

Instruction Selection, Part I

Selection via Peephole Optimization

Copyright 2010, Keith D. Cooper & Linda Torczon, all rights reserved.

Students enrolled in Comp 412 at Rice University have explicit permission to make copies of these materials for their personal use.

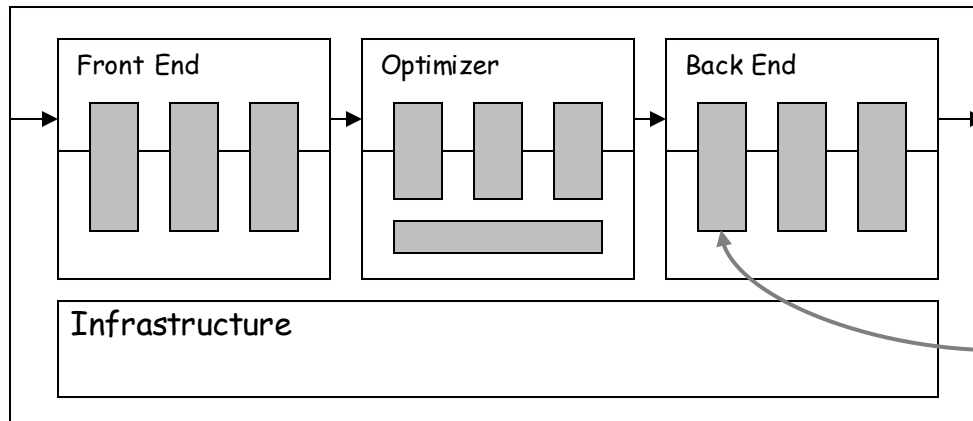
Faculty from other educational institutions may use these materials for nonprofit educational purposes, provided this copyright notice is preserved.



The Problem

Writing a compiler is a lot of work

- Would like to reuse components whenever possible
- Would like to automate construction of components



Today's lecture:
Automating
Instruction
Selection

- Front end construction is largely automated
- Middle is largely hand crafted
- (Parts of) back end can be automated



Definitions

Instruction selection

- Mapping IR into assembly code
- Assumes a fixed storage mapping & code shape
- Combining operations, using address modes

Instruction scheduling

- Reordering operations to hide latencies
- Assumes a fixed program (*set of operations*)
- Changes demand for registers

Register allocation

- Deciding which values will reside in registers
- Changes the storage mapping, may add false sharing
- Concerns about placement of data & memory operations



The Problem

Modern computers (still) have many ways to do anything

Consider register-to-register copy in ILOC

- Obvious operation is `i2i ri ⇒ rj`
- Many others exist

<code>addI r_i, 0 ⇒ r_j</code>	<code>subI r_i, 0 ⇒ r_j</code>	<code>lshiftI r_i, 0 ⇒ r_j</code>
<code>multI r_i, 1 ⇒ r_j</code>	<code>divI r_i, 1 ⇒ r_j</code>	<code>rshiftI r_i, 0 ⇒ r_j</code>
<code>orI r_i, 0 ⇒ r_j</code>	<code>xorI r_i, 0 ⇒ r_j</code>	<i>... and others ...</i>

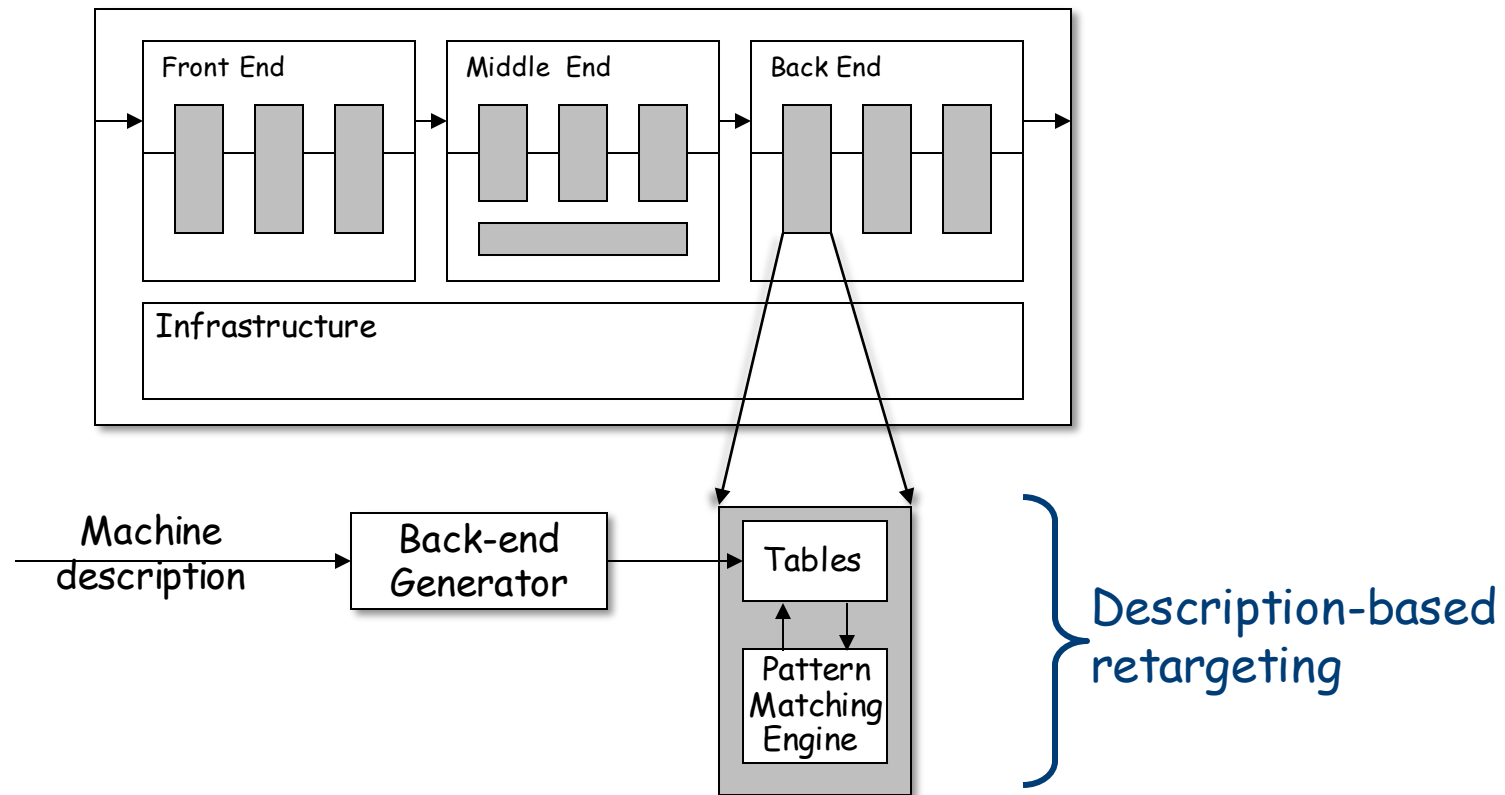
- Human would ignore all of these
- Algorithm must look at all of them & find low-cost encoding
 - Take context into account *(busy functional unit?)*

