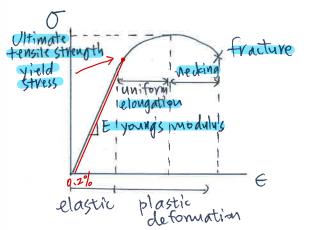
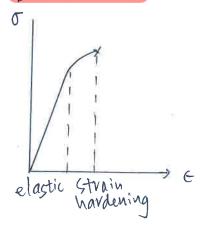
- · Football helmet: polycarbonate, Injection compression molding
- Deffee mug: (examic casting (investment casting)
- 3 Lego: A135, IM
- A Bottle: PET. blow molding
- 9 Dreamliner tuselage: Carbon fiber reinforced polymer (composite)
- (b) Turbine blade: Ni-alloy, casting (engine blade-die casting)
- 1 Toothbrush grip: Vubber, IM(CO)
- Bumper of car: polycarbonate, reaction-IM
- 19 Apple notebook case Al CVC

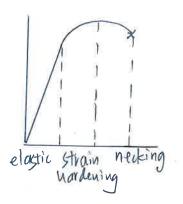
Stress-strain curve



Brittle material



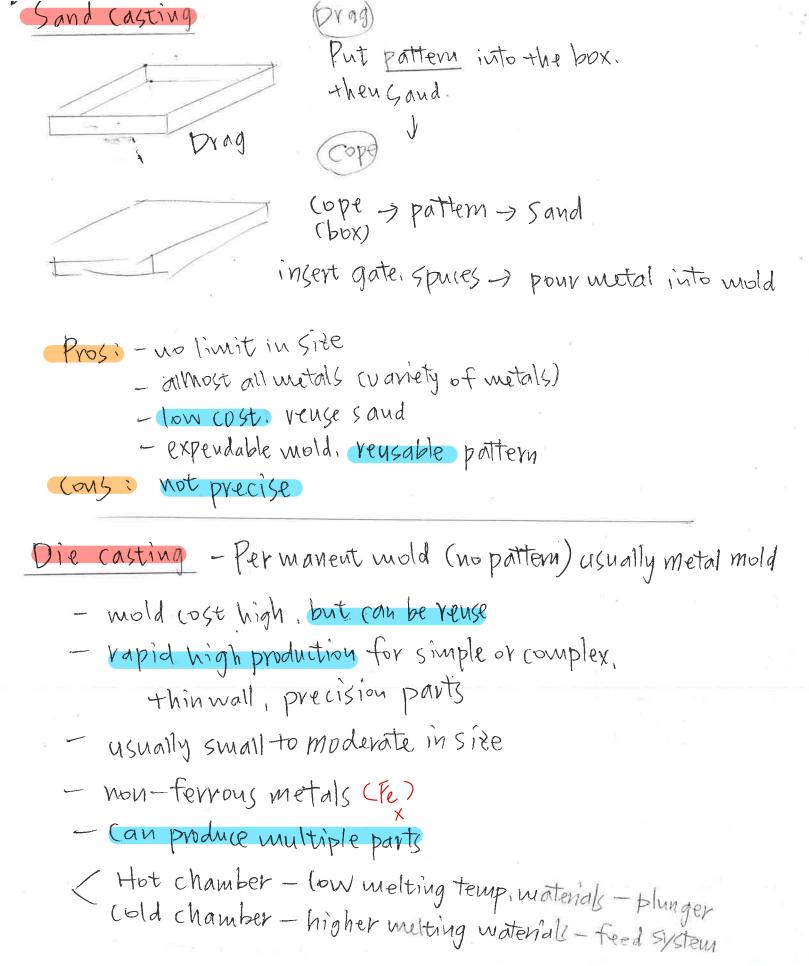
Ductile material



True Stress - True Strain curve

Chow strong area = toughness: the amount of energy per unit volume the material can absorb

True Strain (Ductility)



Cons X large part X for very high melting metals and alloy

Investment Casting - expendable mold, expendable pallern

- mold: ceramic pattern: wax (made by IM)
- takes time. expensive process

Part molded in wax) attach number I dip in wet ceramic slumy

I dying , heat , molten metal , break ceramic mold

Pros: complex shape, close tolerance, thin wall. Smooth finishes CNC precise, speed, repeatable

1. continuous use (no need to shut down)

21 consistency

3. less staff

1. update software can improve madrine performance

5. Training, no degrees needed

ons, I. Lost more

2 expensive

3. Mantainence

Pros: fast production low labor cost multiple materials low production (occ.

