

# Implementation of Non-Local Image Dehazing Based on OpenCV

Jiangnan Li

Ph.D. student in Computer Engineering

Instructor: Dr. Mongi Abidi



THE UNIVERSITY OF  
TENNESSEE  
KNOXVILLE

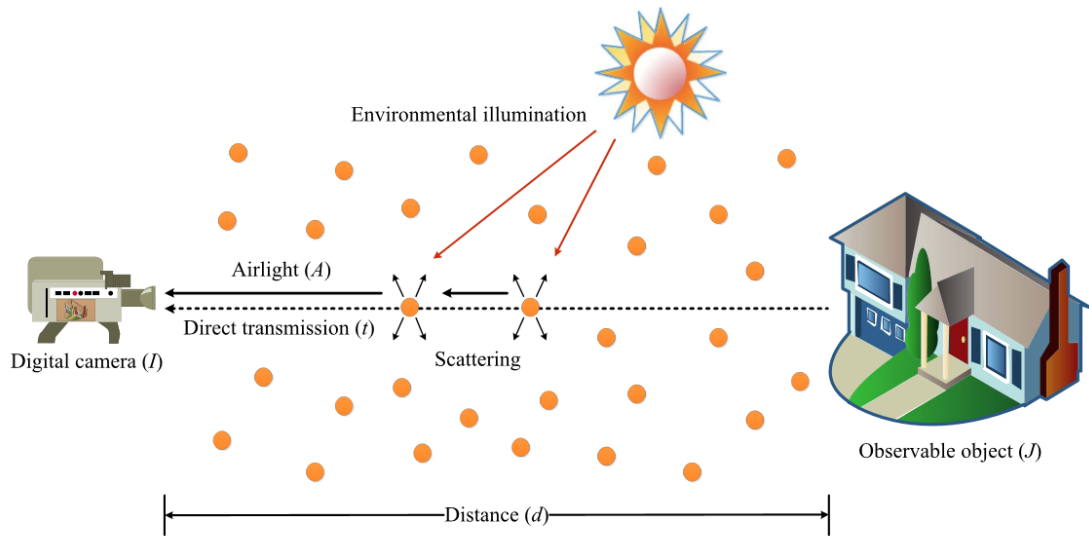
**BIG ORANGE. BIG IDEAS.®**

## 1. Background



Outdoor images often suffer from low contrast and limited visibility due to small particles in the air. Image Hazing can cause problems for some systems.(i.e. Obstacle detection systems)

## 2. Haze Model



$$I(\mathbf{x}) = t(\mathbf{x}) \cdot J(\mathbf{x}) + [1 - t(\mathbf{x})] \cdot A$$

$$t(\mathbf{x}) = e^{-\beta d(\mathbf{x})}$$

$\mathbf{x}$  Pixel coordinate

$I$  Observed hazy image

$J$  True radiance of scene point

$A$  Airlight

$t$  Scene Transmission

$\beta$  Attenuation coefficient

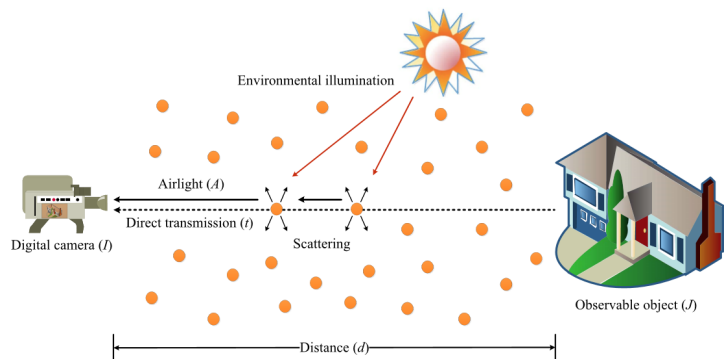
### 3. Analysis of Haze Model

An ill-posed problem

$$\mathbf{I}(\mathbf{x}) = t(\mathbf{x}) \cdot \mathbf{J}(\mathbf{x}) + [1 - t(\mathbf{x})] \cdot \mathbf{A}$$