And ILOC is an overly-simplified case



The Goal

Want to automate generation of instruction selectors



Machine description should also help with scheduling & allocation



The Big Picture

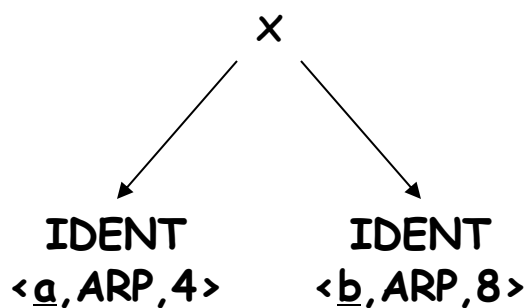
Need pattern matching techniques

- Must produce good code *(some metric for good)*
- Must run quickly

Our treewalk code generator (Lec. 22) ran quickly

How good was the code?

Tree



Treewalk Code

```
loadI    4    ⇒ r5
loadAO   r0,r5 ⇒ r6
loadI    8    ⇒ r7
loadAO   r0,r7 ⇒ r8
mult     r6,r8 ⇒ r9
```

Desired Code

```
loadAI   r0,4  ⇒ r5
loadAI   r0,8  ⇒ r6
mult     r5,r6 ⇒ r7
```



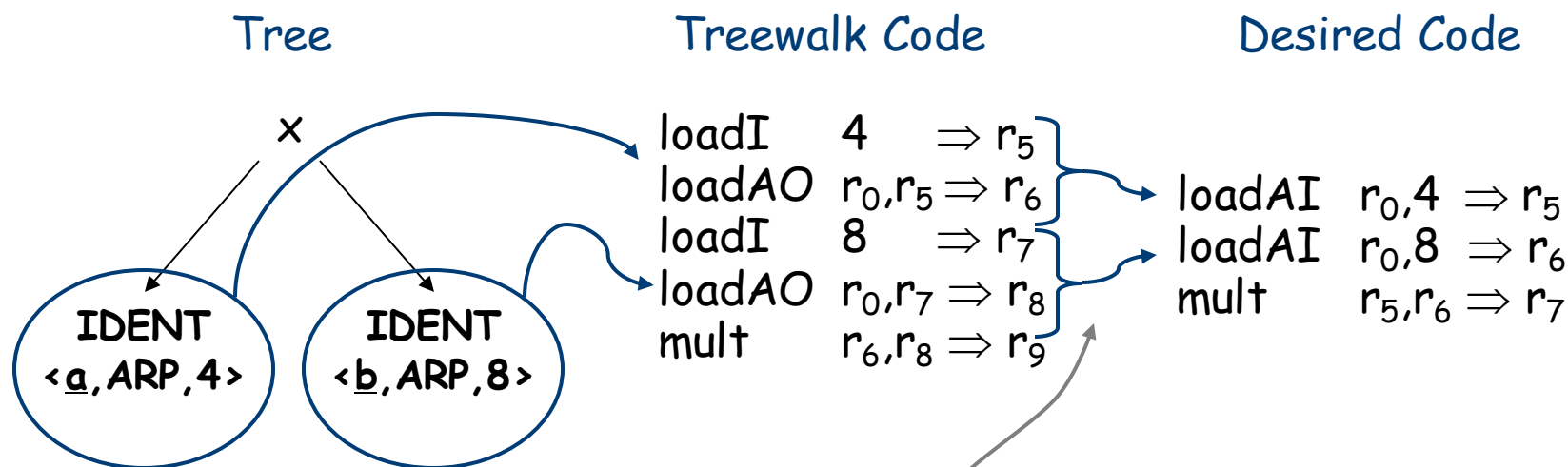
The Big Picture

Need pattern matching techniques

- Must produce good code *(some metric for good)*
- Must run quickly

Our treewalk code generator (Lec. 22) ran quickly

How good was the code?





