

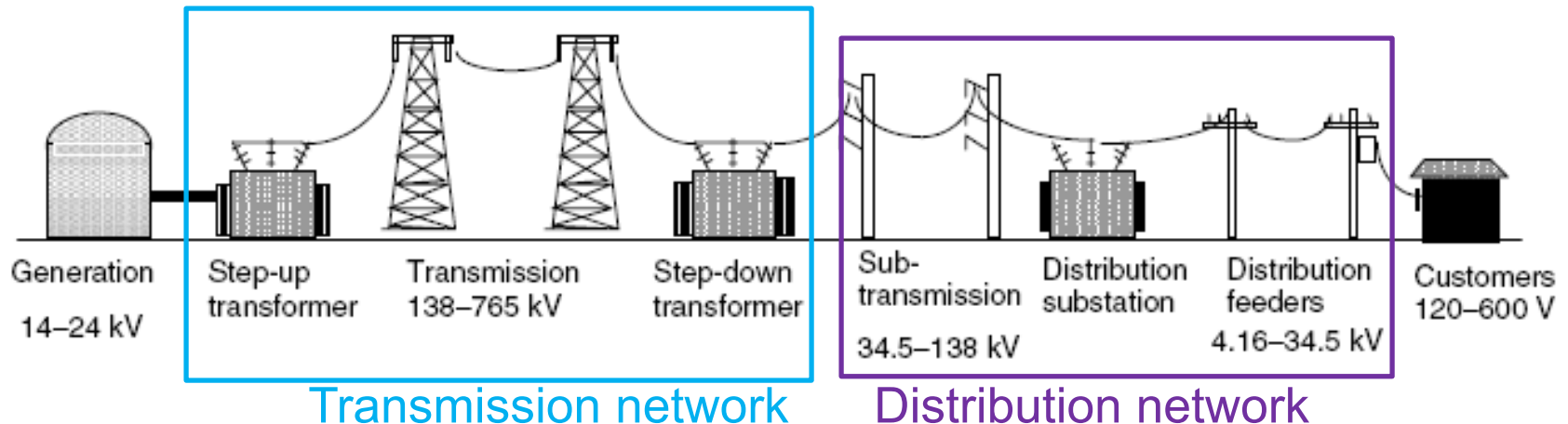
# CG1111: Engineering Principles and Practice I

