

## LaTeX Blog

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### 附录：出现的问题及解决方案

- 1.参考文献中人名出现横线

链接: [https://jiangwei99.github.io/LaTeX\\_Blog/README.pdf](https://jiangwei99.github.io/LaTeX_Blog/README.pdf)

*LaTeX*安装记录: [https://jiangwei99.github.io/LaTeX\\_Blog/Tex%E5%AE%89%E8%A3%85%E8%AE%B0%E5%BD%95/LaTeX%E5%AE%89%E8%A3%85%E8%AE%B0%E5%BD%95.pdf](https://jiangwei99.github.io/LaTeX_Blog/Tex%E5%AE%89%E8%A3%85%E8%AE%B0%E5%BD%95/LaTeX%E5%AE%89%E8%A3%85%E8%AE%B0%E5%BD%95.pdf)

# LaTeX Blog

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## 一、图的插入

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### 1.pdf格式的圖片的插入

```
1 \begin{figure}[htb]
2   \centering
3   \includegraphics[keepaspectratio, width = 1\columnwidth]
   {Figures/Horizontal Federated Learning.pdf}
4   \caption{Horizontal Federated Learning}
5   \label{fig:Horizontal}} %用于引用的标签
6 \end{figure}
```

paradigm moves the computation power closer to the devices generating the data.

效果:



Fig. 1. Horizontal Federated Learning.

Distributing computations over a number of servers at the edge of the wireless network leads to major challenges, among

with ing i negl a sc was the c Pe serve priva in th [23]. form toge do n In in [1 infor

- [h] 表示的当前位置 (here)，也就是说图片排在你设置的当前位置，但是如果这一页的空间不足以放下这个图片，此时图片会转到下一页。
- [t] 顶端(top)。此时系统会将图片放置在页面的顶部。
- [b] 底部. (bottom) 这里是优先将图片放置在底部，也就是页面的底部。
- [p] 这个是将图片设置为浮动状态，也就是可以根据系统排版的，自动放置图片的位置。

## 2.eps格式的图片的插入

### 2.1两个图并排

```
1 \begin{figure}[!ht]
2   \centerline{$\begin{array}{cc}
3     \includegraphics[width=1.4in]{unsecure1.eps} &
4     \hspace{-1mm}\includegraphics[width=1.6in]{unsecure2.eps}\\
5     \hspace{-1mm}\mbox{\footnotesize a)   general illustration of $
\textbf{E}$. } &
6     \hspace{-1mm}\mbox{\footnotesize d)   optimal placement of
highlighted entries.} \\
7     \end{array}$}\caption{Illustration
of RPC.} \label{fig.uns}
9 \end{figure}
```

效果：

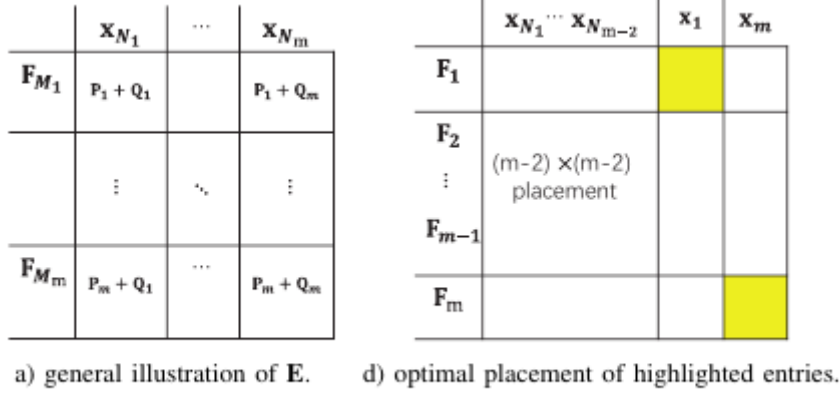


Fig. 1. Illustration of RPC.