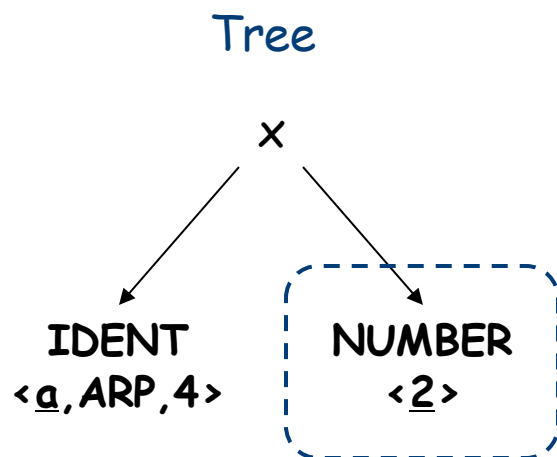
The Big Picture

Need pattern matching techniques

- Must produce good code *(some metric for good)*
- Must run quickly

Our treewalk code generator (Lec. 22) ran quickly

How good was the code?



Treewalk Code

```
loadI    4    ⇒ r5
loadAO   r0,r5 ⇒ r6
loadI    2    ⇒ r7
mult     r6,r7 ⇒ r8
```

Desired Code

```
loadAI   r0,4 ⇒ r5
multI    r5,2 ⇒ r7
```



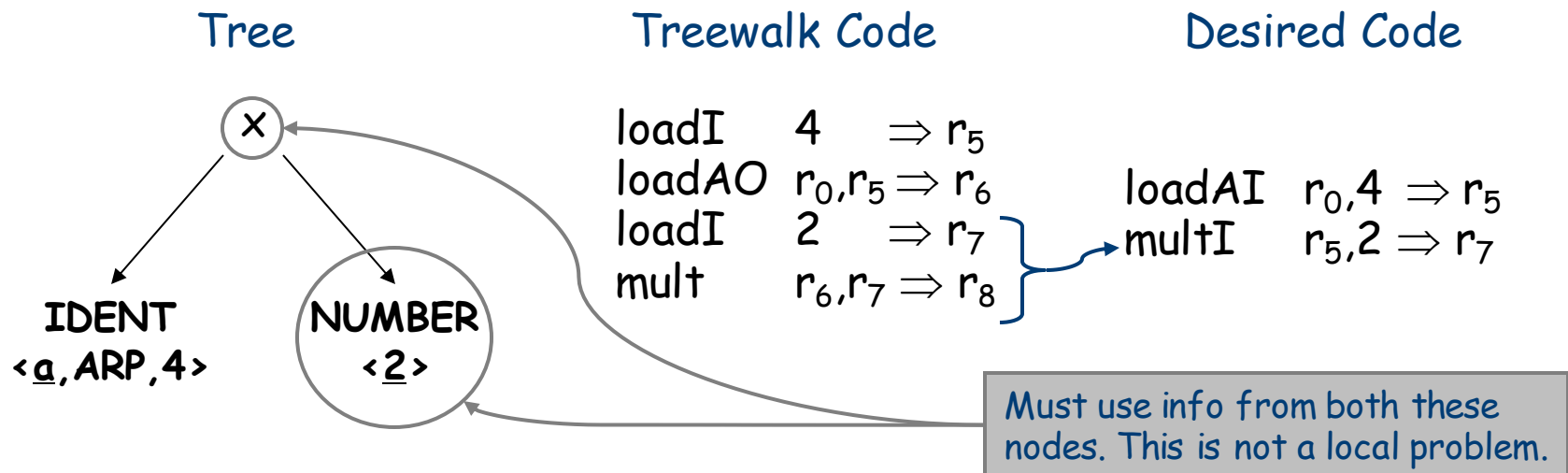

The Big Picture

Need pattern matching techniques

- Must produce good code *(some metric for good)*
- Must run quickly

Our treewalk code generator (Lec. 22) ran quickly

How good was the code?





The Big Picture

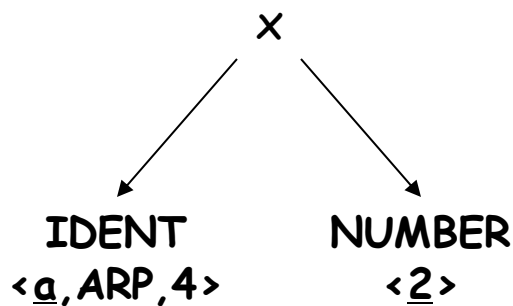
Need pattern matching techniques

- Must produce good code *(some metric for good)*
- Must run quickly

Our treewalk code generator (Lec. 22) ran quickly

How good was the code?