$$\begin{pmatrix} b_I \\ g_I \\ r_I \end{pmatrix} = t(\mathbf{x}) \begin{pmatrix} b_J \\ g_J \\ r_J \end{pmatrix} + [1 - t(\mathbf{x})] \begin{pmatrix} B \\ G \\ R \end{pmatrix}$$

$$\begin{cases} b_I = t \cdot b_J + (1 - t) \cdot B \\ g_I = t \cdot g_J + (1 - t) \cdot G \\ r_I = t \cdot r_J + (1 - t) \cdot R \end{cases}$$



Unknown for every pixel



Known for every pixel



Airlight

### 3. Analysis of Haze Model

Assumption :

1. The Airlight is known (The Airlight can be estimated)
2. In a clear image, the number of distinct colors in an image is orders of magnitude smaller than the number of pixels

Assumption2 indicates that a small number of distinct colors can holds for haze-free images.



Before color quantization

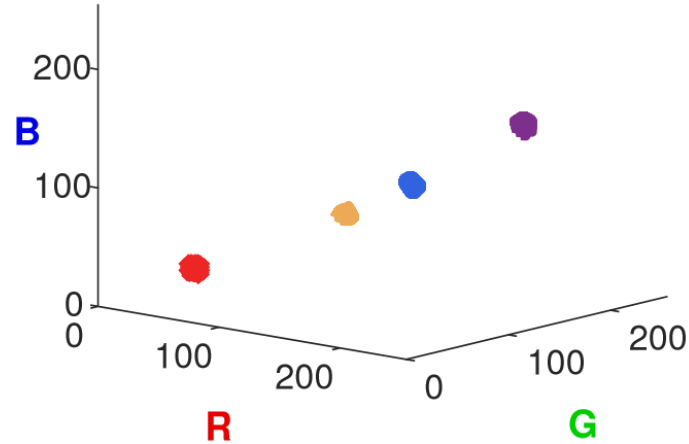


After color quantization

### 3. Analysis of Haze Model

Assumption2 indicates that a small number of distinct colors can holds for haze-free images.

Clear image pixels form clusters in RGB space.



So, what will happen if the image is hazy ?

### 3. Analysis of Haze Model

So, what will happen if the image is hazy ?

$$\begin{cases} b_I = t \cdot b + (1 - t) \cdot B \\ g_I = t \cdot g + (1 - t) \cdot G \\ r_I = t \cdot r + (1 - t) \cdot R \end{cases} \implies \begin{cases} b_I = t \cdot (b - B) + B \\ g_I = t \cdot (g - G) + G \\ r_I = t \cdot (r - R) + R \end{cases}$$