Preparation for Week 7, Studio 1  
**Principles of Transformers**

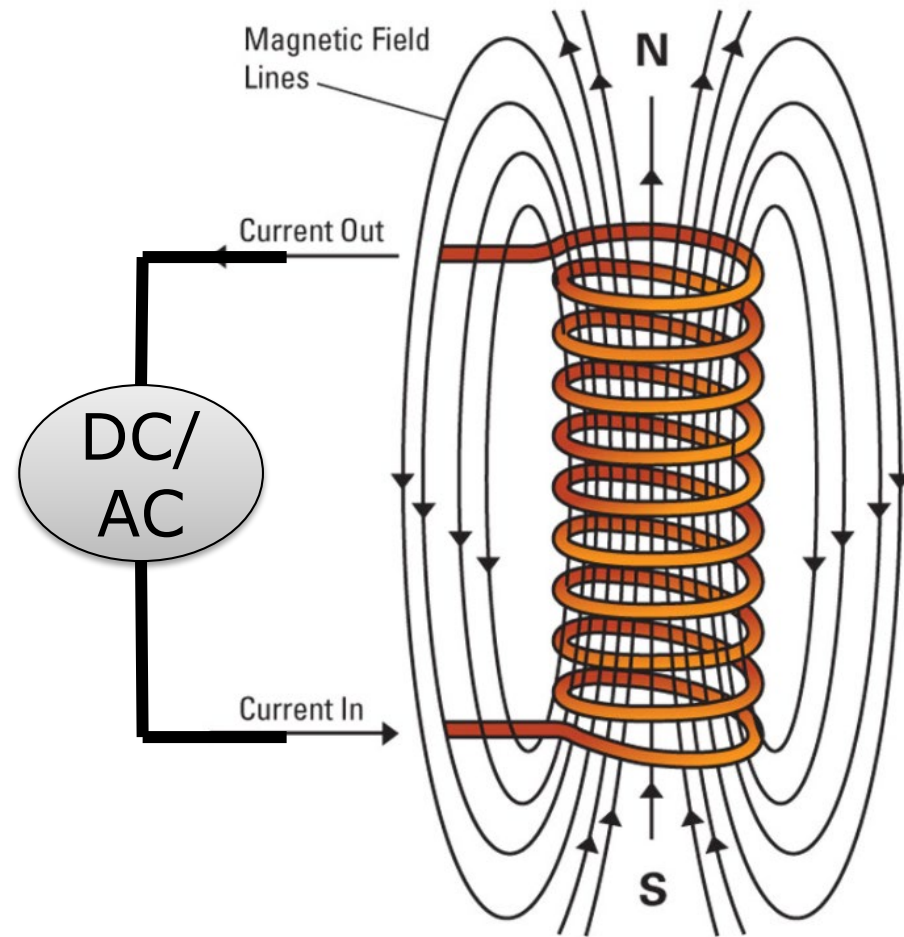


# Why Transformers???

- Transformers are used to step up voltages from generation units to transmission-line and to step down voltage from transmission to end users.
- Transformers are important in electrical energy systems. With transformers, the overall efficiency can be improved.



# Magnetic Flux

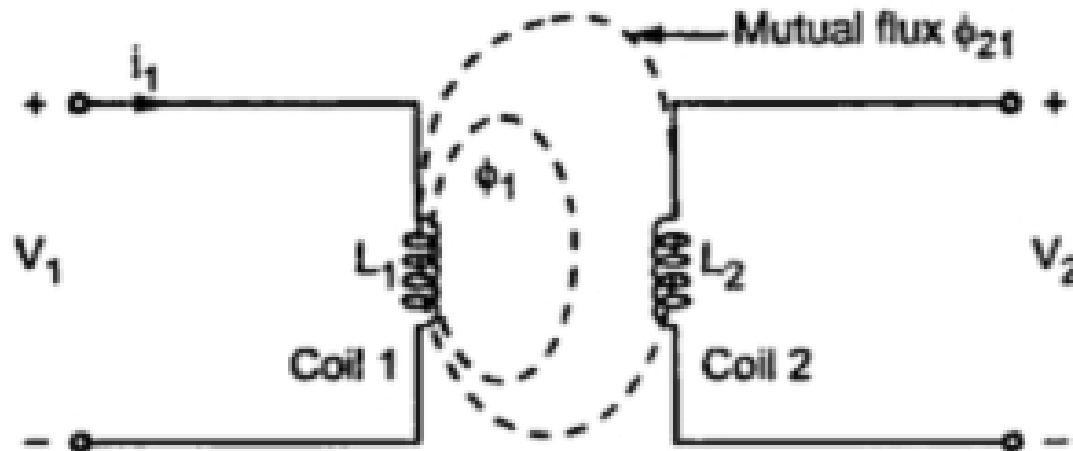


- DC source → Constant magnetic flux
- AC source → Varying magnetic flux

*What will happen if we have another coil to link the varying magnetic flux?*

# Electromagnetic Induction

- Recall Faraday's law:
$$e = N \frac{d\phi}{dt}$$
- When we link Coil 2 to the magnetic flux generated by coil 1, if the flux is varying, there will be induced electromotive force (EMF)  $V_2$ , at Coil 2.



# Transformer: Voltage Ratio

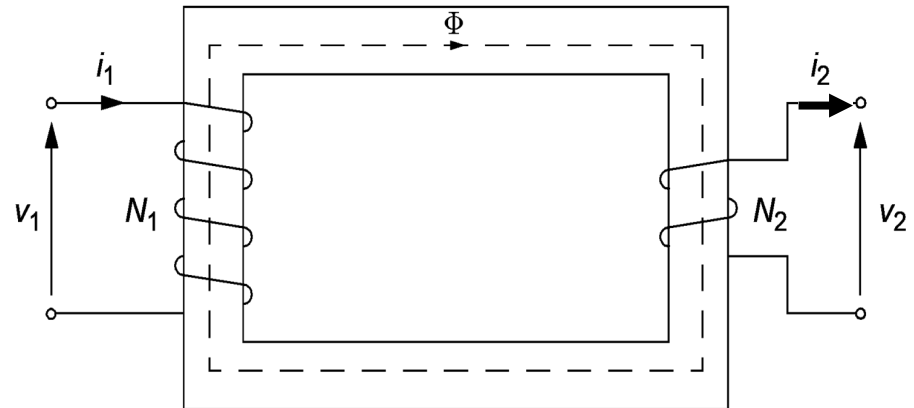
- For **ideal** transformer, we assume that the flux linkage at coil 1 and coil 2 is the same i.e. there is no flux linkage loss.
- We can now find a relationship between the voltages at two sides of the transformer as follows.