Tree



Treewalk Code

```
loadI    4    => r5
loadAO   r0,r5 => r6
loadI    2    => r7
mult     r6,r7 => r8
```

Desired Code

```
loadAI   r0,4 => r5
add      r5,r5 => r7
```

Another possibility that might take less time & energy — an algebraic identity



The Big Picture

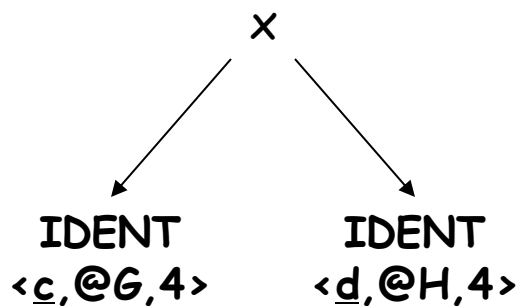
Need pattern matching techniques

- Must produce good code *(some metric for good)*
- Must run quickly

Our treewalk code generator (Lec. 22) ran quickly

How good was the code?

Tree



Treewalk Code

```
loadI    @G  => r5
loadI    4   => r6
loadAO   r5,r6 => r7
loadI    @H  => r7
loadI    4   => r8
loadAO   r8,r9 => r10
mult     r7,r10 => r11
```

Desired Code

```
loadI    4      => r5
loadAI   r5,@G  => r6
loadAI   r5,@H  => r7
mult     r6,r7  => r8
```



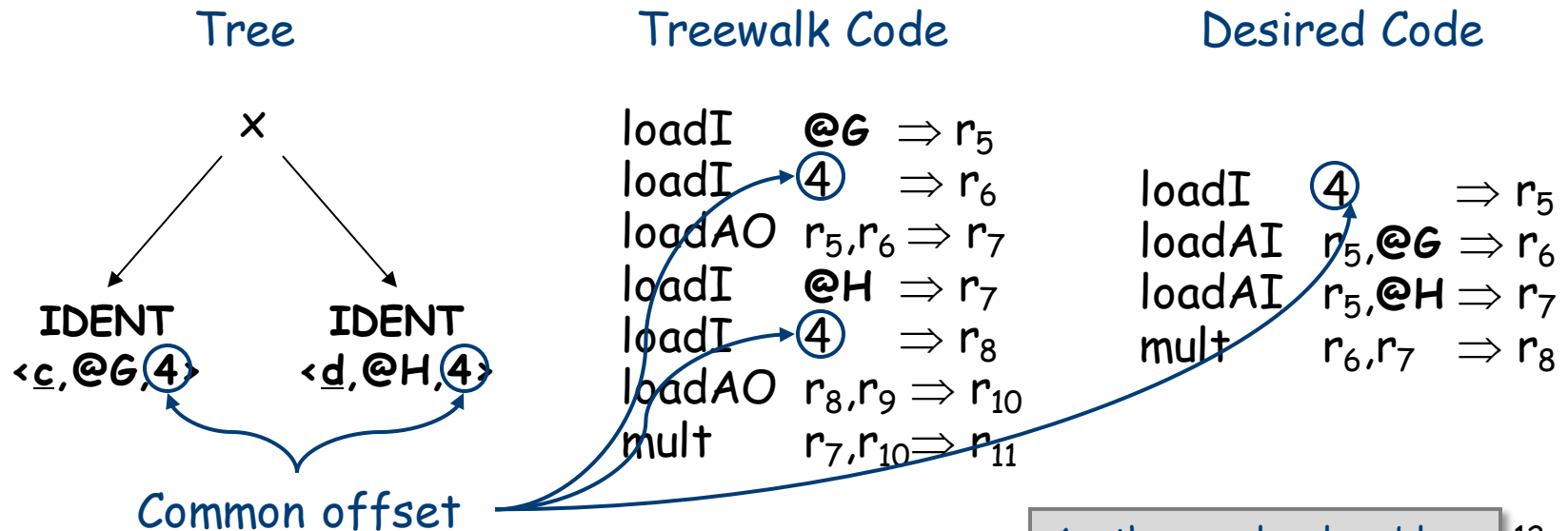
The Big Picture

Need pattern matching techniques

- Must produce good code *(some metric for good)*
- Must run quickly

Our treewalk code generator met the second criteria *(lec. 22)*

How did it do on the first ?



Another nonlocal problem



How do we perform this kind of matching ?

Tree-oriented IR suggests pattern matching on trees

- Process takes tree-patterns as input, matcher as output
- Each pattern maps to a target-machine instruction sequence
- Use dynamic programming or bottom-up rewrite systems

Linear IR suggests using some sort of string matching

- Process takes strings as input, matcher as output
- Each string maps to a target-machine instruction sequence
- Use text matching (Aho-Corasick) or peephole matching

In practice, both work well; matchers are quite different



Peephole Matching

Basic idea

- Compiler can discover local improvements locally
 - Look at a small set of adjacent operations
 - Move a “peephole” over code & search for improvement
- Classic example was store followed by load

Original code

```
storeAI r1    ⇒ r0,8  
loadAI  r0,8 ⇒ r15
```

Improved code

```
storeAI r1    ⇒ r0,8  
i2i      r1 ⇒ r15
```



Peephole Matching

Basic idea

- Compiler can discover local improvements locally
 - Look at a small set of adjacent operations
 - Move a “peephole” over code & search for improvement
- Classic example was store followed by load
- Simple algebraic identities