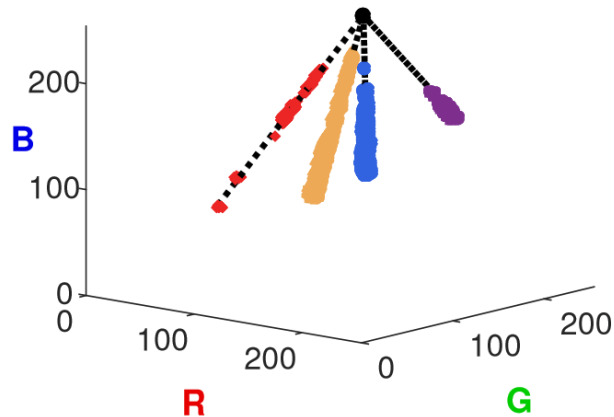
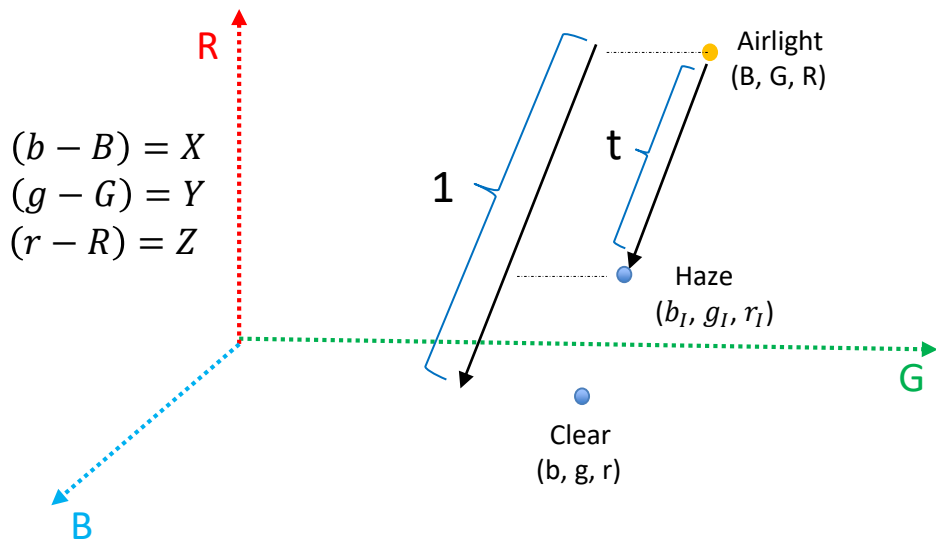
$$\begin{array}{l} (b-B)=X \\ (g-G)=Y \\ (r-R)=Z \end{array} \implies \begin{cases} (b_I-B)/X = t \\ (g_I-G)/Y = t \\ (r_I-R)/Z = t \end{cases} \implies \boxed{\frac{(b_I - B)}{X} = \frac{(g_I - G)}{Y} = \frac{(r_I - R)}{Z} = t}$$

(Standard linear equation)

Original point: (B, G, R)      Vector: (b-B, g-G, r-R)

### 3. Analysis of Haze Model

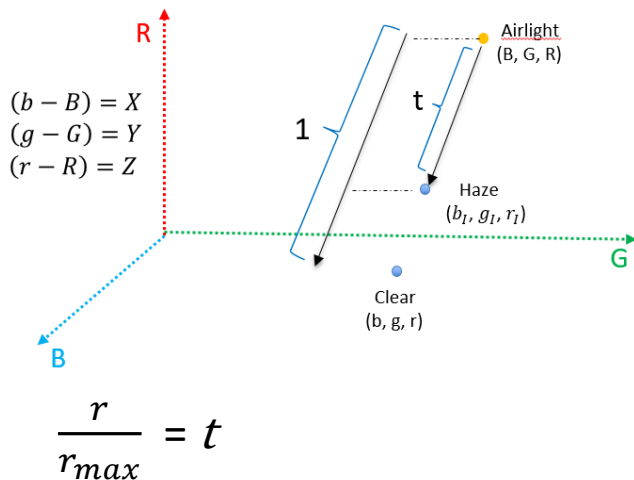
$$\frac{(b_I - B)}{X} = \frac{(g_I - G)}{Y} = \frac{(r_I - R)}{Z} = t$$



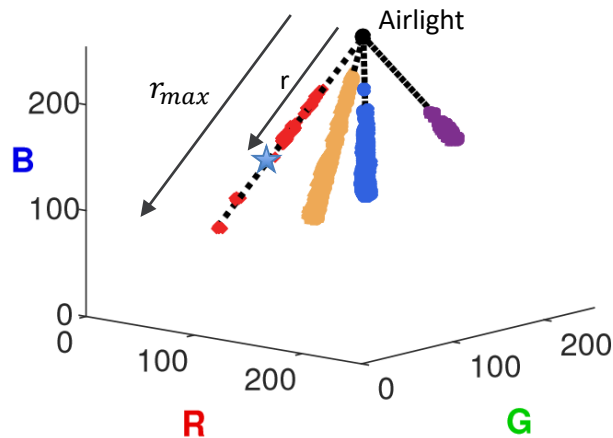


### 3. Analysis of Haze Model

$$\frac{(b_I - B)}{X} = \frac{(g_I - G)}{Y} = \frac{(r_I - R)}{Z} = t$$



(Assume the farthest pixel is clear)



