Example 1: convert

$$eq := \frac{\exp(x)}{\exp(2 x) + a} - b \operatorname{sech}\left(x + \frac{1}{2} \ln\left(\frac{1}{a}\right)\right) :$$

$$bb := \operatorname{solve}(eq, b);$$

$$\frac{e^{x}}{\operatorname{sech}\left(x+\frac{1}{2}\ln\left(\frac{1}{a}\right)\right)\left(e^{2x}+a\right)}\tag{1}$$

bb := convert(bb, exp)

$$\frac{1}{2\sqrt{\frac{1}{a}}} a \tag{2}$$

eq2 := simplify(subs(b = bb, eq))

$$\frac{1}{2} \frac{2 e^{x} \sqrt{\frac{1}{a}} a \cosh\left(x + \frac{1}{2} \ln\left(\frac{1}{a}\right)\right) - e^{2x} - a}{\cosh\left(x + \frac{1}{2} \ln\left(\frac{1}{a}\right)\right) \left(e^{2x} + a\right) \sqrt{\frac{1}{a}} a}$$
(3)

[convert(eq2, exp), 1]

Example 2: evalc

 $eq := \exp(3+4\ I) + \sinh(x+4\ t+I)$: Re(eq), Im(eq)

$$e^{3} \cos(4) + \Re(\sinh(x+4 + 1)), e^{3} \sin(4) + \Im(\sinh(x+4 + 1))$$
 (5)

eq2 := evalc(eq)

$$e^{3} \cos(4) + \sinh(x+4 t) \cos(1) + I \left(e^{3} \sin(4) + \cosh(x+4 t) \sin(1)\right)$$
 (6)

remove(has, eq2, I)

$$e^{3} \cos(4) + \sinh(x+4 t) \cos(1)$$
 (7)

(-I) select(has, eq2, I)

$$e^{3} \sin(4) + \cosh(x+4 t) \sin(1)$$
 (8)

assume('x', real), assume('t', real);

$$e^{3+4I} + \sinh(x^2 + 4t^2 + I)$$
 (9)

Re(eq), Im(eq)

$$e^{3} \cos(4) + \sinh(x^{2} + 4 t^{2}) \cos(1), \ e^{3} \sin(4) + \cosh(x^{2} + 4 t^{2}) \sin(1)$$
 (10)

unassign('x', 't');

eq

$$e^{3+4I} + \sinh(x+4t+I)$$
 (11)

Example 3: LinearAlgebra

Example 4