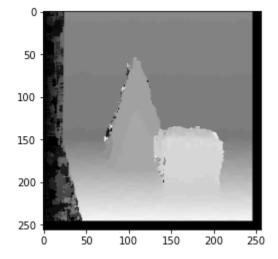
```
In [3]: left = plt.imread('left.png')
    right = plt.imread('right.png')
    fig, ax = plt.subplots(1,2)
    ax[0].imshow(left, cmap='gray')
    ax[1].imshow(right, cmap='gray')
```

Out[3]: <matplotlib.image.AxesImage at 0x23bf726f790>



```
In [4]: dispMap = disparity(left,right,windowSize=11)
   plt.imshow(dispMap,cmap='gray')
```

Out[4]: <matplotlib.image.AxesImage at 0x23bf93cda90>

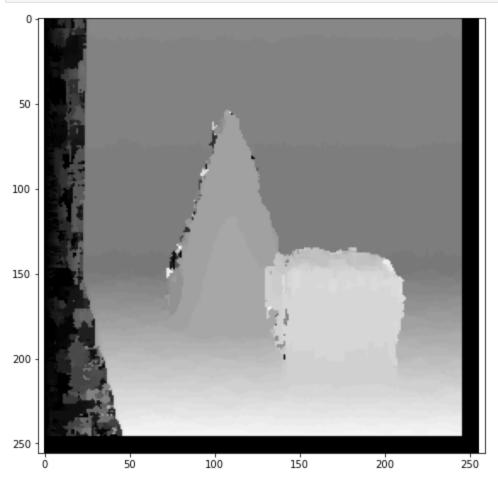


```
In [5]: print(np.min(dispMap))
    print(np.max(dispMap))
```

0.0 49.0

```
In [13]: dispMapClipped = dispMap.copy()
    dispMapClipped = np.clip(dispMapClipped, 0, 50)
    plt.figure(figsize=(8,8))
    plt.axis('equal')
```

```
plt.imshow(dispMapClipped,cmap='gray')
plt.imsave("pl_dispMap.png", dispMap, cmap='gray')
plt.imsave("pl_dispMapClipped.png", dispMapClipped, cmap='gray')
```



Discussion: Cool things to note, there's a giant cube with a weird hole in it that is in front of the cone that we can clearly see. The giant cube is hard to see without this disparity map. This algorithm is also super slow if you have to scan for every single pixel. I can definitely understand now why it may be better to scan only a certain select few interest points to produce a better depth map. Also some key things to notice, the left side of the original displayed image is where there exists objects in the left that do not match any objects in the right image, which I suppose makes sense. Other things to note is that when window sizing, whether you start in the top left corner of a template "window" or you start in the center, a window size of greater than 1 pixel will invariably lead to some areas that are "unscannable" (unless you perform some special extrapolations and then compression).

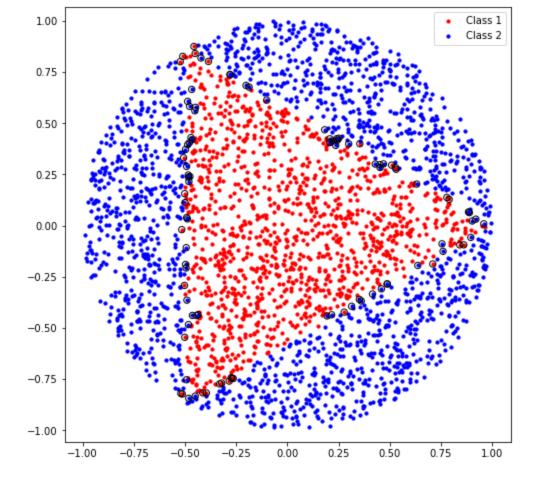
2) Use the points in file train.txt as training data (this file contains 1 row for each data point where the first two columns are x,y coordinates and the third column is the ground truth classification label – there are 2 classes). Classify all the test data points in the file test.txt (formatted in the same way) using K=1. Calculate and report the accuracy of your algorithm (compared to the third column ground truth of the test data). Plot the test data points, color coded by the class label your algorithm gives (use plot() options 'r.' and 'b.'). On the same figure (use hold on/off), (re)plot the points which are misclassified (use plot() option 'ko' or something similar to easily identify these points). Repeat this for K=5, 11, and 15. Compare the plots and accuracy results for different values of K. [4 pts] (Note: You may use the Matlab function knnsearch()for part of this problem.)

```
# get difference matrix
   X = train[:,:2]
   nbrs = NearestNeighbors(n neighbors=K, algorithm='ball tree').fit(X)
    distances, indices = nbrs.kneighbors(point.reshape(1, 2))
   nearestClasses = np.zeros(K)
    for i in range(K):
        nearestClasses[i] = train[indices[0,i],2]
    unique, counts = np.unique(nearestClasses, return counts=True)
    indexOfMax = np.argmax(counts)
    return unique[indexOfMax]
# note it takes in only test data, without its labels.
def KNN(train, test, K):
    predictedLabels = np.zeros(test.shape[0])
   for i in range(test.shape[0]):
       predictedLabels[i] = knn predict(train, test[i,:], K)
    return predictedLabels
def accuracy(predicted, label):
   return (label.shape[0] - np.sum(np.abs(predicted - label))) / label.shape[0]
def plot(data, prediction, labels, K):
   plt.figure(figsize=(8,8))
   X 1 = []
   X 2 = []
    for i in range(prediction.shape[0]):
       if prediction[i] == 1:
           X 1.append(data[i,:])
        else:
            X 2.append(data[i,:])
   X 1 = np.stack(X 1, axis=0)
   X_2 = np.stack(X_2, axis=0)
   pointSize = 10
    # plot all class 1
   plt.scatter(X 1[:,0],X 1[:,1],s=pointSize, color='r', label='Class 1')
    # plot all class 2
   plt.scatter(X 2[:,0],X 2[:,1],s=pointSize, color='b', label='Class 2')
   # plot all incorrect
    incorrectPredictionPoints = prediction != labels
    for i in range(incorrectPredictionPoints.shape[0]):
        if incorrectPredictionPoints[i]:
            plt.scatter(data[i,0], data[i,1], color='k',s=40, facecolors='none')
    plt.axis('equal')
   plt.legend()
   plt.savefig('K' + str(K) + '.png')
def problem2KNN(train, test, K):
   test data = test[:,:2]
   test labels = test[:,2]
   predicted = KNN(train, test data, K)
   plot(test data, predicted, test labels, K)
    print("Acc:", accuracy(predicted, test labels))
```

```
In [8]: test = np.loadtxt("test.txt")
        train = np.loadtxt("train.txt")
```

