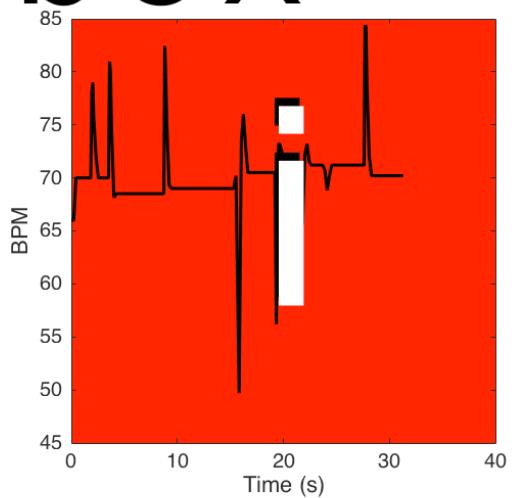
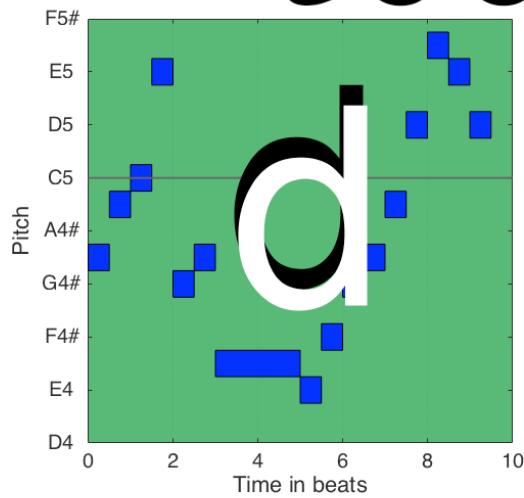


toolbox



MIDI toolbox 1.1

**MATLAB Tools
for Music Research**

Tuomas Eerola & Petri Toivainen

MIDI Toolbox 1.1

Update in May 2016

MATLAB Tools for Music Research

Tuomas Eerola & Petri Toivainen

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<https://github.com/miditoolbox/1.1>

CHAPTER 1 – INTRODUCTION

MIDI Toolbox provides a set of Matlab functions, which together have all the necessary machinery to analyze and visualize MIDI data. The development of the Toolbox has been part of ongoing research involved in topics relating to musical data-mining, modelling music perception and decomposing the data for and from perceptual experiments. Although MIDI data is not necessarily a good representation of music in general, it suffices for many research questions dealing with concepts such as melodic contour, tonality and pulse finding. These concepts are intriguing from the point of view of music perception and the chosen representation greatly affects the way these issues can be approached. MIDI is not able to handle the timbre of music and therefore it unsuitable representation for a number of research questions (for summary, see Hewlett and Selfridge-Field, 1993-94, p. 11-28). All musical signals may be processed from acoustic representation and there are suitable tools available for these purposes (e.g. IPEM toolbox, Leman et al., 2000). However, there is a body of essential questions of music cognition that benefit from a MIDI-based approach. MIDI does not contain notational information, such as phrase and bar markings, and neither is that information conveyed in explicit terms to the ears of music listeners. Consequently, models of music cognition must infer these musical cues from the pitch, timing and velocity information that MIDI provides. Another advantage of the MIDI format is that it is extremely wide-spread among the research community as well as having a wider group of users amongst the music professionals, artists and amateur musicians. MIDI is a common file format between many notation, sequencing and performance programs across a variety of operating systems. Numerous pieces of hardware exist that collect data from musical performances, either directly from the instrument (e.g. digital pianos and other MIDI instruments) or from the movements of the artists (e.g. motion tracking of musician's gestures, hand movements etc.). The vast majority of this technology is based on MIDI representation. However, the analysis of the MIDI data is often developed from scratch for each research question. The aim of MIDI Toolbox is to provide the core representation and functions that are needed most often. These basic tools are designed to be modular to allow easy further development and tailoring for specific analysis needs. Another aim is to facilitate efficient use and to lower the “threshold of practicalities”. For example, the Toolbox can be used as teaching aid in music cognition courses.

This documentation provides a description of the Toolbox (Chapter 1), installation and system requirements (Chapter 2). Basic issues are explained in Chapter 3. Chapter 4 demonstrates the Toolbox functions using various examples. The User's Guide does not describe any of the underlying theories in detail. Chapter 5 focuses on a collection format and Chapter 6 is the reference section, describing all functions in the Toolbox. The online reference documentation provides direct hypertext links to specific Toolbox functions. This is available at <http://www.jyu.fi/musica/miditoolbox/>

This User's Guide assumes that the readers are familiar with *Matlab*. At the moment, the MIDI Toolbox is a collection of Matlab functions that do not require any extra toolboxes to run. *Signal processing* and *Statistics* toolboxes – both available separately from *Mathworks* – offer useful extra tools for the analysis of perceptual experiments.

MIDI Toolbox comes with no warranty. This is free software, and you are welcome to redistribute it under certain conditions. See `License.txt` for details of GNU General Public License.

We would like to thank various people contributing to the toolbox. The conversion to and from MIDI file is based on the C source code by Piet van Oostrum, which, in turn, uses the midifile library written by Tim Thompson and updated by Michael Czeiszperger. Brian Cameron found out some sneaky bugs in the aforementioned C source code. Micah Bregman helped to check parts of the manual and wrote out some new functions.

Update 1.1 version (May 2016)

At the time of the release of the MIDI toolbox 1.0 in May 2004, we never thought this small collection of functions for meant for analyses inspired by models of music cognition would be used by hundreds of scholarly studies ranging from neuroscience to ethnomusicology. Ironically, we have not really embraced the tool ourselves, since we only have a couple of publications that actually use the tool (Toiviainen & Eerola, 2006; Eerola et al., 2006). Other toolboxes, such as *MIR Toolbox* (Lartillot & Toiviainen, 2007) and *Motion Capture toolbox* (Burger & Toiviainen, 2013), became more important in our research.

The main purpose of release MIDI toolbox 1.1 was to make the MIDI toolbox functional again. The original release in 2004 utilised mex files in Matlab to read and write MIDI files. These compiled run files were soon obsolete since they were specific to different operating systems and Matlab versions. In 2006 this problem of reading MIDI files became all too frequent a complaint and we created a simple fix for the problem. This extension bypassed the problematic mex-based read/write functions within the toolbox. However, it did not handle tempo change information properly and was inconvenient for the users, since it needed to be installed separately.

The version 1.1 finally sorts outs this issue by relying on the work carried out by Music Dynamics Lab (<http://musicdynamicslab.uconn.edu/>) run by Ed Large, who have used the same original source (Ken Schutte) for reading MIDI files as we did in our earlier fix. This also fixes the tempo change issues in reading MIDI files. We also added the possibility of looking at tempo curve (the relative duration of the onsets in BPM), updated few functions, and removed all the obsolete functions. We also switched to Github for a more transparent and easy sharing of the code.

Citation and availability

Toiviainen, P., & Eerola, T. (2016). *MIDI Toolbox 1.1*. URL:
<https://github.com/miditoolbox/>

CHAPTER 2 – INSTALLATION

Availability

The whole toolbox is available at <https://github.com/miditoolbox/>.

Installation

Unpack the MIDI Toolbox file package you have downloaded. This will create a directory called miditoolbox. Secondly, a version of the *Matlab* program needs to be installed (see www.mathworks.com). Thirdly, the Toolbox needs to be defined in the Matlab *path variable*.

The toolbox does not require any other Matlab toolboxes.

CHAPTER 3 – BASIC OPERATIONS

Basic issues

In this tutorial, we assume that the reader has basic knowledge of the Matlab command syntax. Many good tutorials exist in the Internet, see:

<http://www.math.ufl.edu/help/matlab-tutorial/>

<http://www.math.mtu.edu/~msgocken/intro/intro.html>

<http://www.helsinki.fi/~mjlaine/matlab/index.html> (in Finnish)

<http://www.csc.fi/oppaat/matlab/matlabohje.pdf> (in Finnish)

In the following examples, the commands that are typed to Matlab command prompt are written in monospaced font and are preceded by the » sign. Help is also available within the Matlab session. For example, to understand what a particular function does, type `help` and the name of the function at the command prompt. For example, to obtain information about how the pitch-class distribution function works, type:

```
» help pcdist1
```

To see a list of all available functions in the Toolbox, type:

```
» help miditoolbox
```

Reading MIDI files into Matlab

The basic functions in MIDI Toolbox read and manipulate type 0 and type 1 MIDI files. The following command reads and parses a MIDI file called *laksin.mid* and stores it as a matrix of notes called `nmat` in Matlab's workspace:

```
» nmat = readmidi('laksin.mid');
```

This particular MIDI file contains the first two verses of a Finnish Folk song called "*Läksin minä kesäyönä*" (trad.).

Basic terms

Notematrix (or `nmat`) refers to a matrix representation of note events in a MIDI file. We can now type `nmat` and see what the notematrix of the folk song looks like.

```
» nmat
```

```
nmat =
0      0.9000  1.0000  64.0000  82.0000  0      0.5510
1.0000 0.9000  1.0000  71.0000  89.0000  0.6122  0.5510
2.0000 0.4500  1.0000  71.0000  82.0000  1.2245  0.2755
2.5000 0.4500  1.0000  69.0000  70.0000  1.5306  0.2755
3.0000 0.4528  1.0000  67.0000  72.0000  1.8367  0.2772
3.5000 0.4528  1.0000  66.0000  72.0000  2.1429  0.2772
4.0000 0.9000  1.0000  64.0000  70.0000  2.4490  0.5510
5.0000 0.9000  1.0000  66.0000  79.0000  3.0612  0.5510
6.0000 0.9000  1.0000  67.0000  85.0000  3.6735  0.5510
7.0000 1.7500  1.0000  66.0000  72.0000  4.2857  1.0714
```

We see that the variable `nmat` contains a 7×10 matrix filled with numbers. The columns refer to various types of information such as MIDI pitch and MIDI channel. The rows stand for the individual note events (in this case, the melody has 10 notes and each of them is described in terms pitch, onset time, duration, volume and so forth). The labels of the columns are as follows:

ONSET (BEATS)	DURATION (BEATS)	MIDI channel	MIDI PITCH	VELOCITY	ONSET (SEC)	DURATION (SEC)
------------------	---------------------	-----------------	---------------	----------	----------------	-------------------

The first column indicates the onset of the notes in beats (based on *ticks per quarter note*) and the second column the duration of the notes in these same beat-values. The third column denotes the MIDI channel (1-16), and the fourth the MIDI pitch, where middle C (C4) is 60. The fifth column is the velocity describing how fast the key of the note is pressed, in other words, how loud the note is played (0-127). The last two columns correspond to the first two (onset in beats, duration in beats) except that seconds are used instead of beats.

Often one wants to refer only to pitch or duration values in the notematrix. For clarity and convenience, these columns may be called by few basic selector functions that refer to each specific column only. These are `onset` (either 'beat' or 'sec', the former is the default), `dur` (either 'beat' or 'sec'), `channel`, `pitch`, and `velocity`. For example, `pitch(nmat)` returns only the MIDI notes values of the notematrix and `onset(nmat)` returns only the onset times (in beats) of the events in the notematrix.

Collection format

Large corpora of music are more convenient to process in Matlab if they are stored in Matlab's own *cell structures* rather than keeping them as MIDI files that are loaded separately for the analysis. You can store multiple notematrices in *cell structures* from a directory of MIDI files by using `dir2cellmatr` function. The function processes all MIDI files in the current directory and stores the notematrices and the filenames in the variables of your choice:

```
» [demo_collection,filenames] = dir2cellmatr;
```

After creating cell matrix structure of the MIDI files, individual notematrices can be called by the following convention:

```
» tune1 = demo_collection{1};
```

With large collections of MIDI files applying the `analyzecoll` function to a cell structure is preferred to analyzing the MIDI files separately (by using the `analyzedir` function). This is because in the former case the files need not be converted into Matlab format, which increases the speed of the analysis greatly. Example 8 in Chapter 4 illuminates the use of the collection format.

Future changes to the notematrix representation

MIDI files often contain a wealth of other information than the one pertaining to note events. Tick type information, tempo, key signature, meter signature, copyright notes, lyrics, track names, various types of controller data and changes in these across time are commonly included in MIDI files. Some of these details would be useful for certain types of analyses. However, at this stage only hold pedal information is retained in the conversion from MIDI file to notematrix. In the next version of the Toolbox, we are considering storing these details in the Matlab *Field Structures*. The drawback of this improvement is that it will also change way the existing functions are called. In future version we are also planning to include a graphical user interface for common operations and analyses.

Combining functions

Functions in Matlab can be combined:

```
» plotdist(pcdist1(nmat))
```

In the example, function `pcdist1` calculates the pitch-class distribution of the notematrix `nmat` and then uses the command `plotdist` to create a labeled bar graph of the distribution.

Saving variables

Variables in Matlab can be saved using the command `save filename`. This command saves all variables in Matlab session to a Matlab matrix file (`filename.mat`) on the hard disk. It is often useful to use the `clear` command to purge unnecessary variables from the Matlab session before saving the variables.

Saving MIDI files

A notematrix can be converted into a MIDI file by using the `writemidi` command. The syntax of the command is:

```
writemidi(nmat,ofname,<tempo>,<tpq>)
```

In the command syntax, `nmat` refers to the notematrix, `ofname` to the name of the generated MIDI file. There are some other parameters that are optional (denoted by the brackets). For example, you have created a new notematrix called `probemelody` that contains a sequence from the probe-tone experiments and want to save the sequence into a MIDI file named `probemelody.mid`. The following command writes the MIDI file with a tempo of 90 beats per minute.

```
» writemidi(probemelody,'probemelody.mid',90);
```

Playing notematrixes

You can use your media software within the operating system to play MIDI files (Media player, Quicktime player etc.) but this needs to be done outside Matlab after you have created a MIDI file.

It is also possible to synthesize the notematrix into waveform using `nmat2snd` function. This is computationally more demanding, especially if the notematrix is large. Matlab can render these results into audible form by using `sound` or `soundsc` function or alternatively the waveform may be written into a file using `wavwrite` function. Simple way to hear the notematrix is type:

```
» playsound(nmat);
```

Referring to parts of a notematrix

Often one wants to select only a certain part of a notematrix for analysis. For example, instead of analyzing the whole MIDI sequence, you may wish to examine the first 8 bars or select only MIDI events in a certain MIDI channel. Basic selection is accomplished using Matlab's own index system, for example:

```
» first_12_notes = laksin(1:12,:);
```

It is also possible to refer to MIDI Toolbox definitions and functions when selecting parts of the notematrix. The following examples give a few ideas of how these may be used. Many of these functions belong to the *filter* category (see Chapter 6).

```
» first_4_secs = onsetwindow(laksin,0,4,'sec');

» first_meas = onsetwindow(laksin,0,3,'beat');

» between_1_and_2_sec = onsetwindow(laksin,1,2,'sec');

» only_in_channel1 = getmidich(laksin,1);

» remove_channel10 = dropmidich(laksin,10);

» no_short_notes = dropshortnotes(laksin,'sec',0.3)
```

Manipulating note matrices

Often one wants to find and manipulate the tempo of a notematrix. Here's an example of how the tempo is obtained and then set to a faster rate.

```
» tempo = gettempo(laksin)
» tempo = 98.000
» laksin_128bpm = settempo(laksin,128);
```

To scale any values in the notematrix, use `scale` command:

```
» laksin_with_halved_durations = scale(laksin,'dur',0.5);
```

One can assign any parameter (channel, duration, onset, velocity, pitch) in the notematrix a certain fixed value. For instance, to set all note velocities to 64, `setvalues` command may be used:

```
» laksin_velocity64 = setvalues(laksin,'vel',64);
```

Transposing the MIDI file is also a useful operation. This example transposes the folk tune *Läksin* a major third down (minus four semitones).

```
» laksin_in_c = shift(laksin,'pitch',-4);
```

Transposition can also be done to a velocity or channel information of the notematrix. Here's an example of channel alteration.

```
» laksin_channel2 = shift(laksin,'chan',1);
```

If you do not know the key of the MIDI file and wish to transpose the file to a C major or C minor key, it can be performed using the `transpose2c` function. This method draws on a built-in key-finding algorithm, which is described later.

```
» laksin_in_c = transpose2c(laksin);
```

It is also possible to combine different notematrices using Matlab's regular command syntax. To create Finnish folk tune *Läksin* in parallel thirds, use:

```
» laksin_parallel_thirds = [laksin; laksin_in_c];
```

Sometimes a notematrix might need to be quantized. This is relatively easy to carry out using `quantize` function. In this example, a Bach prelude is quantized using sixteenth beat resolution. The first argument quantizes the onsets, the second argument the durations and the third argument filters out notes that are shorter than the criteria (sixteenth notes in this case):

```
» prelude_edited = quantize(prelude, 1/16,1/16,1/16);
```

In many cases one wishes to eliminate certain aspects of the notematrix. For example, a simple way to get the upper line of the polyphonic notematrix is to use `extreme` function:

```
» prelude_edited = extreme(prelude_edited,'high');
```

Also, leading silence in notematrix is something that often is unnecessary. This can be removed using the `trim` function:

```
» prelude_edited = trim(prelude_edited);
```

Demonstrations

Demonstrations, which are loosely based on the examples described in the next chapter, are available in the MIDI Toolbox directory. Type in `mididemo` to go through the demos.

CHAPTER 4 – EXAMPLES

Example 1: Visualizing MIDI Data

The `pianoroll` function displays conventional pianoroll notation as it is available in sequencers. The function has the following syntax:

```
pianoroll(nmat,<varargin>);
```

The first argument refers to the notematrix and other arguments are optional. Possible arguments refer to axis labels (either MIDI note numbers or note names for Y-axis and either beats or seconds for the X-axis), colors or other options. For example, the following command outputs the pitch and velocity information:

```
» pianoroll(laksin,'name','sec','vel');
```

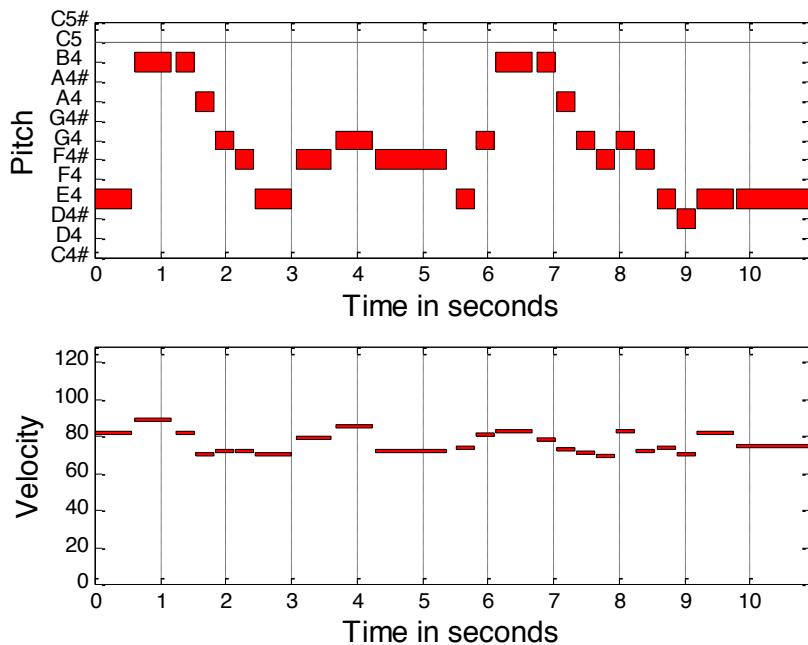


Figure 1: Pianoroll notation of the two first phrases of *Läksin minä kesäyönä*. The lower panel shows the velocity information.

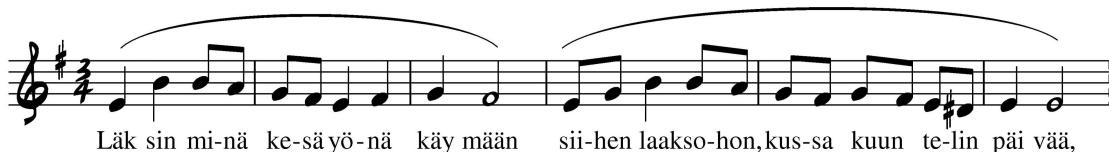


Figure 2. Notation of first two verses of the Finnish Folk tune "Läksin minä kesäyönä".

Pianoroll output is rather straightforward to interpret. If you compare it with notation of the same song (Figure 2), you can easily see the differences and similarities between pianoroll and traditional notation.

Polyphonic and more elaborate MIDI files can also be visualised using pianoroll notation. Also, the time axis can be set to display beats rather than seconds and the pitch height axis can be set to show MIDI pitch numbers. For example, to plot first five measures (i.e., $5 * 4$ beats per measure = 20 beats) of the Bach's C major *Prelude*:

```
>> prelude = readmidi('wtcii01a.mid');
>> prelude5 = onsetwindow(prelude,0,20,'beat');
>> pianoroll(prelude5,'num','beat');
```

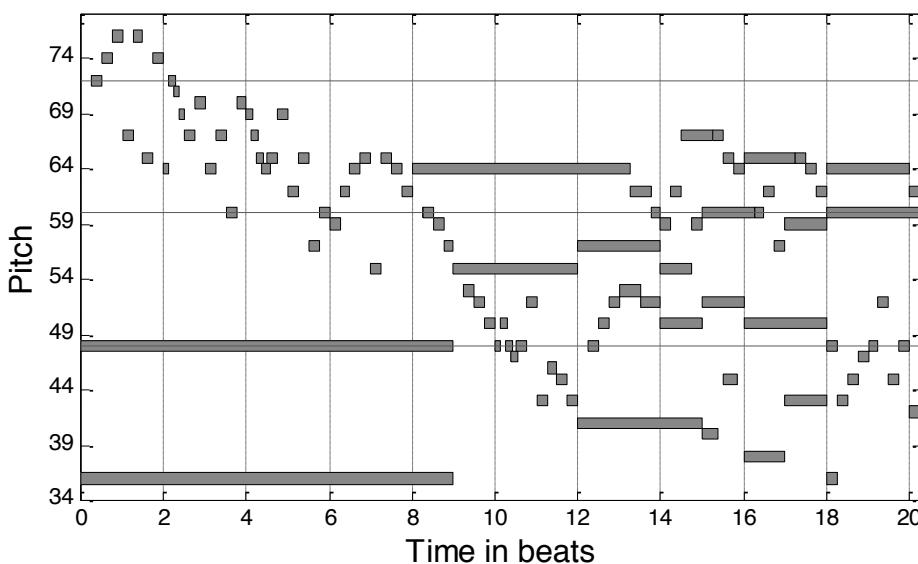


Figure 3. First five measures of Bach's C major Prelude from *Wohltemperierte Klavier II* (BWV 870).