$$V_1 = N_1(j\omega)\Phi = N_1(j\omega)BA$$

$$V_2 = N_2(j\omega)\Phi = N_2(j\omega)BA$$

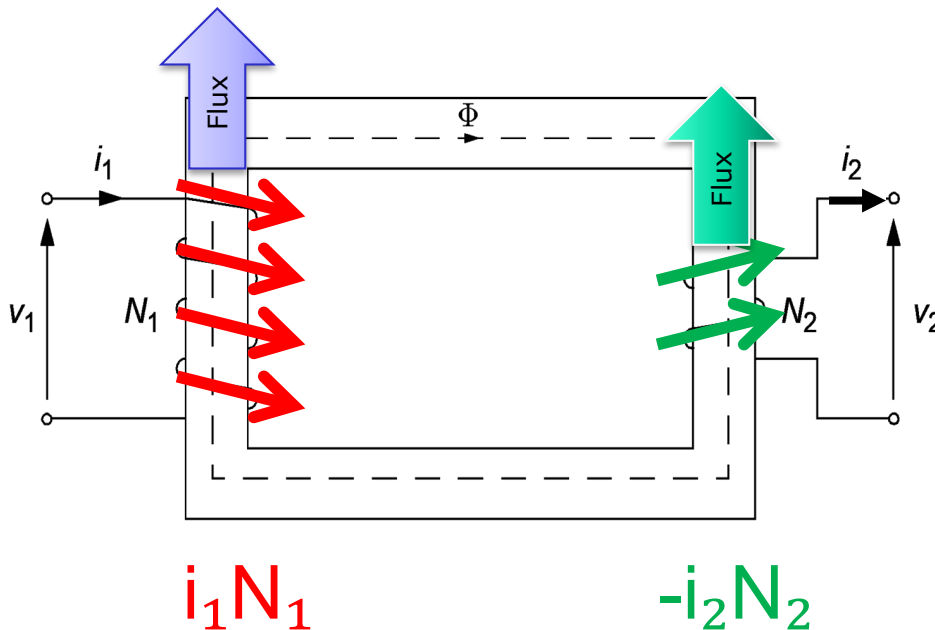


$$\frac{V_1}{V_2} = \frac{N_1}{N_2}$$



# Ampere's Law Applied to Transformers

- “Magnetic flux along the path equals the net current enclosed by the path”
  - $H$  – Magnetic Field Intensity
  - $B = \mu H$  = Magnetic Field Density



$$Hl_{path} = I_{enclosed}$$

$$Hl_{path} = i_1 N_1 - i_2 N_2$$

$$\frac{Bl_{path}}{\boxed{\mu}} = i_1 N_1 - i_2 N_2$$

*Magnetic permeability*



# Transformer: Current Ratio

- Note that magnetic core permeability ( $\mu$ ) represents the degree of magnetization that the magnetic core will allow the magnetomotive force to pass through.
- For **ideal transformer**, the value of the permeability is infinity.
- We can now see the relationship of the current from both sides of the transformers.

