

Helices indices of RNAs

Jiabin Huang

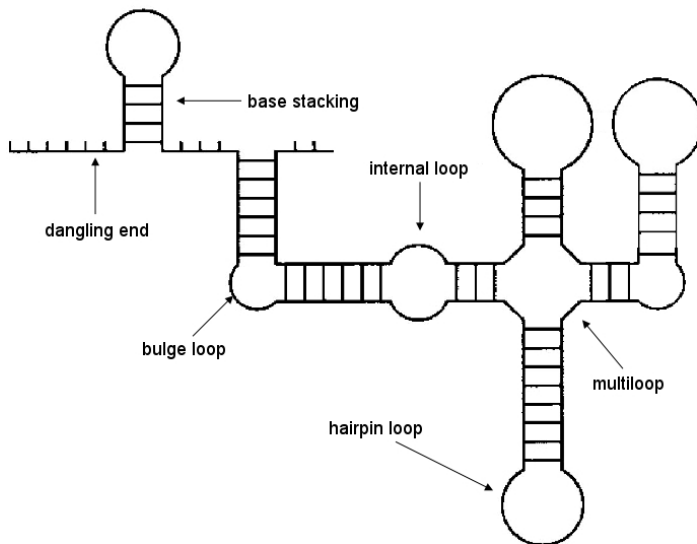
AG Experimentelle Bioinformatik (Cyanolab)
Institut für Biologie III
Universität Freiburg

March 11, 2011

Outline

- an overview of RNA secondary structure elements and a classical RNA secondary structure prediction algorithm
- introducing concept of abstract shapes
- basic idea about the helices indices
- outlook

Secondary structure elements of RNA

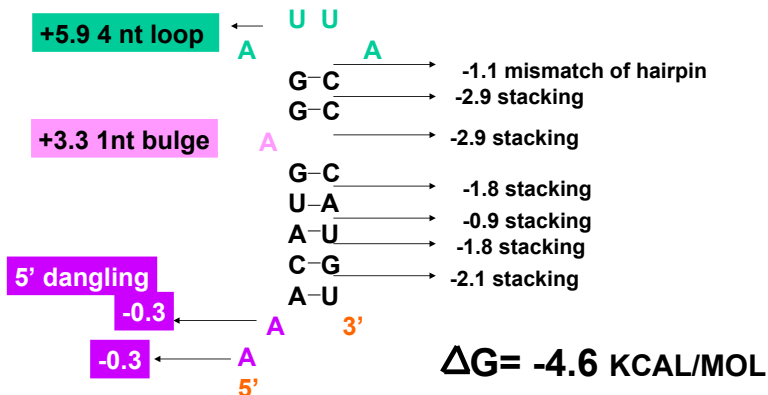


Classical secondary structure algorithms (Zuker 1981)

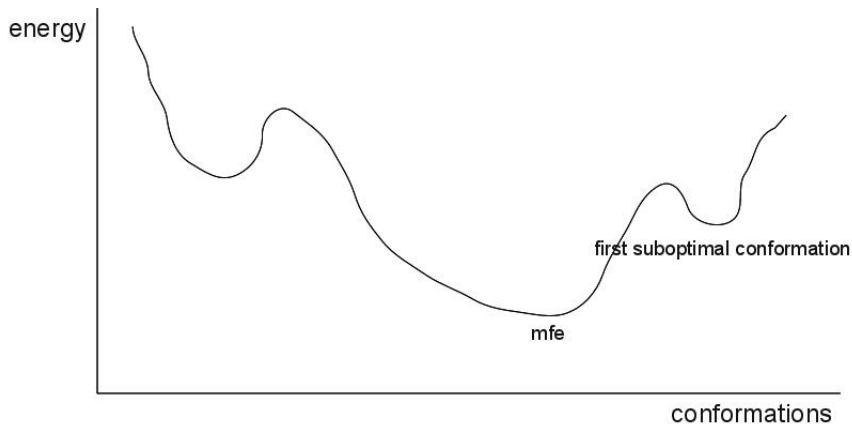
facts about Zuker algorithm

- first described by Zuker and Stiegler in 1981
- assumption: There are no knots (base pairs never cross).
- basic idea:
 - 1 a RNA sequence can be folded into many different secondary structure
 - 2 for every secondary structure, we can calculate a free energy value
 - 3 after that, the algorithm choose the structure with the minimum free energy
- the runtime is $O(n^3)$
- can get only one solution

