Understanding Language Evolution Using an Event-Based Model

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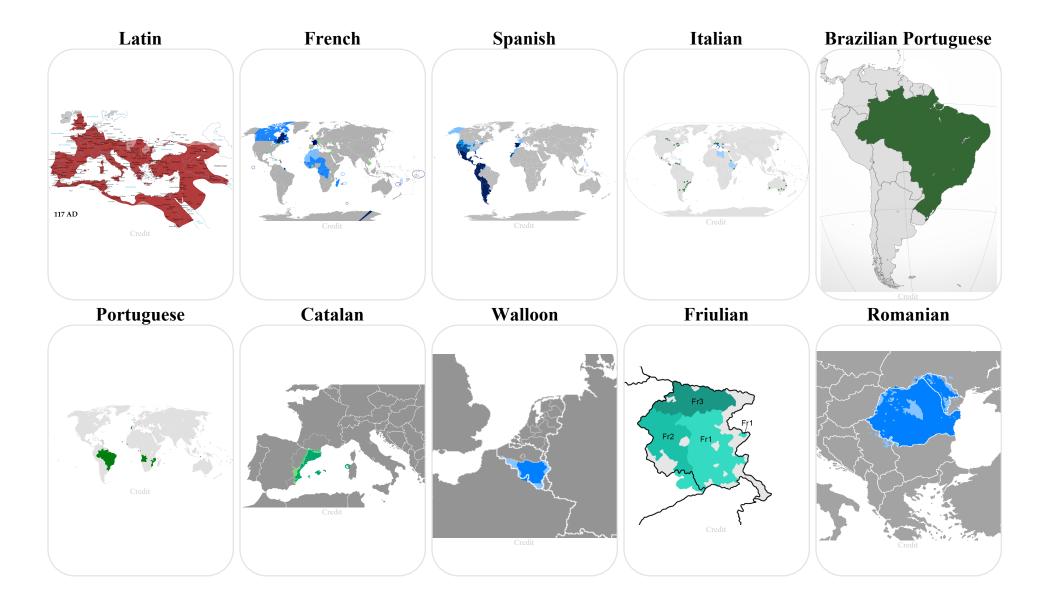
Introduction

Modern languages are related to one another through a complicated history of divergence and word borrowing. The divergence of languages is caused by the slow change in spoken language as it is passed from parents to offspring. Over time, divergence causes languages to become increasingly different from one another, ultimately to the point where they are mutually unintelligible. Languages that were spoken by the same human group more recently in time are considered to be more closely related to each other than they are to groups that spoke the language more distantly in time; this relatedness information can be depicted by a tree-like diagram called a 'phylogeny.' Linguistic borrowing, by contrast, causes languages to become more similar to one another.

Language	IPA	Coding	
English	/hænd/	0	
German	/hant/	0	
French	/mẽ/	1	
Spanish	/mano/	1	
Italian	/ma:no/	1	
Russian	/rʊka/	2	
Polish	/rɛŋka/	2	

Table 1. Coding of lexical cognates for the word *hand*.