In Figure 3, the horizontal lines indicate Cs and the vertical dotted lines correspond to onset beats, which in this case have their equivalent in the notation (four beats per measure). The notation of the C major Prelude is shown in Figure 13. Furthermore, MIDI files with several channels may be plotted with `pianoroll` function, which highlights the channels by using different colors.

Visualization of distributions

In this example, we have loaded the third movement (*Sarabande*) from J. S. Bach's *Partita in A minor for Solo Flute* (BWV 1013) into a notematrix called `sarabande` (see Figure 4).

Sarabande
from *Partita in A minor for Solo Flute* (BWV 1013)

J. S. Bach

The musical score consists of six staves of music for solo flute. The key signature is A minor (no sharps or flats). The time signature is common time (indicated by '4'). Measure numbers 14, 21, 28, 35, and 42 are indicated at the beginning of each staff. The music features various note patterns, including eighth and sixteenth notes, and rests.

Figure 4. Bach's Flute *Sarabande* (BWV 1013).

First, we can examine the note distribution of the *Sarabande* in order to see whether the key signature is apparent from the distribution of the pitch-classes. The following command creates a bar chart of the pitch-class distribution of the *Sarabande*.

```
» plotdist(pcdist1(sarabande));
```

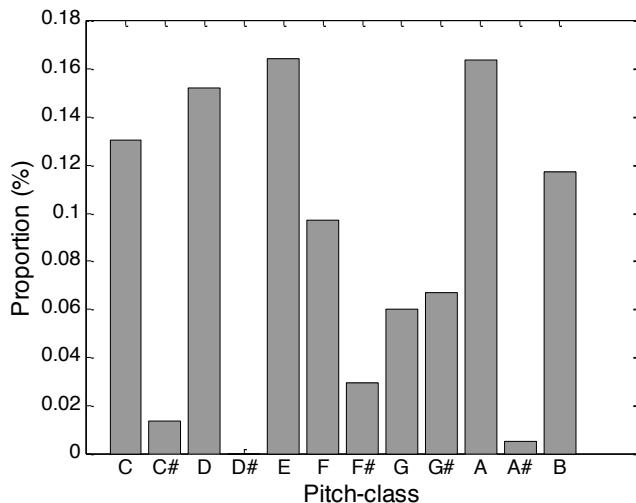


Figure 5. Pitch-class distribution in Bach's Flute Sarabande (BWV 1013).

The inner function, `pcdist1`, calculates the proportion of each pitch-class in the sequence, and the outer function, `plotdist`, creates the labeled graph. From the resulting graph, shown in Figure 5, we can infer that the *Sarabande* is indeed in A minor key as A, C and E are the most commonly used tones. More about inferring the key in a separate section on key-finding (Example 3).

Another basic description of musical content is the interval structure. In monophonic music this is easily compiled, as shown below, but detecting successive intervals in polyphonic music is a difficult perceptual task and will not be covered here. To see what kind of intervals are most common in the *Sarabande*, type:

```
» plotdist(ivdist1(sarabande));
```

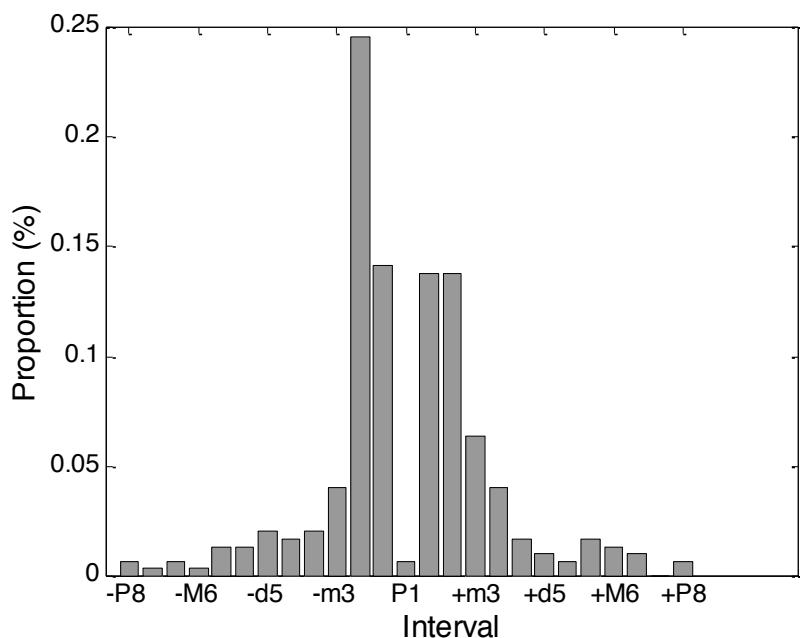


Figure 6. Interval distribution in Bach's Flute Sarabande (BWV 1013).

In the middle, P1 stands for unison (perfect first), i.e. note repetitions, which are fairly rare in this work (P8 stands for perfect octave, m3 is the minor third, M3 is a major third and so on). Let us compare the distribution of interval sizes and direction to the results obtained from analysis of large musical corpora by Vos and Troost (1989). To obtain suitable distributions of *Sarabande*, we use function `ivdirdist1` and `ivsizedist1` (see Figure 7).

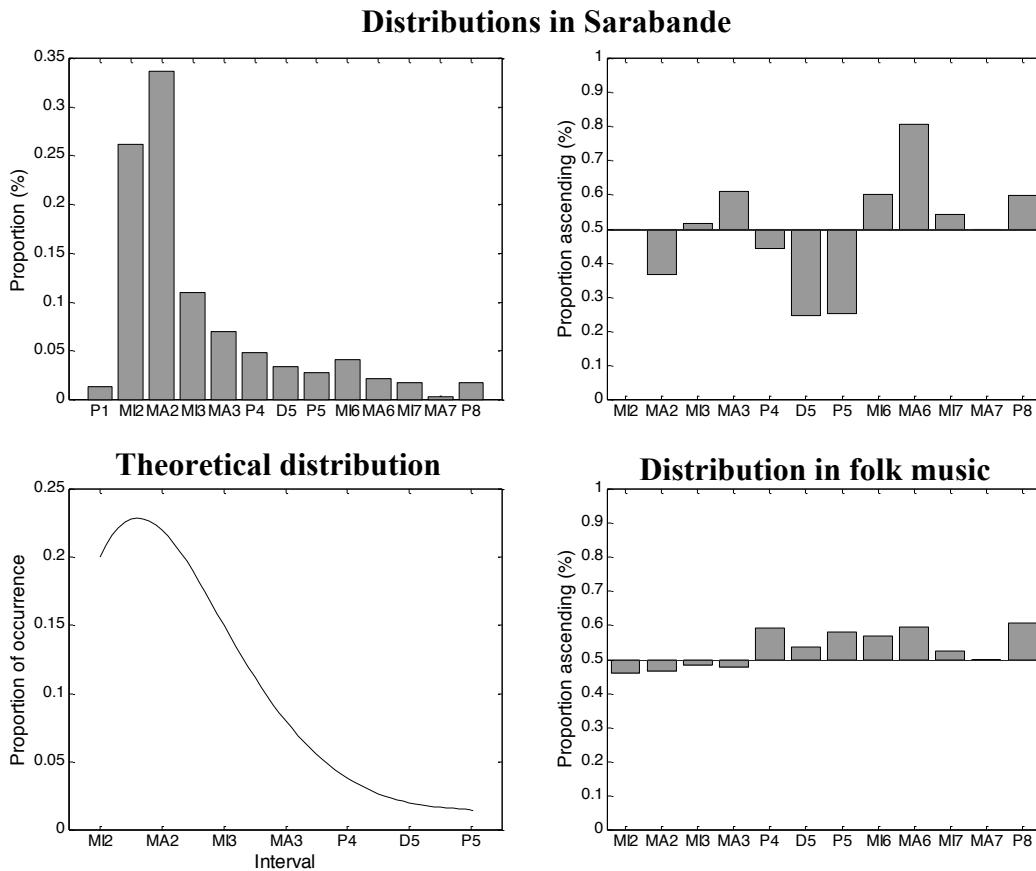


Figure 7. The top left panel shows the distribution of interval sizes in *Sarabande* and the lower left panels displays the theoretical frequency of occurrence of intervals according to Dowling and Harwood (1986). The top right panels shows the proportion of the ascending intervals and the lower right panel displays the same data in collection of folk music ($N=327$), compiled by Vos and Troost (1989).

We see in Figure 7 that in the corpus analyzed by Vos and Troost (1989) the interval structure is usually asymmetric (lower right panel). This means that large intervals tend to ascend whereas small intervals tend to descend. This is not evident in *Sarabande* (panels on the right) as the fifths tend to descend rather than ascend.

Displaying the distributions of two-tone continuations in *Sarabande* is similar to displaying tone distributions:

```
» plotdist(pcdist2(sarabande));
```

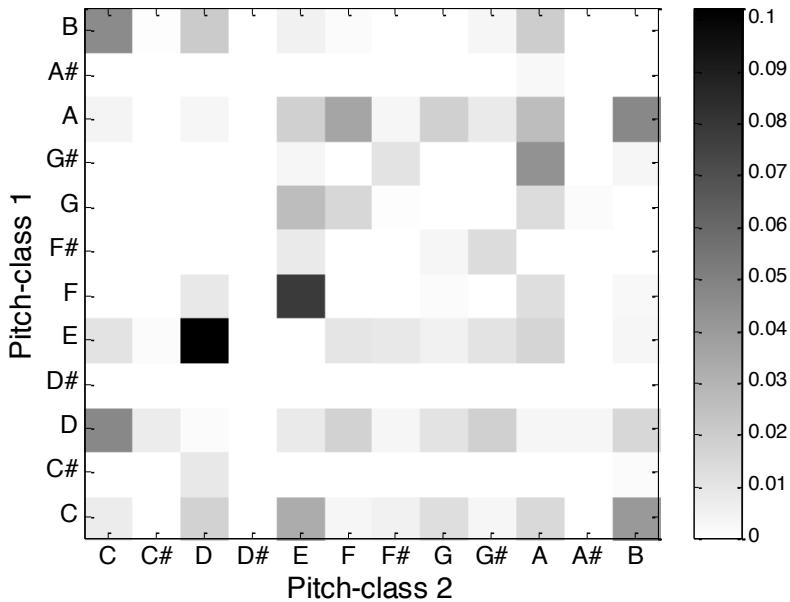


Figure 8. The proportion of two-note continuations in Bach's Flute Sarabande (BWV 1013). The colorbar at the right displays the proportion associated with each colour.

Figure 8 shows the proportion of tone transitions in *Sarabande*. The most common transition is from dominant (E) to D and next most common transition is the F to dominant E. Commonly, the diagonal of the tone transition matrix shows high proportion of occurrences but this work clearly avoids unisons. The few unisons shown in the transition matrix are due to octave displacement. Note that these statistics are different from the interval distributions. It is also possible to view a distribution of note durations in a similar manner (functions `durdist1` and `durdist2`).

In Matlab, there are further visualization techniques that can be used to display the distributions. Quite often, plotting the data using different colors is especially informative. In some cases, three-dimensional plots can aid the interpretation of the data (see Example 7 for a three-dimensional version of note transitions.).

Example 2: Melodic Contour

Melodic contour describes the overall shape of the melody. The contour representation of a melody is usually easier to remember than exact interval information (Dowling, 1978; Dowling & Fujitani, 1971) and numerous music informational retrieval systems use contour to find specific melodies from large music databases (e.g., Kim et al., 2000; Lemström et al., 2001). Contour is also central in explorations of “melodic arches”, which describe the typical contours found in the phrases of Western folk songs (Huron, 1996).

Figure 9 below shows two versions of melodic contour using different degrees of resolution. The degree of resolution depends upon the value of the sampling step, expressed in MIDI beats. The larger the resolution, the more coarse the contour. The dashed line represents a detailed contour with the resolution STEP 0.25. This high level of detail is not often necessary in dealing with melodic contour. The solid line represents a coarser melodic contour that might be more useful for finding out the overall structure of the melody.

```
» plotmelcontour(laksin,0.25,'abs','r.');
» plotmelcontour(laksin,1,'abs','bo');
» legend(['resolution in beats=.25'; ...
» 'resolution in beats=1.0']);
```

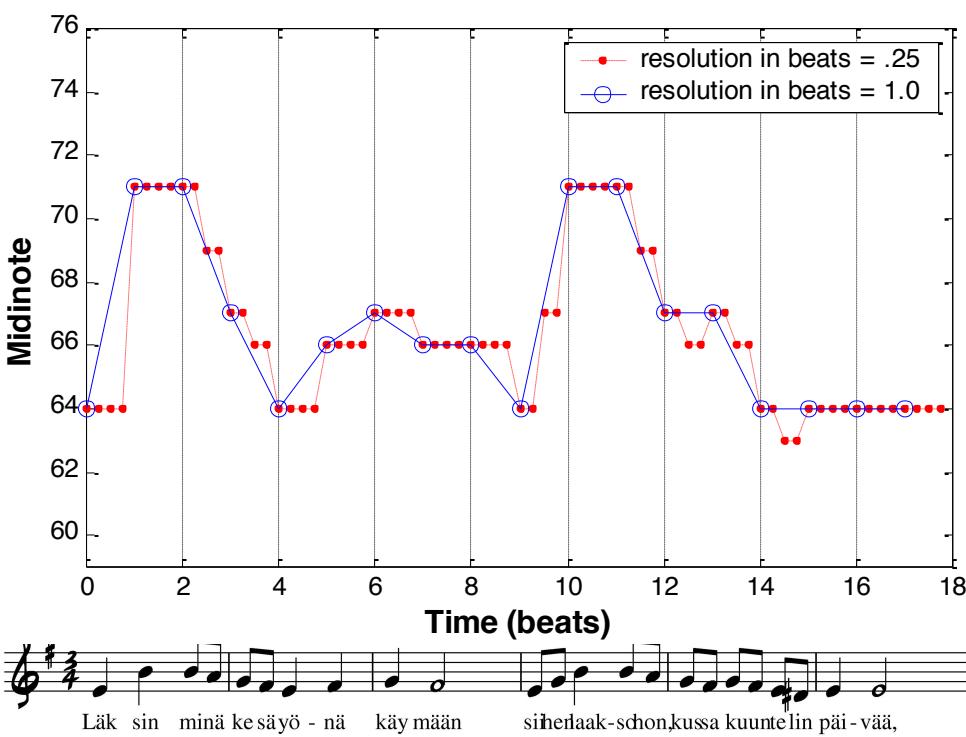


Figure 9. Melodic contour and notation of "Läksin minä kesäynä".

One application of the melodic contour is finding out whether the sequence contains repeated melodic phrases. This can be done using an autocorrelation technique (Eerola et al., submitted). The autocorrelation function of a time series is obtained by correlating the series with a delayed copy of itself, using delay values ranging from $-L$

to $+L$, where L denotes the total length of the time series. A time series is autocorrelated if it is possible to predict its value at a given point of time by knowing its value at other points of time. Positive autocorrelation means that points at a certain distance away from each other have similar values (Box, Jenkins & Reinsel, 1994).

```
» l = reftune('laksin');
» c = melcontouracorr(l);
» t = [-(length(c)-1)/2:1:(length(c)-1)/2]*.1;
» plot(t,c,'k'); md = round(max(onset(l))+ dur(l(end,:)));
» axis([-md md -0.4 1]); xlabel('\bfLag (in beats)')
» set(gca,'XTick',-md:2:md); ylabel('\bfCorr. coeff.')
```

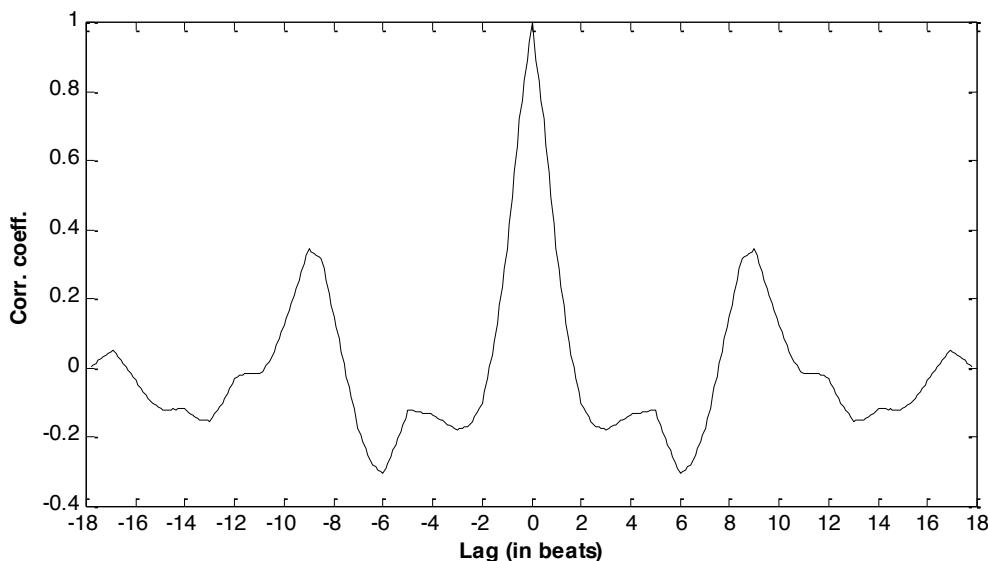


Figure 10. A plot of autocorrelation across melodic contour of "Läksin minä kesäyönä".

Figure 10 shows the autocorrelation function of the contour of *Läksin minä kesäyönä*. At the middle of the figure (at the peak, lag 0 beats) the autocorrelation function gives the result of 1.0, perfect correlation, because at this point the melodic contour is compared with itself. The autocorrelation function is always symmetric with respect to the point corresponding to zero lag. Therefore, only the right halve needs to be regarded to estimate the degree of self-similarity. The shaded area shows the self-similarity of the melodic contour; only the *positive correlations* of the autocorrelation function (*half-wave rectification*) are observed. This relevant, right portion of the autocorrelation function may be plotted using the 'ac' parameter in *melcontour* command:

```
» plotmelcontour(l,0.5,'abs','b','ac');
```

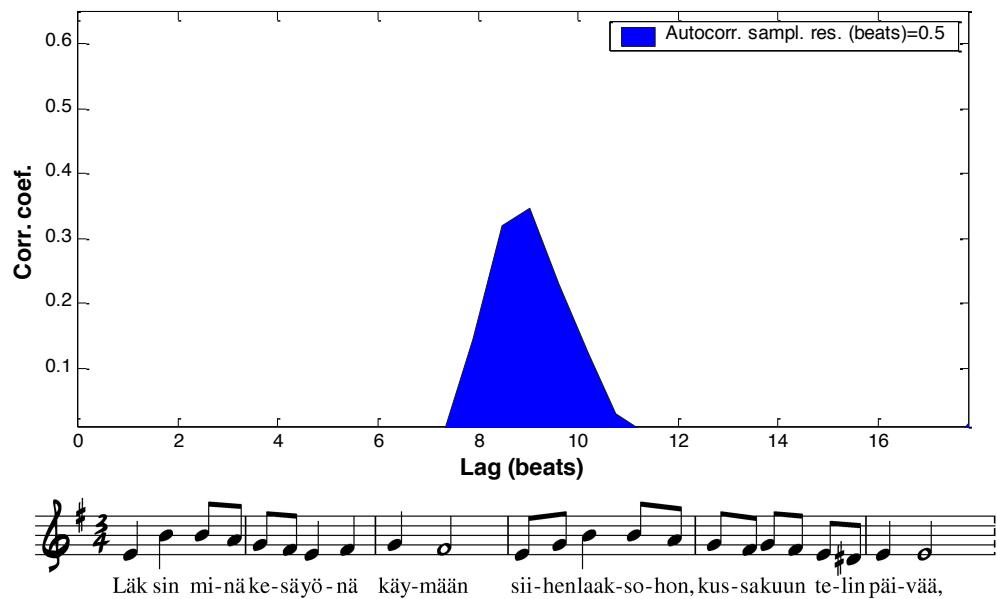


Figure 11. Self-similarity of melodic contour of *Läksin minä kesäyönä*.

Example 3: Key-Finding

The classic Krumhansl & Schmuckler key-finding algorithm (Krumhansl, 1990), is based on key profiles obtained from empirical work by Krumhansl & Kessler (1982). The key profiles were obtained in a series of experiments, where listeners heard a context sequence, consisting of an incomplete major or minor scale or a chord cadence, followed by each of the chromatic scale pitches in separate trials. (See Example 9 for instructions on creating the probe-tone stimuli using the Toolbox). Figure 12 shows the averaged data from all keys and contexts, called C major and C minor key profiles.