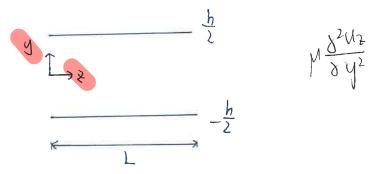
cons: expensive mold Some design restriction

AM pros :- not only rapid prototyping, but have good medianical properties

- can be post provessed

- moving assemblies

CONSI Vesolution small voids Support structure



• Continuity equation:
$$u_{x} = 0 \quad u_{x} = 0$$
• Momentum equations:
$$\frac{\partial u_{z}}{\partial z} + \frac{\partial y_{y}}{\partial y} + \frac{\partial y_{z}}{\partial x} = \frac{\partial u_{i}}{\partial x_{i}} = 0$$
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$$\frac{\partial u_{z}}{\partial z} + \frac{\partial v_{y}}{\partial y} + \frac{\partial v_{z}}{\partial x} = \frac{\partial u_{i}}{\partial x_{i}} = 0$$
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$$\frac{\partial u_{z}}{\partial z} + \frac{\partial v_{y}}{\partial z} + \frac{\partial v_{z}}{\partial z} = \frac{\partial v_{z}}{\partial z} = 0$$
• Avoier-Stokes Equations:
$$\frac{\partial u_{z}}{\partial z} + \frac{\partial v_{z}}{\partial z} + \frac{\partial v_{z}}{\partial y} + \frac{\partial v_{z}}{\partial z} = 0$$
• Cartesian Coordinates (x, y, z) :
•
$$\rho\left(\frac{\partial u_{x}}{\partial t} + u_{x}\frac{\partial u_{x}}{\partial x} + u_{y}\frac{\partial u_{y}}{\partial y} + u_{z}\frac{\partial u_{z}}{\partial z}\right) = -\frac{\partial p}{\partial x} + \mu\left[\frac{\partial^{2} u_{x}}{\partial x^{2}} + \frac{\partial^{2} u_{x}}{\partial y^{2}} + \frac{\partial^{2} u_{x}}{\partial z^{2}}\right] + \rho g_{x} \Rightarrow -\frac{\partial p}{\partial y} = 0$$
•
$$\rho\left(\frac{\partial u_{y}}{\partial t} + u_{x}\frac{\partial u_{y}}{\partial x} + u_{y}\frac{\partial u_{y}}{\partial y} + u_{x}\frac{\partial u_{y}}{\partial z}\right) = -\frac{\partial p}{\partial y} + \mu\left[\frac{\partial^{2} u_{x}}{\partial x^{2}} + \frac{\partial^{2} u_{y}}{\partial y^{2}} + \frac{\partial^{2} u_{y}}{\partial z^{2}}\right] + \rho g_{x} \Rightarrow -\frac{\partial p}{\partial y} = 0$$
•
$$\rho\left(\frac{\partial u_{x}}{\partial t} + v_{x}\frac{\partial u_{x}}{\partial x} + v_{y}\frac{\partial u_{y}}{\partial y} + u_{x}\frac{\partial u_{y}}{\partial z}\right) = -\frac{\partial p}{\partial y} + \mu\left[\frac{\partial^{2} u_{x}}{\partial x^{2}} + \frac{\partial^{2} u_{y}}{\partial y^{2}} + \frac{\partial^{2} u_{y}}{\partial z^{2}}\right] + \rho g_{x} \Rightarrow -\frac{\partial p}{\partial y} = 0$$
• Sody force of the proposition of the

