

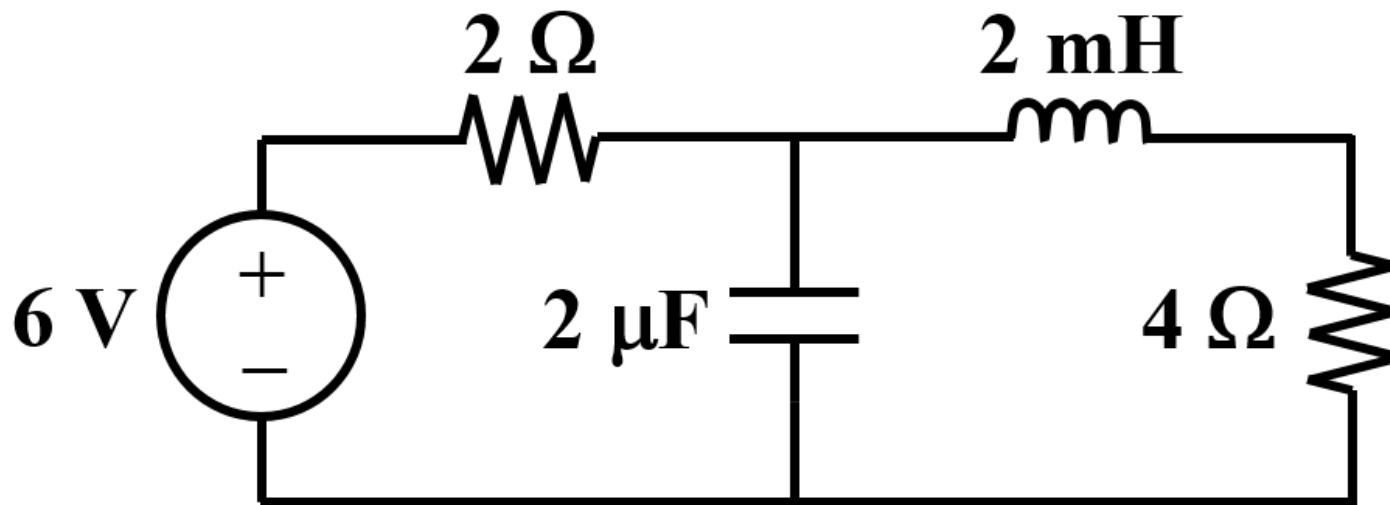
# CG1111: Engineering Principles and Practice I

Additional Practice Questions for  
Capacitors & Inductors in DC Circuits



# Question 1

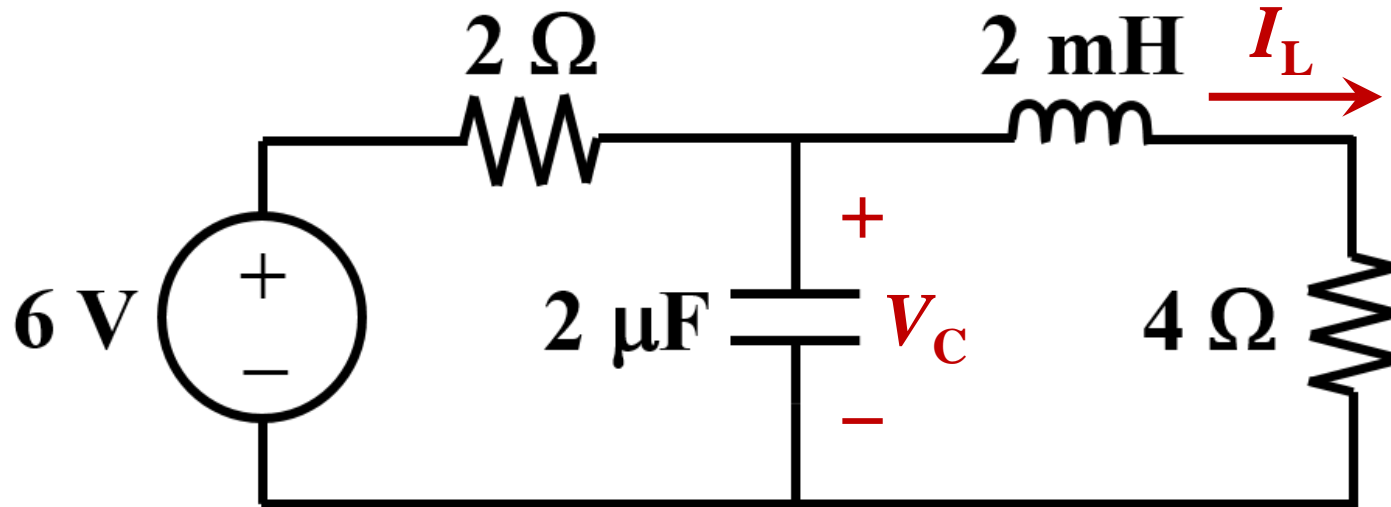
- Find the energy stored in the capacitor and the inductor