Original code

addI $r_2, 0 \Rightarrow r_7$
mult $r_4, r_7 \Rightarrow r_{10}$

multI $r_5, 2 \Rightarrow r_7$

Improved code

mult $r_4, r_2 \Rightarrow r_{10}$

add $r_2, r_2 \Rightarrow r_7$



Peephole Matching

Basic idea

- Compiler can discover local improvements locally
 - Look at a small set of adjacent operations
 - Move a “peephole” over code & search for improvement
- Classic example was store followed by load
- Simple algebraic identities
- Jump to a jump

Original code

jumpI → L₁₀
L₁₀: jumpI → L₁₁

Improved code

L₁₀: jumpI → L₁₁

Must be within the window



Peephole Matching

Implementing it

- Early systems used limited set of hand-coded patterns
- Window size ensured quick processing

$$O(n^2) \Rightarrow O(n)$$

Modern peephole instruction selectors

(Davidson)

- Break problem into three tasks



- Apply symbolic interpretation & simplification systematically



Peephole Matching

Expander

- Turns IR code into a low-level IR (LLIR) such as RTL
- Operation-by-operation, template-driven rewriting
- LLIR form includes all direct effects *(e.g., setting cc)*
- Significant, albeit constant, expansion of size

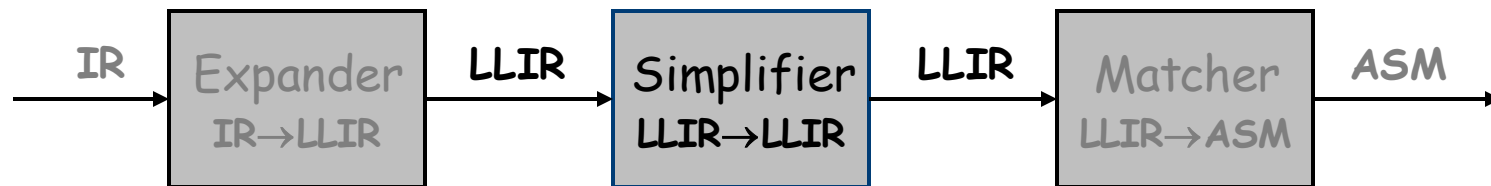




Peephole Matching

Simplifier

- Looks at LLIR through window and rewrites it
- Uses forward substitution, algebraic simplification, local constant propagation, and dead-effect elimination
- Performs local optimization within window



- This is the heart of the peephole system
 - Benefit of peephole optimization shows up in this step



Peephole Matching

Matcher

- Compares simplified LLIR against a library of patterns
- Picks low-cost pattern that captures effects
- Must preserve LLIR effects, may add new ones (*e.g., set cc*)
- Generates the assembly code output



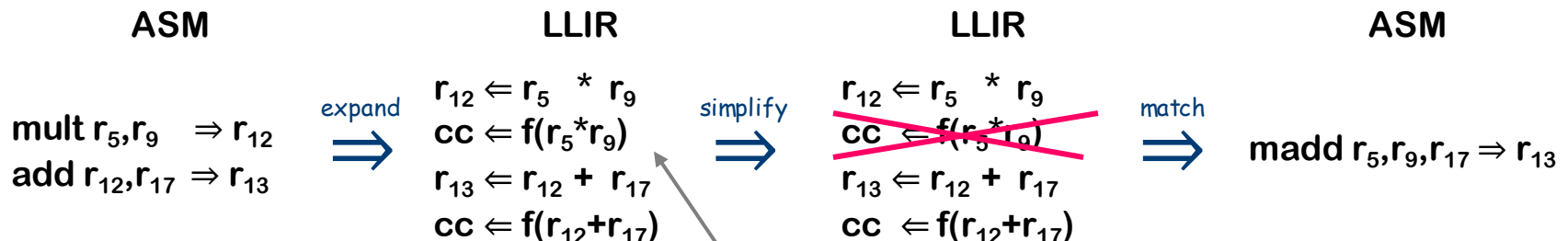


Finding Dead Effects

The Simplifier must know what is useless (i.e., dead)

- Expander works in a context-independent fashion
- It can process the operations in any order
 - Use a backward walk and compute local LIVE information
 - Tag each operation with a list of useless values
- What about non-local effects?
 - Most useless effects are local — defined & used in same block
 - It can be conservative & assume LIVE until proven dead

As in Lab 1



This effect would prevent multiply-add from matching



Example

$x - 2 \times y$ *becomes*

Original IR Code

OP	Arg ₁	Arg ₂	Result
mult	2	y	t ₁
sub	x	t ₁	w

Symbolic names for memory-bound variables



Example

$x - 2 * y$ becomes

Original IR Code

OP	Arg ₁	Arg ₂	Result
mult	2	(y)	t ₁
sub	(x)	t ₁	(w)

Symbolic names for memory-bound variables

Expand



LLIR Code

```
r10 ← 2
r11 ← @y
r12 ← r0 + r11
r13 ← MEM(r12)
r14 ← r10 × r13
r15 ← @x
r16 ← r0 + r15
r17 ← MEM(r16)
r18 ← r17 - r14
r19 ← @w
r20 ← r0 + r19
MEM(r20) ← r18
```

This version of the example assumes that x , y , and w are all stored in the AR.