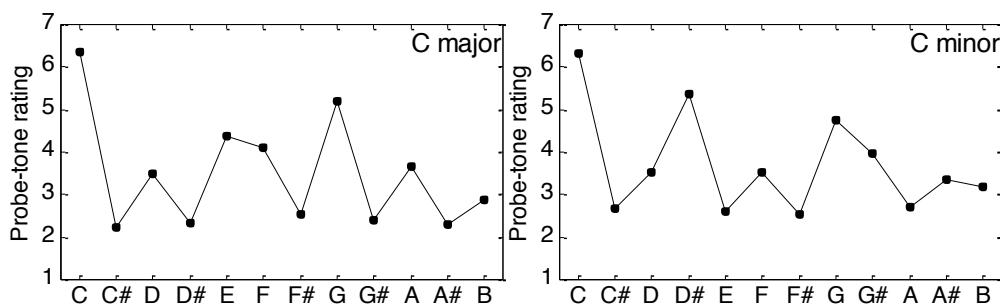


Figure 12. Probe-tone ratings for the keys of C major and C minor (Krumhansl & Kessler, 1982).

In the K-S key-finding algorithm, the 24 individual key profiles, 12 major and 12 minor key profiles, are correlated with the pitch-class distribution of the piece weighted according to their duration. This gives a measure of the strength of each key. Let us take the C major Prelude in J. S. Bach's *Wohltemperierte Klavier II* (BWV 870). The first page of this Prelude is shown in Figure 13 .

We load this file into a variable called `prelude` and take only the first 10 measures (first page in Figure 13) of it to find a likely key area:

```
» prelude10=onsetwindow(prelude,0,40);
» keyname(kkkey(prelude10))
» ans = 'C'
```

The inner function in the second command line (`kkkey`) performs the K-S key-finding algorithm and the outer function changes the numerical output of the inner function to a letter denoting the key. Not surprisingly, the highest correlation of the note distribution in the first 10 measures of the Prelude is obtained with the C major key profile. A closer look at the other candidates the algorithm offers reveals the strength of all keys:

```
» keystrengths = kkcc(prelude10); % corr. to all keys
» plotdist(keystrengths); % plot all corr. coefficients
```

Figure 15 displays the correlation coefficient to all 24 key profiles. According to the figure, G major and a minor keys are also high candidates for the most likely key. This is not surprising considering that these are dominant and parallel minor keys to C major.



Figure 13. First page of Bach's C major Prelude from *Wohltemperierte Klavier II* (BWV 870).

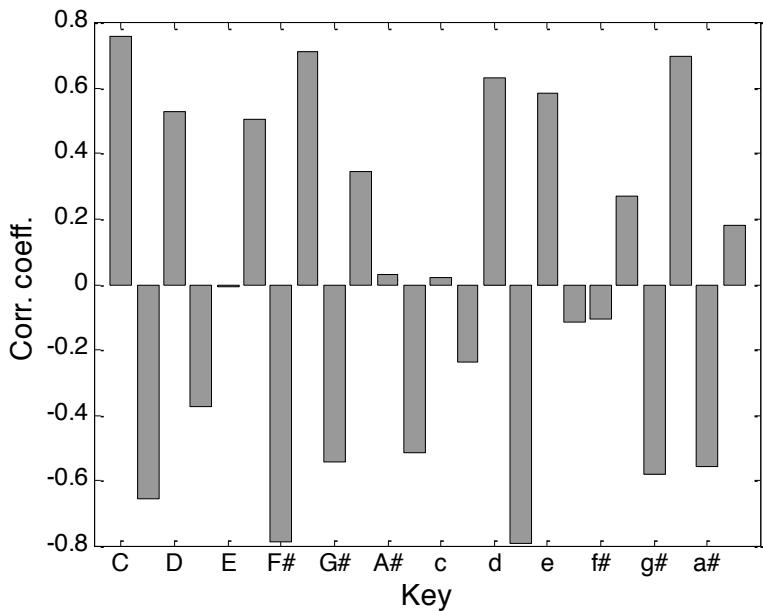


Figure 14. Correlation coefficients of the pitch-class distribution in Bach's C major prelude to all 24 key profiles.

Another way of exploring key-finding is to look at how tonality changes over time. In the technique, key-finding is performed within a small window that runs across the length of the music. This operation uses the `movewindow` function. Below is an example of finding the maximal key correlation using a 4-beat window that is moved by 2 beats at a time.

```
>> prelude4=onsetwindow(prelude,0,16,'beat');
>> keys = movewindow(prelude4,4,2,'beat','maxkkcc');
>> label=keyname(movewindow(prelude4,4,2,'beat','kkkey'));
>> time=0:2:16; plot(time,keys,:ko','LineWidth',1.25);
>> axis([-0.2 16.2 .4 1])
>> for i=1:length(label)
>>     text(time(i),keys(i)+.025,label(i),...
>>         'HorizontalAlignment','center','FontSize',12);
>> end
>> ylabel('\bf Max. key corr. coeff.');
>> xlabel('\bf Time (beats)')
```

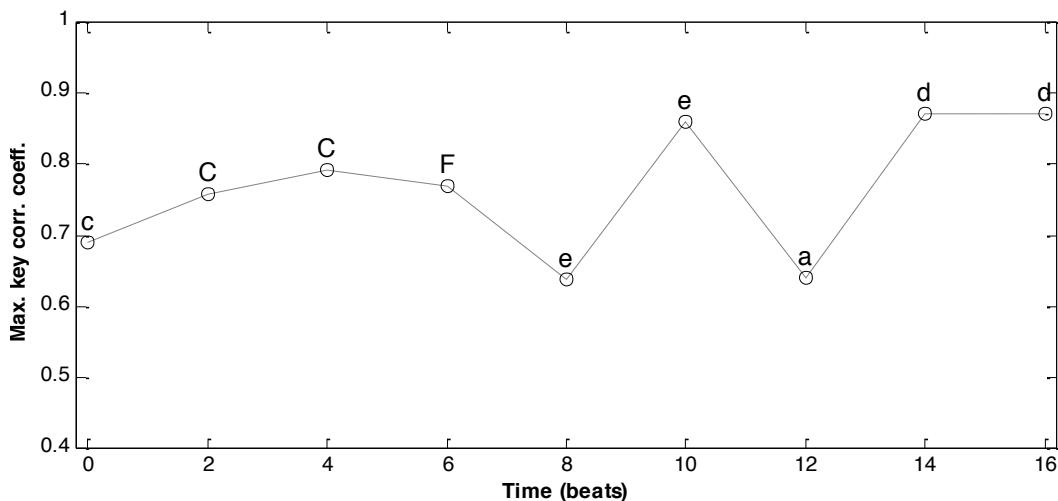


Figure 15. Maximum key correlation coefficients across time in the beginning of the C major Prelude.

Figure 15 displays the key changes over time, showing the movement towards the F major (meas. 4) and further to G major (meas. 6). Although the measure shows the strength of the key correlation, it gives a rather simplistic view of the tonality as the dispersion of the key center between the alternate local keys is not shown. A recent dynamic model of tonality induction (Toiviainen & Krumhansl, 2003) calculates local tonality based on key profiles. The results may be projected onto a self-organizing map (SOM) trained with the 24 key profiles. In the following example, the function calculates the key strengths and creates the projection. The second argument in the syntax example defines the colorbar and the third the color.

```
>> keysom(prelude10,1); % create a color figure
```

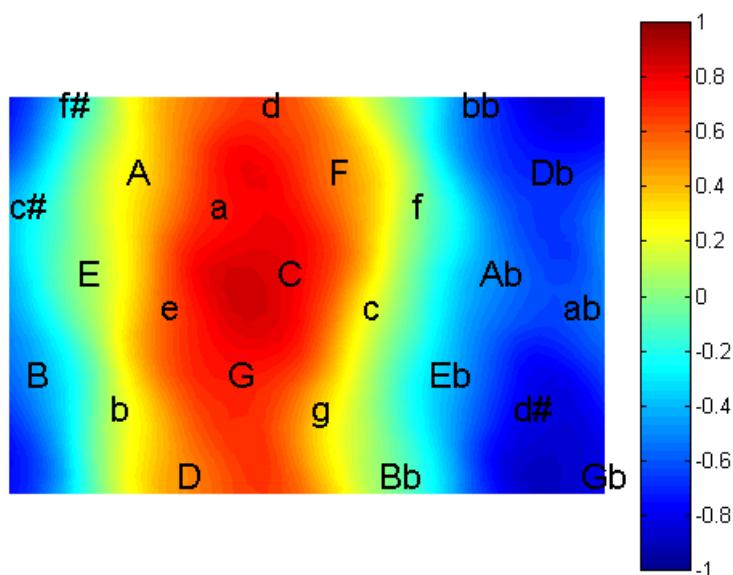


Figure 16. Self-organizing map (SOM) of the tonality in Bach's C major Prelude.

The map underlying the tonal strengths in Figure 16 is toroid in shape, which means that the opposite edges are attached to each other. The local tonality is the strongest in the area between a minor and C major. This visualization of tonality can be used to show the fluctuations of the key center and key strength over time. Below is an example of this using a 4-beat window that steps 2 beats forward each time.

```
» keysomanim(prelude4,4,2); % show animation in Matlab  
» keysomanim(prelude4,4,2,'beat','strip'); % show strips
```

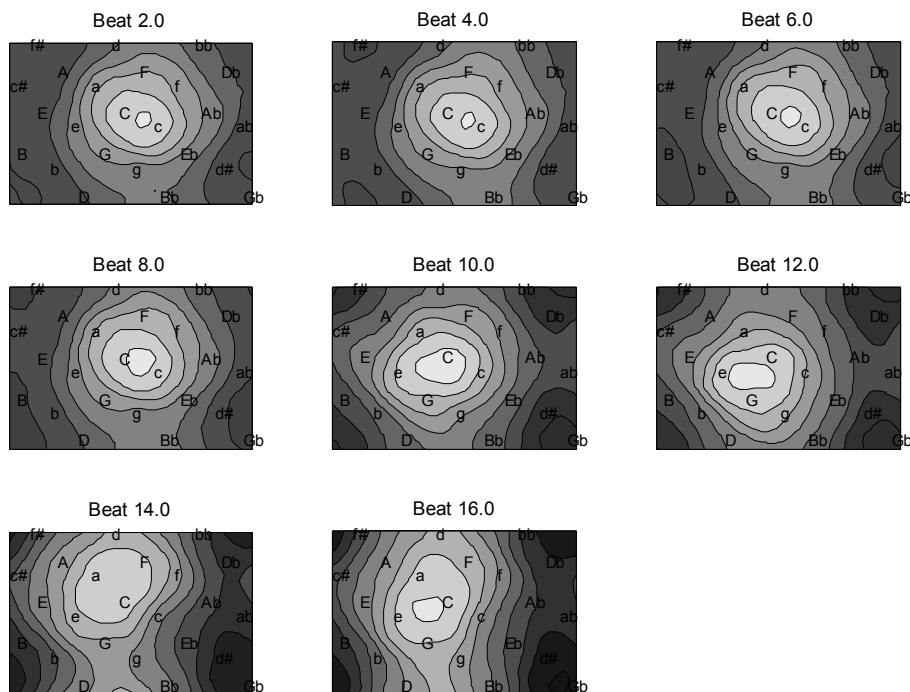


Figure 17. First four measures (two frames per measure) of the tonality animation in Bach's *Prelude*.

Figure 17 displays the tonality of the first four measures of the *Prelude*. From the separate figures one can see how the tonal center is first firmly in C major and then it moves towards other regions, F, e, etc.

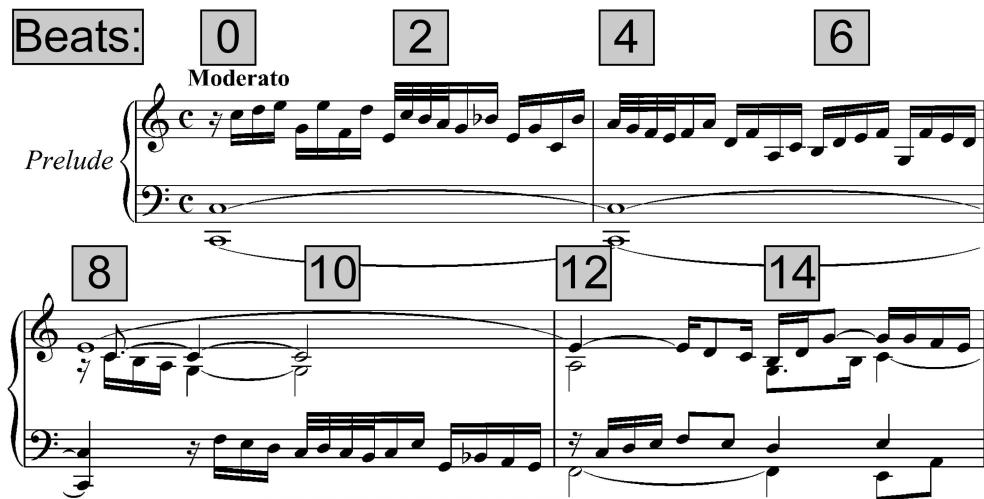


Figure 18. First four measures of the Bach's *Prelude* corresponding to the tonality animation of Figure 17.

Another option in `keysomanim` function allows to save the animation as a Matlab movie ('`movie`'). The saved movie can be played back by `movie` command or written to a file using `avifile` command. When playing back the movie, be sure to synchronize the animations using equivalent frame rate in order to retain the timing information. For example, to create an animation using 5 frames per second (fps), the following syntax may be used:

```
>> m=keysomanim(prelude4,2,.2,'sec','movie'); % 5 fps
>> movie(m,1,5); % last arg. = frames per second (fps)
```

Matlab movies use extensive amounts of memory. Therefore, with long musical sequences it is recommended to use the '`frames`' option and combine the frames afterwards with a video editing software (such as *Adobe Premiere*). At the moment, the sound cannot be easily included in the animation file without using an external utility.

Example 4: Meter-Finding

One way of visualizing the possible meter of a notematrix is to display its note onset distribution in terms of the beat structure. This can be accomplished using the `onsetdist` function. Let us plot the onset distribution of the Bach's *Prelude* assuming a four-beat measure:

```
» onsetdist(prelude,4,'fig');
```

In this function, the second parameter refers to the assumed number of beats per measure. The onsets are weighted by the durations of tones because the longer the tone is, the more salient and prominent it is for the listener (Thompson, 1994).

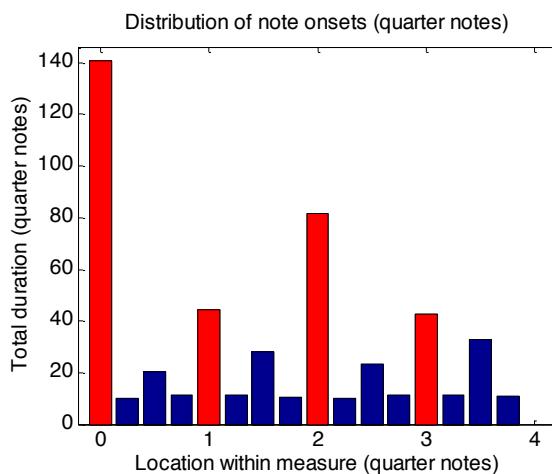


Figure 19. Distribution of note onsets in *Fugue*.

Figure 19 shows that the *Prelude* is clear in terms of the note onset distribution across a measure. Most onsets occur at the first beat of the measure, at the most important location according to metrical hierarchy. This onset distribution is similar to that one commonly found in music, for example, in the works of Bach, Mozart, Brahms, and Shostakovich (Palmer & Krumhansl, 1990). Behavioral experiments conducted by Palmer and Krumhansl (1990) have also demonstrated that a similar hierarchical grid may reside in the minds of Western listeners.

Inferring the meter is a challenge that involves finding a regular beat structure from the notematrix. One technique is to use the autocorrelation function and to seek peaks from the onset structure corresponding to simple duple (2/4, 2/8, 2/2, 4/4) or simple triple meter (3/4, 3/2). This technique resembles the method used by Brown (1993) to estimate meter. Toiviainen and Eerola (2004) tested the effectiveness of the method in classifying the meters into duple or triple using two large collections of melodies (Essen collection and Finnish Folk Tunes, $N = 12368$). With only durational accents, the correct classification rate was around 80%. This method is available as the `meter` function in the Toolbox:

```
» bestmeter = meter(laksin)
bestmeter = 3
```

This indicates the most probable meter is simple triple (probably 3/4). When melodic accent is incorporated into the inference of meter, the correct classification of meter is higher (up to 93% of the Essen collection and 95% of Finnish folk songs were correctly classified in Toivainen & Eerola, 2004). This optimized function is available in toolbox using the 'optimal' parameter in `meter` function, although the scope of that function is limited to monophonic melodies.

Detecting compound meters (6/8, 9/8, 6/4) presents another challenge for meter-finding that will not be covered here. A plot of autocorrelation results – obtained by using `onsetacorr` function – provides a closer look of how the meter is inferred (Figure 20). In the function, second parameter refers to divisions per quarter note.

```
» onsetacorr(laksin,4,'fig');
```

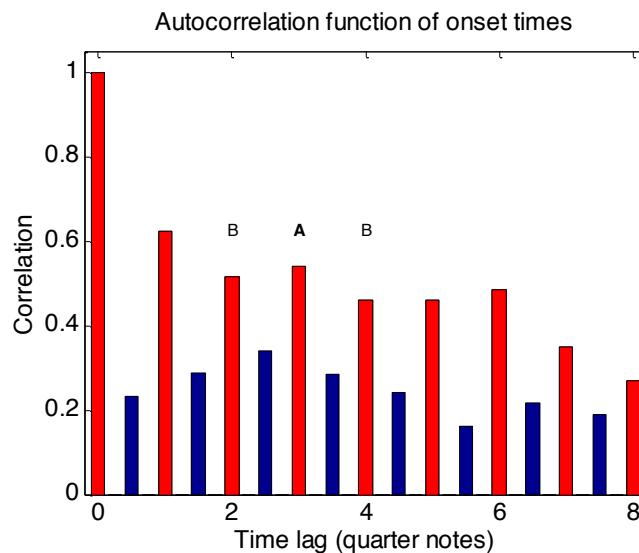


Figure 20. Autocorrelation function of onset times in *Läksin Minä Kesäyönä*.

Figure 20 shows that the zero time lag receives perfect correlation as the onset distribution is correlated with itself. Time lags at 1-8 quarter notes are stronger than the time lags at other positions. Also, there is a difference between the correlations for the time lag 2, 3 and 4. The lag of 3 beats (marked with A) is higher (although only slightly) than the lags 2 and 4 beats and therefore it is plausible that the meter is simple triple.

Even if we now know the likely meter we cannot be sure the first event or events in the notematrix are not pick-up beats. In this dilemma, it is useful to look at the *metrical hierarchy*, which stems from the work by Lerdahl and Jackendoff (1983). They described the rhythmic structure of Western music as consisting of alteration of weak and strong beats, which are organized in a hierarchical manner. The positions in the highest level of this hierarchy correspond to the first beat of the measure and are assigned highest values, the second highest level to the middle of the measure and so on, depending on meter. It is possible to examine the metrical hierarchy of events in a notematrix by making use of the meter-finding algorithm and finding the best fit between cyclical permutations of the onset distribution and Lerdahl and Jackendoff metrical hierarchies, shown below:

```
» plothierarchy(laksin,'sec');
```

The dots in Figure 20 represent the metrical hierarchy. High stacks of dots (connected with a stem) correspond to events with high metrical hierarchy. In this melody, three levels are in use. The meter-finding algorithm infers the meter of the tune correctly (3/4), but the algorithm assumes that the first note is a pick-up note. This probably happens because of the metrical stress caused by the long notes in the second beats in measures three and six. A listener unfamiliar with the song could easily form this interpretation of meter.

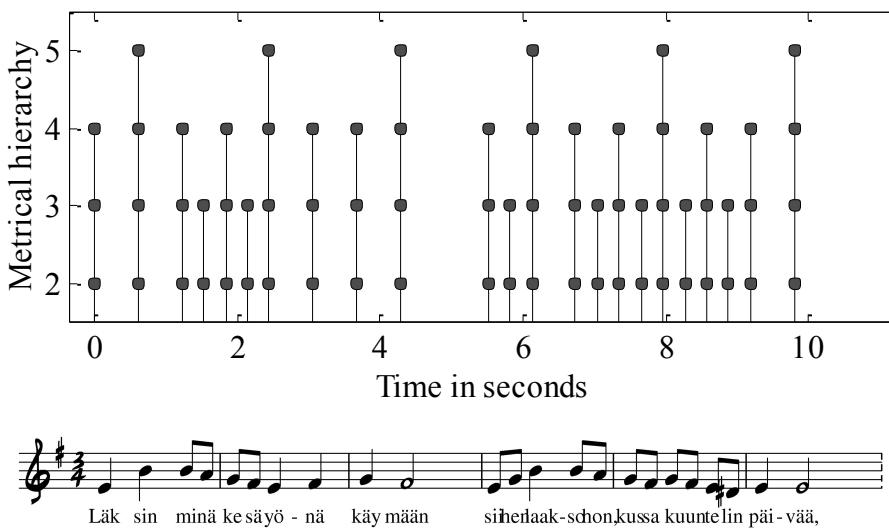


Figure 21. Notation of *Läksin minä kesäyönä* (upper panel) and the inferred metrical hierarchy for the events (lower panel).