Concepts tested:

Capacitor and Inductor in DC steady-state

# Solution to Q1



At steady state:

- Capacitor behaves like an open-circuit
- Inductor behaves like a short-circuit

Therefore,

$$I_L = \frac{6\text{ V}}{2\ \Omega + 4\ \Omega} = 1\text{ A},$$

$$V_C = I_L \times 4\ \Omega = 4\text{ V}$$

# Solution to Q1

- Energy stored in capacitor:

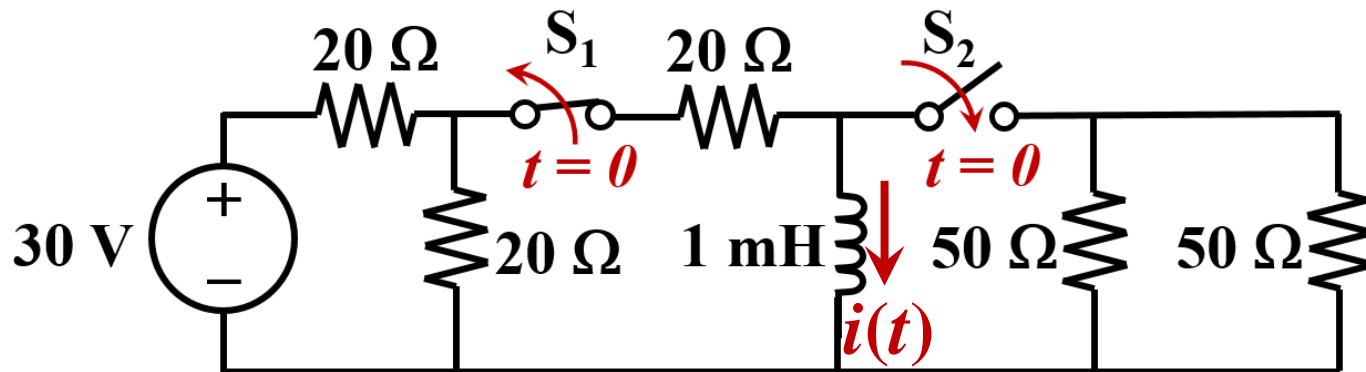
$$E_{\text{cap}} = \frac{1}{2} CV^2 = \frac{1}{2} \times 2 \times 10^{-6} \times 4^2 = 16 \mu\text{J}$$

- Energy stored in inductor:

$$E_{\text{ind}} = \frac{1}{2} LI^2 = \frac{1}{2} \times 2 \times 10^{-3} \times 1^2 = 1 \text{ mJ}$$