Languages



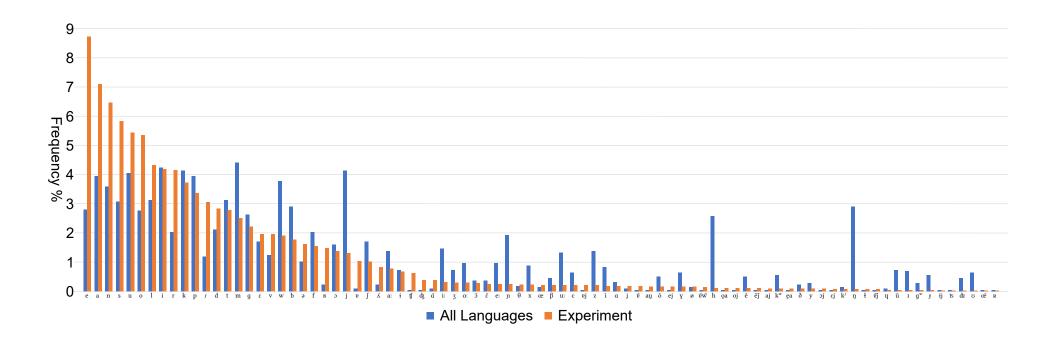
Concept Examples

	Child-Primary	Child-Ninnus	Fish-Piskem	Fish-Pescion	Bird-Avem	Bird-Aucellus
Latin	i n f a n t e m		p i s k e m		a w e m	- a k - e 1 1 u s
Franch	$ \tilde{\mathbf{a}} - \mathbf{f} \tilde{\mathbf{a}} - - - -$			p w a s õ		<u>u</u>
French Spanish	i n f a n t e -	n i n o	p e 0 - - -	p w a s 3	a b e -	
Italian	f a n t e -	n i n o	peffe		a b e -	- u t t ε 1 1 o -
l .	$\tilde{i} - \tilde{f} = \tilde{\tilde{g}} - \tilde{f} = \tilde{i} - \tilde{f}$	n e n ẽj	p ej f - i -		a v i -	
Portuguese	$\tilde{\mathbf{i}} - \mathbf{f} \cdot \tilde{\mathbf{e}} - \mathbf{t} \cdot \mathbf{i} -$	n e n ẽj	pej f - i -		a v i -	
Catalan		n e n -	$p \mid e \mid \int \mid - \mid - \mid - \mid$		a w - -	- u s - e - \lambda - -
Walloon	$ \epsilon - f \tilde{a} - - - - $			$ p - \epsilon h \tilde{o} $		- u h - ε - - -
Friulian		$ \mathbf{n} \mathbf{i} \mathbf{n} \mathbf{i}$	p ε s			$-\left \mathbf{u}\left \mathbf{tf}\right \right \left \mathbf{z}\right -\left 1\right -\left \mathbf{r}\right $
Romanian	Dind December	Dan Daimann	pefte-	Last Dainesan	Last Francisco	Da at Daine and
Latin	Bird-Passerem p a s s e r e m	Dog-Primary k - a n e m	Louse-Primary p - e: d u - k u 1 u	Leaf-Primary	Leaf-Frondea f r o n d e a	Root-Primary
French		$\int_{0}^{\infty} \tilde{z} ^{2} = \tilde{z} ^{2} = \tilde{z} ^{2}$	p - u	f - œ j		
Spanish	p a - x a r o -		p j o x - o	o x - a		- r a - - i θ - -
Italian	p a s s e r o -	k - a n e -	p - i d o k k - j o	- f - э Л А а	f r o n dz - a	
PortugueseBrazil	pa-seru-	$ \mathbf{k} $ - $ \tilde{\mathbf{v}} $ - $ \mathbf{v} $ -	$ p - i - o - - \Lambda u - $	- f - o \Lambda - e	$f \mid r \mid \tilde{o} \mid - \mid s \mid - \mid v$	- R a - - i s - -
Desta		$egin{array}{c ccccccccccccccccccccccccccccccccccc$			c ~	
Portuguese	p a - s e r u -	$\begin{vmatrix} \mathbf{k} & - & \tilde{\mathbf{e}} & - & - & - \\ \tilde{\mathbf{w}} & & & - & - \end{vmatrix}$	$ p - i - o - - \Lambda u - $	3 - A O - I	$ f f \tilde{o} - \tilde{o} g $	- R G - - i J - -
Catalan			- - A - - - q	- f - u		θ r ε 1 - - - -
Walloon		$ tf - \tilde{\epsilon} - - - $	p j u	- f - oj - -		
Friulian	p a - s a r	c - a n	p - e d o: 1 i -	- f w e - - e		- r a d r i: s - -
Romanian	p a - s ə r e -		p - a d u - k - j e	f - oa - j e	$ \mathbf{f} \mathbf{r} \mathbf{u} \mathbf{n} \mathbf{z} $ - $ \mathbf{a} $	
	Root-Radicina	Rope-Primary	Rope-Restis	Skin-Primary	Skin-Pellis	Meat-Primary
Latin	r a: d i: k i: n a	f u: n - e m	r e s t - e m	Okin-i filitary	p - e 1 1 e m	k a r n e m
French	в a s i n -				p - o	$\left \int_{-\infty}^{\infty} \left \frac{\varepsilon}{\varepsilon} \right \left \frac{\kappa}{\varepsilon} \right \right = -\frac{1}{\varepsilon}$
Spanish			r - i s t r a		p j e - 1 - -	karae -
Italian		f u n - e -	$r - \epsilon s t - a$	k - o t e n n a	$p - \epsilon 1 1 e -$	karne -
PortugueseBrazil			$ \mathbf{R} - \mathbf{\epsilon} \int_{\mathbf{R}} \mathbf{t} - \mathbf{i} $	k - o dz i e	$ \mathbf{p} - \mathbf{\epsilon} - 1 \mathbf{i} - \mathbf{r} $	karai -
Portuguese Catalan			$ \mathbf{R} - 6 \int \mathbf{f} - \mathbf{i} $	k - o d i e k - o n n ə	$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	karn-
Walloon	$ r \epsilon - s \epsilon n $			k - o n n ə k - oj i - n	$egin{array}{c c c c c c c c c c c c c c c c c c c $	tf a r n
Friulian	1 0 0 0 11		r j e s t - e		$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	c a: r
Romanian	$r \mid \vartheta \mid d \mid \vartheta \mid \mathfrak{t} \mid i \mid n \mid \vartheta$	f u n j e -			p j e - 1 e -	karne-