Example 5: Melodic Segmentation

One of the fundamental processes in perceiving music is the segmentation of the auditory stream into smaller units, melodic phrases, motifs and such issues. Various computational approaches to segmentation have been taken. With symbolic representations of music, we can distinguish rule-based and statistical (or memory-based) approaches. An example of the first category is the algorithm by Tenney and Polansky (1980), which finds the locations where the changes in “clangs” occur. These clangs correspond to large pitch intervals and large inter-onset-intervals (IOIs). This idea is partly based on Gestalt psychology. For example, this algorithm segments *Läksin* in the following way:

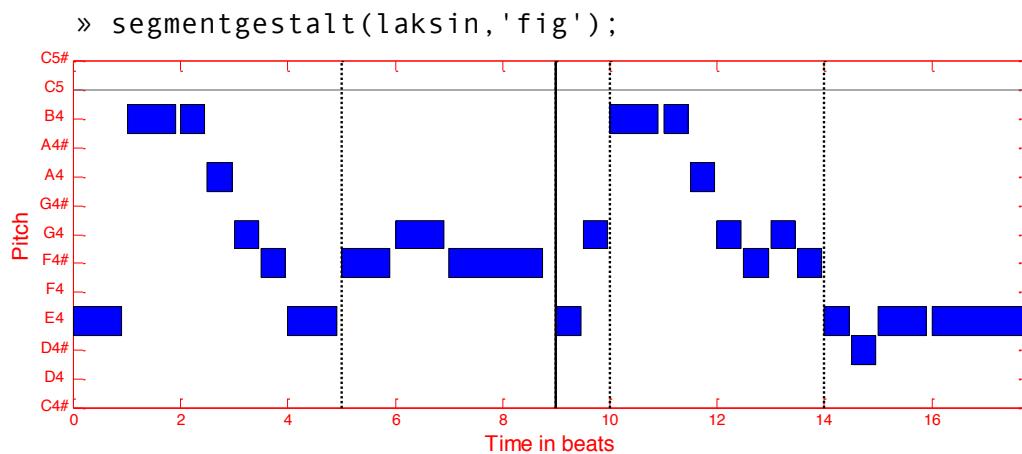


Figure 22. Segmented version of *Läksin minä kesäyönä*. The dotted line indicates clang boundaries and the black line indicates the segment boundary, both the result of the Gestalt-based algorithm (Tenney & Polansky, 1980).

Another segmentation technique uses the probabilities derived from the analysis of melodies (e.g., Bod, 2002). In this technique, demonstrated in Figure 22, the probabilities of phrase boundaries have been derived from pitch-class-, interval- and duration distributions at the segment boundaries in the Essen folk song collection.

```
» segmentprob(laksin,.6,'fig');
```

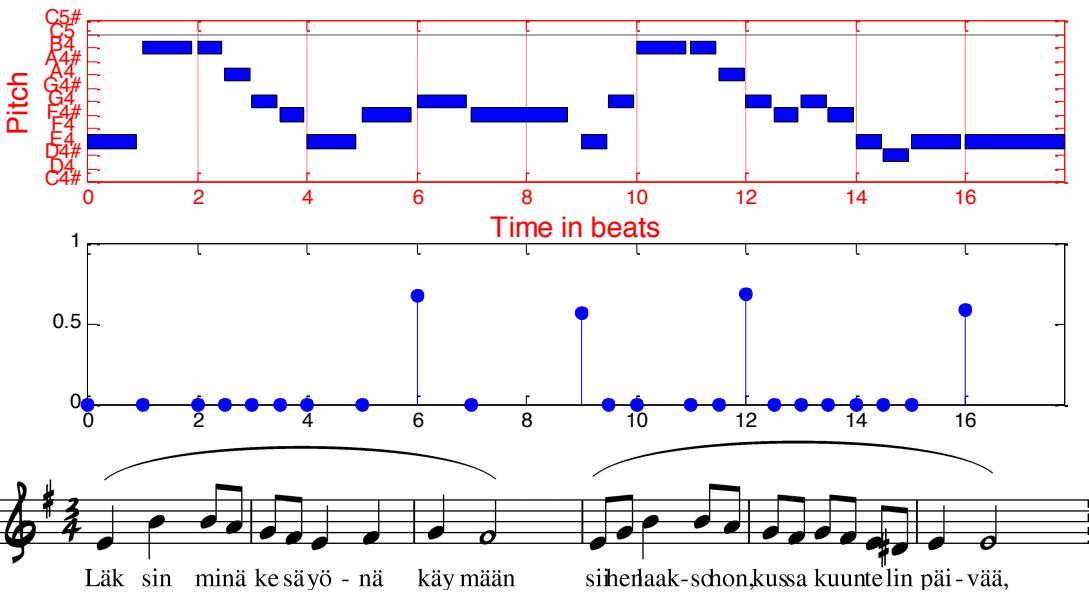


Figure 23. Segmentation based on the probabilities of tone, interval, and duration distributions at segment boundaries in the Essen collection. The middle panel shows the probabilities of segment boundaries by the algorithm. The tune contains the two first phrases of *Läksin minä kesäyönä*.

Both segmentation algorithms produce plausible divisions of the example tune although the correct segmentation is more in line with Tenney & Polansky's model. Finally, a Local Boundary Detection Model by Cambouropoulos (1997) is a recent variant of the rule-based model that offers effective segmentation of monophonic input.

```
» boundary(laksin,'fig');
```

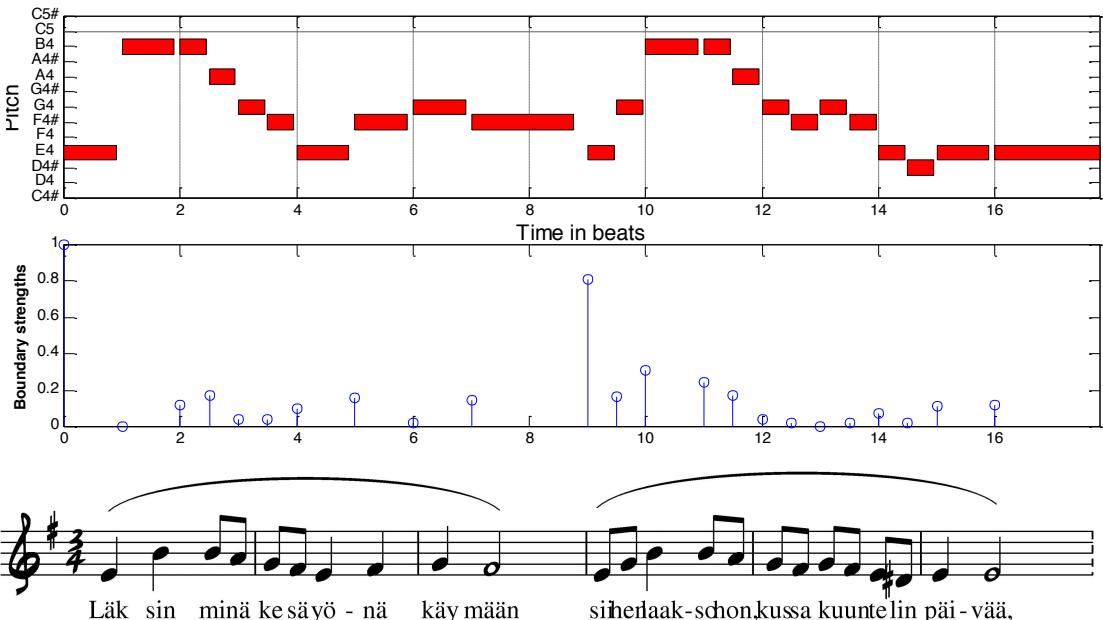


Figure 24. Segmentation of *Läksin minä kesäyönä* based on Local Boundary Detection Model (Cambouropoulos, 1997)

Example 6: Melodic Expectations

Recent work on melodic expectancy has shown how music draws on common psychological principles of expectation that have been captured in Narmour's (1990) cognitively oriented music-theoretic model. The model draws on the Gestalt-based principles of proximity, similarity, and good continuation and has been found to predict listeners' melodic expectancies fairly well (Krumhansl, 1995a, b). The model operates by looking at *implicative intervals* and *realized intervals*. The former creates implications for the melody's continuation and the next interval carries out its implications (Figure 25).

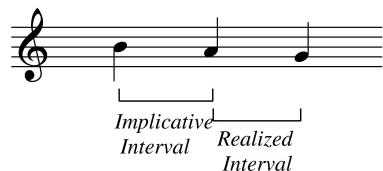


Figure 25. An example implicative and realized interval.

The model contains five principles (*Registral Direction*, *Intervallic Difference*, *Registral Return*, *Proximity*, and *Closure*) that are each characterized by a specific rule describing the registral direction and the distance in pitch between successive tones. The principle of *Registral Return*, for example, refers to cases in which the second tone of the realized interval is within two semitones of the first tone of the implicative interval. According to the theory, listeners expect skips to return to proximate pitch. The combinations of implicative intervals and realized intervals that satisfy this principle are shown by the shaded area at the Figure 26.

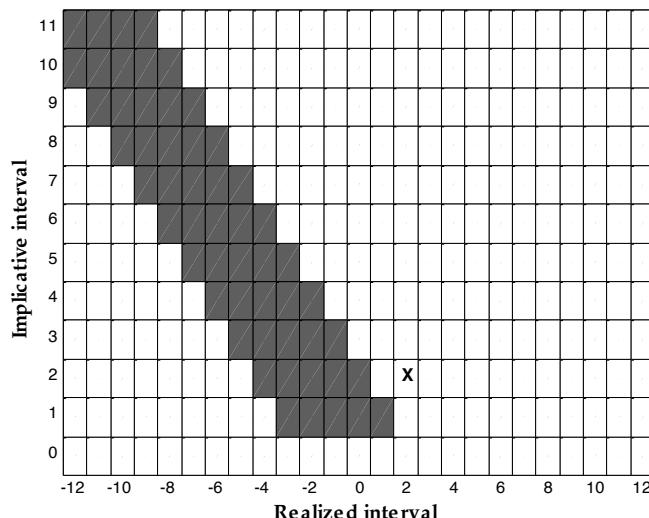


Figure 26. Demonstration of *Registral Return* in Narmour's implication-realization model. The vertical axis corresponds to the implicative interval ranging from 0 to 11 semitones. The horizontal axis corresponds to the realized interval, ranging from 12 semitones in the opposite direction of the implicative interval to 12 semitones in the same direction of the implicative interval. The shaded grids indicate the combinations of implied and realized intervals that fulfil the principle. A small X is displayed where the example fragment from Figure 25 would be positioned along the grid. According to the principle of *Registral Return*, the example

fragment (containing intervals of 2 semitones + 2 semitones) would not be predictable according to the algorithm as it lies outside the shaded area.

The implication-realization model has been quantified by Krumhansl (1995b), who also added a new principle, *Consonance*, to the model. The Figure 27 displays the quantification schemes of all six principles in Narmour's model, available in the Toolbox as *narmour* function.

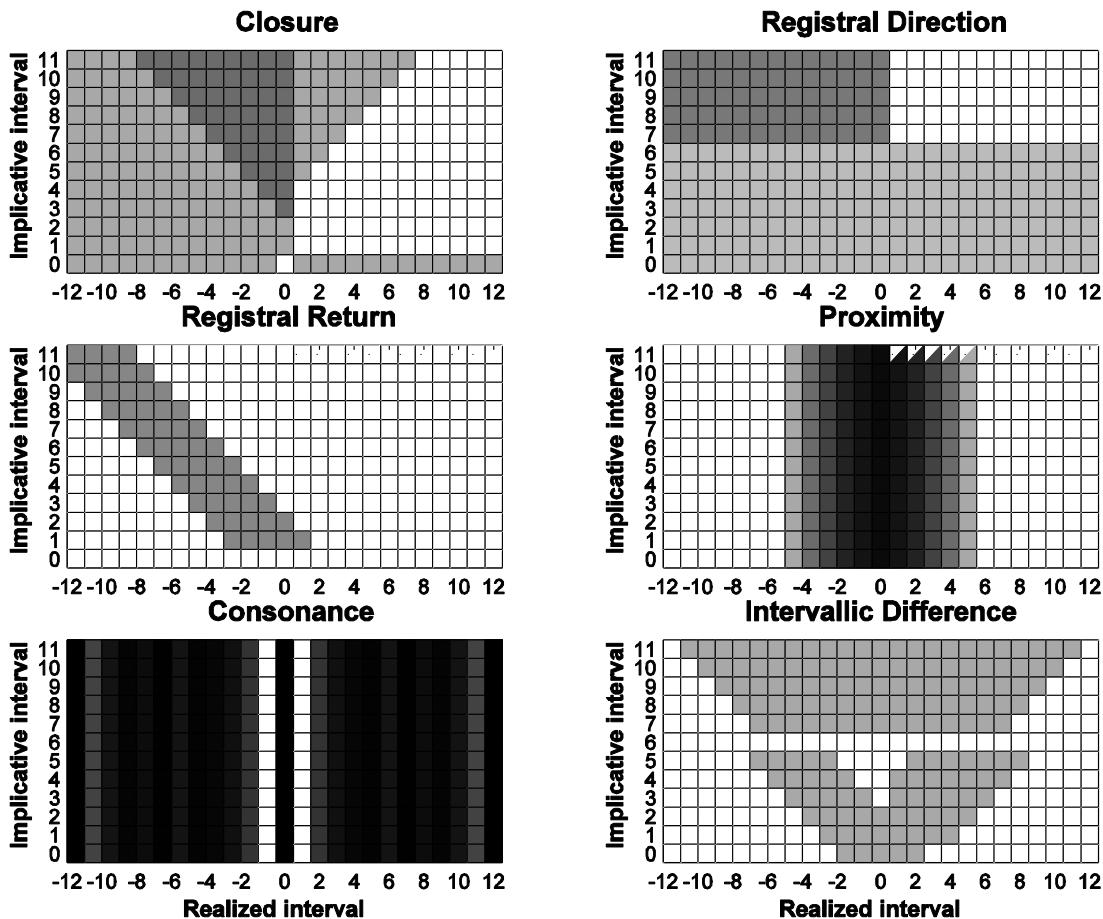


Figure 27. Quantification of Narmour's Implication-realization model (Krumhansl, 1995b). The darker areas indicate better realization of implied intervals.

A cursory look at the shaded areas of Figure 27 indicates that proximate pitches (*Proximity*), reversals of direction in large intervals (*Registral Direction*) and unisons, perfect fourths, fifths and octaves (*Consonance*) are preferred as realized intervals by Narmour's model.

Other factors affect melodic expectations as well. The local key context is also a strong influence on what listeners expect of melodic continuations. If the key of the passage is known, *tonal stability values* (obtained from the experiment by Krumhansl & Kessler, 1982, shown in Figure 12) can be used to evaluate the degree of fitness of individual tones to the local key context. *tonality* function in the MIDI toolbox can be used to assign these values to note events assuming the key is in C major or C minor. In addition, differences in tonal strengths of the individual pitch-classes form asymmetrical relationships between the adjacent pitches. Tonally unstable tones tend to be attracted to tonally stable tones (e.g., in C major, B is pulled towards the tonic C, and G[#] to either A or G). This *melodic attraction* (Lerdahl, 1996) provides an account

for the attraction across the pitches in tonal pitch space. This model can be evoked by the `melattraction` function. Finally, recent revisions of Narmour's model by von Hippel (2000) offer a solution to melodic expectancy that is connected to the restrictions of melodic range, which have probably originated from the limitations of vocal range. These reformulations are called *tessitura* and *mobility* (and these are available in the Toolbox as functions `tessitura` and `mobility`). The former predicts that forth-coming tones will be close to median pitch height. The latter uses autocorrelation between successive pitch heights to evaluate whether the tone is predictable in relation to the previous intervals and the mean pitch.

Next, we can explore how suitable three alternate continuations are to our example tune *Läksin* using the above-mentioned principles of melodic expectancy.

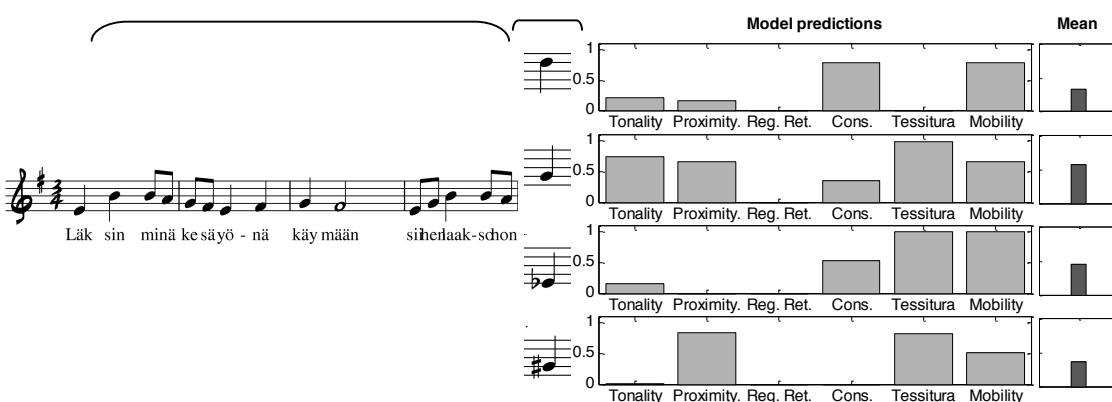


Figure 28. Fitness of four melodic continuations to a segment of the *Läksin* tune according to six different predictions.

In Figure 28 the *Läksin* tune is interrupted at the middle of a phrase and three alternative continuations in addition to the actual continuation (G) are proposed. The model predictions for each of these tones are shown below the notation. The actual tone receives the highest mean score and the chromatic tones (E**b** and G<#>) receive the lowest mean scores. The individual predictions of the different models illuminate why these candidates receive different fitness rating according to the models. The tone G, the highest candidate, is appropriate to continue the sequence because of its close proximity to the previous and median tone of the sequence, high degree of tonal stability of the mediant tone (G) in e-minor and because its movement direction can be predicted from the previous pitch heights. The lowest candidate G<#> is also close in pitch proximity but it is not tonally stable and it also forms dissonant interval with the previous tone. Note that not all principles are commonly needed to estimate the fitness of a given tone to a sequence and the exact weights of the principles vary across music styles. Furthermore, this method does not explicitly account for longer pitch patterns although it is evident that in the example melody, listeners have already come across similar melodic phrase in the beginning of the melody. However, these issues can be examined using contour-related (Example 2) and continuous models (Example 7).

Example 7: Melodic Complexity

Occasionally, it is interesting to know how complicated, difficult or ‘original’ a melody is. For example, Dean Keith Simonton (1984, 1994) analyzed a large number of classical themes and noticed that the originality of the themes is connected with their popularity. This relationship is in the form of inverted-U function where the most popular themes are of medium originality. As a result, the most simple themes are not popular (they may be considered ‘banal’) and neither are the most complex ones. There are also other uses for a melodic complexity measure such as using it as an aid in classification of melodic material (Toivainen & Eerola, 2001). Simonton’s model of melodic originality is based on tone-transition probabilities. The output of this model (`compltrans`) produces an inverse of the averaged probability, scaled between 0 and 10 where higher value indicates higher melodic originality.

Another way of assessing melodic complexity is to focus on tonal and accent coherence, and to the amount of pitch skips and contour self-similarity the melody exhibits. This model has been coined *expectancy-based model* (Eerola & North, 2000; Eerola et al., 2006) of melodic complexity because the components of the model are derived from melodic expectancy theories (available as `complebm` function). An alternative measure of melodic complexity is anchored in continuous measurement of note event distribution (pitch-class, interval) entropy (use `movewindow` and `entropy` and various distribution functions). This measure creates melodic predictability values for each point in the melody (hence the term continuous). These values have been found to correspond to the predictability ratings given by listeners in experiments (Eerola et al., 2002). This measure offers a possibility to observe the moment-by-moment fluctuations in melodic predictability.

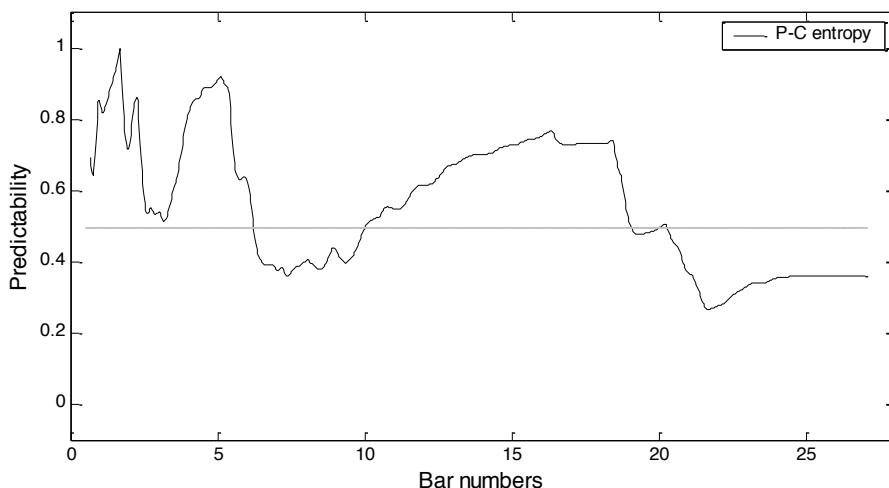


Figure 29. Predictability of Bach’s *Sarabande* (first 27 measures).

The Figure 29 displays how the predictability fluctuates over time. In the beginning, predictability increases as the opening melodic motifs are repeated (see Figure 4 for notation). At measure 20, the *Sarabande* takes a new turn, modulates and contains large pitch skips all that lead to lower predictability values.