Free energy computation example



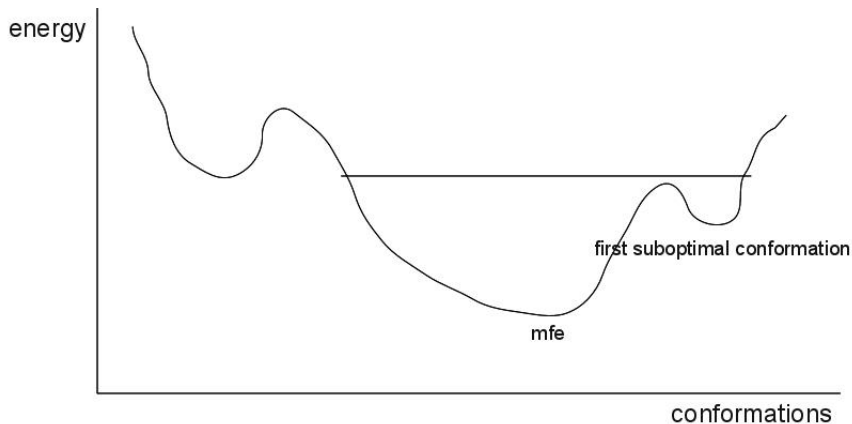
energy landscape



Suboptimal structures

- but the "true" structure is not always the one with the lowest predicted free energy.
- but it is not far away from the mfe and it is normally a local minimum
- one of solution: enumerate all suboptimal structures within a given energy range
- but the number of suboptimal structures grows exponentially with the energy range considered.

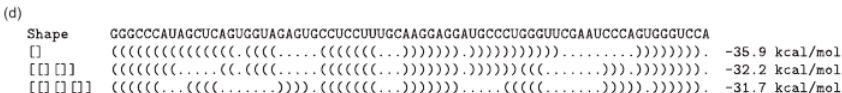
energy landscape setting a range



Introducing abstract shapes

Solution: Use abstract shapes to describe a set of structures.

- developed by Giegerich and Voss
- An abstract shape represents a class of similar structures sharing a common pattern of helix nesting and adjacency.
- "Abstract" since we do not care about all details of the structures.
- Each shape class has a representative structure called shrep (with minimum folding energy).



Drawback of abstract shape

- The major drawback of abstract shape analysis is the position independence of the abstraction

Drawback example 1 of abstract shape

```

AACUAAAACAAUUUUUGAAGAACAGUUUCUGUACUUCAUUGGUAUGUAGAGACUUC
-9.00 .....((((((((((((.....))))))..)))))).. []
-10.70 ..((...((((((..(((((.((((...))))).))))).))))..)).... []

```

Drawback example 2 of abstract shape

```

AACUAAAACAAUUUUUGAAGAACAGUUUCUGUACUUCAUUGGUAUGUAGAGACUUC
-10.70 ..((...((((((..(((((.((((...))))).))))).))))..)).... []
-7.70 ...((((...))))....((((((((((((((((.....))))))..)))))).. [][]

```

develop a new structure abstraction

The straightforward idea to overcome the position independence of the current available shape abstractions is

the position of which secondary structure elements will be tracked

- helical regions of hairpin loop
- helical regions of multiloops
- helical regions of stacked pairs, bulge and internal loops