To simplify calculation, use spherical coordinates

## 4. Dehazing Algorithm and Implementation

$$I(x) = t(x) \cdot J(x) + [1 - t(x)] \cdot A$$

Input :  $I(x)$   $A$     Output:  $t(x)$   $J(x)$

- 1:  $I_A(x) = I(x) - A$
- 2: Convert  $I_A$  to spherical coordinates to obtain  $[r(x), \phi(x), \theta(x)]$
- 3: Cluster the pixels according to  $[\phi(x), \theta(x)]$ .  
Each cluster  $H$  is a *haze-line*.
- 4: **for** each cluster  $H$  **do**
- 5:     Estimate maximum radius:  
       $\hat{r}_{\max}(x) = \max_{x \in H} \{r(x)\}$
- 6: **for** each pixel  $x$  **do**
- 7:     Estimate transmission:  $\tilde{t}(x) = \frac{r(x)}{\hat{r}_{\max}}$
- 8: Perform regularization by calculating  $\hat{t}(x)$  that minimizes Eq. 15
- 9: Calculate the dehazed image using Eq. (16)

### Date Structure

Class Pixel

{

Private:

int red, blue, green;

int gray;

int row, col ;

Public:

.....

}

## 4. Dehazing Algorithm and Implementation

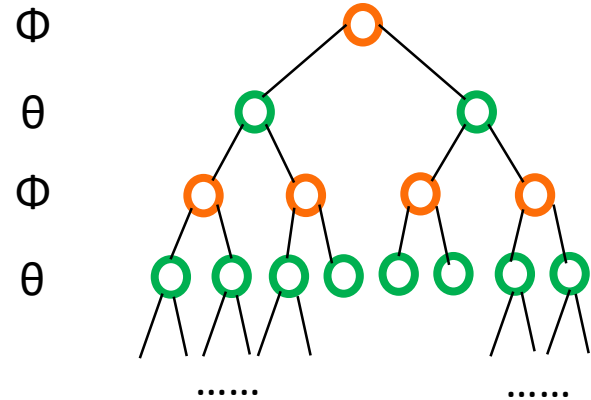
Important step :

Cluster the pixels according to  $[\Phi(x), \theta(x)]$

Implementation Method : K-dimensions Tree Data Structure

Struct KdTreeNode

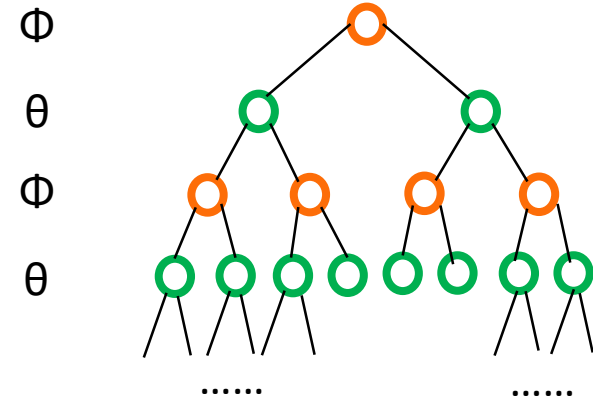
```
{  
    int x, y, depth;  
    float SpherePoint [3]; //store the r,  $\Phi$ ,  $\theta$  value  
    KdTreeNode * left, * right;  
}
```