Example 8: Analyzing MIDI Collections

In this example, we have a sample of 50 Finnish Folk songs from the *Suomen Kansan Sävelmät* –collection (Eerola & Toiviainen, 2004). First, we load all songs saved in a Matlab *cell matrix* (see the first line of commands below and the notes about the *collection format* in the Chapter 3). Then we can investigate any property of the collection with a single command (*analyzecoll*). For example, the following commands can be used to calculate the pitch-class profile of all songs in the collection (all songs have been transposed into C major/c minor).

```
» load finfolktunes.mat % we get a variable, nm
» pcd = analyzecoll(nm, 'pcdist1'); % 50 x 12 matrix
» meanpcd = mean(pcd,1); % collapsed into 12-comp. vector
» plotdist(meanpcd);
```

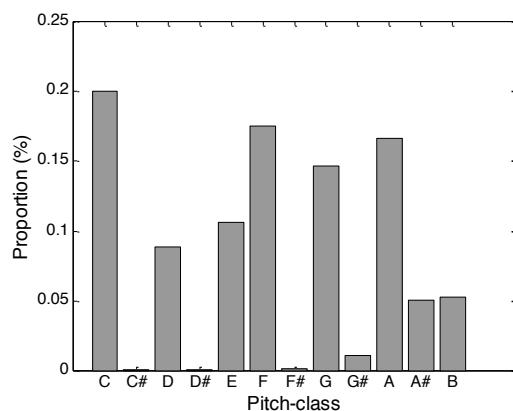


Figure 30. Key profile of the 50 Finnish folk songs (Eerola & Toiviainen, 2004).

In order to compare the resulting distribution to a suitable existing reference distribution, one can use the *refstat* function in the Toolbox. Various reference statistics in the *refstat* function can be listed using the *help* command. To obtain the mean pitch-class distributions in Essen Folk Song Collection and in Schubert songs, type:

```
» essen_pc = refstat('pcdist1essen');
» schubert_pc = refstat('pcdist1schubert');
```

The Essen tone profile has been obtained from the digital folk song collection, edited by Helmut Schaffrath (1995), from which the songs have been converted into ***kern* representation (Huron, 1999) and subsequently to MIDI and then analyzed using the MIDI Toolbox. The Schubert profile is based on the work by Knopoff and Hutchinson (1983) who tallied the frequency of intervals in Schubert songs in major keys. Now we can plot the pitch-class distributions of these three corpora.

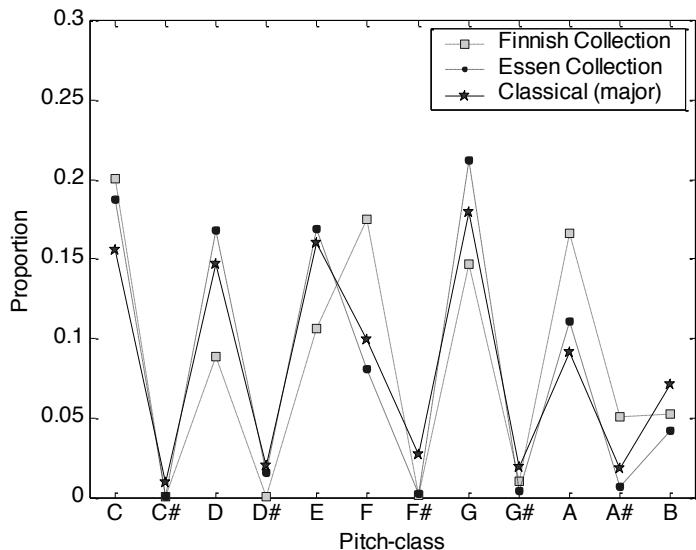


Figure 31. Pitch-class profiles of Finnish (Eerola & Toiviainen, 2004) and European folk songs (Essen collection, Schaffrath, 1995) and Schubert songs (Knopoff & Hutchinson, 1983).

The note distributions of the three collections seem to be highly similar. The profile obtained from the Finnish folk songs displays some differences, mainly concerning higher proportion of subdominant (F) and lowered leading note (**B**flat****) than the other collections, which may reflect the modal character of some tunes in the Finnish corpus. In general, however, the pitch-class distributions may not differ much in various styles of Western music. For example, bebop jazz solos and classical music correlate highly (Järvinen, 1995) as well as Finnish spiritual folk hymns and North Sami yoiks (Krumhansl, 2000). In addition, the correlation between the Krumhansl & Kessler key profiles (shown in Figure 12 and also obtainable by `refstat` function) and probabilities of various pitches within tonal music is high (around +.88). For this reason, the pitch-class profiles do not discriminate the musical styles sufficiently.

If we take a look at another distribution, we see how the visual comparison of the profiles grows even more difficult. Below are the note transitions profiles from Essen folk song collection and classical music, obtained by Youngblood (1958). These distributions can be obtained by `refstat` function in the Toolbox using '`pcdist2essen`' and '`pcdist2classical2`' switches, respectively).

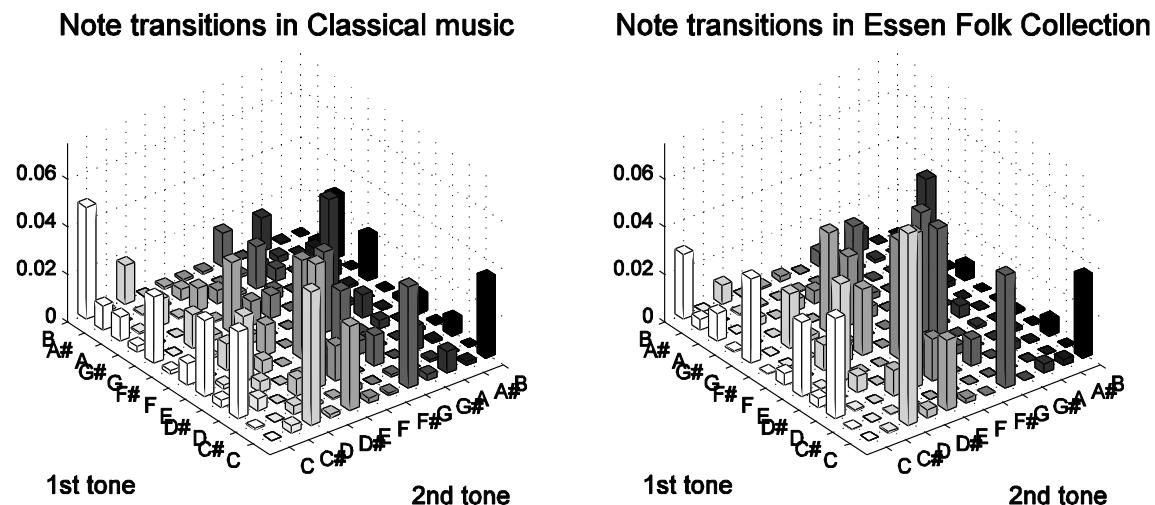


Figure 32. Note transitions in classical music (Youngblood, 1958) and Essen collection (Schaffrath, 1995).

In Figure 32, note repetitions have been omitted from the profile describing note transitions in the Essen collection, as Youngblood (1958) did not originally tally them. Thus, the diagonals of both profiles are empty. The common transitions, C-D, D-C, F-E, G-C, G-F, E-C, C-B, seem to occur with similar frequency in the two collections, but it is difficult to say how different the profiles actually are. A distance metric can be used to calculate the degree of similarity of the profiles. Several distance metrics can be used: *Pearson's correlation coefficient* is commonly employed, although it is problematic, as it does not consider absolute magnitudes and note events in music are not normally distributed in the statistical sense (Toivainen, 1996).

A more consistent (dis)similarity measure is the *Euclidean distance* between the two vectors representing the distributions. *Chi-square* measure is another method of comparison. In addition, *city block distance* or *cosine direction measures* may be used to calculate the distances between the distributions (Everitt & Rabe-Hesketh, 1997). Some of these distance measures are considered in more detail in Example 8 (Chapter 5).

Example 9: Melodic similarity

Some of the distance measures outlined in the previous example can be used to calculate the similarity between motifs, phrases or other melodic segments. In the toolbox, this is handled by the `meldistance` function, which calculates the distance (or similarity) between two notematrices using a user-defined representation (various distributions or melodic contour) and distance measure. In this function, similarity can be scaled to range between 0 and 1, the latter indicating perfect similarity although this value does not indicate absolute similarity but is meaningful when compared to other melodic pair ratings (see demos for a longer example). For example, the similarity between the four phrases of *Läksin* tune, using contour representation (20 samples) and taxi cab distance (scaled between 0 and 1), is calculated as follows:

```
» laksin=reftune('laksin_complete');
» phrase{1} = onsetwindow(laksin,0,8);
» phrase{2} = trim(onsetwindow(laksin,9,17));
» phrase{3} = trim(onsetwindow(laksin,18,28));
» phrase{4} = trim(onsetwindow(laksin,29,37));
»
» for i=1:4
»     for j=1:4
»         dst(i,j) = meldistance(phrase{i},phrase{j},...
»             'contour','taxi',20,1);
»     end
» end
» dst = triu(dst,-1)
```

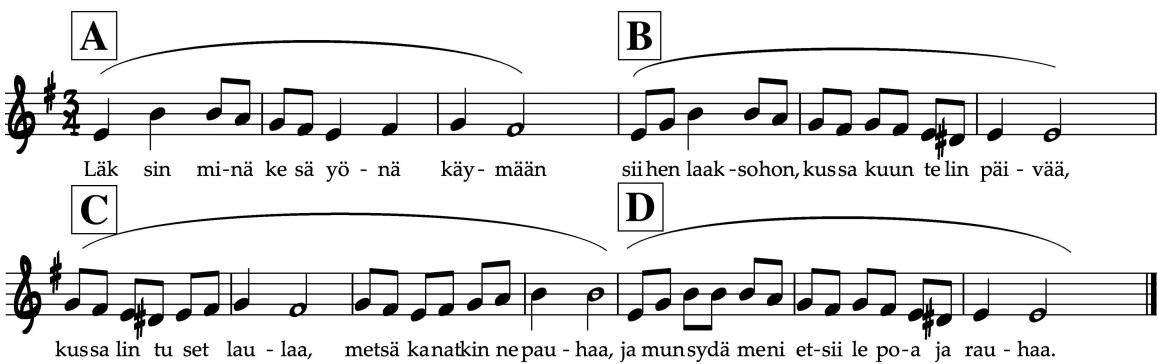


Figure 33. *Läksin minä kesäyöväenä*. The phrases are marked with capital letters.

Table 1. Melodic similarity using different representations (rescaled between 0-1).

Phrase	contour			Phrase	durdist1		
	A	B	C		A	B	C
A				A			
B	.90			B		.63	
C	.80	.76		C	.63	.95	
D	.90	1.00	.76	D	.54	.91	.89

In the code, the phrases are first extracted and inserted into a single *cell structure* using curly brackets. This allows the comparison to be performed for a single variable (`phrase`). Next, a simple loop is used to compare all phrases with each other. Finally,

the lower part of the resulting 4×4 matrix are displayed using `tril` function, shown in Table 1. The table also displays the similarities using another representation, namely distribution of durations ('`durdist1`' parameter in the `meldistance` function). Figure 33 illustrates the phrases involved in the comparison.

For the contour representation, the phrases B and D are identical (similarity 1.00) and the phrase C differs most from the other phrases. This seems intuitively reasonable although the exact numbers should be viewed with caution. However, similarity based on the distribution of note durations indicates greatest similarity between the phrases B and C (.95) and lowest similarity between A and D (.54). The results of this simple indicator of rhythmic similarity are in contrast with the contour representation. These results are, again, readily apparent from the notated score. Another common comparison strategy between melodic segments involves dynamic programming, which is not covered in this tutorial (see e.g., Stammen, & Pennycook, 1993; Hu, Dannenberg & Lewis, 2002). For more information, see Eerola and Bregman (2007).

Example 10: Creating Sequences

The Toolbox may be used to create melodies and chord sequences that can, in turn, be saved as MIDI or synthesized audio files. For example, to recreate the chord context version of the well-known probe-tone sequences (Krumhansl & Kessler, 1982), use `createnmat` function.

```
>> IV = createnmat([65 69 72],0.5);
>> IV = setvalues(IV,'onset',0);
>> V = shift(IV,'pitch',2);
>> V = shift(V,'onset',0.75,'sec');
>> I = shift(V,'pitch',-7);
>> I = shift(I,'onset',0.75,'sec');
>> probe = createnmat([61],0.5);
>> probe = shift(probe,'onset', 3, 'sec');
>> sequence = [IV; V; I; probe];
```

The first line creates a IV chord in C major (F A C) that lasts for 0.5 seconds and starts at 0 seconds (second line). The third line transposes the first chord (IV) major second up and shifts the onset time by 0.75 so that this chord (V) follows the first chord after 0.25 second pause. The fifth and sixth line repeats this operation for the third chord (I). Lines seven and eight create the probe-tone (C[#]) and the final line combines the individual chords and the probe-tone into a sequence.

To synthesize the sequence using *Shepard tones*, which de-emphasize pitch height and underline pitch-class, use the `nmat2snd` function. The following creates the probe sequence as a CD-quality audio file using the Shepard tones:

```
>> signal = nmat2snd(sequence,'shepard',44100); %
```

```
>> plot(signal) % create a plot of the signal
>> l=length(signal);
>> ylabel('Amplitude'); xlabel('Time (in s)') % labels
>> set(gca,'XTick',(0:22050:1))
>> set(gca,'XTickLabel',(0:22050:1)/44100) % in seconds
```

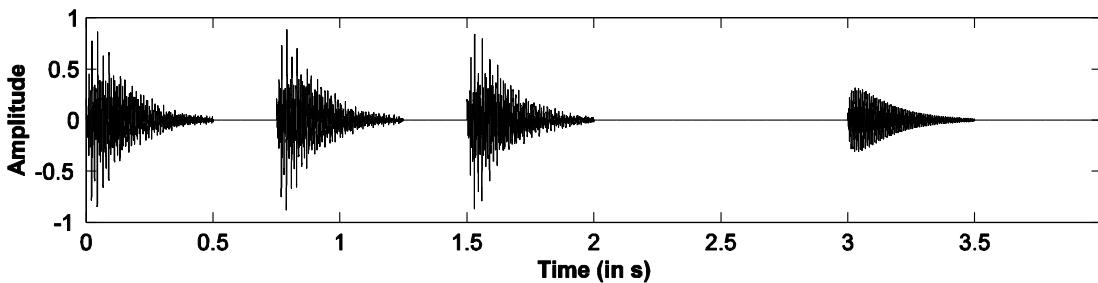


Figure 34. The probe sequence as an audio signal (mono).

In most circumstances, the sampling rate (the second parameter, 44100 samples per second in the example above) can be left out. In that case, considerably lower but sufficient sampling rate (8192 Hz) is used. To play and write the signal to your hard-drive, use Matlab's own functions `soundsc` and `wavwrite`:

```
» soundsc(signal,44100); % play the synthesized sequence
» wavwrite(signal,44100,'probe.wav'); % write audio file
```

Note that in order to create a stereo audio file the signal must be in two channels, easily created by duplicating the signal to two channels:

```
» stereo = [signal; signal]';
```

To demonstrate the so-called *Shepard illusion* (Shepard, 1964), where a scale consisting of semitones is played over four octaves using Shepard tones, type:

```
» playsound(createnmat([48:96], .5), 'shepard');
```

Shepard tones are ambiguous in terms of their pitch height although their pitch-class or pitch chroma can be discerned. When 12 chromatic tones are played in ascending order over and over again, an illusion of a continuous ascending pitch sequence will form although the point at which the sequence starts over is not perceived.

Hearing pairs of tones in succession will form a perception of an ascending or a descending interval. When tritone intervals (e.g., C-F \sharp) are played using Shepard tones, the direction of the interval is ambiguous. Sometimes listeners hear certain tritones as ascending and sometimes descending. To listen to the *tritone paradox* (see Deutsch, 1991; Repp, 1994), type:

```
» playsound(reftune('tritone'), 'shepard');
```

Perception of interleaved melodies provides another example of melody creation. In interleaved melodies, successive notes of the two different melodies are interleaved so that the first note of the first melody is followed by the first note of second melody, followed by the second note of the first melody followed by the second note of the second melody and so on. Using these kinds of melodies in perceptual experiments, Dowling (1973; and later Hartmann & Johnson, 1991) has observed that listeners' ability to recognize the melodies is highly sensitive to the pitch overlap of the two melodies. When the melodies are transposed so that their mean pitches are different, recognition scores increase. Create these melodies using *reftune* and *trans* functions and test at which pitch separation level you spot the titles of the songs.

```
» d1 = reftune('dowling1', 0.4);
» d2 = reftune('dowling2', 0.4);

» d2=shift(d2, 'onset', +.2, 'sec'); % delay (0.2 sec)
» d2=shift(d2, 'dur', -.2, 'sec'); % shorten the notes
» d1=shift(d1, 'dur', -.2, 'sec'); % shorten the notes

» playsound([d1; d2]); pause
» playsound([d1; shift(d2, 'pitch', -3)]); pause
» playsound([d1; shift(d2, 'pitch', 6)]); pause
» playsound([d1; shift(d2, 'pitch', -9)]);
```

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CHAPTER 5 – FUNCTION REFERENCE

This chapter contains detailed descriptions of all MIDI Toolbox functions. It begins with a list of functions grouped by subject area and continues with the reference entries in alphabetical order. Most of the subject areas are self-explanatory (plotting functions, segmentation functions) but some may need further explanation. **CONVERSION FUNCTIONS** convert from MIDI files to *Matlab* or vice versa or perform some other type of conversion. **META FUNCTIONS** is a special category, in which a function uses another function to perform an operation to a collection. **FILTER FUNCTIONS** mostly return a new NMAT that has been modified according to the particular filter used. **STATISTICAL FUNCTIONS** refer to various event distributions of the notematrix (proportion of pitch-classes in a notematrix, for example).

The output format of the functions is indicated on the rightmost column. The following abbreviations are used:

Abbr.	Explanation
s	Scalar
r	Row vector
c	Column vector (scalar value for each note)
nm	Notematrix
cm	Cell matrix
m	Matrix
o	Other (e.g., output can be a Figure, sound or a text string)
-	None

CONVERSION FUNCTIONS

Function	Purpose	Output
dir2coll	Converts a directory of MIDI files to cellmatrix structure	cm
hz2midi	Convert frequencies to MIDI numbers	c
keyname	Convert keys (24) to key names (text)	o
midizhz	Convert MIDI note numbers to frequencies (Hz)	c
notename	Convert MIDI numbers to American pitch spelling (text)	o
readmidi	Reads a MIDI file to a notematrix	nm
writemidi	Writes a MIDI file from a notematrix	(file)

GENERATION FUNCTIONS

Function	Purpose	Output
createnmat	Create a notematrix from the input arguments	nm
nmat2snd	Synthesize NMAT using simple synthesis	o
tempocurve	Get the tempo of NMAT	c
playsound	Play and synthesize NMAT using simple synthesis	o
reftune	Obtain a 'reference' or example tune	nm

FILTER FUNCTIONS

Function	Purpose	Output
dropmidich	Note events that are not on channel CH	nm
dropshortnotes	Returns note events that are shorter than THRESHOLD	nm
elim	Eliminate short MIDI tracks	nm
extreme	Returns extreme pitches (high/low) of a polyphonic NMAT	nm
getmidich	Note events on channel CH	nm
ismonophonic	Returns 1 if the sequence is monophonic	s
mchannels	Midi channels that are used in NMAT	r
movewindow	Runs a selected function within a defined time window	c
onsetwindow	Events with mintime <= onsetttime <= maxtime	nm
perchannel	Create output for each available channel	o
quantize	Quantize note onsets and durations of NMAT	nm
scale	Scales note data in given dimension (time, onsets, or duration)	nm
setvalues	Sets the chosen notematrix value for every event	nm
shift	Shifts note data in given dimension (onset, duration, or pitch)	nm
transpose2c	Transposes NMAT to C major/C minor	nm
trim	Removal of leading silence (trim)	nm

META FUNCTIONS

Function	Purpose	Output
analyzeColl	Analyzes all NMAT in the COLLECTION	o
analyzeDir	Analyzes all MIDI files in the directory	- (file)
filterColl	Filter COLLECTION according to filter function	cm

PLOTTING FUNCTIONS

Function	Purpose	Output
pianoroll	Plots the NMAT as a "pianoroll" notation	o
plotdist	Plots pitch-class-, interval- or duration-distributions or	o
plotHierarchy	Plots the metrical hierarchy of NMAT	o
plotMelContour	Plots the contour of NMAT using STEP resolution	o

STATISTICAL FUNCTIONS

Function	Purpose	Output
durdist1	Distribution of note durations	r
durdist2	Duration transitions (duration pairs)	m
entropy	Entropy of a distribution	s
ivdirdist1	Distribution of interval directions	r
ivdist1	Distribution of intervals	r
ivdist2	Interval transitions (interval pairs)	m
ivsizedist1	Distribution of interval sizes	r
nnotes	Number of notes in NMAT	s
pcdist1	Distribution of pitch-classes	r
pcdist2	Pitch-class transitions (dyads)	m
refstat	Reference statistics (key profiles, Essen collection, etc.)	r / m

KEY-FINDING FUNCTIONS

Function	Purpose	Output
keymode	Estimates the keymode (1=major, 2=minor) based on KK key	s
keysom	Projection of pitch class distribution on a self-organizing map (Toivainen & Krumhansl, 2003)	-
keysomanim	Animation using the KEYSOM function	- / m
kkcc	Correlation of the pitch class distribution to K & K profiles	r
kkkey	Returns the key of NMAT according to the Krumhansl-Kessler algorithm	s
maxkkcc	Maximal correlation of the PC distr. with 24 K & K profiles	s
tonality	Krumhansl & Kessler key profiles values (major/minor)	c

CONTOUR FUNCTIONS

Function	Purpose	Output
melcontour	Contour vector	r
combcontour	Builds the Quinn (1999) representation of melodic contour	m

SEGMENTATION FUNCTIONS

Function	Purpose	Output
segmentgestalt	Segmentation algorithm by Tenney & Polansky (1980)	c
segmentprob	Probabilistic estimation of segment boundaries based on the Essen collection	c
boundary	Local Boundary Detection Model by Cambouropoulos (1997)	c

MELODIC FUNCTIONS

Function	Purpose	Output
ambitus	Melodic range in semitones	s
complebm	Expectancy-based model of melodic complexity (Eerola & North, 2000)	s
compltrans	Melodic originality measure (Simonton, 1984)	s
gradus	Degree of melodiousness (Euler, 1739)	s
melaccent	Melodic accent (Thomassen, 1982)	c
melattraction	Melodic attraction (Lerdahl, 1996)	c
meteraccent	Measure of phenomenal accent synchrony (Eerola, 2003)	c
mobility	Melodic motion as a mobility (Hippel, 2000)	c
narmour	Implication-realization principles by Narmour (1990)	c
tessitura	Melodic tessitura based on deviation from median pitch height (Hippel, 2000)	c
meldistance	Measurement of distance between two NMATs	s

METER-RELATED FUNCTIONS

Function	Purpose	Output
concur	Calculates the proportion of concurrent onsets in NMAT	s
duraccent	Returns duration accent of the events (Parncutt, 1994)	c
gettextempo	Get tempo (in BPM)	s
meter	Autocorrelation-based estimate of meter (Toiviainen & Eerola, 2004)	s
metrichierarchy	Metrical hierarchy (Lerdahl & Jackendoff, 1983)	c
notedensity	Notes per beat or second	s
nPVI	Measure of durational variability of events (Grabe & Low, 2002)	s
onsetacorr	Autocorrelation function of onset times	r
onsetdist	Distribution of onset times within a measure	r
settempo	Set tempo (in BPM)	-

The following private functions reside in private directory under the MIDI Toolbox. They are used by other functions and are not designed to be run individually.