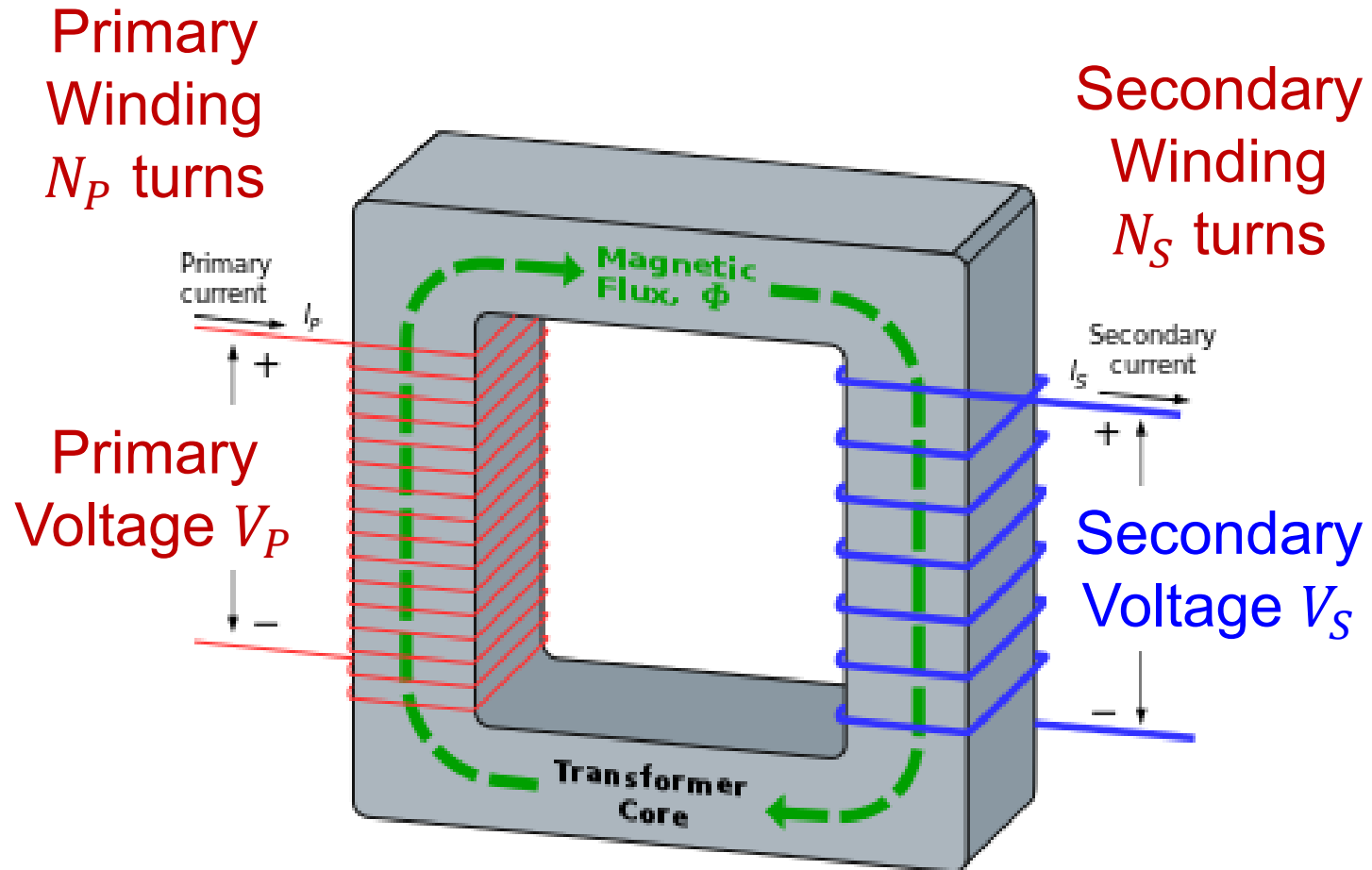
$$\frac{Bl_{path}}{\mu} = i_1 N_1 - i_2 N_2$$



$$i_1 N_1 = i_2 N_2$$



# Step-Up/Down Transformer



$$\frac{V_S}{V_P} = \frac{N_S}{N_P}$$

$$\frac{I_S}{I_P} = \frac{N_P}{N_S}$$





# Transformer: Complex Power

- Complex power at *primary* side,

$$S_1 = V_1 I_1^* = a V_2 \left( \frac{I_2}{a} \right)^* = V_2 I_2^* = S_2$$

- is the same as the complex power at *secondary* side.
- This means that ideal transformer has **no real/reactive power losses.**



**THANK YOU**