which positions of the vordefined structure element will be tracked

- i
- j
- (i,j)
- $i+j/2$

helices positions example

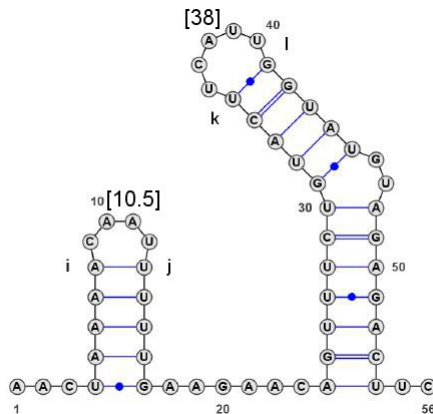
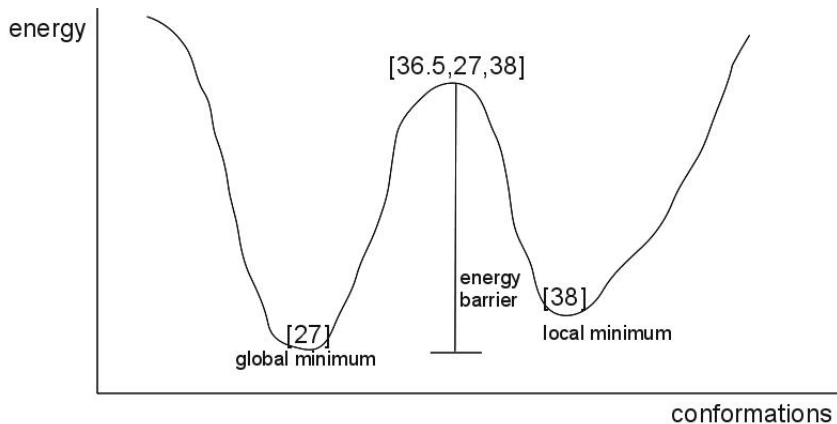


Figure: The structure is composed of two helices which are closed by hairpin loops (i,j) and (k,l), respectively. The positions are: $i=8$, $j=13$, $k=35$ and $l=41$. Thus, this structure would be abstracted to [10.5,38]

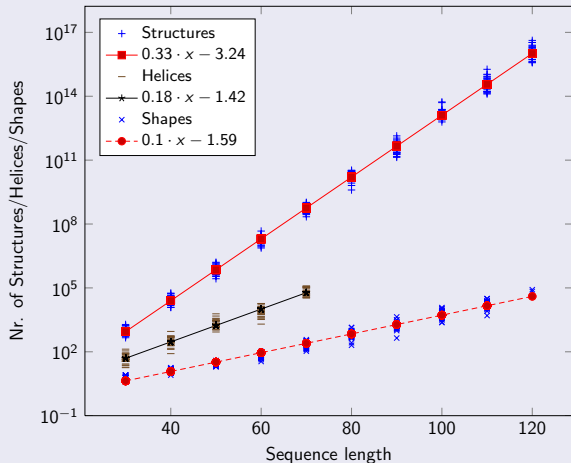
energy barrier



Possible problem

Although the helices space grows considerably slower than structure space, but it is still exponential

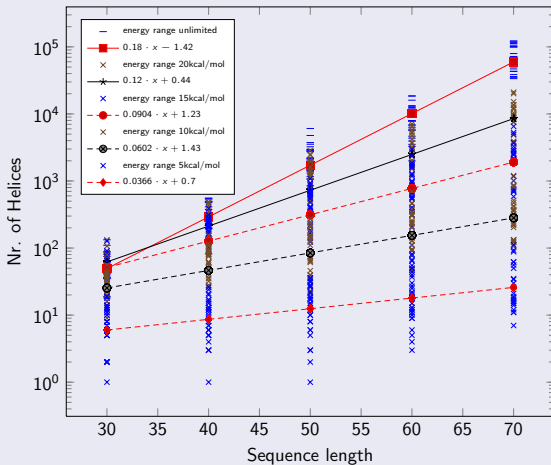
Growth of structure, helix and shape space



Solution of possible problem

One of the solution: we limit the helices space by setting an energy range on it

Growth of helix space



Outlook: Designing RNA class predictors

- Development of a new structure abstraction (helices index)
- Implementation of an algorithm based on the structure abstraction
- Evaluating the algorithm
- Designing RNA class predictors.

End

- Thanks a lot for your attention !
- Questions ?