PRIVATE FUNCTIONS

Function	Purpose	Output
distance	Distance between two vectors under a given metric	s
dursec	Note durations in seconds (for compatibility)	c
exptimewindow	Exponential time windowing	nm
ofacorr	Autocorrelation of an onset function	r
onsetfunc	Sum of delta functions at onset times	m
onsetmodmeter	Onset times in relation to meter	c
onsetsec	Note onsets in seconds (for compatibility)	c
xcorr	Cross-correlation function estimates	r

DEMOS

Function	Purpose	Output
mididemo	Run through 8 MIDI Toolbox demos	m
mdemo1 ... 8	Eight demo files	m

ambitus

Function synopsis

Melodic range in semitones

Function syntax

function a = ambitus(nmat)

Function comments

Returns the melodic rage (ambitus) in semitones of NMAT

Input argument:

NMAT = notematrix

Output:

A = melodic range in semitones

Example:

y = ambitus(nmat);

analyzecoll

Function synopsis

Analysis of collection using a specified function

Function syntax

function data = analyzecoll(coll, functionname, <other arguments>)

Function comments

ANALYZECOLL works only with functions that take the notematrix as input argument and works only with functions returning either scalar or row vector.

Input arguments:

COLL = name of the collection

FUNNAME = name of the function

<OTHER ARGUMENTS> possible other arguments to be passed to function FUNNAME

Output:

DATA = scalar or row vector containing the output of function FUNNAME with each notematrix of the collection used as input argument

Example:

keys = analyzecoll(collection, 'kkkey');

See also

analyzedir, filtercoll

analyzedir

Function synopsis

Analysis of MIDI files in a directory

Function syntax

analyzedir(ofname,varargin)

Function comments

Analyzes all the midi files in the current directory using the functions whose names are given as input arguments

and writes the result to file OFNAME.

Input arguments:

OFNAME = output filename (string)

VARARGIN = name(s) of the function(s) (strings)

Output:

file OFNAME and diagnostic index of processed files

Remarks:

This function works only with functions that take the notematrix as input argument and return only one output argument. Also the midi files must have the postfix '.mid'. To create the output file outside of current directory, the full path name has to be included in the first argument.

Example:

`analyzedir('myOutputFile', 'pcdist1', 'ivdist1', 'durdist1');`

See also

`analyzeccoll`, `filtercoll`

boundary

Function synopsis

Local Boundary Detection Model by Cambouropoulos (1997)

Function syntax

function b = boundary(nmat, <fig>)

Function comments

Returns the boundary strength profile of NMAT according to the Local Boundary Detection Model by Cambouropoulos (1997)

Input argument:

NMAT = notematrix

Output:

B = strength of boundary following each note

FIGURE (optional) = if any value is given, creates a graphical output

Remarks:

Cambouropoulos, E. (1997). Musical Rhythm: Inferring Accentuation and Metrical Structure from Grouping Structure. In *Music, Gestalt and Computing - Studies in Systematic and Cognitive Musicology*. M. Leman (ed.), Springer-Verlag, Berlin.

Example: `y = boundary(nmat)`

combcontour

Function synopsis

Builds the Marvin & Laprade (1987) representation of melodic contour

Function syntax

c = combcontour(nmat)

Function comments

For a melody nmat with n notes, combcontour builds an n x n matrix of ones and zeros. A one is inserted in the i,j-th entry if the pitch of note i is higher than the pitch of note j. A zero is inserted otherwise. This matrix is a representation of melodic contour, preserving relative rather than specific pitch height information.

Input arguments:

NMAT = notematrix

Output:

C = matrix of ones and zeros representing melodic contour.

Example:

m = combcontour(nmat)

Reference:

Marvin, E. W. & Laprade, P. A. (1987). Relating music contours: Extensions of a theory for contour. *Journal of Music Theory*, 31(2), 225-267.

complebm

Function synopsis

Expectancy-based model of melodic complexity (Eerola & North, 2000)

Function syntax

y = complebm(nmat, <method>)

Function comments

Expectancy-based model of melodic complexity based either on pitch or rhythm-related components or on an optimal combination of them together (METHOD). The output is calibrated with the Essen collection so that the mean value in the collection is 5 and standard deviation is 1. The higher the output value is, the more complex the NMAT is.

Input arguments:

NMAT = notematrix

METHOD stands for a specific method:

'p' = pitch-related components only

'r' = rhythm-related components only

'o' = optimal combination of pitch- and rhythm-related components

Output:

y = integer for complexity that is calibrated in relation to Essen Collection (Schaffrath, 1995). Higher values = higher complexity.

Example: Analyze a folk tune 'laksin' for its pitch-related complexity:

```
compl_ebm(laksin,'p')
```

```
ans = 5.151
```

The answer means that the tune is somewhat more complicated than the average tune in Essen collection (0.151 standard deviations higher).

References:

Eerola, T. & North, A. C. (2000) Expectancy-Based Model of Melodic Complexity. In Woods, C., Luck, G.B., Brochard, R., O'Neill, S. A., and Sloboda, J. A. (Eds.) *Proceedings of the Sixth International Conference on Music Perception and Cognition*. Keele, Staffordshire, UK: Department of Psychology. CD-ROM.

Schaffrath, H. (1995). *The Essen folksong collection in kern format*. [computer database]. Menlo Park, CA: Center for Computer Assisted Research in the Humanities.

See also

compltrans

compltrans

Function synopsis

Melodic originality measure (Simonton, 1984)

Function syntax

s = compltrans(nmat)

Function comments

Calculates Simonton's (1984, 1994) melodic originality score based on 2nd order pitch-class distribution of classical music that has been derived from 15618 classical music themes.

Input argument:

NMAT = notematrix

Output:

S = integer (inverse of averaged probability), scaled between 0 and 10 (higher value indicates higher melodic originality).

References:

Simonton, D. K. (1984). Melodic structure and note transition probabilities: A content analysis of 15,618 classical themes. *Psychology of Music*, 12, 3-16.

Simonton, D. K. (1994). Computer content analysis of melodic structure: Classical composers and their compositions. *Psychology of Music*, 22, 31-43.

See also

complebm

concur

Function synopsis

Detection of simultaneous onsets in a notematrix

Function syntax

c = concur(nmat,<threshold>)

Function comments

Calculates the number of simultaneous onsets in NMAT with certain beat THRESHOLD. This function can be used in finding and eliminating short tracks in multichannel MIDI files.

Input arguments:

NMAT= notematrix

THRESHOLD = (optional) value for threshold for concurrent onsets. Default value is ± 0.2 beats

Output:

C = integer displaying the proportion of concurrent onsets

Remarks:

Only the NOTES vector is required for the input, other input arguments are optional and will be replaced by default values if omitted.

Example:

concur(nmat,0.25);

See also

channel, elim

createnmat

Function synopsis

Create isochronous notematrix

Function syntax

nmat = createnmat(notes,<dur>,<vel>,<ch>)

Function comments

Function creates a notematrix of isochronous pitches based on the NOTES vector. This is useful for demonstration purposes and for creating stimuli with certain properties.

Input arguments:

NOTES = pitch vector (e.g., [60 64 67] for C major chord)

DUR (optional) = note durations in seconds (default 0.25)

VEL (optional) = note velocities (0-127, default 100)

CH (optional) = note channel (default 1)

Output:

NMAT = notematrix

Remarks:

Only the NOTES vector is required for the input, other input arguments are optional and will be replaced by default values if omitted.

Example: Create major scale going up

major = [0 2 4 5 7 9 11 12] + 60;
nmat = createnmat(major,0.2);

dir2coll

Function synopsis

Conversion of directory of midi files to cell matrix

Function syntax

[nm,name] = dir2coll(ofname)

Function comments

Function converts all MIDI files in a directory to cellmatrix structure (NM). The filenames are also saved (NAME). If output filename (ofname) is given, the variables are saved as a Matlab *.MAT file.

Input arguments:

OFNAME = 'filename' (string)

Output:

NM = cell matrix of all MIDI files in a directory

NAME = filenames (string)

Remarks:

If the input argument is left out, no variables are saved.

Example: [nm,name] = dir2coll;

Reads the midi files in the current directory to the cell matrix structure

dropmidich

Function synopsis

MIDI channel based filtering of notes

Function syntax

nmatf = dropmidich(nmat, ch)

Function comments

Filters out note events of NMAT that are on channel CH

Input arguments:

NMAT = notematrix

CH = number of midi channel to be filtered out

Output:

NMATF = filtered notematrix

Example: Remove drum track of general MIDI file

nmatf = dropmidich(nmat,10); %

dropshortnotes

Function synopsis

Filtering of short notes

Function syntax

nmatf = dropshortnotes(nmat, unit, threshold)

Function comments

Filters out note events in NMAT that are shorter than THRESHOLD.

Input arguments:

NMAT = notematrix

UNIT = time unit for duration: possible values are 'sec' and 'beat'

THRESHOLD = duration threshold for filtering

Output:

NMATF = filtered notematrix

Example: Filter out notes shorter than 1/16:

nmatf = dropshortnotes(nmat, 'beat', 1/16)

duraccent

Function synopsis

Duration accent by Parncutt (1994)

Function syntax

D = duraccent(dur,<tau>,<accent_index>)

Function comments

Function returns duration accent of the events (Parncutt, 1994, p. 430-431) where tau represents saturation duration, which is proportional to the duration of the echoic store. Accent index covers the minimum discriminable duration. The difference between Parncutt's model and this implementation is on the IOI (inter-onset-intervals).

Input arguments:

DUR = vector of note duration in seconds

TAU (optional) = saturation duration (default 0.5)

ACCENT_INDEX (optional) = minimum discriminable duration (default 2)

Output:

D = new duration vector corresponding to the size of input vector

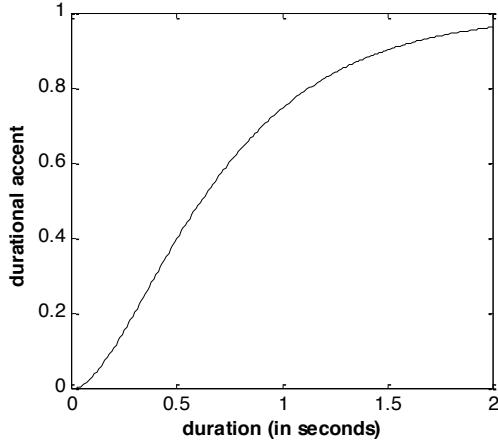
Remarks:

The original model uses IOI (inter-onset-intervals) for input whereas this version takes the note duration value in seconds.

Example : duracc = duraccent(dursecs(NMAT));

References:

Parncutt, R. (1994). A perceptual model of pulse salience and metrical accent in musical rhythms.
Music Perception, 11(4), 409-464.



durdist1

Function synopsis

Note duration distribution

Function syntax

dd = durdist1(nmat)

Function comments

Returns the distribution of note durations in NMAT as a 9-component vector. The centers of the bins are on a logarithmic scale as follows:

component bin center (in units of one beat)	
1	1/4
2	$\sqrt{2}/4$
3	1/2
4	$\sqrt{2}/2$
5	1
6	$\sqrt{2}$
7	2
8	$2\sqrt{2}$
9	4

Input argument:

NMAT = notematrix

Output:

DD = 9-component distribution of note durations

See also

plotdist, refstat , ivdist1, ivdist2, pcdist1, pcdist2

durdist2

Function synopsis

Duration dyad distribution

Function syntax

dd = durdist2(nmat)

Function comments

Returns the distribution of pairs of note durations of successive notes as a $9 * 9$ matrix. For bin centers, see DURDIST1.

Input argument:

NMAT = notematrix

Output:

DD = $9 * 9$ distribution matrix of note duration pairs

See also

plotdist, refstat , ivdist1, ivdist2, pcdist1, pcdist2

elim

Function synopsis

Elimination of "short" midi tracks

Function syntax

[nmate,coverage] = elim(nmat,<extent_crit>)

Function comments

Eliminates tracks shorter than EXTENT_CRIT from NMAT. Short tracks are those that are shorter than EXTENT_CRIT as percentage of the whole duration.

Input arguments:

NMAT = Notematrix

EXTENT_CRIT (optional) = minimum proportion of duration that is required for the track (default value is 0.5, that is, 50% coverage)

Output:

NMATE = new, eliminated notematrix

COVERAGE = the proportion of onsets in MIDI track

Remarks: This function can be used in removing extra tracks from MIDI file.

Example: Eliminate those tracks that have onsets covering less than 20% of the whole duration:

nmat2 = elim(nmat,0.2);

See also

concur

entropy

Function synopsis

Entropy of a distribution

Function syntax

function h = entropy(d)

Function comments

Returns the relative entropy of any distribution given as input argument.

Input argument:

D = distribution

Output:

H = relative entropy (0 =< H =< 1)

extreme

Function synopsis

Returns the extreme pitches (high or low) of a polyphonic NMAT

Function syntax

nm2 = extreme(nmat,<meth>)

Function comments

Input argument:

NMAT = notematrix

METH (string) = method, either HIGH (default) or LOW

Output:

NM2 = monophonic notematrix containing only highest/lowest pitches

Remarks:

Example: Obtain a new notematrix containing only the lowest lowest pitches:

```
nm2 = extreme(nmat,'low');
```

filtercoll

Function synopsis

Filter collection using a specified FILTERNAME function

Function syntax

```
data = filtercoll(coll,filtename, <varargin>)
```

Function comments

FILTERCOLL works only with functions that take the notematrix as input argument.

Input arguments:

COLL = name of the collection

FILTERNAME = name of the FILTER function

VARARGIN = possible other arguments to be passed to filter function FUNNAME

Output:

DATA = vector or matrix containing the output of function FUNNAME with each notematrix of the collection used as input argument.

Example:

```
fnm = filtercoll(nm, 'trans', 7); % transpose the whole collection a fifth up
```

getmidich

Function synopsis

Note events on a given MIDI channel

Function syntax

```
nmatf = getmidich(nmat, ch)
```

Function comments

Returns note events of NMAT that are on MIDI channel CH.

Input arguments:

NMAT = notematrix

CH = MIDI channel

Output:

NMATF = notematrix containing notes of NMAT that are on MIDI channel CH

See also

perchannel

gettempo

Function synopsis

Get mean tempo (in BPM)

Function syntax

bpm = gettempo(nmat)

Function comments

Returns the mean tempo of the NMAT in beat per minute (BPM). Note that MIDI files can be encoded using any arbitrary tempo and therefore the output of this function should be interpreted with caution.

Input argument:

NMAT = notematrix

Output:

BPM = tempo (in beats per minute)

See also

settempo

gradus

Function synopsis

Degree of melodiousness (Euler, 1739)

Function syntax

y = gradus (nmat)

Function comments

Calculates the degree of melodiousness (*gradus suavitatis*), proposed by L. Euler (1707-1783). He suggested that the "degree of melodiousness depends on calculations made by the mind: fewer calculations, the more pleasant the experience. [The model] is implemented by a numerical technique based on the decomposition of natural numbers into a product of powers of different primes." (Leman, 1995, p. 5)

Input argument:

NMAT = notematrix

Output:

Y = integer (degree of melodiousness) where low value indicates high melodiousness

References:

Euler, L. (1739). *Tentamen novae theoriae musicae*.

Leman, M. (1995). *Music and schema theory: Cognitive foundations of systematic musicology*. Berlin: Springer.

hz2midi

Function synopsis

Hertz to MIDI note number conversion

Function syntax

m = hz2midi(hertz)

Function comments

Converts frequency values given in Hertz to MIDI note numbers. Notes are numbered in semitones with middle C being 60. Midi note 69 (A3) has a frequency of 440 hertz (abbreviated Hz), i.e., 440 cycles per second.

Input arguments:

 HERTZ = frequency in hertz

Output:

 M = MIDI numbers

See also

[pitch](#), [notename](#)

ismonophonic

Function synopsis

Returns 1 if NMAT is monophonic (logical function)

Function syntax

I = ismonophonic(nmat,<overlap>,<timetype>)

Function comments

Returns 1 if the sequence has no overlapping notes in NMAT. Function is for finding errors in monophonic melodies and checking whether analysis is suitable for the selected NMAT. For example, ivdist1 cannot be meaningfully performed for a polyphonic input.

Input argument:

NMAT = notematrix

OVERLAP (Optional) = Criteria for allowing short overlap between events.

 The default value is 0.1 seconds

TIMETYPE (Optional) = timetype ('BEAT' or SEC (Seconds, default)).

Output:

 L = 1 is monophonic or 0 (contains overlap between the events)

ivdist1

Function synopsis

Distribution of intervals

Function syntax

ivd = ivdist1(nmat)

Function comments

Returns the distribution of intervals in NMAT as a 25-component vector. The components are spaced at semitone distances with the first component representing the downward octave and the last component

the upward octave. The distribution is weighted by note durations. The note durations are based on duration in seconds that are modified according to Parncutt's durational accent model (1994).

Input arguments:

NMAT = notematrix

Output:

IVD = interval distribution of NMAT

See also

`plotdist`, `refstat`, `durdist1`, `durdist2`, `pcdist1`, `pcdist2`

ivdist2

Function synopsis

Distribution of interval dyads

Function syntax

ivd = ivdist2(nmat)

Function comments

Returns the distribution of interval dyads in NMAT. The distribution is weighted by note durations. The note durations are based on duration in seconds that are modified according to Parncutt's durational accent model (1994).

Input arguments:

NMAT = notematrix

Output:

IVD = interval distribution of NMAT

See also

`plotdist`, `refstat`, `durdist1`, `durdist2`, `pcdist1`, `pcdist2`

ivdirdist1

Function synopsis

Distribution of interval directions

Function syntax

ivd = ivdirdist1(nmat)

Function comments

Returns the proportion of upward intervals for each interval size in NMAT as a 12-component vector. The components are spaced at semitone distances with the first component representing minor second and the last component the upward octave.

Input arguments:

NMAT = notematrix

Output:

IVD = interval direction distribution of NMAT

See also

`plotdist`, `refstat`, `ivdist1`, `ivdist2`, `pcdist1`, `pcdist2`, `ivsizedist1`

ivsizedist1

Function synopsis**Distribution of interval sizes****Function syntax**

`ivd = ivsizedist1(nmat)`

Function comments

Returns the distribution of interval sizes in NMAT as a 13-component vector. The components are spaced at semitone distances with the first component representing the unison and the last component the octave

Input arguments:

NMAT = notematrix

Output:

IVD = interval size distribution of NMAT

Example:

`plotdist(ivsizedist(laksin));`

See also

`plotdist`, `refstat`, `ivdist1`, `ivdist2`, `pcdist1`, `pcdist2`

keymode

Function synopsis**Mode (major vs. minor) estimation****Function syntax**

`k = keymode(nmat)`

Function comments

Functions estimates the key mode (1=major, 2=minor) based on Krumhansl-Kessler key finding algorithm and pitch distribution of the NMAT. This function is used to assign TONALITY values to NMAT.

Input argument:

NMAT = notematrix

Output:

K = estimated mode of NMAT (1=major, 2=minor)

Example: `k = keymode(nmat)`

See also

`tonality`, `kkcc`, `kkkey`, `maxkkcc`

keyname

Function synopsis

Conversion of key numbers to key names (text)

Function syntax

name=keyname(n,<detail>)

Function comments

Convert key numbers to key names (text). Encoding:

1 = C, 2=C#/Db, ...

13 = c, 14 = c#/db, ...

Input argument:

N = key codes (obtained eg. using KKKEY function)

DETAIL (optional) = 1 denotes long, otherwise short (default)

Output: text string

keysom

Function synopsis

Projection of pitch class distribution on a self-organizing map

Function syntax

function keysom(nmat,<cbar>,<cmap>,<tsize>)

Function comments

Creates a pseudocolor map of the pitch class distribution of NMAT projected onto a self-organizing map trained with the Krumhansl-Kessler profiles.

Colors correspond to Pearson correlation values.