## 2.2三个图并排

```

1 \begin{figure*}[!ht]
2   \centerline{\begin{array}{ccc}
3     \includegraphics[width=2.0in]{secure1.eps} &
4     \hspace{-1mm}\includegraphics[width=2.0in]{secure2.eps} &
5     \hspace{-1mm}\includegraphics[width=2.5in]{secure3.eps} \\
6     \hspace{-1mm}\mbox{\footnotesize a)} & \text{structure of} &
7       \$ \textbf{E} \$ . & &
8     \hspace{-1mm}\mbox{\footnotesize b)} & \text{structure of} &
9       \$ \bar{\textbf{E}} \$ . & &
10    \hspace{-1mm}\mbox{\footnotesize c)} & \text{structure of} &
11    \$ \tilde{\textbf{E}} \$ . \\
12    \end{array}}\caption{The placements of highlighted entries in
SBMM.} \label{fig.sbmm}
13 \end{figure*}

```

效果：

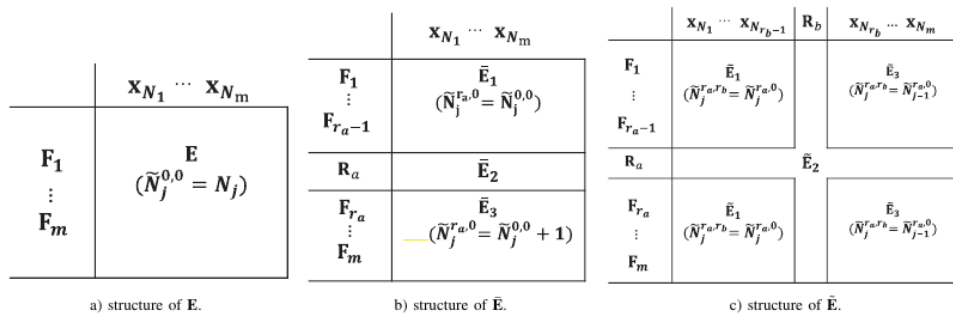


Fig. 2. The placements of highlighted entries in SBMM.

## 2.3五个图并排

```

1 \begin{figure*}[!ht]
2   \centerline{\begin{array}{ccccc}
3     \includegraphics[width=1.3in]{ex1.eps} &
4     \hspace{-1mm}\includegraphics[width=1.3in]{ex2.eps} &
5     \hspace{-1mm}\includegraphics[width=1.3in]{ex3.eps} &
6     \hspace{-1mm}\includegraphics[width=1.5in]{ex4.eps} &
7     \hspace{-1mm}\includegraphics[width=1.5in]{ex5.eps} \\
8     \hspace{-1mm}\mbox{\footnotesize a)} & \$ r_a = 0, r_b = 0 \$ . & & &

```

```

9          \hspace{-1mm}\mbox{\footnotesize b)} $ r_a = 2, r_b =0 $.}&
10         \hspace{-1mm}\mbox{\footnotesize c)} $ r_a = 3, r_b =0 $.}&
11         \hspace{-1mm}\mbox{\footnotesize d)} $ r_a = 3, r_b =5 $.} &
12         \hspace{-1mm}\mbox{\footnotesize e)} $ r_a = 3, r_b =4 $.} \\
13         \end{array}$}\caption{Examples of the placement of highlighted
entries.} \label{fig.ex}
14     \end{figure*}

```

效果：

Fig. 2. The placements of highlighted entries in SBMM.

	$x_2$	$x_3$	$x_1$	$x_4$		$x_2$	$x_3$	$x_1$	$x_4$		$x_2$	$x_3$	$x_1$	$x_4$		$x_2$	$x_3$	$x_1$	$x_4$	$R_B$		$x_2$	$x_3$	$x_1$	$R_B$	$x_4$
$F_1$	0	2	6	7	$F_1$	0	3	8	9	$F_1$	0	2	7	8	$F_1$	0	2	7	8	13	$F_1$	0	2	7	8	9
$F_2$	1	3	7	8	$R_A$	1	4	9	10	$F_2$	1	3	8	9	$F_2$	1	3	8	9	14	$F_2$	1	3	8	9	10
$F_3$	2	4	8	9	$F_2$	2	5	10	11	$R_A$	2	4	9	10	$R_A$	2	4	9	10	15	$R_A$	2	4	9	10	11
$F_4$	3	5	9	10	$F_3$	3	6	11	12	$F_3$	3	5	10	11	$F_3$	3	5	10	11	16	$F_3$	3	5	10	11	12
					$F_4$	4	7	12	13	$F_4$	4	6	11	12	$F_4$	4	6	11	12	17	$F_4$	4	6	11	12	13

a)  $r_a = 0, r_b = 0.$

b)  $r_a = 2, r_b = 0.$

c)  $r_a = 3, r_b = 0.$

d)  $r_a = 3, r_b = 5.$

e)  $r_a = 3, r_b = 4.$

Fig. 3. Examples of the placement of highlighted entries.