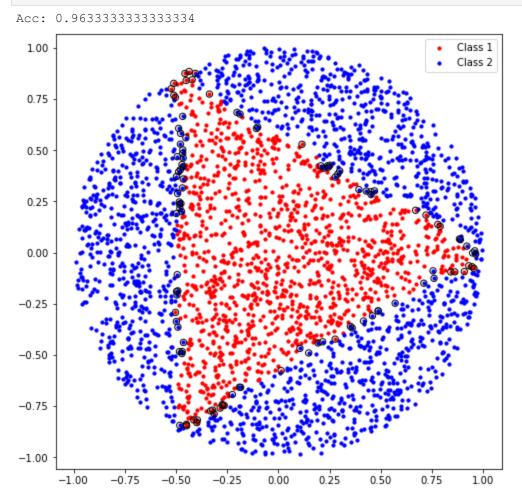
K = 1

```
In [9]: problem2KNN(train, test, K=1)
```



K = 5

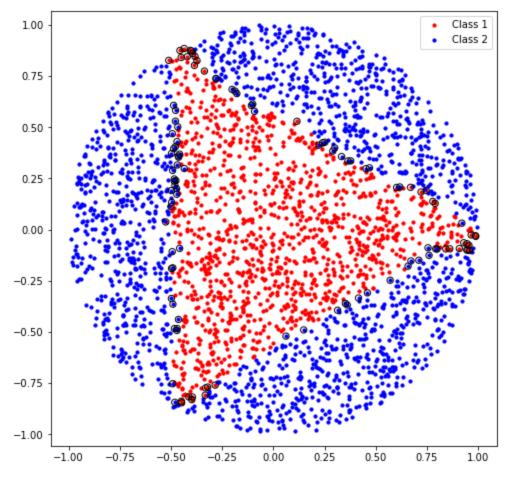
In [10]: problem2KNN(train,test,K=5)



K = 11

In [11]: problem2KNN(train,test,K=11)

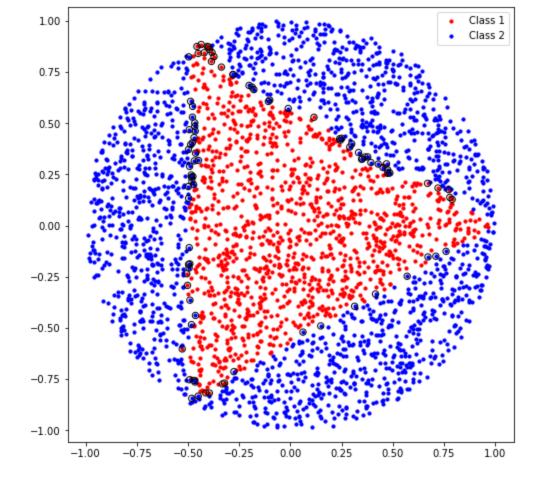
Acc: 0.9626666666666667



K = 15

In [12]: problem2KNN(train,test,K=15)

Acc: 0.969



Discussion: The corresponding accuracies to K=1,5,11,15 are 0.9677, 0.9633, 0.9627, 0.969. In this case, interestingly, K=15 did the best, then K=1, then K=5, then K=11, which basically meant that there wasn't an explicit ordering of which K was best. As such, it is probably extremely important to do cross-validation for a range of reasonable K values as you won't know which one performs best until you test it. Regarding each plot, they all had a triangle of class 1 in the center where misclassifications happened at the edges of the triangle between class 1 and class 2. Interestingly enough, although two corners always had mispredictions, the right corner of the triangle had its mispredictions removed once K=15, which I suppose corresponds to its highest accuracy value.