Input argument:

NMAT =

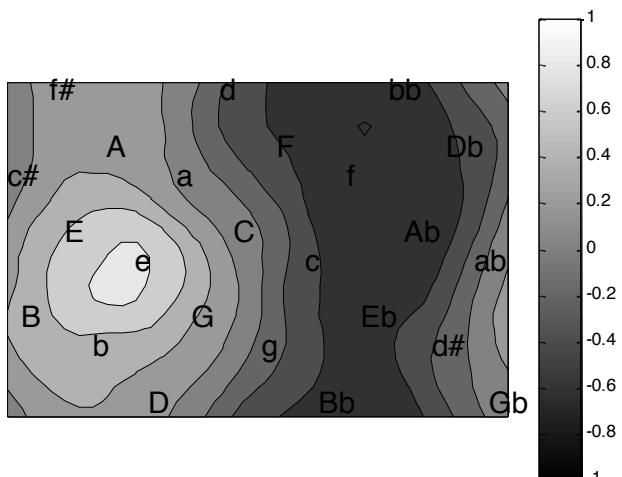
notematrix

CBAR (optional)

= colorbar switch (1 = legend (default), 0 = no legend)

CMAP (optional) = colormap (string, 'jet' (default), 'gray', etc.)

TSIZE (optional) = textsize points (default = 16)



References:

Toivainen, P. & Krumhansl, C. L. (2003). Measuring and modeling real-time responses to music: the dynamics of tonality induction. *Perception*, 32(6), 741-766.

Krumhansl, C. L., & Toivainen, P. (2001) Tonal cognition. In R. J. Zatorre & I. Peretz (Eds.), *The Biological Foundations of Music*.

Annals of the New York Academy of Sciences.
New York, NY: New York Academy of Sciences, 77-91.

keysomanim

Function synopsis

m = keysomanim(nmat, <stmem>, <step>, <ttype>, <opt>)

Function syntax

Animation using the KEYSOM function

Function comments

Input arguments:

NMAT = notematrix

STMEM (optional) = length of short-term memory (default = 6 beats)
length indicates the time constant of exponentially
decaying memory

STEP (optional) = window step in beats (default = 0.5)

TIMETYPE (optional) = time type ('beat' (default) or 'sec')

OPT (optional) = Options: 'MOVIE' creates a MATLAB movie
'STRIP' creates a strip of the animation frames
instead of the animation.
'FRAMES' save each individual frame as a
jpg file to current

directory

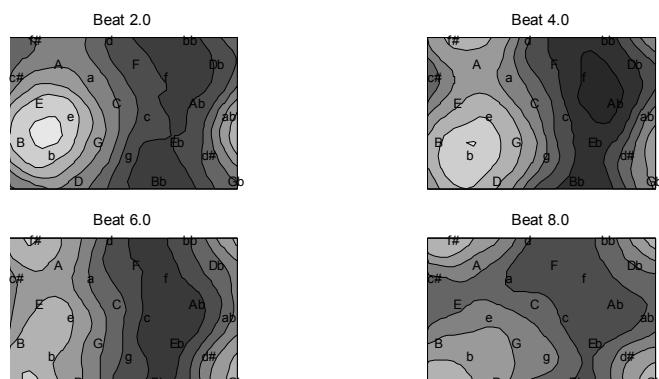
If no option is
given, the function just
displays the
frames

Output arguments:

M = MATLAB movie (if OPT has
not been set to 'strip')

Example:

`m = keysomanim(nm, 3, 0.2, 'sec',
'movie');` % create a movie using a
3-sec window and a step of 0.2
seconds



References:

Toiviainen, P. & Krumhansl, C. L. (2003). Measuring and modeling
real-time responses to music: the dynamics of tonality induction.
Perception, 32(6), 741-766.

Krumhansl, C. L., & Toiviainen, P. (2001) Tonal cognition.
In R. J. Zatorre & I. Peretz (Eds.), *The Biological Foundations of Music*.
Annals of the New York Academy of Sciences.
New York, NY: New York Academy of Sciences, 77-91.

kkcc

Function synopsis

Correlations of pitch-class distribution with Krumhansl-Kessler tone profiles

Function syntax

c = kkcc(nmat,<profile>,<opt>)

Function comments

Returns the correlations of the pitch class distribution PCDIST1 of NMAT with each of the 24 Krumhansl-Kessler profiles or its alternatives.

Input arguments:

NMAT = notematrix

PROFILE = 24 x 12 profile (Krumhansl-Kessler as default, or Temperley (1999) with 'TEMPERLEY', and Albrecht and Schneider 2013 version with 'ALBRECHT-SHANAHAN'

OPT = OPTIONS (optional), 'SALIENCE' return the correlations of the pitch-class distribution according to the Huron & Parncutt (1993) key-finding algorithm.

Output:

C = 24-component vector containing the correlation coefficients between the pitch-class distribution of NMAT and each of the 24 Krumhansl-Kessler profiles.

Remarks: REFSTAT function is called to load the key profiles.

Example: c = kkcc(nmat, 'salience')

Reference:

Albrecht, J., & Shanahan, D. (2013). The Use of Large Corpora to Train a New Type of Key-Finding Algorithm. *Music Perception: An Interdisciplinary Journal*, 31(1), 59-67.

Huron, D., & Parncutt, R. (1993). An improved model of tonality perception incorporating pitch salience and echoic memory. *Psychomusicology*, 12, 152-169.

Krumhansl, C. L. (1990). *Cognitive Foundations of Musical Pitch*. New York: Oxford University Press.

Temperley, D. (1999). What's key for key? The Krumhansl-Schmuckler key-finding algorithm reconsidered. *Music Perception: An Interdisciplinary Journal*, 17(1), 65-100.

See also

refstat, keymode, kkkey, maxkkcc

kkkey

Function synopsis

Key of NMAT according to the Krumhansl-Kessler algorithm

Function syntax

k = kkkey(nmat)

Function comments

Returns the key of NMAT according to the Krumhansl-Kessler algorithm.

Input argument:

NMAT = notematrix

Output:

K = estimated key of NMAT encoded as a number

encoding: C major = 1, C# major = 2, ...

c minor = 13, c# minor = 14, ...

Reference:

Krumhansl, C. L. (1990). *Cognitive Foundations of Musical Pitch*. New York: Oxford University Press.

See also

kkccsalience, refstat, keymode, maxkkcc

maxkkcc

Function synopsis

Maximum correlation from Krumhansl-Kessler algorithm

Function syntax

r = maxkkcc(nmat)

Function comments

Returns the maximum across the correlations between the pitch class distribution of NMAT and each of the 24 Krumhansl-Kessler profiles.

Input argument:

NMAT = notematrix

Output:

R = maximum correlation

Change History :

10.6.2002 P. Toivainen

Reference:

Krumhansl, C. L. (1990). *Cognitive Foundations of Musical Pitch*. New York: Oxford University Press.

See also

kkccsalience, refstat, keymode, kkkey

mchannels

Function synopsis

MIDI channels used in notematrix

Function syntax

ch = mchannels(nmat)

Function comments

Returns the midi channels that are used in notematrix NMAT.

Input argument:

NMAT = notematrix

Output:

CH = vector containing the numbers of all MIDI channels that are used in NMAT

See also

perchannel

melaccent

Function synopsis

Melodic accent salience according to Thomassen's model

Function syntax

ma = melaccent(nmat)

Function comments

Calculates melodic accent salience according to Thomassen's model. This model assigns melodic accents according to the possible melodic contours arising in 3-pitch windows. Accent values vary between 0 (no salience) and 1 (maximum salience).

Input arguments:

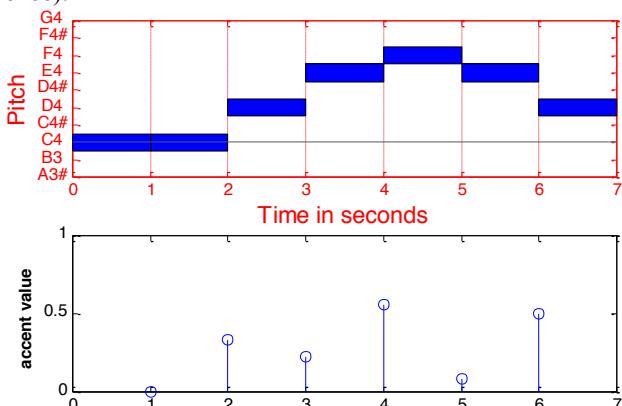
NMAT = notematrix

Output:

MA = accent values

Example:

```
example = createnmat([60 60
62 64 65 64 62],1);
subplot(2,1,1);
pianoroll(example,2,2)
subplot(2,1,2);
stem(m(2:end));
axis([0 6.5 0 1]); ylabel('accent
value');
```



Reference:

Thomassen, J. (1982). Melodic accent: Experiments and a tentative model. *Journal of the Acoustical Society of America*, 71(6), 1598- 1605; see also, Erratum, *Journal of the Acoustical Society of America*, 73(1), 373.

melattraction

Function synopsis

Melodic attraction according to Lerdahl (1996)

Function syntax

m = melattraction(nmat)

Function comments

Calculates melodic attraction according to Fred Lerdahl (1996, p. 343-349):

Each tone in key has certain anchoring strength ("weight") in tonal pitch space

Melodic attraction strength is note2/note1 in a two-note window, which is affected by the distance between tones.

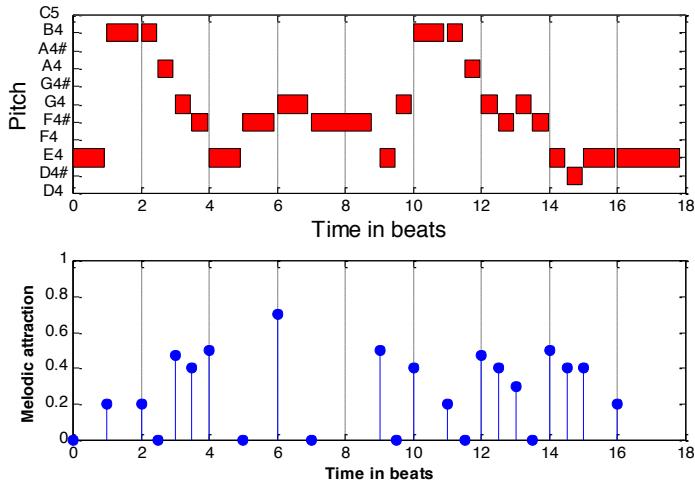
The algorithm has two extensions:

Extension 1: attraction is modified not only by subsequent neighbor but also on the pitch's other neighbors (this is realized in the way Lerdahl suggested, not only limiting the attraction to one neighbor but to all possible neighbors).

Extension 2: directed motion also affects melodic attraction (this is done somewhat differently than in Lerdahl's paper due to modification of the first extension).

Remarks:

The output has been scaled to fit between 0 and 1, larger value indicating higher melodic attraction. Also, the key and the mode needs to be inferred in order to apply correct tonal pitch space values.



Input arguments:

NMAT = notematrix

Output:

M = Melodic attraction values for each note in the NMAT (between 0-1)

Example:

```
melattraction(reftune('laksin'));
```

Reference:

Lerdahl, F. (1996). Calculating tonal tension. *Music Perception*, 13(3), 319-363.

melcontour

Function synopsis

Contour vector

Function syntax

```
function c = melcontour(nmat,res,meth,<opt>)
```

Function comments

Returns the contour vector of the melody in NMAT.

Input arguments:

NMAT = note matrix

RES = parameter defining the temporal resolution of C (see below)

METH = method for defining temporal resolution (= 'abs' or 'rel')

if METH=='abs', RES is defined as the sampling interval
in beats

if METH=='rel', RES is defined as the number of sampling
points

default value for METH is 'abs'

OPT = if 'AC', returns the autocorrelation function of the contour vector of NMAT

Output:

C = contour vector (or autocorrelation vector)

Example:

```
c = melcontour(NMAT, 0.25, 'abs'); % uses a step of 0.25 beats
c = melcontour(NMAT, 32, 'rel'); % uses 32 sampling points
ac = melcontour(NMAT, 0.5, 'abs','ac'); % Autocorrelation function of the contour
```

meldistance

Function synopsis

Measurement of distance between two NMATs

Function syntax

y=melsim(nmat1,nmat2,<repr>,<metric>,<samples>,<rescale>)

Function comments

Calculates the similarity of two NMATs in a particular representation.

Output is a value indicating distance between nmat1 and nmat2 under the given representation and metric. Output value is rescaled to [0, 1] if rescale is set to 1.

Input arguments:

NMAT1= first notematrix

NMAT2= second notematrix

REPR= string denoting the specific representation used for comparison of the two NMATs:

'pcdist1' (default)= distribution of pitch classes

'pcdist2'= distribution of pitch class dyads

'ivdist1'= distribution of intervals

'ivdist2'= distribution of interval dyads

'contour'= melodic contour (input number of samples)

'combccontour'= Combinatorial Contour (does not accept a metric argument)

'durdist1'= distribution of note durations

'durdist2'= distribution of note duration dyads

METRIC= string denoting the distance metric used for comparison:

'taxi' (default)=the taxicab norm

'euc'=euclidean distance measure

'cosine' =measure of cosine of the angle between vectors

SAMPLES= integer number of samples for contour representation.

default value is 10.

RESCALE= rescales distance to similarity value between 0 and 1. Default

is no rescaling. Set to 1 to rescale values.

Output:

y = value representing the distance between the two melodies under the given representation and metric.

Example:

```
meldistance(nmat1,nmat2,'pcdist1','taxi');
```

meter

Function synopsis

Autocorrelation-based estimate of meter

Function syntax

m = meter(nmat,<option>)

Function comments

Returns an autocorrelation-based estimate of meter of NMAT.

Based on temporal structure and on Thomassen's melodic accent.

Uses discriminant function derived from a collection of 12000 folk melodies.

m = 2 for simple duple

m = 3 for simple triple/compound meters (3/8, 3/4, 6/8, 9/8, 12/8, etc.)

Input argument:

NMAT = notematrix

OPTION (Optional, string) = Argument 'OPTIMAL' uses a weighted combination
of duration and melodic accents in the inference of meter (see Toivainen & Eerola, 2004).

Input argument:

NMAT = notematrix

Output:

M = estimate of meter (M=2 for duple; M=3 for triple)

Reference:

Brown, J. (1993). Determination of the meter of musical scores by autocorrelation. *Journal of the Acoustical Society of America*, 94(4), 1953-1957.

Toivainen, P. & Eerola, T. (2004). The role of accent periodicities in meter induction:
a classification study, In x (Ed.), *Proceedings of the ICMPC8* (p. xxx-xxx). xxx:xxx.

meteraccent

Function synopsis

Measure of phenomenal accent synchrony

Function syntax

a = meteraccent(nmat)

Function comments

Returns a measure of phenomenal accent synchrony. It consists of durational accents, pitch accents and accentuation from inferred metrical hierarchy. If these accents coincide, accents are highly synchronized.

Input arguments:

NMAT = notematrix

Output:

A = integer

References:

Eerola, T., Himberg, T., Toivainen, P., & Louhivuori, J. (submitted). Perceived complexity of Western and African folk melodies by Western and African listeners.

Jones, M. R. (1987). Dynamic pattern structure in music: Recent theory and research. *Perception and Psychophysics*, 41, 621-634.

See also

meter

metrichierarchy

Function synopsis

Location of notes in metric hierarchy

Function syntax

`mh = metrichierarchy(nmat)`

Function comments

Returns a vector indicating the location of each note of NMAT in metric hierarchy. The meter of NMAT is estimated using the function METER.

Input argument:

NMAT = notematrix

Output:

MH = vector indicating the location of each note in metric hierarchy; encoding:
strong beat = 5, weak beat = 4, etc.

See also

[meter](#)

midi2hz

Function synopsis

Conversion of MIDI note number to frequency (Hz)

Function syntax

`f = midi2hz(m)`

Function comments

Convert MIDI note numbers to frequencies in Hz. The A3 (Midi number 69) is 440Hz.

Input arguments: M = MIDI note numbers

Output: F = Frequency in hertz

Example: `midi2hz(pitch(createnmat));`

mobility

Function synopsis

Mobility (Hippel, 2000)

Function syntax

`y= mobility(nmat)`

Function comments

Mobility describes why melodies change direction after large skips by simply observing that they would otherwise run out of the comfortable melodic range. It uses lag-one autocorrelation between successive pitch heights (Hippel, 2000).

Input argument:

NMAT = notematrix

Output:

Y = mobility value for each tone in NMAT

See also: NARMOUR, TESSITURA

Example: `y = mobility(nmat)`

References:

von Hippel, P. (2000). Redefining pitch proximity: Tessitura and mobility as constraints on melodic interval size. *Music Perception*, 17 (3), 315-327.

movewindow

Function synopsis

Windowed analysis of notematrix using a specified function

Function syntax

`y = movewindow(nmat,wlength,wstep,timetype,varargin)`

Function comments

Applies function defined in VARARGIN to a series of windowed note matrices using window length WLENGTH and step WSTEPs across NMAT

Input arguments:

NMAT = notematrix

WLENGTH = window length in seconds

WSTEP = window step size in seconds

TIMETYPE = time representation, 'beat' (default) or 'sec'

VARARGIN = function (string) or functions

Output:

Y = output of the function VARARGIN (or nested function FUNC2(FUNC1) etc.) applied to NMAT

Example 1: Find maximal key correlation within a 3-second window -
that is moved by 1.5 seconds at a time - of NMAT

`y = movewindow(nmat,3,1.5,'sec','maxkkcc');`

Example 2: Find average key velocity within a 6-second window -
that is moved by 2 seconds at a time - of NMAT

`y = movewindow(nmat,6,2,'velocity','mean');`

narmour

Function synopsis

Predictions from Implication-realization model by Narmour (1990)

Function syntax

n = narmour(nmat,prin)

Function comments

Returns the predictions from Implication-realization model of melodic expectancy by Eugene Narmour (1990)

Input arguments: NMAT = notematrix

PRIN (string) denotes a specific principle:

rd = registral direction (revised, Schellenberg 1997)

rr = registral return (revised, Schellenberg 1997)

id = intervallic difference

cl = closure

pr = proximity (revised, Schellenberg 1997)

co = consonance (Krumhansl, 1995)

Output: N = vector for all the tones in NMAT

Example: narmour(nmat, 'rd');

References:

Narmour, E. 1990. *The Analysis and cognition of basic melodic structures: The Implication-realization model*. Chicago, IL: University of Chicago Press.

Krumhansl, C. L. (1995). Effects of musical context on similarity and expectancy.
Systematische musikwissenschaft, 3, 211-250.

Schellenberg, E. G. (1997). Simplifying the implication-realization model of melodic expectancy. *Music Perception*, 14, 295-318.

nmat2snd

Function synopsis

Create waveform of NMAT using a simple synthesis

Function syntax

w = nmat2snd(nmat, <synthtype>, <fs>)

Function comments

Create waveform of NMAT using a simple FM synthesis. The default sampling rate is

8192 Hz and velocities are scaled to have a max value of 1.

SYNTHTYPE 'fm' (default) uses FM synthesis to approximate horn sound.

SYNTHTYPE 'shepard' creates waveform of NMAT using Shepard tones. These tones have also been called 'Circular tones' because they are specifically constructed to contain frequency components at octave intervals with an emphasis of the spectral components between 500Hz and 1000 Hz that effectively

eliminates octave information (Shepard, 1964).

Part of the code has been obtained from the work of Ed Doering.
Ed.Doering@Rose-Hulman.Edu

Input argument:

NMAT = notematrix
SYNTHTYPE (Optional) = Synthesis type, either FM synthesis ('fm', default)
or Shepard tones ('shepard')
FS (optional) = sampling rate (default 8192)

Output:

Y = waveform

Example 1: samples1 = nmat2snd(laksin);

Example 2: samples2 = nmat2snd(laksin,'shepard', 22050);

Reference:

Moore, F. R. (1990). Elements of *Computer Music*. New York: Prentice-Hall.
Shepard, R. N. (1964). Circularity in judgements of
relative pitch. Journal of the Acoustical Society of America,
36, 2346-2353.

nnotes

Function synopsis

Number of notes in NMAT

Function syntax

n = nnotes(nmat)

Function comments

Returns the number of notes in NMAT

Input argument:

NMAT = notematrix

Output:

N = number of notes in NMAT

notedensity

Function synopsis

Number of notes per beat or second

Function syntax

n = notedensity(nmat,<timetype>)

Function comments

Returns the number of notes per beat or second in NMAT

Input argument:

NMAT = notematrix

TIMETYPE (Optional) = timetype ('BEAT' (default) or SEC (Seconds).

Output:

N = Note density (in beats or seconds) in NMAT

notename

Function synopsis

Conversion of MIDI numbers to American pitch spelling (text)

Function syntax

names = notename(n)

Function comments

Converts MIDI numbers to American pitch spelling (text) where C4# denotes C sharp in octave 4. Octave 4 goes from middle C up to the B above middle C.

Input argument:

N = The pitches of NMAT (i.e. pitch(nmat))

Output: text string of equivalent size of N.

See also

pianoroll, hz2midi, midi2hz

nPVI

Function synopsis

Measure of durational variability of events (Grabe & Low, 2002)

Function syntax

function n = nPVI(nmat)

Function comments

This measure is borne out of language research. It has been noted that the variability of vowel duration is greater in stress- vs. syllable-timed languages (Grabe & Low, 2002). This measure accounts for the variability of durations and is also called "normalized Pairwise Variability Index" (nPVI). Patel & Daniele have applied it to music (2003) by comparing whether the prosody of different languages is also reflected in music. There is a clear difference between a sample of works by French and English composers.

Input arguments: NMAT = notematrix

Output: N = nPVI index

Example: the variability of duration in LAKSIN (a Finnish folk tune available in demos)

nPVI(laksin);

ans = 26.3861

References:

- Patel, A. D. & Daniele, J. R. (2003). An empirical comparison of rhythm in language and music. *Cognition*, 87, B35-B45.
- Grabe, E., & Low, E. L. (2002). Durational variability in speech and the rhythm class hypothesis. In C. Gussen-hoven & N. Warner, *Laboratory phonology* (pp. 515-546). 7. Berlin: Mouton de Gruyter.

onsetacorr

Function synopsis

Autocorrelation function of onset times

Function syntax

ac = onsetacorr(nmat, <ndivs>, <fig>,<func>)

Function comments

Returns autocorrelation of onset times weighted by onset durations.