## 二、表的插入

## 三、数学符号

$\ell$  `\[\ell]`

$\mathcal{L}$  `\mathcal{L}`

$\mathcal{N}$  `\mathcal{N}`

## 四、算法块

算法块需要调用包

```
1 \usepackage[ruled,linesnumbered]{algorithm2e}
```

### 1.算法块的插入

```

1 \begin{algorithm}\label{alg1}
2   \LinesNumbered
3   \begin{small}
4     \KwIn{$ N $, $ r_a $, $ r_b $, $ M $, $ P $}
5     \KwOut{$ Q $, $ Q_b $}
6     $ Q_1 = 0 $;\\
7     \For{$ j \ge 2 $; $ j < r_b $; $ j=j+1 $}{
8       \If {$ m+1 - \tilde{N}_{j-1}^{r_a, r_b} \le
\tilde{N}_j^{r_a, r_b}-1 $}{
9         $ Q_j = Q_{j-1} + \tilde{N}_{j-1}^{r_a, r_b} $;\\
10      }
11      \Else
12        { $ Q_j = Q_{j-1} + m - \tilde{N}_j^{r_a, r_b}+2 $;\\

```

```

13 }
14 $ Q_{b} = Q_{r_b - 1} + \tilde{N}_{r_b-1}^{r_a, r_b} $;\\
15 $ Q_{r_b} = Q_b + m - \tilde{N}_{r_b+1}^{r_a, r_b} + 2 $;\\
16 \For {$ j \geq r_b + 1 $; $ j \leq m $; $ j=j+1 $}{
17     \If {$ m+1 - N_j^{r_a, r_b} \leq N_{j+1}^{r_a, r_b} - 1 $}{
18         $ Q_j = Q_{j-1} + N_j^{r_a, r_b} $;\\
19     }
20     \Else
21     { $ Q_j = Q_{j-1} + m - N_{j+1}^{r_a, r_b} + 2 $;\\
22     }
23
24 \Return $ Q $, $ Q_b $ ;
25 \caption{The optimal values of $ Q $ with a Given Placement of
Highlighted Entries.} \label{optimal}
26 \end{small}
27 \end{algorithm}

```

效果：

---

**Algorithm 1:** The Optimal Values of  $Q$  with a Given Placement of Highlighted Entries.

---

**Input:**  $N, r_a, r_b, M, P$   
**Output:**  $Q, Q_b$

```

1  $Q_1 = 0$ ;
2 for  $j \geq 2; j < r_b; j = j + 1$  do
3     if  $m + 1 - \tilde{N}_{j-1}^{r_a, r_b} \leq \tilde{N}_j^{r_a, r_b} - 1$  then
4          $Q_j = Q_{j-1} + \tilde{N}_{j-1}^{r_a, r_b}$ ;
5     end
6     else
7          $Q_j = Q_{j-1} + m - \tilde{N}_j^{r_a, r_b} + 2$ ;
8     end
9 end
10  $Q_b = Q_{r_b-1} + \tilde{N}_{r_b-1}^{r_a, r_b}$ ;
11  $Q_{r_b} = Q_b + m - \tilde{N}_{r_b+1}^{r_a, r_b} + 2$ ;
12 for  $j \geq r_b + 1; j \leq m; j = j + 1$  do
13     if  $m + 1 - N_j^{r_a, r_b} \leq N_{j+1}^{r_a, r_b} - 1$  then
14          $Q_j = Q_{j-1} + N_j^{r_a, r_b}$ ;
15     end
16     else
17          $Q_j = Q_{j-1} + m - N_{j+1}^{r_a, r_b} + 2$ ;
18     end
19 end
20 return  $Q, Q_b$  ;

```

---

tomer has its preferences, which are encoded by an attribute vector  $\mathbf{x}$ . Based on a customer's preferences, the application

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of a l  
rely c  
privac  
Furthe  
the va  
linear  
increa  
Not  
upper  
vector  
vector  
finite  
We u  
{1, 2,  
than c  
notati  
3  $\mapsto$  4