The example in § 11 of EaC assumes that x is a call-by-reference formal and y is a global. The results are different.



Example

LLIR Code

```
r10 ← 2
r11 ← @y
r12 ← r0 + r11
r13 ← MEM(r12)
r14 ← r10 × r13
r15 ← @x
r16 ← r0 + r15
r17 ← MEM(r16)
r18 ← r17 - r14
r19 ← @w
r20 ← r0 + r19
MEM(r20) ← r18
```

Simplify



LLIR Code

```
r13 ← MEM(r0 + @y)
r14 ← 2 × r13
r17 ← MEM(r0 + @x)
r18 ← r17 - r14
MEM(r0 + @w) ← r18
```




Example

LLIR Code

$r_{13} \leftarrow \text{MEM}(r_0 + @y)$

$r_{14} \leftarrow 2 \times r_{13}$

$r_{17} \leftarrow \text{MEM}(r_0 + @x)$

$r_{18} \leftarrow r_{17} - r_{14}$

$\text{MEM}(r_0 + @w) \leftarrow r_{18}$

Match



ILoc Code

loadAI $r_0, @y \rightarrow r_{13}$

multI $2 \times r_{13} \rightarrow r_{14}$

loadAI $r_0, @x \rightarrow r_{17}$

sub $r_{17} - r_{14} \rightarrow r_{18}$

storeAI $r_{18} \rightarrow r_0, @w$

- Introduced all memory operations & temporary names
- Turned out pretty good code



Steps of the Simplifier (3-operation window)

LLIR Code

$r_{10} \leftarrow 2$

$r_{11} \leftarrow @y$

$r_{12} \leftarrow r_0 + r_{11}$

$r_{13} \leftarrow \text{MEM}(r_{12})$

$r_{14} \leftarrow r_{10} \times r_{13}$

$r_{15} \leftarrow @x$

$r_{16} \leftarrow r_0 + r_{15}$

$r_{17} \leftarrow \text{MEM}(r_{16})$

$r_{18} \leftarrow r_{17} - r_{14}$

$r_{19} \leftarrow @w$

$r_{20} \leftarrow r_0 + r_{19}$

$\text{MEM}(r_{20}) \leftarrow r_{18}$



Steps of the Simplifier (3-operation window)

LLIR Code

$r_{10} \leftarrow 2$
 $r_{11} \leftarrow @y$
 $r_{12} \leftarrow r_0 + r_{11}$

$r_{10} \leftarrow 2$
 $r_{11} \leftarrow @y$
 $r_{12} \leftarrow r_0 + r_{11}$

$r_{13} \leftarrow \text{MEM}(r_{12})$

$r_{14} \leftarrow r_{10} \times r_{13}$

$r_{15} \leftarrow @x$

$r_{16} \leftarrow r_0 + r_{15}$

$r_{17} \leftarrow \text{MEM}(r_{16})$

$r_{18} \leftarrow r_{17} - r_{14}$

$r_{19} \leftarrow @w$

$r_{20} \leftarrow r_0 + r_{19}$

$\text{MEM}(r_{20}) \leftarrow r_{18}$



Steps of the Simplifier (3-operation window)

LLIR Code

```
r10 ← 2  
r11 ← @y  
r12 ← r0 + r11  
r13 ← MEM(r12)  
r14 ← r10 × r13  
r15 ← @x  
r16 ← r0 + r15  
r17 ← MEM(r16)  
r18 ← r17 - r14  
r19 ← @w  
r20 ← r0 + r19  
MEM(r20) ← r18
```

```
r10 ← 2  
r11 ← @y  
r12 ← r0 + r11
```



```
r10 ← 2  
r12 ← r0 + @y  
r13 ← MEM(r12)
```



Steps of the Simplifier (3-operation window)

LLIR Code

```
r10 ← 2  
r11 ← @y  
r12 ← r0 + r11  
r13 ← MEM(r12)  
r14 ← r10 × r13  
r15 ← @x  
r16 ← r0 + r15  
r17 ← MEM(r16)  
r18 ← r17 - r14  
r19 ← @w  
r20 ← r0 + r19  
MEM(r20) ← r18
```

```
r10 ← 2  
r12 ← r0 + @y  
r13 ← MEM(r12)
```



```
r10 ← 2  
r13 ← MEM(r0 + @y)  
r14 ← r10 × r13
```

Steps of the Simplifier

(3-operation window)



LLIR Code

```
r10 ← 2
r11 ← @y
r12 ← r0 + r11
r13 ← MEM(r12)
r14 ← r10 × r13
r15 ← @x
r16 ← r0 + r15
r17 ← MEM(r16)
r18 ← r17 - r14
r19 ← @w
r20 ← r0 + r19
MEM(r20) ← r18
```

```
r10 ← 2
r13 ← MEM(r0 + @y)
r14 ← r10 × r13
```



```
r13 ← MEM(r0 + @y)
r14 ← 2 × r13
r15 ← @x
```

Folding 2 into computation of r_{14} made the 1st op dead.

