# CS2102\_2021\_S1\_Final

Exam ID: 17774 Course Name: -

Consider the following schemas: students(<u>matric</u>, sname) workings(<u>pid</u>, <u>matric</u>, since) projects(<u>pid</u>, pname) category(pid, cname)

The underlined attributes are the primary key of the schema. You may assume that there can never be any NULL values in the instance. No other constraints can be assumed.

[2 marks] Complete the relational algebra expression below to find the pair of different students' matric number (m1,m2) working on the same project, excluding students not working on any project.

 $\pi([\_A\_], \sigma(\_B\_ \land \_\_C\_, (\rho(w1(p1,m1,s1), workings) \times \rho(w2(p2,m2,s2), workings))))$ 

#### **Attachment:**

attachment\_for\_itemid\_110650.pdf

Consider the following schemas:

students(matric, sname)

workings(pid, matric, since)

projects(pid, pname)

category(pid, cname)

The underlined attributes are the primary key of the schema. You may assume that there can never be any NULL values in the instance. No other constraints can be assumed.

**[2 marks]** Complete the relational algebra expression below to find the oldest projects pid in the database. The oldest project is the project with the smallest value of since attribute. You may compare the since attributes with standard relational operators (e.g., <, >, <=, >=, ==, !=).

 $\pi([\_\_A\_\_], (\pi([\_B\_\_, \_C\_\_], workings) - \pi([p2,s2], \sigma(\_D\_\_ > \_E\_\_, (\rho(w1(p1,m1,s1), workings) \times \rho(w2(p2,m2,s2), workings)))))))$ 

All answers must be single attributes

#### **Attachment:**

attachment\_for\_itemid\_110652.pdf

```
Consider the following schemas:
students(matric, sname)
workings(pid, matric, since)
projects(pid, pname)
category(pid, cname)
The underlined attributes are the primary key of the schema. You may assume that there can
never be any NULL values in the instance. No other constraints can be assumed.
[3 marks] Complete the SQL create table statement below to create the schema above. The
first table (i.e., students table) has been filled in for you.
CREATE TABLE students (
matric VARCHAR(9) PRIMARY KEY,
sname VARCHAR(50)
);
CREATE TABLE projects (
  1 VARCHAR(9) __2_,
       VARCHAR(50)
);
CREATE TABLE workings (
       VARCHAR(9) REFERENCES 5,
       VARCHAR(9) REFERENCES 7,
  6
  8 DATE,
PRIMARY KEY(pid, matric)
);
CREATE TABLE category (
       VARCHAR(9) REFERENCES 10 ,
   11 VARCHAR(9),
PRIMARY KEY(pid, cname)
);
```

Consider the following schemas: students(matric, sname) workings(pid, matric, since) projects(pid, pname) category(pid, cname) The underlined attributes are the primary key of the schema. You may assume that there can never be any NULL values in the instance. No other constraints can be assumed. [3 marks] Complete the SQL query below to find all pair of distinct projects' pid (p1, p2) such that the two projects have exactly the same set of categories. SELECT P1.pid, P2.pid FROM projects P1, projects P2 WHERE \_\_D\_\_ AND ( SELECT COUNT(\*) FROM ( SELECT \_\_A\_\_ FROM category C0 WHERE \_\_B\_\_ Ε SELECT \_\_A\_\_ FROM category C0 WHERE \_\_C\_\_ ) AS T1 ) ( SELECT COUNT(\*) FROM ( SELECT \_\_A\_\_ FROM category C0 WHERE \_\_B\_\_ F SELECT \_\_A\_\_ FROM category C0 WHERE \_\_C\_\_ ) AS T2 ) All blanks must be short answers, they cannot be nested queries. \_\_A\_\_ = 1 (cannot add additional clauses such as GROUP BY, etc as well as AND and OR 2 B = conditions) (cannot add additional clauses such as GROUP BY, etc as well as AND and OR conditions) \_\_D\_\_ = 4 \_\_E\_\_ = 5 \_\_F\_\_ = 6

**EXCEPT ALL** 

```
Consider the following schemas:
students(matric, sname)
workings(pid, matric, since)
projects(pid, pname)
category(pid, cname)
The underlined attributes are the primary key of the schema. You may assume that there can
never be any NULL values in the instance. No other constraints can be assumed.
[3 marks] Consider the following result for the following SQL query
SELECT *
FROM students NATURAL JOIN workings
        NATURAL JOIN projects
        NATURAL JOIN category;
matric | sname | pid | since | cname
-----
A0001 | AA | P01 | 2002 | CA
A0001 | AA | P01 | 2002 | CB
A0001 | AA | P02 | 2004 | CB
A0002 | BB | P01 | 2003 | CA
A0002 | BB | P01 | 2003 | CB
A0003 | CC | P03 | 2004 | CA
A0003 | CC | P03 | 2004 | CC
A0003 | CC | P03 | 2004 | CD
A0004 | AA | P03 | 2004 | CA
A0004 | AA | P03 | 2004 | CC
A0004 | AA | P03 | 2004 | CD
You are further told that the result of running the SQL query on Question 4 is
pid | pid
----+----
P01 | P04
P04 | P01
P03 | P05
P05 | P03
What is the result of the following SQL query?
SELECT PID FROM category
```

## SELECT DISTINCT pid FROM category WHERE cname != 'CA';

If you have fewer than 6 rows, write the answer as -. Leaving your answer as blank constitutes not answering the question.

