High-level python abstractions for optimal checkpointing in inversion problems

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ABSTRACT

TODO The computation of adjoints in optimisation and inverse design problems requires storing intermediate data. The available memory size sets a limit to this, and necessitates recomputation in some instances. Revolve checkpointing offers an optimal schedule that trades computational cost for smaller memory footprints. Integrating Revolve into a modern python HPC code and combining it with code generation is not straightforward. We present an API that makes checkpointing accessible from a DSL-based code generation environment and present a benchmark study. TODO.

CCS CONCEPTS

Software and its engineering → Software design engineering;

KEYWORDS

HPC, Code generation, API, Checkpointing, Adjoint, Inverse Problems

ACM Reference format:

Navjot Kukreja, Jan Hückelheim, Michael Lange, and Andrea Walther. 1997. High-level python abstractions for optimal checkpointing in inversion problems. In *Proceedings of SuperComputing, Denver, Colorado, USA, November 2017 (SC17)*, 3 pages.

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1 INTRODUCTION

(1 page) Seismic inversion, and more specifically Full Waveform Inversion (FWI) is a computationally heavy technique that uses data from seismic wave propagation experiments to calculate physical parameters of the earth's subsurface. In case of FWI, this additional information on the physical parameters drives the generation of better subsurface images (CITE). An FWI problem is setup as an optimization problem using a gradient-based optimization algorithm with the objective function being minimised is the misfit between

*Note: Author list is not finalized yet. Subject to change

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SC17, November 2017, Denver, Colorado, USA © 2017 Copyright held by the owner/author(s). ACM ISBN 123-4567-24-567/08/06...\$15.00 https://doi.org/10.475/123_4 the simulated data and the observed data received at the receivers. A finite-difference discretization of one of the forms of the wave equation acts as the constraint for the optimization. Since the gradient is calculated using the adjoint-state method, by the correlation between the fields in forward and adjoint (reverse) mode (CITE), the method requires that the forward and adjoint field be known for each time step in the simulation. Considering that the typical domain for such a setup is 3 dimensional with 1000 points in each dimension, the field requires $1000 \times 1000 \times 1000 \times 4 = 4 \times 10^9$ bytes (4 GB) of memory for a single timestep. Since the simulation is run for a typical 3000 time-steps, storing the entire forward field in memory would require 12TB of memory which is prohibitively high. We discuss this in section 2.

Previous work on similar inverse problems led to the *Revolve* algorithm [1] and the associated C++ tool which provides an optimal schedule at which to store checkpoints, i.e. states from which the forward simulation can be restored. This algorithm is further discussed in section 3.

The tool and the algorithm, however, only provide the schedule to be used for checkpointing. Although this eases some of the complexity of the application code using the algorithm, the glue code required to manage the forward and adjoint runs is still quite complex. This acts as a deterrent to more widespread use of the algorithm in the community.

In this paper we describe how the algorithm can be combined with code generation to make checkpointing much more accessible. The software that can enable this is described in section 4.

The performance impact of using the checkpointing scheme, as well as the effect of the size of memory available is studied in section 5.

Motivation: Why do we need to connect revolve and a python seismic inversion code? What is there to learn for others? How does our work help readers and the world?

2 SEISMIC INVERSION AND DEVITO

(1 page) Some context on seismic imaging, the PDEs, the method. Why use adjoints. Why is this problem time-dependent. Why do we need a lot of data. Code generation, references to previous papers about Devito. Why not be brave and write this in Fortran.

3 REVOLVE

(2 pages) How does revolve work and save memory, how is it implemented in C++. What other variants (online, multi-stage) are in the implementation.

4 API: CONNECTING REVOLVE WITH DEVITO

(3 pages) This is the core of the paper.

What distinguishes us from previous work? What are our aims?

- The user (domain-specialist) can write high-level python code that gets translated into low level code. The high-level code defines the PDE, but typically has nothing like loops etc.
- Users define PDEs for primal and adjoint, both get compiled into efficient code.
- How to make checkpointing available without forcing user to interfere with loops, callbacks, data storage mechanisms?
 Basically, the user should choose whether to use checkpointing in one place, but not be forced to to anything beyond this.
- How to design an interface so that all knowledge of checkpointing, different strategies (online/offline checkpointing, multistage) are contained within one module of the python framework, and still benefits all operations in the code?
- How to integrate checkpointing into the simulation (a mix of generated, highly efficient C code and Python) without polluting all code?

This work showcases pyrevolve, a new python library developed by us, that provides a python interface to Revolve. This library was integrated into the Devito code generation framework.