## Question 2

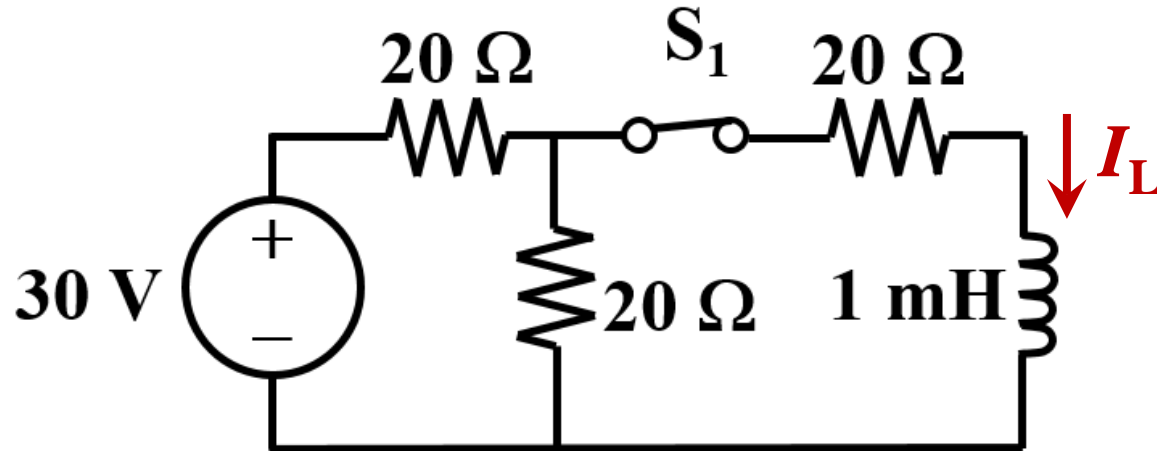
- Before  $t = 0$ ,  $S_1$  was closed and  $S_2$  was opened, both for a long time. At  $t = 0$ , both switches were flipped. Find the current  $i(t)$  after  $t = 0$ .



Concepts tested:

- Inductor in DC steady-state
- Inductor in DC transient

## Solution to Q2



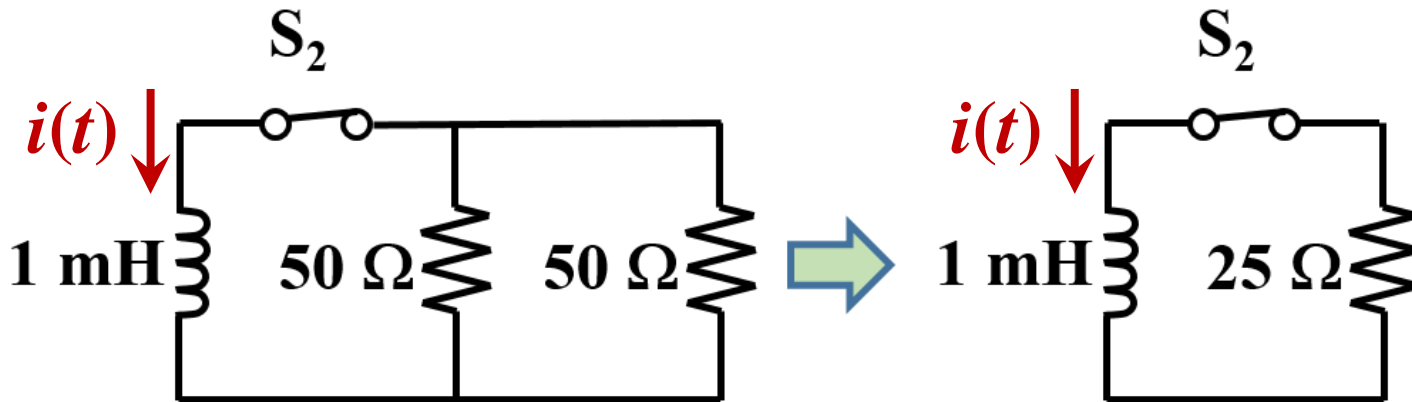
At steady state:

- Inductor behaves like a short-circuit

At  $t = 0^-$ ,

$$I_L = \frac{30 \text{ V}}{(20 + 20 || 20) \Omega} \times \frac{20 \Omega}{(20 + 20) \Omega} = 0.5 \text{ A}$$

# Solution to Q2



- $i(t = 0^+) = 0.5 \text{ A}$  (cannot change instantaneously)
- $i(t = \infty) = 0 \text{ A}$

To apply the transient equation formula, we need to get the equivalent series RL circuit. There is no Thevenin voltage, only Thevenin resistance ( $50 || 50 = 25 \Omega$ ).

$$\text{Hence, } \tau = \frac{L}{R} = \frac{0.001}{25} = 40 \mu\text{s}$$

$$i(t) = i(0)e^{-\frac{t}{\tau}} + i(\infty)[1 - e^{-\frac{t}{\tau}}] = 0.5e^{-\frac{t}{\tau}}, \tau = 40 \mu\text{s}$$