Exclude quote symbols in your answer. For instance, write CS2102 insted of 'CS2102' if that is your answer.

pid

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5

Consider the schema R(A, B, C, D, E) with  $F = \{BDE \rightarrow AE, AD \rightarrow C, CD \rightarrow E, BE \rightarrow AD\}$ .

[2 marks] Write four completely non-trivial functional dependencies that are *implied* by F but not in F. If you have fewer than 4 functional dependencies, write the answer as -. *Leaving your answer as blank constitutes not answering the question.* 

$$FD1 = 1$$

$$FD2 = 2$$

#### **Attachment:**

attachment\_for\_itemid\_110662.pdf

Consider the schema R(A, B, C, D, E) with  $F = \{BDE \rightarrow AE, AD \rightarrow C, CD \rightarrow E, BE \rightarrow AD\}$ .

[2 marks] Write at most four superkeys of R with at most 3 attributes. If you have fewer than 4 superkeys, write the answer as -. Leaving your answer as blank constitutes not answering the question.

## **Attachment:**

attachment\_for\_itemid\_110663.pdf

Consider the schema R(A, B, C, D, E) with  $F = \{BDE \rightarrow AE, AD \rightarrow C, CD \rightarrow E, BE \rightarrow AD\}$ .

[3 marks] Write all keys of R with at most 3 attributes. If you have fewer than 4 keys, write the answer as -. Leaving your answer as blank constitutes not answering the question.

#### **Attachment:**

attachment\_for\_itemid\_110665.pdf

Consider the schema R(A, B, C, D, E) with  $F = \{BDE \rightarrow AE, AD \rightarrow C, CD \rightarrow E, BE \rightarrow AD\}$ .

[5 marks] Write one possible lossless-join valid BCNF decomposition of R into exactly three fragments such that each fragment has exactly three attributes.

Each blank is a single attribute in uppercase.

## **Attachment:**

attachment\_for\_itemid\_110667.pdf

[1 mark] Is your decomposition in Question 9 a dependency-preserving decomposition?

Consider the schema R(A, B, C, D, E) with  $F = \{BDE \rightarrow AE, AD \rightarrow C, CD \rightarrow E, BE \rightarrow AD\}$ . [3 marks] Write one possible minimal cover of F. Write your answer in the same commaseparated format as above, but without the curly brackets.

Minimal Cover =  $\{1\}$ 

## **Attachment:**

attachment\_for\_itemid\_110673.pdf

Consider the schema R(A, B, C, D, E) with  $F = \{BDE \rightarrow AE, AD \rightarrow C, CD \rightarrow E, BE \rightarrow AD\}$ .

[5 marks] Write one possible lossless-join dependency-preserving valid decomposition of R that has exactly three fragments. Write the attribute of each fragment as comma-separated value as above.

Each blank is a comma-separated single attribute in uppercase.

R1(<u>1</u>)

R2(\_2\_)

R3(\_3\_)

#### **Attachment:**

attachment\_for\_itemid\_110675.pdf

[4 marks] We know that Armstrong's axioms are both sound and complete. Consider the augmentation rule in Armstrong's axioms:

Our aim in this question is to show that the "reverse" of the augmentation rule is not sound. By the "reverse", we meant the following rule:

To show that it is unsound, we want to imply the following:

$$\{\} \mid = A -> B$$

In other words, any functional dependencies are implied if we allow "reverse" augmentation rule. Note that you are not allowed to use the decomposition and union rule from extended Armstrong's axioms. The following example shows the use of Armstrong's axioms in a proof:

A -> B [Given]

A -> C [Given]

AB -> A [Reflexivity]

A -> AB [Augmentation (1) with A]

AB -> BC [Augmentation (2) with B]

A -> BC [Transitivity (4) and (5)]

To use "reverse" augmentation:

AC -> BC [Given]

A -> B [Remove C from (1)]

Your proof should not exceed 3 lines. If you have fewer than 3 lines, write the answer as -. Leaving your answer as blank constitutes not answering the question.

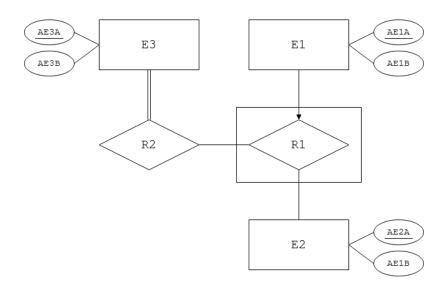
Blank number 1, 2, 4, 5, 7 and 8 are single/multi attributes in uppercase not separated by commas.

Blank number 3, 6 and 9 are reasons.

#### **Attachment:**

attachment\_for\_itemid\_110678.pdf

[1 mark] Find the mistake in the ER diagram below. If the mistake is on a line, make sure your pin is on the line outside of any box/diamond/oval. If the mistake is in the arrow make sure your pin is on the arrow. If the mistake is on the box/diamond/oval, make sure your pin is inside them without touching any other lines.



[1 mark] Find the mistake in the ER diagram below. If the mistake is on a line, make sure your pin is on the line outside of any box/diamond/oval. If the mistake is in the arrow make sure your pin is on the arrow. If the mistake is on the box/diamond/oval, make sure your pin is inside them without touching any other lines.

