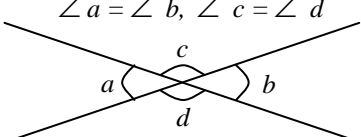
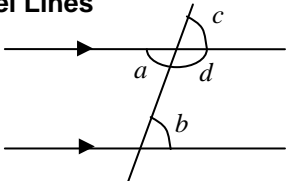
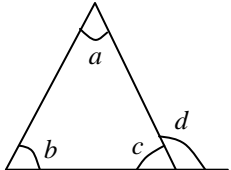
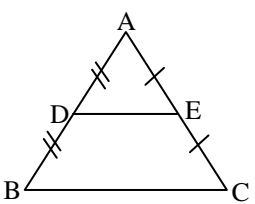
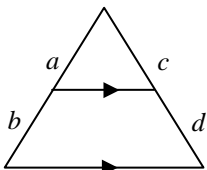


## GEOMETRIC FORMULAE FOR PLANE GEOMETRY

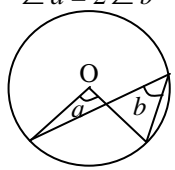
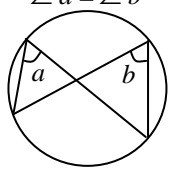
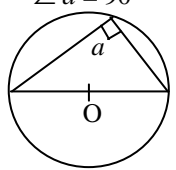
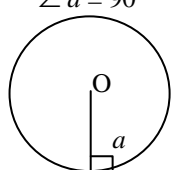
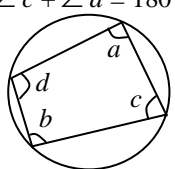
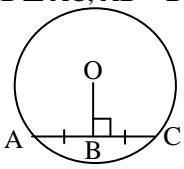
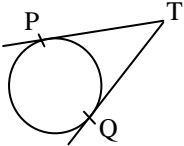
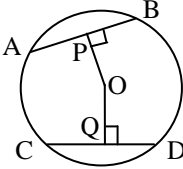
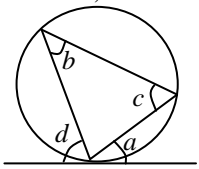
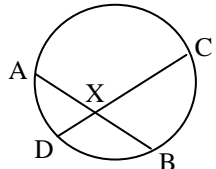
### LINES

<b>Vertically Opposite Angles</b> $\angle a = \angle b, \angle c = \angle d$ 	<b>Parallel Lines</b> $\angle a = \angle b$ (alt. $\angle$ s) $\angle c = \angle b$ (corresp. $\angle$ s) $\angle b + \angle d = 180^\circ$ (int. $\angle$ s) 
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### TRIANGLES

<b>Interior Angles</b> $\angle a + \angle b + \angle c = 180^\circ$ $\angle a + \angle b = \angle d$ (ext. $\angle$ of $\Delta$ ) 	<b>Midpoint Theorem</b> $DE \parallel BC, DE = \frac{1}{2} BC$ 	<b>Intercept Theorem</b> $\frac{a}{b} = \frac{c}{d}$ 
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### CIRCLES

<b><math>\angle</math> at Centre</b> $\angle a = 2 \angle b$ 	<b><math>\angle</math> s in Same Segment</b> $\angle a = \angle b$ 	<b><math>\angle</math> in Semi-Circle</b> $\angle a = 90^\circ$ 	<b>Radius <math>\perp</math> Tangent</b> $\angle a = 90^\circ$ 
<b>Opp. <math>\angle</math> s of Cyclic Quadrilateral</b> $\angle a + \angle b = 180^\circ$ $\angle c + \angle d = 180^\circ$ 	<b><math>\perp</math> bisector of chord passes through centre</b> $OB \perp AC, AB = BC$ 	<b>Tangents from external point</b> $TP = TQ$ 	<b>Equal chords equidistant from centre</b> $AB = CD \leftrightarrow OP = OQ$ 
<b>Alternate Segment Theorem</b> $\angle a = \angle b, \angle c = \angle d$ 	<b>Intersecting Chords Theorem</b> $AX \cdot XB = CX \cdot XD$ 	<b>Tangent-Secant Theorem</b> $AX \cdot BX = TX^2$ 