The pyrevolve library contains two parts: crevolve, which is a thin Python wrapper around a previously published C++ implementation¹, and pyrevolve itself, which sits on top of crevolve and manages data and computation management for the user.

The C++ files in this package are slightly modified to play more nicely with Python, but the original is available from the link below. In addition, there is a C wrapper around the C++ library, to simplify the interface with Python. This C wrapper is taken from libadjoint².

The major change is that pyrevolve is no longer responsible for performing the data copies, and therefore no longer needs to know about the properties of Devito symbols, or which of those need to be stored. The user must give to pyrevolve an object that knows about the size of a single checkpoint, and has a routine to deep-copy all required live-data into a given memory location, or to load data from such a memory location into the live symbols so that the operators can resume the computation.

4.1 API, Devito side

To introduce checkpointing, Devito requires some additional features.

Following from the last discussion, this is to document the changes that will be made in Devito to enable the use of check-pointing:

Start and stop Operators at a given time-step: Add optional parameters to Operator.apply() called tstart and tend to (re)start the Operator from a given time-step and run for a given number of time steps.

Store last accessed time step in data objects: This is largely related to issue #69 where, when a TimeData object has a buffered time dimension, it is not clear which buffer holds the field computed at the last time-step. Currently we are working around this by externally tracking the number of time-steps that were run on the object. This should be internalised so that external code can reliably know how to access the last computed field. There was a proposal to do the same for PointData objects as well but I don't remember the argument for that - could potentially be discussed (again).

Deep copy routines inside symbolic data objects: All symbolic data objects to have a save routine to save their state (data as well as the internal time counter added by the above, to start with) in a memory location provided by the caller. There would also be an accompanying restore method to restore state from a provided memory location. A corollary to this would be that a symbol should be aware of and be capable of reporting the amount of memory required to save its state. This knowledge would eventually find its way into the checkpointer which would be responsible for allocating memory to store the checkpoints.

4.2 API, Pyrevolve side

pyrevolve will provide an abstract base class "Checkpoint" that must be extended by a user of pyrevolve, and must provide

- $\bullet\,$ a 'size' property, containing the size of a checkpoint in Bytes,
- a 'save(ptr)' method that deep-copies all live data that needs to be checkpointed into the provided location inside the Checkpoint storage, and
- a 'load(ptr)'method that deep-copies all data from the given location back into the live data.

To implement this Checkpoint class, a user will require the symbol deep_copy routine. In addition, pyrevolve requires that the operators accept 't_start' and 't_end' parameters, and can resume their operation on the live data without confusing the state of the buffer. This is described in the related issue https://github.com/opesci/devito/issues/247.

The actual computation will operate like this:

- (1) The user initialises the operators with whatever symbols are required, and implements a concrete implementation of the Checkpoint object with the above properties.
- (2) The user calls pyrevolve, with the arguments: 'fwd_operator', 'rev_operator', 'checkpoint', 'n_time_steps', 'n_checkpoints'. (Other options will follow in the future and require a more flexible interface, e.g. online checkpointing will no longer require 'n_time_steps' upfront, multistage checkpointing will require a list of 'n_checkpoints' along with relative speeds, etc.).
- (3) On initialisation, pyrevolve will query 'checkpoint.size' for the size of one checkpoint, and allocate 'n_checkpoints*checkpoint.size' bytes of memory for checkpoint storage.
- (4) Repeatedly, pyrevolve will call either of the following actions in the user-defined Checkpoint and operators: 'fwd_operator.apply(tstart, tend)', 'rev_operator.apply(tstart, tend)', 'checkpoint.save(ptr)', 'checkpoint.load(ptr)', where 'ptr' will point to the start of the appropriate checkpoint in the storage.
- (5) pyrevolve may in the future use multi-stage checkpointing to swap checkpoints to disk (asynchronously?), but 'ptr' as

 $^{^1} http://www2.math.uni-paderborn.de/index.php?id=12067\&L=1$

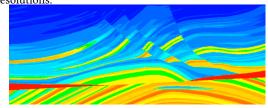
²https://bitbucket.org/dolfin-adjoint/libadjoint

passed to 'checkpoint.save' or 'checkpoint.load' is guaranteed to point to a checkpoint that is available in memory.

5 TEST CASE, RESULTS

(2 pages) A nice test case that can be scaled up in size easily. Timings for different mesh sizes, with different amounts of memory set as the upper limit.

We will use Marmousi 2D data, resampling it for different grid resolutions.



6 CONCLUSIONS

(1 page) This work was highly successful, but more work could be done.

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REFERENCES

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