1. (a) Up & more overfitting: deterministic noise depends on the target function f, so if the complexity of f increases, the deterministic noise so generally increase as well. There is less overfitting when the target complexity is low, in this case it is increasing, so there's a higher tendency to overfit the data.

   (b) Up & less overfitting: deterministic noise will generally go up because, relative to the fixed target function, H becomes less complex. Target complexity is exponential when compared to overfitting, whereas noise is linear, so there will be less overfitting.

2. (a) We try to satisfy the condition at 4.4, which tells us that $w^T w \leq C$, to convert $w^T \Gamma^T \Gamma w \leq C$ to $w^T w \leq C$, **$\boldsymbol{\Gamma}$ has to be the identity vector**, then the inverse of Γ and its dot product is 1. Which satisfy the condition $w^T w \leq C$.

   (b) TBD

3. Hard-order constraint: we have the perceptron model which uses a linear model, we can define this as the hypothesis set H_2. When we compare H_2 and a higher order hypothesis set, let that be H_{10}, on a dataset with a lot of noise and low N, H_2 will have a smaller out of sample error due to its tendency to not overfit compared to H_{10}. So we place a hard-order constraint constraint on it and choose the simpler hypothesis, leading to a smaller d_{vc} and a smaller E_{out}.