## 4. Dehazing Algorithm and Implementation

### Implementation Method : K-dimensions Tree Data Structure

```
Struct KdTreeNode * BuildKdtree(Mat * image, ... ){  
    struct KdTreeNode * root = NULL;  
    while(Pixels) {  
        root = Insert_KdTreeNode()  
    }  
}  
  
Struct KdTreeNode * Insert_KdTreeNode(){  
    if(root == NULL) return Insert_KdTreeNode()  
    if(dep%2 == 0) (root.phi ) ? Root->left = Insert_KdTreeNode() : root->right = Insert_KdTreeNode();  
    if(dep%2 != 0) (root.theta ) ? Root->left = Insert_KdTreeNode() : root->right = Insert_KdTreeNode();  
    return root;  
}  
  
Struct KdTreeNode * cluster(KdTreeNode*root){  
    vector<KdTreeNode * > clusters;  
    while() { clusters.pushback( findKdTreeNode(depth)) }  
}
```



## 5. Experiment Result

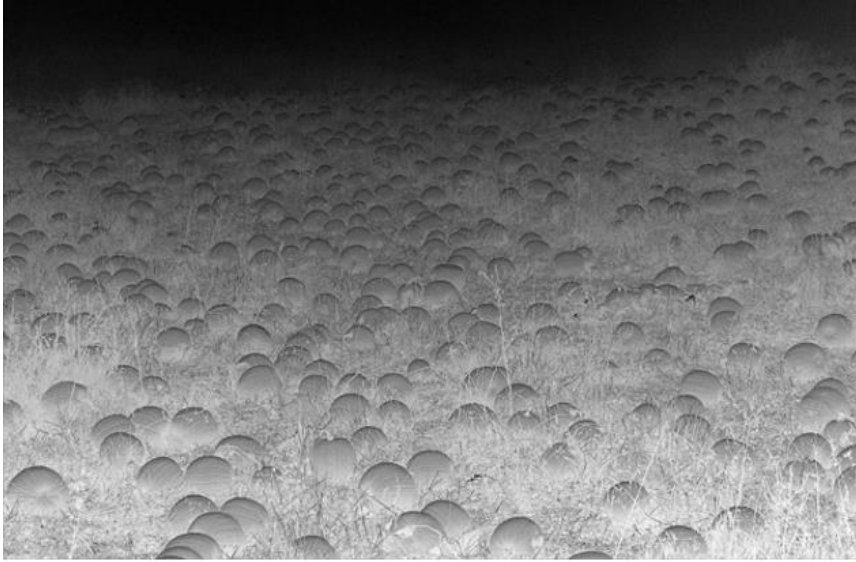


Input Image

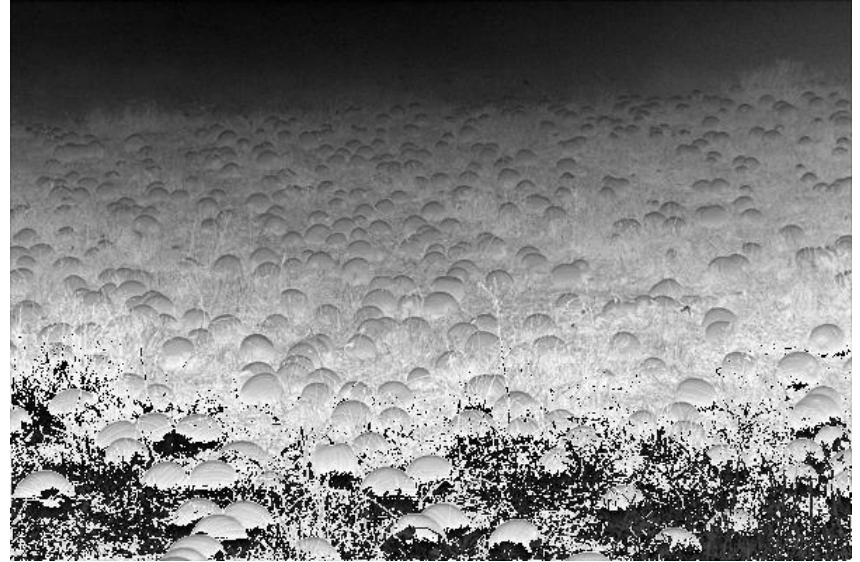


My Result

## 5. Experiment Result



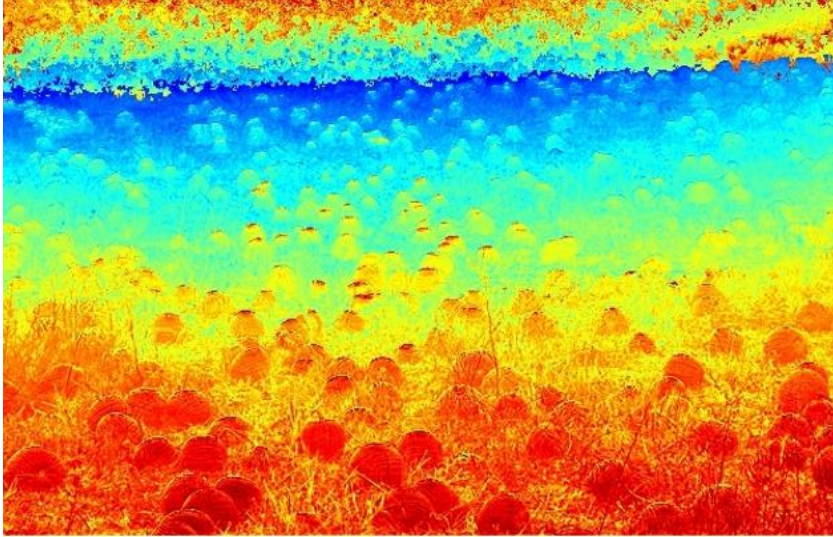
Author's  $r(x)$



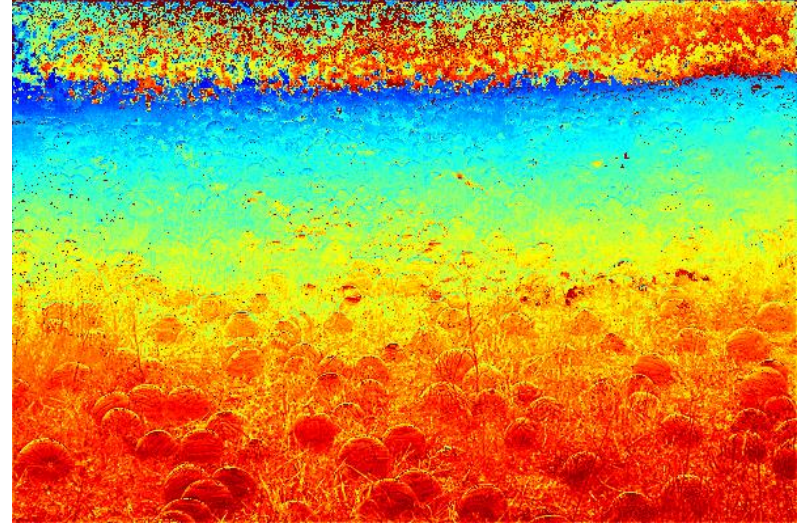
My  $r(x)$



## 5. Experiment Result



Author's Transmission Map



My Transmission Map

## 5. Experiment Result



Author's Output



My Output



## 6. Analysis for Difference

- (1) Different Method for Airlight Estimation
- (2) Different Algorithm for Clustering Pixels
- (3) Lacking the last smoothing step (easy for Matlab but difficult for C++ )

## 7. Modification

Thought: Using the farthest (clear) Pixel whose  $r$  is  $R_{\max}$  is a cluster to replace all other pixels in the cluster.



Hazy Image Input



Modified Output

## 7. Demo

Thank you !