These onset durations, are in turn, weighted by Parncutt's durational accent (1994).

This function optionally creates a graph showing the autocorrelation function calculated from onset times weighted by note durations. Finally, a user-defined function (FUNC) can be used to weight the autocorrelation function. For example, TONALITY function is a way of weighting the onset structure by their tonal stability values. MELACCENT may also work in some situations.

Input arguments:

NMAT = notematrix

NDIVS (optional) = divisions per quarter note (default = 4);

FIG (optional) = plot figure (yes=1, no=0, default=0)

FUNC (optional, string) = Optional function that weights the results, for example
'tonality' function would weight the onsets by their tonal stability
values in addition to note durations.

Output:

AC = values of autocorrelation function between lags 0 ... 8 quarter notes

Reference:

Brown, J. (1992). Determination of meter of musical scores by autocorrelation. *Journal of the acoustical society of America*, 94 (4), 1953-1957.

Parncutt, R. (1994). A perceptual model of pulse salience and metrical accent in musical rhythms. *Music Perception*, 11(4), 409-464.

Toivainen, P. & Eerola, T. (2004). The role of accent periodicities in meter induction:
a classification study, In x (Ed.), *Proceedings of the ICMPC8* (p. xxx-xxx). xxx:xxx.

onsetdist

Function synopsis

Distribution of onset times within a measure

Function syntax

dist = onsetdist(nmat, nbeats,<fig>)

Function comments

Returns the distribution of onset times within a measure with a length of NBEATS

Input arguments:

NMAT = notematrix

NBEATS = beats per measure

FIG (Optional) = Figure flag (1=figure, 0=no figure)

Output:

DIST = distribution of onset times

onsetwindow

Function synopsis

Onset time based windowing

Function syntax

nm = onsetwindow(nmat,mintime,maxtime,<timetype>)

Function comments

Returns the notes in NMAT whose onset times satisfy
MINTIME < onsettime[beats/secs](NMAT) <= MAXTIME

Input arguments:

NMAT = notematrix

MINTIME = minimum limit of the window in beats (default) or secs

MAXTIME = maximum limit of the window in beats (default) or secs

TIMETYPE = time representation, 'beat' (default) or 'sec'

Output:

NM = notematrix containing the notes of NMAT whose onsets are within the window

pcdist1

Function synopsis

Pitch-class distribution weighted by note durations

Function syntax

pcd = pcdist1(nmat)

Function comments

Calculates the pitch-class distribution of NMAT weighted by note durations. The note durations are based on duration in seconds that are modified according to Parncutt's durational accent model (1994).

Input argument:

NMAT = notematrix

Output:

PCD = 12-component vector listing the probabilities of

pitch-classes (C, C#, D, D#, E, F, F#, G, G#, A, A#, B).

Example: `pcd = pcdist1(nmat)`

See also

`plotdist`, `refstat`, `durdist1`, `durdist2`, `ivdist1`, `ivdist2`

pcdist2

Function synopsis

2nd order pitch-class distribution

Function syntax

`pcd = pcdist2(nmat)`

Function comments

Calculates the 2nd order pitch-class distribution of NMAT weighted by note durations. The note durations are based on duration in seconds that are modified according to Parncutt's durational accent model (1994).

Input argument:

NMAT = notematrix

Output:

PCD = 2nd order pitch-class distribution of NMAT

12 * 12 matrix

e.g. PCD(1,2) = probability of transitions from C to C#

See also

`plotdist`, `refstat`, `durdist1`, `durdist2`, `ivdist1`, `ivdist2`

perchannel

Function synopsis

Channel-by-channel analysis of notematrix using a specified function. Works only with functions returning either scalar or row vector.

Function syntax

`chout = perchannel(nmat,varargin)`

Function comments

Channel-by-channel analysis of notematrix using a specified function

Input argument:

NMAT = note matrix

FUNC = function (string)

Output:

chout = scalar or row vector for each channel. Size depends on the FUNC.

Example:

```
p=perchannel(nmat,'pcdist1');
```

See also

getmidich, mchannels

pianoroll

Function synopsis

Plot pianoroll notation of NMAT

Function syntax

pianoroll(nmat,<varargin>)

Function comments

Plots pianoroll notation of NMAT and takes several optional arguments that affect the information displayed.

Input arguments:

NMAT = notematrix

VARARGIN = various optional input arguments:

'name' = note names for y-axis (default)

'num' = MIDI numbers for y-axis

'beat' = beats for x-axis (default)

'sec' = seconds for x-axis

'vel' = plot note velocities

'mh' = plot metric hierarchy

Color parameters, e.g. 'g' = Green pitches in pianoroll

'hold' = current pianoroll is added to a previous figure

Output: Figure

Remarks: Function displays NMATs with multiple channels using different colors for the different channels. A simple optimization of Y-scale labels is used to increase the legibility of the output.

Also, the C notes are marked with dotted line in the plot.

Example 1: Plot pitches and their velocities using seconds as the x-axis

```
pianoroll(nmat,'vel','sec');
```

Example 2: Plot two separate melodies into the same figure

```
pianoroll(nmat1,'r'); % 1st melody in red color
```

```
pianoroll(nmat2,'b','hold'); % 2nd melody in blue color
```

Example 3: Plot multichannel NMAT (plot channels using different colors)

```
pianoroll(nmat3,'num'); %
```

playsound

Function synopsis

Play NMAT using a simple synthesis

Function syntax

q = playsound(nmat)

Function comments

Create waveform of NMAT using a simple FM synthesis. The default sampling rate is 8192 Hz and velocities are scaled to have a max value of 1 before passing to the fm_synth function.

Input argument:

NMAT = notematrix

SYNTHTYPE (Optional) = Synthesis type, either FM synthesis ('fm', default)
or Shepard tones ('shepard')

FS (optional) = sampling rate (default 8192)

Output:

none (played through SOUNDSC)

Example 1: playsound(laksin);

Example 2: playsound(laksin, 'shepard', 22050);

plotdist

Function synopsis

Plotting of distributions

Function syntax

p = plotdist(dist ,<param>)

Function comments

This function creates a graph of note-, interval- or duration distributions or transitions. This purpose of the command is make creating simple figures easier.

Input arguments:

DIST = Distribution of:

pitch-classes (12), intervals (25) or durations (9) OR
the transitions of the same features;

pitch-class transitions (12 x 12), interval transitions (25 x 25),
durations transitions (9 x 9) or key correlations (24),
interval sizes (1x13) or intervals directions (1x12). For the last one,

% a simple heuristic is used to distinguish it from the pitch-class distribution.

PARAM (optional) = color parameters (e.g. 'k' for black bars or [.1 .4 .9] for specific colors).

For transition plots, use 'hot' or other colormap definition. Default color is gray in both cases.

Output: Figure

Remarks: The distribution needs to be calculated separately.

Example: Create note transition figure of laksin MIDI file
`plotdist(pcdist2(laksin))`

plothierarchy

Function synopsis

Plot metrical hierarchy

Function syntax

fig = plothierarchy(nmat)

Function comments

Plots metrical hierarchy based on meter-finding and assigning metrical grid to each note according to its position in the grid.
 Lerdahl & Jackendoff (1983).

Input argument:

NMAT = notematrix

Output:

FIG = Figure

Reference:

Lerdahl, F., & Jackendoff, R. (1983). *A generative theory of tonal music*.
 Cambridge, MA: MIT Press.

plotmelcontour

Function synopsis

Plot melodic contour using STEP resolution

Function syntax

p = plotmelcontour(nmat,<step>,<meth>,<options>)

Function comments

Plot melodic contour using a user-defined resolution. Various other output options can be used (VARARGIN).

Input argument:

NMAT = notematrix

VARARGIN = Various other parameters:

STEP (numeric) = resolution (optional), see 'abs' or 'rel' below:

'abs' defines the sampling interval in beats (default)

'rel' defines the number of sampling points

'beat' (default) defines the timetype in beats

'sec' defines the timetype in seconds

COLOR OPTIONS, e.g., 'r:' for red, dotted line... (optional)

'ac' for autocorrelation figure (optional).

This option plots the contour self-similarity of NMAT.

The similarity is based on autocorrelation, where the melodic contour is correlated with a copy of itself. A short duration (approximately one measure) from the beginning is left out in the plot.

Output:

P = Figure

Example 1: plot melodic contour

```
plotmelcontour(laksin,0.1,'abs','ok');
```

Example 2: plot contour self-similarity

```
plotmelcontour(laksin,0.1,'abs','r','ac');
```

See also

[melcontour](#)

quantize

Function synopsis

Quantize note onsets and durations of NMAT

Function syntax

nm2= quantize(nmat, onsetres, <durres>, <filterres>)

Function comments

Quantize note events in NMAT according to onset resolution (ONSETRES), durations resolution (DURRES) and optionally filter note events shorter than the filter threshold (FILTERRES).

Input arguments:

NMAT = notematrix

ONSETRES = onset threshold for quantization (e.g., quarter note = 1/4).

Default value is 1/8 note.

DURRES (optional) = duration threshold for quantization. Default is double the value of ONSETRES.

FILTERRES (optional) = duration threshold for filtering out notes. For example, to filter out eight notes and shorter notes events, FILTERRES of 1/8 can be used.

Output:

NM2 = quantized notematrix

Example: Quantize NMAT to quarter notes (onsets and durations) and filter out all notes shorter than 1/8 beats

```
nm2 = quantize(nmat, 1/4, 1/4,1/8);
```

readmidi

Function synopsis

Conversion of MIDI file to notematrix

Function syntax

nmat = readmidi(fn)

Function comments

Input argument:

FN = name of the MIDI file (string)

Output:

NMAT = notematrix

See also

writemidi

refstat

Function synopsis

Returns reference statistic of melody and associated labels specified by STAT

Function syntax

[ref, label] = refstat(stat)

Function comments

REFSTAT function returns a selected reference statistic of melody (STAT):

Input arguments: STAT= any of the following strings:

kkmaj = Krumhansl & Kessler (1982) major key profile (tonality)
 kkmin = Krumhansl & Kessler (1982) minor key profile (tonality)
 kkmajt = Krumhansl & Kessler (1982) major key profile modified by Temperley (1999)
 kkmint = Krumhansl & Kessler (1982) minor key profile modified by Temperley (1999)
 kkmaj_as = Krumhansl & Kessler (1982) major key profile by Albrecht and Shanahan (2013)
 kkmin_as = Krumhansl & Kessler (1982) minor key profile by Albrecht and Shanahan (2013)
 pc_all = Pitch-Classes in the Essen Collection (ALL songs, incl. Asian) by Schaffrath (1995)
 pc_europe_maj = Pitch-classes in Essen Collection (Major songs, not incl. Asian)
 pc_europe_min = Pitch-classes in Essen Collection (Minor songs, not incl. Asian)
 iv_all = Intervals from Essen folksong collection
 ivnd_europe = Intervals (no direction) from Essen col., not incl. Asian)
 ivudr_europe = Intervals (up, down, repeat) Essen col., not incl. Asian)
 iv_europe_maj = Interval transitions (Essen col., Major, Non-Asian)
 ivdia_europe = Interval transitions, diatonic only (Essen col., not incl. Asian)
 ivdiand_europe = Interval transitions, diatonic only, no direction (Essen col., not incl. Asian)
 iv2 = Interval transitions (From Essen folksong collection) (VECTOR)
 twotone = Pitch-class transitions in Essen Collection (VECTOR)
 pdist1essen = Pitch-classes in Essen Collection (All songs, not incl. Asian, N=6231)
 ivdist1essen = Intervals from Essen folksong collection (not incl. Asian)
 durdist1essen = Duration distribution (From Essen folksong collection)
 ivdist2essen = Interval transitions (From Essen folksong collection) (MATRIX)
 pcdist2essen = Pitch-class transitions (From Essen folksong collection) (MATRIX)
 durdist2essen = Duration transitions (From Essen folksong collection) (MATRIX)
 pdist2classical1 = Tone-transition probabilities from 16000 + classical music themes (Simonton, 1984)
 pdist2classical2 = Frequency of occurrence of melodic intervals by Youngblood (1958)

`pcdist1schubert` = Pitch-class distribution in Schubert pieces (Major key, Knopoff & Hutchinson (1983))

Output: REF = probability vector for each component in the statistic. For example, major key profile is:

`ref=[6.35,2.23,3.48,2.33,4.38,4.09,2.52,5.19,2.39,3.66,2.29,2.88];`

LABEL = label for each statistic. As above this, would output:

`'C','C#','D','D#','E','F','F#','G','G#','A','A#','B'`

References:

- Albrecht, J., & Shanahan, D. (2013). The Use of Large Corpora to Train a New Type of Key-Finding Algorithm. *Music Perception: An Interdisciplinary Journal*, 31(1), 59-67.
- Knopoff, L. & Hutchinson, W. (1983). Entropy as a measure of style: The influence of sample length. *Journal of Music Theory*, 27, 75-97.
- Krumhansl, C. L., & Kessler, E. J. (1982). Tracing the dynamic changes in perceived tonal organization in a spatial representation of musical keys. *Psychological Review*, 89, 334-368.
- Schaffrath, H. (1995). *The Essen Folksong Collection in Kern Format*. [computer database] D. Huron (Ed.). Menlo Park, CA: Center for Computer Assisted Research in the Humanities.
- Simonton, D. K. (1984). Melodic structure and note transition probabilities: A content analysis of 15,618 classical themes. *Psychology of Music*, 12, 3-16.
- Temperley, D. (1999). What's Key for Key? The Krumhansl-Schmuckler key-finding algorithm reconsidered. *Music Perception*, 17, 65-100.
- Youngblood, J.E. (1958). Style as information. *Journal of Music Theory*, 2, 24-35.

Example 1: Get major key profile by Krumshansl & Kessler (1982):
`major = refstat('kkmaj');`

Example 2: Get interval transition probabilities in the Essen collection and the respective labels for all interval transitions:

`[inttrans,label] = refstat('ivdist2essen');`

reftune

Function synopsis

Obtain a 'reference' or example tune

Function syntax

`nmat = reftune('name',<dur>)`

Function comments

Input arguments: NAME= any of the following strings:

`dowling1` = Dowling (1973) tune 1

`dowling1` = Dowling (1973) tune 2

`int1-12` = Hartmann & Johnson (1991) tunes 1-12

`probe` = Sample probe sequence (demonstrated in the Manual)

`tritone` = 12 random tritone intervals demonstrating the Tritone Paradox (Deutsch, 1991)

`laksin` = Two phrases of a Finnish Folk, "Läksin Minä Kesäyönä"

`DUR(optional)` = duration of tones in target NAME tune

Output: NMAT = the sequence as a notematrix

References:

- Dowling, W. J. (1973). The perception of interleaved melodies, *Cognitive Psychology*, 5, 322-337.
- Hartmann, W. M., & Johnson, D. (1991). Stream segregation and peripheral channeling. *Music Perception*, 9(2), 155-184.
- Deutsch, D. (1991). The tritone paradox: An influence of language on music perception. *Music Perception*, 8, 335-347.
- Repp, B. (1994). The tritone paradox and the pitch range of the speaking voice: A dubious connection. *Music Perception*, 12, 227-255.
-

scale

Function synopsis

Scaling of notematrix values

Function syntax

nm = scale(nmat,dim,factor)

Function comments

Scales note data in given dimension (time, onset time, or duration)

Input arguments:

NMAT = notematrix
DIM = dimension ('time', 'onset', 'dur' or 'vel')
FACTOR = amount of scale (must be > 0)

Output:

NM = notematrix containing the scaled version of NMAT

Examples:

```
nm = scale(nmat,'time',2); % scales time axis by a factor of 2
nm = scale(nmat,'dur',0.5); % shortens durations by a factor of 2
```

segmentgestalt

Function synopsis

Segmentation algorithm by Tenney & Polansky (1980)

Function syntax

[c,s] = segmentgestalt (nmat ,<fig>)

Function comments

Input arguments:

NMAT = notematrix
FIGURE (optional) = if any second argument given,
a figure is plotted

Output:

C = clang boundaries (binary (0|1) column vector)
S = segment boundaries (binary (0|1) column vector)
FIG (optionally) = plot pianoroll with dotted lines
corresponding with clang boundaries.
Solid line indicates segment boundaries.

References:

Tenney, J. & Polansky, L. (1980). Temporal gestalt perception in music. *Journal of Music Theory*, 24(2), 205–41.

See also

segmentprob

segmentprob

Function synopsis

Estimation of segment boundaries

Function syntax

segmentprob(nmat , <thres>,<fig>)

Function comments

Plots a segmentation of NMAT based on Markov probabilities of segment boundaries derived from the Essen collection

Input arguments:

NMAT = notematrix

THRES (optional) = segmentation threshold (default = 0.6);

FIG (optional) = plot figure (yes=1, no=0, default=0)

Output:

SEGM = Segment probabilities for note event (row vector)

Figure (Optional) showing the pianoroll notation of NMAT in top and estimated segment boundaries with respective probabilities as a stem plot.

See also

segmentgestalt

settempo

Function synopsis

Assigns a new tempo to the NMAT in beats per minute (BPM)

Function syntax

y = settempo(nmat,bpm)

Function comments

Assigns a new tempo to the NMAT.

Input argument:

NMAT = notematrix

BPM = new tempo (in beats per minute)

Output:

NMATF = new notematrix

See also[getttempo](#)

setvalues

Function synopsis**Sets the chosen notematrix value for every event****Function syntax****`nm = setvalues(nmat,dim,val,<timetype>)`****Function comments**

Sets the chosen notematrix value for every event

Input arguments:

NMAT = notematrix

DIM = dimension ('onset', 'dur', 'vel', or 'chan')

VAL = Value

TIMETYPE = (optional) time representation, 'beat' (default) or 'sec'

Output:

NM = notematrix containing the scaled version of NMAT

Examples:

`nm = setvalues(nmat,'vel',64); % Sets all note velocities to 64``nm = setvalues(nmat,'onset',0); % Sets all onset times to zero``nm = setvalues(nmat,'dur',1,'sec'); % Sets all note durations to 1 sec`

shift

Function synopsis**Shifting of notematrix values****Function syntax****`nm = shift(nmat,dim,amount,<timetype>)`****Function comments**

Shifts note data in given dimension (onset time, duration, or pitch)

Input arguments:

NMAT = notematrix

DIM = dimension ('onset', 'dur', 'pitch', 'chan' or 'vel')

AMOUNT = amount of shift

TIMETYPE = (optional) time representation, 'beat' (default) or 'sec'

Output:

NM = notematrix containing the shifted version of NMAT

Examples:

`nm = shift(nmat,'onset',5); % shifts note onsets 5 beats ahead``nm = shift(nmat,'dur',-0.1,'sec'); % shortens durations by 0.1 secs`

```
nm = shift(nmat,'pitch',12); %transposes one octave up
```

tempocurve

Function synopsis

Returns the tempo curve of NMAT

Function syntax

tempo = tempocurve(nmat)

Function comments

Calculates the tempo curve based on beats and onset times and outputs values for each onset in BPM.

Input argument:

NMAT = notematrix

Output:

TEMPO = tempo in BPM at each onset of NMAT

Example: t = tempocurve(nmat)

tessitura

Function synopsis

Tessitura (Hippel, 2000)

Function syntax

y = tessitura(nmat)

Function comments

Calculates the tessitura that is based on standard deviation of pitch height.

The median range of the melody tends to be favored and thus

more expected. Tessitura predicts whether listeners expect tones close to median pitch height (Hippel, 2000).

Input argument:

NMAT = notematrix

Output:

Y = tessitura value for each tone in NMAT

Example: y = tessitura(nmat)

References:

von Hippel, P. (2000). Redefining pitch proximity: Tessitura and mobility as constraints on melodic interval size. *Music Perception*, 17 (3), 315-327.

See also

mobility, narmour

tonality

Function synopsis

Tonal stability of notes in melody

Function syntax

p = tonality(nmat)

Function comments

Function gives the tonal stability ratings for tones in the melody (NMAT) after determining the key mode (minor/major) using the KEYMODE function.

Input argument:

NMAT = notematrix

Output:

P = tonality values for pitches in NMAT

Remarks: This function calls the KEYMODE function.

Reference:

Krumhansl, C. L. (1990). *Cognitive Foundations of Musical Pitch*. New York: Oxford University Press.

Example: p = tonality(createnmat)

See also

refstat, keymode

transpose2c

Function synopsis

Transposition to C tonic

Function syntax

nmatf = transpose2c(nmat)

Function comments

Transposes NMAT to C major or minor using the Krumhansl-Kessler algorithm. Note that the algorithm may not give reliable results if the NMAT is especially short or has a modulating structure.

Input argument:

NMAT = notematrix

Output:

NMATF = transposed notematrix

Example: n = transpose2c(nmat);

trim

Function synopsis

Removal of leading silence

Function syntax

nm2 = trim(nmat)

Function comments

Removes potential silence in the beginning of NMAT
by shifting the note onsets so that the first onset occur at zero time

Input arguments:

NMAT = notematrix

writemidi

Function synopsis

Writes a MIDI file from a NMAT

Function syntax

n = writemidi(nmat, ofname, <tpq>, <tempo>, <tsig1>, <tsig2>)

Function comments

Creates a MIDI file from a NMAT using various optional parameters

Input arguments: NMAT = notematrix

OFNAME = Output filename (*.mid)

TPQ (Optional) = Ticks per quarter note (default 120)

TEMPO (Optional) = bpm, beats per minute (default 100)

TSIG1&2 (Optional) = Time-signature, e.g. 6/8 -> TSIG1 = 6,

TSIG2 = 8 (default 4)

Output: MIDI file

Remarks: TEXT2MIDI converter needs to be handled differently in PC and Mac.

Example: writemidi(a,'demo.mid');

creates a file name DEMO.MID from notematrix A with
default settings.

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