## 五、参考文献系列

### 1.正文中[引用]高亮显示+超链接

```
1 \usepackage[backref]{hyperref} %用于引用突出，会报错，但能编译
```

效果如图

## B. Coded Computing

There are two main challenges in distributed computing: How to reduce communication overhead and ensure safety. In order to calculate the final result, a large number of intermediate results need to be exchanged between computing nodes through the network. This not only increases communication overhead, but also limits the performance of distributed computing applications. For example, for the Hadoop cluster on Facebook, the average time spent in the data transfer phase accounts for 33% of the entire job execution time [4]. When running the Terasort application on a heterogeneous Amazon EC2 cluster, data shuffling will take 65% of the time. Approximately 70% of the total execution time is spent on the Self-Join application [5]. In the actual training of convolutional neural networks, communication restrictions are even more embarrassing. As we all know, millions of model parameters need to be updated in ResNet-50 [6] and AlexNet [7].

- [16] Q. Yu, M. A. Maddah-Ali, and A. S. Avestimehr, "Straggler mitigation in distributed matrix multiplication: Fundamental limits and optimal coding," *IEEE Transactions on Information Theory*, vol. 66, no. 3, pp. 1920–1933, 2020. II-A
- [17] L. Chen, H. Wang, Z. Charles, and D. Papailiopoulos, "DRACO: Byzantine-resilient distributed training via redundant gradients," in *Proceedings of the 35th International Conference on Machine Learning*, ser. Proceedings of Machine Learning Research, J. Dy and A. Krause, Eds., vol. 80. PMLR, 10–15 Jul 2018, pp. 903–912. [Online]. Available: <https://proceedings.mlr.press/v80/chen18l.html> II-A III
- [18] W.-T. Chang and R. Tandon, "On the capacity of secure distributed matrix multiplication," in *2018 IEEE Global Communications Conference (GLOBECOM)*, 2018, pp. 1–6. II-B II-B II-B
- [19] R. Bitar, P. Parag, and S. El Rouayheb, "Minimizing latency for secure distributed computing," in *2017 IEEE International Symposium on Information Theory (ISIT)*, 2017, pp. 2900–2904. II-B II-B
- [20] R. Bitar, P. Parag, and S. El Rouayheb, "Minimizing latency for secure coded computing using secret sharing via staircase codes," *IEEE Transactions on Communications*, vol. 68, no. 8, pp. 4609–4619, 2020. II-B

## 2. 引用文献在正文中的显示

参考文献引用出现这种情况：

thereby reducing co  
[9], [15] mainly  
which has limitatio

导入包：

```
1 \usepackage[numbers,sort&compress]{natbib} %用于解决[9],[15]，把变成[9,15]
```

效果如下：

thereby reducing c  
[9, 15] mainly  
which has limitati

## 附录：出现的问题及解决方案

## 1.参考文献中人名出现横线

- trix multiplication,” in *2018 IEEE Global Communications Conference (GLOBECOM)*, 2018, pp. 1–6.
- [19] R. Bitar, P. Parag, and S. El Rouayheb, “Minimizing latency for secure distributed computing,” in *2017 IEEE International Symposium on Information Theory (ISIT)*, 2017, pp. 2900–2904.
- [20] —, “Minimizing latency for secure coded computing using secret sharing via staircase codes,” *IEEE Transactions on Communications*, vol. 68, no. 8, pp. 4609–4619, 2020.
- [21] J. Kakar, S. Ebadifar, and A. Sezgin, “Rate-efficiency and straggler-

原因：这是因为相邻两篇文献的作者相同，在IEEE模板下会出现横线。

找到TexLive安装目录下的“**IEEEtran.bst**”文件

```
1 | 路径：D:\Program Files\TexLive\2021\texmf-dist\bibtex\bst\IEEEtran.bst
```

找到如下代码(大约在128行)，将代码中的#1变为#0

```
1 | FUNCTION {default.is.dash.repeated.names} { #1 }
```

重新编译，解决问题

- (*GLOBECOM*), 2018, pp. 1–6.
- [19] R. Bitar, P. Parag, and S. El Rouayheb, “Minimizing latency for secure distributed computing,” in *2017 IEEE International Symposium on Information Theory (ISIT)*, 2017, pp. 2900–2904.
- [20] R. Bitar, P. Parag, and S. El Rouayheb, “Minimizing latency for secure coded computing using secret sharing via staircase codes,” *IEEE Transactions on Communications*, vol. 68, no. 8, pp. 4609–4619, 2020.
- [21] J. Kakar, S. Ebadifar, and A. Sezgin, “Rate-efficiency and straggler-