Steps of the Simplifier

(3-operation window)



LLIR Code

$r_{10} \leftarrow 2$

$r_{11} \leftarrow @y$

$r_{12} \leftarrow r_0 + r_{11}$

$r_{13} \leftarrow \text{MEM}(r_{12})$

$r_{14} \leftarrow r_{10} \times r_{13}$

$r_{15} \leftarrow @x$

$r_{16} \leftarrow r_0 + r_{15}$

$r_{17} \leftarrow \text{MEM}(r_{16})$

$r_{18} \leftarrow r_{17} - r_{14}$

$r_{19} \leftarrow @w$

$r_{20} \leftarrow r_0 + r_{19}$

$\text{MEM}(r_{20}) \leftarrow r_{18}$

$r_{13} \leftarrow \text{MEM}(r_0 + @y)$

$r_{14} \leftarrow 2 \times r_{13}$

$r_{15} \leftarrow @x$

$r_{14} \leftarrow 2 \times r_{13}$

$r_{15} \leftarrow @x$

$r_{16} \leftarrow r_0 + r_{15}$

Simplifier **emits** ops that are *live* when they roll out of the window.

Steps of the Simplifier

(3-operation window)



LLIR Code

$r_{10} \leftarrow 2$

$r_{11} \leftarrow @y$

$r_{12} \leftarrow r_0 + r_{11}$

$r_{13} \leftarrow \text{MEM}(r_{12})$

$r_{14} \leftarrow r_{10} \times r_{13}$

$r_{15} \leftarrow @x$

$r_{16} \leftarrow r_0 + r_{15}$

$r_{17} \leftarrow \text{MEM}(r_{16})$

$r_{18} \leftarrow r_{17} - r_{14}$

$r_{19} \leftarrow @w$

$r_{20} \leftarrow r_0 + r_{19}$

$\text{MEM}(r_{20}) \leftarrow r_{18}$

$r_{14} \leftarrow 2 \times r_{13}$

$r_{15} \leftarrow @x$

$r_{16} \leftarrow r_0 + r_{15}$



$r_{14} \leftarrow 2 \times r_{13}$

$r_{16} \leftarrow r_0 + @x$

$r_{17} \leftarrow \text{MEM}(r_{16})$



Steps of the Simplifier (3-operation window)

LLIR Code

$r_{10} \leftarrow 2$

$r_{11} \leftarrow @y$

$r_{12} \leftarrow r_0 + r_{11}$

$r_{13} \leftarrow \text{MEM}(r_{12})$

$r_{14} \leftarrow r_{10} \times r_{13}$

$r_{15} \leftarrow @x$

$r_{16} \leftarrow r_0 + r_{15}$

$r_{17} \leftarrow \text{MEM}(r_{16})$

$r_{18} \leftarrow r_{17} - r_{14}$

$r_{19} \leftarrow @w$

$r_{20} \leftarrow r_0 + r_{19}$

$\text{MEM}(r_{20}) \leftarrow r_{18}$

$r_{14} \leftarrow 2 \times r_{13}$
 $r_{16} \leftarrow r_0 + @x$
 $r_{17} \leftarrow \text{MEM}(r_{16})$



$r_{14} \leftarrow 2 \times r_{13}$
 $r_{17} \leftarrow \text{MEM}(r_0 + @x)$
 $r_{18} \leftarrow r_{17} - r_{14}$

Steps of the Simplifier

(3-operation window)



LLIR Code

$r_{10} \leftarrow 2$

$r_{11} \leftarrow @y$

$r_{12} \leftarrow r_0 + r_{11}$

$r_{13} \leftarrow \text{MEM}(r_{12})$

$r_{14} \leftarrow r_{10} \times r_{13}$

$r_{15} \leftarrow @x$

$r_{16} \leftarrow r_0 + r_{15}$

$r_{17} \leftarrow \text{MEM}(r_{16})$

$r_{18} \leftarrow r_{17} - r_{14}$

$r_{19} \leftarrow @w$

$r_{20} \leftarrow r_0 + r_{19}$

$\text{MEM}(r_{20}) \leftarrow r_{18}$

$r_{14} \leftarrow 2 \times r_{13}$
 $r_{17} \leftarrow \text{MEM}(r_0 + @x)$
 $r_{18} \leftarrow r_{17} - r_{14}$



$r_{17} \leftarrow \text{MEM}(r_0 + @x)$
 $r_{18} \leftarrow r_{17} - r_{14}$
 $r_{19} \leftarrow @w$

Steps of the Simplifier

(3-operation window)



LLIR Code

$r_{10} \leftarrow 2$

$r_{11} \leftarrow @y$

$r_{12} \leftarrow r_0 + r_{11}$

$r_{13} \leftarrow \text{MEM}(r_{12})$

$r_{14} \leftarrow r_{10} \times r_{13}$

$r_{15} \leftarrow @x$

$r_{16} \leftarrow r_0 + r_{15}$

$r_{17} \leftarrow \text{MEM}(r_{16})$

$r_{18} \leftarrow r_{17} - r_{14}$

$r_{19} \leftarrow @w$

$r_{20} \leftarrow r_0 + r_{19}$

$\text{MEM}(r_{20}) \leftarrow r_{18}$

$r_{17} \leftarrow \text{MEM}(r_0 + @x)$

$r_{18} \leftarrow r_{17} - r_{14}$

$r_{19} \leftarrow @w$

$r_{18} \leftarrow r_{17} - r_{14}$

$r_{19} \leftarrow @w$

$r_{20} \leftarrow r_0 + r_{19}$



Steps of the Simplifier (3-operation window)