Character Assignments

Each segment gets a different number

Prior Segment Frequencies



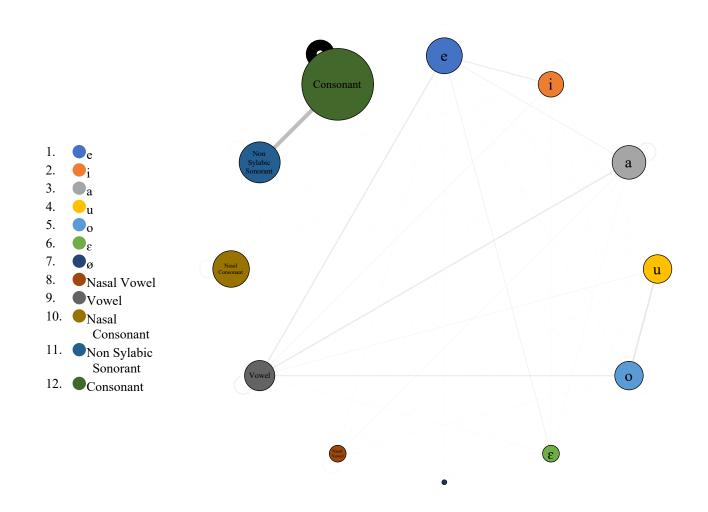
Partition Assignments

Model: "Linguistically Informed"

```
1) e
                                             e e:
                                             i i:
                                              a a:
    u
                                              u u:
                                              O O
                                             3
     Ø
                                             Nasal Vowel
    Vowel
                                             i ej ej au e a ij a ce aj oa oj a ej I ea aj y v
10) Nasal Consonant
                                             nmnn
11) Non Sylabic Sonorant
                                             wljr
12) Consonant
                                             f \ t \ f \ p \ s \ k \ \theta \ \int h \ b \ v \ z \ \Lambda \ x \ r \ c \ d \ dz \ s \ dy \ g^w \ g \ j \ \beta \ R \ k^j \ z \ \jmath \ \gamma \ \delta \ k^w \ q \ ts \ l
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Prior Transition Rates

For the 'Linguistically Informed' model, states were grouped into 12 sets. Here, the area of the circles is proportional to the occurance frequencies for each group. The width of the lines is proportional to the rates of transition between each partition.



Segment Transition Rates

This chart shows the number of times that each segment (on the left vertical bar) differs from any other other segment in the same cognate set at the same aligned segment position. The rates of transitions to gaps and from gaps are ignored. The segments are grouped into partitions, represented by the sections divided by lines. Within each partition, the segments are ordered from highest

to lowest frequency of occurrance. Transition counts are shown with the number in a red box, where the darker reds are larger numbers. The chart has diagonal symmetry.

The majority rule consensus tree

Questions

