

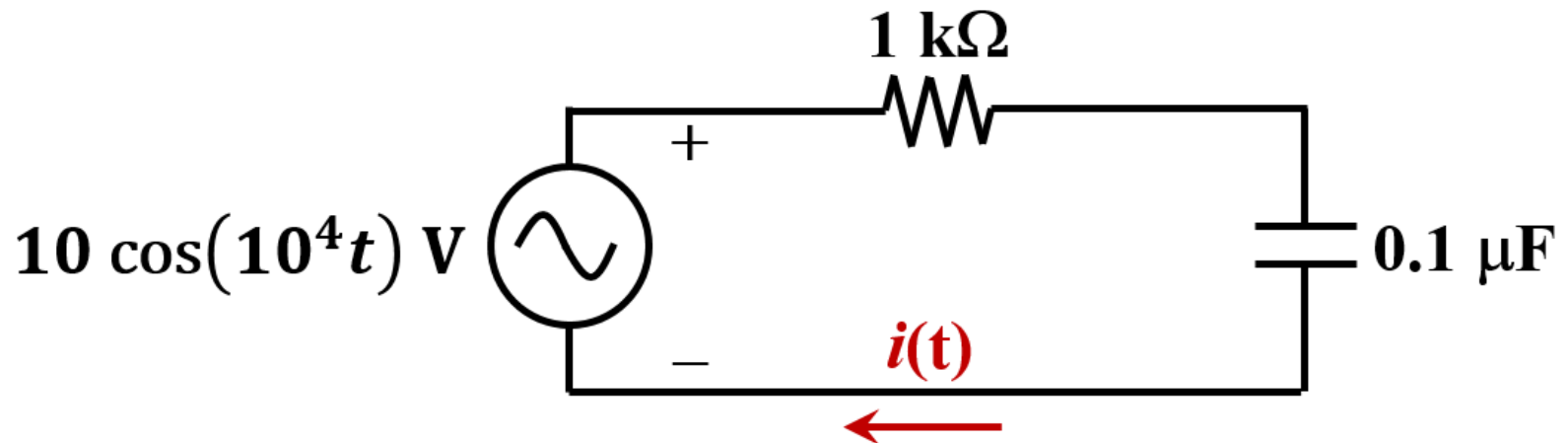
# CG1111: Engineering Principles and Practice I

Additional practice questions for  
AC Circuit Analysis



# Question 1

- Find the current  $i(t)$  using phasors & impedances

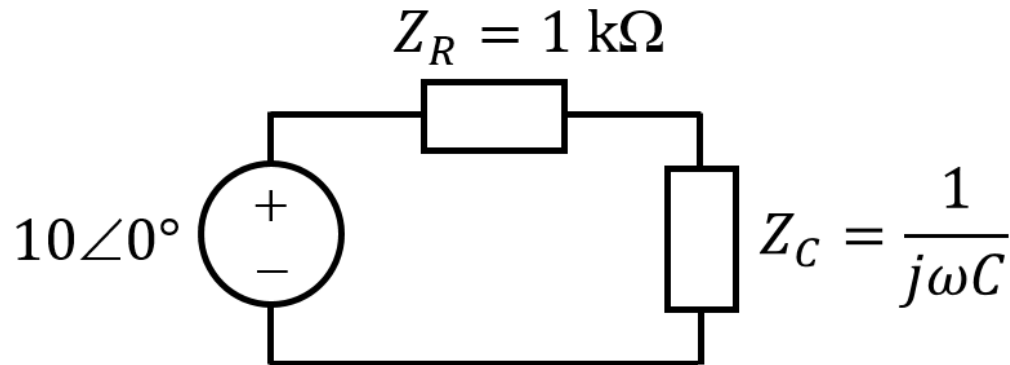


Concepts tested:

- Phasors & impedances
- AC circuit analysis techniques

# Solution to Q1

Convert all elements into phasor & impedances:



$$\omega = 10^4 \text{ rad/s}$$

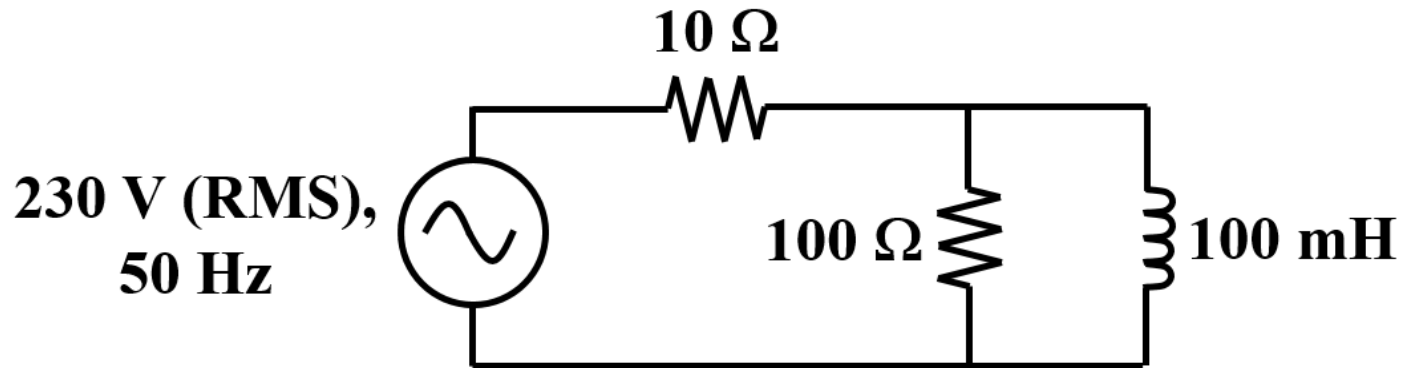
$$Z_C = \frac{1}{j \times 10^4 \times 0.1 \times 10^{-6}} = -j1000 \Omega$$

$$I_L = \frac{10 \angle 0^\circ}{1000 - j1000} = \frac{10 \angle 0^\circ}{1000\sqrt{2} \angle -45^\circ} = 7.07 \times 10^{-3} \angle 45^\circ$$

$$i(t) = 7.07 \times 10^{-3} \cos(10^4 t + 45^\circ) \text{ A}$$

## Question 2

- Find the RMS value of the current drawn from the AC source

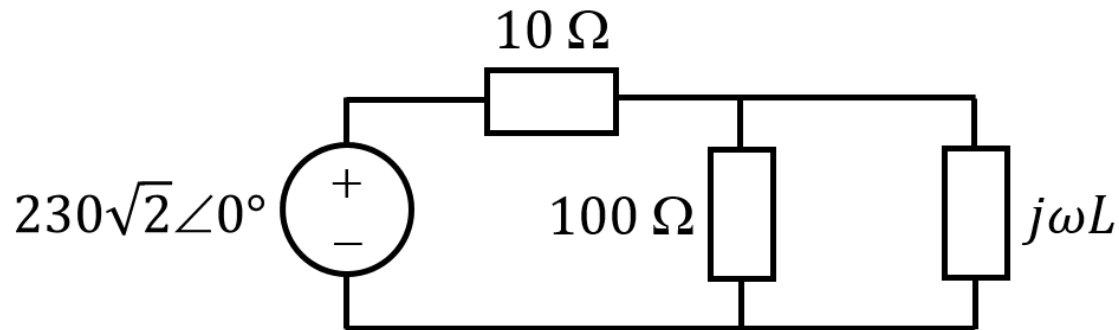


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# Solution to Q2

Convert all elements into phasor & impedances:



$$\omega = 2\pi \times 50 = 314 \text{ rad/s}$$

$$j\omega L = j314 \times 0.1 = j31.4 \Omega$$

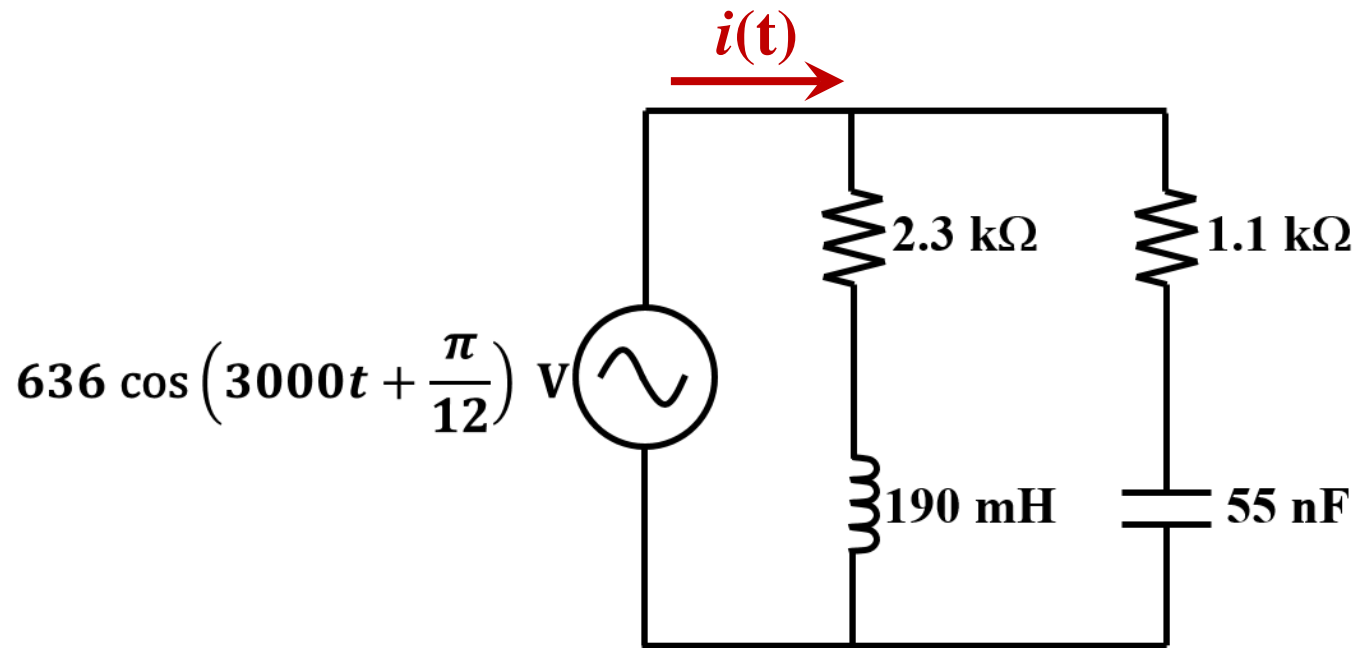
$$Z_{\text{Total}} = 10 + 100 || j31.4 = 10 + \frac{100 \times j31.4}{100 + j31.4} = 18.98 + j28.59 \Omega$$

$$I = \frac{230\sqrt{2}}{18.98 + j28.59} = \frac{230\sqrt{2}}{34.3 \angle 56.4^\circ} = 6.7\sqrt{2} \angle -56.4^\circ$$

$$I_{\text{rms}} = 6.7 \text{ A}$$

# Question 3

- Find the current  $i(t)$  using phasors & impedances



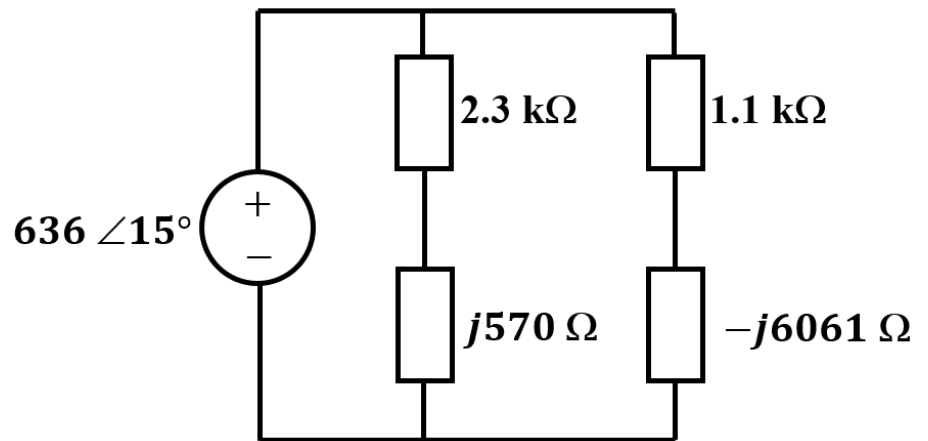
Concepts tested:

- Phasors & impedances
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# Solution to Q3

Convert all elements into phasor & impedances:

$$\omega = 3000 \text{ rad/s}$$



$$Z_C = \frac{-j}{\omega C} = \frac{-j}{3000 \times 55 \times 10^{-9}} = -j6061 \Omega$$

$$Z_L = j\omega L = j3000 \times 190 \times 10^{-3} = j570 \Omega$$

# Solution to Q3

We can simply combine the impedances using series/parallel reduction:

$$Z = (2300 + j570) || (1100 - j6061)$$
$$= \frac{(2300 + j570) \times (1100 - j6061)}{(2300 + j570) + (1100 - j6061)} = 2260 \angle -7.56^\circ$$

$$I = \frac{636 \angle 15^\circ}{2260 \angle -7.56^\circ} = 0.2814 \angle 22.56^\circ$$

Therefore,  $i(t) = 0.2814 \cos(3000t + 22.56^\circ)$