LLIR Code

$r_{10} \leftarrow 2$

$r_{11} \leftarrow @y$

$r_{12} \leftarrow r_0 + r_{11}$

$r_{13} \leftarrow \text{MEM}(r_{12})$

$r_{14} \leftarrow r_{10} \times r_{13}$

$r_{15} \leftarrow @x$

$r_{16} \leftarrow r_0 + r_{15}$

$r_{17} \leftarrow \text{MEM}(r_{16})$

$r_{18} \leftarrow r_{17} - r_{14}$

$r_{19} \leftarrow @w$

$r_{20} \leftarrow r_0 + r_{19}$

$\text{MEM}(r_{20}) \leftarrow r_{18}$

$r_{18} \leftarrow r_{17} - r_{14}$

$r_{19} \leftarrow @w$

$r_{20} \leftarrow r_0 + r_{19}$



$r_{18} \leftarrow r_{17} - r_{14}$

$r_{20} \leftarrow r_0 + @w$

$\text{MEM}(r_{20}) \leftarrow r_{18}$

Steps of the Simplifier

(3-operation window)



LLIR Code

$r_{10} \leftarrow 2$

$r_{11} \leftarrow @y$

$r_{12} \leftarrow r_0 + r_{11}$

$r_{13} \leftarrow \text{MEM}(r_{12})$

$r_{14} \leftarrow r_{10} \times r_{13}$

$r_{15} \leftarrow @x$

$r_{16} \leftarrow r_0 + r_{15}$

$r_{17} \leftarrow \text{MEM}(r_{16})$

$r_{18} \leftarrow r_{17} - r_{14}$

$r_{19} \leftarrow @w$

$r_{20} \leftarrow r_0 + r_{19}$

$\text{MEM}(r_{20}) \leftarrow r_{18}$

$r_{18} \leftarrow r_{17} - r_{14}$
 $r_{20} \leftarrow r_0 + @w$
 $\text{MEM}(r_{20}) \leftarrow r_{18}$



$r_{18} \leftarrow r_{17} - r_{14}$
 $\text{MEM}(r_0 + @w) \leftarrow r_{18}$

Steps of the Simplifier

(3-operation window)



LLIR Code

$r_{10} \leftarrow 2$

$r_{11} \leftarrow @y$

$r_{12} \leftarrow r_0 + r_{11}$

$r_{13} \leftarrow \text{MEM}(r_{12})$

$r_{14} \leftarrow r_{10} \times r_{13}$

$r_{15} \leftarrow @x$

$r_{16} \leftarrow r_0 + r_{15}$

$r_{17} \leftarrow \text{MEM}(r_{16})$

$r_{18} \leftarrow r_{17} - r_{14}$

$r_{19} \leftarrow @w$

$r_{20} \leftarrow r_0 + r_{19}$

$\text{MEM}(r_{20}) \leftarrow r_{18}$

$r_{18} \leftarrow r_{17} - r_{14}$
 $r_{20} \leftarrow r_0 + @w$
 $\text{MEM}(r_{20}) \leftarrow r_{18}$



$r_{18} \leftarrow r_{17} - r_{14}$
 $\text{MEM}(r_0 + @w) \leftarrow r_{18}$



Example

LLIR Code

$r_{10} \leftarrow 2$

$r_{11} \leftarrow @y$

$r_{12} \leftarrow r_0 + r_{11}$

$r_{13} \leftarrow \text{MEM}(r_{12})$

$r_{14} \leftarrow r_{10} \times r_{13}$

$r_{15} \leftarrow @x$

$r_{16} \leftarrow r_0 + r_{15}$

$r_{17} \leftarrow \text{MEM}(r_{16})$

$r_{18} \leftarrow r_{17} - r_{14}$

$r_{19} \leftarrow @w$

$r_{20} \leftarrow r_0 + r_{19}$

$\text{MEM}(r_{20}) \leftarrow r_{18}$

Simplify



LLIR Code

$r_{13} \leftarrow \text{MEM}(r_0 + @y)$

$r_{14} \leftarrow 2 \times r_{13}$

$r_{17} \leftarrow \text{MEM}(r_0 + @x)$

$r_{18} \leftarrow r_{17} - r_{14}$

$\text{MEM}(r_0 + @w) \leftarrow r_{18}$



Making It All Work

Details

- LLIR is largely machine independent (RTL)
 - Some compilers use LLIR as one of their IRs
 - Eliminates the Expander
- Target machine described as LLIR → ASM pattern
- Actual pattern matching
 - Use a hand-coded pattern matcher (gcc)
 - Turn patterns into grammar & use LR parser (VPO)
- Several important compilers use this technology
- It seems to produce good portable instruction selectors

Key strength appears to be late low-level optimization



Other Considerations

Control-flow operations

- Can clear simplifier's window at branch or label
- Predication has similar effects
 - May want to special case predicated single operations so as not to disrupt the flow of the simplifier too often ...

Physical versus logical windows

- Can run optimizer over a logical window
 - k operations connected definition to use
- Expander can link definitions & uses
- Logical windows (*within block*) improve effectiveness

Davidson & Fraser
report 30% faster &
20% fewer ops with
local logical window.