$$\frac{\partial u}{\partial x} + \frac{\partial u}{\partial y} + \frac{\partial z}{\partial y} = 0 \longrightarrow (12(5) = 0)$$

$$0 = -\frac{\partial P}{\partial \xi} + M(\frac{\partial^2 U_{\xi}}{\partial y^2}) \longrightarrow \frac{\partial P}{\partial \xi} = M(\frac{\partial^2 U_{\xi}}{\partial y^2})$$

BC3:
$$0 = +\frac{1}{2}h$$
, $0 = 0 \longrightarrow 0 = \frac{1}{\mu} \cdot \frac{aP}{b} + C_2 \longrightarrow C_2 = -\frac{1}{\mu} \cdot \frac{aP}{b} \cdot \frac{h^2}{b}$
 $0 = 0 \longrightarrow 0 \longrightarrow C_1 = 0 \longrightarrow C_1 = 0$

$$\frac{1}{\sqrt{2}} = \frac{1}{h/2} \int_{0}^{h/2} \frac{dx(y)dy}{dx(y)dy} \\
= \frac{2}{h} \left(\frac{1}{6\mu} \cdot \frac{aP}{L} \cdot y^{2} - \frac{aP}{8\mu L} \cdot yh^{2} \right) \Big|_{y=0}^{\frac{1}{2}} \\
= \frac{2}{h} \left(\frac{aP}{6\mu L} \cdot \frac{h^{3}}{8} - \frac{aP}{8\mu L} \cdot \frac{h^{3}}{2} \right) = \frac{h^{2} aPdP}{12 \mu L dz}$$

4. Tube flow is encountered in several material manufacturing processes. Let's assume that the flow inside the tube is steady, fully developed, and is axis-symmetric. Furthermore, it has no entrance effects, the gravitational force is negligible, and the fluid is a Newtonian fluid. Based on the momentum equation in the z direction, simplify it and then solve for the velocity profile, $u_z(r)$ and the volumetric flow rate, Q.

Steady State
$$P_0$$
 fully developed
$$\rho\left(\frac{\partial \psi_z}{\partial t} + u_r \frac{\partial \psi_z}{\partial r} + \frac{u_\theta}{r} \frac{\partial \psi_z}{\partial \theta} + u_z \frac{\partial \psi_z}{\partial z}\right) = \alpha x_1(-symnatry) \quad g \quad \text{force negligible}$$

$$-\frac{\partial p}{\partial z} + \mu \left[\frac{1}{r} \frac{\partial}{\partial r} \left(r \frac{\partial u_z}{\partial r}\right) + \frac{1}{r^2} \frac{\partial^2 u_z}{\partial \theta^2} + \frac{\partial^2 \mu_z}{\partial z^2}\right] + \rho g_z$$

$$= \int_{\partial z} \left[\frac{1}{r} \frac{\partial}{\partial r} \left(r \frac{\partial u_z}{\partial r}\right) + \frac{1}{r^2} \frac{\partial^2 u_z}{\partial \theta^2} + \frac{\partial^2 u_z}{\partial z^2}\right] + \rho g_z$$

$$= \int_{\partial z} \left[\frac{1}{r} \frac{\partial}{\partial r} \left(r \frac{\partial u_z}{\partial r}\right) - \frac{1}{r^2} \frac{\partial^2 u_z}{\partial \theta^2} + \frac{\partial^2 u_z}{\partial z^2}\right] + \rho g_z$$

$$= \int_{\partial z} \left[\frac{1}{r^2} \frac{\partial}{\partial r} \left(r \frac{\partial u_z}{\partial r}\right) - \frac{1}{r^2} \frac{\partial^2 u_z}{\partial r^2}\right] + \rho g_z$$

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$$= \int_$$

@ Y=0, M8=0 (1=0